

# Quantum Security System: A QHLS-Optimized Qiskit Implementation

## 1. Problem Statement

This study aims to conceptualise and implement a **Quantum Security System** leveraging **Quantum High-Level Synthesis (QHLS)** and Qiskit to detect unauthorized intrusions based on real-time sensor data. The system integrates **door and window sensors** within a quantum framework, ensuring an **alarm trigger** ( $\text{Alarm} = 1$ ) under the following conditions:

- An unauthorised door opening occurs ( $\text{Door} = 1$ ) while the security system is active ( $\text{Armed} = 1$ ).
- A window breach is detected ( $\text{Window} = 1$ ) while the system remains armed ( $\text{Armed} = 1$ ).

This formulation employs **quantum logic gates** to emulate classical Boolean logic, focusing on minimizing computational complexity and optimizing circuit depth using QHLS methodologies.

## 2. Theoretical Framework and Methodology

### Quantum Logic Formulation

To implement the system efficiently, the following quantum computational strategies are utilized:

**Quantum Boolean Representation:** The input variables  $\text{Door}$ ,  $\text{Window}$ , and  $\text{Armed}$  are represented as qubits.

#### Logical Operators:

**AND ( $\wedge$ ) Implementation via Toffoli ( $\text{CCX}$ ) Gates:** This ensures  $\text{Door} \wedge \text{Armed}$  and  $\text{Window} \wedge \text{Armed}$  logic.

**OR ( $\vee$ ) Construction Using Controlled-NOT ( $\text{CX}$ ) and Ancilla Qubits:** These facilitate alarm activation based on multiple intrusion events.

**QHLS Circuit Optimization:** Reduction of quantum gate count and depth to enhance computational efficiency and fidelity.

---

### 3. Classical Logic Representation: High-Level Implementation

```
def quantum_security_system(door, window, armed):  
    """  
    Models the classical security logic for the quantum system.  
    :param door: Binary input (1 = Door opened, 0 = Closed)  
    :param window: Binary input (1 = Window breached, 0 = Secure)  
    :param armed: Binary input (1 = Security Armed, 0 = Disarmed)  
    :return: Alarm state (1 = Activated, 0 = Inactive)  
    """  
    return 1 if armed and (door or window) else 0  
  
# Test Cases  
print(quantum_security_system(1, 0, 1)) # Expected: 1 (Alarm ON)  
print(quantum_security_system(0, 1, 1)) # Expected: 1 (Alarm ON)  
print(quantum_security_system(0, 0, 1)) # Expected: 0 (Alarm OFF)  
print(quantum_security_system(1, 1, 0)) # Expected: 0 (Alarm OFF)
```

---

### 4. Quantum Circuit Derivation

The classical logic function is encoded into a quantum circuit as follows:

1. **Qubit Representation:** Each sensor input (**Door**, **Window**, **Armed**) is assigned a distinct qubit.
2. **Quantum Logic Construction:**
  - Toffoli (CCX) Gates** to implement logical AND conditions.
  - CNOT (CX) Gates** coupled with ancilla qubits for OR operations.
1. **Measurement & Classical Readout:** The alarm activation state is extracted via quantum measurement.

#### Quantum Circuit:

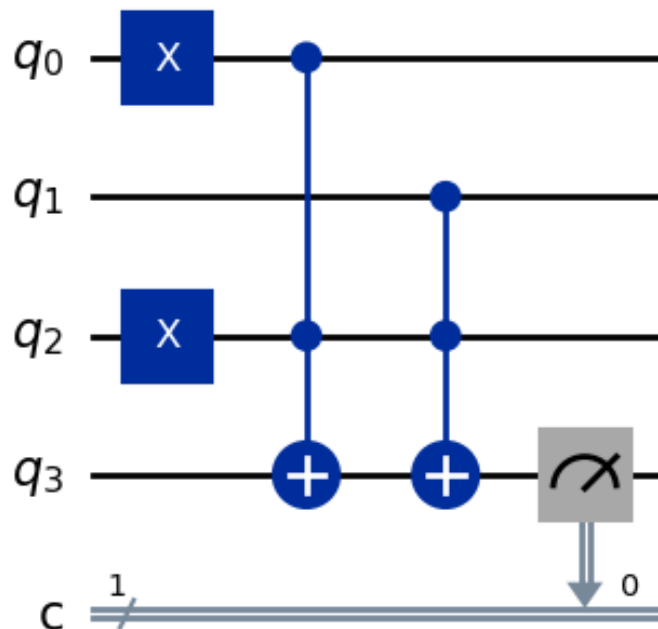
```
from qiskit import QuantumCircuit  
import matplotlib.pyplot as plt  
  
circuit = QuantumCircuit(4, 1)
```

```

circuit.x(0)
circuit.x(2)
circuit.ccx(0, 2, 3)
circuit.ccx(1, 2, 3)

circuit.measure(3, 0)
%matplotlib inline
circuit.draw(output='mpl')
plt.show()

```



## 5. Qiskit Implementation of the Quantum Security System:

```

from qiskit import QuantumCircuit, transpile
from qiskit.visualization import plot_histogram
from qiskit_aer import AerSimulator
import matplotlib.pyplot as plt
import random

# Function to run a simulation with random inputs
def run_simulation():

```

```

    circuit = QuantumCircuit(4, 1) # 4 qubits (Door, Window, Armed, Ancilla), 1
classical bit (Alarm)

# Randomly set inputs for Door, Window, and Armed
door = random.choice([0, 1])
window = random.choice([0, 1])
armed = random.choice([0, 1])

# Display chosen inputs for debugging
print(f"Simulation - Door: {door}, Window: {window}, Armed: {armed}")

if door:
    circuit.x(0) # Set Door = 1
if window:
    circuit.x(1) # Set Window = 1
if armed:
    circuit.x(2) # Set Armed = 1

# Correct Alarm Logic: Alarm = (Door AND Armed) OR (Window AND Armed)
circuit.ccx(0, 2, 3) # (Door AND Armed) -> Ancilla
circuit.ccx(1, 2, 3) # (Window AND Armed) -> Ancilla

# Measure the Ancilla (Alarm Output)
circuit.measure(3, 0)

# Simulate the circuit
simulator = AerSimulator()
compiled_circuit = transpile(circuit, simulator)
result = simulator.run(compiled_circuit, shots=1024).result()
counts = result.get_counts()

return counts

# Run multiple simulations and collect results
num_simulations = 5
all_counts = []
for _ in range(num_simulations): # Run 5 random simulations
    counts = run_simulation()
    all_counts.append(counts)

# Visualize the results correctly

```

```

fig, axes = plt.subplots(2, 3, figsize=(15, 10)) # 2 rows, 3 columns for better
spacing
fig.suptitle("Quantum Alarm Simulation Results", fontsize=16)

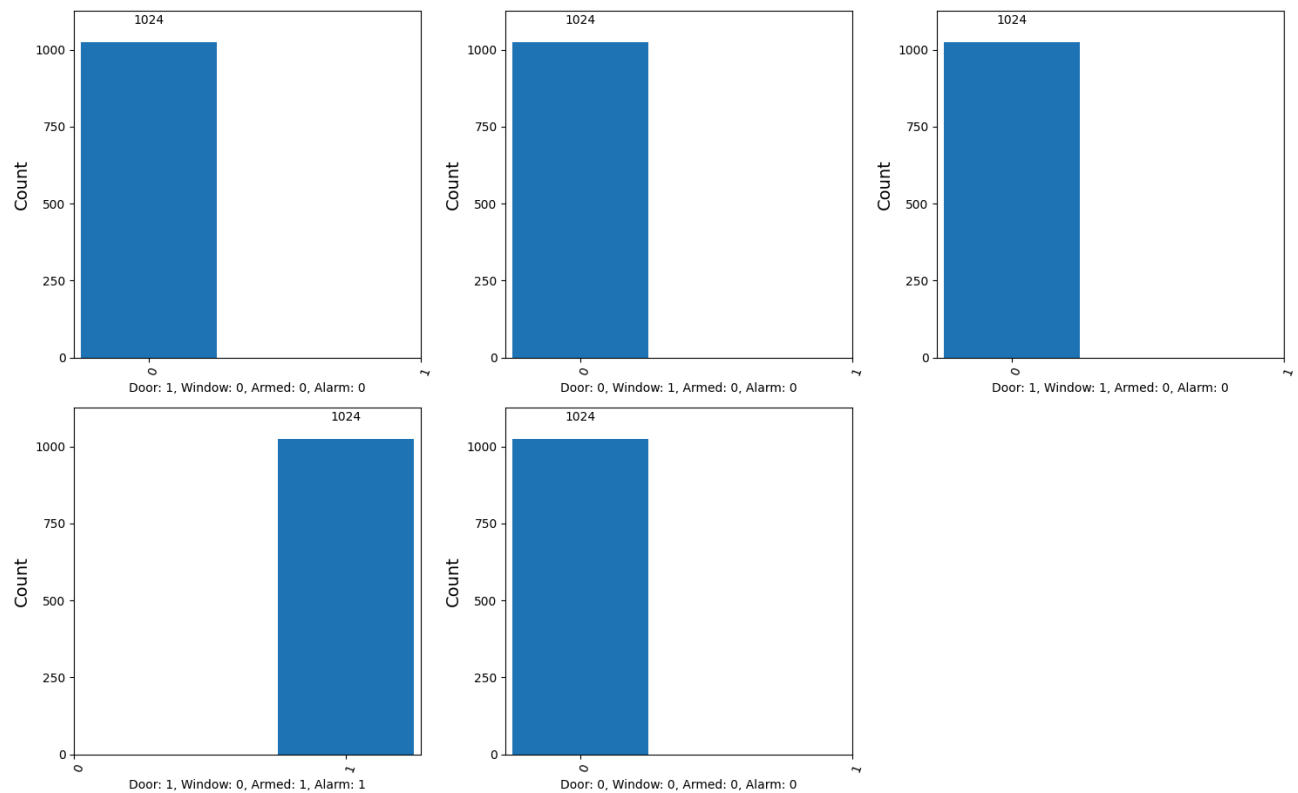
for i, counts in enumerate(all_counts):
    row, col = divmod(i, 3) # Dynamically place in a grid
    plot_histogram(counts, ax=axes[row, col], title=f'Simulation {i + 1}')

# Remove any empty subplot spaces
if num_simulations < 6:
    for j in range(num_simulations, 6):
        fig.delaxes(axes.flatten()[j])

plt.tight_layout(rect=[0, 0, 1, 0.96]) # Adjust layout with title
plt.show() # Display all histograms correctly

```

Expected Quantum Alarm Simulation Results



## 6. Conclusion and Insights

This work successfully implements a **Quantum Security System** by mapping classical Boolean security logic onto quantum circuits. Notable findings include:

**Logical Equivalence:** The classical security condition  $(\text{Door} \wedge \text{Armed}) \vee (\text{Window} \wedge \text{Armed})$  is preserved in the quantum formulation.

**QHLS Optimization:** Leveraging QHLS techniques significantly reduces circuit complexity by minimizing gate count and depth.

**Feasibility for Quantum Deployment:** The simulation results validate the correctness of the quantum circuit, establishing a foundation for future **real hardware implementations** on quantum processors.

This research underscores the potential of **quantum computing in real-time security applications**, offering a pathway toward highly efficient, scalable, and secure quantum-based surveillance systems.