

Selection sort

Selection Sort

Idea

- Given an array of n items:
 - Find the largest item x , in the range of $[0 \dots n - 1]$.
 - Swap x with the $(n - 1)$ -th item.
 - Reduce n by 1 and go to *step 1*.

Selection Sort

Example

29	10	14	37	13
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Selection Sort

Example

29	10	14	37	13
----	----	----	----	----

37 is the largest, swap it with the last element, i.e. 13.

Selection Sort

Example

29	10	14	13	37
----	----	----	----	----

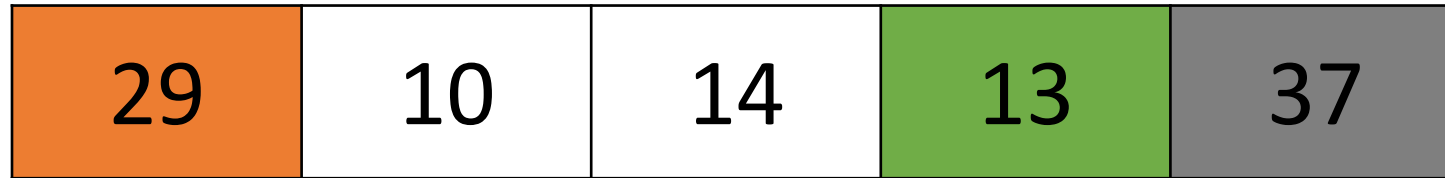
37 is the largest, swap it with the last element, i.e. 13.

Selection Sort Example

29	10	14	13	37
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Selection Sort

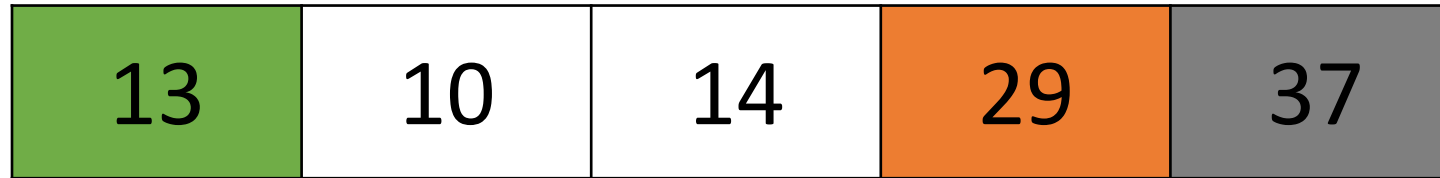
Example



29 is the next largest, swap it with the appropriate element, i.e. again 13.

Selection Sort

Example



29 is the next largest, swap it with the appropriate element, i.e. again 13.

Selection Sort Example

13	10	14	29	37
----	----	----	----	----

Selection Sort

Example

13	10	14	29	37
----	----	----	----	----

14 is the next largest, swap it with the appropriate element, i.e. with himself.

Selection Sort Example

13	10	14	29	37
----	----	----	----	----

Selection Sort

Example



13 is the next largest, swap it with the appropriate element, i.e. with 10.

Selection Sort

Example



13 is the next largest, swap it with the appropriate element, i.e. with 10.

Selection Sort Example

10	13	14	29	37
----	----	----	----	----

Selection Sort Implementation

```
void selection_sort(vector<int>& arr)
{
    for (int i = 0; i < arr.size(); ++i)
    {
        int min_index = i;
        for (int j = i + 1; j < arr.size(); ++j)
        {
            if (arr[min_index] > arr[j])
            {
                min_index = j;
            }
        }
        swap(arr[min_index], arr[i]);
    }
}
```

Selection Sort

Analysis

- Selection sort is performing $n - i - 1$ operations for each i to find maximum/minimum.
- So time complexity of this sort is $(n - 1) + (n - 2) + \dots + 1 = O(n^2)$.