

Q1:

Plaintext: VuNguyens4010423@student.

01010110 01110101 01001110 01100111 01110101 01111001 01100101 01101110
01110011 00110100 00110000 00110001 00110000 00110100 00110010 00110011
01000000 01110011 01110100 01110101 01100100 01100101 01101110 01110100
00101110

1. θ mapping

C[x] Operation

| | | | | |
|----------|----------|----------|----------|----------|
| 01010110 | 01110101 | 01001110 | 01100111 | 01110101 |
| 01111001 | 01100101 | 01101110 | 01110011 | 00110100 |
| 00110000 | 00110001 | 00110000 | 00110100 | 00110010 |
| 00110011 | 01000000 | 01110011 | 01110100 | 01110101 |
| 01100100 | 01100101 | 01101110 | 01110100 | 00101110 |

$$C[0] = A[0][0] \oplus A[0][1] \oplus A[0][2] \oplus A[0][3] \oplus A[0][4]$$

01010110 \oplus 01111001 = 00101111
00101111 \oplus 00110000 = 00011111
00011111 \oplus 00100111 = 00111000
00111000 \oplus 01100100 = 01011100

$$C[0] = 01011100$$

| | | | | |
|----------|----------|----------|----------|----------|
| C[0] | C[1] | C[2] | C[3] | C[4] |
| 01011100 | 00010100 | 00011101 | 00100000 | 00110111 |

D[x] = operation

$$\begin{aligned} C[x] &= A[x,0] \oplus A[x,1] \oplus A[x,2] \oplus A[x,3] \oplus A[x,4] \\ D[x] &= C[x-1] \oplus \text{rot}(C[x+1], 1) \\ A[x,y] &= A[x,y] \oplus D[x] \end{aligned}$$

D[0] = C[4] \oplus rot(C[1], 1)
D[0] = 00110111 \oplus rot(00010100, 1)
D[0] = 00110111 \oplus 00101000
D[0] = 00011111

| D[0] | D[1] | D[2] | D[3] | D[4] |
|----------|----------|----------|----------|----------|
| 00011111 | 01100110 | 01010100 | 01110011 | 10011000 |

A[x,y] operation

$$A[x,y] = A[x,y] \oplus D[x]$$

| | | | | |
|----------|----------|----------|----------|----------|
| 01010110 | 01110101 | 01001110 | 01100111 | 01110101 |
| 01111001 | 01100101 | 01101110 | 01110011 | 00110100 |
| 00110000 | 00110001 | 00110000 | 00110100 | 00110010 |
| 00110011 | 01000000 | 01110011 | 01110100 | 01110101 |
| 01100100 | 01100101 | 01101110 | 01110100 | 00101110 |

| D[0] | D[1] | D[2] | D[3] | D[4] |
|----------|----------|----------|----------|----------|
| 00011111 | 01100110 | 01010100 | 01110011 | 10011000 |

| A[x,y] | 0 | 1 | 2 | 3 | 4 |
|--------|----------|----------|----------|----------|----------|
| 0 | 01001001 | 00010011 | 00011010 | 00010100 | 11101101 |
| 1 | 01100110 | 00000011 | 00111010 | 00000000 | 10101100 |
| 2 | 00101111 | 01000111 | 01100100 | 00010111 | 10111010 |
| 3 | 00111000 | 00100110 | 00110111 | 00000110 | 11110010 |
| 4 | 01111011 | 00000011 | 00111010 | 00000111 | 10110110 |

2. q mapping

| | $x = 3$ | $x = 4$ | $x = 0$ | $x = 1$ | $x = 2$ |
|-------|---------|---------|---------|---------|---------|
| $y=2$ | 25 | 39 | 3 | 10 | 43 |
| $y=1$ | 55 | 20 | 36 | 44 | 6 |
| $y=0$ | 28 | 27 | 0 | 1 | 62 |
| $y=4$ | 56 | 14 | 18 | 2 | 61 |
| $y=3$ | 21 | 8 | 41 | 45 | 15 |

| $A[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|----------|----------|----------|----------|----------|----------|
| 0 | 01001001 | 00010011 | 00011010 | 00010100 | 11101101 |
| 1 | 01100110 | 00000011 | 00111010 | 00000000 | 10101100 |
| 2 | 00101111 | 01000111 | 01100100 | 00010111 | 10111010 |
| 3 | 00111000 | 00100110 | 00110111 | 00000110 | 11110010 |
| 4 | 01111011 | 00000011 | 00111010 | 00000111 | 10110110 |

$A[0,2] = 00101111$

$q[0,2] = 3$

$3 \bmod 8 = 3$

$\text{rotl}(00101111, 3) = 01111001$

$A[0,1] = 01100110$

$q[0,1] = 36$

$36 \bmod 8 = 4$

$\text{rotl}(01100110, 4) = 01100110$

| | | | | |
|----------|----------|----------|----------|----------|
| 01001001 | 00100110 | 10000110 | 01000001 | 01101111 |
| 01100110 | 00110000 | 10001110 | 00000000 | 11001010 |
| 01111001 | 00011101 | 00100011 | 00101110 | 01011101 |
| 01110000 | 11000100 | 10011011 | 11000000 | 11110010 |
| 11101101 | 00001100 | 01000111 | 00000111 | 10101101 |

3. π Mapping

| $\varrho[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|----------------|----------|----------|----------|----------|----------|
| 0 | 01001001 | 00100110 | 10000110 | 01000001 | 01101111 |
| 1 | 01100110 | 00110000 | 10001110 | 00000000 | 11001010 |
| 2 | 01111001 | 00011101 | 00100011 | 00101110 | 01011101 |
| 3 | 01110000 | 11000100 | 10011011 | 11000000 | 11110010 |
| 4 | 11101101 | 00001100 | 01000111 | 00000111 | 10101101 |

| $\varrho[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|----------------|----------------|----------------|----------------|----------------|----------------|
| 0 | $\varrho[0,0]$ | $\varrho[1,0]$ | $\varrho[2,0]$ | $\varrho[3,0]$ | $\varrho[4,0]$ |
| 1 | $\varrho[0,1]$ | $\varrho[1,1]$ | $\varrho[2,1]$ | $\varrho[3,1]$ | $\varrho[4,1]$ |
| 2 | $\varrho[0,2]$ | $\varrho[1,2]$ | $\varrho[2,2]$ | $\varrho[3,2]$ | $\varrho[4,2]$ |
| 3 | $\varrho[0,3]$ | $\varrho[1,3]$ | $\varrho[2,3]$ | $\varrho[3,3]$ | $\varrho[4,3]$ |
| 4 | $\varrho[0,4]$ | $\varrho[1,4]$ | $\varrho[2,4]$ | $\varrho[3,4]$ | $\varrho[4,4]$ |

$$\pi(x, y) = \varrho[y][(2x + 3y) \bmod 5]$$

$$\pi(0, 0) = \varrho[0][(2*0 + 3*0) \bmod 5]$$

$$\pi(0, 0) = \varrho(0,0)$$

$$\pi(1, 0) = \varrho[0][(2*1 + 3*0) \bmod 5]$$

$$\pi(1, 0) = \varrho(0,2)$$

| $\pi[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|------------|----------|----------|----------|----------|----------|
| 0 | $q[0,0]$ | $q[0,2]$ | $q[0,4]$ | $q[0,1]$ | $q[0,3]$ |
| 1 | $q[1,3]$ | $q[1,0]$ | $q[1,2]$ | $q[1,4]$ | $q[1,1]$ |
| 2 | $q[2,1]$ | $q[2,3]$ | $q[2,0]$ | $q[2,2]$ | $q[2,4]$ |
| 3 | $q[3,4]$ | $q[3,1]$ | $q[3,3]$ | $q[3,0]$ | $q[3,2]$ |
| 4 | $q[4,2]$ | $q[4,4]$ | $q[4,1]$ | $q[4,3]$ | $q[4,0]$ |

| $\pi[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|------------|----------|----------|----------|----------|----------|
| 0 | 01001001 | 00110000 | 00100011 | 11000000 | 10101101 |
| 1 | 01000001 | 11001010 | 01111001 | 11000100 | 01000111 |
| 2 | 00100110 | 10001110 | 00101110 | 11110010 | 11101101 |
| 3 | 01101111 | 01100110 | 00011101 | 10011011 | 00000111 |
| 4 | 10000110 | 00000000 | 01011101 | 01110000 | 00001100 |

4. χ mapping

$$A[x,y] = B[x,y] \oplus ((\bar{B}[x+1,y]) \wedge B[x+2,y]) \quad , \quad x,y = 0,1,2,3,4$$

$\chi(0,0) = A[0][0] \oplus (\neg A[1][0] \wedge A[2][0])$
 $01001001 \oplus (\neg 00110000 \wedge 10000110)$
 $01001001 \oplus (11001111 \wedge 10000110)$
 $01001001 \oplus 10000110$
 $\chi(0,0) = 01001010$

$\chi(1,0) = A[1][0] \oplus (\neg A[2][0] \wedge A[3][0])$
 $00110000 \oplus (\neg 10000110 \wedge 11000000)$
 $00110000 \oplus (01111001 \wedge 11000000)$
 $00110000 \oplus 01000000$
 $\chi(1,0) = 11110000$

| $\chi[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|-------------|----------|----------|----------|----------|----------|
| 0 | 01001010 | 11110000 | 00001110 | 10000000 | 10011101 |
| 1 | 01110000 | 01001110 | 01111010 | 11000100 | 11001101 |
| 2 | 00000110 | 01011110 | 00100011 | 11110000 | 01100101 |
| 3 | 01110110 | 11100100 | 00011001 | 11110011 | 00000111 |
| 4 | 11011011 | 00100000 | 01010001 | 11110010 | 00001100 |

5. ι mapping

| $\iota[x,y]$ | 0 | 1 | 2 | 3 | 4 |
|--------------|----------|----------|----------|----------|----------|
| 0 | 01001011 | 11110000 | 00001110 | 10000000 | 10011101 |
| 1 | 01110000 | 01001110 | 01111010 | 11000100 | 11001101 |
| 2 | 00000110 | 01011110 | 00100011 | 11110000 | 01100101 |
| 3 | 01110110 | 11100100 | 00011001 | 11110011 | 00000111 |
| 4 | 11011011 | 00100000 | 01010001 | 11110010 | 00001100 |

Q2:

4010423/K7MDENG+bPxRfiCYEXAMPLEKEY

(1) Compute $kDate = \text{HMAC}(\text{"AWS4"} + kSecret, \text{Date})$, where $\text{Date} = 20250415$;
 $= \text{b6d4cdb2c0b2e13044c80664fea693b4fed4fbbd3d8f59be65347741e244fbf9}$

(2) Compute $kRegion = \text{HMAC}(kDate, \text{Region})$, where $\text{Region} = \text{us-east-1}$;
 $= \text{c1c02d715dba549f705efaa5f4da069ba6e974084e5ed70c0853e8dfd9a438dd}$

(3) Compute $kService = \text{HMAC}(kRegion, \text{Service})$, where $\text{Service} = \text{iam}$;
 $= \text{453ba3f807bea11837fa6aa570325f454d5088356876f07862cbddb1a836d1e}$

(4) Compute $kSigning = \text{HMAC}(kService, \text{"aws4_request"})$;
 $= \text{53798ddbbcea393d0f3aefcf1213f3d7c88384a565499508c294cc1dd905e6c}$

(5) Compute the signature = $\text{HexEncode}(\text{HMAC}(kSigning, \text{string to sign}))$
 $\text{HexEncode}(\text{952e077a9eb0811daefe6892a7c2a41c26a31c0773aaf4386a3130eb2b88917b})$

3935326530373761396562303831316461656665363839326137633261343163323661333
1633037373361616634333836613331333065623262383839313762

Q3:

Keys and timestamp:

KC = 4feb87a2b9f75bcd41d6828fd2a30e9 KS = 669c45b1684463c09e3acc8ff30fc63e nC
= 39ffe3021bcad0da66bc4efc46ef0360 timestamp = 12/05/2025, 20:54:19

Ticket:

0bb0e591f781c6a0ab9e4c54194e8c88737c35676188db42ebc95ca1157ceb47392cbe6c103
53a9217d0ff699c0237e7

Authenticator:

af03bd58ac4d14fb3045db3fb7784493e70255049a765d68df28a09023efe36fcc9d39eb47aef
86dc6272e9460048325b88fa4537480059e453f61e393c9d2e7

Authenticator Decrypted:

39ffe3021bcad0da66bc4efc46ef036012/05/2025, 20:54:19

Q4:

generate random number

Random number a:

1040059817756673402666754794409345513425972868745

Random number b:

1284360465632072989599693186144990967421176239637

Sha1 Encryption

bf7d28cef3fa72713e0f9393811259ca042adf30

$y = g^*(\text{mod } p)$ output

1633059087313385488847602398570465830163027295560838825208009778033473125
0519202220590975151050725377922854233984187939246704594474082563212255176
0915417969851537581048769102105487491767608960390238936581929673402743856
9995195759571429522780399029116472228653241758975276157407542010613796142
61117199026503062

g^A (VPC public):

1689933096823421555723015901206854882164783465217727159546561772366392300
6385307435935089020764131776015872403095032211707290499292253396566183222
9874115453783064905654448838176428058468794659768554255122619371661350601
6711637059159425168461024414309656423235606907808666179175046539772157306
89071869935637374

g^B (Data Centre public):

1922441164864400450590964729889440897828385885056734340424359549598580025
70776322429427749683498726569103380370497880035539852257085411193204887967
1867495809656139021800363075231805602297587014300880639391446721507461053
5820257370733705677650872864392425449905260042739601125777749495696363512
920341025749197

Shared Secret A:

7057918281325909701577721064229116853498415218010320047538055463760378174
0938686478974104577342577217289495662579296625178493533300360725411848431
8753792438344556667466372000720374843413215039900370528404915188674848429
5430702228802219021598184160440847522756541609157635702607885733613536692
1074887839134135

Shared Secret B:

7057918281325909701577721064229116853498415218010320047538055463760378174
0938686478974104577342577217289495662579296625178493533300360725411848431
8753792438344556667466372000720374843413215039900370528404915188674848429
5430702228802219021598184160440847522756541609157635702607885733613536692
1074887839134135

Q5:

1)

e= s4010423 = 3D31B7

Ephemeral key =

B3D72C1F8EAD6B4AB9A39D531CE1EF2175A7623D0924BAF95358B028369D4ACF
5ED9D2C0A88D7E94E6CE41BE349B4D67E2C108D1AEAA3935371B7A3CF4C2A23C
1195D184B1B8FA32BFA2A75888EECFBD2D11E91A0C6ED79A1E6B8B730BCDA3FD
43C9A93BA2BB6974B81FC438C19D3AD4F6BB7DF31D4C8BA3F9913EF49C867B51

2)

Ephemeral key + e =

B3D72C1F8EAD6B4AB9A39D531CE1EF2175A7623D0924BAF95358B028369D4ACF5ED
9D2C0A88D7E94E6CE41BE349B4D67E2C108D1AEAA3935371B7A3CF4C2A23C1195D1
84B1B8FA32BFA2A75888EECFBD2D11E91A0C6ED79A1E6B8B730BCDA3FD43C9A93B
A2BB6974B81FC438C19D3AD4F6BB7DF31D4C8BA3F9913EF49C867B513D31B7

After hashed

Cfa64e36a57718a7ffa84c9227ec60f506286b94aaf455ace9fcbea0bf87029c

$a^b \bmod m =$

96aa0ab0f5eaf060e61f925bc8e713fa166b0ec9eff9c66d697079a68dca59b04ac16bfe760de
5451cf5bc7ba6312d63e1c8b018bc8329000ed45919989ae18a454f58418a3814b456c2aa68
172482bb7ed21e8e4fd41bd479f791e099109a9a1aa9eb4fb1f4068739dd756f740fe0862adef
fb6dd0fdff0706d7c209d0ab21cd55857ad1b3e67874b79179e2d92a75b6d7d2ec7979c2b229
de37273f70aacf3d6c45f80eabeda6b9d35387e6ef097d6b6b5ba273cf6f880bcc917a4b51e0a
275a4b69af2d5d6016abef5acdf12dbf77f957983bb76325c2fbb36a2df482121a1387345dfb68
28aa9615a4f287f6580f7815c494a070d417367104dd2d8e2dd6

3)Pre_master_secret= s4010423@student.rmit.edu.au =

5b6295b95611541897ef2591f488f94b083a892d9e75cf533e23636533e2c334b93ab469e8e3
c7b7f6586a9d27777959

Converted to decimal

1406545375955935357313680527750466447880708307956708036332991519758525758
0833924864938604378913021678854215105476953

Free and fast online Modular Exponentiation (ModPow) calculator. Just type in the base number, exponent and modulo, and click Calculate. This [Modular Exponentiation](#) calculator can handle big numbers, with any number of digits, as long as they are positive integers.

For a more comprehensive mathematical tool, see the [Big Number Calculator](#).

Calculate $a^b \bmod m$

Number (a)

7504664478807083079567080363
3299151975852575808339248649
3860437891302167885421510547
6053

☐ Use hexadecimal numbers

Exponent (b)

65537

Modulo (m)

2715381915028252110041696926
5020354495704323552394680394
9158074029099492628585443073

Calculate

Result

16646912904973800653869108633669548870197822014253601762359435685048034931664305141368479477051460
98002565524228277092645328159004228531710964392583181335682497369325131148760820909953551567535576
217983496868855032956088750264495519281226222768209028830772545492799504327031584416226701078976

1664691290497380065386910863366954887019782201425360176235943568504803493
1664305141368479477051460980025655242282770926453281590042285317109643925
831813356824973693251311487608209099535515675355762179834968688550329560
8875026449551928122622227682090288307725454927995043270315844162267010789
7615429458178938752032740157623977582403387583505970280944831050736762977
07672911999321856582477782016621519243110551503507681835277263499099965805
2157235848810352698994256337205238404006009756716818033388905958601016209
6770873038412640576153817043603601788745813670376883388054140605740492740
39025368428949645712489564678936

4) In the SSL handshake protocol, the authentication is achieved through using a digital certificate. When a user connects, it verifies the certificate and confirms the server's identity

5) Forward security ensures that if a private key of a server is breached and compromised, past communication will still be safe. This is possible through the usage of ephemeral key exchange