

## CHAPTER - 4

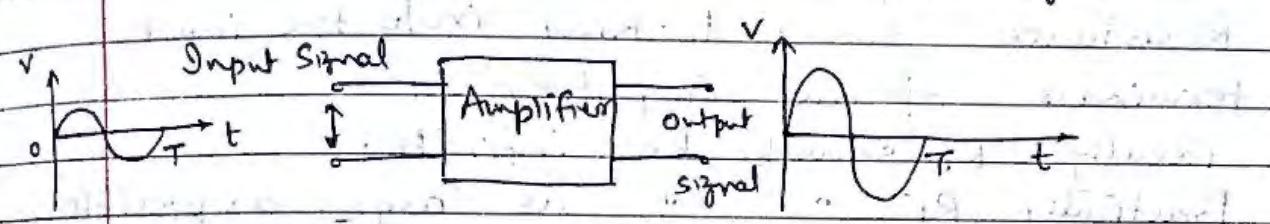
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### AC Analysis of BJT Circuits & Small Signal Amplifier

#### Amplification:

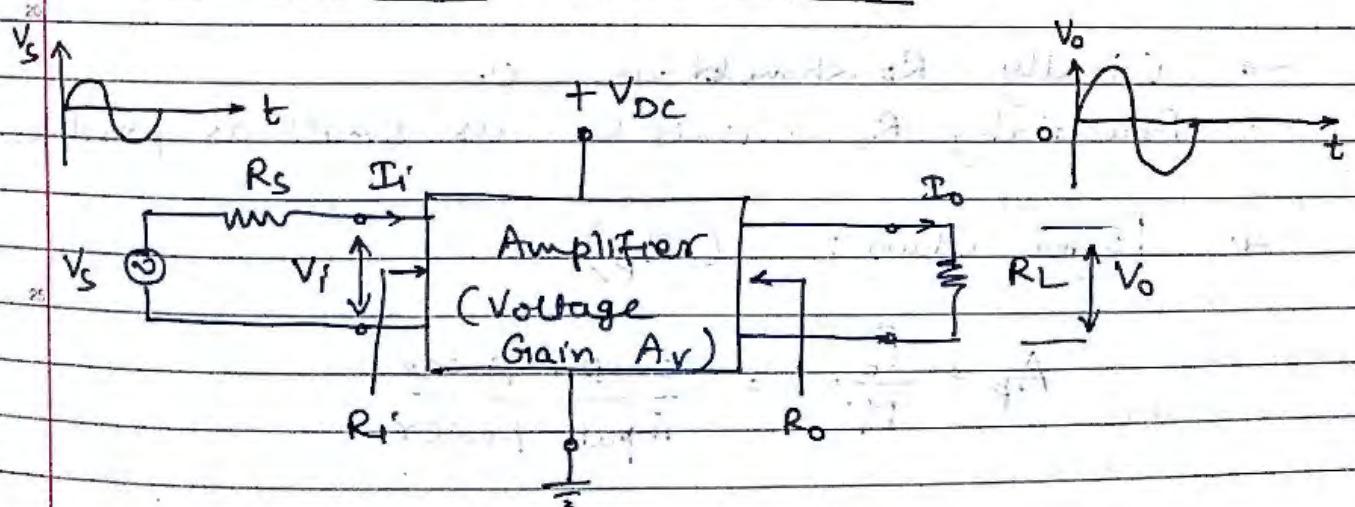
It is a process of adding strength to signal or magnifying the input signal without changing its shape.

Amplifier: It is a electronic circuit which amplifies small input signal.



Load: Output load can be loud speaker in an audio amplifier.

#### Block Diagram of an Amplifier:



#### Amplifier Characteristic Parameters:

1. Voltage Gain  $A_v$  & Current Gain  $A_I$

→ Gain of an amplifier is ratio of output quantity to the input quantity.

Voltage Gain  $A_V = \frac{V_o}{V_i}$

Current Gain  $A_I = \frac{I_o}{I_i}$

## 2. Input Resistance: ( $R_i$ )

- Resistance seen looking into the input terminals of an Amplifier.
- Ideally  $R_i$  should be infinite.  
Practically  $R_i$  " as large as possible.

## 3. Output Resistance: ( $R_o$ )

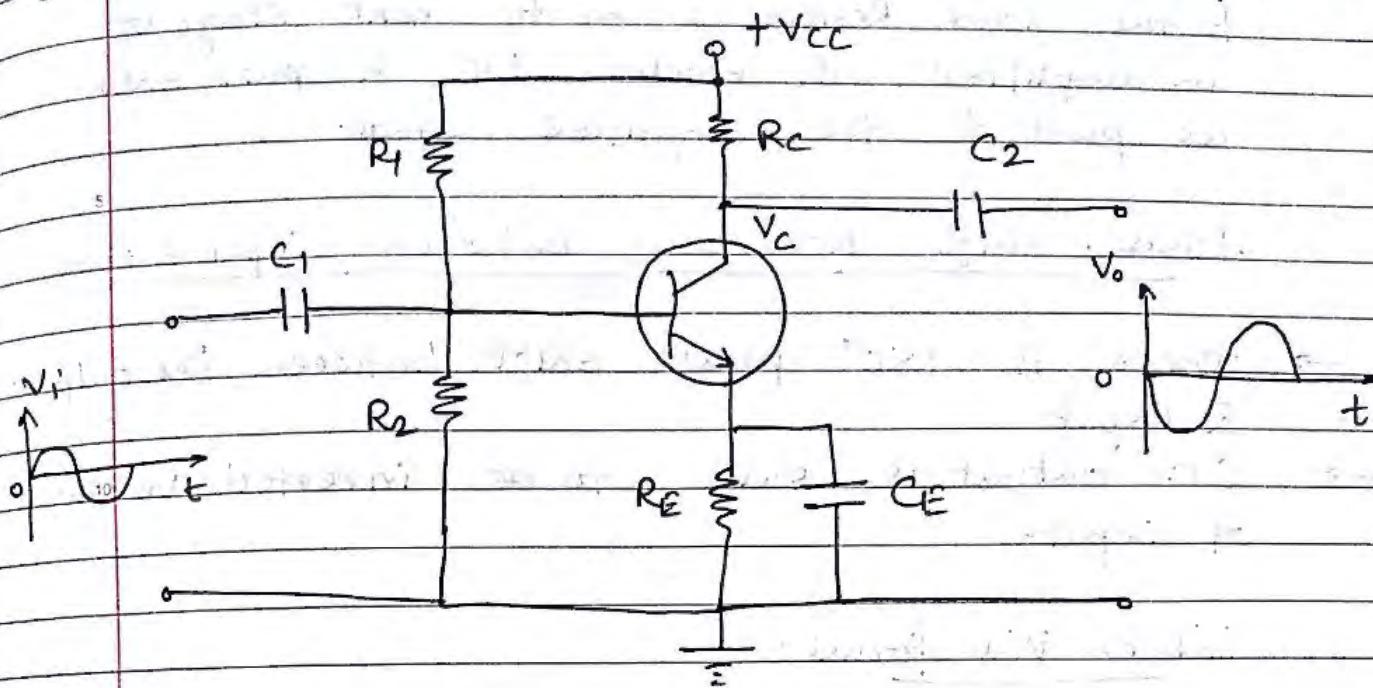
- Resistance Seen looking into output terminals of an amplifier when  $V_i = 0$ .
- Ideally  $R_o$  should be 0.  
Practically  $R_o$  should be as small as possible.

## 4. Power Gain: ( $A_p$ )

$$A_p = \frac{P_o}{P_i} = \frac{\text{output power}}{\text{input power}}$$

Explain

Q. Amplification Process in VDB C.E. Amplifier.



- 15  $C_1$  &  $C_2$  are coupling capacitors.
- $C_E$  is bypass capacitor.
- $R_1$  &  $R_2$  are used for biasing.
- $R_C$  is collector resistor used for controlling collector current.
- Input coupling capacitor  $C_1$  is used for coupling the AC input voltage  $V_i$  to the base of transistor. It blocks DC & allows AC signal to pass through.
- 25 Bypass capacitor  $C_E$  offers low reactance to the amplified AC signal. So  $R_E$  gets bypassed through  $C_E$  for only AC signals. This will increase voltage gain of an amplifier.
- $C_E$  acts as open circuit for DC. But as  $R_E$  is present in circuit for DC conditions, high Q-point stability is obtained.
- Presence of  $C_E$  doesn't alter DC biasing.

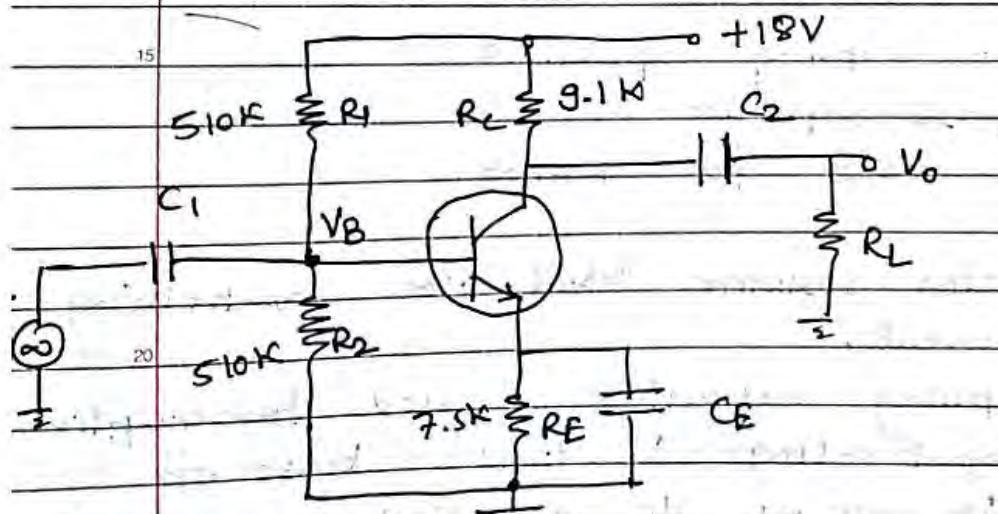
→ Capacitor  $C_2$  couples the amplifier output to the load resistance or to next stage of an amplifier. It blocks DC & pass only ac part of the amplified signal.

Phase shift Relation between input & output:

→ there is  $180^\circ$  phase shift between the output & input.

→ Or. output is said to be inverted version of input.

VDB Waveforms:



Approximate Analysis of an Amplifier:

$$V_B = \frac{R_2}{R_1 + R_2} \times 18 = 9V$$

$$V_E = V_B - V_{BE} = 9 - 0.7 = 8.3V$$

$$I_E = \frac{V_E}{R_E} = \frac{8.3}{7.5K\Omega} = 1.1mA$$

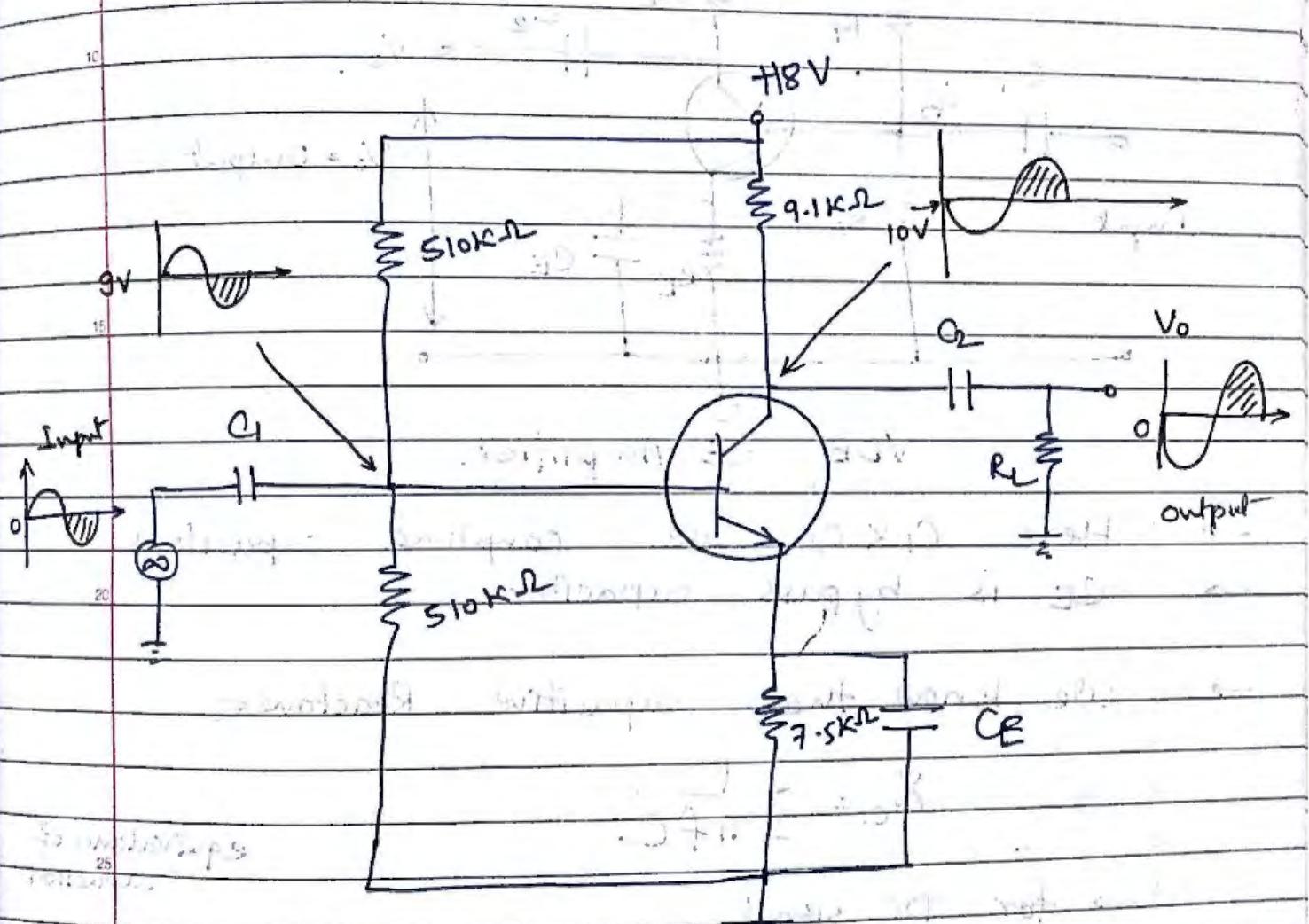
$$I_C \approx I_E = 1.1mA$$

$$V_C = 18 - I_C \cdot R_C$$

$$= 18 - [C_1 \cdot 10^{-3} \times (9.1 \times 10^3)]$$

$$= 18 - 10.01 = 7.99 \text{ V}$$

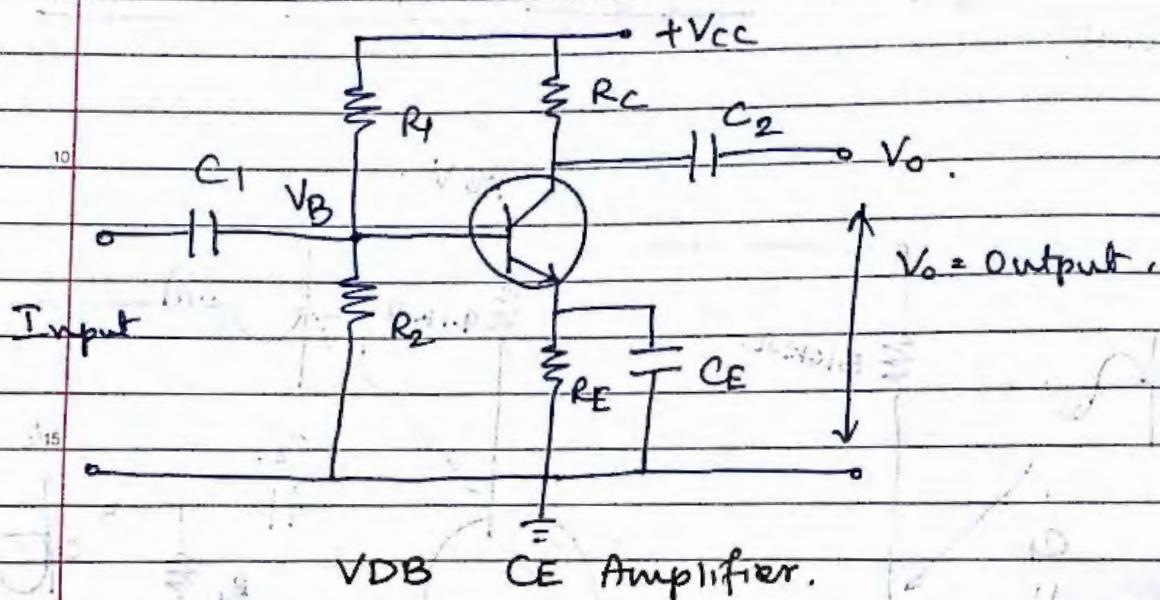
CE Amplifier Voltage waveform at various points



- Input applied to base & amplified output is obtained at the collector.
- Voltage Gain is high. Current Gain is high.
- i/p impedance is moderately high.
- o/p " " "
- 180° phase shift between input & output.

Q. Explain use of coupling & bypass capacitor in amplifier.

→ Here to understand coupling & bypass capacitor we consider voltage divider bias common emitter Amplifier.



→ Here  $C_1$  &  $C_2$  are coupling capacitors.

→  $C_E$  is bypass capacitor.

→ We know that capacitive Reactance

$$X_C = \frac{1}{2\pi f C}$$

equivalence  
capacitor

→ for DC signal

$$(f=0)$$

$$X_C = \infty$$

for DC

→ for AC signal

(with sufficient  
high f)

$$X_C \text{ is low.}$$

for AC.

### Coupling Capacitor $C_1$ :

It couples the signal to the base of transistor. It blocks DC component present in the signal & passes only AC signal for amplification.

- $C_1$  is required to maintain biasing ~~const~~ conditions.
- If input is connected directly,  $V_B$  is altered due to input signal's DC component & Biasing condition of circuit is being altered.

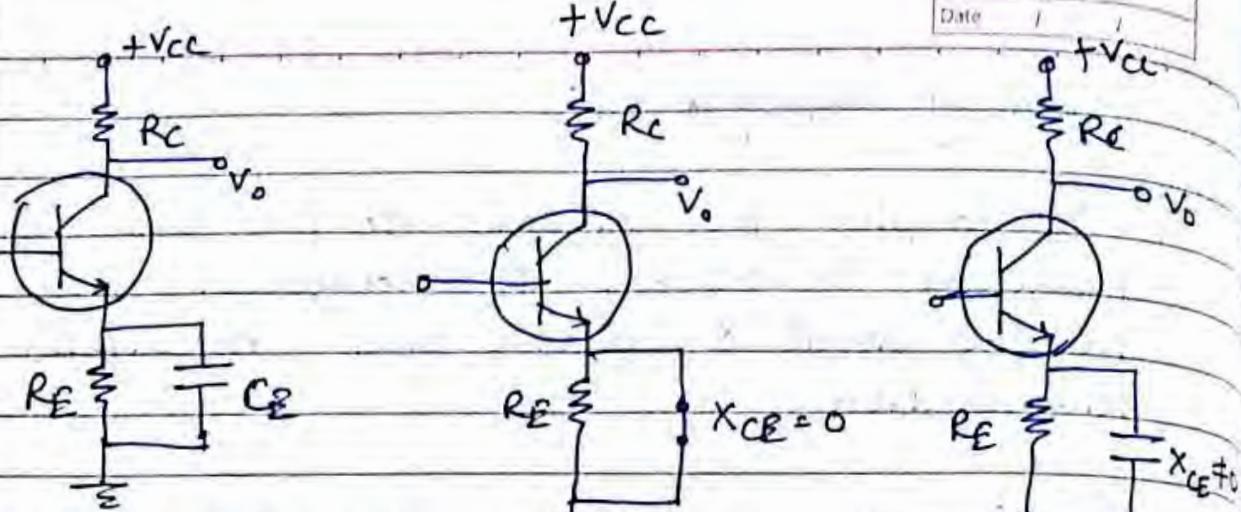
### Coupling capacitor $C_2$ :

It couples output of an amplifier to load or next stage of the amplifier. It also blocks DC & passes only AC signal.

### Bypass Capacitor $C_E$ :

$C_E$  is connected in parallel with  $R_E$  to provide low reactance path to amplified ac signal. If  $C_E$  is not present, the amplified ac signal passing through  $R_E$  will cause a voltage drop across it. This will reduce o/p voltage, which reduces gain of the amplifier.

- $C_E$  bypasses  $R_E$  for ac signal. (with medium & high freq. signal)



Bypass capacitor

$C_E$  acts as

short circuit  
at medium

& high freq.

At low freq.  
 $X_{CE}$  is comparable  
to  $R_E$

→ Bypass capacitor will work properly if its reactance is very small as compared to  $R_E$  at lowest operating freq.

→ Condition for Good bypass capacitor.

$$X_{CE} \ll 0.1 R_E \text{ at lowest freq.}$$

Q. Explain Amplification process

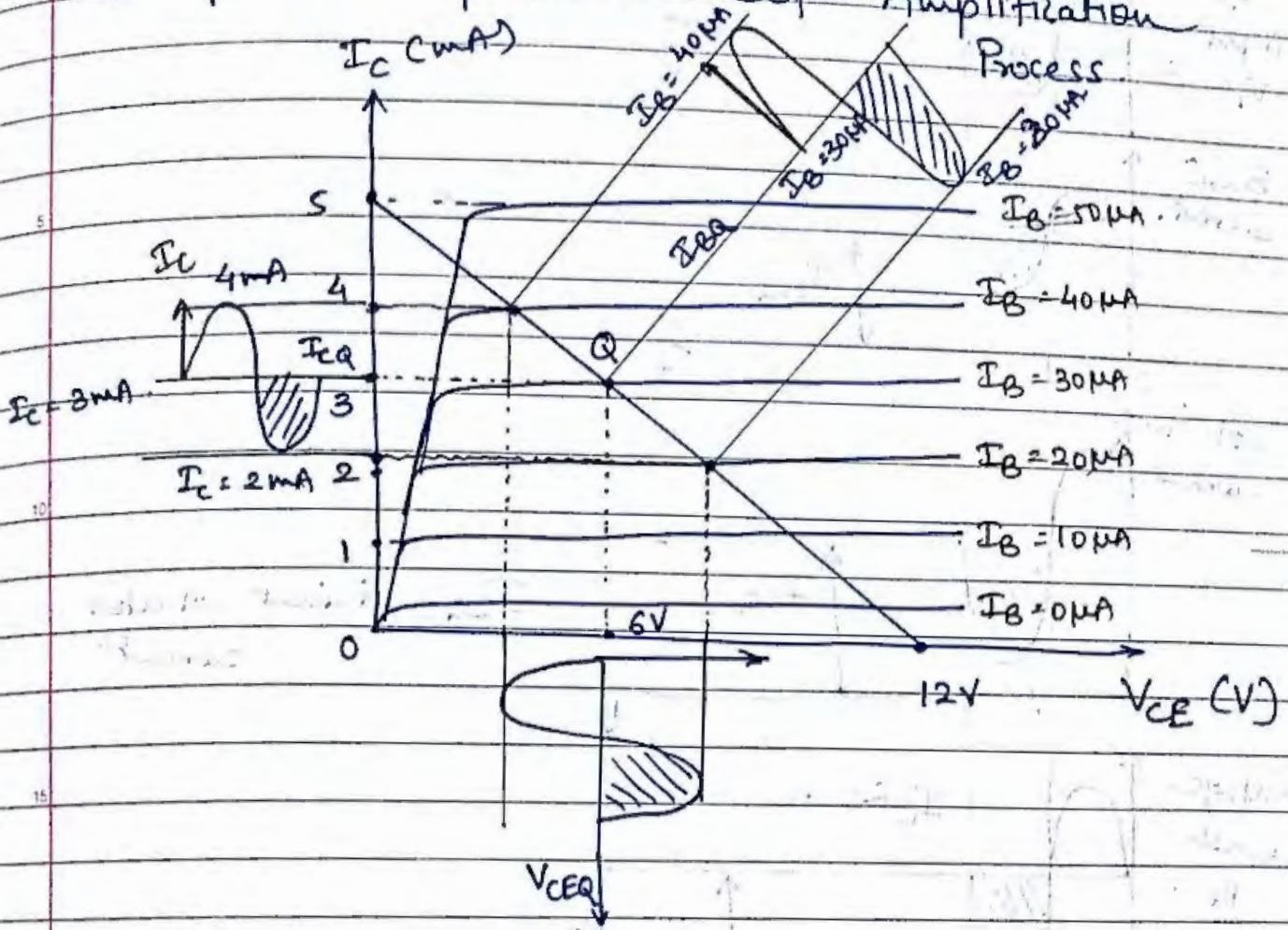
Voltage Divider Common Emitter Amplifier

→ To understand amplification process let us consider common Emitter amplifier with voltage Divider bias.

→ As input signal is applied to amplifier, alternating base current starts flowing. AC base current varies above & below Q-point value of base current ( $I_BQ$ )

→ Due to this variation in  $I_B$  proportional variations takes place in  $I_C$ , b'cos  $I_C = \beta I_B$

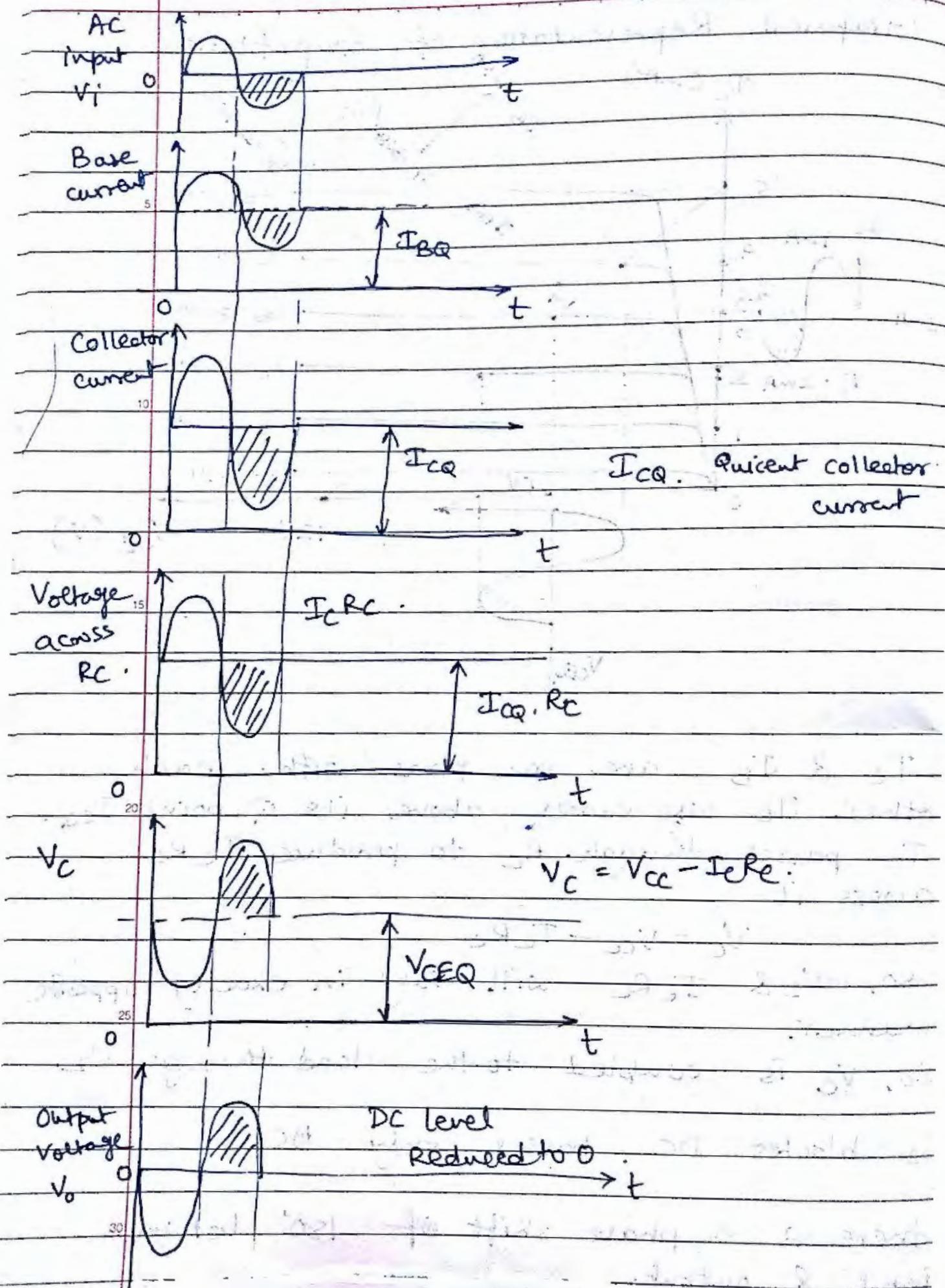
# Graphical Representation of Amplification Process



- $I_c$  &  $I_B$  are in phas with each other.  $I_c$  also varies above its Q-point  $I_{CQ}$ .
- $I_c$  passes through  $R_C$  to produce  $I_c R_C$  across it.

$$V_C = V_{CC} - I_c R_C$$

- so,  $V_C$  &  $I_c R_C$  will vary in exactly opposite manner.
- So,  $V_C$  is coupled to the load through  $C_2$ .
- $C_2$  blocks DC passed only AC.
- there is a phase shift of  $180^\circ$  between input & output.



## Amplification Process

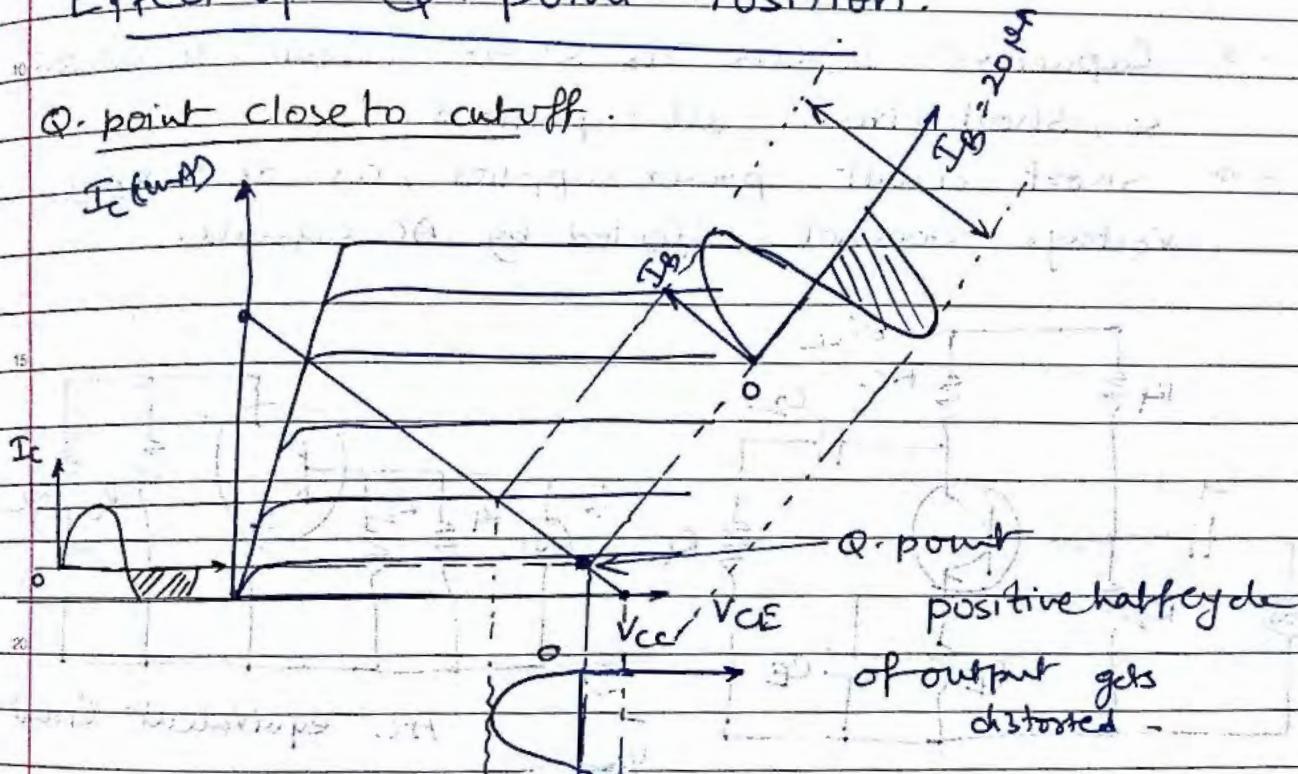
$$\Delta I_B = I_{B(\text{max})} - I_{B(\text{min})}$$

$$\Delta I_B = 40 \mu\text{A} - 20 \mu\text{A} = 20 \mu\text{A}$$

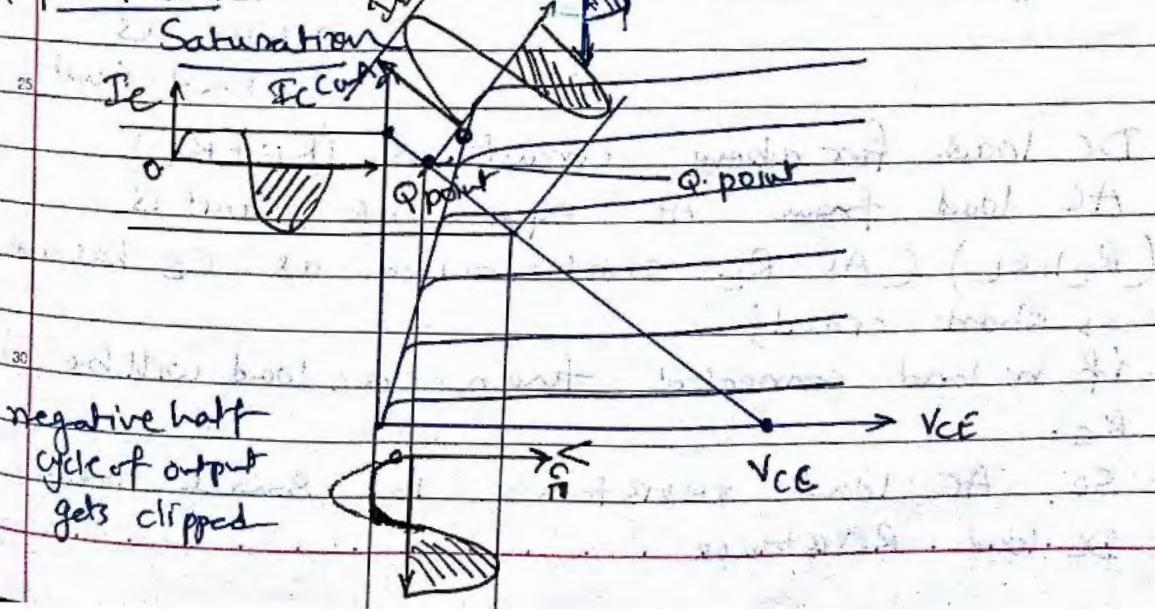
$$\Delta I_C = \beta \Delta I_B = 2 \text{mA}$$

## Effect of Q-point Position:

Q-point close to cutoff.



Q-point close to saturation



Q. What is AC Loadline?

Every amplifier has two equivalent Circuits:

1) DC equivalent Circuit

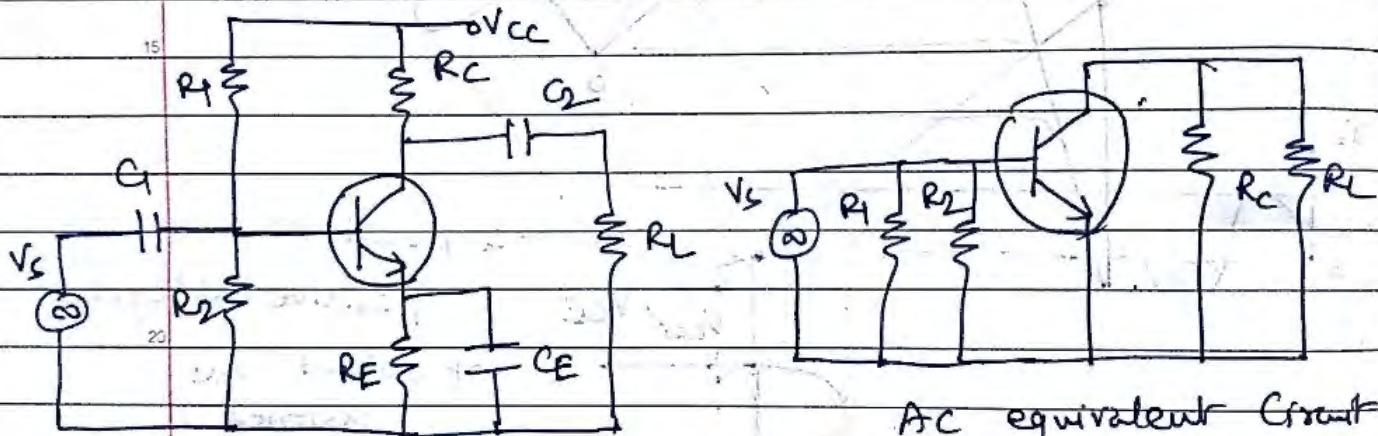
2) AC " "

→ So they have two load lines.

AC equivalent Circuit:

→ Capacitor behave as short circuit to ac signals so, short circuit all capacitors.

→ Short circuit power supply, as dc supply voltage does not affected by AC signals.



VDB Circuit

AC equivalent Circuit

Capacitors & power supply  
behave as  
(as short-circuit)

→ DC load for above circuit is  $(R_E + R_C)$

→ AC load from AC equivalent circuit is

$(R_C || R_L)$  (As  $R_E$  short circuited as  $C_E$  behave as short circuit)

→ if no load connected then ac load will be  $R_C$ .

→ So, AC load resistance is small than DC load resistance.

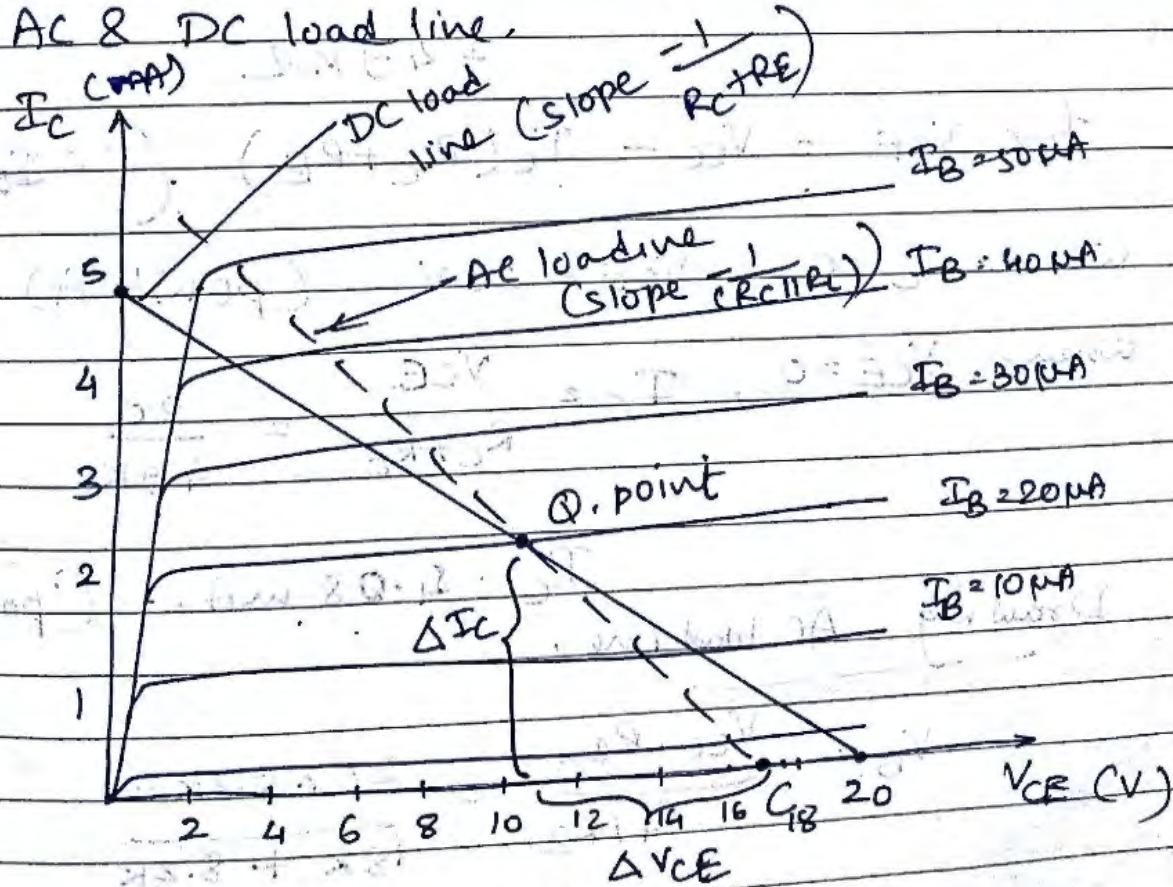
slope of DC load line  $\frac{-1}{R_C + R_E}$

slope of AC load line  $\frac{-1}{(R_C || R_L)}$

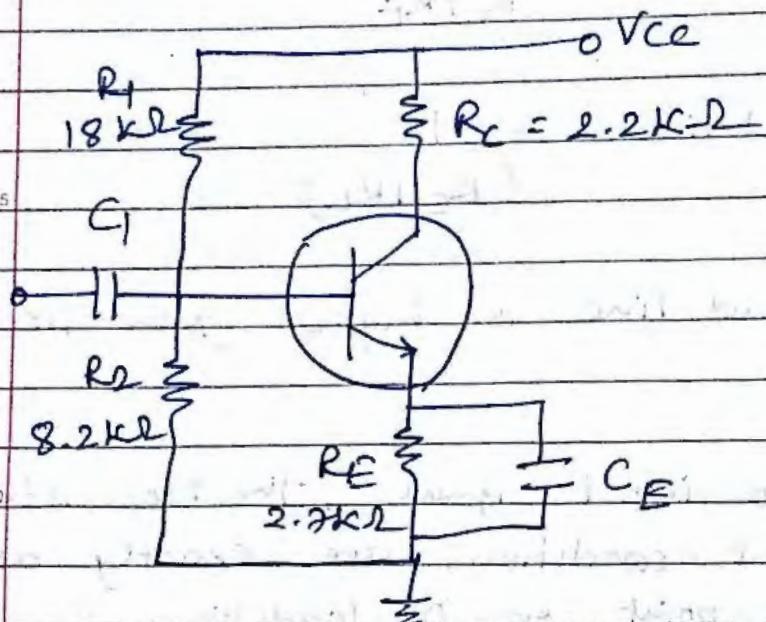
→ slope of AC load line is higher than DC load line.

→ when there is no input signal, the transistor voltage & current conditions are exactly as indicated by Q-point on DC load line.

→ An ac signal causes transistor current & voltage levels to vary above & below Q-point. Therefore, Q-point is common to both AC & DC load line.



Q. Draw AC & DC load line for following circuit.



→ Drawing of DC load line

$$R_{L(DC)} = R_c + R_E = 2.2k\Omega + 2.2k\Omega \\ = 4.4k\Omega$$

$$\text{for } V_{CE} = V_{cc} - I_C(R_c + R_E) \quad (\because I_E \approx I_C)$$

$$\text{When } I_C = 20, \quad V_{CE} = 20V \quad (\text{point A})$$

$$\text{when } V_{CE} = 0, \quad I_C = \frac{V_{CE}}{R_c + R_E} = \frac{20}{4.4k}$$

$$I_C = 4.545 \text{ mA.} \quad (\text{point B})$$

→ Drawing AC load line,

$$V_B = \frac{V_{cc} \cdot R_2}{R_1 + R_2} = \frac{20 \times 8.2k\Omega}{18k + 8.2k} \\ = 6.3V$$

$$V_E = V_B - V_{BE} = 6.3V - 0.7V$$

$$V_E = 5.6V$$

$$I_C \approx I_E = \frac{V_E}{R_E} = \frac{5.6V}{2.2k\Omega}$$

$$I_C = 2.07mA$$

mark Q. point on DC loadline at  $I_C = 2.07mA$

→ Drawing AC loadline

$$\text{AC load } R_{LCAC} = R_C = 2.2k\Omega$$

$$\Delta I_C = 2.07mA$$

$$\text{Corresponding } \Delta V_{CE} = \Delta I_C \cdot R_C$$

$$= 4.55V$$

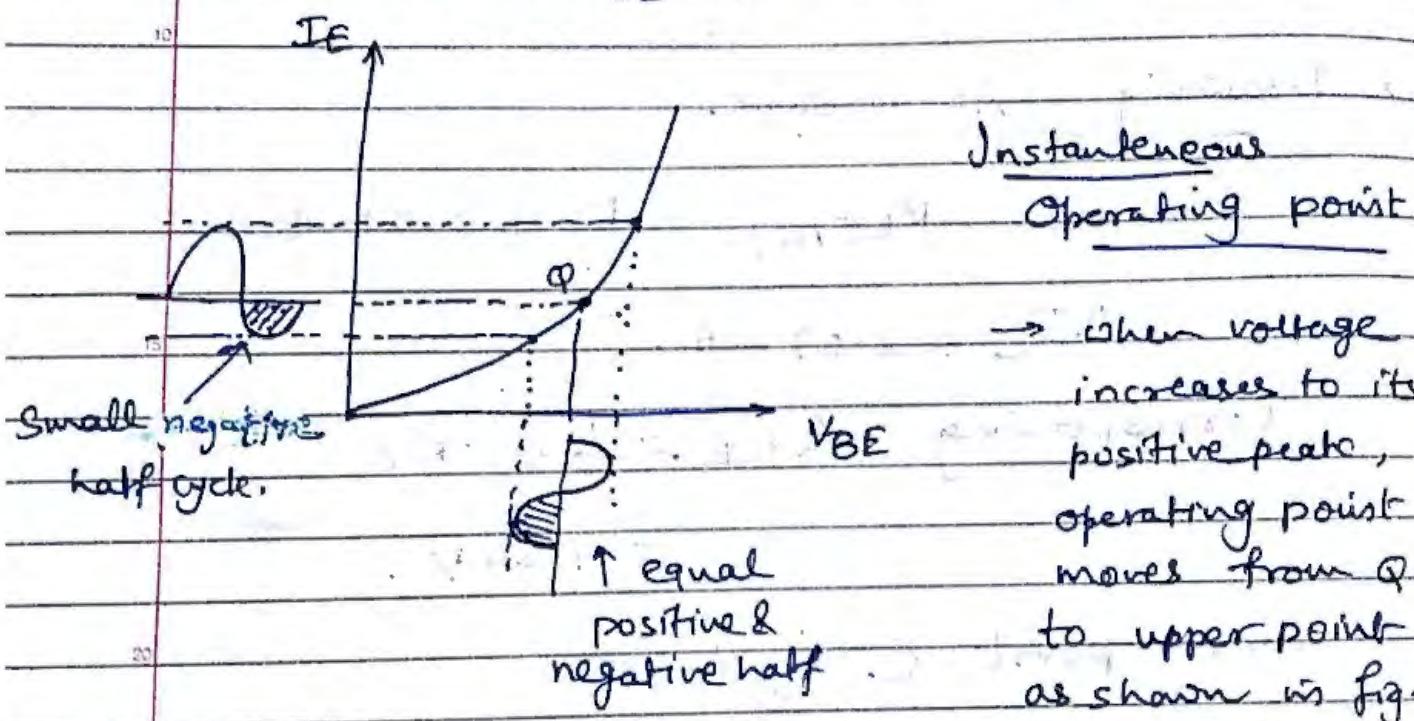
mark point C by  $\Delta V_{CE}$

→ Draw AC loadline through point C & Q.  
Q. Give Difference between DC loadline & AC loadline.

Sr.No	Parameters	DC loadline	AC loadline
1.	Slope	$-\frac{1}{R_C}$	$-\frac{1}{(R_C + R_L)}$
2.	To be used when	Biassing a transistor	Transistor is used as an Amplifier
3.	Slope	Less than AC load line	Higher than DC loadline
4.	equivalent ckt. of the Amplifier	Use DC equivalent circuit	Use AC equivalent circuit

Q. Explain Small signal operation & the 10 percent Rule

- Following figure shows graph of current versus voltage for Base-emitter diode.
- When AC voltage applied to base of transistor, an AC voltage appears across base-emitter diode, this produces sinusoidal variation in  $V_{BE}$ .



→ When voltage increases to its positive peak, operating point moves from  $Q$  to upper point as shown in fig.

- When sine wave decreases to negative peak, operating point moves away from  $Q$ -point.
- Size of AC voltage signal decides how far instantaneous  $Q$ -point moves away from  $Q$ -point.
- Large AC base voltages produce large variations whereas small AC base voltages produce small variations.

## Distortion

- AC voltage on base produces AC emitter current. Both emitter current & base voltage has same freq.
- AC emitter current is not a perfect replica of the ac base voltage because of the curvature of the graph.
- Since graph is curved upward positive half cycle of emitter current is stretched & negative half cycle is compressed.
- Stretching & compressing of half-cycles is called distortion.

## Reducing distortion:

- One way to reduce distortion is keep base voltage small. Small base voltage, small peak & it reduces much movement of instantaneous operating point.
- Small swing, means less curvature in graph.

## 10 percent Rule:

- Emitter current consists of a dc component & an ac component

$$I_E = I_{EQ} + i_e$$

$\uparrow$                      $\uparrow$  Ac emitter  
 DC emitter current      current

- To minimize distortion, peak-to-peak ac emitter current is less than 10% of the dc emitter current.

$$i_{ecpp} < 0.1 I_{EQ}$$

AC Resistance of Emitter diode:

→ for Base emitter diode

$$\rightarrow I_E = I_{EQ} + i'_e$$

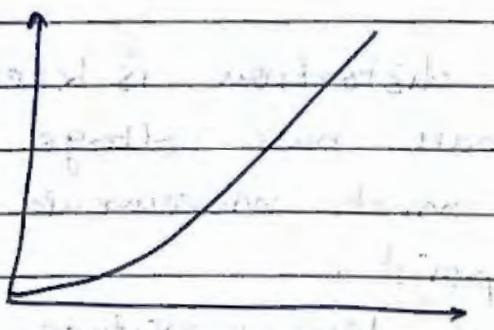
$$\rightarrow V_{BE} = V_{BEQ} + v_{be}$$

↑                   ↑  
DC part      AC part

→ AC emitter resistance is  $r'_e$  defined as follows:

$$r'_e = \frac{v_{be}}{i'_e}$$

$I_E$



$V_{BE}$

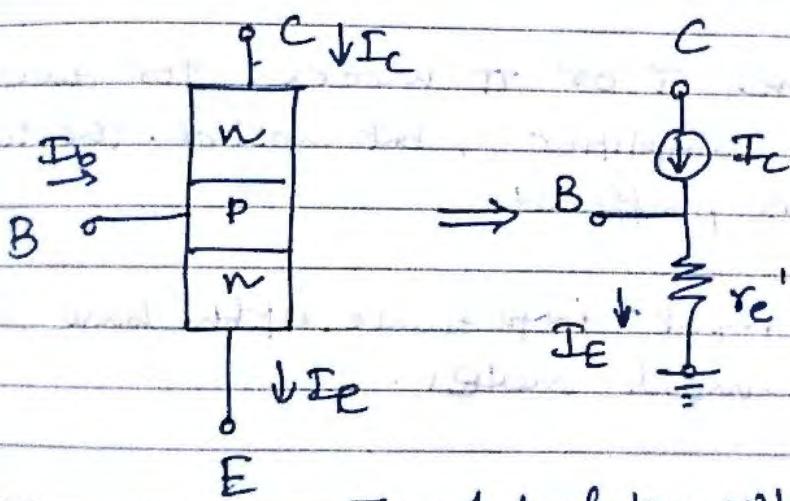
Q. Draw & explain two models of transistor.

→ AC Analysis of an amplifier can be carried out by ac equivalent circuit. We need model of transistor in order to simulate behaviour of BJT. (Under AC operating conditions.)

→ Two models that we will discuss are

- 1) The T model
- 2) The  $\pi$  model.

1) The T-model.

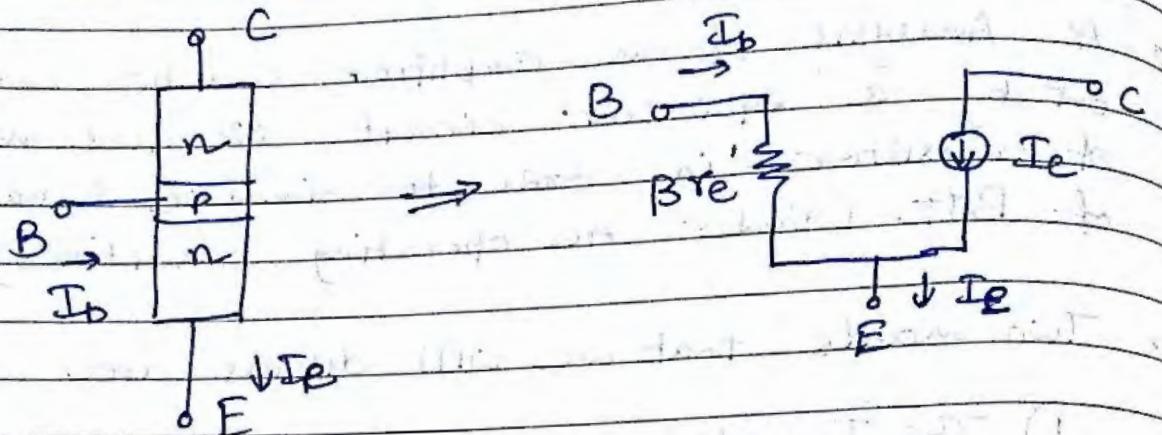


T model of transistor

→ T model is one of the oldest ac model i.e. Ebers-moll model, as it looks like "T". It is called T model.

→ For small AC signals applied at the input, emitter diode of the transistor is equivalent to resistance  $r_e$ , & collector diode is equivalent to current source  $I_c$ .

### The $\pi$ model:



- for a  $\pi$  model, the input impedance i.e. impedance measured at base terminal is equal to  $B * r_e$ .
- We can use T or  $\pi$  model for analysis of transistor amplifier, but most of the time  $\pi$  model is preferred.
- Defining input impedance of the base in Eber's-mall model.

$\rightarrow$ 
 $Z_{in} = \frac{V_{be}}{I_b}$ 
 $V_{be} = 'v_{be}'$ 
 $Z_{inbase} = \frac{V_{be}}{I_b}$ 
 $= B * r_e'$

So, input impedance in  $\pi$  model is  $R_{BE}$

Analysing an amplifier:

### → Amplifier Analysis

1) DC Analysis: All capacitors open circuited  
& then we calculate dc voltages & currents

2) AC Analysis: Draw AC equivalent circuit.

→ for ac equivalent circuit All capacitors are replaced by short circuit

→ Replace all dc power supplies by short circuit

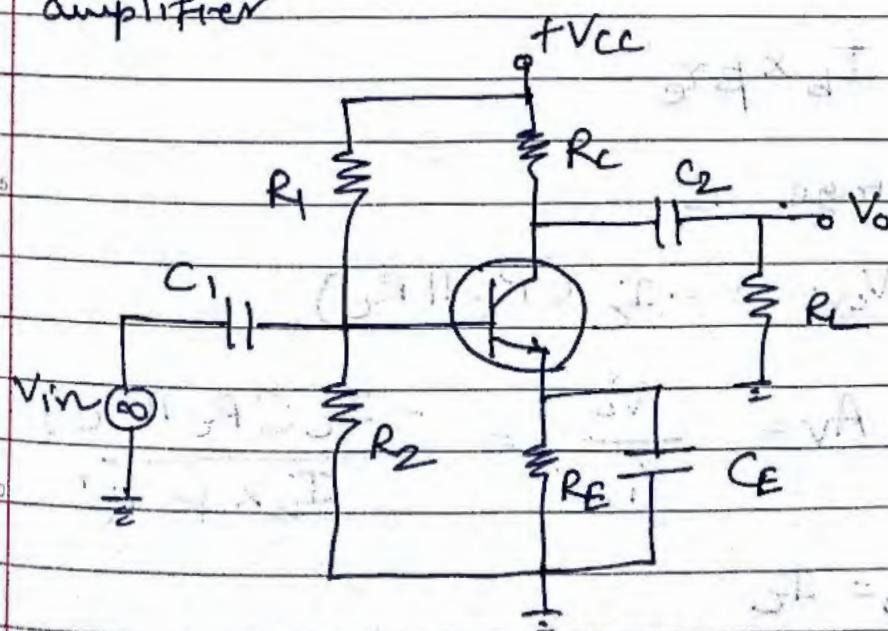
→ Replace transistor by  $\pi$  or  $\tau$  model

Q. Draw and explain AC Analysis of common emitter amplifier.

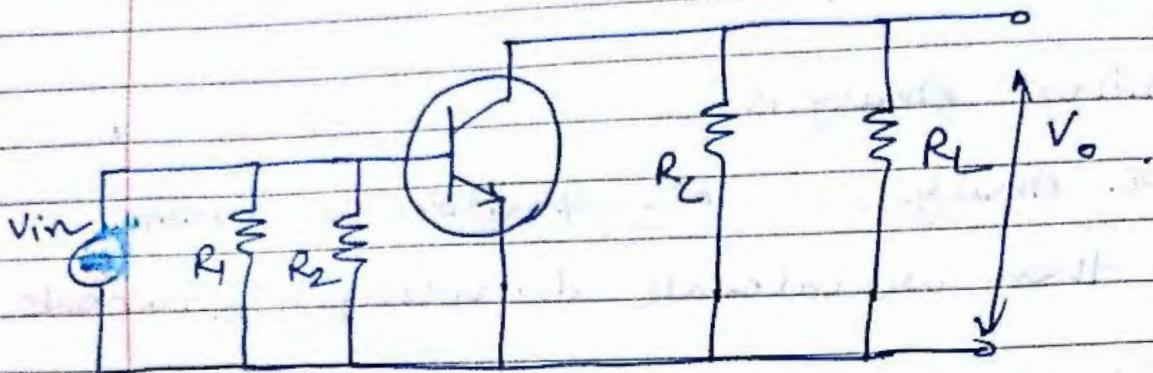
OR

Explain small signal Analysis of CE amplifier

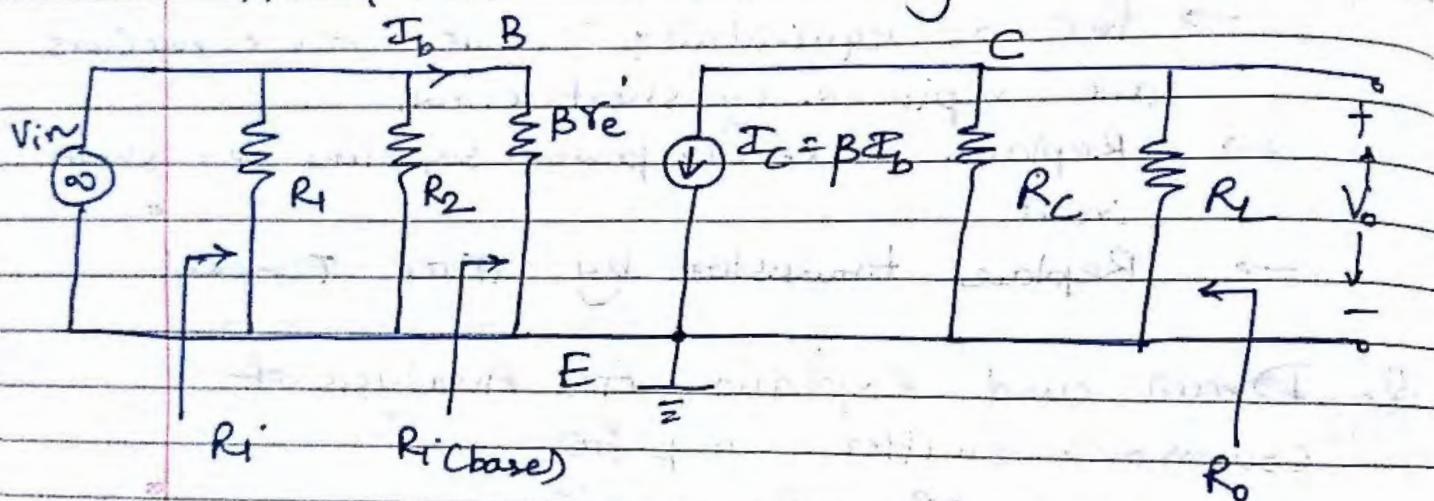
A,



AC equivalent Circuit of Voltage Divider CE Amplifier.



AC equivalent circuit using  $\pi$  model.



1. Voltage Gain

$$V_{in} = I_b \times \beta r_e'$$

→ Output voltage is

$$V_{out} = -I_c (R_C \parallel R_L)$$

$$A_V = \frac{V_o}{V_{in}} = -\frac{I_c (R_C \parallel R_L)}{I_b \times \beta r_e'}$$

$$\text{But } \beta I_b = I_c$$

$$A_V = \frac{-(R_C || R_L)}{r_e'}$$

AC collector Resistance: Total ac load resistance seen by collector is parallel combination of  $R_C$  &  $R_L$

$$r_c = R_C || R_L$$

$$\text{so, } A_V = \frac{-r_c}{r_e'}$$

(negative sign indicate output voltage is  $180^\circ$  out of phase with input)

### 2. Input Resistance:

Resistance measured between the input terminals of an amplifier.

→  $r_i$  is resistance measured between base & ground terminals.

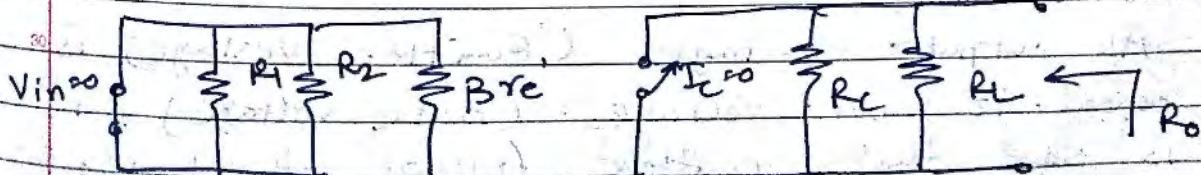
$$r_i(\text{base}) = \beta r_e'$$

→ Input resistance of entire amplifier is given by

$$r_i = R_1 || R_2 || \beta r_e'$$

### 3. Output Resistance:

→ Output resistance is measured between output terminals when input voltage is short circuited ( $V_{in} = 0V$ )



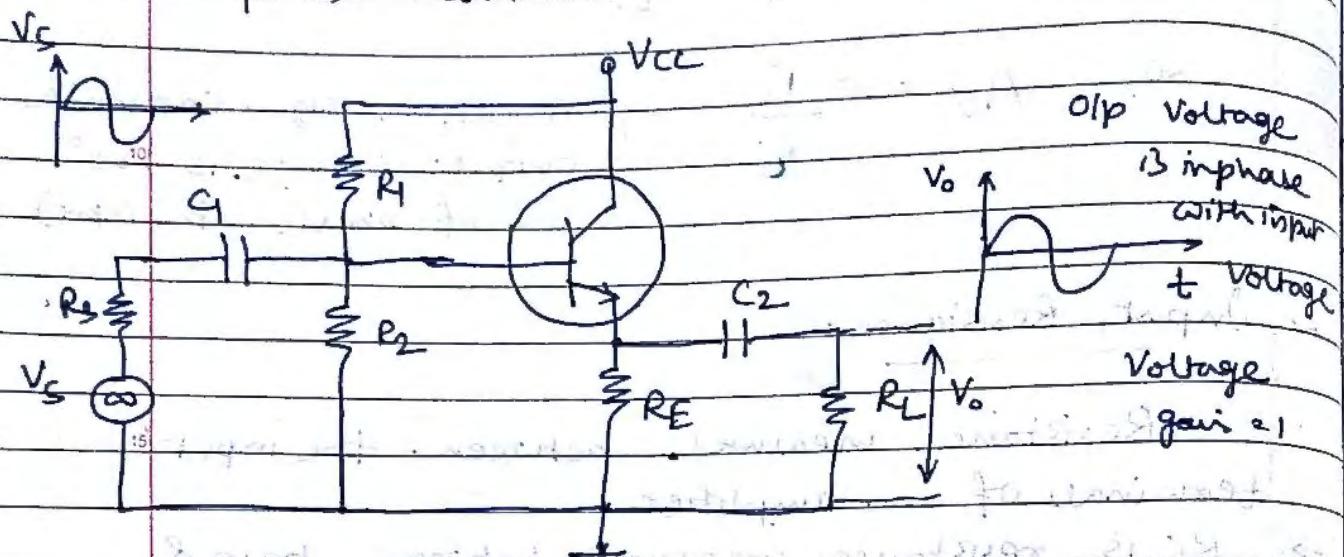
$$V_{in} = 0, I_C = \omega A \quad (\text{open circuit})$$

$$R_o = R_C \parallel R_L = Y_C$$

Q. Explain the operation of Emitter follower amplifier. Why is it named as emitter follower.

OR.

Explain common collector amplifier.



- Input voltage is applied at the base of the transistor with respect to ground & the output of amplifier is taken from emitter with respect to ground.
- As emitter voltage follows the base voltage the gain of this amplifier is approximately equal to 1.
- Input & output voltage waveforms are in phase with each other, no phase shift.
- Input Impedance of common collector amplifier is high & output impedance of it is low.
- As output voltage (Emitter voltage) is equal to input voltage (Base voltage), it is said that emitter follows the base, so name given is emitter follower.

## Negative feedback:

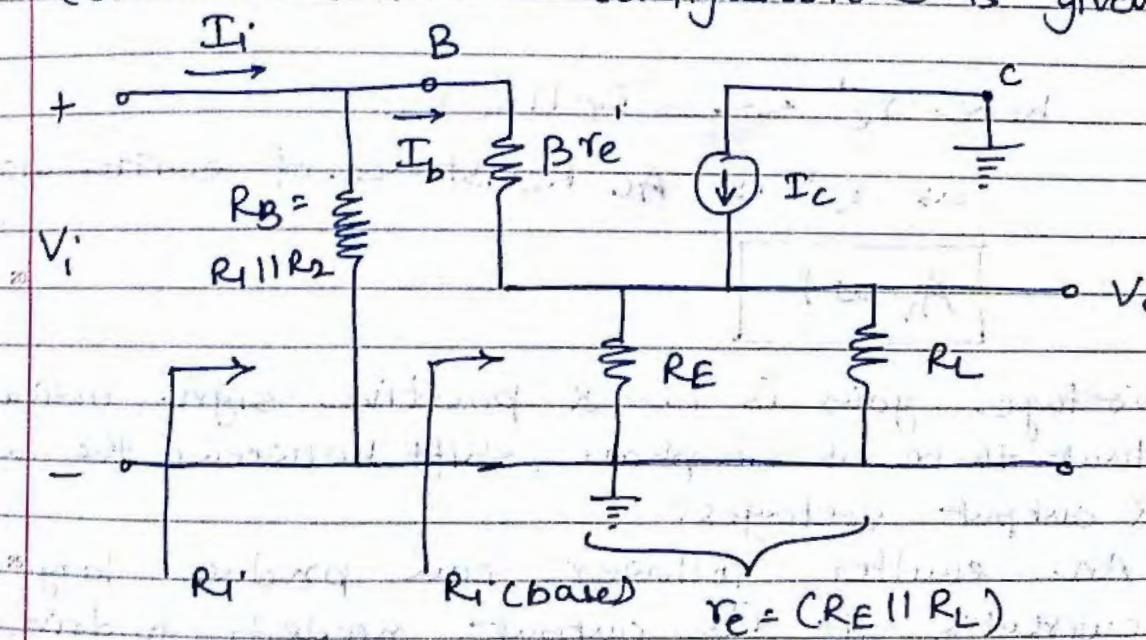
- Due to negative feedback voltage gain is extremely stable. input impedance is large & distortion does not exist.
- This is achieved at the cost of reduced voltage gain.

## Q. AC Analysis of CE Configuration:

OR

### Q. Small signal Analysis of CE configuration

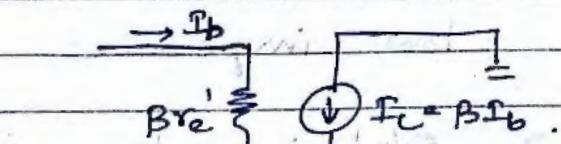
- Approximate T model of emitter follower i.e. common collector configuration is given below.



### 1. Voltage Gain:

$$r_e = (R_E || R_L)$$

$$V_o = (1 + \beta) I_B (R_E || R_L)$$



Total current is  $I_B + \beta I_B$   
 flowing through  $R_E$  and  $R_L$ .  
 $(R_E || R_L) = r_e$

$$V_i = I_b \cdot B r_e' + V_o$$

$$V_i = I_b B r_e' + I_c r_e$$

$$= I_c r_e' + I_c r_e$$

$$V_i = I_c (r_e' + r_e)$$

Voltage Gain  $A_V = \frac{V_o}{V_i} = \frac{I_e (R_E || R_L)}{I_c (r_e' + r_e)}$

$$I_e \approx I_c$$

$$\text{So, } A_V = \frac{(R_E || R_L)}{(r_e' + r_e)} = \frac{r_e}{r_e' + r_e}$$

here  $r_e' \ll (R_E || R_L)$

as  $r_e'$  is AC Resistance of emitter diode

$$A_V \approx 1$$

→ Voltage gain is 1. & positive sign indicates that there is no phase shift between the input & output voltages.

→ An emitter follower can produce large currents at its output needed to drive low impedance loads.

2. Obtain the Input Impedance

$$R_{in}^{(base)} = \frac{V_i}{I_b}$$

$$I_b$$

$$V_i = I_b B r_e' + I_e (R_E \parallel R_L)$$

$$I_e = (1+B) I_b$$

$$V_i = I_b B r_e' + (1+B) I_b (R_E \parallel R_L)$$

$$(1+B) \approx B \quad (\text{as } B \text{ is high})$$

$$V_i = I_b [B(r_e' + (R_E \parallel R_L))]$$

$$R_{i(\text{base})} = \frac{I_b [B(r_e' + (R_E \parallel R_L))]}{I_b}$$

$$= B(r_e' + (R_E \parallel R_L))$$

$$R_{i(\text{base})} = B(r_e' + r_e)$$

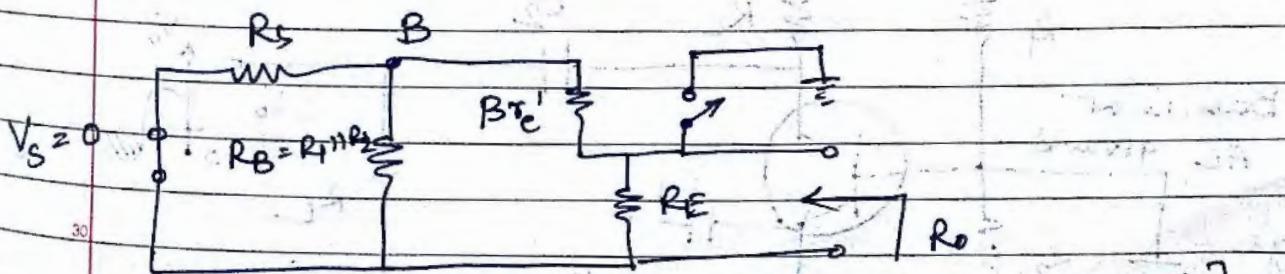
$$R_i = R_{i(\text{base})} \parallel R_B$$

$$R_B = (R_1 \parallel R_2)$$

$$R_i = B(r_e' + r_e) \parallel R_1 \parallel R_2$$

### 3) Output Resistance ( $R_o$ )

→ ac equivalent circuit of emitter follower with  $V_S = 0$



$$R_o = R_E \parallel \left[ \frac{B r'_e + (R_S \parallel R_1 \parallel R_2)}{B} \right]$$

Resistance transferred from base to emitter

## Features of CC Amplifier:

- Input signal is applied at base and output is obtained at emitter.
- Voltage gain is less than 1 but very close to 1, current gain is high ( $1 + \beta$ ).

$$I_e = (1 + \beta) I_b$$

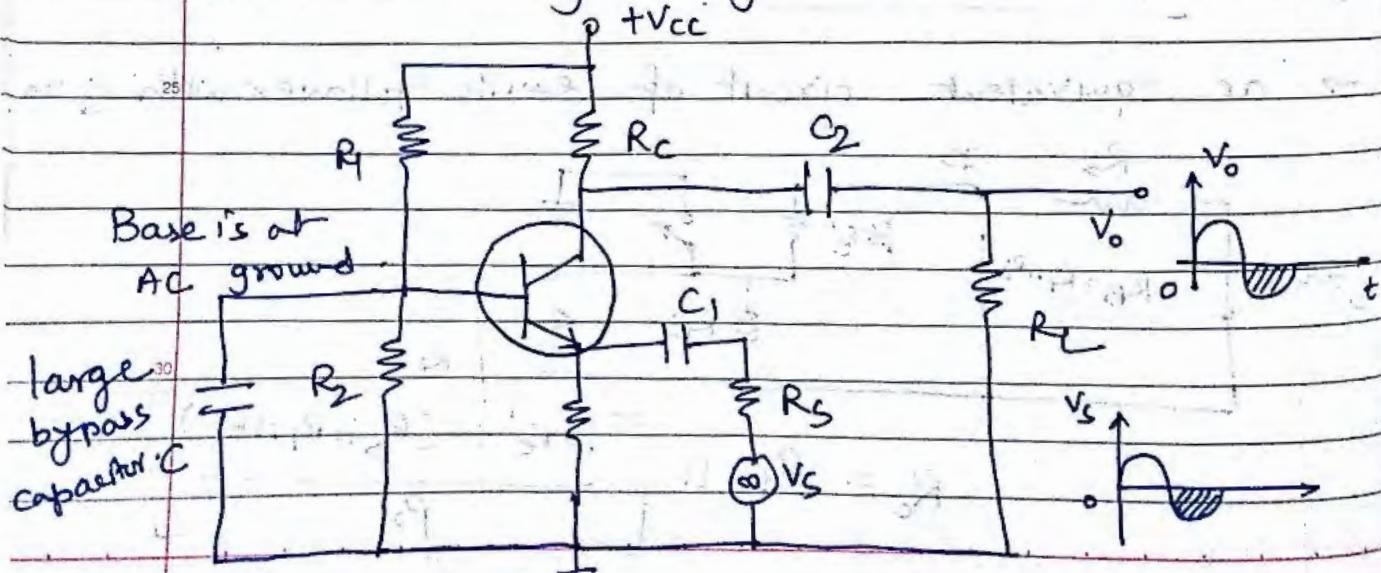
- Input Impedance is high; output impedance is low.
- Input & outputs are in phase, there is no phase reversal.

## Applications:

- CC amplifier is used as buffer stage that can increase the current sourcing capability.
- It is also used for impedance matching.

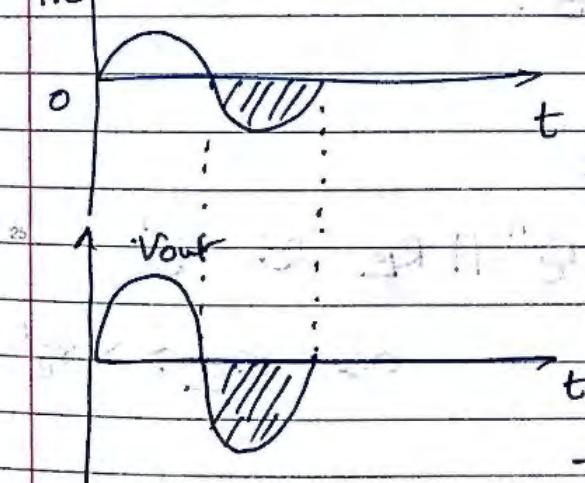
Q. Write short Note on Common Base Amplifier. Give AC analysis of Circuit.

- Common base Amplifier with voltage divider biasing is given below.



- $R_1$  &  $R_2$  are biasing resistors,  $C_1$  &  $C_2$  are coupling capacitors.
- Base is connected to ground (for ac signals only) via large capacitor  $C$ , which acts as short circuit for ac signals & Thus base terminal is common between input & output.
- When positive half cycle of input signal, the emitter voltage varies sinusoidally above its Q-point.
- As emitter voltage increases,  $V_{be} \downarrow$ , so,  $I_b \downarrow$  &  $I_c$  also  $\downarrow$ , so voltage drop across  $R_C \downarrow$ .
- As voltage drop across  $R_C \downarrow$ , collector voltage increases above Q-point.
- This we get positive half cycle at output for corresponding positive halfcycle of input.

20 Input voltage



#### \* features of CB Amplifier.

- Input signal applied at emitter & op taken at collector. Base is common between ip & op.
- Base is connected to ground via capacitor  $C$  only for ac signals.

→ Input Resistance is low.

→ Output " is very high.

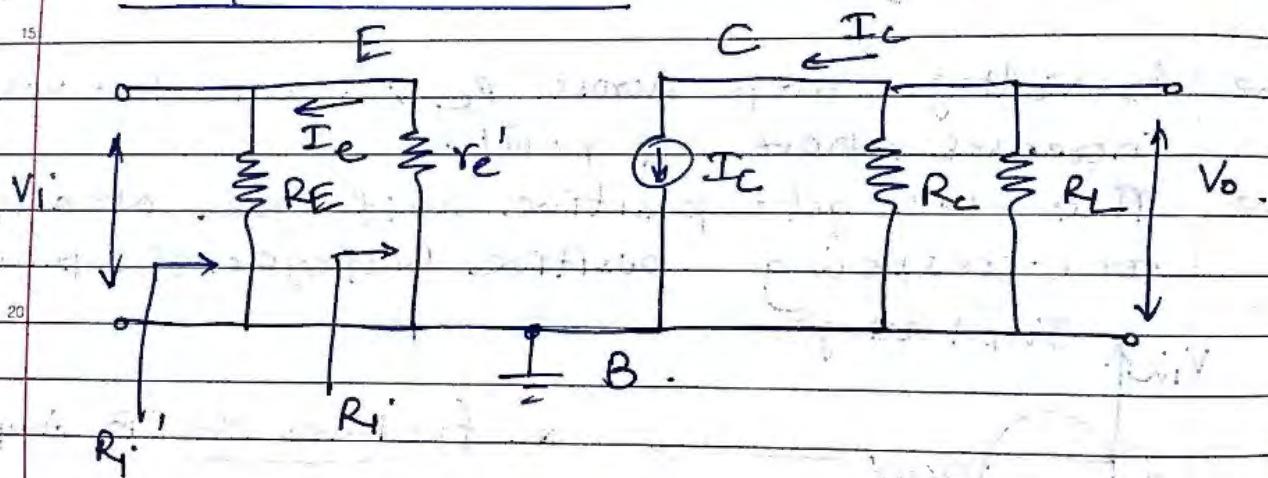
- Current Gain is approximately equal to 1.
- no, current Amplification.
- Voltage Gain is high.

### Applications:

- As high freq. amplifier having large band width.
- For impedance matching.

### AC Analysis of Common Base Amplifier:

- 1) AC equivalent circuit with T model is shown.



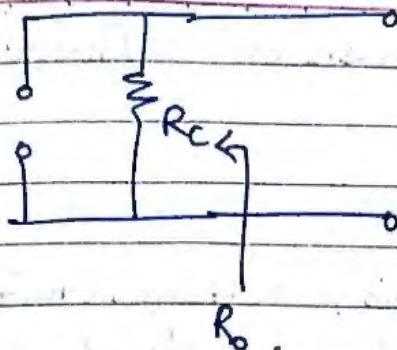
- 2) Input Resistance  $R_i = r_e'$

$$R_i' = r_e'' \parallel R_E \approx r_e'$$

as  $R_E \gg r_e'$

- 3) Output Resistance:

To calculate output Resistance,  $V_i$  is reduced to 0. So,  $I_e = 0$



$$R_o = R_C$$

4) Voltage Gains:

$$A_V = \frac{V_o}{V_i} = -\frac{I_C (R_C || R_L)}{-I_e r_e}$$

$$\frac{I_C}{I_e} = \alpha_{ac}$$

$$A_V = \alpha_{ac} \frac{(R_C || R_L)}{r_e}$$

$(R_C || R_L)$  = collector ac Resistance

$$A_V = \alpha_{ac} \frac{r_C}{r_e}$$

+ve gain so no phase shift between input & output.

Give

Q. Comparison of transistor Amplifier configurations.

OR

Compare current Gains, voltage Gains, i/p impedance & output impedance of CC & CB, CE configurations.

Sr. No.	Quantity/ Parameter	CE	CB	CC
1.	Input terminal	Base	Emitter	Base
2.	Output terminal	collector	collector	Emitter
3.	Common terminal	Emitter	Base	collector
4.	Input Resistance ( $R_i$ )	Medium	Low	High
5.	Output Resistance ( $R_o$ )	Medium	High	Low
6.	Current Gains ( $A_I$ )	High	Less than 1	High
7.	Voltage Gains ( $A_V$ )	High	High	Less than 1
8.	Applications	AF Voltage Amplifiers	Low noise pre-amplifier	Buffer Amplifier