EE 660

MACHINE LEARNING FROM SIGNALS: FOUNDATIONS AND METHODS

Prof. B. Keith Jenkins

Lecture 2

Lecture 2 **EE 660** Aug 27, 2020

Announcements

- Piazza is up and running; there is a link on D2L (navigation bar near the top)
 - Piazza is your primary source for questions and answers outside of classes and office hours.
- Discussion session: Fri., 3:30-4:20 PM
- One more TA:
 - Fernando Valladares Monteiro
 - fvallada@usc.edu
- Professor will hold informal office hours after class today (3:30–4:00 PM). Link is in D2L, "Virtual Meetings" in the navigation bar near the top.

Reading

- Regression, part 1
 - Murphy 1.4.5 (Linear Regression introduction)
 - Murphy 7.1 7.5, inclusive
 - Sections with asterisks (for example 7.4*) are optional; 7.3.2 is also optional (even though it has no asterisk).

Today's Lecture

- Course outline
 - Regression and classification examples
- Key issues and concepts in ML

Example 1 - Classification

Flowers: Iris variety classification.



Murphy Fig. 1.3. Iris flower types

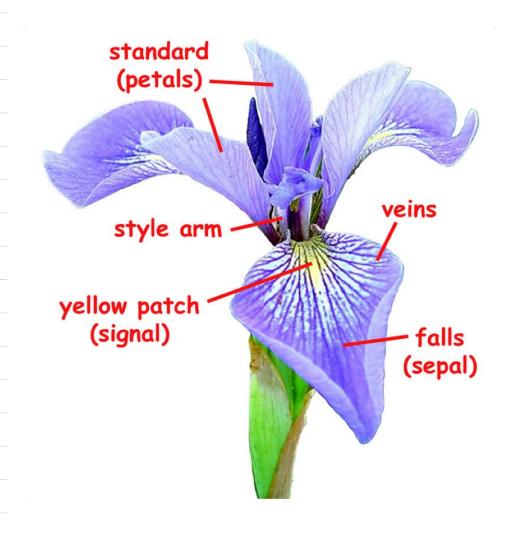
$$x = \begin{cases} petal & (ength) \\ petal & (ength) \\ sepal & (ength) \\ sepal & (ength) \\ x_3 \\ sepal & (ength) \\ x_4 \\ \end{cases}$$

Class assignment

For input (inis) x.

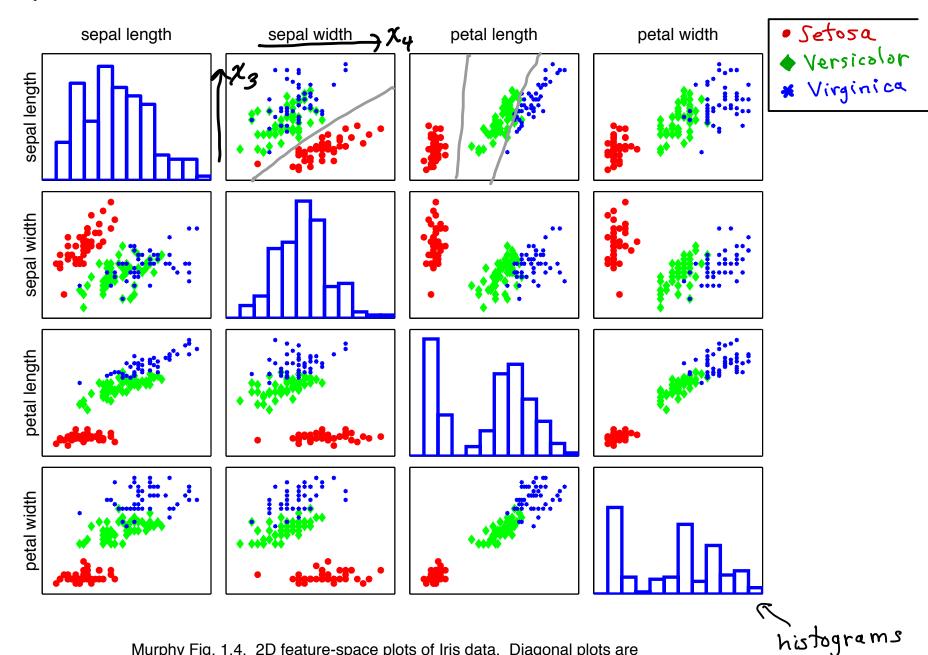
Output prediction $\hat{y}_{i} = \hat{y}(x_{i})$

= 1 of Esetosa, versicolor, virginica?



Iris parts. From USDA Forest Service at: https://www.fs.fed.us/wildflowers/beauty/iris/flowers.shtml

Training data: $\Delta T_r = \{(\underline{x}_i, y_i)\}_{i=1}^{N_{Tr}} \rightarrow \text{Plot it?}$



Murphy Fig. 1.4. 2D feature-space plots of Iris data. Diagonal plots are histograms.

Example 2 - Regression

Predict house price

input attributes (features): x=

output prediction:

$$\hat{y}_i = \hat{y}(\underline{x}_i) = \hat{f}(\underline{x}_i) = \text{estimate or prediction of house i price}$$
also $\hat{y}(\underline{x}) = \hat{f}(\underline{x}) = \text{prediction for any input values } \underline{x}$.

or $p(\hat{y}_i | \underline{x}_i) = \text{posterior pdf of house i price prediction}$

Example 3 - Regression

Stock price prediction, for a given company.

Input data:

Output prediction:

$$\hat{y}(x_i) = stock$$
 price at future time t'
or $p(\hat{y}_i|x_i,t') = pdf$ of stock price at future time t'

-) Can develop features from each signal r; (t) to define a feature space.

Course Outline

Number of lectures per topic is approximate.

Introduction

- 1. Course introduction [Murphy] {1 lecture}

 Administrative information; introduction to the course and to machine learning
- 2. Key issues and concepts in machine learning. {1 lecture}

Regression

3. Multidimensional regression [Murphy] {3 lectures}

Linear regression, maximum-likelihood and MAP estimation, ridge regression,
Bayesian regression. Learning linear and nonlinear relationships.

4. Logistic regression [Murphy] {1 lecture}

Foundations of learning: Bayesian

5. Bayesian concept learning {1 lecture}

Foundations of learning: complexity

6. Feasibility of learning [AML] {1.5 lectures}

Deterministic and statistical views; Hoeffding inequality (for bounding expected error on unlabeled data); inductive bias (model or data assumptions; e.g., parametric models, local smoothness)

7. Complexity of learning 1: generalization; estimation of error on new data; implications in dataset usage [AML] {3 lectures}

Generalization bound, effective number of hypotheses, VC dimension, model complexity, sample complexity, dataset methodologies

8. Complexity of learning 2 [AML] {1.5 lectures}

Bias-variance decomposition, learning curves, overfitting

Foundations and methods of learning: managing and controlling complexity

9. Regularization part 1 [AML] {1 lecture}

Regularization as soft order constraints

10. Model selection [AML and Murphy] {1 lecture}

Model selection and validation; consequences on generalization error bounds

11. Regularization part 2; feature reduction; sparsity [Murphy] {2 lectures}

Bayesian and MAP estimation for feature reduction; quadratic regularization; l_1 regularization, lasso, and sparsity; comparison of l_1 and l_2 regularizers; nonconvex regularizers and l_0 regularization*; bridge regression

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12. Principles and pitfalls of learning [AML] {1 lecture}

Occam's Razor, Axiom of Non-Falsifiability, Sampling Bias, Data Snooping

Graphical and nonlinear methods of learning

13. Boosting techniques and decision trees [Murphy] {3 lectures}

Adaptive basis models; classification and regression trees (CART); random forests; boosting (Adaboost).

Semi-supervised and unsupervised learning methods

14. Semi-supervised learning for classification [Zhu] {3 lectures}

Overview, including inductive vs. transductive semi-supervised learning; mixture models and Expectation Maximization for semi-supervised learning.

15. Unsupervised learning for clustering: statistical techniques [Xu] {1 lecture}

Statistical techniques including mixture models; Maximum Likelihood; Expectation Maximization

16. Unsupervised learning for clustering: other techniques [Murphy and Xu] {2 lectures}

Similarity measures; evaluating clustering quality and choosing K; hierarchical and graph clustering (agglomerative, divisive, Bayesian*)

Other topics*

17. Optional selected topic(s) of student interest {~1 lecture}

* As time permits.

e-g-:

1. Learn structure of data 2- Learn representation of the data for use in supervised learning.

Fall 2020

Key issues and concepts in ML

- 1. Hypothesis set (models being considered)
- 2. Objective function (for being optimized)
- 3. Optimization method
- 4. Complexity (of model, date, and problem)
- 5. Assumptions and priors (inductive bias)
- take in order

1. Hypothesis set

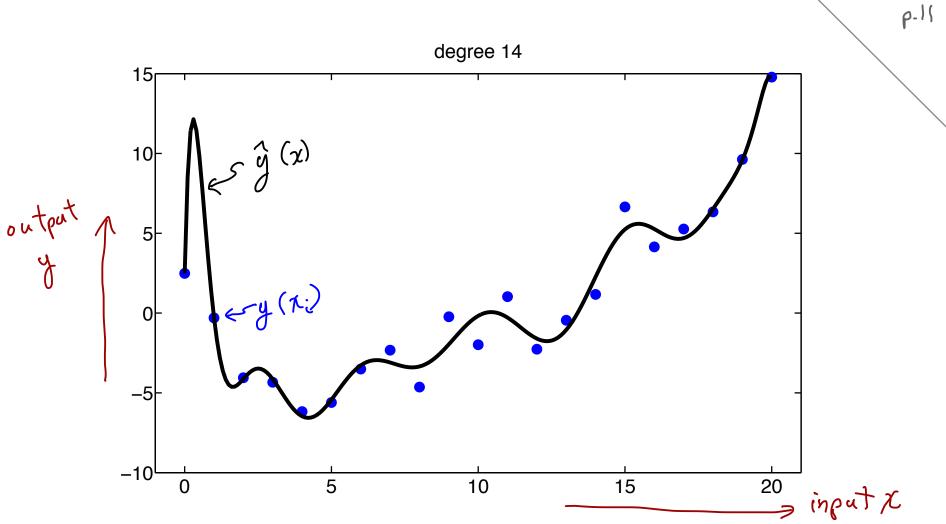
In our house-price prediction example: simplify -> 1D input (x=1;ving area)

Ex: Models: $\hat{f}_{i}(x) = w_{0}^{1} + w_{i}^{1}x$ $\hat{f}_{2}(x) = w_{0} + w_{i}x + w_{2}x^{2}$ more generally: $\hat{f}_{i}(x) = \sum_{i=0}^{d} w_{i}x_{i}$, $1 \leq d \leq d_{max}$

Our model selection & learning process chooses among all 1216d Edmax, and all values of wi.

=> Our hypothesis set, given $x \in \mathbb{R}$, $x \ge 0$: $\mathcal{H} = \{\hat{f}(x) = \{\sum_{i=0}^{\infty} w_i x^i \mid 1 \le d \le d_{\max}, d \in \mathbb{Z}, w_i \in \mathbb{R}\}$

(Fig.)



Murphy Fig. 1.18 (a). Regression to fit polynomial of degree 14, to 21 data points (minimizing MSE).

2. Objective function

-Fon. being optimized.

Ex: regression ex. (curve fit, house price, etc.): $J(w, J) = MSE(\hat{y}, y_i) = \frac{1}{N_{Tr}} \sum_{i=1}^{N_{Tr}} (\hat{y}-y_i)^2$ J is to be minimized.