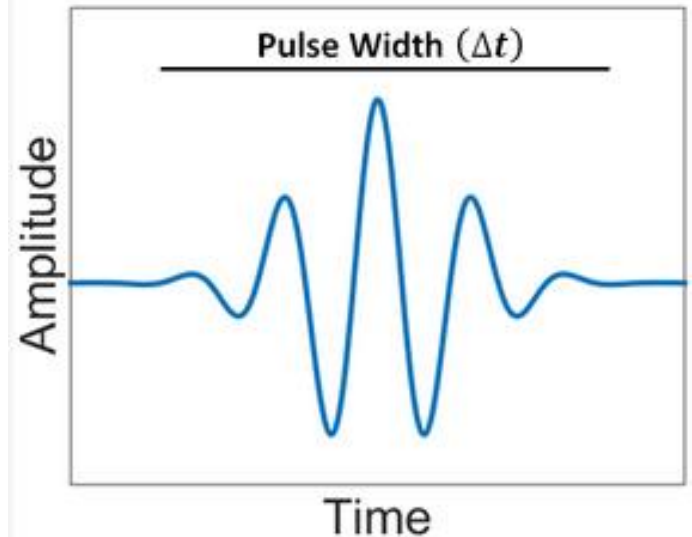
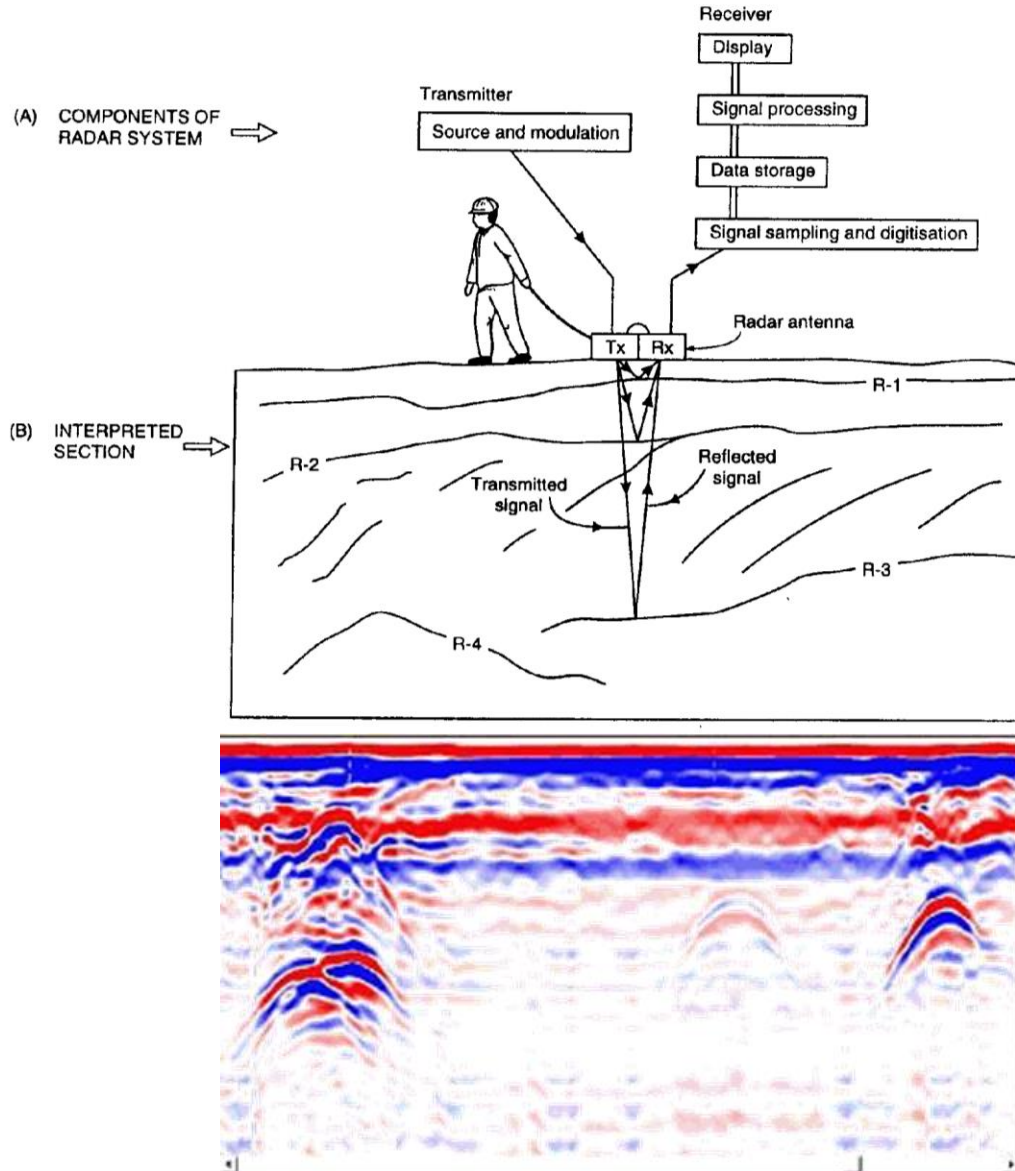
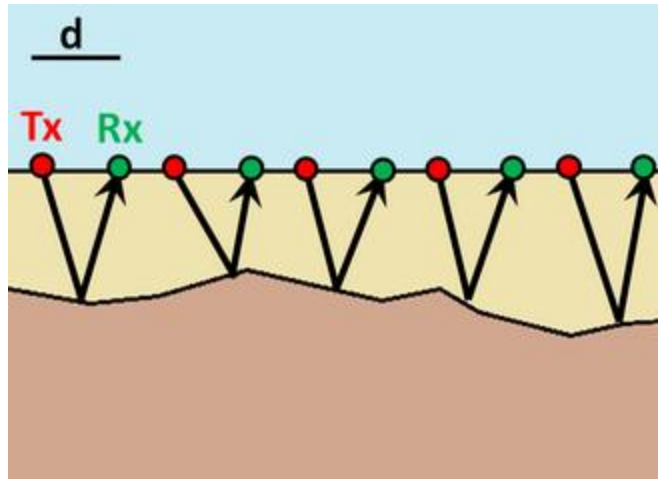


# Ground Penetrating Radar (day 3)

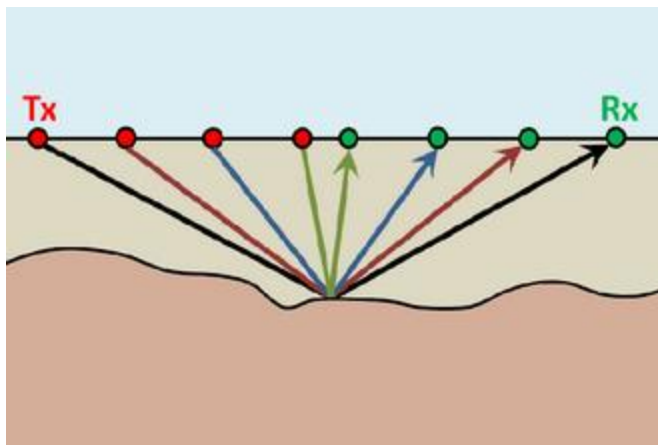


# From Last Time

## Common Offset



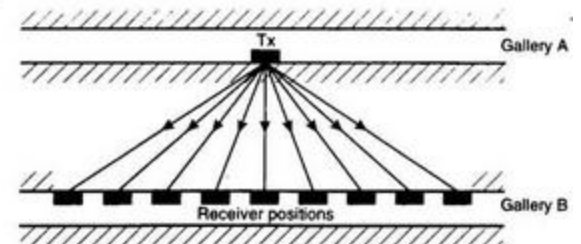
## Common Midpoint



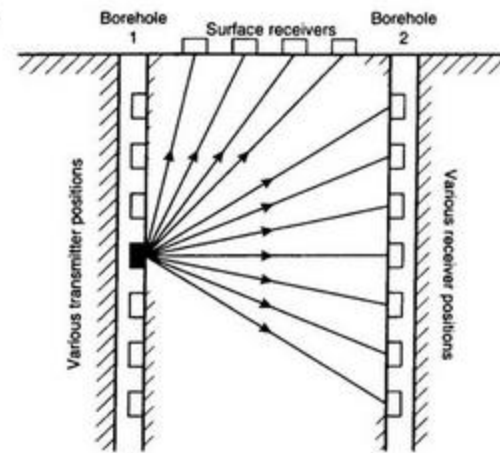
## Transillumination

712 *An introduction to applied and environmental geophysics*

(A)

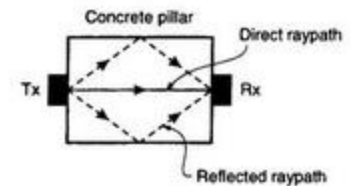


(B)



Cross-hole and hole-surface mode  
(direct raypath from only one transmitter shown)

(C)



# From Last Time

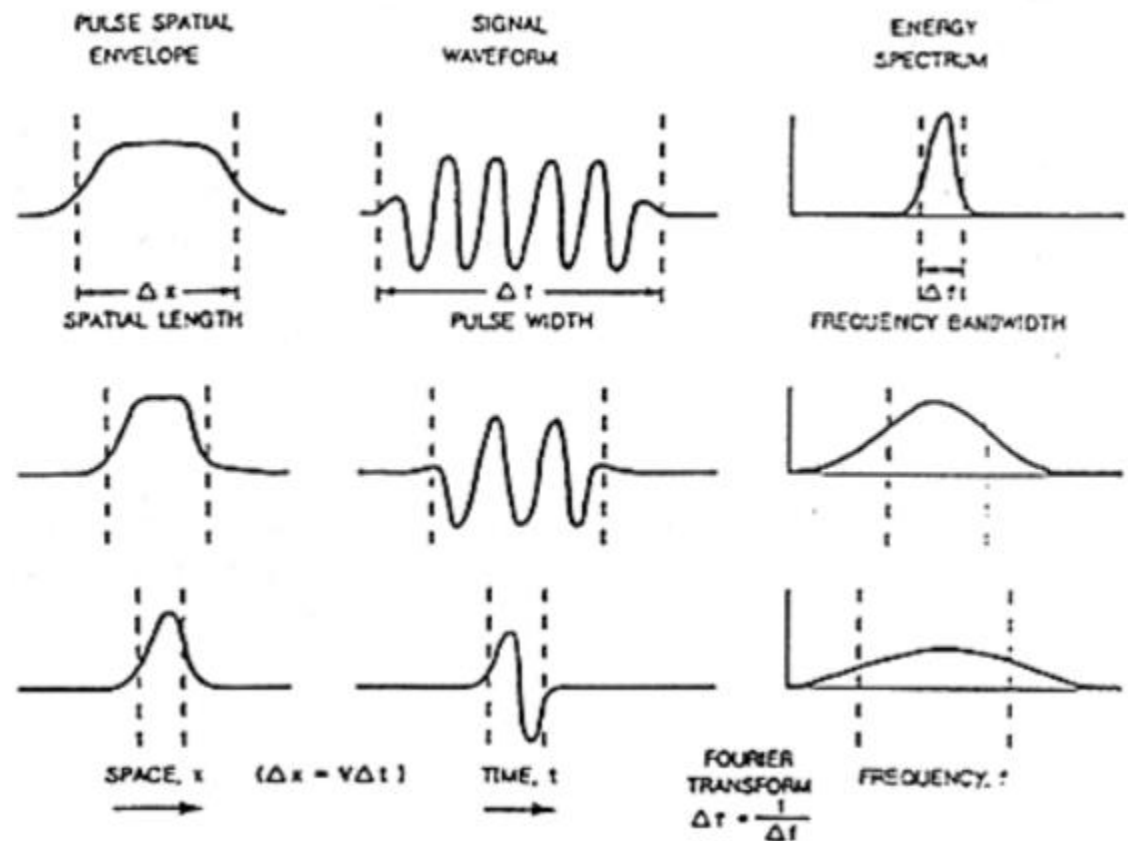
- Shorter pulses contain a wider range of frequencies
- Shorter pulse overall contain higher frequencies
- Spatial length increases as pulse length increases

$$\lambda = \frac{V}{f_c} = \frac{c}{f_c \sqrt{\epsilon_r}}$$

$$f_c = \frac{1}{\Delta t}$$

$$\lambda = V \Delta t = \frac{c \Delta t}{\sqrt{\epsilon_r}}$$

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# From Last Time

- There is a compromise between resolution and probing distance:

Higher frequencies



Better resolution

$$\text{Layers: } L > \frac{c}{4f_c \sqrt{\epsilon_r}} = \frac{c\Delta t}{4\sqrt{\epsilon_r}}$$

$$\text{Objects: } L > \sqrt{\frac{V d}{2f_c}}$$

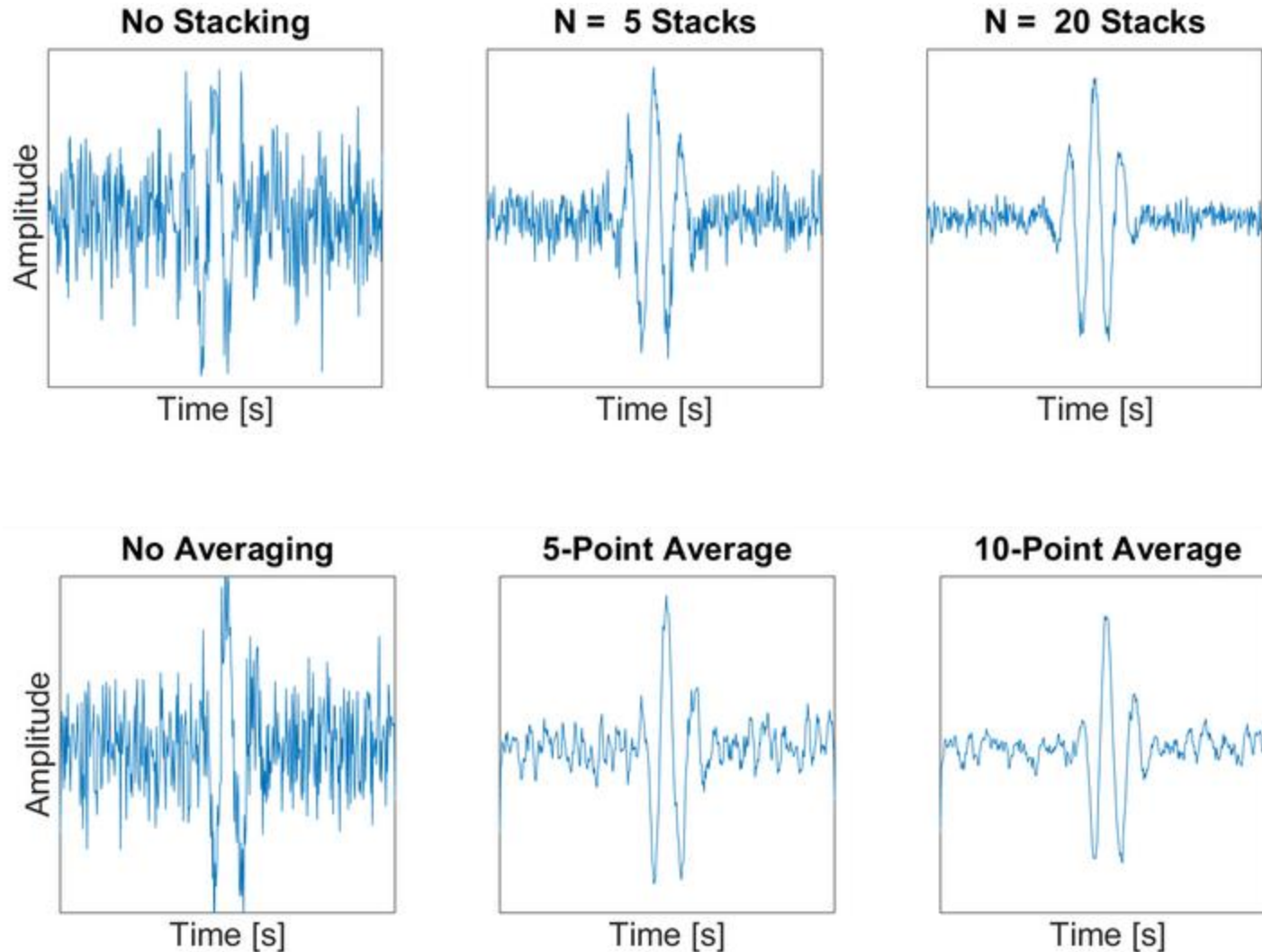
Higher frequencies



Lower probing distance

$$D = 3\delta \approx \begin{cases} 1510 \sqrt{\frac{1}{\sigma f}} & \text{for } \omega\epsilon \ll \sigma \\ 0.0159 \frac{\sqrt{\epsilon_r}}{\sigma} & \text{for } \omega\epsilon \gg \sigma \end{cases}$$

# From Last Time

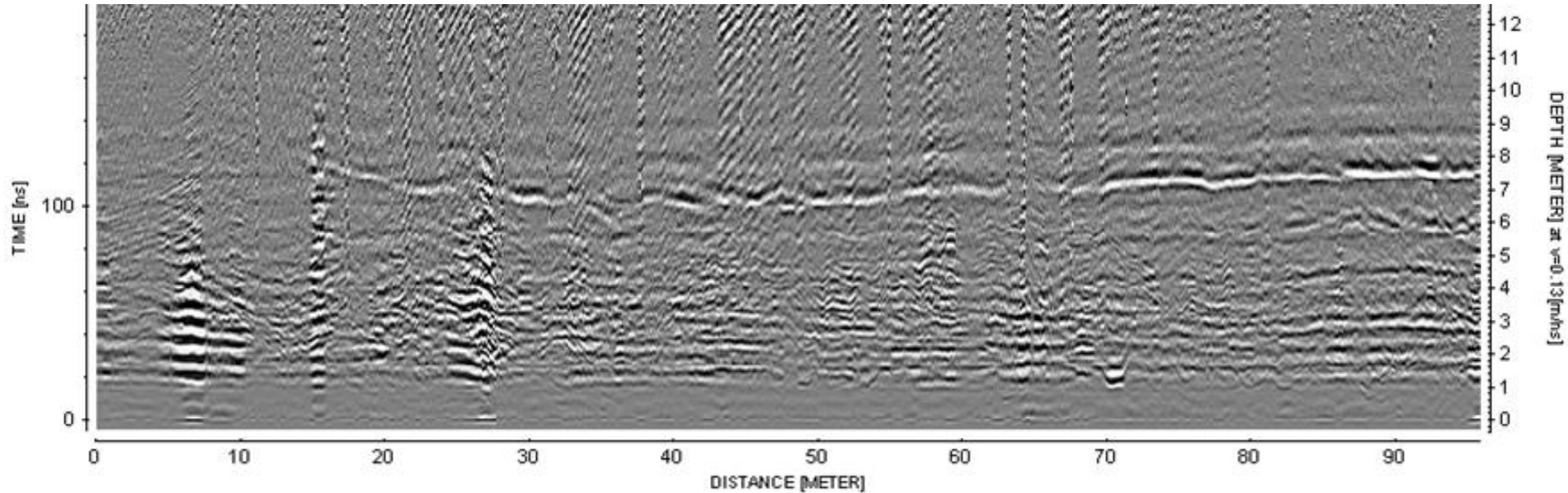


# Today's Topics

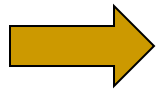
- Interpretation and some examples



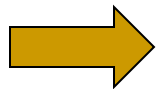
# Example: Potash Mine



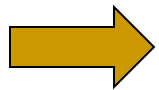
- Water was leaking into the potash mine



Reducing structural integrity of mine shafts

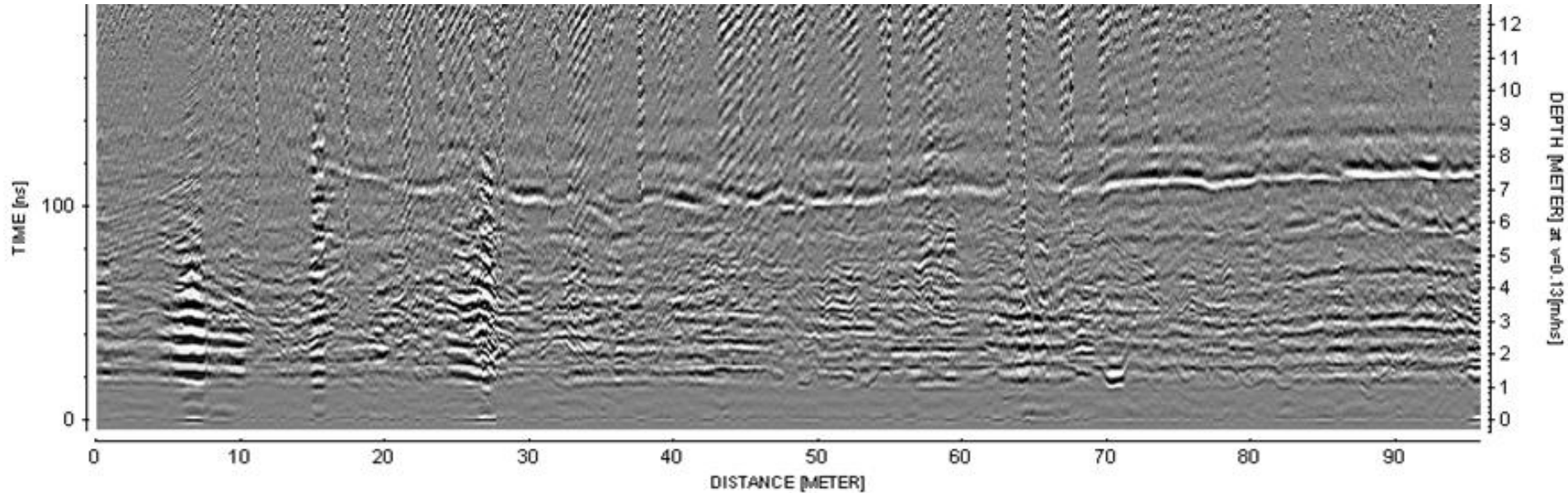


Want to know where water is and its source



Water infiltration produces a strong reflector

# Example: Potash Mine

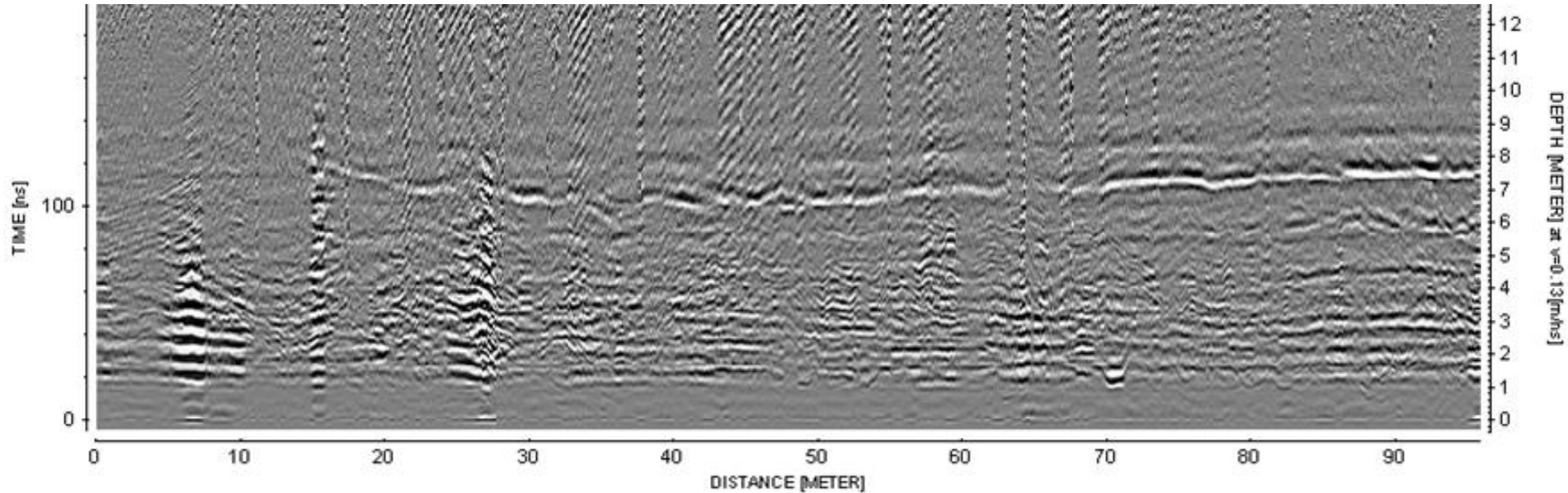


- Zero offset survey performed.
- Arrival time to depth conversion performed

**Q:** Without a direct ground wave measurement or hyperbola to obtain propagation speed, how could they do conversion?



# Example: Potash Mine

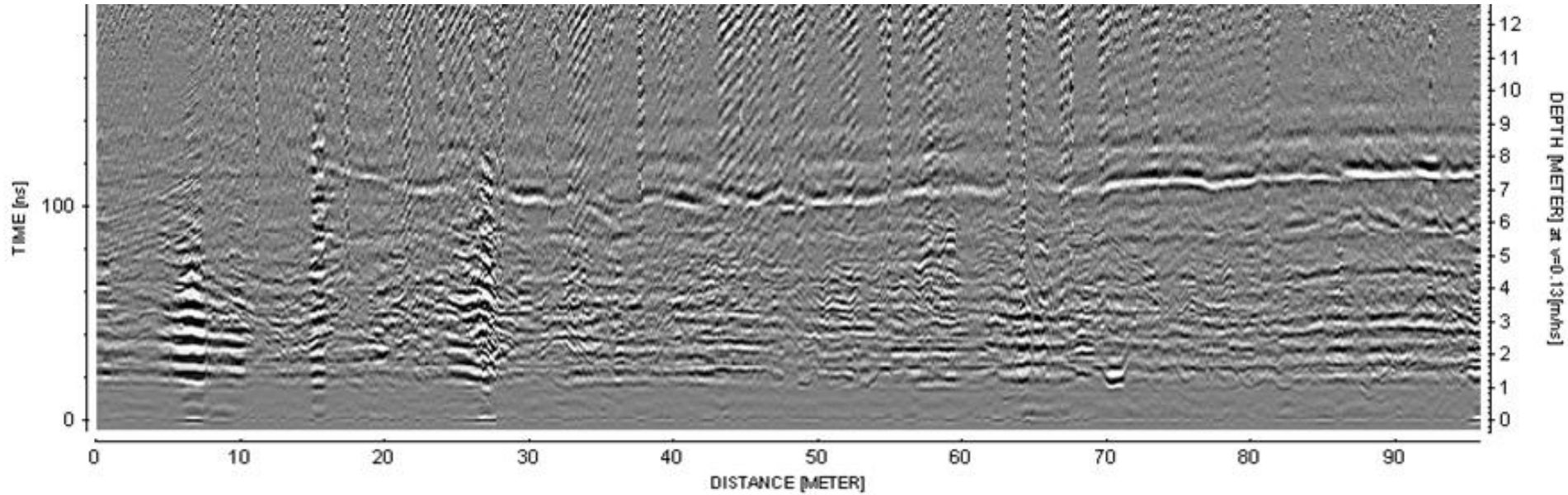


**A:** Potash in an **anhydrite** mineral.

From known physical properties,  **$V \sim 0.13$  m/ns**

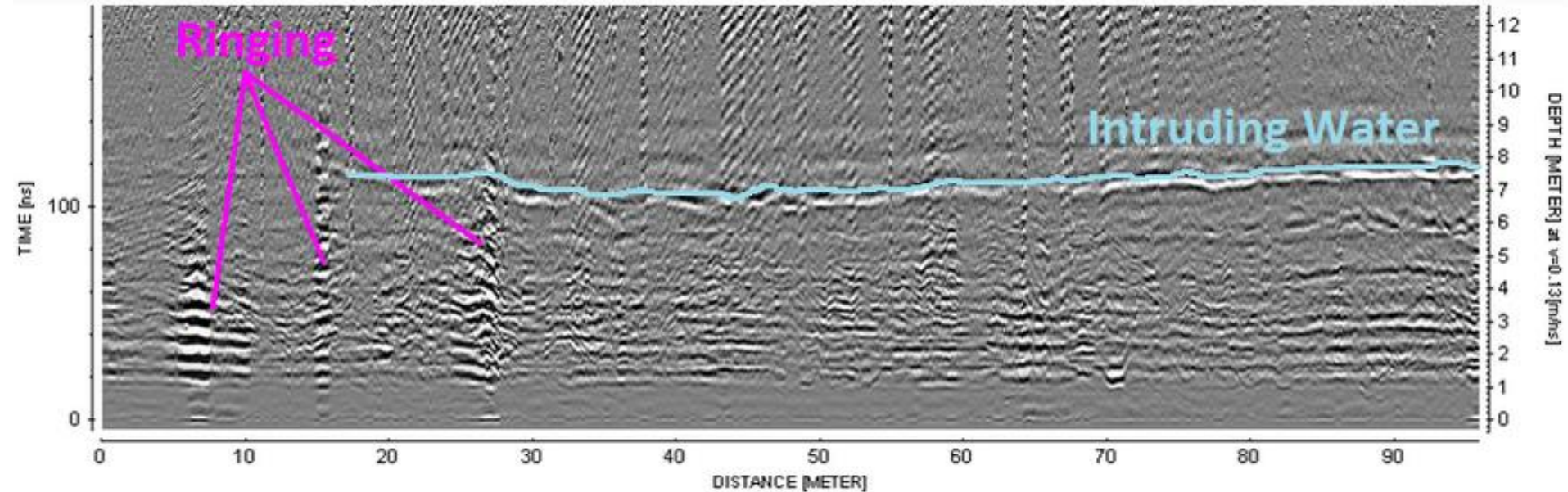
$$da = Vt/2$$

# Example: Potash Mine



**Q:** What kinds of features do you see in the data?

# Example: Potash Mine



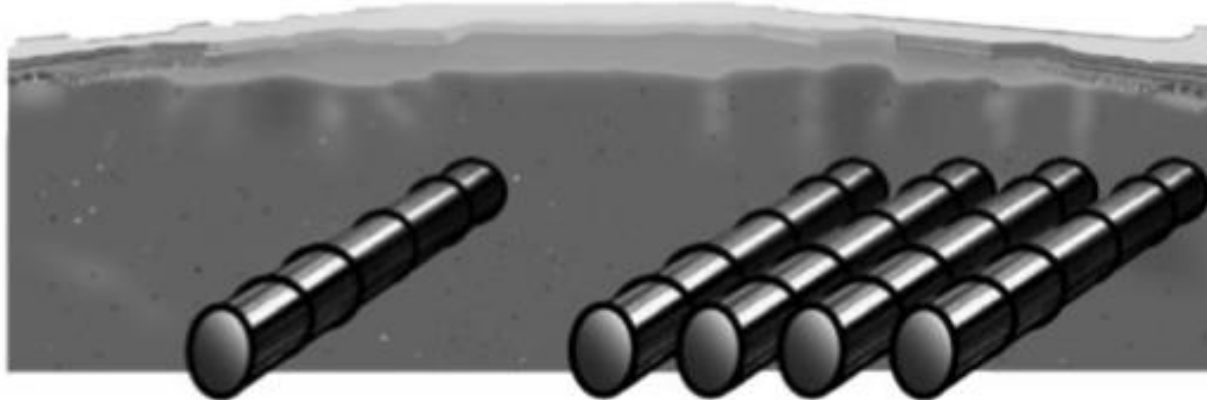
- Strong reflector from intruding water (7 - 8 m from shaft)
- Water is delineated and seems to be coming from the right
- Ringing from mine infrastructure



# Example: Underground Storage Tanks



Diagram of problem



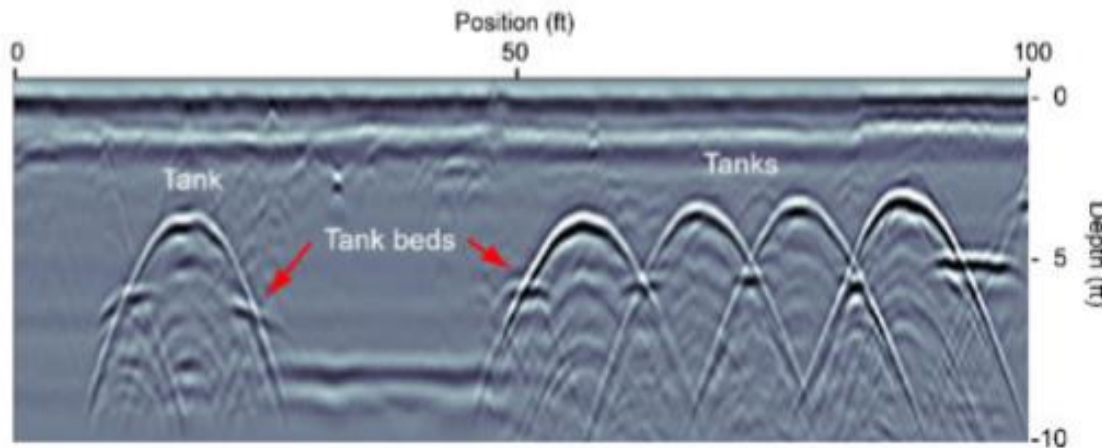
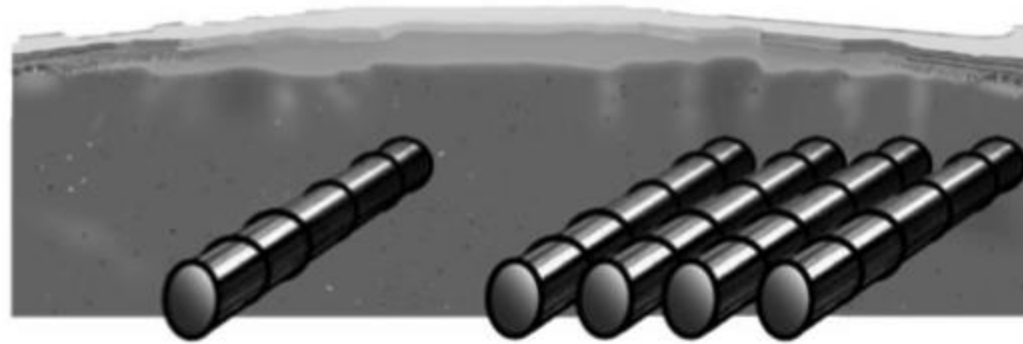
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- Want to locate a set of underground storage tanks.

**Q:** What direction would you orient your survey lines? Why?

**Q:** What features do you expect in your radargram?

# Example: Underground Storage Tanks



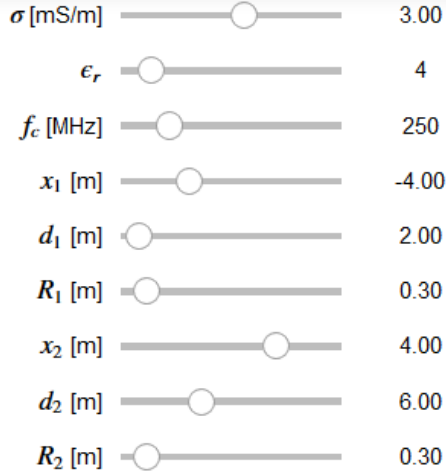
**Q:** If tanks too big to be point reflectors, can you still obtain layer velocity? How?

**Q:** How can you figure out the horizontal location and depth to each tank? (assume you know the velocity)

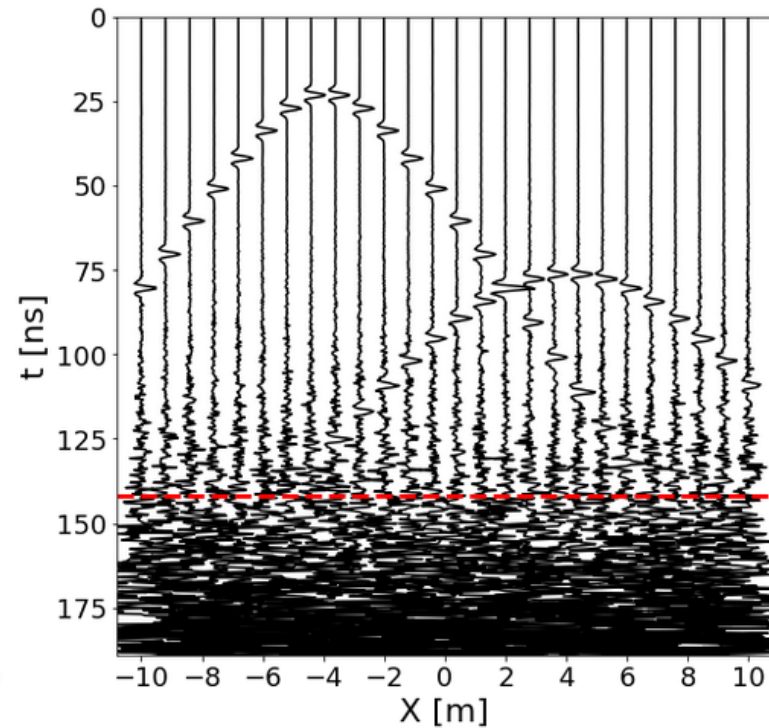
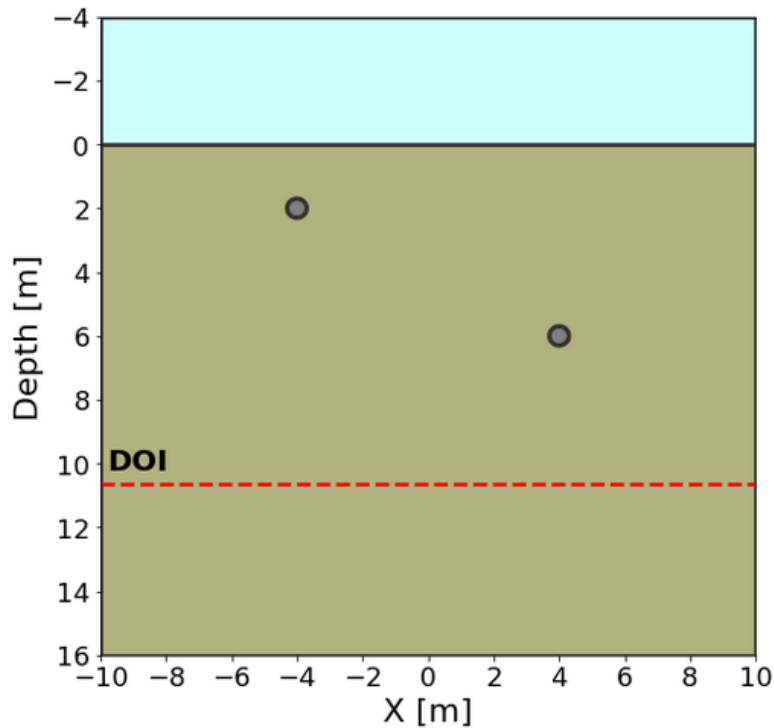
**Q:** Why aren't signatures from tank beds entirely visible?



# Example: GPR App Problem



- Zero offset survey
- Two buried reflectors
- Wave regime!!!



# Example: GPR App Problem

- **Q1: From the radargram, use the slope to determine the propagation velocity.**
- **Q2: From the preset parameters, compute the probing distance (or DOI) using the quasi-static AND wave regime approximation. Compare to the DOI in the app. What regime are we in?**
- **Q3: Determine the relative permittivity of the host media from the medium velocity you computed. Does it match the value set in the app?**

# Example: GPR App Problem

- Q1: From the radargram, use the slope to determine the propagation velocity.

$$m = \frac{(190 \text{ ns} - 0 \text{ ns})}{(11 \text{ m} - (-4 \text{ m}))} = 12.7 \text{ ns/m} \quad \longrightarrow \quad V = \frac{2}{m} = 0.157 \text{ m/ns}$$
$$V_{true} = \frac{c}{\sqrt{\epsilon_r}} = 0.15 \text{ m/ns}$$

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$$DOI (quasi) = 3 \times 503 \times \sqrt{\frac{1}{\sigma f_c}}$$

$$DOI (wave) = 3 \times 0.0053 \times \sqrt{\frac{\epsilon_r}{\sigma}}$$

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- Q3: Determine the relative permittivity of the host media from the medium velocity you computed. Does it match the value set in the app?

$$V = \frac{2}{m} = 0.157 \text{ m/ns} \quad \longrightarrow \quad \epsilon_r = \left(\frac{c}{V}\right)^2 = 3.6$$

# Example: GPR App Problem

- **Q4: What is the horizontal resolution of the survey at a depth of 4m? Adjust the location of the reflectors to confirm this with the app.**
- **Q5: How could we improve the survey resolution? What drawback might this have?**
- **Q6: If we increases the radius of one of the reflectors, what happens to its signature?**

# Example: GPR App Problem

- **Q4: What is the horizontal resolution of the survey at a depth of 4m? Adjust the location of the reflectors to confirm this with the app.**

$$L = \sqrt{\frac{Vd}{2f_c}}$$

- **Q5: How could we improve the survey resolution? What drawback might this have?**
- **Q6: If we increases the radius of one of the reflectors, what happens to its signature?**

# Example: GPR App Problem

- **Q4: What is the horizontal resolution of the survey at a depth of 4m? Adjust the location of the reflectors to confirm this with the app.**

$$L = \sqrt{\frac{Vd}{2f_c}} = 1.1 \text{ m}$$

- **Q5: How could we improve the survey resolution? What drawback might this have?**
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# Example: GPR App Problem

- **Q4: What is the horizontal resolution of the survey at a depth of 4m? Adjust the location of the reflectors to confirm this with the app.**

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Increase frequency → Reduces probing distance

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# Example: GPR App Problem

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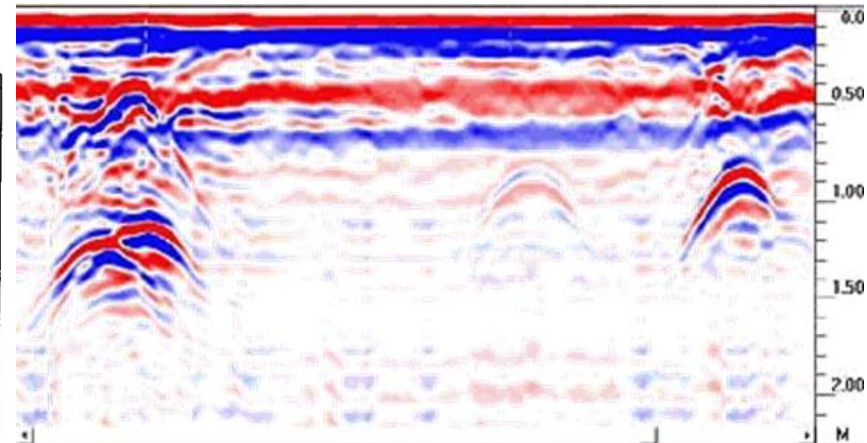
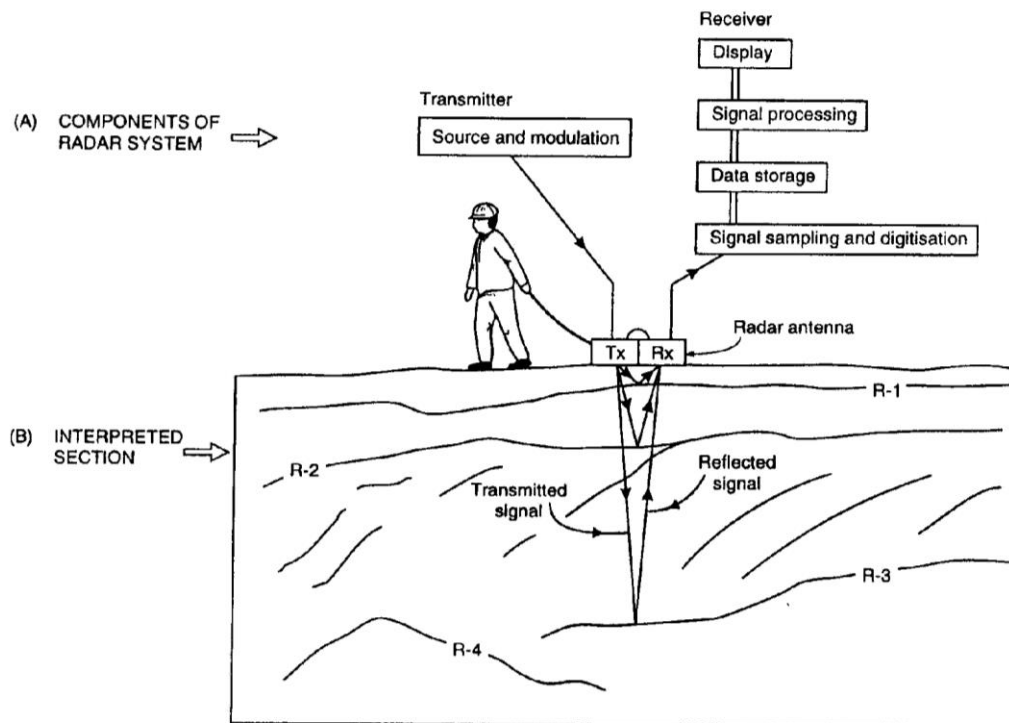
Increase frequency → Reduces probing distance

- **Q6: If we increases the radius of one of the reflectors, what happens to its signature?**

No longer a hyperbola, slope trick works, early observed signals.

# Concluding Thoughts: GPR in a Nutshell

- Electromagnetic Method
- Exploits contrasts in **dielectric permittivity** and **conductivity**
- Sends a **pulse** of radiowaves into the ground
- Signals reflect, refract and transmit at interfaces
- Measured signals represented using radargrams

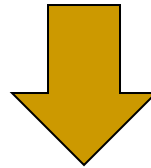


# Concluding Thoughts: When to use GPR

- Generally near-surface applications (10s metres or less)
- Images the interfaces which define subsurface structures
- Examples:
  - Geotechnical problems (rock fractures, slope stability ...)
  - Find buried infrastructure (pipes, wires, storage tanks ...)
  - Near surface soil properties and structures
  - Forensics
  - Archaeology

# Concluding Thoughts: Planning a Survey

- What do I know about the local physical properties?
- How deep do I need to image?
- What are the dimensions and separations of structures I want to image?



Allows you to pick optimum **grid spacing** and **operating frequency**

# Concluding Thoughts: Optimum Frequency

- Resolution:

Layers

Objects

$$L > \frac{c}{4f_c\sqrt{\epsilon_r}} = \frac{c\Delta t}{4\sqrt{\epsilon_r}}$$

$$L > \sqrt{\frac{Vd}{2f_c}}$$

- Probing Distance:

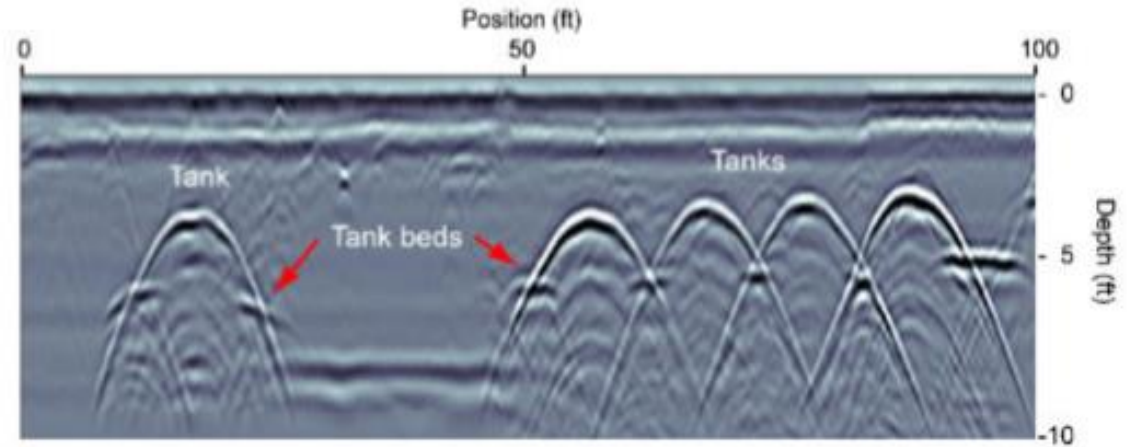
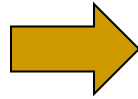
$$D = 3\delta \approx \begin{cases} 1510\sqrt{\frac{1}{\sigma f}} & \text{for } \omega\epsilon \ll \sigma \\ 0.0159\frac{\sqrt{\epsilon_r}}{\sigma} & \text{for } \omega\epsilon \gg \sigma \end{cases}$$

- Choice in operating frequency is a compromise between resolution and probing distance!!!!

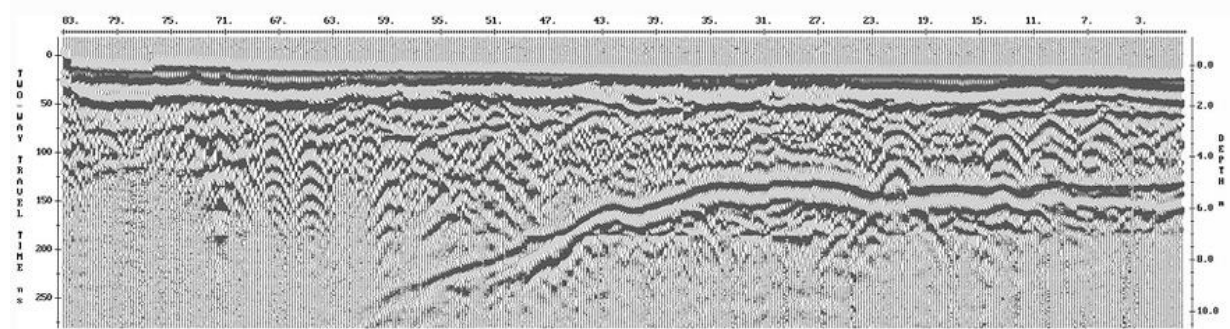
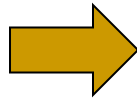


# Concluding Thoughts: What to Look For

**Hyperbolas**



**Linear Features**



Geometry can give us layer velocities, location of objects and depths of interfaces.

# Questions About GPR?

# Unit Activities

- **Labs (GPR)**
  - Monday, October 21<sup>st</sup>
  - Tuesday, October 22<sup>nd</sup>
- **TBL:**
  - Friday, October 18<sup>th</sup>
- **Quiz:**
  - Wednesday, October 23<sup>rd</sup>