CPSC 335 Project 1

ALTERNATE ALGORITHM PSEUDOCODE:

```
function sort_alternate(before: disk_state) -> sorted_disks
temp = before
swapCount = 0

for i = 0 to temp.light_count() - 1 do
    for j = 0 to temp.total_count() - 2 do
        if temp.get(j) > temp.get(j + 1) then
            temp.swap(j)
            swapCount = swapCount + 1
        end if
    end for
return sorted_disks(disk_state(temp), swapCount)
end function
```

ALTERNATE ALGORITHM TIME COMPLEXITY:

In the given algorithm, the outer loop iterates n/2 times (n is the total count of the disks), and the inner loop iterates n-1 times. Each iteration of the inner loop performs constant time operations, so the total number of operations performed by the algorithm is (n/2) * (n-1), which simplifies to $(n^2 - n) / 2$. We can drop the lower term (-n) and the constant factor (1/2), and say the time complexity of the given algorithm is $O(n^2)$. Therefore, we can conclude that the time complexity of the given algorithm is $O(n^2)$.

ALTERNATE ALGORITHM TIME STEP COUNT:

The Alternate algorithm has a time complexity of $O(n^2)$ because it uses nested loops to iterate over all pairs of disks and swaps them if they are out of order. The outer loop iterates n times, where n is the number of light disks in the input, and the inner loop iterates n-1 times, where n is the total number of disks in the input. Therefore, the step count for this implementation is roughly proportional to n^2 .

LAWNMOWER ALGORITHM PSEUDOCODE:

```
function sort_lawnmower(before: disk_state) -> sorted_disks
temp = before
swapCount = 0
isIncrementing = true
```

```
for i = 0 to temp.light count() - 1 do
  if i \% 2 == 0 then
     isIncrementing = true
  else
     isIncrementing = false
  if isIncrementing then
     start = 0
     end = temp.total count() - 2
    increment = 1
  else
     start = temp.total count() - 2
     end = 0
     increment = -1
  for j = \text{start} to end step increment do
     if temp.get(j) > temp.get(j + 1) then
       temp.swap(j)
       swapCount = swapCount + 1
     end if
  end for
end for
return sorted disks(disk state(temp), swapCount)
end function
```

LAWNMOWER ALGORITHM TIME COMPLEXITY:

The given algorithm is an implementation of the Lawnmower sorting algorithm. The given algorithm iterates the outer loop n/2 times (n is the total count of the disks), and the inner loop also iterates n/2 times, resulting in a total of $n^2/4$ iterations. Since each iteration of the inner loop performs constant time operations (comparisons, swaps, and increments), the time complexity of the algorithm is $O(n^2)$. Therefore, we can conclude that the time complexity of the given algorithm is $O(n^2)$.

LAWNMOWER ALGORITHM TIME STEP COUNT:

The outer loop iterates n/2 times. The inner loop iterates n-1 times for each outer loop iteration, where n is the number of total disks in the input. Therefore, the total number of iterations is $n^2/2$.

