

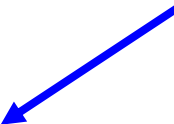
Introduction of Structured Learning

Hung-yi Lee

Structured Learning

- We need a more powerful function f
 - Input and output are both objects with structures
 - *Object*: sequence, list, tree, bounding box ...

$$f : X \rightarrow Y$$



X is the space of
one kind of object



Y is the space of
another kind of object

In the previous lectures, the input and output are both vectors.

Example Application

- **Speech recognition**
 - X : Speech signal (sequence) $\rightarrow Y$: text (sequence)
- **Translation**
 - X : Mandarin sentence (sequence) $\rightarrow Y$: English sentence (sequence)
- **Syntactic Paring**
 - X : sentence $\rightarrow Y$: parsing tree (tree structure)
- **Object Detection**
 - X : Image $\rightarrow Y$: bounding box
- **Summarization**
 - X : long document $\rightarrow Y$: summary (short paragraph)
- **Retrieval**
 - X : keyword $\rightarrow Y$: search result (a list of webpage)

Unified Framework

Training

- Find a function F

$$F : X \times Y \rightarrow \mathbb{R}$$

- $F(x, y)$: evaluate how compatible the objects x and y is

Inference (Testing)

- Given an object x

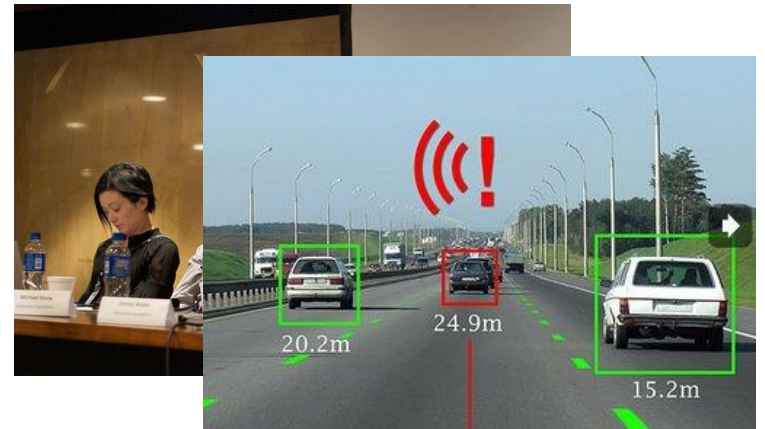
$$\tilde{y} = \arg \max_{y \in Y} F(x, y)$$

$$f : X \rightarrow Y \quad \Rightarrow \quad f(x) = \tilde{y} = \arg \max_{y \in Y} F(x, y)$$

Unified Framework – Object Detection

- Task description

- Using a bounding box to highlight the position of a certain object in an image
- E.g. A detector of Haruhi



X : Image \longrightarrow Y : Bounding Box



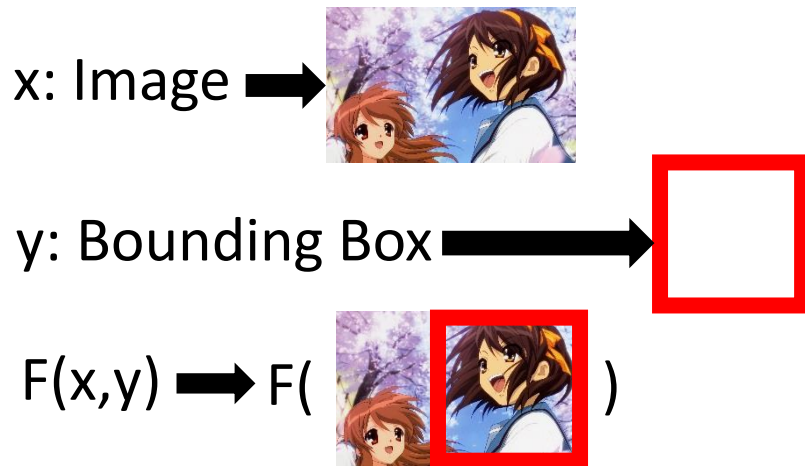
Haruhi

(the girl with
yellow ribbon)

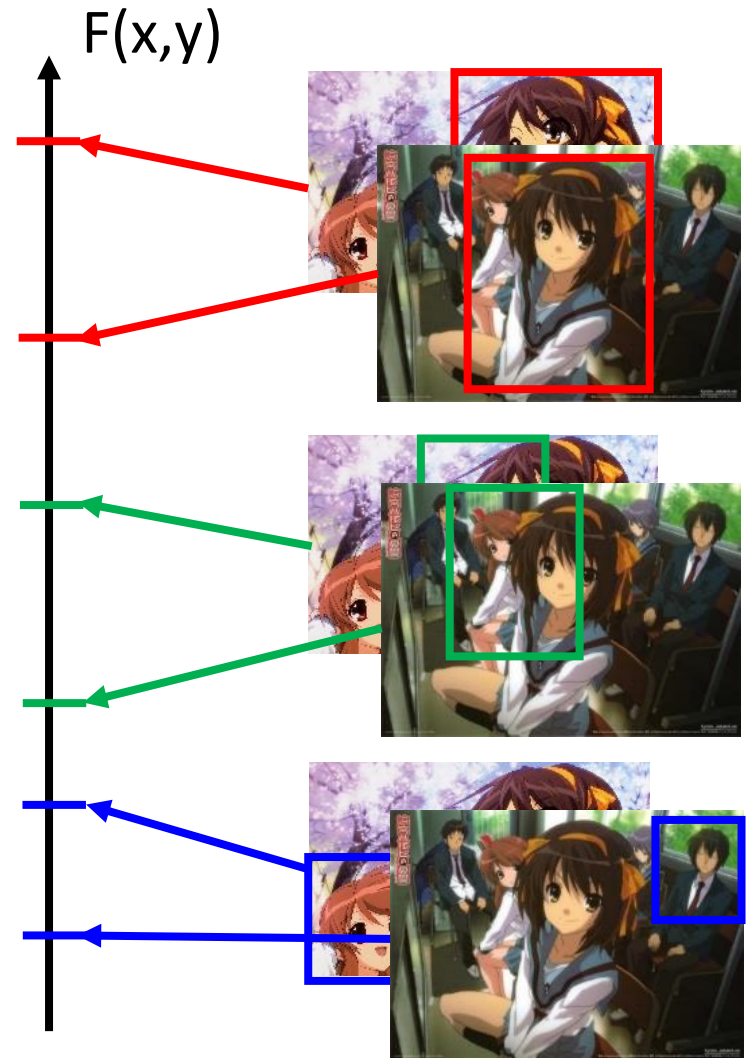
Unified Framework – Object Detection

Training

- Find a function F
$$F: X \times Y \rightarrow \mathbb{R}$$
- $F(x,y)$: evaluate how compatible the objects x and y is



the correctness of taking
range of y in x as “Haruhi”



Unified Framework – Object Detection

Training

- Find a function F
$$F: X \times Y \rightarrow \mathbb{R}$$
- $F(x, y)$: evaluate how compatible the objects x and y is

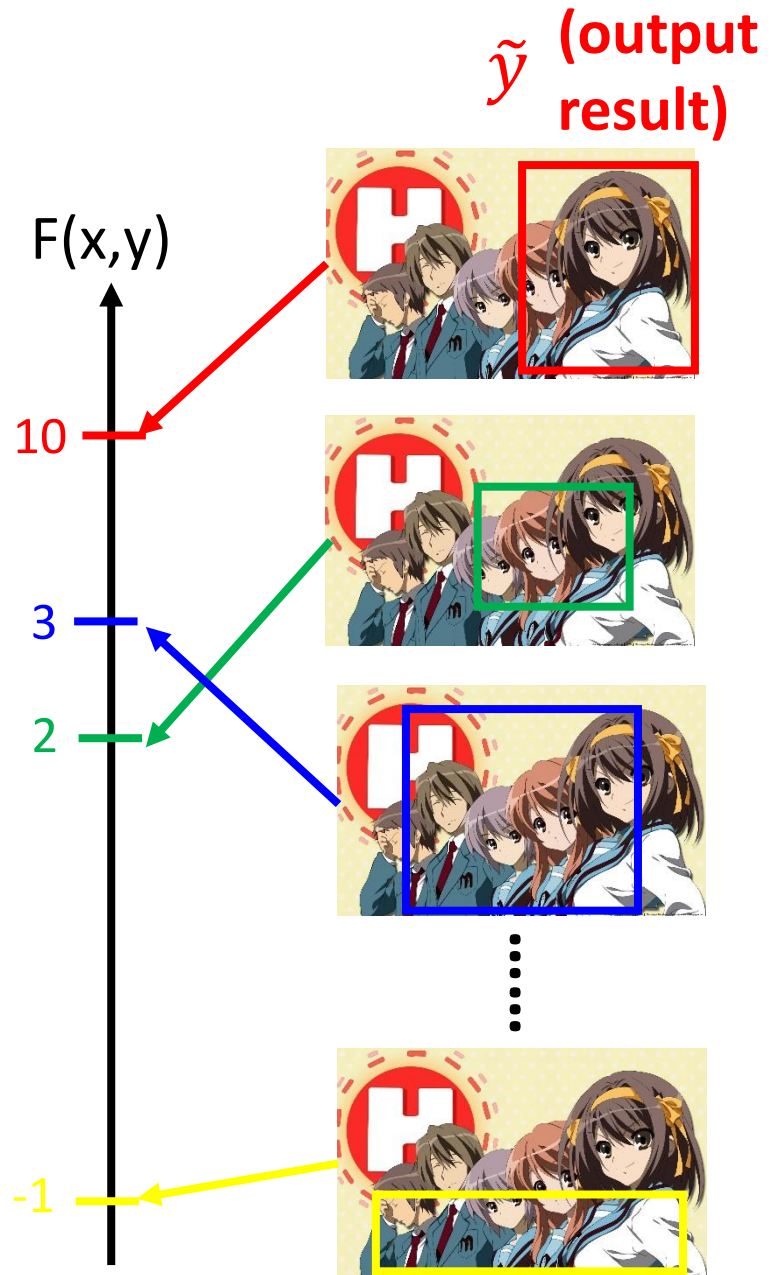
Inference (Testing)

- Given an object x
$$\tilde{y} = \arg \max_{y \in Y} F(x, y)$$

input $x =$



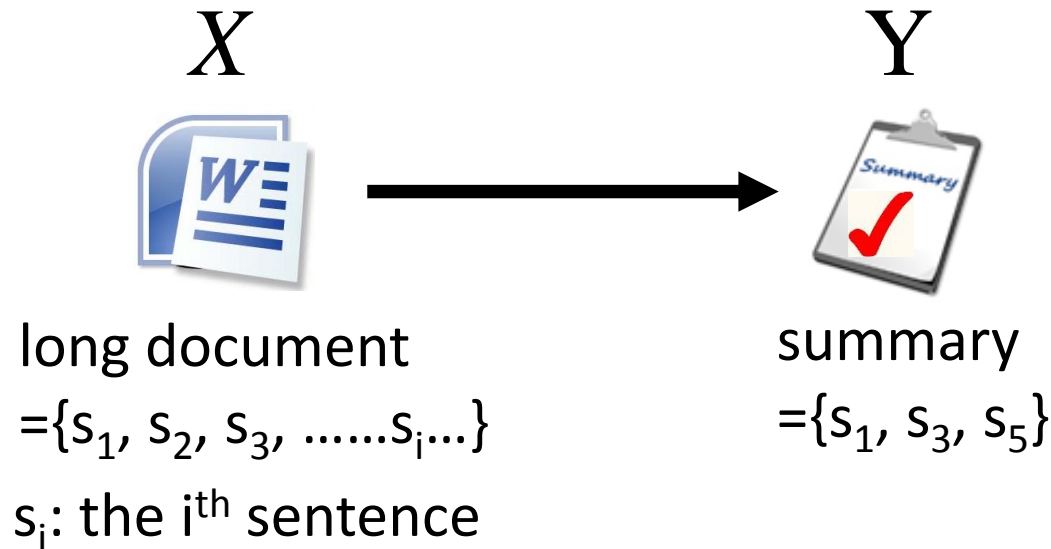
Enumerate all possible
bounding box y



Unified Framework

- Summarization

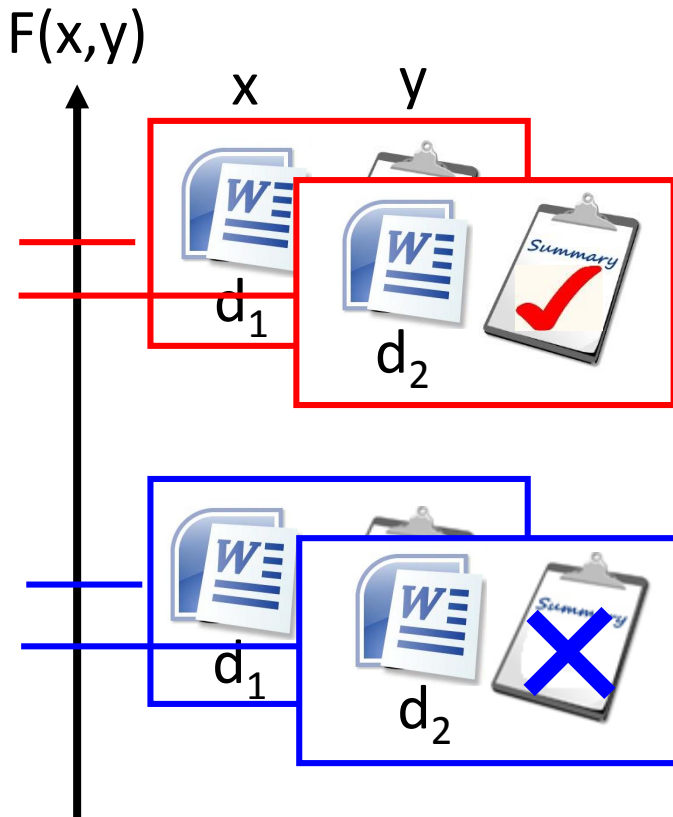
- Task description
 - Given a long document
 - Select a set of sentences from the document, and cascade the sentences to form a short paragraph



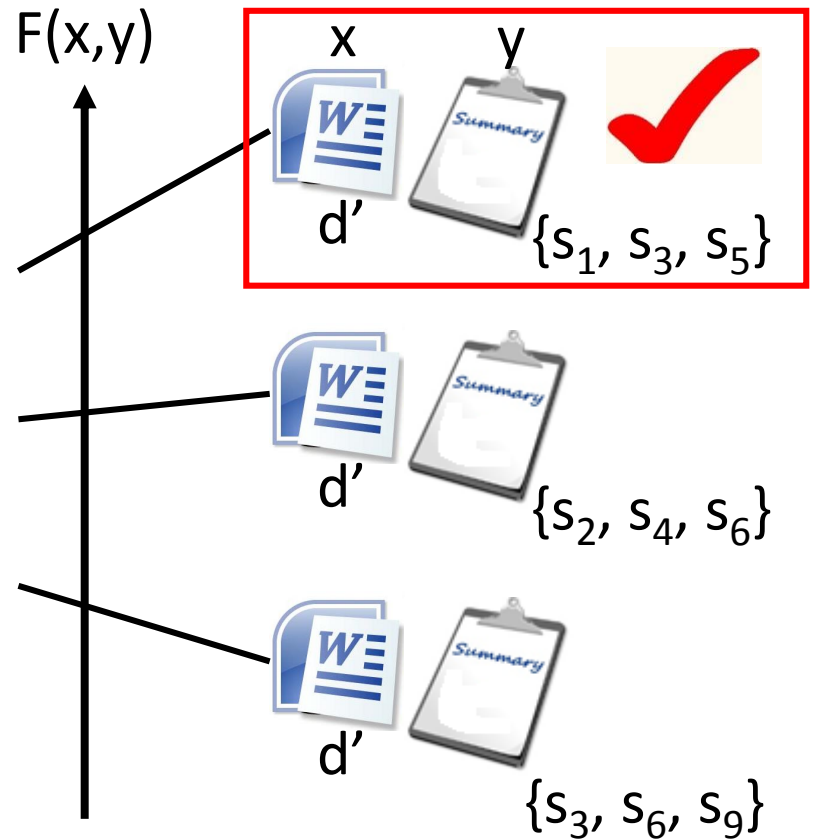
Unified Framework

- Summarization

Training



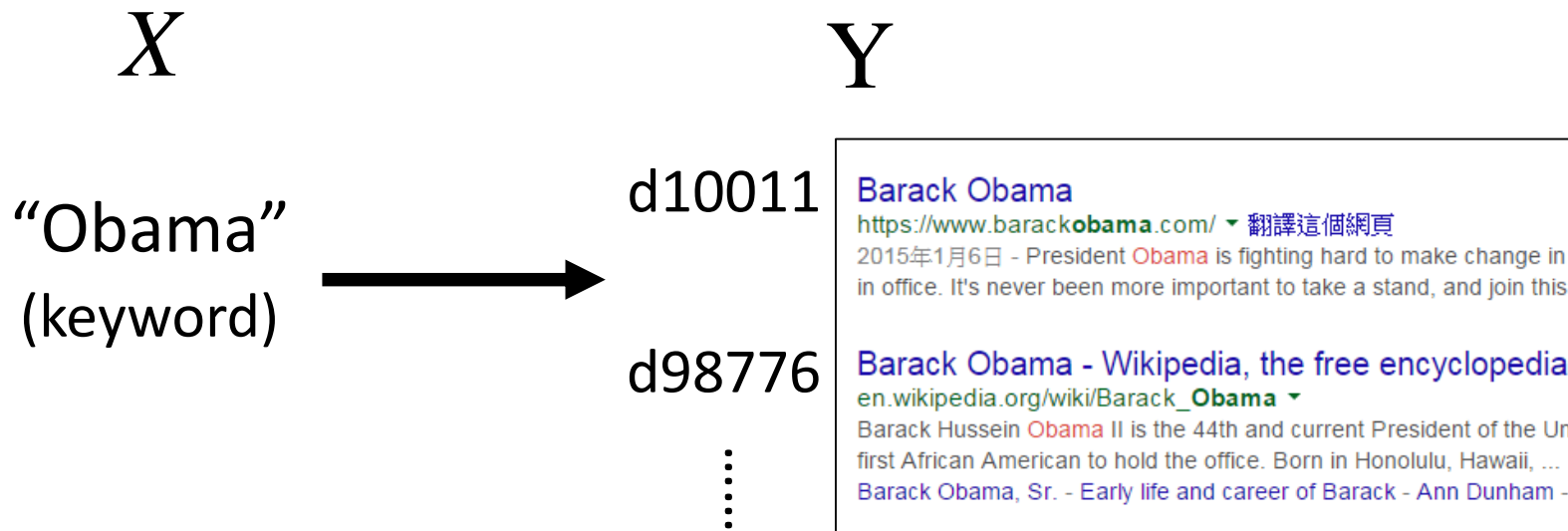
Inference



Unified Framework

- Retrieval

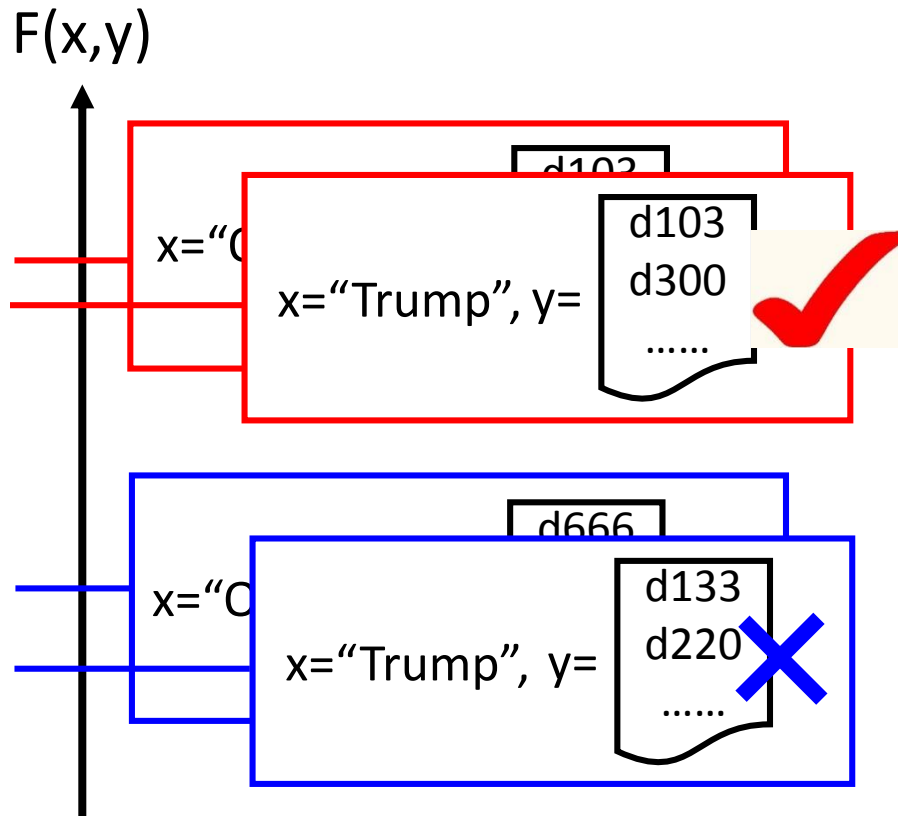
- Task description
 - User input a keyword Q
 - System returns a ***list*** of web pages



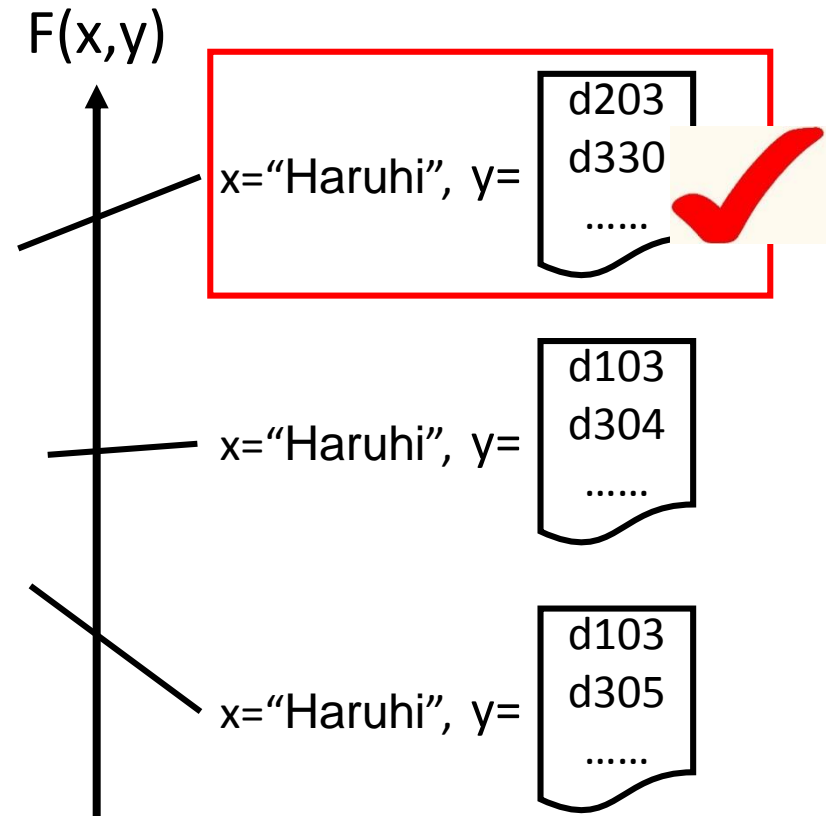
A list of web pages (Search Result)

Unified Framework - Retrieval

Training



Inference



Statistics

Unified Framework

Training

- Find a function F

$$F: X \times Y \rightarrow \mathbb{R}$$

- $F(x,y)$: evaluate how compatible the objects x and y is

Inference

- Given an object x

$$\tilde{y} = \arg \max_{y \in Y} F(x, y)$$

$$F(x, y) = P(x, y)?$$

Training

- Estimate the probability $P(x,y)$

$$P: X \times Y \rightarrow [0,1]$$

Inference

- Given an object x

$$\tilde{y} = \arg \max_{y \in Y} P(y | x)$$

$$= \arg \max_{y \in Y} \frac{P(x, y)}{P(x)}$$

$$= \arg \max_{y \in Y} P(x, y)$$

Statistics

Unified Framework

$$F(x, y) = P(x, y)?$$

Drawback for probability

- Probability cannot explain everything
- 0-1 constraint is not necessary

Strength for probability

- Meaningful

Energy-based Model:
<http://www.cs.nyu.edu/~yann/research/ebm/>

Training

- Estimate the probability $P(x, y)$

$$P: X \times Y \rightarrow [0, 1]$$

Inference

- Given an object x

$$\tilde{y} = \arg \max_{y \in Y} P(y | x)$$

$$= \arg \max_{y \in Y} \frac{P(x, y)}{P(x)}$$

$$= \arg \max_{y \in Y} P(x, y)$$

Unified Framework

That's it!?

Training

- Find a function F

$$F: X \times Y \rightarrow \mathbb{R}$$

- $F(x,y)$: evaluate how compatible the objects x and y is

Inference (Testing)

- Given an object x

$$\tilde{y} = \arg \max_{y \in Y} F(x, y)$$

There are three problems in this framework.

Problem 1

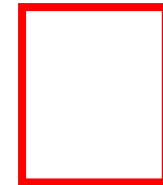
- **Evaluation:** What does $F(x,y)$ look like?
 - How $F(x,y)$ compute the “compatibility” of objects x and y

Object Detection:

$F(x=$



, $y=$



)

Summarization:

$F(x=$



(a long document)

, $y=$



(a short paragraph)

Retrieval:

$F(x= \text{“Obama”}$
(keyword)

, $y=$

Barack Obama
<https://www.barackobama.com/> - 翻譯這個網頁
2015年1月6日 - President Obama is fighting hard to make change in his final two years in office. It's never been more important to take a stand, and join this ...
Barack Obama - Wikipedia, the free encyclopedia
en.wikipedia.org/wiki/Barack_Obama -
Barack Hussein Obama II is the 44th and current President of the United States, and the first African American to hold the office. Born in Honolulu, Hawaii, ...
Barack Obama, Sr. - Early life and career of Barack - Ann Dunham - Michelle Obama

(Search Result)

Problem 2

- **Inference:** How to solve the “arg max” problem

$$y = \arg \max_{y \in Y} F(x, y)$$

The space Y can be extremely large!

Object Detection: Y =All possible bounding box (maybe tractable)

Summarization: Y =All combination of sentence set in a document ...

Retrieval: Y =All possible webpage ranking

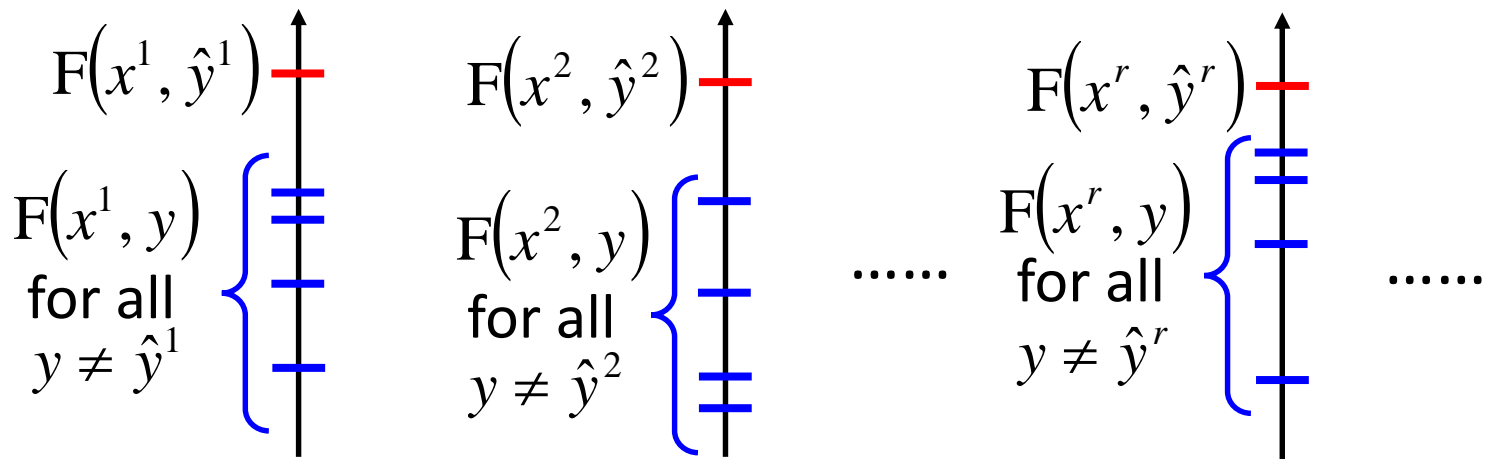
Problem 3

- **Training**: Given training data, how to find $F(x,y)$

Principle

Training data: $\{(x^1, \hat{y}^1), (x^2, \hat{y}^2), \dots, (x^r, \hat{y}^r), \dots\}$

We should find $F(x,y)$ such that



Three Problems

Problem 1: Evaluation

- What does $F(x,y)$ look like?



Problem 2: Inference

- How to solve the “arg max” problem

$$y = \arg \max_{y \in Y} F(x, y)$$



Problem 3: Training

- Given training data, how to find $F(x,y)$



Three Problems

Problem 1: Evaluation

- What does $F(x,y)$ look like?

Problem 2: Inference

- How to solve the “arg max” problem?

$$y = \arg \max_y F(x,y)$$

Problem 3: Training

- Given training data, how to find the best model?

Have you heard the three problems elsewhere?

Hidden Markov Model

• Three Basic Problems for HMMs

Given an observation sequence $\bar{O}=(o_1,o_2,\dots,o_T)$, and an HMM

$\lambda=(A,B,\pi)$

– Problem 1 :

How to *efficiently* compute $P(\bar{O}|\lambda)$?

\Rightarrow *Evaluation problem*

– Problem 2 :

How to choose an optimal state sequence $\mathbf{q}=(q_1,q_2,\dots,q_T)$?

\Rightarrow *Decoding Problem*

– Problem 3 :

Given some observations \bar{O} for the HMM λ , how to adjust the model parameter $\lambda=(A,B,\pi)$ to maximize $P(\bar{O}|\lambda)$?

\Rightarrow *Learning /Training Problem*

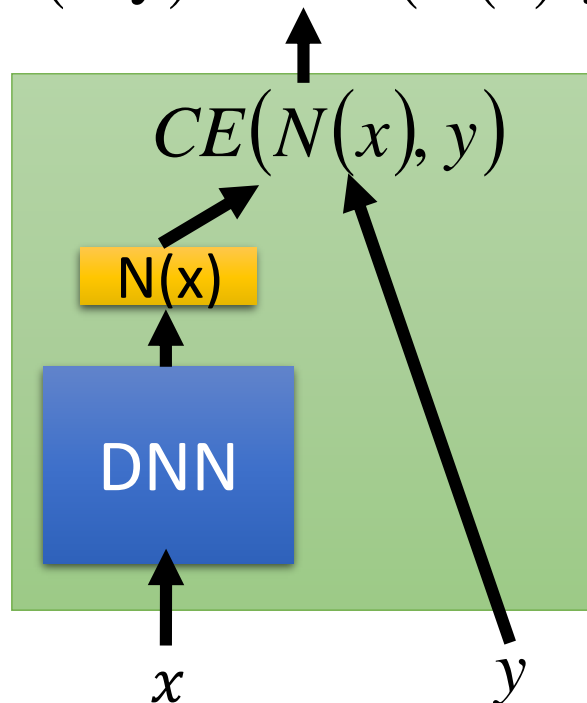
From 數位語音處理

Link to DNN?

The same as what we have learned.

Training

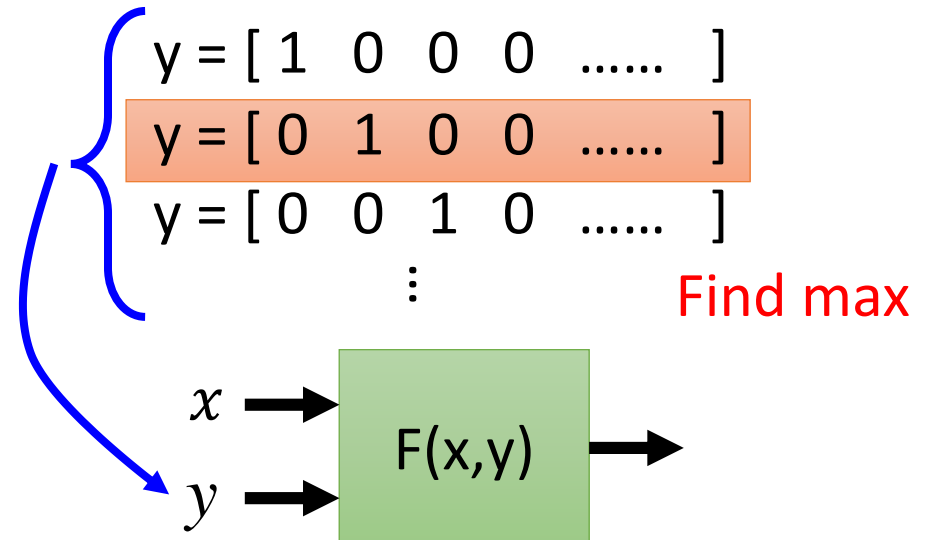
$$F: X \times Y \rightarrow \mathbb{R}$$
$$F(x, y) = -CE(N(x), y)$$



Inference

$$\tilde{y} = \arg \max_{y \in Y} F(x, y)$$

In handwriting digit classification, there are only 10 possible y .



You have to know

- **Viterbi Algorithm**

- 數位語音處理:
 - http://speech.ee.ntu.edu.tw/DSP2015Autumn/Videos/20150930_4.0.fsp.wmv/index.html (請用 IE 開啟)
 - http://speech.ee.ntu.edu.tw/DSP2015Autumn/Videos/20151007_4.0.fsp.wmv/index.html (請用 IE 開啟)
- 演算法
- 數位通信相關課程