

2021-10-17

Some hints for EE6225 CA

First, let's define the Laplace variable s

```
s = tf([1 0],1);
```

Next consider a 1x2 continuous time system

```
Gs = [exp(-s)*1/(10*s+1) exp(-2*s)*1/(20*s+1)]
```

Gs =

From input 1 to output:

$$\exp(-1*s) * \frac{1}{10 s + 1}$$

From input 2 to output:

$$\exp(-2*s) * \frac{1}{20 s + 1}$$

Continuous-time transfer function.

If you descretize the Gs with sampling time Ts, you will get

```
Ts =1; Gz = c2d(Gs,Ts)
```

Gz =

From input 1 to output:

$$z^{(-1)} * \frac{0.09516}{z - 0.9048}$$

From input 2 to output:

$$z^{(-2)} * \frac{0.04877}{z - 0.9512}$$

Sample time: 1 seconds

Discrete-time transfer function.

To get a state space model convenient for MPC design, use the `absorbDelay` command

```
Gz = absorbDelay(Gz)
```

Gz =

From input 1 to output:

$$\frac{0.09516}{z^2 - 0.9048 z}$$

From input 2 to output:

$$0.04877$$

$$z^3 - 0.9512 z^2$$

Sample time: 1 seconds
Discrete-time transfer function.

```
Gz = ss(Gz)
```

Gz =

A =

	x1	x2	x3	x4	x5
x1	0.9048	0	0	0	0
x2	1	0	0	0	0
x3	0	0	0.9512	0	0
x4	0	0	1	0	0
x5	0	0	0	1	0

B =

	u1	u2
x1	0.25	0
x2	0	0
x3	0	0.25
x4	0	0
x5	0	0

C =

	x1	x2	x3	x4	x5
y1	0	0.3807	0	0	0.1951

D =

u1	u2
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