## 数字图像处理实验二:

学号: 161220129 姓名: 王奕琛

● 邮箱: 919345923@qq.com

• 时间: 2019/4/13

## 实验思路:

• 边缘检测:分别使用Roberts算子, Laplacion算子, Prewitt算子和Sobel算子进行边缘检测。

o Roberts算子: 一种梯度算子,用交叉的差分表示梯度。算子模板:  $\begin{pmatrix} 1 & 0 \\ 0 & -1 \end{pmatrix}$  和 $\begin{pmatrix} 0 & 1 \\ -1 & 0 \end{pmatrix}$ 

• Laplacion算子: 一种二阶微分算子,将在边缘处产生一个陡峭的零交叉。算子模板(四邻域):

$$\begin{bmatrix} 0 & -1 & 0 \\ -1 & 4 & -1 \\ 0 & -1 & 0 \end{bmatrix}$$

o Prewitt算子:一种一阶微分算子, 算子模板:

$$\begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix} \begin{bmatrix} 1 & 1 & 1 \\ 0 & 0 & 0 \\ -1 & -1 & -1 \end{bmatrix}$$

o Sobel算子: 离散的一阶差分算子, 算子模板:

$$\begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & -1 \end{bmatrix} \begin{bmatrix} -1 & -2 & -1 \\ 0 & 0 & 0 \\ 1 & 2 & 1 \end{bmatrix}$$

- 边缘链接:
  - o 由于图像是二值图像,且在之前进行边缘检测时,已将整个图像的像素值划分为V1{0}, V2{255}两个集合,其中像素值为V2中的像素值的点为边界点。
  - $\circ$  创建一个[m\*2]的的矩阵M,用来存放进行边缘链接的点
  - 。 以点(row,col)为起点,判断点(row,col)是否为边界点,若是且未被加入M,则将其加入矩阵 M,并对(row,col)的八邻域的点分别进行该操作,若不是则返回上一步操作。
  - 上步操作完成后,M中的点必是相互可达的,对原图中对应于于M中的点置像素为255,其余 置像素为0即可。

## 代码实现:

● 边缘检测: (一般化算法)

```
function output = edge(input_image)
                       in = input_image;
                        [m,n] = size(in);
                       output_image = input_image;
                       for j = 2:m-1
                                           for k = 2:n-1
                                                                  %robert算子:
                                                                     robertsNum = abs(input_image3(j,k)-
 input_image3(j+1,k+1))+abs(input_image3(j+1,k)-input_image3(j,k+1));
                                                                  %laplacion算子:
                                                                    laplacianNum = abs(4*input_image4(j,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input_image4(j-1,k)-input
 input_image4(j+1,k)-input_image4(j,k+1)-input_image4(j,k-1));
                                                                  %prewitt算子:
                                                                    PrewittNum = abs(in(j-1,k+1)-in(j+1,k+1)+in(j-1,k)-in(j+1,k)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(j-1,k-1)+in(
1)-in(j+1,k-1)+abs(in(j-1,k+1)+in(j,k+1)+in(j+1,k+1)-in(j-1,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)-in(j,k-1)
 in(j+1,k-1));
                                                                  %sobel算子:
                                                                    sobelNum = abs(gray(j-1,k+1)+2*gray(j,k+1)+gray(j+1,k+1)-gray(j-1,k-1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)+gray(j+1,k+1)
1) - 2*gray(j,k-1) - gray(j+1,k-1)) + abs(gray(j-1,k-1) + 2*gray(j-1,k) + gray(j-1,k+1) - gray(j-1,k-1)) + abs(gray(j-1,k-1) + 2*gray(j-1,k) + gray(j-1,k-1)) + abs(gray(j-1,k-1) + 2*gray(j-1,k-1)) + abs(gray(j-1,k-1) + 2*gray(j-1,
 gray(j+1,k-1)-2*gray(j+1,k)-gray(j+1,k+1));
                                                                    if(Num > Threshold) %Threshold对robert算法和laplace算法取0.2, 对sobel算法取
 0.8, 对prewitt算法取0.5
                                                                                          output_image(j,k) = 255;
                                                                                          output_image(j,k) = 0;
                                                                    end
                                             end
                        end
                       figure,imshow(output_image);
                       title('kind')
                     output = output_image;
 end
```

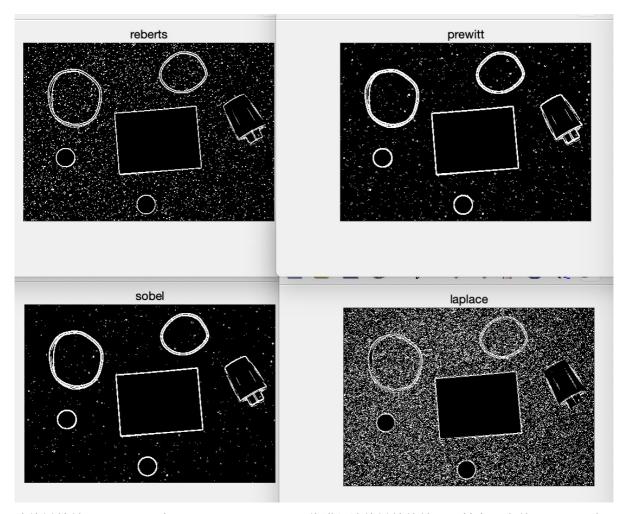
• 边缘链接:

```
function output = my_edgelinking(binary_image,row,col)
    image = binary_image;
%对应于matlab系统自带的bwtraceboundary函数,传入点的像素值补能为0;
    if(image(row,col) == 0)
        output = 0;
        return;
    end
    %点(row,col)为M的第一个点
    M = [row,col];
    %将点(row,col)的像素值置0,避免重复计算
    image(row,col) = 0;
%对点(row, col)的八邻域的点进行判断
    get_edge(row,col+1);
    get_edge(row+1,col+1);
```

```
get_edge(row+1,col);
  get_edge(row+1,col-1);
 get_edge(row,col-1);
  get_edge(row-1,col+1);
 get_edge(row-1,col);
  get_edge(row-1,col-1);
  function get_edge(row1,col1)
   %点像素为0则返回,说明该点已被加入M,或不属于边界点
   if(image(row1,col1) == 0)
     return;
   else
     %将该点加入M并置像素值为0;
     M = cat(1,M,[row1,col1])
     image(row1, col1) = 0;
     %对该点的八邻域内的点递归进行函数get_edge;
     get_edge(row1, col1+1);
     get_edge(row1+1,col1+1);
     get_edge(row1+1,col1);
     get_edge(row1+1,col1-1);
     get_edge(row1, col1-1);
     get_edge(row1-1,col1+1);
     get_edge(row1-1,col1);
     get_edge(row1-1,col1-1);
   end
  end
 %按点显示边缘链接的结果
  function show_edge_with_point(b_image)
    [m,n] = size(b_image);
   N = zeros(m,n);
   [p,q] = size(M);
   for i = 1:p
     N(M(i,1),M(i,2)) = 255;
   figure,imshow(N);
   title('edgewithpoint')
  show_edge_with_point(image);
  output = M;
end
```

## 处理结果:

● 几种边缘检测对比。其中sobel算法和prewitt算法处理得到的效果最好,roberts算法所得结果略受噪声影响,laplace算法所得结果受噪声影响严重。这是正常情况,由laplace算法性质所导致,一般而言我们在使用laplace算法进行边缘检测时,应先对图像进行平滑处理。由此,也可将平滑算法的算子和Laplacion算子结合生成新的模板。



● 边缘链接结果。下图是对rubberand\_cap.png图像进行边缘链接的结果,其中F7为使用matlab自带的plot函数所得结果,而F6为对边缘链接所得的矩阵M中的点进行描点所得到的图像。由于矩阵M中的点是按递归顺序所排,存在两个点相距较远的情况,导致使用plot函数所得图像中会有多余的线段。但是通过描点图像可以看出M矩阵中的点均为边界点且符合条件。又由于我们使用的是对八邻域进行判定,从而使我们的边缘链接效果更好。(例如对点[54,339],使用系统函数bwtraceboundary所得到的仅有一个点,但事实上该点在一个圆的边界上。使用我们的函数可以保证该点所在的圆的边界均被链接。如下图2)

