MORE ON RECURSION





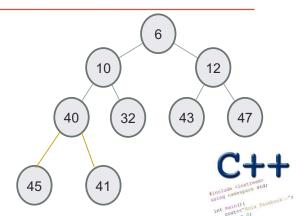


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Problem Solving with Computers-I







COMPUTER SCIENCE UNDERGRADUATE AFFAIRS COMMITTEE PRESENTS



Speed Advising

Date: Friday, December 6, 2019 Location: 1132 Harold Frank Hall Time: 10:00 AM - 1:00 PM

Refreshments will be provided

Final Exam: Monday 12/09, noon-3:00p, Embarcadero Hall

Final Exam Review Session:

Day: Friday (12/06)

Time: 5:00p - 7:00p

Location: Phelps 3536

Diba's OH = Wed · 10-11a. Fri- 2p-4pa

```
return type Thinking recursively!

parameter.

int fac(int N) {
                if (N <= 1)
    return 1;</pre>
Base case
                else{
                        int rest = fac(N-1);
return rest * N;
Recursive
case
                                             Computer: Everything else
          Human: Base case and 1 step
```

Thinking recursively! Return int fac(int N) { **Base case** return 1; else return fac(N-1) * N; fac(2-1) * 2 Recursive case (shorter version)

Human: Base case and <u>1 step</u>

Computer: Everything else

```
int fac(int N) {
    Behind the curtain...

if (N <= 1)
    return 1;
else
    return N * fac(N-1);
}

cout<<fac(1);</pre>
```

Result:

The base case!

```
Behind the curtain...
int fac(int N) {
   \rightarrow if (N <= 1)
           return 1;
       else
        return N * fac(N-1);
                      fac (5)
                           5 * fac (4)
```

```
int fac(int N) {
    Behind the curtain...

if (N <= 1)
    return 1;
else
    return N * fac(N-1);
}

fac(5)</pre>
```

5 * fac(4)

```
Behind the curtain...
int fac(int N) {
    if (N <= 1)
        return 1;
    else
    return N * fac(N-1);
                   fac(5)
                    * fac(4)
                         * fac(3)
```

```
Behind the curtain...
int fac(int N) {
    if
       (N <= 1)
        return 1;
    else
        return N * fac(N-1);
                    fac(5)
                      * fac(4)
                          * fac(3)
                                fac (2)
```

```
Behind the curtain...
int fac(int N) {
    if
       (N <= 1)
        return 1;
    else
        return N * fac(N-1);
                    fac(5)
                     * fac(4)
                          * fac(3)
                              * fac(2)
                                    fac(1)
```

```
Behind the curtain...
  int fac(int N) {
          (N \leq 1)
           return 1;
      else
           return N * fac(N-1);
                       fac (5)
      "The Stack"
                           fac(4)
                             * fac(3)
                                3 * fac(2)
Remembers all of
                                        fac(1)
the individual calls
           to fac
```

```
Behind the curtain...
int fac(int N) {
    if
       (N <= 1)
        return 1;
    else
        return N * fac(N-1);
                   fac(5)
                     * fac(4)
                          * fac(3)
                            3 * fac(2)
```

```
Behind the curtain...
int fac(int N) {
    if
       (N <= 1)
        return 1;
    else
        return N * fac(N-1);
                    fac(5)
                     * fac(4)
                          * fac(3)
                            3 *
                                  2
```

```
Behind the curtain...
int fac(int N) {
    if (N <= 1)
        return 1;
    else
        return N * fac(N-1);
                   fac(5)
                     * fac(4)
                              6
```

```
int fac(int N) {
     Behind the curtain...

if (N <= 1)
     return 1;
else
     return N * fac(N-1);
}

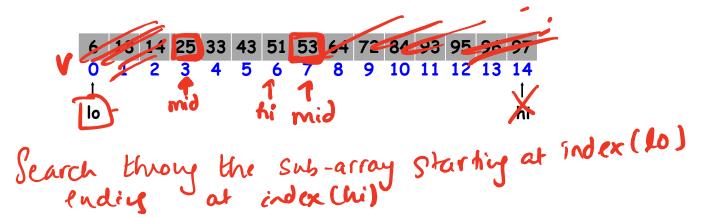
fac(5)

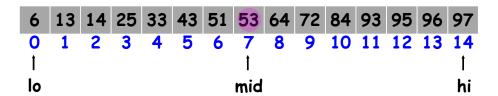
5 * 24</pre>
```

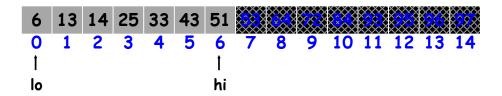
```
Behind the curtain...
int fac(int N) {
    if (N <= 1)
        return 1;
    else
        return N * fac(N-1);
                   fac(5)
                  Result: 120
```

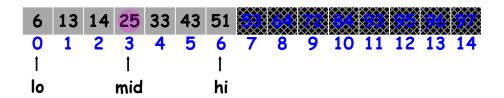
Binary Search: Efficient search in a sorted array

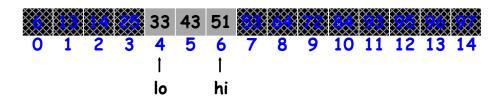
- Binary search. Given value and sorted array v[], find index i such that v[i] == value, or return -1 indicating that no such index exists.
- Invariant. Algorithm maintains $v[lo] \le value \le v[hi]$.
- Ex. Binary search for 33.

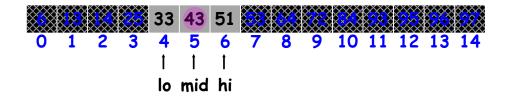


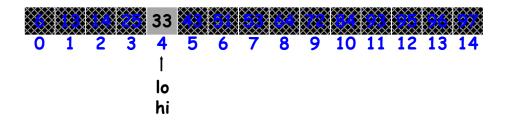


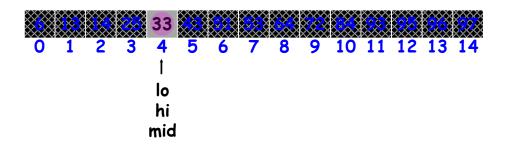


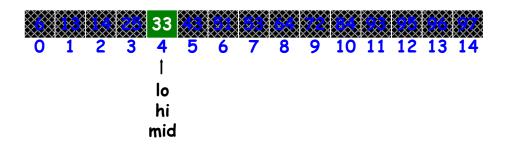












Write the recursive implementation of Binary search

int binarySearch(int v[], int value, int lo, int hi);

Which of the following is a valid base case?

```
int binarySearch(int v[], int value, int lo, int hi){
              r Incorrect return value for
                                      D: Neither
       if(hi<=lo){
return -1;
      int mid = (lo + hi)/2;
      if(v[mid] == value){
        return mid;
C: Both A and B this low - lo
```

Fill in the blanks

int binarySearch(int v[], int value, int lo, int hi){ if(hi < lo)Pase case 1 return -1; int mid = (lo + hi)/2; if(v[mid] == value) return mid; if (v[mid] < value) { // search right half B: mid Veturn binarySearch(v, value, md+1), hi); C: mid return bicaysearch (v, value, lo, mids). D mid + 1

Searching a linked list

Given a linked list, implement a recursive search function

- Return true if a given value is present in the linked list
- Otherwise return false



Recursive function to free nodes in a linked list

Given a linked list, implement a recursive function to delete all the nodes in the linked list



Is this a correct implementation?

return -1;

if(v[mid] == value)

if(v[mid] < value){</pre>

return mid;

int mid = (lo + hi)/2;

if(hi<lo)

}else{

```
int binarySearch(int v[], int value, int lo, int hi){
                                       Missing return
         binarySearch(v, value, mid + 1, hi);
         binarySearch(v, value, lo, mid - 1);
```

A: Yes