

## PRODUCTION LINE PERFORMANCE

PROJECT WORK IN LANGUAGES AND ALGORITHMS FOR ARTIFICIAL INTELLIGENCE CLASS (MODULE 2)

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# **DATASETS**

- Arrest: Contains statistics, in arrests per 100.000
   residents, for assault, murder, and rape in each of the 50
   US states in 1973. It also gives the percent of the
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- Adult: Aims at separating people whose income is greater than 50 thousands dollars per year from the rest.

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#### **ACTUAL DATASET**

 Bosch: Aims at predicting internal failures using thousands of measurements and tests made for each component along different assembly lines.

# PREPROCESSING

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  - 1183747 labeled examples
  - 0.58% of failed products
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- **Common**: Columns containing null values and constant values in each row are dropped.
- Clustering: Values are binarized (0 meaning null value and 1 meaning not null value) and PCA is applied to binarized features.
- Classification: A feature imputation method (mean value over the column), followed by feature standardization (zero mean, unit variance) and PCA, is applied over non-binary values in each cluster.
- Prediction: A new example follows the same preprocessing scheme as the whole dataset.

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# Custom implementation of the PCA workflow, taking into account:

- Features assembly and features standardization.
- Selection of the minimum number of principal components explaining the given percentage of variance in the data (defaults to 95%).
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The chosen clustering algorithm is **k-means**, since density-based methods (like **DBSCAN**) are still not available in Spark. So, the following issues needed to be addressed:

- Problem: Automatically select the right amount of clusters:
  - Silhouette and elbow methods are not ideal, since they require human analysis.
  - Spark 3.0.0 dropped support for *inertia* computation, maintaining only evaluation by silhouette scores.
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- For k = 1, ..., K, where K is the maximum number of clusters, perform k-means and compute the resulting inertia  $I_k$ .
- Generate B reference datasets by sampling from a uniform distribution over each feature, where the support is directly identified by features ranges. Then, for k=1,..,K and b=1,..,B, perform k-means and compute the resulting inertia  $I_{kb}$ . Finally, estimate  $E^*[log(I_{kb})]$  as  $\frac{1}{B}\sum_b log(I_{kb})$ .
- Compute the Gap score as  $Gap(k) = E^*[log(I_{kb})] log(I_k)$ .
- Compute the standard deviation  $sd_k$  of  $log(I_{kb})$  and define  $s_k = sd_k * \sqrt{1 + \frac{1}{B}}.$
- Select the minimum k s.t.  $Gap(k) Gap(k+1) + s_{k+1} \ge 0$ .

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#### **CLASSIFIERS**

- Implemented models: Decision Tree, Random Forest and Gradient Boosted Tree.
- Training strategy: Hyper-parameters selected by cross-validation on a parameter grid, mainly consisting of the following:
  - Maximum depth of each tree, ranging from 1 to 30 with step 5.
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Different evaluation strategies, based on a custom *confusion matrix* computation:

- Accuracy:  $\frac{TP+TN}{TP+FP+FN+TN}$  (not well-suited to the Bosch dataset, given its high class imbalance).
- $F_1$ -score:  $2 \times \frac{PPV \times TPR}{PPV + TPR}$ , where  $PPV = \frac{TP}{TP + FP}$  and  $TPR = \frac{TP}{TP + FN}$ .
- Area under ROC: The two-dimensional area underneath the entire ROC curve (TPR/FPR) at varying thresholds) from (0,0) to (1,1), where  $FPR = \frac{FP}{FP+TN}$ .
- Matthew's Correlation Coefficient (MCC)  $\frac{TP \times TN FP \times FN}{\sqrt{(TP + FP) \times (TP + FN) \times (TN + FP) \times (TN + FN)}}.$

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- Spark 3.0.0 could be manually installed to EC2 clusters, but the Flintrock service already provides some shortcuts to create the desidered clusters and automatically install the selected Spark/Hadoop version.
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## **MACHINES**

# • Local:

■ Type: Macbook Pro 16-inch 2019

■ CPU: 2.3 Ghz 8-Core Intel Core i9

■ RAM: 16 GB 2667 MHz DDR4

#### Cloud:

■ Type: t2.2xlarge

Workers: 3

■ Total #cores: 24

■ Total RAM: 91.2 GB

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# RESULTS

# DATA bosch-less-less

- Number of examples (random subset): 11 432
- Number of features (random subset): 50
- Percentage of failures: 0.0056%
- Identified number of clusters: 8
- Random Forest model with/without cross-validation:
  - Accuracy/F1 score/Area under ROC: Almost 1.0 for each classifier
  - MCC score/Percentage of correctly predicted failures:
     Around 0.0 on every classifier (near random prediction)

# DATA bosch-less

• Number of examples: 13 758

• Number of features: 968

• Percentage of failures: 50%



#### REFERENCES

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