Lab # 02: Functions and Signal Operations

Objective:

Generating and operating basic sequences. In this lab we will learn to:

- Generate Delta (Impulse) Function.
- Generate Unit Step Function.
- Generate Exponential Function.
- Generate sinusoidal function.
- Perform operations (scaling, shifting) on above functions.

<u>The Unit Delta (Impulse) function:</u> often called the discrete time impulse or the unit impulse. It is denoted by $\delta[n]$.



The Unit Step function: The unit step, denoted by u(n), is defined by

$$\mathbf{U}(\mathbf{n}) = \begin{cases} 1 & , n \ge 0 \\ 0 & , n < 0 \end{cases}$$

<u>Creation of Unit Impulse and Unit Step sequences:</u> A unit impulse sequence I[n] of length N can be generated using the MATLAB command

$$I = [1 \text{ zeros } (1, N-1)];$$

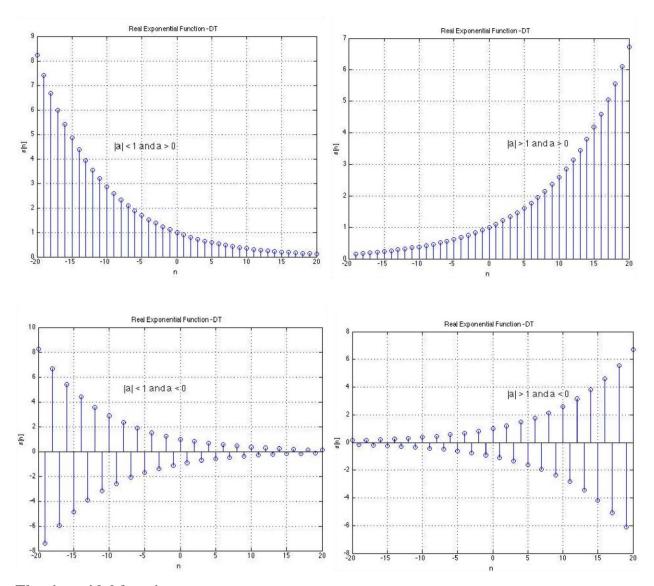
Similarly, a unit step sequence S[n] of length N can be generated using the MATLAB command S=[ones (1, N)]

The Exponential Function: Finally, an exponential sequence is defined by

Exponential signal =
$$A\alpha^n$$

The sign of α does not affect the rising or falling of the signal; instead, it affects its oscillatory behavior. Negative alphas cause the signal to alternate between negative and positive values.

The *magnitude* of α affects the rising and falling behavior: $|\alpha| < 1$ results in falling signals, whereas $|\alpha| > 1$ results in rising signals.

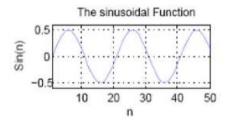


The sinusoidal function:

$$Y(n) = A \sin(W_c n + \varphi)$$

A=Amplitude, W_c = Angular frequency, phi (ϕ) = phase shift $W_c = 2\pi f$ where f =frequency

f = 1/T where T = Time Period.



Basic Operations:

Signal Adding: This is a sample-by-sample addition given by

$${x_1(n)}+{x_2(n)}={x_1(n)+x_2(n)}$$

and the length of x1(n) and x2(n) must be the same.

<u>Signal Multiplication:</u> This is a sample-by-sample multiplication (or "dot" multiplication) given by

$$\{x_1(n)\} \bullet \{x_2(n)\} = \{x_1(n)x_2(n)\}$$

and the length of x1(n) and x2(n) must be the same.

Shifting: In this operation each sample of x(n) is shifted by an amount k to obtain a shifted sequence

$$y(n) = \{x(n-k)\}$$

Folding: In this operation each sample of x(n) is flipped around n = 0 to obtain a folded sequence y(n).

$$y(n) = \{x(-n)\}$$

LAB TASK # 01:

- a) Write a generic MATLAB code to generate a unit impulse and unit step
- b) Plot the exponential signal by taking the value of A=2 and taking the value of " α " equal to -4, -0.5, 0.5, 4. Plot all the sequences in a single figure using "subplot" command. Give your interpretation about the sequences.
- c) Write a generic MATLAB code to generate a sinusoidal range -50:50, frequency 0.08, amplitude 2.5 and phase shift 90 degrees and display it.

LAB TASK # 02:

$$x1(n) = [11 - 13 \ 15 \ 7 - 9]$$
 $-2 \le n \le 2$
 $x2(n) = [-12 \ 14 \ 6 - 8 \ 5]$ $0 \le n \le 4$

- a) Write a MATLAB function for signal shifting, and shift given signals by 5 i.e. (x[n-5]) and by 6 i.e. (x[n+6]) respectively.
- b) Write a MATLAB function for signal flipping and flip above signals. (**Do not use MATLAB** built in function for flipping)
- c) Generate and plot the following sequences:

$$x[n] = 3 * \delta[n - 10] + 15 * \delta[n + 7]$$
 $-15 \le n \le 15$ $x[n] = n * u[n] + u[n-10] + u[n-20] + 10\alpha^{-0.8[n-5]}[u[n-20]-u[n-30]]$ $-30 \le n \le 30$ Where a=2.

Note: Plot signals using stem. Give title to resultant signal and label x-axis and y-axis properly.