

# Project 1 - 2D Parametric Curves

Computer Graphics Course

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## 1. Description of Program Inputs

### Vertex Attributes

Name	Type	Description
a_idx	float	Index of each vertex sample (from 0 to <code>u_nsamples-1</code> ). Used to compute parameter $t$ for curve generation.

### Uniform Variables

Name	Type	Description
<code>u_tmin</code>	float	Lower bound of parameter $t$ (start of the curve).
<code>u_tmax</code>	float	Upper bound of parameter $t$ (end of the curve).
<code>u_nsamples</code>	int	Number of samples used to draw the curve (controls smoothness).
<code>u_type</code>	int	Defines which curve family is drawn (1–6).
<code>u_coef[3]</code>	float[3]	Coefficients ( $a, b, c$ ) used in the parametric equations.
<code>u_scale</code>	float	Global zoom/scale factor for the scene.
<code>u_offset</code>	vec2	Translation offset (for panning).
<code>u_aspect</code>	float	Aspect ratio of the viewport (width/height).
<code>u_hue</code>	float	Normalized hue value (0–1) defining the curve color.

## 2. Extra Functionality: Dynamic Color Control

A custom color control was added using a hue slider (`<input type="range">`) in the HTML interface.

- The user can manually change the color of the curve in real time by adjusting the hue slider.

- The hue value (in degrees, 0–360) is converted to a normalized float (0–1) and passed to the fragment shader as `u_hue`.
- When the animation is active (Space key), the hue slider hides automatically and the color hue cycles smoothly over time, producing a continuous rainbow-like transition.
- When the animation stops, the hue slider reappears and manual color control becomes available again.

## Color Interpolation Method

The color is computed from the hue using a cosine-based interpolation that smoothly transitions between the RGB components. Let the hue value be  $u_{\text{hue}} \in [0, 1]$ . The color vector is calculated as:

$$\text{color} = 0.5 + 0.5 \cdot \cos \left( 2\pi u_{\text{hue}} + \begin{bmatrix} 0 \\ \frac{2\pi}{3} \\ \frac{4\pi}{3} \end{bmatrix} \right)$$

where the phase shifts of  $0, \frac{2\pi}{3}, \frac{4\pi}{3}$  correspond to the red, green, and blue channels respectively. This cosine interpolation ensures that all color components vary sinusoidally and remain within  $[0, 1]$ , creating a continuous and visually smooth transition across the full color spectrum.