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                                                                    \overset{1}{\alpha} \{A + A'\} = \alpha A + \alpha A', \alpha \{cA\} = c\alpha A 
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x
                                                                      P_a = x\delta_{\xi a}x
\xi_{a}^{(2)}, \xi_{a}^{(2)}, \xi_{a}^{(2)}
\xi_{a}^{(3)}, \xi_{a}^{(3)} = 0
                                                                 \begin{pmatrix} P \\ m \\ \xi | P \rangle = 0 \\ ?? \\ \langle P | \xi^2 | P \rangle = 0 
                                                            \begin{cases} \langle P \rangle \\ \langle P | \xi \\ \langle P | \xi \rangle \\ \langle P | \xi^2 | P \rangle = \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle \\ \langle P | \xi \xi | P \rangle 
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