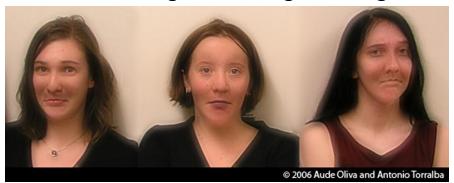
# CS4670/5670: Intro to Computer Vision Noah Snavely

#### Lecture 1: Images and image filtering



Hybrid Images, Oliva et al., http://cvcl.mit.edu/hybridimage.htm

# CS4670: Computer Vision

**Noah Snavely** 

#### Lecture 1: Images and image filtering



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# CS4670: Computer Vision Noah Snavely

Lecture 1: Images and image filtering



Hybrid Images, Oliva et al., http://cvcl.mit.edu/hybridimage.htm

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### Lecture 1: Images and image filtering



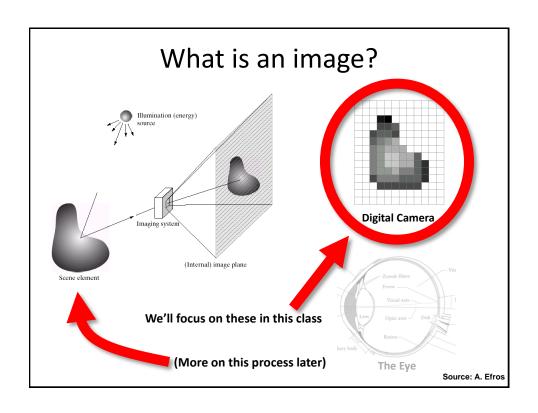
Hybrid Images, Oliva et al., <a href="http://cvcl.mit.edu/hybridimage.htm">http://cvcl.mit.edu/hybridimage.htm</a>

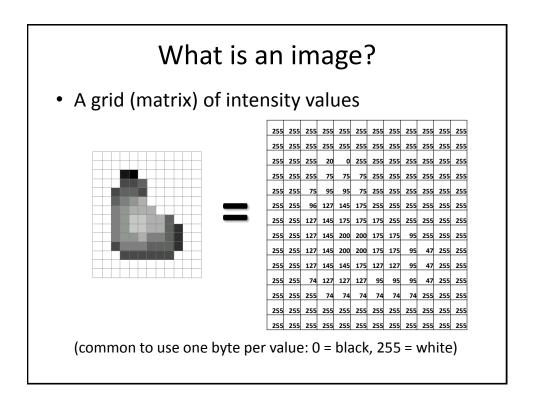
# Reading

• Szeliski, Chapter 3.1-3.2

# What is an image?





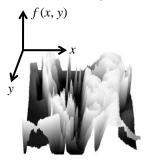


## What is an image?

- We can think of a (grayscale) image as a function, f, from R<sup>2</sup> to R:
  - -f(x,y) gives the **intensity** at position (x,y)



version of this function



A digital image is a discrete (sampled, quantized)

## Image transformations

 As with any function, we can apply operators to an image













g(x,y) = f(x,y) + 20

g(x,y) = f(-x,y)

 We'll talk about a special kind of operator, convolution (linear filtering)

## Question: Noise reduction

· Given a camera and a still scene, how can you reduce noise?



Take lots of images and average them!

What's the next best thing?

Source: S. Seitz

## Image filtering

• Modify the pixels in an image based on some function of a local neighborhood of each pixel



Local image data





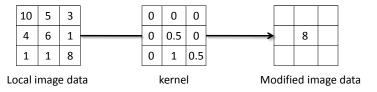


Modified image data

Source: L. Zhang

## Linear filtering

- One simple version: linear filtering (cross-correlation, convolution)
  - Replace each pixel by a linear combination (a weighted sum) of its neighbors
- The prescription for the linear combination is called the "kernel" (or "mask", "filter")



Source: L. Zhang

#### Cross-correlation

Let F be the image, H be the kernel (of size  $2k+1 \times 2k+1$ ), and G be the output image

Image 
$$G[i,j] = \sum_{u=-k}^{k} \sum_{v=-k}^{k} H[u,v]F[i+u,j+v]$$

This is called a **cross-correlation** operation:

$$G = H \otimes F$$

 Can think of as a "dot product" between local neighborhood and kernel for each pixel

#### Convolution

 Same as cross-correlation, except that the kernel is "flipped" (horizontally and vertically)

$$G[i,j] = \sum_{u=-k}^{k} \sum_{v=-k}^{k} H[u,v]F[i-u,j-v]$$

This is called a **convolution** operation:

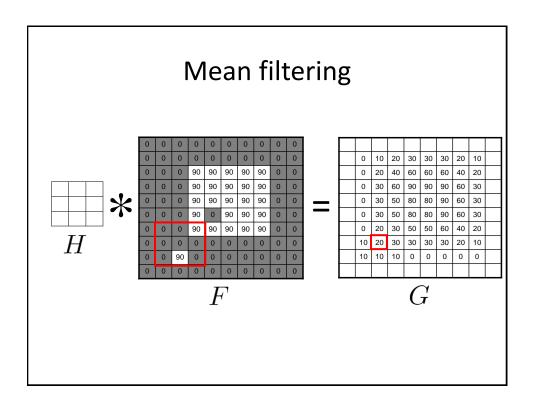
$$G = H * F$$

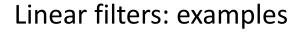
• Convolution is commutative and associative

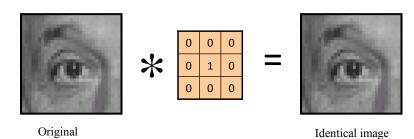
### Convolution

 $oxed{\overline{H}}$   $oxed{F}$ 

Adapted from F. Durand







Source: D. Lowe

# Linear filters: examples



Original







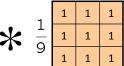
Shifted left By 1 pixel

Source: D. Lowe

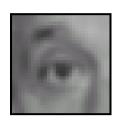
## Linear filters: examples



Original



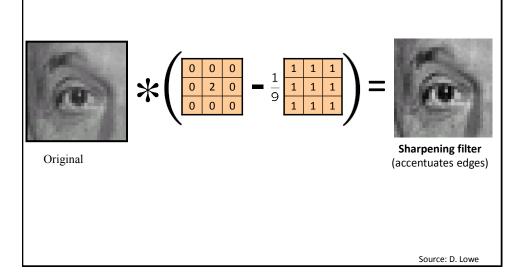




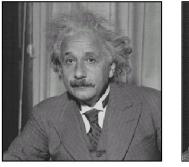
Blur (with a mean filter)

Source: D. Lowe

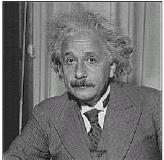
# Linear filters: examples



## Sharpening



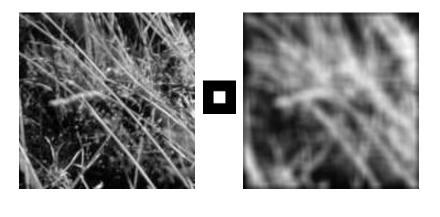




after

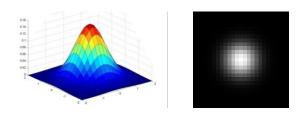
Source: D. Lowe

# Smoothing with box filter revisited



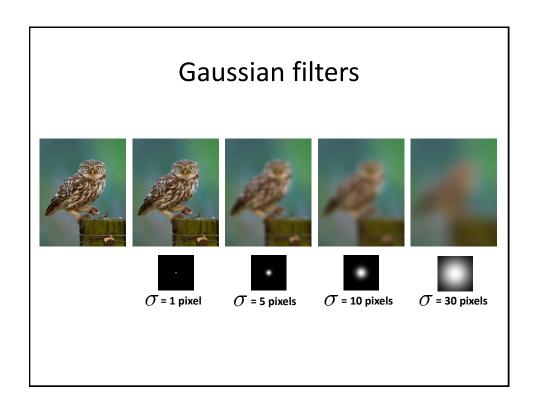
Source: D. Forsyth

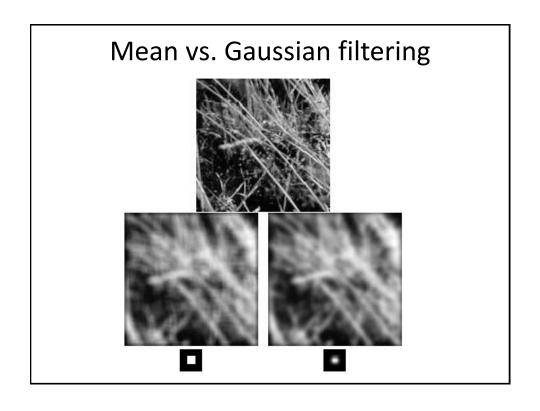
#### Gaussian Kernel



$$G_{\sigma} = \frac{1}{2\pi\sigma^2} e^{-\frac{(x^2 + y^2)}{2\sigma^2}}$$

Source: C. Rasmussen





#### Gaussian filter

- Removes "high-frequency" components from the image (low-pass filter)
- Convolution with self is another Gaussian



– Convolving twice with Gaussian kernel of width  $\sigma$  = convolving once with kernel of width  $\sigma\sqrt{2}$ 

Source: K. Grauman

# Sharpening revisited

• What does blurring take away?







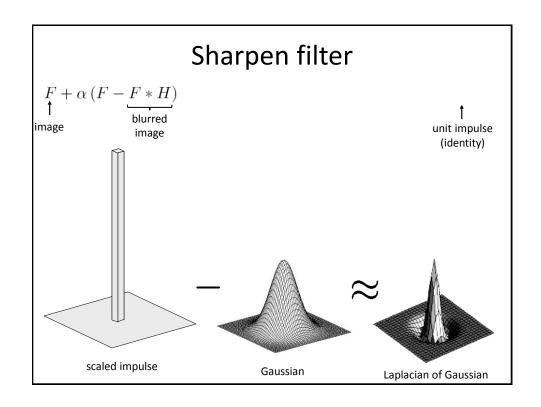
Let's add it back:

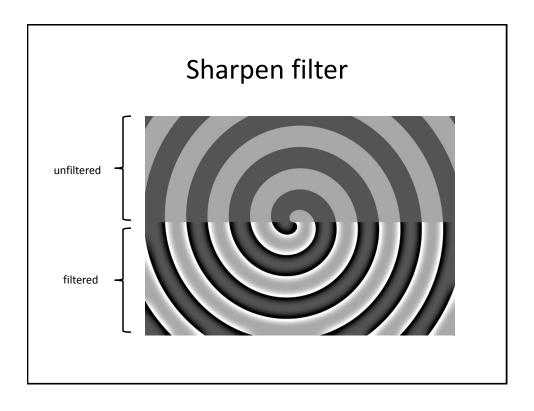


+ α detail



Source: S. Lazebnik







#### Camera shake









Source: Fergus, et al. "Removing Camera Shake from a Single Photograph", SIGGRAPH 2006

**Bokeh**: Blur in out-of-focus regions of an image.







Source: http://lullaby.homepage.dk/diy-camera/bokeh.html

## **Questions?**

- For next time:
  - Read Szeliski, Chapter 3.1-3.2