STAT202A HW5 --- Convolutional Networks

So far we have worked with fully-connected networks, using them to explore different optimization strategies and network architectures. Fully-connected networks are a good testbed for experimentation because they are very computationally efficient, but in practice all state-of-the-art results use convolutional networks instead.

In this homework, your are required to implement convolution layer, forward and backward. All other part of the code are given. You will then use these layers to train a convolutional network on the CIFAR-10 dataset.

Please following these steps,

- . STEP 1: Implement two function in second block, CNN forward and backward.
- STEP 2: Read the code I provided, especially code in this pythonbook, the definition of CNN network in second block class. Add comments to codes in second blocks. (You can also read code provided in zip, but you do not need to make comment)
- . STEP 3: Run each block one by one see every thing works well.
- STEP 4: Try to turn the learning rate and other setting to make final cifar learning well. Notice the cifar training use fast version CNN so this is not affected by your implementation. i.e. even you you fail to implement CNN layer, you can still it play it.
- STEP 5: Doing more extra play at the end of this pythonbook. e.g.: Try to virtualize more filter / try to plot an accuracy according to different setting / calculate the accuracy by each class ... It is extra and optional.
- STEP 6: Press Ctrl + P (or Commend + P) to print this page to pdf. Then download this ipynb files.
- STEP 7: Submit the pdf and ipynb files only to ccle. (Two files, pdf and ipynb, no other filetype accepted)

In order to useit in google Colab, remember to change Runtime -> change runtime type -> python version from python 3 to python 2. Then run the first block, select the zip files I provided to upload and this block of code will automatically unzip it. Then, it will download cifar files and makefiles.

If any problem caused later and crack the runtime. Remember to reset the runtime by Runtime -> Reset all runtimes and rerun the first block.

```
1 from google.colab import files
2 uploaded = files.upload()
3 !unzip HW5_code
4 !pip install Cython==0.21
5 !python HW5_code/setup.py build_ext --inplace
6 !mv im2col_cython.c HW5_code/im2col_cython.c
7 !mv im2col_cython.so HW5_code/im2col_cython.so
8 !mv im2col_cython.pyx HW5_code/im2col_cython.pyx
9 !wget http://www.cs.toronto.edu/-kriz/cifar-10-python.tar.gz
10 !tar -xzvf cifar-10-python.tar.gz
11 !rm cifar-10-python.tar.gz
```

```
inflating: HW5_code/data_utils.py
        inflating: HW5 code/fast layers.py
        inflating: HW5 code/gradient check.py
        inflating: HW5_code/im2col.py
        inflating: HW5_code/layers.py
        inflating: HW5_code/layer_utils.py
        inflating: HW5_code/optim.py
        inflating: HW5_code/setup.py
        inflating: HW5_code/solver.py
        inflating: HW5 code/vis utils.py
      extracting: HW5_code/__init__.py
        inflating: im2col cython.pyx
 1 # As usual, a bit of setup
 from _future_ import print_function
import numpy as np
import matplotlib.pyplot as plt
 # Import inaction in pyplot as pit
from HW5 code.data utils import get_CIFAR10_data
from HW5_code.gradient_check import eval_numerical_gradient_array, eval_numerical_gradient
from HW5_code.layers import *
from HW5_code.fast_layers import *
from HW5_code.solver import Solver
from HW5_code.solver import Solver
10 from HW5_code.layer_utils import
## magic command: embed figure and chart into this notebook
3 %matplotlib inline
14 plt.rcParams['figure.figsize'] = (10.0, 8.0) # set default size of plots
15 plt.rcParams['image.interpolation'] = 'nearest'
16 plt.rcParams['image.cmap'] = 'gray'
18 # for auto-reloading external modules
19 # see http://stackoverflow.com/questions/1907993/autoreload-of-modules-in-ipython
20 %load ext autoreload
21 %autoreload 2
22
def rel_error(x, y):
""" returns relative error """
25
      return np.max(np.abs(x - y) / (np.maximum(le-8, np.abs(x) + np.abs(y)))) ## max(): select max value of the vector. maximum(): select
26
27 class ThreeLayerConvNet(object):
28
29
          A three-layer convolutional network with the following architecture:
          conv - relu - 2x2 max pool - fc - relu - fc - softmax The network operates on minibatches of data that have shape (N, C, H, W)
30
32
          consisting of N images, each with height H and width W and with C input
33
          channels.
34
35
          36
37
38
                             dtype=np.float32):
39
40
               Initialize a new network.
41
                Inputs:
               - input dim: Tuple (C, H, W) giving size of input data
- num_filters: Number of filters to use in the convolutional layer
42
43
               - filter_size: Size of filters to use in the convolutional layer - hidden_dim: Number of units to use in the fully-connected hidden layer - num_classes: Number of scores to produce from the final fc layer.
44
45
46
47
               - weight scale: Scalar giving standard deviation for random initialization
48
               - reg: Scalar giving L2 regularization strength - dtype: numpy datatype to use for computation.
49
50
51
52
               self.params = {} ## store weights and biases of each layer
53
               self.reg = reg
54
55
               self.dtype = dtype
56
57
               C, H, W = input_dim
## Initial 1st layer (conv): [32, 3, 7, 7]
                ## there are 32 kernals in this layer, and each kernal has 3 dimensions (corresponding to original graph's channel RGB),
58
59
                ## and each kernal is 7x7
               self.params['Wl'] = np.random.normal(0, weight_scale, [num_filters, 3, filter_size, filter_size])
self.params['bl'] = np.zeros([num_filters]) # each filter (kernal) has a bias
60
61
62
               ## Initial 2nd layer (fc): after conv and max pooling, the weight and height are half, and channel changes from 3 to 32
## so for fully connected layer, the shape would be [N, 16x16x32].
## First, we will flatten the graph after conv from [32, 16, 16] to [32x16x16],
## then, do fc and reduce the dimension from 32x16x16 to 100
self.params['W2'] = np.random.normal(0, weight_scale, [np.int(H/2)*np.int(H/2)*num_filters, hidden_dim])
63
64
65
66
67
68
                self.params['b2'] = np.zeros([hidden_dim])
69
               ## Initial 3rd layer (fc): keep reducing the dimension from 100 to 10 (cifar dataset has 10 classes)
self.params['W3'] = np.random.normal(0, weight_scale, [hidden_dim, num_classes])
self.params['b3'] = np.zeros([num_classes])
70
71
72
73
74
75
76
77
                for k, v in self.params.items(): ## set data type
                      self.params[k] = v.astype(dtype)
78
          def loss(self, X, y=None):
79
80
               Evaluate loss and gradient for the three-layer convolutional network. Input / output: Same API as TwoLayerNet in fc_net.py.
81
82
               W1, b1 = self.params['W1'], self.params['b1']
W2, b2 = self.params['W2'], self.params['b2']
W3, b3 = self.params['W3'], self.params['b3']
83
84
85
86
                # pass conv_param to the forward pass for the convolutional layer
87
               filter_size = W1.shape[2] # 7
conv_param = {'stride': 1, 'pad': (filter_size - 1) // 2} # floor division, padding = 3
88
90
91
                # pass pool_param to the forward pass for the max-pooling layer
                pool_param = {'pool_height': 2, 'pool_width': 2, 'stride': 2} # halve the original size to 16x16
92
```

```
94
               scores = None
 95
               ## forward: [N, 3, 32, 32] -> [N, 10]
layerl_out, combined_cache = conv_relu_pool_forward(X, Wl, bl, conv_param, pool_param) # 1st layer: conv + relu + 2x2 max pool_out, fcl_cache = fc_forward(layerl_out, W2, b2) # 2nd layer: fc
relu2_out, relu2_cache = relu_forward(fcl_out) # 2nd layer: relu
fc2_out, fc2_cache = fc_forward(relu2_out, W3, b3) # 3rd layer: fc
 96
 98
 99
100
101
102
               scores = np.copy(fc2_out)
               if y is None:
return scores
103
104
105
106
               loss, grads = 0, {}
107
108
               loss, dsoft = softmax_loss(scores, y) # 3rd layer: softmax
loss += self.reg*0.5*(np.sum(np.square(W1)) + np.sum(np.square(W2)) + np.sum(np.square(W3)))
109
110
               ## backward: [N, 10] -> [N, 3, 32, 32]
dx3, dw3, db3 = fc_backward(dsoft, fc2_cache) # oppo 3rd layer: fc
drelu2 = relu_backward(dx3, relu2_cache)
dx2, dw2, db2 = fc_backward(drelu2, fc1_cache) # oppo 2nd layer: fc
dx1, dw1, db1 = conv_relu_pool_backward(dx2, combined_cache) # oppo 1st layer: conv + relu + pool
111
112
113
114
115
116
               grads['W3'], grads['b3'] = dw3 + self.reg*W3, db3
grads['W2'], grads['b2'] = dw2 + self.reg*W2, db2
grads['W1'], grads['b1'] = dw1 + self.reg*W1, db1
118
119
120
121
               return loss, grads
122
123
124 def conv_forward_naive(x, w, b, conv_param):
125
126
          A naive implementation of the forward pass for a convolutional layer.
127
          The input consists of N data points, each with C channels, height H and width W. We convolve each input with F different filters, where each filter
128
129
130
          spans all C channels and has height HH and width HH.
131
132
          - x: Input data of shape (N, C, H, W)
133
134
          - w: Filter weights of shape (F, C, HH, WW)
          - b: Biases, of shape (F,)
- conv_param: A dictionary with the following keys:
135
136
            - 'stride': The number of pixels between adjacent receptive fields in the horizontal and vertical directions.
137
138
139
            - 'pad': The number of pixels that will be used to zero-pad the input.
140
141
          Returns a tuple of:
          - out: Output data, of shape (N, F, H', W') where H' and W' are given by H' = 1 + (H + 2 * pad - HH) / stride W' = 1 + (W + 2 * pad - WW) / stride
142
143
144
          - cache: (x, w, b, conv_param)
145
146
147
          out = None
148
149
          pad = conv_param.get('pad')
          stride = conv_param.get('stride') # 1
N, C, H, W = x.shape # [N, 3, 32, 32]
F, C, HH, WW = w.shape # [32, 3, 7, 7]
150
152
153
          padded_x = (np.pad(x, ((0, 0), (0, 0), (pad, pad), (pad, pad)), 'constant')) # [N, 3, 38, 38]
out_H = np.int(((H + 2 * pad - HH) / stride) + 1) # 32
out_W = np.int(((W + 2 * pad - WW) / stride) + 1) # 32
154
155
156
          out = np.zeros([N, F, out_H, out_W]) # [N, 32, 32, 32]
157
158
159
          160
161
162
          163
164
165
166
167
168
169
170
171
                                                                            padded_x[img, :, row*stride:row*stride+HH, col*stride:col*stride+WW]) + b[ker
172
173
          cache = (x, w, b, conv_param)
174
          return out, cache
175
176
177 def conv_backward_naive(dout, cache):
178
179
          A naive implementation of the backward pass for a convolutional layer.
180
181
182
          - dout: Upstream derivatives.
183
          - cache: A tuple of (x, w, b, conv_param) as in conv_forward_naive
184
185
          dx: Gradient with respect to xdw: Gradient with respect to w
186
187
          - db: Gradient with respect to b
188
189
190
          dx, dw, db = None, None
191
192
          # TODO: Implement the convolutional backward pass.
          193
194
          x, w, b, conv_param = cache
stride = conv param.get('stride')
195
196
197
          pad = conv_param.get('pad')
198
          padded_x = (np.pad(x, ((0, 0), (0, 0), (pad, pad), (pad, pad)), 'constant')) # [N, 3, 38, 38]
199
```

```
N, C, H, W = x.shape # [N, 3, 32, 32]
F, C, HH, WW = w.shape # [32, 3, 7, 7]
N, F, H_out, W_out = dout.shape # [N, 32, 32, 32]
200
201
202
203
          dx_temp = np.zeros_like(padded_x) # initial to all zeros
204
205
          dw = np.zeros_like(w)
206
          db = np.zeros like(b)
207
208
          # Calculate dB.
for kernal in range(F):
209
210
               db[kernal] += np.sum(dout[:, kernal, :, :]) # sum all N img's kernal -> [32, 32], then sum all 32x32 elements -> 1 scalar
211
212
          for img in range(N): # for each image
    for kernal in range(F): # for each kernal
213
214
                    for row in range(H_out): # from top to bottom
for col in range(W_out): # from left to right
dw[kernal, ...] += dout[img, kernal, row, col] * padded_x[img, :, row*stride:row*stride+HH, col*stride:col*stride
215
216
217
218
219
          # Calculate dx.
          for img in range(N): # for each image
   for kernal in range(F): # for each
220
                     for each kernal
for row in range(H_out): # from top to bottom
    for col in range(W_out): # from left to right
221
222
223
224
                               dx_temp[img, :, row*stride:row*stride+HH, col*stride:col*stride+WW] += dout[img, kernal, row,col] * w[kernal, ...
225
226
          dx = dx_temp[:, :, pad:H+pad, pad:W+pad]
227
228
          return dx, dw, db
229
230
  1 # Load the (preprocessed) CIFAR10 data.
  3 data = get CIFAR10 data()
  for k, v in data.items():

print('%s: ' % k, v.shape)

    X_val: (1000, 3, 32, 32)

     X_train: (49000, 3, 32, 32)
     X_test: (1000, 3, 32, 32)
     y_val: (1000,)
     y_train: (49000,)
     y_test: (1000,)
```

Convolution: Naive forward pass

The core of a convolutional network is the convolution operation. In the file HW5_code/layers.py, implement the forward pass for the convolution layer in the function conv_forward_naive.

You don't have to worry too much about efficiency at this point; just write the code in whatever way you find most clear.

You can test your implementation by running the following:

```
1 x_shape = (2, 3, 4, 4)
2 w_shape = (3, 3, 4, 4)
3 x = np.linspace(-0.1, 0.5, num=np.prod(x_shape)).reshape(x_shape)
 4 w = np.linspace(-0.2, 0.3, num=np.prod(w_shape)).reshape(w_shape)
5 b = np.linspace(-0.1, 0.2, num=3)
 7 | conv_param = {'stride': 2, 'pad': 1}
 12
                                 [[ 0.50813986, 0.54309974],
                                    0.64082444, 0.67101435111.
14
15
                                [[[-0.98053589, -1.03143541],
16
                                    -1.19128892, -1.24695841]],
                                 [[ 0.69108355,
                                                   0.668803831
                                 [ 0.59480972, 0.56776003]],
[[ 2.36270298, 2.36904306],
[ 2.38090835, 2.38247847]]]])
18
19
22 # Compare your output to ours; difference should be around 2e-8
23 print('Testing conv_forward_naive')
24 print('difference: ', rel error(out, correct out))
    Testing conv_forward_naive
     difference: 2.2121476417505994e-08
```

- Convolution: Naive backward pass

Implement the backward pass for the convolution operation in the function conv_backward_naive in the file HW5_code/layers.py. Again, you don't need to worry too much about computational efficiency.

When you are done, run the following to check your backward pass with a numeric gradient check.

```
1 np.random.seed(231)
2 x = np.random.randn(4, 3, 5, 5)
3 w = np.random.randn(2, 3, 3, 3)
```

```
d b = np.random.randn(2,)
dout = np.random.randn(4, 2, 5, 5)
conv_param = {'stride': 1, 'pad': 1}

dx_num = eval_numerical_gradient_array(lambda x: conv_forward_naive(x, w, b, conv_param)[0], x, dout)
db_num = eval_numerical_gradient_array(lambda w: conv_forward_naive(x, w, b, conv_param)[0], w, dout)
db_num = eval_numerical_gradient_array(lambda b: conv_forward_naive(x, w, b, conv_param)[0], b, dout)

out, cache = conv_forward_naive(x, w, b, conv_param)
dx, dw, db = conv_backward_naive(dout, cache)

# Your errors should be around le-8'
print('dx error: ', rel_error(dx, dx_num))
print('dx error: ', rel_error(dw, dw_num))
print('db error: ', rel_error(dw, dw_num))
print('db error: ', rel_error(db, db_num))

Testing conv_backward_naive function
dx error: 1.159803161159293e-08
dw error: 2.2471264748452487e-10
db error: 3.3726153958780465e-11
```

Fast layers

Making convolution and pooling layers fast can be challenging. To spare you the pain, we've provided fast implementations of the forward and backward passes for convolution and pooling layers in the file HW5_code/fast_layers.py.

The fast convolution implementation depends on a Cython extension; to compile it you need to run the following from the HW5_code directory:

```
python setup.py build_ext --inplace
```

The API for the fast versions of the convolution and pooling layers is exactly the same as the naive versions that you implemented above: the forward pass receives data, weights, and parameters and produces outputs and a cache object; the backward pass recieves upstream derivatives and the cache object and produces gradients with respect to the data and weights.

NOTE: The fast implementation for pooling will only perform optimally if the pooling regions are non-overlapping and tile the input. If these conditions are not met then the fast pooling implementation will not be much faster than the naive implementation.

You can compare the performance of the naive and fast versions of these layers by running the following:

```
1 from HW5_code.fast_layers import conv_forward_fast, conv_backward_fast
 2 from time import time
 3 np.random.seed(231)
 x = np.random.randn(100, 3, 31, 31)

w = np.random.randn(25, 3, 3, 3)

b = np.random.randn(25,)
 7 dout = np.random.randn(100, 25, 16, 16)
8 conv_param = {'stride': 2, 'pad': 1}
10 t0 = time() 
11 out_naive, cache_naive = conv_forward_naive(x, w, b, conv_param)
12 t1 = time()
13 out_fast, cache_fast = conv_forward_fast(x, w, b, conv_param)
14 t2 = time()
print('Testing conv_forward_fast:')
print('Naive: %fs' % (t1 - t0))
print('Fast: %fs' % (t2 - t1))
print('Speedup: %fx' % ((t1 - t0) / (t2 - t1)))
print('Difference: ', rel_error(out_naive, out_fast))
22 t0 = time()
23 dx_naive, dw_naive, db_naive = conv_backward_naive(dout, cache_naive)
24 t1 = time()
25 dx_fast, dw_fast, db_fast = conv_backward_fast(dout, cache_fast)
28 print('\nTesting conv_backward_fast:')
28 print('NnTesting conv_Dackward_rast:)
29 print('Naive: %fs' % (t1 - t0))
30 print('Fast: %fs' % (t2 - t1))
31 print('Speedup: %fx' % (t1 - t0) / (t2 - t1)))
32 print('dx difference: ', rel_error(dx_naive, dx_fast))
33 print('dw difference: ', rel_error(dw_naive, dw_fast))
34 print('db difference: ', rel_error(db_naive, db_fast))
Testing conv_forward fast:
      Naive: 4.736610s
      Fast: 0.016920s
      Speedup: 279.943946x
      Difference: 4.926407851494105e-11
      Testing conv backward fast:
      Naive: 8.740348s
      Fast: 0.013804s
      Speedup: 633.176915x
      dx difference: 1.949764775345631e-11
      dw difference: 3.681156828004736e-13
      db difference: 3.1393858025571252e-15
  1 from HW5 code.fast layers import max pool forward fast, max pool backward fast
 np.random.seed(231)
x = np.random.randn(100, 3, 32, 32)
dout = np.random.randn(100, 3, 16, 16)
pool_param = {'pool_height': 2, 'pool_width': 2, 'stride': 2}
```

```
7 t0 = time()
  8 out_naive, cache_naive = max_pool_forward_naive(x, pool_param)
 9 t1 = time()
10 out_fast, cache_fast = max_pool_forward_fast(x, pool_param)
13 print('Testing pool_forward_fast:')
14 print('Naive: %fs' % (t1 - t0))
15 print('fast: %fs' % (t2 - t1))
16 print('speedup: %fs' % ((t1 - t0) / (t2 - t1)))
17 print('difference: ', rel_error(out_naive, out_fast))
19 t0 = time()
20 dx_naive = max_pool_backward_naive(dout, cache_naive)
21 t1 = time()
22 dx fast = max pool backward fast(dout, cache fast)
23 t2 = time()
print('\nTesting pool_backward_fast:')
print('Naive: %fs' % (t1 - t0))
print('speedup: %fx' % ((t1 - t0) / (t2 - t1)))
print('dx difference: ', rel_error(dx_naive, dx_fast))
Testing pool_forward_fast:
     Naive: 0.360549s
     fast: 0.002549s
      speedup: 141.450940x
     difference: 0.0
     Testing pool_backward_fast:
     Naive: 0.462405s
     speedup: 33.288142x
     dx difference: 0.0
```

Three-layer ConvNet

Now that you have implemented all the necessary layers, we can put them together into a simple convolutional network.

Open the file HW5 code/classifiers/cnn.py and complete the implementation of the ThreeLayerConvNet class. Run the following cells to help you debug:

→ Sanity check loss

After you build a new network, one of the first things you should do is sanity check the loss. When we use the softmax loss, we expect the loss for random weights (and no regularization) to be about log(C) for C classes. When we add regularization this should go up.

```
model = ThreeLayerConvNet()

N = 50
X = np.random.randn(N, 3, 32, 32)
y = np.random.randint(10, size=N)

loss, grads = model.loss(X, y).
print('Initial loss (no regularization): ', loss) # log10 = 3.32
model.reg = 0.5
loss, grads = model.loss(X, y)
print('Initial loss (with regularization): ', loss)
Thitial loss (no regularization): 2.3025858848360223
Initial loss (with regularization): 2.508810654189889
```

▼ Gradient check

After the loss looks reasonable, use numeric gradient checking to make sure that your backward pass is correct. When you use numeric gradient checking you should use a small amount of artifical data and a small number of neurons at each layer. Note: correct implementations may still have relative errors up to 1e-2.

```
num_inputs = 2
input_dim = (3, 16, 16)
reg = 0.0
np.random.seed(231)
X = np.random.randn(num_inputs, *input_dim)
y = np.random.randint(num_classes, size=num_inputs)

model = ThreeLayerConvNet(num_filters=3, filter_size=3, input_dim=input_dim, hidden_dim=7, dtype=np.float64)

loss, grads = model.loss(X, y)
for param_name in sorted(grads):
    f = lambda _: model.loss(X, y)[0]
    param_grad_num = eval_numerical_gradient(f, model.params[param_name], verbose=False, h=1e-6)
e = rel_error(param_grad_num, grads[param_name])
print('%s max relative error: %e' % (param_name, rel_error(param_grad_num, grads[param_name])))
```

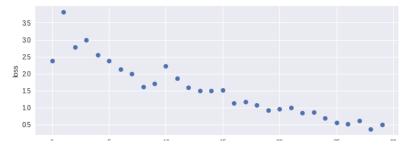
Overfit small data

A nice trick is to train your model with just a few training samples. You should be able to overfit small datasets, which will result in very high training accuracy and comparatively low validation accuracy.

```
1 np.random.seed(6666666)
 3 \text{ num train} = 100
 4 \operatorname{small} \operatorname{data} = \{
     'X_train': data['X_train'][:num_train],
'y_train': data['y_train'][:num_train],
'X_val': data['X_val'],
     'y_val': data['y_val'],
 9 }
10
11 model = ThreeLayerConvNet(weight_scale=1e-2)
13 solver = Solver(model, small_data,
                    num_epochs=15, batch_size=50,
                   update_rule='adam',
15
16
                    optim_config={
17
                      'learning_rate': 1e-3,
18
                    verbose=True, print_every=1)
20 solver.train()
    (Epoch 0 / 15, iteration 1 / 30) train acc: 0.170000; val_acc: 0.119000
    (Epoch 1 / 15, iteration 2 / 30) train acc: 0.180000; val acc: 0.119000
    (Epoch 1 / 15, iteration 3 / 30) train acc: 0.250000; val_acc: 0.134000
    (Epoch 2 / 15, iteration 4 / 30) train acc: 0.260000; val acc: 0.121000
    (Epoch 2 / 15, iteration 5 / 30) train acc: 0.210000; val_acc: 0.109000 (Epoch 3 / 15, iteration 6 / 30) train acc: 0.400000; val_acc: 0.128000
    (Epoch 3 / 15, iteration 7 / 30) train acc: 0.400000; val_acc: 0.119000
    (Epoch 4 / 15, iteration 8 / 30) train acc: 0.400000; val acc: 0.150000
    (Epoch 4 / 15, iteration 9 / 30) train acc: 0.360000; val acc: 0.164000
    (Epoch 5 / 15, iteration 10 / 30) train acc: 0.380000; val_acc: 0.150000 (Epoch 5 / 15, iteration 11 / 30) train acc: 0.380000; val_acc: 0.112000
    (Epoch 6 / 15, iteration 12 / 30) train acc: 0.420000; val_acc: 0.127000
    (Epoch 6 / 15, iteration 13 / 30) train acc: 0.560000; val_acc: 0.164000
    (Epoch 7 / 15, iteration 14 / 30) train acc: 0.580000; val_acc: 0.187000
    (Epoch 7 / 15, iteration 15 / 30) train acc: 0.620000; val_acc: 0.196000
    (Epoch 8 / 15, iteration 16 / 30) train acc: 0.610000; val acc: 0.194000
    (Epoch 8 / 15, iteration 17 / 30) train acc: 0.690000; val_acc: 0.197000
    (Epoch 9 / 15, iteration 18 / 30) train acc: 0.710000; val_acc: 0.185000
    (Epoch 9 / 15, iteration 19 / 30) train acc: 0.690000; val_acc: 0.172000
    (Epoch 10 / 15, iteration 20 / 30) train acc: 0.710000; val_acc: 0.181000
    (Epoch 10 / 15, iteration 21 / 30) train acc: 0.770000; val_acc: 0.188000
    (Epoch 11 / 15, iteration 22 / 30) train acc: 0.720000; val_acc: 0.191000
    (Epoch 11 / 15, iteration 23 / 30) train acc: 0.720000; val_acc: 0.200000
    (Epoch 12 / 15, iteration 24 / 30) train acc: 0.760000; val_acc: 0.197000
    (Epoch 12 / 15, iteration 25 / 30) train acc: 0.800000; val_acc: 0.184000
    (Epoch 13 / 15, iteration 26 / 30) train acc: 0.800000; val_acc: 0.180000
    (Epoch 13 / 15, iteration 27 / 30) train acc: 0.850000; val acc: 0.183000
    (Epoch 14 / 15, iteration 28 / 30) train acc: 0.900000; val_acc: 0.194000
    (Epoch 14 / 15, iteration 29 / 30) train acc: 0.920000; val acc: 0.203000
    (Epoch 15 / 15, iteration 30 / 30) train acc: 0.950000; val acc: 0.208000
```

Plotting the loss, training accuracy, and validation accuracy should show clear overfitting:

```
1 plt.subplot(2, 1, 1)
2 plt.plot(solver.loss_history, 'o')
3 plt.xlabel('iteration')
4 plt.ylabel('loss')
5
6 plt.subplot(2, 1, 2)
7 plt.plot(solver.train_acc_history, '-o')
8 plt.plot(solver.val_acc_history, '-o')
9 plt.legend(['train', 'val'], loc='upper left')
10 plt.ylabel('epoch')
11 plt.ylabel('accuracy')
12 plt.show()
```



Train the net

By training the three-layer convolutional network for one epoch, you should achieve greater than 40% accuracy on the training set:

```
1 model = ThreeLayerConvNet(reg=0.001)
# Try to change update_rule : 'sgd' / 'sgd_momentum' / 'rmsprop' / 'adam'
 4 # Then try learning rate and reg.
   solver = Solver(model, data,
                  num_epochs=1, batch_size=200,
update_rule='adam',
                  optim_config={
10
                    'learning_rate': 1e-3,
                  verbose=True, print_every=20)
12
13 solver.train()
    (Epoch 0 / 1, iteration 1 / 245) train acc: 0.114000; val_acc: 0.123000
₽
    (Epoch 0 / 1, iteration 21 / 245) train acc: 0.238000; val_acc: 0.223000
    (Epoch 0 / 1, iteration 41 / 245) train acc: 0.292000; val_acc: 0.266000
    (Epoch 0 / 1, iteration 61 / 245) train acc: 0.349000; val_acc: 0.336000
    (Epoch 0 / 1, iteration 81 / 245) train acc: 0.347000; val_acc: 0.340000
    (Epoch 0 / 1, iteration 101 / 245) train acc: 0.402000; val_acc: 0.401000
    (Epoch 0 / 1, iteration 121 / 245) train acc: 0.402000; val_acc: 0.420000
    (Epoch 0 / 1, iteration 141 / 245) train acc: 0.408000; val_acc: 0.416000
    (Epoch 0 / 1, iteration 161 / 245) train acc: 0.422000; val_acc: 0.447000
    (Epoch 0 / 1, iteration 181 / 245) train acc: 0.426000; val_acc: 0.457000
    (Epoch 0 / 1, iteration 201 / 245) train acc: 0.466000; val acc: 0.462000
    (Epoch 0 / 1, iteration 221 / 245) train acc: 0.488000; val_acc: 0.460000
    (Epoch 0 / 1, iteration 241 / 245) train acc: 0.467000; val_acc: 0.474000
    (Epoch 1 / 1, iteration 245 / 245) train acc: 0.499000; val_acc: 0.491000
```

Visualize Filters

You can visualize the first-layer convolutional filters from the trained network by running the following:

```
from HW5_code.vis_utils import visualize_grid
grid = visualize_grid(model.params['W1'].transpose(0, 2, 3, 1))
plt.imshow(grid.astype('uint8'))
plt.axis('off')
plt.gcf().set_size_inches(5, 5)
plt.show()
```





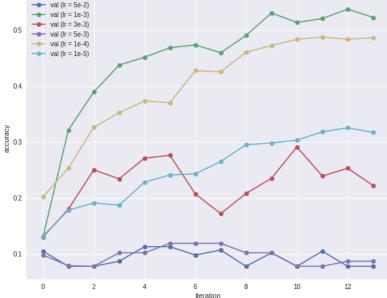
- Extra Credit

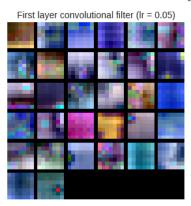
Try to more interesting observation as you wish!

1. Accuracy according to different learning rate (update rule = 'adam', reg = 0.001), and visualize the first layer convolutional filters under each model.

```
1 learning_rate = [5e-2, 1e-3, 3e-3, 5e-3, 1e-4, 1e-5]
```

```
2 models = []
 4 for lr in learning_rate:
        model = ThreeLayerConvNet(reg=0.001)
        7
10
11
                           optim_config={
                              'learning_rate': lr,
12
13
                           verbose=True, print_every=20)
14
        solver.train()
15
16
        models.append(model)
17
18
        plt.plot(solver.val_acc_history, '-o')
19 plt.legend(['val (lr = 5e-2)', 'val (lr = 1e-3)', 'val (lr = 3e-3)', 'val (lr = 5e-3)', 'val (lr = 1e-4)', 'val (lr = 1e-5)'], loc='u
20 plt.xlabel('iteration')
21 plt.ylabel('accuracy')
22 plt.title('Accuracy vs Learning rate', fontsize=20)
23 plt.show()
24
25 # plot filters under each model
for i in range(6):
grid = visualize_grid(models[i].params['Wl'].transpose(0, 2, 3, 1))
plt.imshow(grid.astype('wint8'))
        plt.title('First layer convolutional filter (lr = ' + str(learning_rate[i]) + ')', fontsize=14)
plt.axis('off'),
plt.gcf().set_size_inches(5, 5)
29
30
32
        plt.show()
     (Epoch 0 / 1, iteration 201 / 245) train acc: 0.308000; val_acc: 0.303000
C→
     (Epoch 0 / 1, iteration 221 / 245) train acc: 0.302000; val_acc: 0.318000 (Epoch 0 / 1, iteration 241 / 245) train acc: 0.327000; val_acc: 0.325000
     (Epoch 1 / 1, iteration 245 / 245) train acc: 0.307000; val_acc: 0.317000
                                   Accuracy vs Learning rate
            val (lr = 5e-2)
val (lr = 1e-3)
            -- val (lr = 3e-3)
             val (lr = 5e-3)
                val (lr = 1e-4)
              val (lr = 1e-5)
       0.4
```





```
1 regs = [0.5, 0.1, 0.05, 0.01, 0.005, 0.001, 0.0005]
 3 for reg in regs:
         model = ThreeLayerConvNet(reg=reg)
         solver = Solver(model, data,
                             num_epochs=1, batch_size=200,
update rule='adam',
                             optim_config={
10
                                'learning_rate': 1e-3,
11
12
13
                             verbose=True, print every=20)
         solver.train()
14
15
        plt.plot(solver.val_acc_history, '-o')
16
17
plt.legend(['val (reg = 0.5)', 'val (reg = 0.1)', 'val (reg = 0.05)', 'val (reg = 0.01)', 'val (reg = 0.005)', 'val (reg = 0.005)', 'val (reg = 0.005)', 'val (reg = 0.001)', 'plt.title('accuracy vs Regularization', fontsize=20) plt.xlabel('iteration')
21 plt.ylabel('accuracy')
22 plt.show()
     (Epoch 1 / 1, iteration 245 / 245) train acc: 0.507000; val_acc: 0.510000
```

(Epoch 0 / 1, iteration 1 / 245) train acc: 0.099000; val_acc: 0.081000 (Epoch 0 / 1, iteration 21 / 245) train acc: 0.332000; val_acc: 0.331000 (Epoch 0 / 1, iteration 41 / 245) train acc: 0.407000; val_acc: 0.426000 (Epoch 0 / 1, iteration 61 / 245) train acc: 0.422000; val_acc: 0.426000 (Epoch 0 / 1, iteration 81 / 245) train acc: 0.455000; val acc: 0.454000 (Epoch 0 / 1, iteration 101 / 245) train acc: 0.453000; val_acc: 0.457000 (Epoch 0 / 1, iteration 121 / 245) train acc: 0.446000; val_acc: 0.443000 (Epoch 0 / 1, iteration 141 / 245) train acc: 0.499000; val_acc: 0.478000 (Epoch 0 / 1, iteration 161 / 245) train acc: 0.487000; val_acc: 0.492000 (Epoch 0 / 1, iteration 181 / 245) train acc: 0.493000; val_acc: 0.492000 (Epoch 0 / 1, iteration 201 / 245) train acc: 0.488000; val_acc: 0.493000 (Epoch 0 / 1, iteration 221 / 245) train acc: 0.507000; val acc: 0.486000 (Epoch 0 / 1, iteration 241 / 245) train acc: 0.493000; val_acc: 0.490000 (Epoch 1 / 1, iteration 245 / 245) train acc: 0.485000; val acc: 0.487000 (Epoch 0 / 1, iteration 1 / 245) train acc: 0.096000; val_acc: 0.105000 (Epoch 0 / 1, iteration 21 / 245) train acc: 0.303000; val acc: 0.303000 (Epoch 0 / 1, iteration 41 / 245) train acc: 0.373000; val_acc: 0.399000 (Epoch 0 / 1, iteration 61 / 245) train acc: 0.436000; val acc: 0.400000 (Epoch 0 / 1, iteration 81 / 245) train acc: 0.446000; val acc: 0.439000 (Epoch 0 / 1, iteration 101 / 245) train acc: 0.463000; val acc: 0.450000 (Epoch 0 / 1, iteration 121 / 245) train acc: 0.461000; val_acc: 0.481000 (Epoch 0 / 1, iteration 141 / 245) train acc: 0.418000; val_acc: 0.448000 (Epoch 0 / 1, iteration 161 / 245) train acc: 0.450000; val_acc: 0.472000 (Epoch 0 / 1, iteration 181 / 245) train acc: 0.487000; val_acc: 0.472000 (Epoch 0 / 1, iteration 201 / 245) train acc: 0.465000; val_acc: 0.490000 (Epoch 0 / 1, iteration 221 / 245) train acc: 0.488000; val acc: 0.495000 (Epoch 0 / 1, iteration 241 / 245) train acc: 0.528000; val_acc: 0.528000 (Epoch 1 / 1, iteration 245 / 245) train acc: 0.516000; val_acc: 0.505000



3. Accuracy according to different update rule. (learning rate =1e-3 , reg = 0.001) $\,$

```
8
9
10
                       update_rule=update_rule,
                       optim_config={
  'learning_rate': 1e-3,
11
12
                       verbose=True, print every=20)
13
14
       solver.train()
15
       plt.plot(solver.val_acc_history, '-o')
16
17
18 plt.legend(['val (sgd)', 'val (sgd_momentum)', 'val (rmsprop)', 'val (adam)'], loc='upper left')
19 plt.xlabel('iteration')
20 plt.ylabel('accuracy')
21
   plt.title('Accuracy vs Update rule', fontsize=20)
22 plt.show()
    (Epoch 1 / 1, iteration 245 / 245) train acc: 0.456000; val_acc: 0.473000 (Epoch 0 / 1, iteration 1 / 245) train acc: 0.097000; val_acc: 0.113000
    (Epoch 0 / 1, iteration 21 / 245) train acc: 0.147000; val acc: 0.140000
    (Epoch 0 / 1, iteration 41 / 245) train acc: 0.171000; val acc: 0.184000
    (Epoch 0 / 1, iteration 61 / 245) train acc: 0.236000; val acc: 0.248000
    (Epoch 0 / 1, iteration 81 / 245) train acc: 0.234000; val_acc: 0.249000
    (Epoch 0 / 1, iteration 101 / 245) train acc: 0.253000; val_acc: 0.287000
    (Epoch 0 / 1, iteration 121 / 245) train acc: 0.329000; val_acc: 0.339000
    (Epoch 0 / 1, iteration 141 / 245) train acc: 0.314000; val acc: 0.321000
    (Epoch 0 / 1, iteration 161 / 245) train acc: 0.333000; val_acc: 0.321000
    (Epoch 0 / 1, iteration 181 / 245) train acc: 0.290000; val acc: 0.300000
    (Epoch 0 / 1, iteration 201 / 245) train acc: 0.357000; val acc: 0.415000
    (Epoch 0 / 1, iteration 221 / 245) train acc: 0.368000; val_acc: 0.378000
    (Epoch 0 / 1, iteration 241 / 245) train acc: 0.418000; val_acc: 0.405000
    (Epoch 1 / 1, iteration 245 / 245) train acc: 0.282000; val_acc: 0.285000
    (Epoch 0 / 1, iteration 1 / 245) train acc: 0.125000; val_acc: 0.124000
    (Epoch 0 / 1, iteration 21 / 245) train acc: 0.278000; val_acc: 0.327000
    (Epoch 0 / 1, iteration 41 / 245) train acc: 0.362000; val_acc: 0.368000
    (Epoch 0 / 1, iteration 61 / 245) train acc: 0.414000; val acc: 0.419000
    (Epoch 0 / 1, iteration 81 / 245) train acc: 0.434000; val acc: 0.434000
    (Epoch 0 / 1, iteration 101 / 245) train acc: 0.433000; val acc: 0.470000
    (Epoch 0 / 1, iteration 121 / 245) train acc: 0.422000; val_acc: 0.460000
    (Epoch 0 / 1, iteration 141 / 245) train acc: 0.462000; val acc: 0.457000
    (Epoch 0 / 1, iteration 161 / 245) train acc: 0.489000; val_acc: 0.497000
    (Epoch 0 / 1, iteration 181 / 245) train acc: 0.532000; val acc: 0.497000
    (Epoch 0 / 1, iteration 201 / 245) train acc: 0.499000; val acc: 0.515000
    (Epoch 0 / 1, iteration 221 / 245) train acc: 0.519000; val acc: 0.510000
    (Epoch 0 / 1, iteration 241 / 245) train acc: 0.510000; val_acc: 0.528000
    (Epoch 1 / 1, iteration 245 / 245) train acc: 0.500000; val_acc: 0.506000
                               Accuracy vs Update rule
          val (sgd)
             val (sad momentum)

    val (rmsprop)

              val (adam)
      0.4
    accuracy
80
      0.2
      0.1
            0
                      2
                                                              10
                                                                         12
                                4
                                                    8
```

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iteration