



7.4函数递归实例解析(斐波那契数列、汉诺塔)







将字符串s反转后输出

>>> s[::-1]

- 函数 + 分支结构

def rvs(s):

if s == "" :

return s

else:

return rvs(s[1:])+s[0]

- 递归链条

- 递归基例



斐波那契数列

一个经典数列

$$F(n) = \begin{cases} 1 & n = 1 \\ 1 & n = 2 \\ F(n-1) + F(n-2) & otherwise \end{cases}$$



斐波那契数列

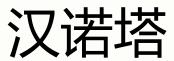
$$F(n) = F(n-1) + F(n-2)$$

- 递归链条

- 递归基例

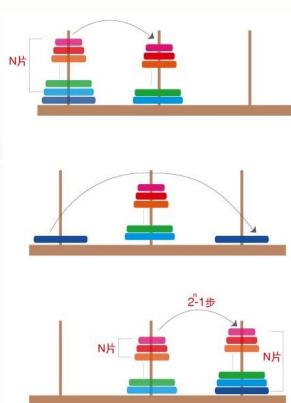
```
def f(n):
    if n == 1 or n == 2 :
        return 1
    else :
```

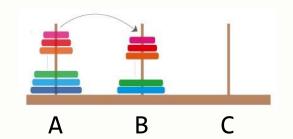
return f(n-1) + f(n-2)

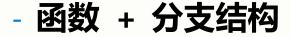










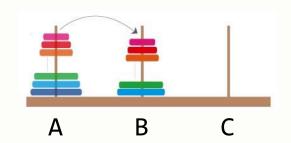


- 递归链条
- 递归基例

汉诺塔



```
count = 0
def hanoi(n, src, dst, mid):
    global count
    if n == 1 :
       print("{}:{}->{}".format(1,src,dst))
       count += 1
    else:
       hanoi(n-1, src, mid, dst)
       print("{}:{}->{}".format(n,src,dst))
       count += 1
       hanoi(n-1, mid, dst, src)
```



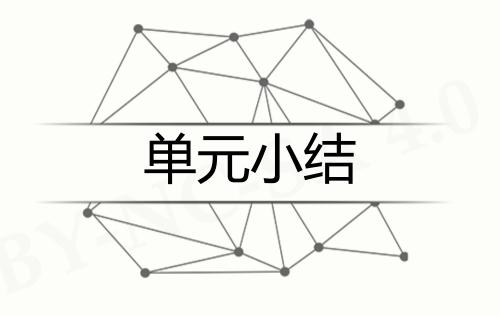
汉诺塔

>>>



```
1:A->C
                                          2:A->B
count = 0
def hanoi(n, src, dst, mid):
                                          1:C->B
    ...(略)
                                          3:A->C
hanoi(3, "A", "C", "B")
                                          1:B->A
print(count)
                                          2:B->C
                                          1:A->C
```





代码复用与函数递归



- 模块化设计: 松耦合、紧耦合

- 函数递归的2个特征: 基例和链条

- 函数递归的实现: 函数 + 分支结构



