

Introduction to Relational Databases BD



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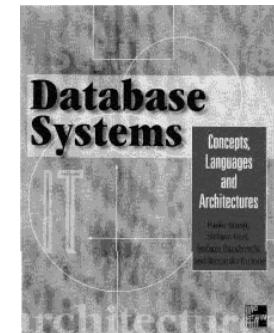
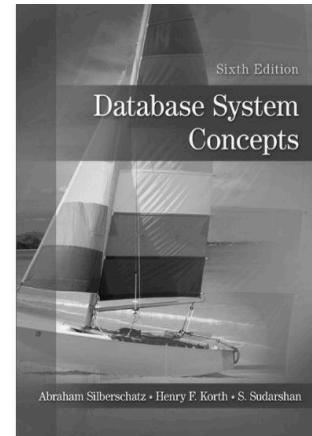
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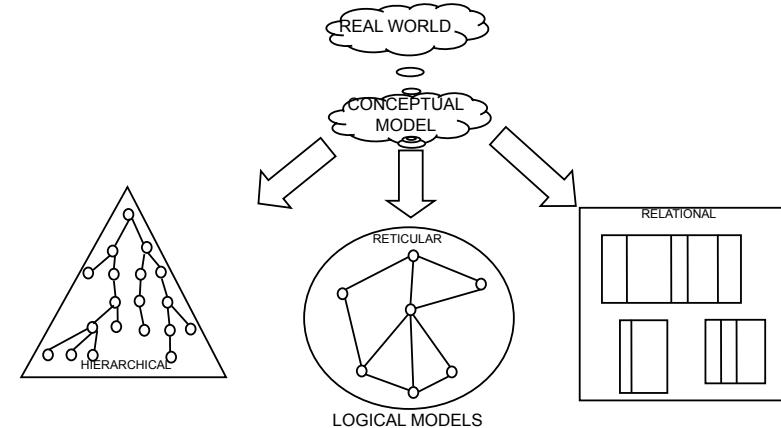
Books (suggestions...you can choose your own)



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1st Class:
Relational model

DATA MODELS
DATA MODELS ENCODE A STRUCTURING OF THE REALITY THAT INCLUDES SPECIFIC FEATURES AND ALLOWS TO BETTER UNDERSTAND IT



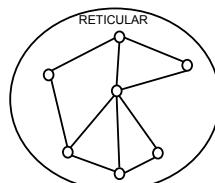
Models for data representation

- Hierarchical model (1960)
- Reticular model (1970)
- Relational model (1980)
- O-O model (1990)
- XML model (2000)

LOGICAL DATA MODELS

RETICULAR (CODASYL)

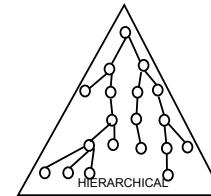
- DATA ARE ENCODED AS RECORDS
- THE LOGICAL ASSOCIATIONS BETWEEN DATA ARE REPRESENTED VIA POINTERS INSIDE A COMPLEX GRAPH STRUCTURE



LOGICAL DATA MODELS

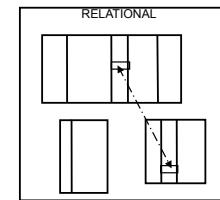
HIERARCHICAL

- DATA ARE ENCODED AS RECORDS
- THE LOGICAL ASSOCIATIONS BETWEEN DATA ARE REPRESENTED VIA POINTERS INSIDE A TREE STRUCTURE



LOGICAL DATA MODELS RELATIONAL

- DATA ARE ENCODED AS TABLES
- THE LOGICAL ASSOCIATIONS BETWEEN DATA ARE REPRESENTED VIA DIFFERENT VALUES OF ATTRIBUTES IN DIFFERENT TABLES



History and Development of the Relational Model

- Invented by T. Codd, 1970
(IBM Research in Santa Teresa, California)
- Related research projects:
SYSTEM R (IBM), Ingres (Berkeley Un.)
- Commercial systems:
beginning of the 80s (Oracle, IBM-SQL DS and DB2, Ingres, Informix, Sybase)
- Commercial success: from 1985 on.

Informal definition of a Table

student

column

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
107	Arnaud	Lille	Log
415	Celine	Bordeaux	Inf
702	Estelle	Rome	Log

schema

instance

Formal definition

- Domain D:
an arbitrary set of values
- Cartesian product on n domains
 $D_1 \times D_2 \times \dots \times D_n$ (not necessarily distinct): set of tuples $\langle d_1, d_2, \dots, d_n \rangle$, with $d_i \in D_i, 1 \leq i \leq n$
- Relation R on $D_1 \times D_2 \times \dots \times D_n$: an arbitrary subset of $D_1 \times D_2 \times \dots \times D_n$.

Example

- $D_1 = \{a, b\}$
- $D_2 = \{1, 2, 3\}$
- $D_1 \times D_2 = \{ \langle a, 1 \rangle, \langle b, 1 \rangle, \langle a, 2 \rangle, \langle b, 2 \rangle, \langle a, 3 \rangle, \langle b, 3 \rangle \}$
- $R1 = \{ \langle a, 1 \rangle, \langle b, 3 \rangle \}$
- $R2 = \{ \langle a, 1 \rangle, \langle b, 3 \rangle, \langle a, 2 \rangle \}$
- $R3 = \{ \}$
- $R4 = \{ \langle a, 1 \rangle, \langle b, 1 \rangle, \langle a, 2 \rangle, \langle b, 2 \rangle, \langle a, 3 \rangle, \langle b, 3 \rangle \}$

Properties

- Arity of the relation:
number of domains (n)
- Cardinality of the relation:
number of tuples
- Attribute:
name given to a domain in a relation
[Names of attributes in a relation have to be all distinct one from another]

Properties

Schema (of a relation):

table (attribute1,... attributeN)

[Name of relations in a schema have to be all distinct one from another]

R1(A,B) R2(C,D)

A	B	C	D
a	1	c	1
b	3	b	3
a	2	a	2

Comparison of the terminology

FORMAL DEFINITION	INFORMAL DEFINITION
relation	table
attribute	column
tuple	row
domain	data type
cardinality	number of rows
arity	number of columns

A significant difference

FORMAL DEFINITION
lack of duplicates
INFORMAL DEFINITION
possible duplicates

Example : university exams

course		
CID	TITLE	TEACHER
1	Maths CS	Leguichet Duchat
2		

Example : university exams

exams

SID	CID	DATE	GRADE
123		7-9-03	
123	1	8-1-03	10
702	2	7-9-03	8
	2		5

Example : university exams

student

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
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702	Estelle	Rome	Log

exams

SID	CID	DATE	GRADE
123		7-9-03	
123	1	8-1-03	10
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	2		5

course

CID	TITLE	TEACHER
	Maths	Leguichet
1	CS	Duchat
2		

Queries

- which teachers have graded Pierre?

student

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
415	Celine	Bordeaux	Inf
702	Estelle	Rome	Log

exams

ID	CID	DATE	GRADE
123		7-9-03	
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	2		5

course

CID	TITLE	TEACHER
	Maths	Leguichet
1	CS	Duchat
2		

Queries: examples

- which students have got grade 10 in Maths?

student

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
415	Celine	Bordeaux	Inf
702	Estelle	Rome	Log

exams

ID	CID	DATE	GRADE
123		7-9-03	
123	1	8-1-03	10
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	2		5

course

CID	TITLE	TEACHER
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Incomplete information: it exists in real world

Firstname	Forename	Lastname
Franklin	Delano	Roosevelt
Winston		Churchill
Charles		De Gaulle
Josip		Stalin

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Solution for incomplete information

in the relational model

- Naive yet effective technique:
 - null value (NULL): indicates the lack of a value in the domain (as NULL does not belong to the domain!)
- Thus, each attribute may either have a value within the domain or a null value instead.

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Possible semantics of NULLs

- (at least) three different cases
 - unknown value
 - there exists no value
 - no information value
- Database systems consider the above values equivalent

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Integrity Constraints

- There exist database instances that are syntactically correct but do not correspond to the reality they need to represent.
- Therefore, instances need to be enriched with constraints, in order to guarantee the integrity of the data.

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Keys

- set of attributes that uniquely identifies the tuples of a relation r
- More formally:
 - a set K of attributes is a superkey for r if r does not contain two distinct tuples t_1 and t_2 with $t_1[K] = t_2[K]$
 - K is a key for r if it is a minimal superkey for r
(i.e. it does not contain another superkey as a proper subset)

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Example of keys

SID	NAME	CITY	MAJOR
123	Pierre	Paris	Inf
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415	Celine	Bordeaux	Inf
702	Estelle	Rome	Log

- SID is a key:
 - is a superkey
 - is minimal as it contains only one attribute

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A key cannot be NULL

- If it was null, it would not be a superkey
- The goal in the relational model is to reduce the NULL values and provide unambiguous information

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Summary

- What we have seen today:
 - what is a relation
 - what is an attribute
 - what is a domain for an attribute
 - what is NULL
 - what is a key and a superkey in a relation

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