

Introduction to Relational Databases

- Licence Informatique, Université Lille 1
- Sept 7, 2011 (lecture 2/12)
- Today: C. Kuttler

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Evaluation

- $\text{NOTE} = (\text{TP} + \sup(\text{CC} + 2*\text{DS}, 3*\text{DS})) / 4$
- **TP:** une note sur 20 de Travaux Pratiques: participation, TPs rendus et **contrôle en fin de semestre**
- **CC:** une note sur 20 de Travaux Dirigés, attribuée par l'enseignant de Travaux Dirigés: interrogations écrites, devoirs maison, participation, ...
- **DS :** une note sur 20 pour l'examen de fin de semestre en décembre.

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Yesterday's summary

- What is a relation
- What is an attribute
- What is a domain for an attribute
- What is NULL
- What is a key and a superkey, in a relations

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Relational Algebra

Classification of query languages a formal languages

Relational algebra
Relational calculus
Logic programming

B programming languages

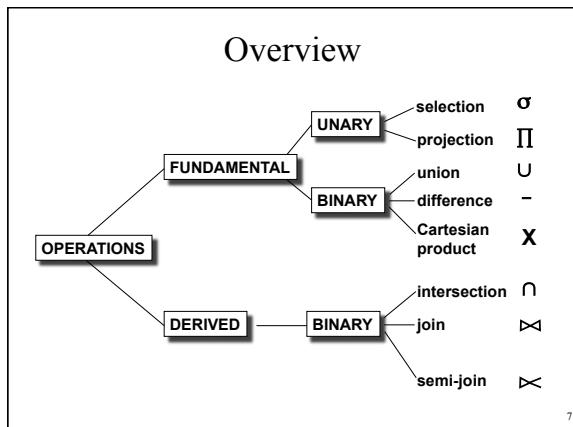
SQL: Structured Query Language
QBE: Query By Example

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Relational algebra

- defined by Codd (70)
- useful to learn to write database queries
- useful to understand optimization of SQL queries
- minimal set of 5 operators provide expressive power of this language
- same expressive power as SQL

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Example:
university exams

STUDENT			
SID	NAME	CITY	MAJOR
123	Pierre	Lyon	Inf
415	Celine	Lille	Inf
702	Estelle	Paris	Log

Note: Celine moved from Bordeaux to Lille last night!

EXAM			
SID	CLASS	DATE	GRADE
123	1	7-9-03	10
123	2	8-1-03	8
702	2	7-9-03	5

CLASS		
CID	TITLE	TEACHER
1	maths	Leguichet
2	CS	Duchat

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Selection

$\sigma_{\text{NAME}='Celine'} \text{ STUDENT}$

is a (nameless) table with

- schema : same schema as STUDENT
- instance : those tuples of STUDENT satisfying the selection predicate

SID	NAME	CITY	MAJOR
415	Celine	Lille	Inf

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Syntax of the selection predicate P in $\sigma_P R$

Boolean expression of simple predicates

Boolean operators:

- AND (P_1 AND P_2)
- OR (P_1 OR P_2)
- NOT (P_1)

Simple predicates:

- TRUE, FALSE
- term comparator term

comparators :

- =, !=, <, <=, >, >=

terms :

- constant, attribute
- arithmetic expression with constants and attributes

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Example of selection

$\sigma_{(\text{City}='Lille') \text{ OR } ((\text{City}='Paris') \text{ AND NOT } (\text{MAJOR}='Log'))} \text{ STUDENT}$

SID	NAME	CITY	MAJOR
123	Pierre	Lyon	Inf
415	Celine	Lille	Inf
702	Estelle	Paris	Log

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Projection

$\Pi_{\text{NAME,MAJOR}} \text{ STUDENT}$

is a (nameless) table of

- schema : attributes NAME and MAJOR
- instance : restriction of tuples on the attributes NAME and MAJOR

NAME	MAJOR
Pierre	Inf
Celine	Inf
Estelle	Log

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Question de révision pour les DUTs

- Expliquez la différence entre
 - l'opérateur σ de sélection, en algèbre
 - et le mot-clé select en SQL?

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Projection and duplicates

- in the formal model, projection eliminates duplicates

$\Pi_{\text{MAJOR}} \text{ STUDENT}$

MAJOR
Inf
Log

- in informal models (and systems), duplicate elimination must be explicitly requested

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Assignment

- allows to give name to the result of an algebraic expression
- is not itself an algebraic expression

$\text{GEEKS} = \sigma_{\text{MAJOR}=\text{Inf}} \text{ STUDENT}$

$\text{CHTIS} = \sigma_{\text{CITY}=\text{'Lille'}} \text{ STUDENT}$

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Union

$\text{TABLE1} \cup \text{TABLE2}$

Only works if TABLE1 and TABLE2 are compatible

→ With the same grade, or (in systems) with domains of same type, in same order

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Union

$\text{GEEKS} \cup \text{CHTIS}$

Is a (nameless) table of

- schema : Schema of GEEKS

- instance : union of the tuples of GEEKS and CHTIS

ID	NAME	CITY	MAJOR
123	Pierre	Lyon	Inf
415	Celine	Lille	Inf

Commutative:
order doesn't matter.

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Difference

$\text{TABLE1} - \text{TABLE2}$

Works if TABLE1 e TABLE2 are compatible

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Difference

GEEKS - CHTIS

is a (nameless) TABLE with

- schema :
schema of GEEKS
- instance:
tuples in GEEKS, but not in and CHTIS

ID	NAME	CITY	MAJOR
123	Pierre	Lyon	Inf

Warning: not
commutative

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Cartesian product

R × S

is a (nameless) TABLE with

- schema :
attributes of R and S
(arity(RxS)= arity(R)+arity(S))
- instance :
all possible combinations from tuples
in R and S
- cardinality:
(card(RxS)=card(R)*card(S))

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Example

R1(A,B)

A	B
a	1
b	3

R2(C,D)

C	D
c	1
b	3
a	2

R1xR2 (A,B,C,D)

A	B	C	D
a	1	c	1
a	1	b	3
a	1	a	2
b	3	c	1
b	3	b	3
b	3	a	2

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Intersection

TABLE1 ∩ TABLE2

As the other set operations, works if
TABLE1 and TABLE2 are compatible

Can be derived by following formula
 $R \cap S = R - (R - S)$

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Intersection

GEEKS ∩ CHTIS

is a (nameless) TABLE with

- schema :
schema of GEEKS
- instance:
tuples in both GEEKS and CHTIS

ID	NAME	CITY	MAJOR
415	Celine	Lille	Inf

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Join

STUDENT |▷◁| STUDENT.SID=EXAM.SID EXAM

is equivalent to the following expression (derived operator):

$\sigma_{STUDENT.SID=EXAM.SID} STUDENT \times EXAM$

When two relations have attributes of the same name, we use the dotted notation:
EXAM.SID, STUDENT.SID

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Join

STUDENT |><| STUDENT.SID=EXAM.SID EXAM

Produces a (nameless) TABLE

- schema : Concatenation of schemes of STUDENT and EXAM
- instance: the tuples obtained by concatenating those lines of STUDENT and EXAM that have the same SID

STUDENT. SID	NAME	CITY	MAJOR SID	EXAM. SID	CLASS	DATE	GRADE
123	Pierre	Lyon	Inf	123	1	7-9-03	10
123	Pierre	Lyon	Inf	123	2	8-1-03	8
702	Estelle	Paris	Log	702	2	7-9-03	5

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Syntax of join predicate

conjunctive expression with simple predicates

ATTR1 comp ATTR2

where ATTR1 is from TAB1 and ATTR2 from TAB2

comp: =, !=, <, <=, >, >=

EQUI-JOIN :
only comparisons of equality

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Natural join

equi-join of all homonymous attributes
(repeated columns with common attributes are eliminated)

STUDENT |><| EXAM

SID	NAME	CITY	MAJOR	CLASS	DATE	GRADE
123	Pierre	Lyon	Inf	1	7-9-03	10
123	Pierre	Lyon	Inf	2	8-1-03	8
702	Estelle	Paris	Log	2	7-9-03	5

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Natural join with 3 tables

STUDENT |><| EXAM |><| CLASS

ID	NAME	CITY	MAJOR CLASS	DATE	GRADE	TITLE	TEACHER
123	Pierre	Lyon	Inf 1	7-9-03	10	maths	Leguichet
123	Pierre	Lyon	Inf 2	8-1-03	8	infor	Duchat
702	Estelle	Paris	Log 3	7-9-03	5	infor	Duchat

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Equivalence of expressions

- which students have obtained a 10 in mathematics?

$$\Pi \text{NAME} \\ (\text{STUDENT} |><| \\ (\sigma_{\text{GRADE}=10} \text{EXAM} |><| \\ (\sigma_{\text{TITLE}=\text{'maths'}} \text{CLASS})))$$

- equivalent to:

$$\Pi \text{NAME} \sigma_{\text{GRADE}=10 \text{ AND } \text{TITLE}=\text{'maths'}} \\ (\text{STUDENT} |><| \text{EXAM} |><| \text{CLASS})$$

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Equivalence of expressions

- which TEACHERs have examined Estelle?

$$\Pi \text{TEACHER} \\ (\text{CLASS} |><| \\ (\text{EXAM} |><| \\ \sigma_{\text{NAME} = \text{'Estelle'}} \text{STUDENT}))$$

- equivalent to:

$$\Pi \text{TEACHER} \sigma_{\text{NAME} = \text{'Estelle'}} \\ (\text{STUDENT} |><| \text{EXAM} |><| \text{CLASS})$$

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Complex expressions

- extract NAME of STUDENT that have never had a grade under 8

$\Pi_{NAME} STUDENT | \bowtie (\Pi_{ID} EXAM$

-

$\Pi_{ID} \sigma_{GRADE < 8} EXAM)$

- explanation: first find IDs of all students that have taken exams, minus those that had some grade under 8.

Then, find their names.

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Summary

- We've seen the relation algebra operators
 - projection, selection
 - Cartesian product, join
 - set operations: union, difference, intersection,

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No lecture this Friday!

- Postponed to later
- Enough to practice after our first 2 lectures
- Next week's tutorial and lab
 - Relational model
 - Algebraic queries: on paper and computer

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Réunion ERASMUS

- Lundi 19 septembre, pause déjeuner
- Condition pour partir:
 - valider ce semestre en 1ère session
- Programme:
 - aspects administratifs (bourses,...)
 - témoignages d'étudiants
 - universités partenaires
 - parrainage entre étudiants
- Mobilité enseignants: cours en anglais?

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