

# Recommendation Systems

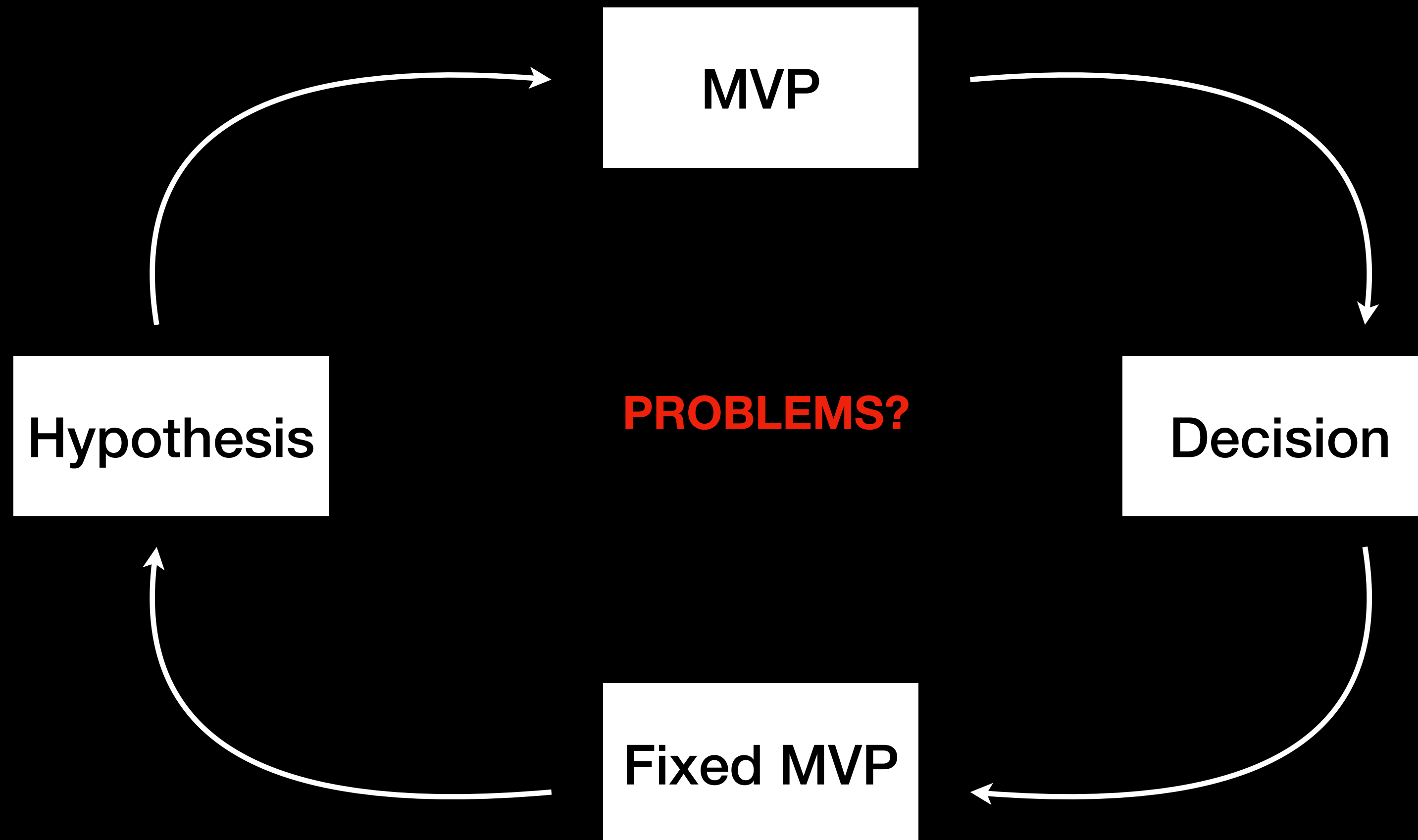
**BI**, metrics, **AB**-tests, **bandits**

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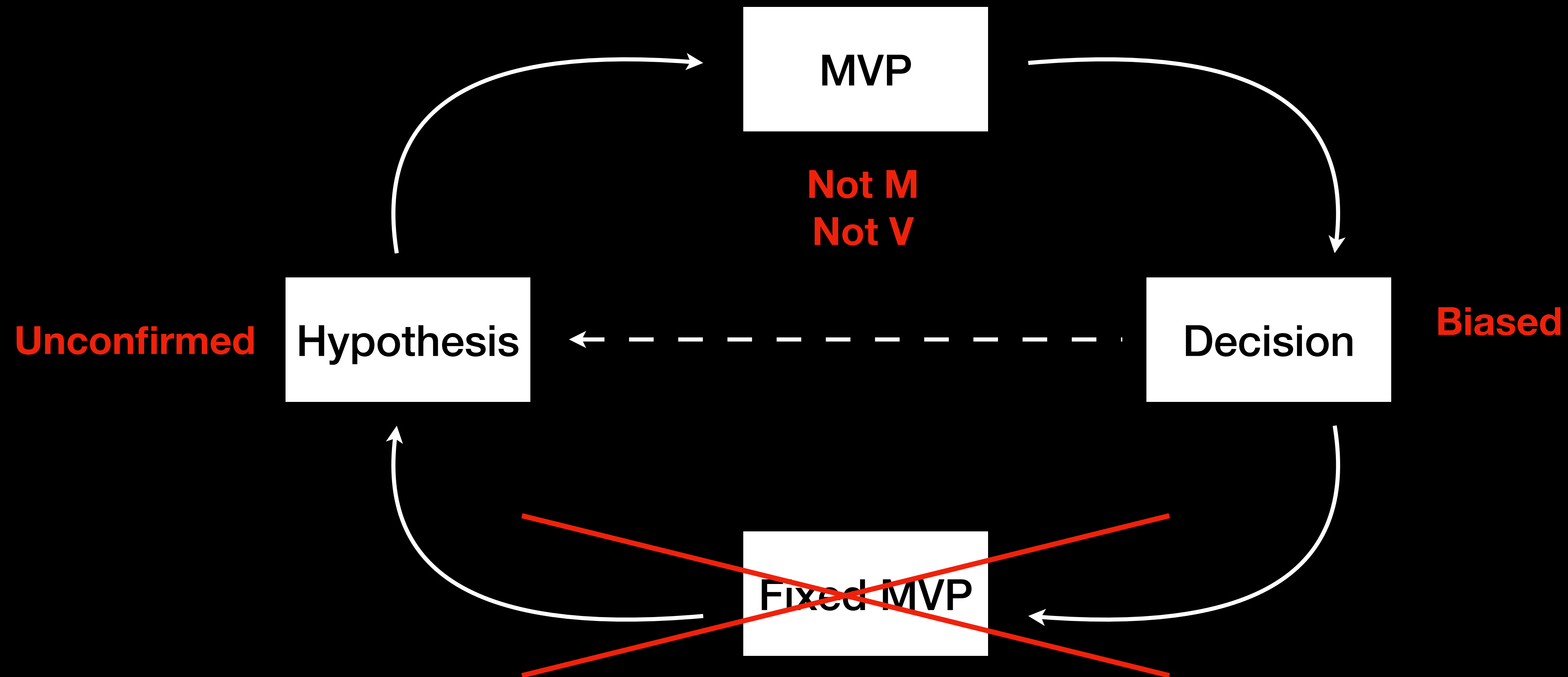
# To discuss:

- A good startup is a **data-driven** «startup»
- Data-driven «startup» - is not **isn't always good** startup
- Data **fatigue**
- **No** direction

# «Startup» progress:



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# Metrics canvas discussion:

- Why should you care about it?
  - Most time you are not just an «ML-engineer», but self-sufficient product maker
  - Your product = your bonuses
- Canvas = schema = table
- Answers question:
  - What's going on? Why is the audience not growing?
  - Where to go next?
  - We got AB result sheet with 100+ metrics, what's next?

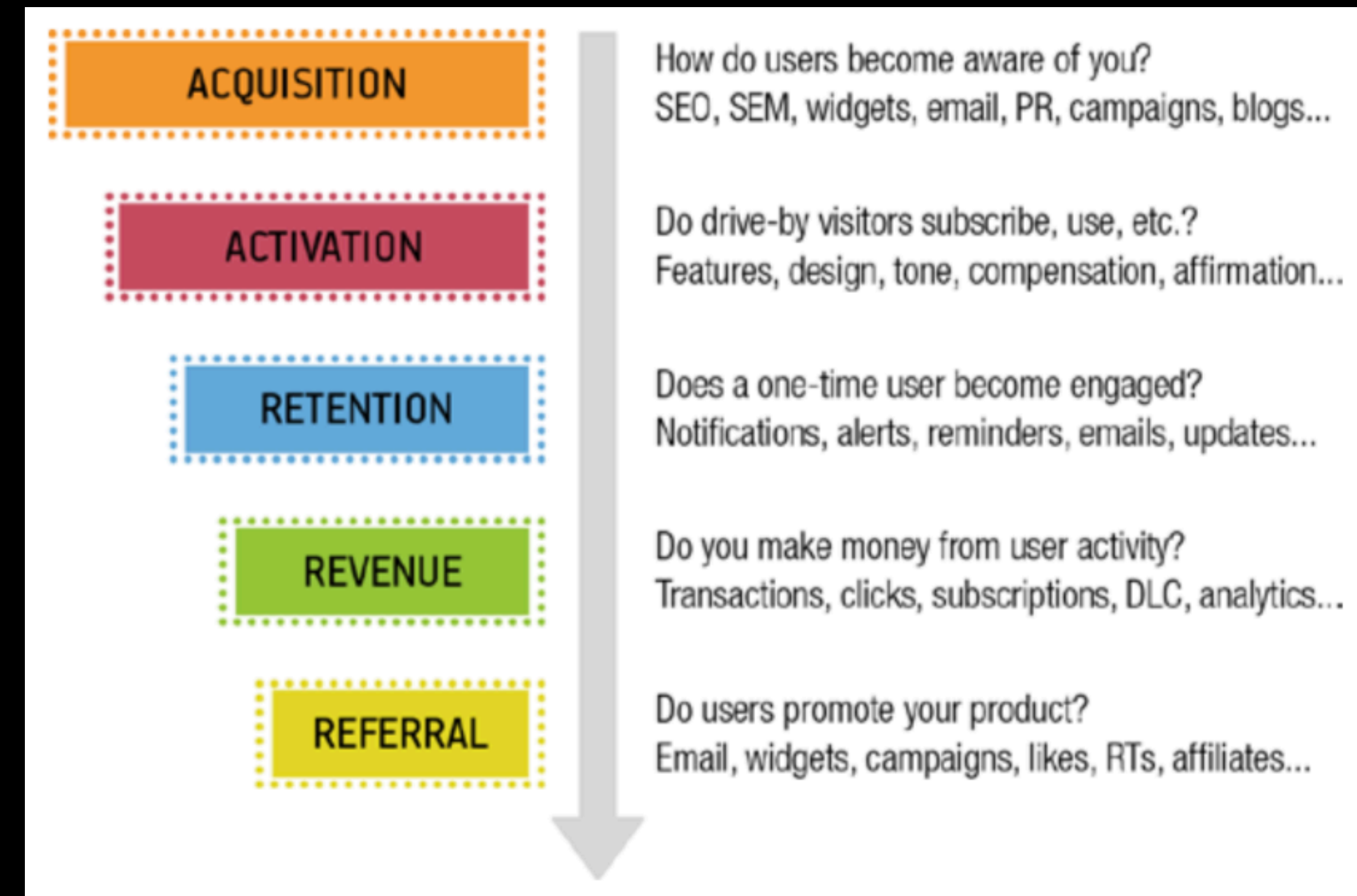


# «AARRR» framework:

- **A**cquisition
- **A**ctivation
- **R**etention
- **R**evenue
- **R**eferral

Good at question: where to go next?  
Whats to look in AB-sheet?

Bad at question: How concretely move further?  
A bit b2c-centered.





# AARRR

- **What:** Acquisition
- **About-what:** How do users become aware of you?
- **Instruments:** SEO / SEM / widgets / email / PR / campaigns / blogs
- **Utility:** Generate attention and traffic (either organic or not)
- **Metrics:** traffic / mentions / cost-per-click / search results / cost of acquisition / open rate

# AARRR

- **What:** Activation
- **About-what:** Are new users subscribing?
- **Instruments:** Features / design / tone / confirmations
- **Utility:** Turn attracted users into engaged
- **Metrics:** Engagement / registrations / onboarding finished / used service at least once



# AARRR

- **What:** Retention
- **About-what:** Are users returns?
- **Instruments:** notifications / alerts / reminders / updates / emails / game mechanics
- **Utility:** Encourages users to come back
- **Metrics:** engagement / time since last visit / DAU/MAU / «retention rate»: 1d, 7d, 30d  
...

# AARRR

- **What:** Revenue
- **About-what:** Are we earn moneys?
- **Instruments:** transactions / dlc / pricing / subscriptions ...
- **Utility:** Money-money-money
- **Metrics:** ARPU (avg revenue per user) / conversion rate / shopping cart / click-through-revenue

# AARRR

- **What:** Referral
- **About-what:** Are our users promote our product?
- **Instruments:** promo / referral system / affiliates ...
- **Utility:** Virality
- **Metrics:** invites / viral coefficient / viral cycle lifetime

# What to track?!

# OMTM:

One metric that matters:

- It answers the most important question you have
- It focuses the entire company
- It inspire a culture of experimentation

# OMTM:

One metric that matters:

- Easy
- Every-day measured
- Easy to move
- Easy to compare
- Fundamental

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**PROBLEMS?**



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**PROBLEMS?**

**YEP, it does not exists!**

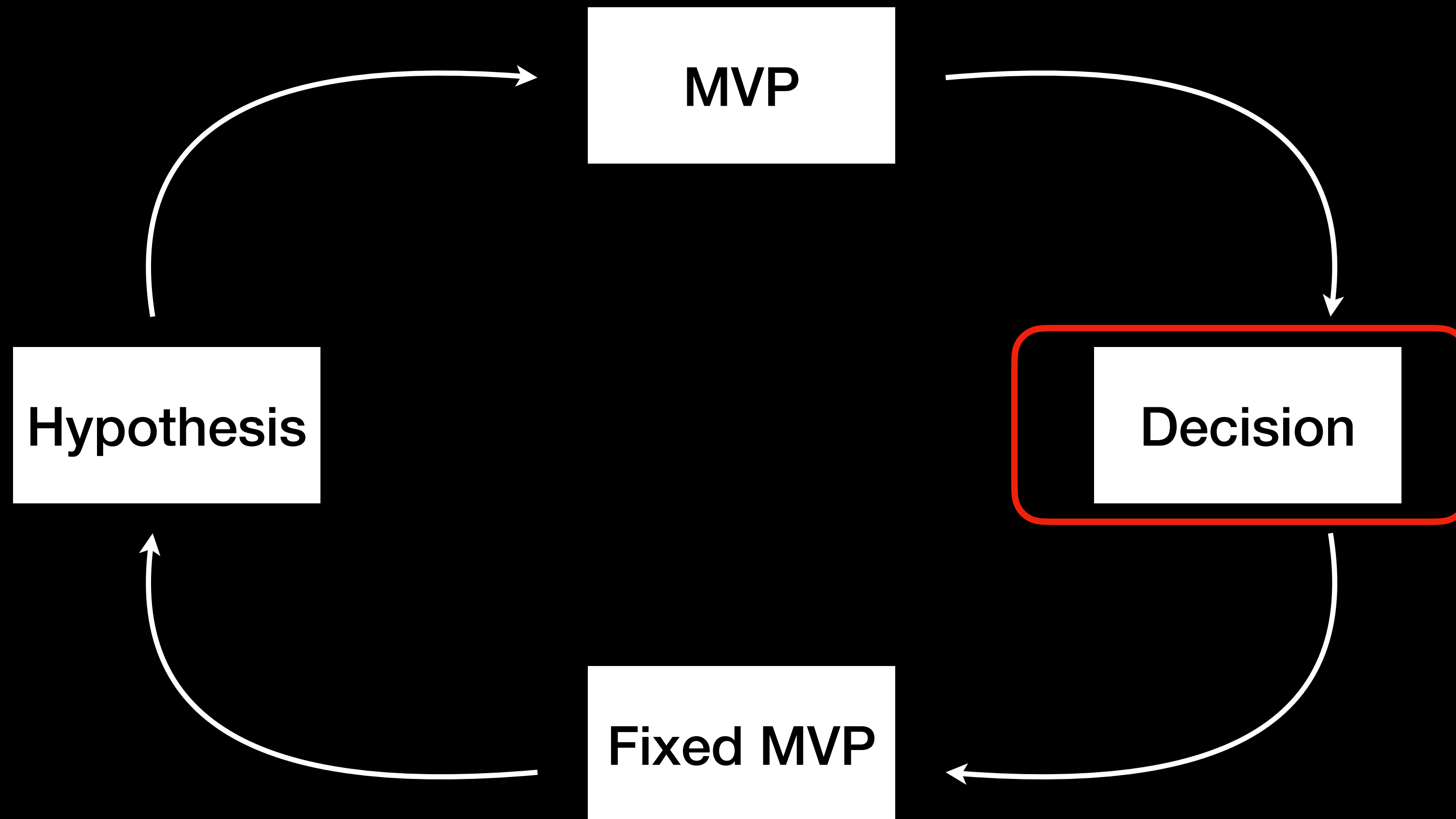
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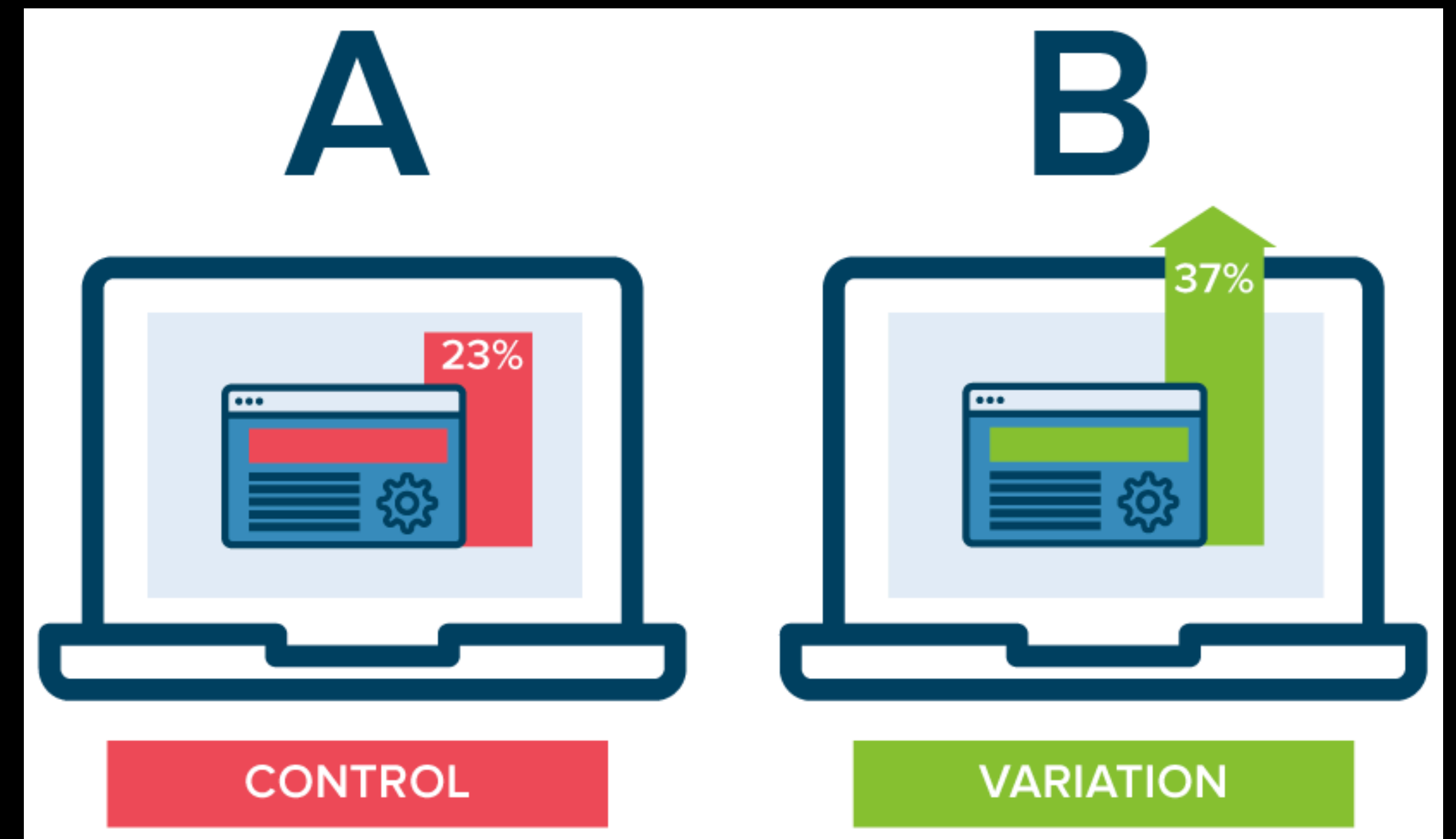
Don't worry, we will fix it further!

# «Startup» progress:



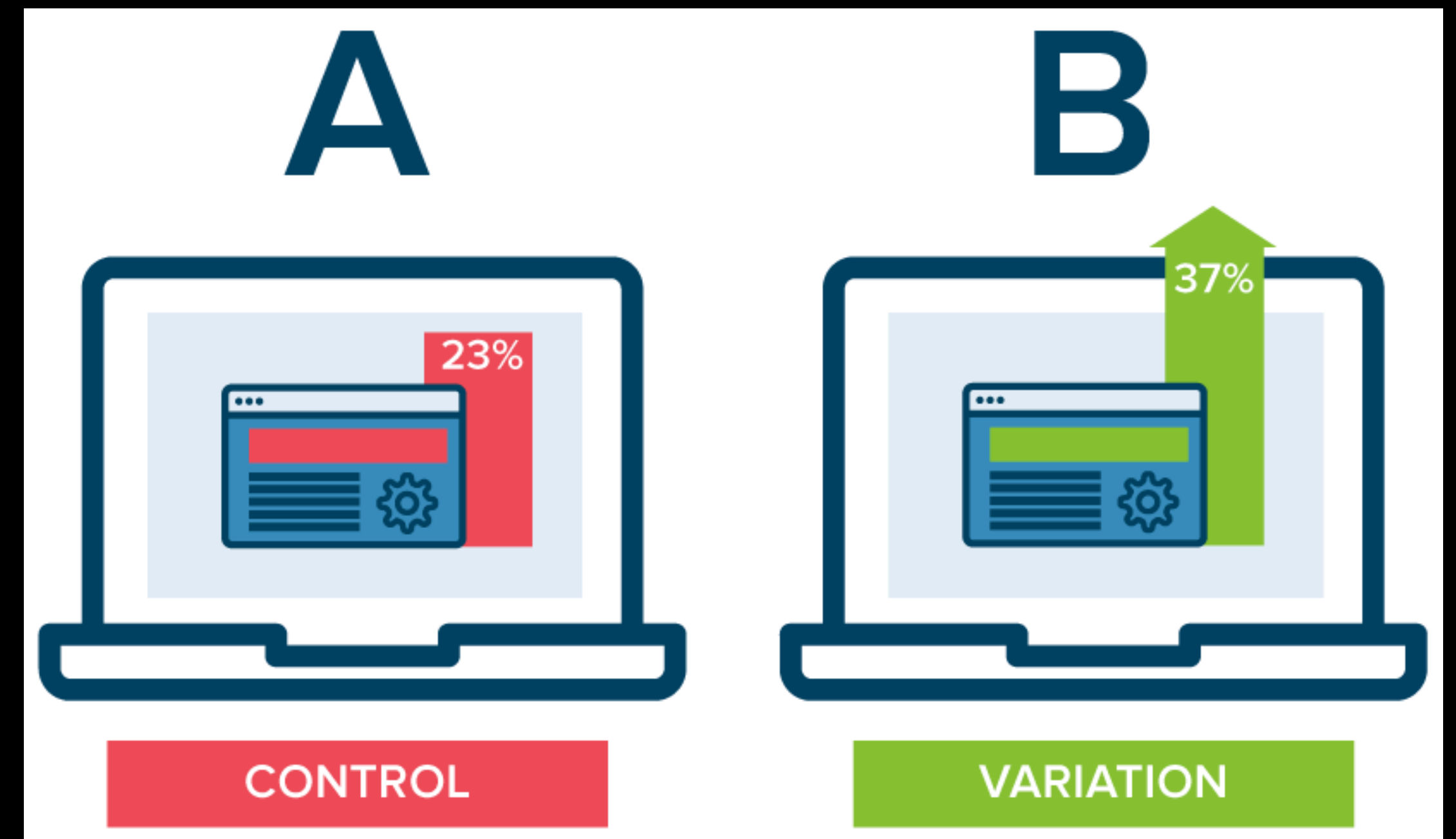
# A/B tests:

- Two options of banner. Which one is better?
- Split user into two groups, show default banner for control group, new one — for test group.
- Wait a bit
- Measure performance.
- Compare
- Choose best



# A/B tests:

- Two options of banner. Which one is **better**?
- **Split user** into two groups, show default banner for control group, new one — for test group.
- Wait **a bit**
- Measure **performance**.
- **Compare**
- Choose **best**



# How to compare?

- $k \sim \text{Bernoulli}(\theta)$ ,  $k$  — binary click or not  
 $\theta$  — Bern. parameter, probability of a click, mean...

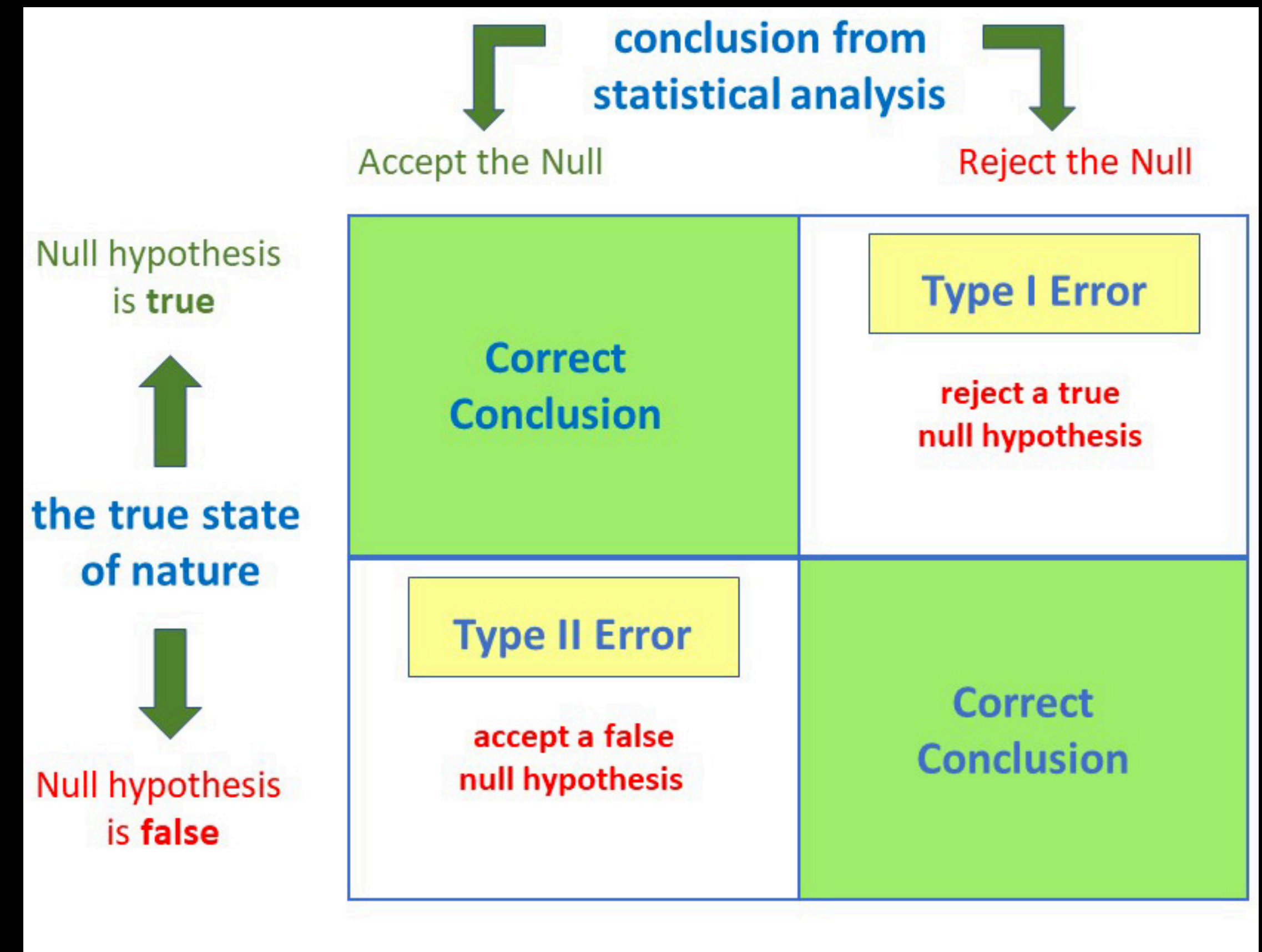
$$p(k) = \theta^k(1 - \theta)^{1-k}, \sigma^2 = \theta(1 - \theta) \text{ — dispersion}$$

- $H_0 : \theta_c = \theta_t$   
 $H_1 : \theta_c < \theta_t$   
 $\theta_c \sim \text{clicks/views}$

- $\bar{\theta} = N(\mu, \frac{\sigma^2}{n}) \rightarrow \text{T-test for comparing}$

# How to **compare**?

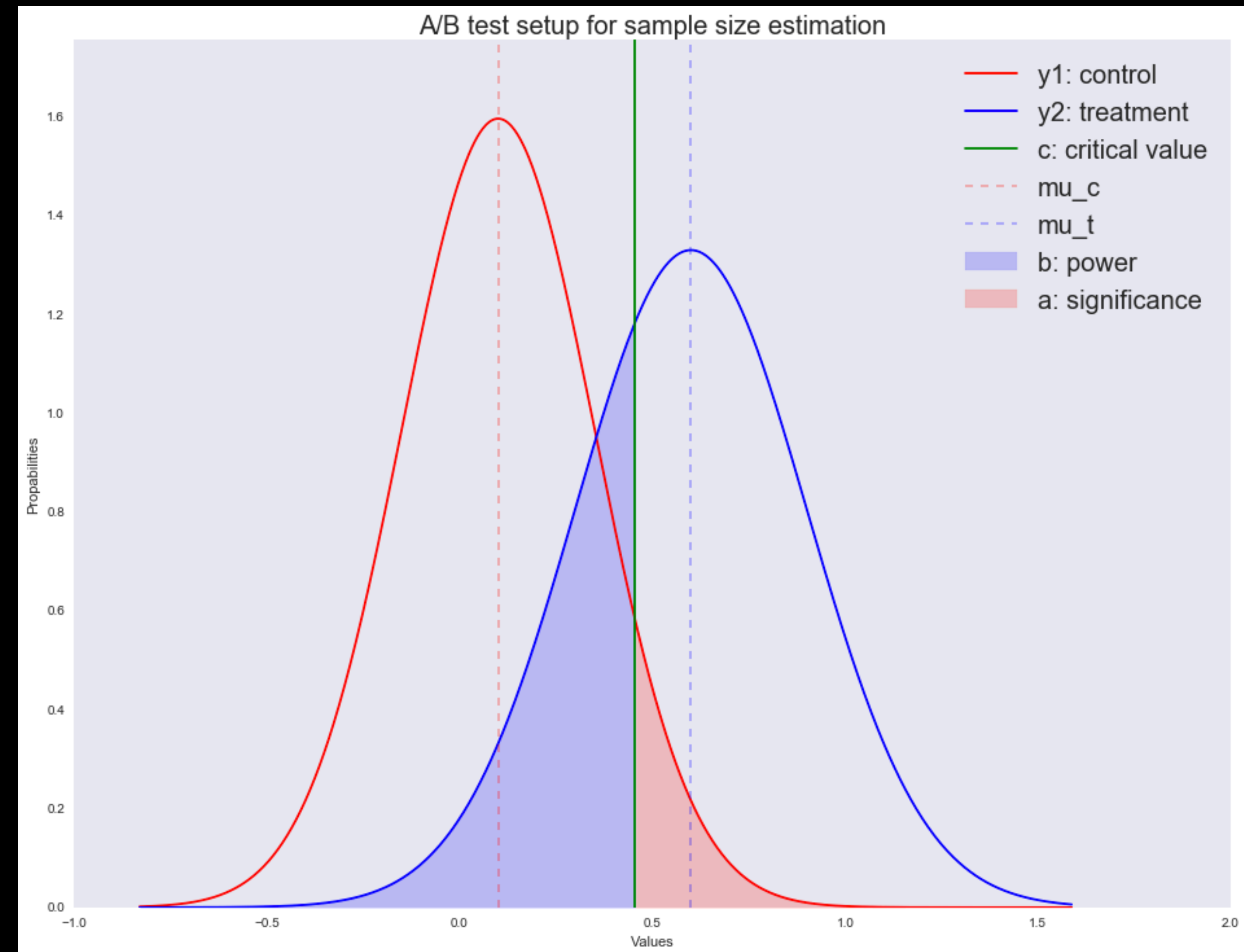
- $\alpha = P(H_1 | H_0)$  (0.05)  
 $\beta = P(H_0 | H_1)$  (0.2),  
( $1 - \beta$ ) — statistical power )
- Stat test concept:  
 $T(X) = t$   
 $P(T(x) > t) = p_{value}$   
 $p_{value} < \alpha$  —  $H_0$  rejected





# How long to hold?

- $c = \mu + t \frac{\sigma}{\sqrt{n}}$ ,  $t$  — quantile  $N(0,1)$
- $c = \theta_c + t_\alpha \sqrt{\frac{\theta_c(1 - \theta_c)}{n}}$
- $c = \theta_t + t_\beta \sqrt{\frac{\theta_t(1 - \theta_t)}{n}}$
- ^^ with known  $\theta_c$ ,  $\alpha$ ,  $\beta$  and expected  $\theta_t$  solvable for  $n$



# Dead salmon case

- Happens on multiple tests
- Take dead salmon, put them into MRI
- Conduct low-quality research
- Salmon is alive
- Holm–Bonferroni method  $\alpha := \alpha/n$

$$\begin{aligned} P(\text{хотя бы один результат значимый}) &= 1 - P(\text{все результаты незначимы}) \\ &= 1 - (1 - 0.05)^5 \\ &= 1 - 0.95^5 \\ &\approx 0.2262 \end{aligned}$$

# AB tests **IRL:**

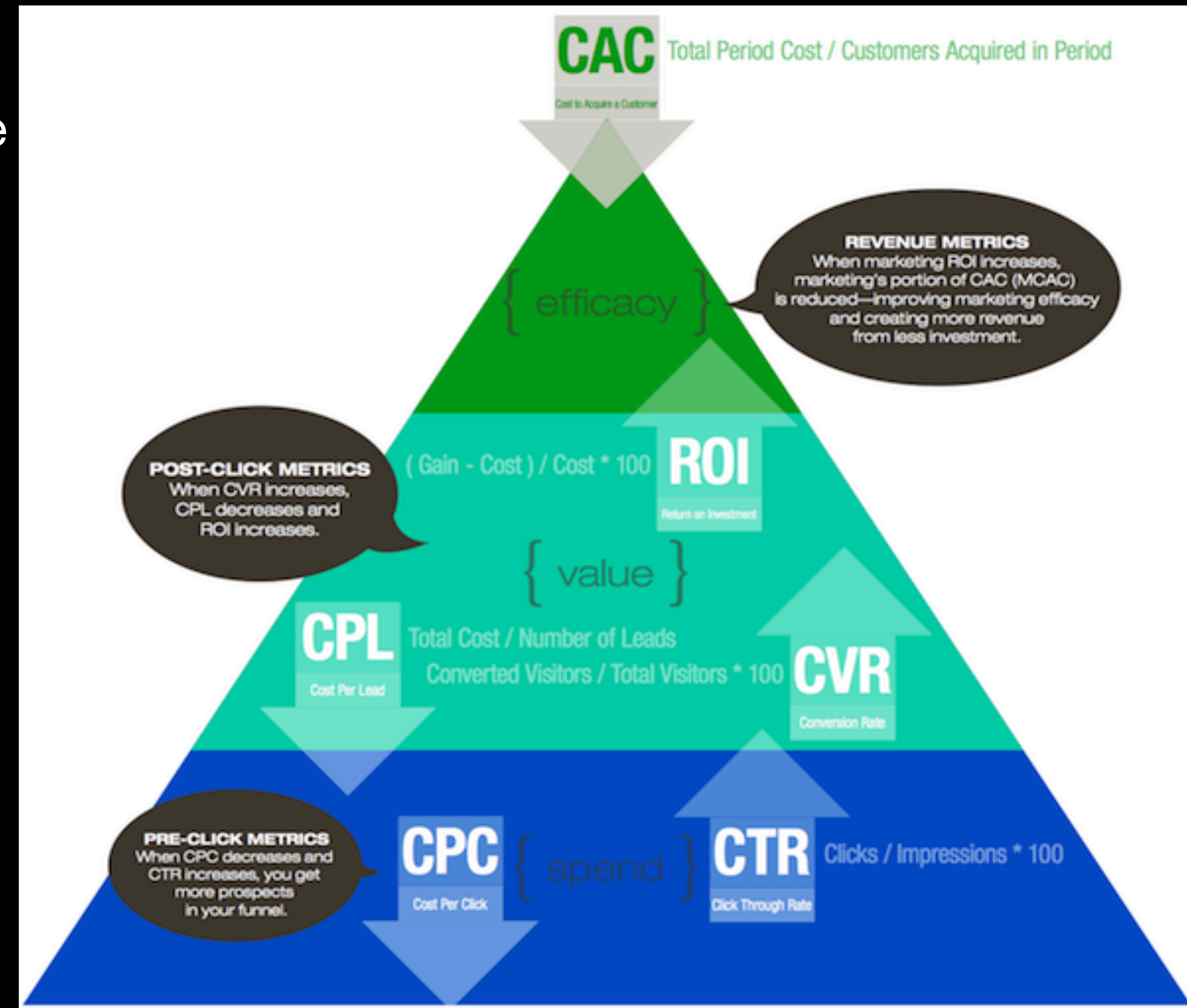
- Tons of metrics:
  - No one knows what amount of change to care
- How to make a decision?
- How long should we hold for 100 metrics on radar
- Have you heard about novelty effect?

Действие	Метрика	Эффект (%)	Уверенность в отличии (%)	Уверенность в новизне (%)
	users	-62.16%	99.00%	97.38%
	counts	-57.08%	99.00%	97.38%
	users	36.40%	99.00%	97.38%
	counts	35.66%	99.00%	97.38%
	counts	28.75%	99.00%	97.38%
	counts	28.53%	99.00%	97.38%
	users	24.04%	99.00%	97.38%
	avgs	14.60%	99.00%	97.38%
	avgs	8.10%	99.00%	97.38%
	users	7.48%	99.00%	97.38%
e_click:Content	avgs	-6.60%	99.00%	97.38%
e_click:Content	users	5.83%	99.00%	96.10%



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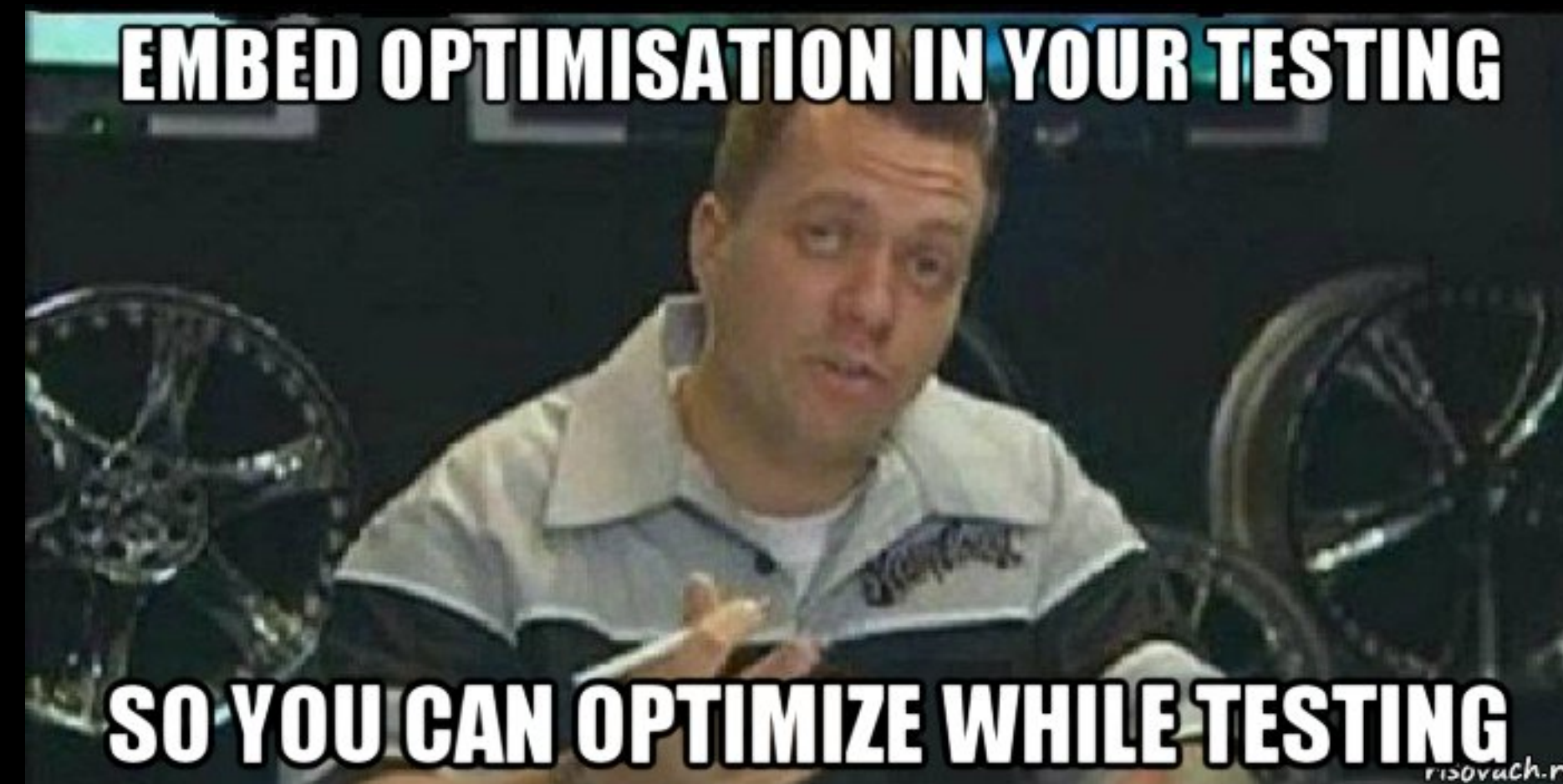


# Good AB tests **IRL:**

- Automatised
- Based on metrics. Plug-in plug-out
- Based on separation unit. Flexible separation
- A/A test auto and stable
- Easy for everyone
- Based on world-wide experience:  
<https://exp-platform.com/>

# AB tests nature:

- Origins from medicine and agriculture:
  - High cost of one **experiment**
  - High cost of an single **error**
- Classical AB/tests allows you to estimate budget beforehand, set different  $\alpha, \beta$  and estimate result





# Bayesian multi-armed bandits:

Unformally:

- You ended up in casino with fixed amount money and time.
- You want to find the best one and maximise your gain.
- Let's look at Thompson sampling schema.
- Yahoo use it to optimise banners. Microsoft too. Netflix and artwork optimisation.





# Bayesian multi-armed bandits:

Formally:

- Let us observe the sequence  $y_t = (y_1, y_2 \dots y_t)$  at time  $t$
- Let us denote action  $a_t$  taken at moment  $t$
- $y_t \sim f_{a_t}(y \mid \vec{\theta})$ , where  $\vec{\theta}$  some unknown parameters vector
- We don't know the actual distribution and/or  $\vec{\theta}$  that's why we can't optimise mean directly

# Bayesian multi-armed bandits:

- $f_a(y | \theta_a) = \theta_a^y (1 - \theta_a)^{1-y}$  and expected reward  $\mu_a = \theta_a$ . So let we **assume** that  $\theta \sim \text{Beta}(\alpha, \beta)$

- Beta is conjugate prior to Bernoulli

$$\begin{aligned}
 p(\theta | y) &\propto p(\theta) \cdot p(y | \theta) \\
 &\propto \frac{1}{B(\alpha, \beta)} \theta^{\alpha-1} (1 - \theta)^{\beta-1} \cdot \theta^y (1 - \theta)^{1-y} \\
 &\propto \theta^{\alpha-1+y} (1 - \theta)^{\beta-1+1-y}
 \end{aligned}
 \quad p(\theta|x) =$$

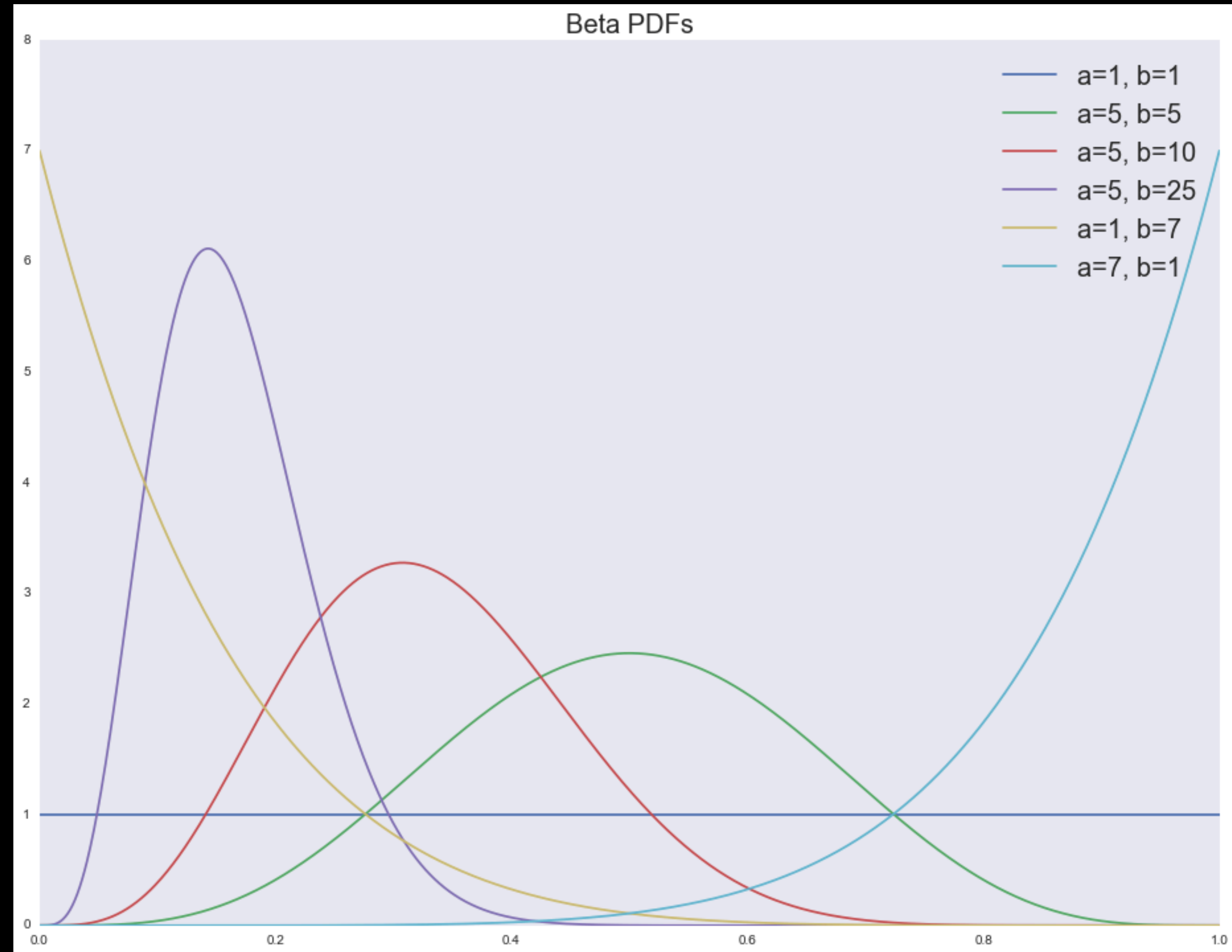
$$\text{Beta}(\alpha + y, \beta + 1 - y) = \text{Beta}(\theta | \alpha, \beta) \cdot \text{Bernoulli}(y | \theta)$$

$$p(\theta|x) = \frac{p(x|\theta) p(\theta)}{\int_{\text{range } \theta} p(x|\theta) p(\theta) d\theta}.$$

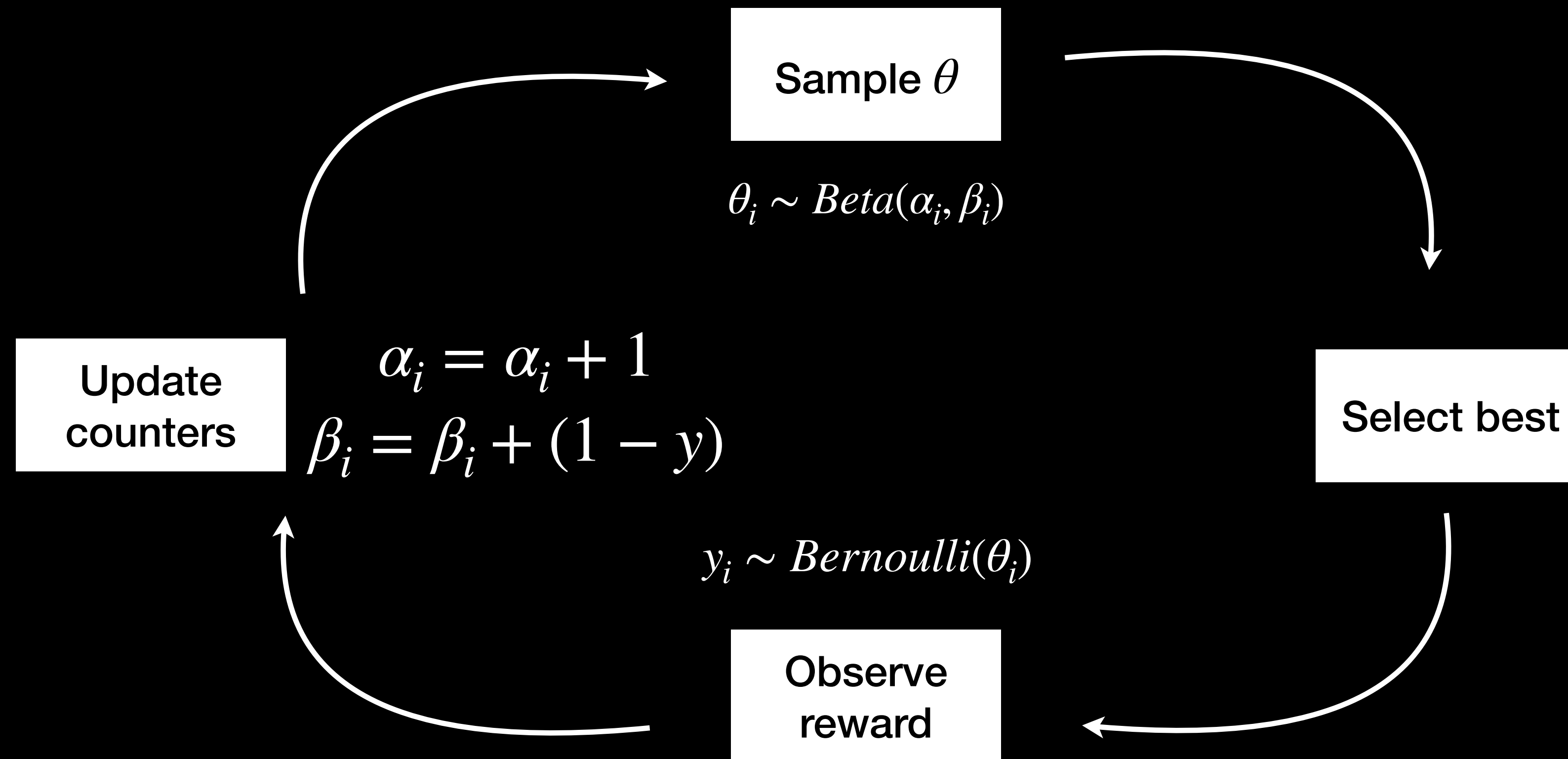
- Beta becomes uniform when  $\alpha = \beta = 1$
- $\alpha$  as num of successes,  $\beta$  as num of failures

# Beta-distribution:

$$f(\theta, \alpha, \beta) = \frac{1}{\mathbf{B}(\alpha, \beta)} \theta^{\alpha-1} \cdot (1 - \theta)^{\beta-1}$$

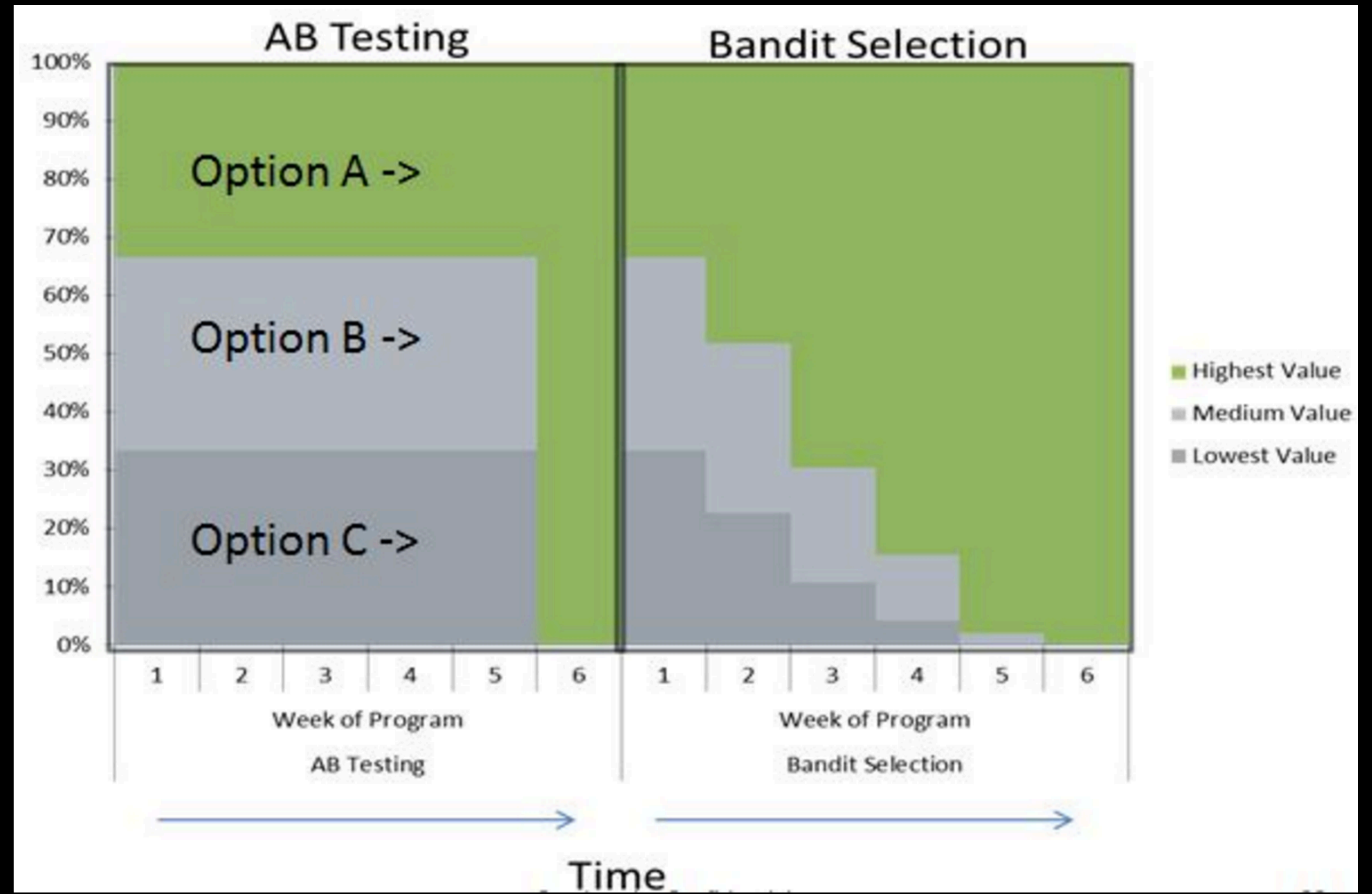


# Beta-distribution sampling



# Beta-distribution sampling

- Traffic proportion ~ probability of the best bandit  $\theta^*$
- Have all needed counters to perform AB-test calculation on runtime
- Maximises CTR directly



# Bandits as recommender:

- Allows to add new options during experiments
- Allows to take account of a-priori by setting non-default  $\alpha, \beta$
- Greediness problem ->  $ewma_i = (1 - \alpha) \bullet ewma_{i-1} + \alpha \bullet freq_i$
- Relatively easy to code. Especially if you have no historic data and need to implement something on launch.

# Sources

- Metrics: Lean Analytics: How to build startup faster
- Bandits <https://habr.com/ru/company/ods/blog/325416/>