

```

syms x(t) y(t) a(t) phi1(t) phi2(t) OC e Ic I0 m mw ...
len hgt kx ky bx by ...
g x__dot a__dot y__dot phi1__dot phi2__dot xc1 ...
xc2 yc1 yc2 xc1__dot xc2__dot yc1__dot ...
yc2__dot %hgt - od srodka do dolnej ...
krawedzi(w osi y) len - od srodka do osi ...
sprezyny(w osi x)

```

$$x\_dot = \text{diff}(x, t)$$

$$x\_dot(t) = \frac{\partial}{\partial t} x(t)$$

$$y\_dot = \text{diff}(y, t)$$

$$y\_dot(t) = \frac{\partial}{\partial t} y(t)$$

$$a\_dot = \text{diff}(a, t)$$

$$a\_dot(t) = \frac{\partial}{\partial t} a(t)$$

$$\text{phi1\_dot} = \text{diff}(\text{phi1}, t)$$

$$\text{phi1\_dot}(t) = \frac{\partial}{\partial t} \varphi_1(t)$$

$$\text{phi2\_dot} = \text{diff}(\text{phi2}, t)$$

$$\text{phi2\_dot}(t) = \frac{\partial}{\partial t} \varphi_2(t)$$

$$xc1 = -OC * \cos((\pi/3) - a) - e * \cos(\text{phi1}) + x$$

$$xc1(t) = x(t) - e \cos(\varphi_1(t)) - OC \cos\left(\frac{\pi}{3} - a(t)\right)$$

$$yc1 = OC * \sin((\pi/3) - a) + e * \sin(\text{phi1}) + y$$

$$yc1(t) = y(t) + e \sin(\varphi_1(t)) + OC \sin\left(\frac{\pi}{3} - a(t)\right)$$

$$xc1\_dot = \text{diff}(xc1, t)$$

$$xc1\_dot(t) = \frac{\partial}{\partial t} x(t) - OC \sin\left(\frac{\pi}{3} - a(t)\right) \frac{\partial}{\partial t} a(t) + e \sin(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t)$$

$$yc1\_dot = \text{diff}(yc1, t)$$

$$yc1\_dot(t) = \frac{\partial}{\partial t} y(t) - OC \cos\left(\frac{\pi}{3} - a(t)\right) \frac{\partial}{\partial t} a(t) + e \cos(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t)$$

$$xc2 = OC * \cos((\pi/3) - a) + e * \cos(\phi_2) + x$$

$$xc2(t) = x(t) + e \cos(\varphi_2(t)) + OC \cos\left(\frac{\pi}{3} - a(t)\right)$$

$$yc2 = OC * \sin((\pi/3) - a) + e * \sin(\phi_2) + y$$

$$yc2(t) = y(t) + e \sin(\varphi_2(t)) + OC \sin\left(\frac{\pi}{3} - a(t)\right)$$

$$xc2\_dot = \text{diff}(xc2, t)$$

$$xc2\_dot(t) = \frac{\partial}{\partial t} x(t) + OC \sin\left(\frac{\pi}{3} - a(t)\right) \frac{\partial}{\partial t} a(t) - e \sin(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t)$$

$$yc2\_dot = \text{diff}(yc2, t)$$

$$yc2\_dot(t) = \frac{\partial}{\partial t} y(t) - OC \cos\left(\frac{\pi}{3} - a(t)\right) \frac{\partial}{\partial t} a(t) + e \cos(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t)$$

$$\begin{aligned} T = & 0.5 * m * (x\_dot^2 + y\_dot^2) + \dots \\ & 0.5 * I_c * a\_dot^2 + 0.5 * m_w * xc1\_dot^2 + \dots \\ & 0.5 * m_w * yc1\_dot^2 + 0.5 * I_0 * \phi_1\_dot^2 + \dots \\ & 0.5 * m_w * xc2\_dot^2 + 0.5 * m_w * yc2\_dot^2 + \dots \\ & 0.5 * I_0 * \phi_2\_dot^2 \end{aligned}$$

$$T(t) = \frac{mw \left( \frac{\partial}{\partial t} y(t) - \sigma_2 + e \cos(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t) \right)^2}{2} + \frac{mw \left( \frac{\partial}{\partial t} y(t) - \sigma_2 + e \cos(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t) \right)^2}{2} + \frac{mw \left( \frac{\partial}{\partial t} x(t) - \sigma_1 + e \sin(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t) \right)^2}{2}$$

where

$$\sigma_1 = OC \sin(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_2 = OC \cos(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_3 = \frac{\pi}{3} - a(t)$$

$$V = mgy + mwgy_1 + mwgy_2 + \dots \\ 0.5kx*(-x*hgt*a*x)^2 + 0.5ky*(y+len*a)^2$$

$$V(t) = \frac{ky(y(t)+len a(t))^2}{2} + gmw(y(t) + e \sin(\varphi_1(t)) + \sigma_1) + gmw(y(t) + e \sin(\varphi_2(t)) + \sigma_1) + gmy(t) + \frac{1}{2}mw\dot{y}^2$$

where

$$\sigma_1 = OC \sin\left(\frac{\pi}{3} - a(t)\right)$$

$$L = T-V$$

$$L(t) = \frac{mw \left( \frac{\partial}{\partial t} y(t) - \sigma_2 + e \cos(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t) \right)^2}{2} - \frac{ky(y(t)+len a(t))^2}{2} + \frac{mw \left( \frac{\partial}{\partial t} y(t) - \sigma_2 + e \cos(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t) \right)^2}{2} + \frac{mw \left( \frac{\partial}{\partial t} x(t) - \sigma_1 + e \sin(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t) \right)^2}{2}$$

where

$$\sigma_1 = OC \sin(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_2 = OC \cos(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_3 = \frac{\pi}{3} - a(t)$$

$$N = \dots \\ 0.5bx*(-x\_dot-hgt*a\_dot)^2 + 0.5by*(y\_dot+len*a\_dot)^2$$

$$N(t) = \frac{bx \left( hgt \frac{\partial}{\partial t} a(t) + \frac{\partial}{\partial t} x(t) \right)^2}{2} + \frac{by \left( len \frac{\partial}{\partial t} a(t) + \frac{\partial}{\partial t} y(t) \right)^2}{2}$$

$$\text{dldx} = \text{functionalDerivative}(\text{L}, \text{x})$$

$$\begin{aligned} \text{dldx}(\text{t}) = & \\ & e \text{mw} \cos(\varphi_2(t)) \left( \frac{\partial}{\partial t} \varphi_2(t) \right)^2 - 2 \text{mw} \sigma_1 - 2 \text{hgt}^2 \text{kx} a(t)^2 x(t)^3 - e \text{mw} \cos(\varphi_1(t)) \left( \frac{\partial}{\partial t} \varphi_1(t) \right)^2 - m \sigma \end{aligned}$$

where

$$\sigma_1 = \frac{\partial^2}{\partial t^2} x(t)$$

$$\text{dldy} = \text{functionalDerivative}(\text{L}, \text{y})$$

$$\begin{aligned} \text{dldy}(\text{t}) = & \\ & e \text{mw} \sin(\varphi_1(t)) \left( \frac{\partial}{\partial t} \varphi_1(t) \right)^2 - 2 \text{mw} \sigma_2 - g m - 2 g \text{mw} - \text{ky} y(t) - \text{ky} \text{len} a(t) - m \sigma_2 + e \text{mw} \sin(\varphi_2 \end{aligned}$$

where

$$\sigma_1 = \frac{\pi}{3} - a(t)$$

$$\sigma_2 = \frac{\partial^2}{\partial t^2} y(t)$$

$$\text{dlda} = \text{functionalDerivative}(\text{L}, \text{a})$$

$$\begin{aligned} \text{dlda}(\text{t}) = & \\ & 2 \text{OC} g \text{mw} \cos(\sigma_4) - \text{ky} \text{len} y(t) - \text{ky} \text{len}^2 a(t) - \text{Ic} \sigma_1 - 2 \text{OC}^2 \text{mw} \cos(\sigma_4)^2 \sigma_1 - \text{hgt}^2 \text{kx} a(t) x(t)^4 - \end{aligned}$$

where

$$\sigma_1 = \frac{\partial^2}{\partial t^2} a(t)$$

$$\sigma_2 = \left( \frac{\partial}{\partial t} \varphi_2(t) \right)^2$$

$$\sigma_3 = \left( \frac{\partial}{\partial t} \varphi_1(t) \right)^2$$

$$\sigma_4 = \frac{\pi}{3} - a(t)$$

$$\sigma_5 = \frac{\partial^2}{\partial t^2} \varphi_2(t)$$

$$\sigma_6 = \frac{\partial^2}{\partial t^2} \varphi_1(t)$$

$$\text{dldphi1} = \text{functionalDerivative}(\text{L}, \text{phi1})$$

$$\text{dldphi1}(\text{t}) =$$

$$\text{OC } e \text{ mw } \cos(\varphi_1(t)) \sin(\sigma_2) \sigma_3 - e^2 \text{ mw } \cos(\varphi_1(t))^2 \sigma_1 - e^2 \text{ mw } \sin(\varphi_1(t))^2 \sigma_1 - e \text{ mw } \cos(\varphi_1(t)) \frac{\partial}{\partial t}$$

where

$$\sigma_1 = \frac{\partial^2}{\partial t^2} \varphi_1(t)$$

$$\sigma_2 = \frac{\pi}{3} - a(t)$$

$$\sigma_3 = \left( \frac{\partial}{\partial t} a(t) \right)^2$$

$$\sigma_4 = \frac{\partial^2}{\partial t^2} a(t)$$

`dldphi2 = functionalDerivative(L, phi2)`

$$\text{dldphi2}(t) = e \text{ mw } \sin(\varphi_2(t)) \frac{\partial^2}{\partial t^2} x(t) - e^2 \text{ mw } \cos(\varphi_2(t))^2 \sigma_1 - e^2 \text{ mw } \sin(\varphi_2(t))^2 \sigma_1 - e \text{ mw } \cos(\varphi_2(t)) \frac{\partial^2}{\partial t^2} y(t)$$

where

$$\sigma_1 = \frac{\partial^2}{\partial t^2} \varphi_2(t)$$

$$\sigma_2 = \frac{\pi}{3} - a(t)$$

$$\sigma_3 = \left( \frac{\partial}{\partial t} a(t) \right)^2$$

$$\sigma_4 = \frac{\partial^2}{\partial t^2} a(t)$$

Tutaj zaczyna sie kombinowanie - matlab nie umie rozniczkowac po np. xprim  
- zamieniamy wszystkie funkcje symboliczne na zmienne

```
syms xvar yvar avar phi1var phi2var
syms x_dotvar y_dotvar a_dotvar phi1_dotvar ...
    phi2_dotvar
Lvar = subs(L, x, xvar)
```

$$\text{Lvar}(t) =$$

$$\frac{\text{mw} \left( \frac{\partial}{\partial t} y(t) - \sigma_2 + e \cos(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t) \right)^2}{2} - \frac{\text{ky} (y(t) + \text{len } a(t))^2}{2} + \frac{\text{mw} \left( \frac{\partial}{\partial t} y(t) - \sigma_2 + e \cos(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t) \right)^2}{2} + \frac{\text{mw} (\sigma_1 - e \sin(\varphi_1(t)))^2}{2}$$

where

$$\sigma_1 = \text{OC} \sin(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_2 = \text{OC} \cos(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_3 = \frac{\pi}{3} - a(t)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, y, \text{yvar})$$

$$\text{Lvar}(t) = \frac{\text{mw} (\sigma_2 - e \cos(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t))^2}{2} + \frac{\text{mw} (\sigma_2 - e \cos(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t))^2}{2} + \frac{\text{mw} (\sigma_1 - e \sin(\varphi_1(t)) \frac{\partial}{\partial t} \varphi_1(t))^2}{2} + \frac{\text{mw} (\sigma_1 - e \sin(\varphi_2(t)) \frac{\partial}{\partial t} \varphi_2(t))^2}{2}$$

where

$$\sigma_1 = \text{OC} \sin(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_2 = \text{OC} \cos(\sigma_3) \frac{\partial}{\partial t} a(t)$$

$$\sigma_3 = \frac{\pi}{3} - a(t)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, a, \text{avar})$$

$$\text{Lvar}(t) = \frac{I_0 \sigma_2}{2} - \frac{\text{ky} (\text{yvar} + \text{avar len})^2}{2} + \frac{I_0 \sigma_1}{2} - g m \text{yvar} - g \text{mw} (\text{yvar} + e \sin(\varphi_1(t)) - \sigma_3) - g \text{mw} (\text{yvar} + e \sin(\varphi_2(t)) - \sigma_3)$$

where

$$\sigma_1 = \left( \frac{\partial}{\partial t} \varphi_2(t) \right)^2$$

$$\sigma_2 = \left( \frac{\partial}{\partial t} \varphi_1(t) \right)^2$$

$$\sigma_3 = \text{OC} \sin(\text{avar} - \frac{\pi}{3})$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, \text{phil}, \text{philvar})$$

$$\text{Lvar}(t) =$$

$$\frac{I_0 \sigma_1}{2} - \frac{k_y (y_{\text{var}} + a_{\text{var}} \text{len})^2}{2} - g \text{mw} (y_{\text{var}} - \sigma_2 + e \sin(\text{phi1var})) - g m y_{\text{var}} - g \text{mw} (y_{\text{var}} + e \sin(\varphi_2(t)))$$

where

$$\sigma_1 = \left( \frac{\partial}{\partial t} \varphi_2(t) \right)^2$$

$$\sigma_2 = \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, \text{phi2}, \text{phi2var})$$

$$\text{Lvar}(t) = -\frac{k_y (y_{\text{var}} + a_{\text{var}} \text{len})^2}{2} - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\text{phi1var}) \right) - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\varphi_2(t)) \right)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, \text{x\_dot}, \text{x\_dotvar})$$

$$\text{Lvar}(t) = -\frac{k_y (y_{\text{var}} + a_{\text{var}} \text{len})^2}{2} - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\text{phi1var}) \right) - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\varphi_2(t)) \right)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, \text{y\_dot}, \text{y\_dotvar})$$

$$\text{Lvar}(t) = -\frac{k_y (y_{\text{var}} + a_{\text{var}} \text{len})^2}{2} - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\text{phi1var}) \right) - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\varphi_2(t)) \right)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, \text{phi1\_dot}, \text{phi1\_dotvar})$$

$$\text{Lvar}(t) = -\frac{k_y (y_{\text{var}} + a_{\text{var}} \text{len})^2}{2} - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\text{phi1var}) \right) - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\varphi_2(t)) \right)$$

$$\text{Lvar} = \text{subs}(\text{Lvar}, \text{phi2\_dot}, \text{phi2\_dotvar})$$

$$\text{Lvar}(t) = -\frac{k_y (y_{\text{var}} + a_{\text{var}} \text{len})^2}{2} - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\text{phi1var}) \right) - g \text{mw} \left( y_{\text{var}} - \text{OC} \sin\left(a_{\text{var}} - \frac{\pi}{3}\right) + e \sin(\varphi_2(t)) \right)$$

$$\text{Nvar} = \text{subs}(\text{N}, \text{x}, \text{xvar})$$

$$\text{Nvar}(t) = \frac{\text{by} \left( \text{len} \frac{\partial}{\partial t} a(t) + \frac{\partial}{\partial t} y(t) \right)^2}{2} + \frac{\text{bx} \text{hgt}^2 \left( \frac{\partial}{\partial t} a(t) \right)^2}{2}$$

```
Nvar = subs(Nvar, y, yvar)
```

$$Nvar(t) = \frac{bx hgt^2 \left( \frac{\partial}{\partial t} a(t) \right)^2}{2} + \frac{by len^2 \left( \frac{\partial}{\partial t} a(t) \right)^2}{2}$$

```
Nvar = subs(Nvar, a, avar)
```

$$Nvar(t) = 0$$

```
Nvar = subs(Nvar, phi1, phi1var)
```

$$Nvar(t) = 0$$

```
Nvar = subs(Nvar, phi2, phi2var)
```

$$Nvar(t) = 0$$

```
Nvar = subs(Nvar, x_dot, x_dotvar)
```

$$Nvar(t) = 0$$

```
Nvar = subs(Nvar, y_dot, y_dotvar)
```

$$Nvar(t) = 0$$

```
Nvar = subs(Nvar, phi1_dot, phi1_dotvar)
```

$$Nvar(t) = 0$$

```
Nvar = subs(Nvar, phi2_dot, phi2_dotvar)
```

$$Nvar(t) = 0$$

```
%  
dldx_dotvar = diff(Lvar, x_dotvar)
```



$$\text{dldx\_dotvar}(t) =$$

$$0$$

$$\text{dldy\_dotvar} = \text{diff}(\text{Lvar}, \text{y\_dotvar})$$

$$\text{dldy\_dotvar}(t) =$$

$$0$$

$$\text{dlda\_dotvar} = \text{diff}(\text{Lvar}, \text{a\_dotvar})$$

$$\text{dlda\_dotvar}(t) =$$

$$0$$

$$\text{dldphi1\_dotvar} = \text{diff}(\text{Lvar}, \text{phi1\_dotvar})$$

$$\text{dldphi1\_dotvar}(t) =$$

$$0$$

$$\text{dldphi2\_dotvar} = \text{diff}(\text{Lvar}, \text{phi2\_dotvar})$$

$$\text{dldphi2\_dotvar}(t) =$$

$$0$$

$$\text{dndx\_dotvar} = \text{diff}(\text{Nvar}, \text{x\_dotvar})$$

$$\text{dndx\_dotvar}(t) =$$

$$0$$

$$\text{dndy\_dotvar} = \text{diff}(\text{Nvar}, \text{y\_dotvar})$$

$$\text{dndy\_dotvar}(t) =$$

$$0$$

$$\text{dnda\_dotvar} = \text{diff}(\text{Nvar}, \text{a\_dotvar})$$

$$\text{dnda\_dotvar}(t) =$$

$$0$$

$$\text{dndphi1\_dotvar} = \text{diff}(\text{Nvar}, \text{phi1\_dotvar})$$

$$\text{dndphi1\_dotvar}(t) =$$

$$0$$

$$\text{dndphi2\_dotvar} = \text{diff}(\text{Nvar}, \text{phi2\_dotvar})$$

$$\frac{d^2 \phi_2}{dt^2} = 0$$

i zamieniamy ze zmiennych spowrotem na funkcje

najpierw pochodne lagrangianu

```
% zmian dldx_dotvar na dldx_dot
dldx_dot = subs(dldx_dotvar, xvar, x)
```

$$\frac{d^2 x}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, yvar, y)
```

$$\frac{d^2 y}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, avar, a)
```

$$\frac{d^2 a}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, phi1var, phi1)
```

$$\frac{d^2 \phi_1}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, phi2var, phi2)
```

$$\frac{d^2 \phi_2}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, x_dotvar, x_dot)
```

$$\frac{d^2 x}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, y_dotvar, y_dot)
```

$$\frac{d^2 y}{dt^2} = 0$$

```
dldx_dot = subs(dldx_dot, phi1_dotvar, phi1_dot)
```

```
dldx_dot(t) =  
0
```

```
dldx_dot = subs(dldx_dot, phi2_dotvar, phi2_dot)
```

```
dldx_dot(t) =  
0
```

```
%zmiana dldy_dotvar na dldy_dot  
dldy_dot = subs(dldy_dotvar, xvar, x)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, yvar, y)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, avar, a)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, philvar, phil)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, phi2var, phi2)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, x_dotvar, x_dot)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, y_dotvar, y_dot)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, phi1_dotvar, phi1_dot)
```

```
dldy_dot(t) =  
0
```

```
dldy_dot = subs(dldy_dot, phi2_dotvar, phi2_dot)
```

```
dldy_dot(t) =  
0
```

```
%zmiana dlda_dotvar na dlda_dot  
dlda_dot = subs(dlda_dotvar, xvar, x)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, yvar, y)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, avar, a)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, phi1var, phi1)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, phi2var, phi2)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, x_dotvar, x_dot)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, y_dotvar, y_dot)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, phi1_dotvar, phi1_dot)
```

```
dlda_dot(t) =  
0
```

```
dlda_dot = subs(dlda_dot, phi2_dotvar, phi2_dot)
```

```
dlda_dot(t) =  
0
```

```
%zmiana dldphi1_dotvar na dldphi1_dot  
dldphi1_dot = subs(dldphi1_dotvar, xvar, x)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, yvar, y)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, avar, a)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, philvar, phi1)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, phi2var, phi2)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, x_dotvar, x_dot)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, y_dotvar, y_dot)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, phi1_dotvar, ...  
    phi1_dot)
```

```
dldphi1_dot(t) =  
0
```

```
dldphi1_dot = subs(dldphi1_dot, phi2_dotvar, ...  
    phi2_dot)
```

```
dldphi1_dot(t) =  
0
```

```
%zmiana dldphi2_dotvar na dldphi2_dot  
dldphi2_dot = subs(dldphi2_dotvar, xvar, x)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, yvar, y)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, avar, a)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, phi1var, phi1)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, phi2var, phi2)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, x_dotvar, x_dot)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, y_dotvar, y_dot)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, phi1_dotvar, ...  
phi1_dot)
```

```
dldphi2_dot(t) =  
0
```

```
dldphi2_dot = subs(dldphi2_dot, phi2_dotvar, ...  
phi2_dot)
```

```
dldphi2_dot(t) =  
0
```

i pochodne dysypacji

```
% zmian dndx_dotvar na dndx_dot  
dndx_dot = subs(dndx_dotvar, xvar, x)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, yvar, y)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, avar, a)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, philvar, phil)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, phi2var, phi2)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, x_dotvar, x_dot)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, y_dotvar, y_dot)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, phi1_dotvar, phi1_dot)
```

```
dndx_dot(t) =  
0
```

```
dndx_dot = subs(dndx_dot, phi2_dotvar, phi2_dot)
```

```
dndx_dot(t) =  
0
```

```
%zmiana dndy_dotvar na dndy_dot  
dndy_dot = subs(dndy_dotvar, xvar, x)
```

```
dndy_dot(t) =  
0
```

```
dndy_dot = subs(dndy_dot, yvar, y)
```

```
dndy_dot(t) =  
0
```

```
dndy_dot = subs(dndy_dot, avar, a)
```

```
dndy_dot(t) =  
0
```

```
dndy_dot = subs(dndy_dot, phi1var, phi1)
```



```
dndy__dot(t) =  
0
```

```
dndy__dot = subs(dndy__dot, phi2var, phi2)
```

```
dndy__dot(t) =  
0
```

```
dndy__dot = subs(dndy__dot, x__dotvar, x__dot)
```

```
dndy__dot(t) =  
0
```

```
dndy__dot = subs(dndy__dot, y__dotvar, y__dot)
```

```
dndy__dot(t) =  
0
```

```
dndy__dot = subs(dndy__dot, phi1__dotvar, phi1__dot)
```

```
dndy__dot(t) =  
0
```

```
dndy__dot = subs(dndy__dot, phi2__dotvar, phi2__dot)
```

```
dndy__dot(t) =  
0
```

```
% zmiana dnda__dotvar na dnda__dot  
dnda__dot = subs(dnda__dotvar, xvar, x)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, yvar, y)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, avar, a)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, phi1var, phi1)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, phi2var, phi2)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, x__dotvar, x__dot)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, y__dotvar, y__dot)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, phi1__dotvar, phi1__dot)
```

```
dnda__dot(t) =  
0
```

```
dnda__dot = subs(dnda__dot, phi2__dotvar, phi2__dot)
```

```
dnda__dot(t) =  
0
```

```
%zmiana dndphi1__dotvar na dndphi1__dot  
dndphi1__dot = subs(dndphi1__dotvar, xvar, x)
```

```
dndphi1__dot(t) =  
0
```

```
dndphi1__dot = subs(dndphi1__dot, yvar, y)
```

```
dndphi1__dot(t) =  
0
```

```
dndphi1__dot = subs(dndphi1__dot, avar, a)
```

```
dndphi1_dot(t) =  
0
```

```
dndphi1_dot = subs(dndphi1_dot, phi1var, phi1)
```

```
dndphi1_dot(t) =  
0
```

```
dndphi1_dot = subs(dndphi1_dot, phi2var, phi2)
```

```
dndphi1_dot(t) =  
0
```

```
dndphi1_dot = subs(dndphi1_dot, x_dotvar, x_dot)
```

```
dndphi1_dot(t) =  
0
```

```
dndphi1_dot = subs(dndphi1_dot, y_dotvar, y_dot)
```

```
dndphi1_dot(t) =  
0
```

```
dndphi1_dot = subs(dndphi1_dot, phi1_dotvar, ...  
phi1_dot)
```

```
dndphi1_dot(t) =  
0
```

```
dndphi1_dot = subs(dndphi1_dot, phi2_dotvar, ...  
phi2_dot)
```

```
dndphi1_dot(t) =  
0
```

```
%zmiana dndphi2_dotvar na dndphi2_dot  
dndphi2_dot = subs(dndphi2_dotvar, xvar, x)
```

```
dndphi2_dot(t) =  
0
```

```
dndphi2_dot = subs(dndphi2_dot, yvar, y)
```

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, avar, a)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, phi1var, phi1)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, phi2var, phi2)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, x\_dotvar, x\_dot)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, y\_dotvar, y\_dot)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, phi1\_dotvar, \dots, phi1\_dot)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

$$dndphi2\_dot = \text{subs}(dndphi2\_dot, phi2\_dotvar, \dots, phi2\_dot)$$

$$\frac{dndphi2\_dot(t)}{0} =$$

I budujemy rownania

$$ddt\_dlldqi = [\text{diff}(dlldx\_dot, t); \text{diff}(dlldy\_dot, t); \dots, \text{diff}(dllda\_dot, t); \text{diff}(dlldphi1\_dot, t); \dots, \text{diff}(dlldphi2\_dot, t)]$$

$$\text{ddt\_dloddqi}(t) = \begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \\ 0 \end{pmatrix}$$

$$\text{dldqi} = [\text{dldx}; \text{dldy}; \text{dllda}; \text{dldphi1}; \text{dldphi2}]$$

$$\text{dldqi}(t) = \begin{pmatrix} 2 \text{OC} g \text{mw} \cos(\sigma_9) - \text{ky} \text{len} y(t) - \text{ky} \text{len}^2 a(t) - \text{Ic} \sigma_1 - 2 \text{OC}^2 \text{mw} \cos(\sigma_9)^2 \sigma_1 - \text{hgt}^2 \text{kx} a(t) x(t) \\ \text{OC} e \text{mw} \cos(\varphi_2(t)) \\ e \text{mw} \sin(\varphi_2(t)) \end{pmatrix}$$

where

$$\sigma_1 = \frac{\partial^2}{\partial t^2} a(t)$$

$$\sigma_2 = \left( \frac{\partial}{\partial t} a(t) \right)^2$$

$$\sigma_3 = \frac{\partial^2}{\partial t^2} \varphi_2(t)$$

$$\sigma_4 = \frac{\partial^2}{\partial t^2} \varphi_1(t)$$

$$\sigma_5 = \frac{\partial^2}{\partial t^2} y(t)$$

$$\sigma_6 = \frac{\partial^2}{\partial t^2} x(t)$$

$$\sigma_7 = \left( \frac{\partial}{\partial t} \varphi_2(t) \right)^2$$

$$\sigma_8 = \left( \frac{\partial}{\partial t} \varphi_1(t) \right)^2$$

$$\sigma_9 = \frac{\pi}{3} - a(t)$$

$$\text{dnoddqi} = [\text{diff}(\text{dndx\_dot}, t); \text{diff}(\text{dndy\_dot}, t); \dots \\ \text{diff}(\text{dnlda\_dot}, t); \text{diff}(\text{dnldphi1\_dot}, t); \dots \\ \text{diff}(\text{dnldphi2\_dot}, t)]$$

$$\text{dnoddqi}(t) =$$

$$\begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \\ 0 \end{pmatrix}$$

$$\mathbf{m\_eqns} = -\text{ddt\_dl} \text{ddqi} + \text{dldqi} - \text{dn} \text{ddqi}$$

$$\mathbf{m\_eqns}(t) = \begin{pmatrix} 2 \text{OC} g \text{mw} \cos(\sigma_9) - \text{ky} \text{len} y(t) - \text{ky} \text{len}^2 a(t) - \text{Ic} \sigma_1 - 2 \text{OC}^2 \text{mw} \cos(\sigma_9)^2 \sigma_1 - \text{hgt}^2 \text{kx} a(t) x(t) \\ \text{OC} e \text{mw} \cos(\varphi_2(t)) \\ e \text{mw} \sin(\varphi_2(t)) \end{pmatrix}$$

where

$$\begin{aligned} \sigma_1 &= \frac{\partial^2}{\partial t^2} a(t) \\ \sigma_2 &= \left(\frac{\partial}{\partial t} a(t)\right)^2 \\ \sigma_3 &= \frac{\partial^2}{\partial t^2} \varphi_2(t) \\ \sigma_4 &= \frac{\partial^2}{\partial t^2} \varphi_1(t) \\ \sigma_5 &= \frac{\partial^2}{\partial t^2} y(t) \\ \sigma_6 &= \frac{\partial^2}{\partial t^2} x(t) \\ \sigma_7 &= \left(\frac{\partial}{\partial t} \varphi_2(t)\right)^2 \\ \sigma_8 &= \left(\frac{\partial}{\partial t} \varphi_1(t)\right)^2 \\ \sigma_9 &= \frac{\pi}{3} - a(t) \end{aligned}$$

$$\text{dsolve}(\mathbf{m\_eqns} == 0)$$

Warning: Unable to find explicit solution.

ans =

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