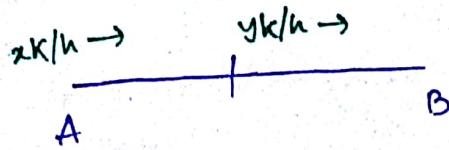


A man cover A to B with a ~~dist.~~ speed  $x \text{ km/h}$  and return back with a dist  $y \text{ km/h}$ .

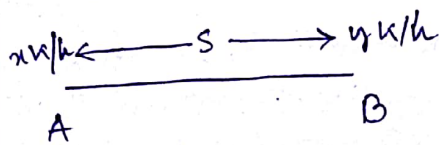
or,



A man covers half of the dist  $x \text{ km/h}$  and half of the distance  $y \text{ km/h}$

$$\therefore \text{Average Speed} = \frac{2xy}{x+y}$$

proof:



Let consider distance is  $S$ , forward journey  $x \text{ km/h}$  backward journey  $y \text{ km/h}$

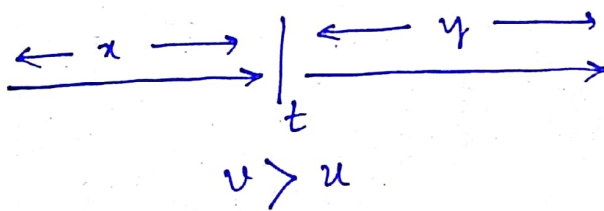
$$\therefore \text{Total journey} = S + S = 2S$$

$$\text{time} = \frac{\text{dist.}}{\text{Speed}} = \frac{S}{x} \text{ or } \frac{S}{y}$$

$$\therefore \text{Avg. speed} = \frac{2S}{\frac{S}{x} + \frac{S}{y}} = \frac{2S}{S(\frac{1}{x} + \frac{1}{y})}$$

$$= \frac{2}{\frac{1}{x} + \frac{1}{y}} = \frac{2xy}{x+y}$$

6. Relative Speed:



A train length  $x$  moving with a speed  $v$ , another train length  $y$  moving with a speed  $u$  same dir.  
If  $v > u$ , second train crosses first train.

$\therefore$  Relative speed in same direction :

$$v - u = \frac{x+y}{t}$$

 Y@ustar