

We would make 2 more 2d arrays using the matrices that we have. The first array would contain all the interns in the 0th column and then for each row, the indexes [1-n] would contain the preference number of Employers [1-n] respectively i.e [1,5] would contain the preference number of intern 1 towards employer 5. So from the given example table, this number would be 3, which is the index where  $E_5$  is on  $I_1$ 's row. We call this array T1.

Similarly a 2d array of employers preference towards all interns would be made in the same manner. In this table, T2, the value of  $T2[2,6] = 1$  because  $E_2$  has  $I_6$  on its 1st index, considering the example table.

To get the answer of a general query 'Does  $I_x$  prefer  $E_y$  over  $E_z$ ?' we would compute  $T1[x,y]-T1[x,z]$  and if the answer is greater than 0 then return true else return false. This computation takes  $O(1)$  time.

For the query 'Does  $E_x$  prefer  $I_y$  over  $I_z$ ?' we would compute  $T2[x,y]-T2[x,z]$  and if the answer is greater than 0 then return true else return false. This computation also takes  $O(1)$  time.

These 2d arrays, being  $n \times n$ , would both require  $O(n^2)$  space each.