OF ANUSANO TO BE UNITED TO BE U	ITER, SIKSHA 'O' ANUSANDHAN (Deemed to be University)		ASSIGN- MENT				
Branch	CSE & CS	CSE & CSIT Progra		nme	B.	B.Tech	
Course Name	Intermediate Discrete	Intermediate Discrete Mathematics		Semester		V	
Course Code	CSE 273	CSE 2733		Year/Period		2023/Odd	
	Submit All Assiç	gnments	Maximu	ım Marks	s 10		
Learning	L1: Remembering	L3: Applying		L5 : Eva	luating		
Level (LL)	L2: Understanding	L4 : Analysing		L6 : Cre	ating		
No.	Ass	ignment-2			COs	LL	
Q.1	 a) Rephrase the definitions for the reflexive, symmetric, transitive, and antisymmetric properties of a relation R (on a set A), using quantifiers. b) Use the results of part (a) to specify when a relation R (on a set A) is (i) not reflexive; (ii) not symmetric; (iii) not transitive; and (iv) not antisymmetric. 				CO2	L2	
Q.2	For each of the following statements about relations on a set A , where $ A = n$, determine whether the statement is true or false. If it is false, give a counterexample. a) If \Re is a relation on A and $ \Re \ge n$, then \Re is reflexive. b) If \Re_1 , \Re_2 are relations on A and $\Re_2 \supseteq \Re_1$, then \Re_1 reflexive (symmetric, antisymmetric, transitive) $\Rightarrow \Re_2$ reflexive (symmetric, antisymmetric, transitive). c) If \Re_1 , \Re_2 are relations on A and $\Re_2 \supseteq \Re_1$, then \Re_2 reflexive (symmetric, antisymmetric, transitive) $\Rightarrow \Re_1$ reflexive (symmetric, antisymmetric, transitive). d) If \Re is an equivalence relation on A , then $n \le \Re \le n^2$.			CO2	L3		
Q.3	If $A = \{w, x, y, z\}$, determine the number of relations on A that are (a) reflexive; (b) symmetric; (c) reflexive and symmetric; (d) reflexive and contain (x, y) ; (e) symmetric and contain (x, y) ; (f) antisymmetric; (g) antisymmetric and contain (x, y) ; (h) symmetric and antisymmetric; and (i) reflexive, symmetric, and antisymmetric.			CO2	L2		
Q.4	. Let A be a set with $ A =n$, and let \Re be a relation on A that is antisymmetric. What is the maximum value for $ \Re $? How many antisymmetric relations can have this size?			CO2	L2		

Q.5	With $A = \{1, 2, 3, 4\}$, let $\Re = \{(1, 1), (1, 2), (2, 3), (3, 3), (3, 4), (4, 4)\}$ be a relation on A . Find two relations \mathcal{F} , \mathcal{F} on A where $\mathcal{F} \neq \mathcal{F}$ but $\Re \circ \mathcal{F} = \Re \circ \mathcal{F} = \{(1, 1), (1, 2), (1, 4)\}$.		L2
Q.6	Let A be a set with $ A = n$, and let \Re be an equivalence relation on A with $ \Re = r$. Why is $r - n$ always even?		L2
Q.7	Determine how many integer solutions there are to $x_1 + x_2 + x_3 + x_4 = 19$, if a) $0 \le x_i$, for all $1 \le i \le 4$ b) $0 \le x_i < 8$ for all $1 \le i \le 4$ c) $0 \le x_1 \le 5$, $0 \le x_2 \le 6$, $3 \le x_3 \le 7$, $3 \le x_4 \le 8$		L2
Q.8	For the directed graph $G = (V, E)$ in Fig. 7.12, classify each of the following statements as true or false. a) Vertex c is the origin of two edges in G . b) Vertex g is adjacent to vertex h . c) There is a directed path in G from d to b . d) There are two directed cycles in G .	CO2	L2
Q.9	 a) Draw the digraph G₁ = (V₁, E₁) where V₁ = {a, b, c, d, e, f} and E₁ = {(a, b), (a, d), (b, c), (b, e), (d, b), (d, e), (e, c), (e, f), (f, d)}. b) Draw the undirected graph G₂ = (V₂, E₂) where V₂ = {s, t, u, v, w, x, y, z} and E₂ = {{s, t}, {s, u}, {s, x}, {t, u}, {t, w}, {u, w}, {u, x}, {v, w}, {v, w}, {v, x}, {v, y}, {v, y}, {w, z}, {v, y}}. 	CO2	L2

Q.10	For $A = \{a, b, c, d, e, f\}$, each graph, or digraph, in Fig. 7.13 represents a relation \Re on A . Determine the relation \Re on A between the relation \Re of A between A constant A between A constant A constant A between A constant	CO3	L2
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Note:

- 1. Marks distribution will be as per course instructor.
- 2. Assignments need to be submitted before due date.
- 3. The Assignments/Quiz in total carry weightage of ${\bf 20}$ marks out of ${\bf 100}$

Course Outcomes		Program Outcomes	
CO1	Able to understand the concept of languages and finite state machines as well as its various applications.	PO1, PO2,	
CO2	Able to apply relations and its properties to analyze equivalence relations and partial orderings.	PO1, PO2	
CO3	Able to understand the concepts of generating functions and recurrence relations as well as apply generating functions to solve recurrence relations.	PO1, PO2	
CO4	Able to understand and analyze the concepts of rings and modular arithmetic.	PO2,	
CO5	Able to understand and apply the concepts of Boolean algebra and switching functions.	PO2	
CO6	Able to understand and analyze the concepts of groups, coding theory and finite fields.	PO2	