

Exercises 5

(1) The following assignments are just for your reference.

1 A is a 2-D symmetric array (二维对称矩阵), to save the storage space, we just store the upper triangular element, try to deduct the addressing formula.

2 We have three arrays $A[n+1]$, $B[n+1][m]$, $C[n+1][n+2]$, how many elements can these arrays have separately?

3 A 3-D array $A[2][3][4]$ (三维矩阵), suppose that the length of each array element is 4 Bytes, please calculate the relative address of $A_{2,3,2}$.

4 Suppose A is a upper triangular matrix (上三角矩阵) with n rows and n columns. Store its non-zero elements to an 1-D array $b[1 \dots n(n+2)/2]$ in column order, and $b[1]$ stores $a_{1,1}$, write the addressing formula of $a_{i,j}$.

5 A given n-D array $a[l_1 \dots u_1, l_2 \dots u_2, \dots, l_n \dots u_n]$, if the storage address of $a[l_1, l_2, \dots, l_n]$ is α , give the storage address of $a[i_1, i_2, \dots, i_n]$.

6 Do HEAD operation and TAIL operation on the generalized list $LS=(a, ((b, c), ()), d), ((e)))$, and give its storage structure.

7 Give the logic structure of the generalized list according its storage structure shown in the following Fig.1

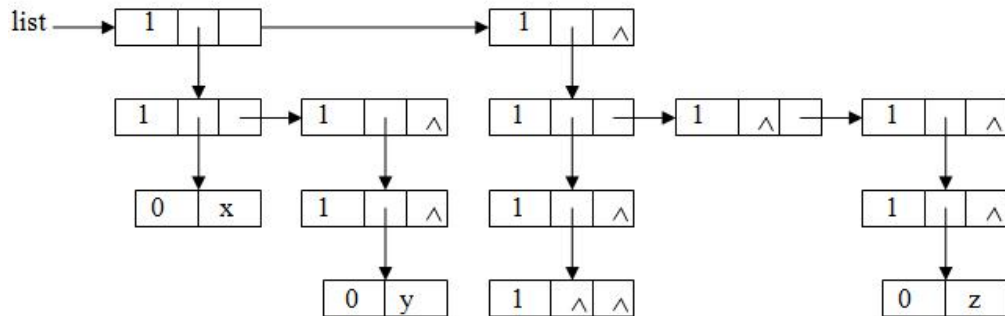


Fig. 1

8 设有稀疏矩阵 B 如下图所示, 请画出该稀疏矩阵的三元组表和十字链表存储结构。

$$\Delta = \begin{pmatrix} 0 & 3 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ -3 & 0 & 0 & 0 & 0 & 0 & 0 & 4 \\ 0 & 0 & 2 & 0 & 0 & 2 & 0 & 0 \\ 0 & 18 & 0 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 4 & 0 & 5 & 0 \\ 0 & 0 & -3 & 0 & 0 & 0 & 0 & 0 \end{pmatrix}$$

(2) The following assignments must be submitted by you.

1 An element $a[i][j]$ of a $m \times n$ matrix satisfies the following conditions: $a[i][j]$ is both the minimum of i th row and the maximum of j th column. Try to write an algorithm to find such the element $a[i][j]$ in an array, and analysis the time complexity of your algorithm.

2 设 A 和 B 是稀疏矩阵，都以三元组作为存储结构，请写出矩阵相加的算法，其结果存放在三元组表 C 中，并分析你的算法时间复杂度。