

### 802. Find Eventual Safe States

We will check use dfs to check each node is safe and tag it as 1, if not we will tag it as 2, then for later nodes that could access those nodes, they will become safe or unsafe nodes accordingly. TC is  $O(E+V)$ , SC is  $O(E+V)$

class Solution:

```
def eventualSafeNodes(self, graph: List[List[int]]) -> List[int]:
```

```
    res = []
```

```
    if not graph or not graph[0]:
```

```
        return res
```

```
    color = [0] * len(graph)
```

```
    def dfs(i):
```

```
        if color[i] > 0:
```

```
            return color[i] == 1
```

```
        color[i] = 2
```

```
        for n_i in graph[i]:
```

```
            if not dfs(n_i):
```

```
                return False
```

```
        color[i] = 1
```

```
        return True
```

```
    for i in range(len(graph)):
```

```
        dfs(i)
```

```
    for idx, v in enumerate(color):
```

```
        if v == 1:
```

```
            res.append(idx)
```

```
    return res
```

### 399. Evaluate Division

We will use bfs and deque to solve this question. TC is  $O(n^2*m)$ , SC is  $O(n*n)$

from collections import defaultdict, deque

class Solution:

```
def calcEquation(self, equations: List[List[str]], values: List[float], queries: List[List[str]]) -> List[float]:
```

```
    memo = defaultdict(lambda: defaultdict(int))
```

```
    res = []
```

```
def bfs(start, target):
```

```
    dq = deque()
```

```
    dq.append(start)
```

```
    visited = set([start[0]])
```

```
    while dq:
```

```
        s, cur = dq.popleft()
```

```

visited.add(s)
for i in memo[s]:
    if i in visited:
        continue
    if i == target:
        return cur * memo[s][i]
    else:
        dq.append([i, cur * memo[s][i]])
return -1.0

for (a, b), v in zip(equations, values):
    memo[a][b] = v
    memo[b][a] = 1.0 / v

for s, e in queries:
    if s not in memo or e not in memo:
        res.append(-1.0)
    else:
        if s == e:
            res.append(1.0)
        else:
            res.append(bfs([s, 1], e))
return res

```

### 990. Satisfiability of Equality Equations

Go through the code twice and first for equal using union find and second for not equal. TC is  $O(n^2)$

```

from collections import defaultdict
class Solution:
    def equationsPossible(self, equations: List[str]) -> bool:
        parents = {}
        not_parents = defaultdict(set)
        def findParent(i):
            cur = i
            while i in parents and parents[i] != i:
                i = parents[i]
            parents[cur] = i
            return i

        for e in equations:
            if e[1] == '=':
                a_parent = findParent(e[0])
                b_parent = findParent(e[3])

```

```

    if a_parent != b_parent:
        parents[a_parent] = b_parent

for e in equations:
    if e[1] == '!':
        a_parent = findParent(e[0])
        b_parent = findParent(e[3])
        if a_parent == b_parent:
            return False
return True

```

### 35. Search Insert Position

We will use binary search to get this index.

```

from bisect import *
class Solution:
    def searchInsert(self, nums: List[int], target: int) -> int:
        return bisect_left(nums, target)

```

### 34. Find First and Last Position of Element in Sorted Array

The same as the last one, we will use binary search. TC is  $O(\log n)$

```

from bisect import *
class Solution:
    def searchRange(self, nums: List[int], target: int) -> List[int]:
        res = []
        if not nums:
            return [-1, -1]
        idx1 = bisect_left(nums, target)
        idx2 = bisect_right(nums, target) - 1
        length = len(nums)
        if idx1 < length and nums[idx1] == target:
            res.append(idx1)
        else:
            res.append(-1)

        if idx2 < length and nums[idx2] == target:
            res.append(idx2)
        else:
            res.append(-1)
        return res

```