

Gender Classification of Deezer Europe Users with Graph Neural Networks

Group 24

Xinyu Liu,

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- Network exploration
- Feature embedding
- User gender classification

Dataset

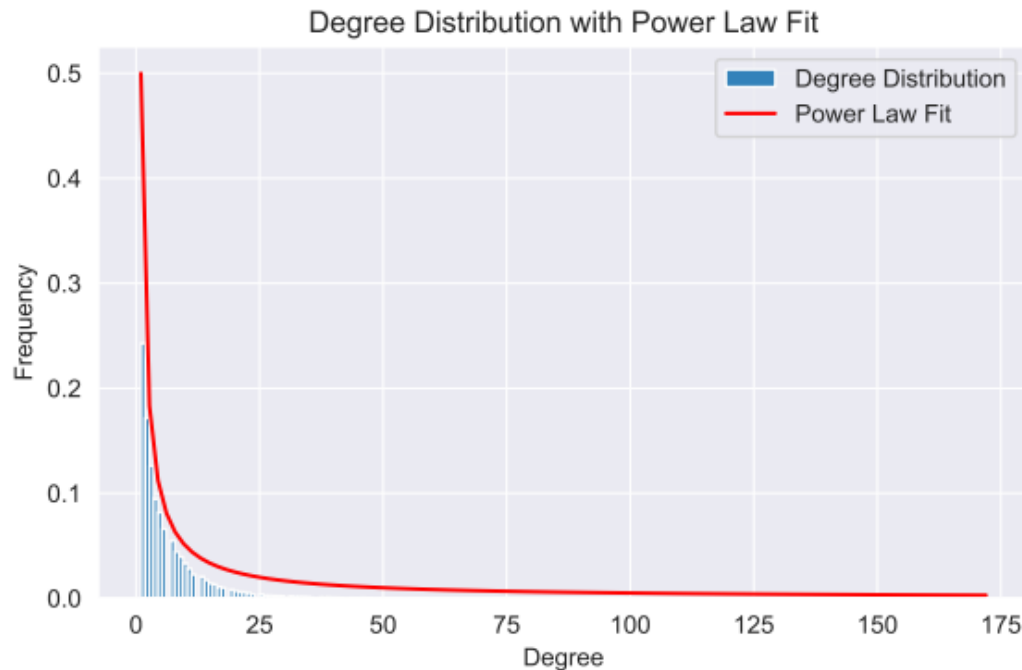
- Social network of Deezer users
- Nodes: Deezer users (28, 281 nodes)
- Node features: list of artists liked by the users
- Edges: Mutual followership between users (92, 752 edges)

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- Edges: Mutual followership between users (92, 752 edges)
- Low clustering coefficient and high diameter (not a small world)

Nodes	Edges	Density	Clustering Coefficient	Diameter	Features	Classes
28281	92752	0.00023	0.141	21	31240	2

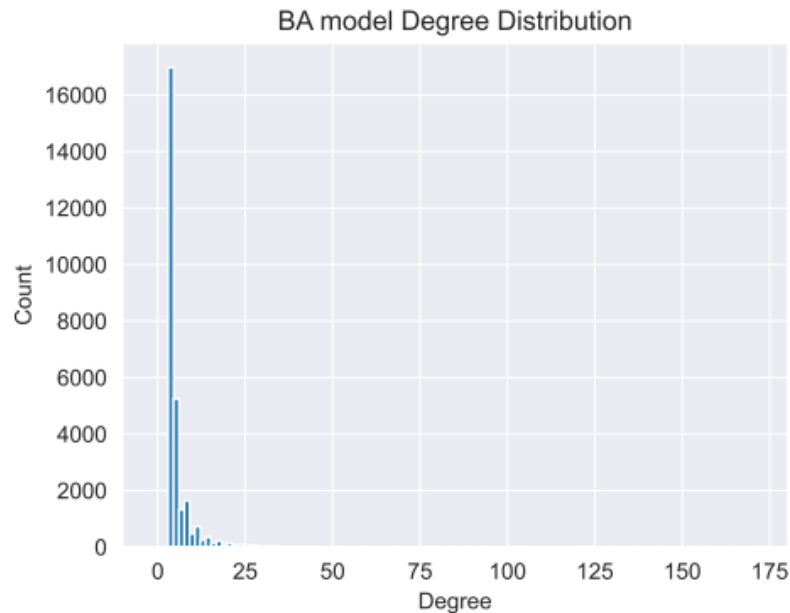
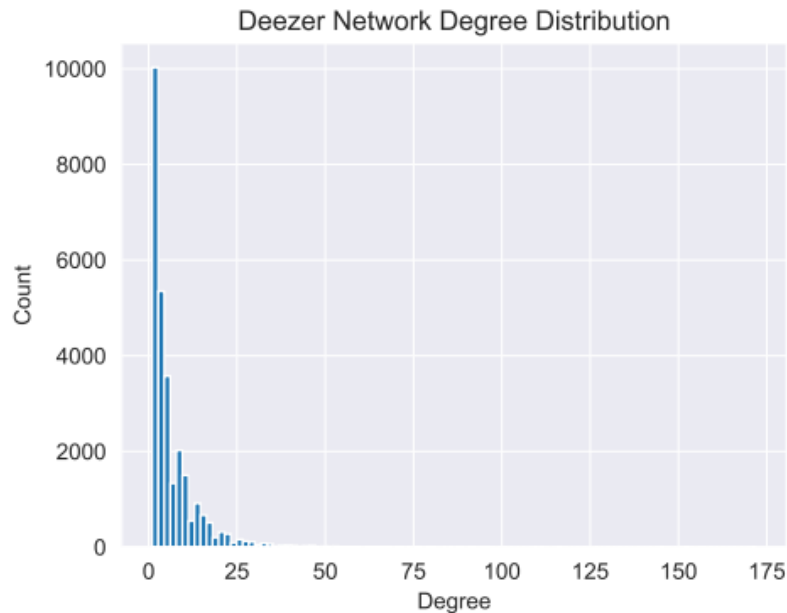
Degree Distribution

- Degree distribution can be fitted by a power-law distribution



Random Network Model

- The degree distribution resembles a Barabasi-Albert (BA) model.

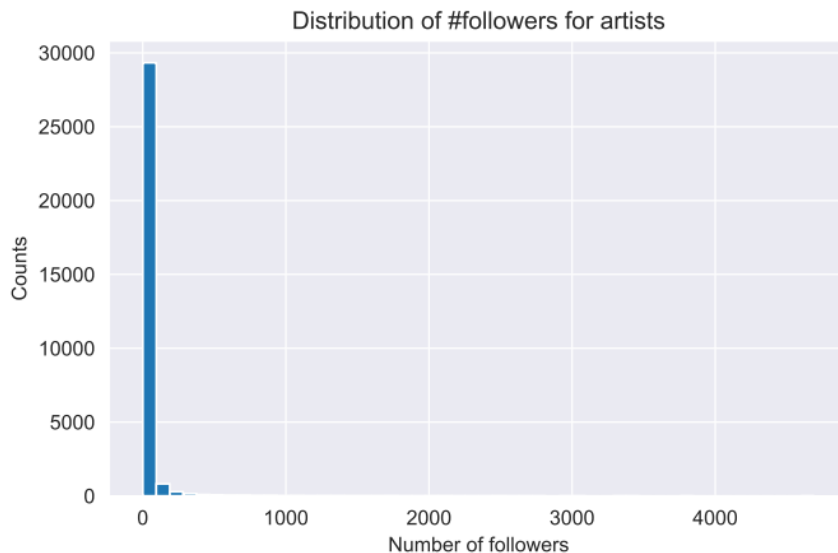


Most liked Artists

- Features: artists followed by users.
- Most artists have few followers.
- A few popular artists exists

TABLE II: Artists with more than 3k followers

Artist ID	505	12	251	675	21342	87
#Follower	4693	3777	3401	3376	3311	3013



Feature embedding

- Binary: 0/1 vector to represent liked artists of the user

$$\mathbf{x}_i = [b_i^0, b_i^1, \dots, b_i^M], \quad b_i^k = 1 \quad \text{if } k \in \mathcal{A}_i,$$

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- Feather: compose embeddings characteristic functions to node

```

1 X = SVD(X)
2 X = concatenate([X*theta
3               for theta in linspace(0.01, 2.5, 25)])
4 X = concatenate([cos(X), sin(X)])
5 X = concatenate([matrix_power(L, i) @ X
6               for i in range(5)])

```

Normalized
Laplacian

Data: $\hat{\mathbf{A}}$ – Normalized adjacency matrix.
 $\mathcal{X} = \{\mathbf{x}^1, \dots, \mathbf{x}^k\}$ – Set of node feature vectors.
 $\hat{\Theta} = \{\Theta^{1,1}, \dots, \Theta^{1,r}, \Theta^{2,1}, \dots, \Theta^{k,r}\}$ – Set of evaluation point vectors.
 r – Scale of empirical graph characteristic function.

Result: Node embedding matrix \mathbf{Z} .

```

1 Z_Re ← Initialize Real Features()
2 Z_Im ← Initialize Imaginary Features()
3 for i in 1 : k do
4   for j in 1 : r do
5     for l in 1 : j do
6       if l = 1 then
7         H ← xi ⊗ Θi,j
8         H_Re ← cos(H)
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10        H_Re ← Â H_Re
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13      Z_Re ← [Z_Re | H_Re]
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15    end
16  end
17 Z ← [Z_Im | Z_Re]
18 Output Z.

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- Both VERY HIGH (~30k) dimensions

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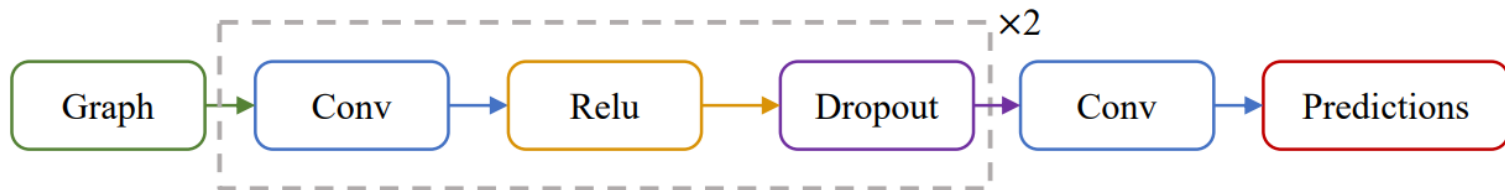
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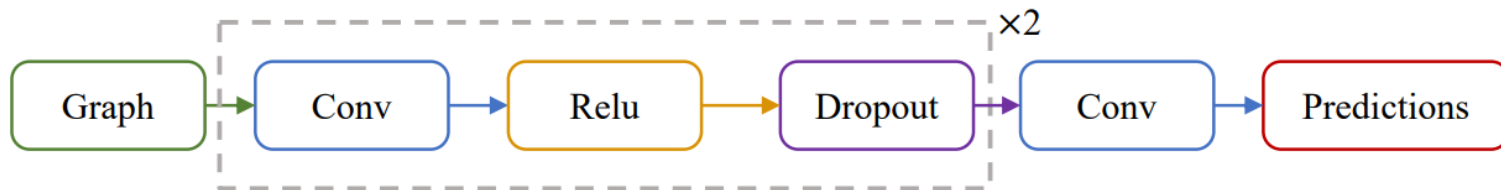
Node Classification Model

- Conv: Graph convolution (GCN) or Transformer convolution (TFC)
- TFC weights neighborhood messages by an attention score



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- Train-validation-test splits with 70%, 10%, 20% nodes
- Trained for long-enough (500) epochs
- Implemented by PyTorch Geometric

Experiment Results

- Metric: ROC AUC Score (random guessing = 0.5)
- SVD: light-weight features; Node2Vec: structural information

TABLE III: ROC AUC Scores of different feature embeddings.

No.	Feature	SVD	N2V	Dim.	Model	
					GCN	TFC
1	Binary	×	×	31241	0.640	0.725
2	Binary	✓	×	128	0.642	0.713
3	Binary	✓	✓	128	0.637	0.692
4	Binary	×	✓	31369	0.640	0.717
5	Feather	×	×	32000	0.594	0.559
6	Feather	✓	×	128	0.634	0.637
7	Preset	-	-	128	0.640	0.698
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generally better



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node2vec doesn't help

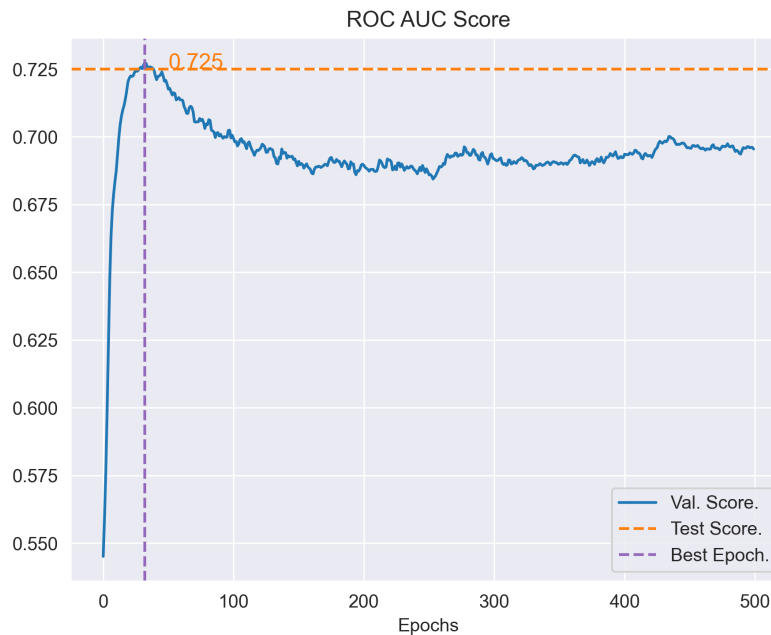
not good for GNNs

pytorch geometric built-in

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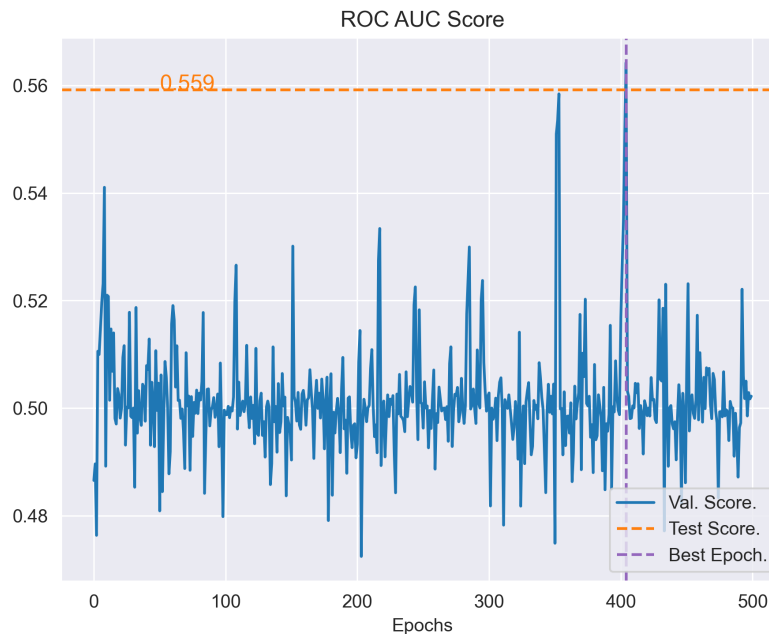
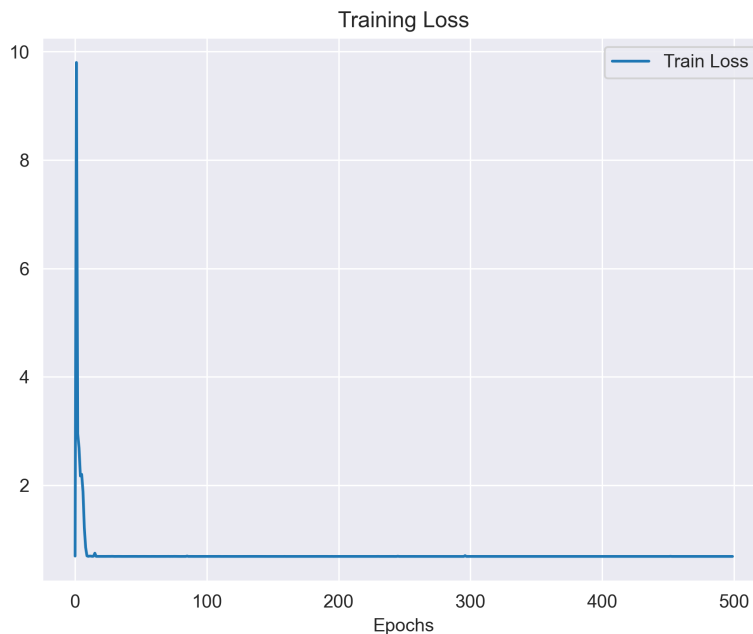
Training Progress

- Best performance: raw binary feature + TFC model, AUC 0.725
- Model begin to overfit from ~30 epoch



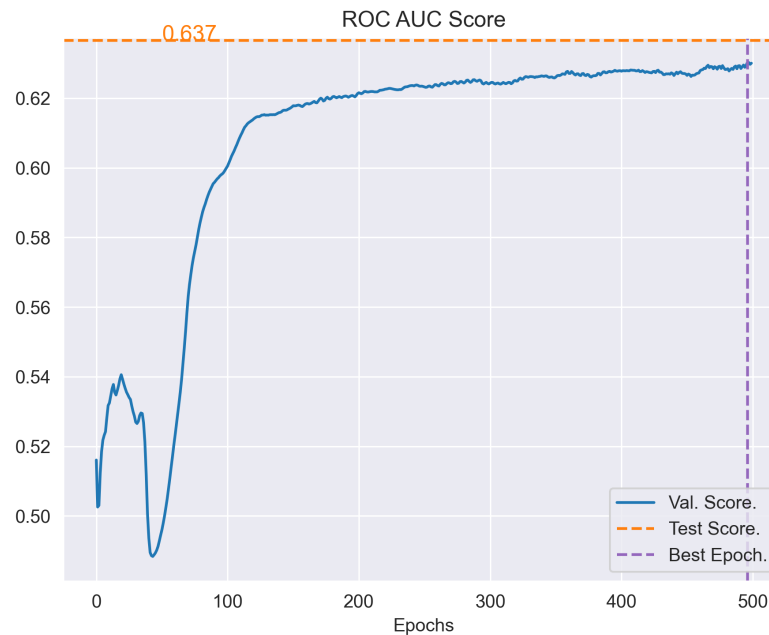
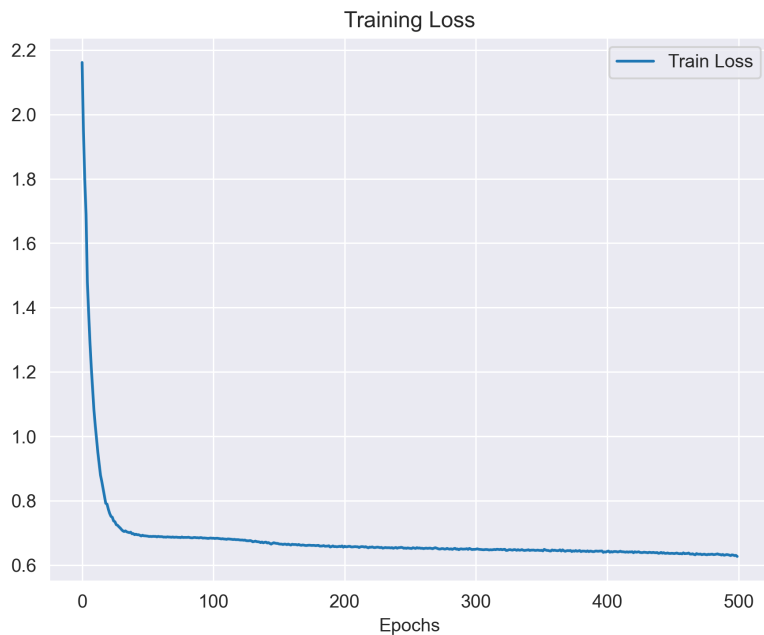
Training Progress

- Training with feather embedding is very unstable
- Observed both with TFC (below) and GCN



Training Progress

- SVD-reduced Feather embedding stabilizes training
- Both for TFC (below) and GCN



Conclusion

- Deezer Europe network has approximately power-law degree distribution and weak small-world properties
- Binary feature embedding is good for gender classification with GNN, and SVD balances performance and computation
- Attention scores can improve message passing
- Code at <https://github.com/Weijiang-Xiong/NML23-Project>

Thank you

**Xinyu Liu
Weijiang Xiong**