From Naïve to XGBoost and ANN: Adult Census Income

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The source code is in file project3.ipynb, where each step is clearly clarified in the markdown part. So Readme.md is unneccessary.

Problem Formulation

The Adult Census Income data was extracted from the 1994 Census bureau database by Ronny Kohavi and Barry Becker (Data Mining and Visualization, Silicon Graphics). In this project, we need to train a model on the training dataset and predict whether the income would exceed 50K a year for each line of data in test dataset. Therefore, this will be a binary classification problem where input data is both continuous and categorical. In order to make predictions we will develop the following models:

- Logistic Regression
- Categorical Naïve Bayes
- Gaussian Naïve Bayes
- K-Nearest Neighbors
- Support Vector Machines
- Decision Trees
- Random Forest
- XGBoost
- Artificial Neural Networks

As usual, first we will have a look at the data in order to understand the different variables, then we will clean it in order to use it for prediction purposes, and finally we will develop the different models. These models will be tested with cross validation in order to pick the best ones and use them to develop an ensemble model with the

purpose of achieving more accuracy than each member of it. Then we will use these models to make predictions on the test dataset.

Data Preprocessing

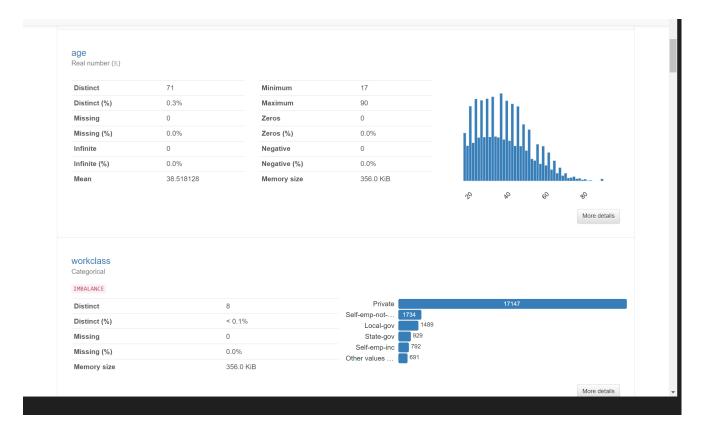
The data preprocessing step, as shown in the source code, could be divided into several stages:

- Data loading and overview
- Data analyzing and cleaning
- Data Visualization
- Prepare for the training and testing data

Data Loading and Overview

Loading the training data using panda library, then using the method ProfileReport imported from ydata_profiling library, we can get an overview of the training dataset, which is highly detailed. Part of the result can be seen as below:





We can see from the "duplicated row" part that there are duplicated rows we need to deal with later:

Duplicate rows

Most frequently occurring												
	age	workclass	education	education.num	marital.status	occupation	relationship	race	sex	capital.gain	capital.loss	hours.per.week
8	33	Private	HS-grad	9	Married-civ-spouse	Craft-repair	Husband	White	Male	0	0	40
9	20	Private	Some-college	10	Never-married	Prof-specialty	Own-child	White	Female	0	0	40
8	37	Private	HS-grad	9	Married-civ-spouse	Craft-repair	Husband	White	Male	0	0	40
4	27	Private	HS-grad	9	Married-civ-spouse	Craft-repair	Husband	White	Male	0	0	40
2	38	Private	HS-grad	9	Married-civ-spouse	Craft-repair	Husband	White	Male	0	0	40
9	19	Private	Some-college	10	Never-married	Prof-specialty	Own-child	White	Male	0	0	40
8	20	Private	HS-grad	9	Never-married	Handlers-cleaners	Own-child	White	Male	0	0	40
9	39	Private	HS-grad	9	Married-civ-spouse	Craft-repair	Husband	White	Male	0	0	40
75	51	Private	HS-grad	9	Married-civ-spouse	Craft-repair	Husband	White	Male	0	0	40
6	21	Private	Some-college	10	Never-married	Prof-specialty	Own-child	White	Female	0	0	40
4												

Report generated by YData.

Data Analyzing and Cleaning

Running train_data_set.info(), we get:

```
1
        workclass
                        22792 non-null
                                       object
8
    2
        fnlwgt
                        22792 non-null int64
                       22792 non-null object
9
    3
        education
10
    4
        education.num
                       22792 non-null int64
       marital.status 22792 non-null object
11
    5
12
    6
       occupation
                       22792 non-null object
13
    7
       relationship
                       22792 non-null
                                       object
14
    8
       race
                        22792 non-null
                                       object
15
                        22792 non-null
    9
        sex
                                       object
16
    10
       capital.gain
                       22792 non-null int64
17
    11 capital.loss
                       22792 non-null int64
18
    12 hours.per.week 22792 non-null int64
19
    13
       native.country 22792 non-null object
20
    14 income
                        22792 non-null int64
   dtypes: int64(7), object(8)
21
22
   memory usage: 2.6+ MB
```

It seems that there is no null data, however, it can be easily seen that there are ? data. We need to encode them as NANS first:

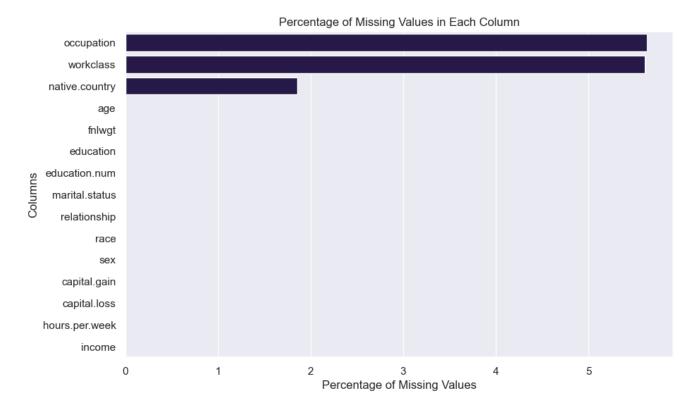
```
train_data_set[train data set == '?'] = np.nan
1
2
   train data set.info()
3
   _____
4
5
   <class 'pandas.core.frame.DataFrame'>
   RangeIndex: 22792 entries, 0 to 22791
6
7
   Data columns (total 15 columns):
8
                       Non-Null Count
        Column
                                      Dtype
       _____
                       -----
                                      ____
9
                       22792 non-null
10
                                      int64
    0
        age
                       21514 non-null object
11
       workclass
12
                       22792 non-null int64
    2
       fnlwqt
                       22792 non-null object
13
        education
14
       education.num
                       22792 non-null int64
       marital.status 22792 non-null object
15
16
       occupation
                       21509 non-null object
    7
       relationship
17
                       22792 non-null object
                       22792 non-null
                                      object
18
        race
19
    9
        sex
                       22792 non-null object
20
       capital.gain
                                      int64
    10
                       22792 non-null
21
    11 capital.loss
                       22792 non-null int64
22
    12
       hours.per.week 22792 non-null int64
23
    13
       native.country 22369 non-null object
                       22792 non-null
24
    14
        income
                                      int64
25
   dtypes: int64(7), object(8)
```

```
26 memory usage: 2.6+ MB
```

Then the result changes for some rows, to visualize the percentage of the missing data, we run

```
missing_value_percentage = train_data_set.isnull().mean()*100
missing_value_percentage_sorted =
missing_value_percentage.sort_values(ascending = False)

plt.figure(figsize=(10,6))
sns.barplot(x=missing_value_percentage_sorted,y=missing_value_percentage_sorted.index)
plt.title('Percentage of Missing Values in Each Column')
plt.xlabel('Percentage of Missing Values')
plt.ylabel('Columns')
plt.show()
```



Now, the summary shows that the variables - workclass, occupation and native.country contain missing values. All of these variables are categorical data type. So, I will impute the missing values with the most frequent value.

Then we need to deal with the duplicates, which are as follow. We run train_data_set.duplicated().sum() to delete the duplicated rows:

	age	workclass	fnlwgt	education	education.num	marital.status	occupation	relationship	race	sex	capital.gain	capital.loss	hours.per.week	native.country	income
		Private	195994	1st-4th		Never-married	Priv-house-serv	Not-in-family	White	Female			40	Guatemala	
704		Private	240137	5th-6th		Never-married	Handlers-cleaners	Not-in-family	White	Male				Mexico	
1961	46	Private	173243	HS-grad		Married-civ-spouse	Craft-repair	Husband	White	Male			40	United-States	
4108	44	Private	367749	Bachelors		Never-married	Prof-specialty	Not-in-family	White	Female				Mexico	
	44	Private	367749	Bachelors		Never-married	Prof-specialty	Not-in-family	White	Female				Mexico	
8088		Private	308144	Bachelors		Never-married	Craft-repair	Not-in-family	White	Male				Mexico	
8254		Private	243368	Preschool		Never-married	Farming-fishing	Not-in-family	White	Male			50	Mexico	
9196		Private	204235	Some-college		Married-civ-spouse	Prof-specialty	Husband	White	Male				United-States	
9830		Private	107658	Some-college		Never-married	Tech-support	Not-in-family	White	Female				United-States	
9853		Private	195994	1st-4th		Never-married	Priv-house-serv	Not-in-family	White	Female				Guatemala	
11332		Private	30916	HS-grad		Married-civ-spouse	Craft-repair	Husband	White	Male			40	United-States	
13676		Private	255582	HS-grad		Never-married	Machine-op-inspct	Not-in-family	White	Female				United-States	
15108		Private	107658	Some-college		Never-married	Tech-support	Not-in-family	White	Female				United-States	
16958		Private	204235	Some-college		Married-civ-spouse	Prof-specialty	Husband	White	Male				United-States	
18372		Private	308144	Bachelors		Never-married	Craft-repair	Not-in-family	White	Male			40	Mexico	
18382		Private	240137	5th-6th		Never-married	Handlers-cleaners	Not-in-family	White	Male				Mexico	
19488	46	Private	173243	HS-grad		Married-civ-spouse	Craft-repair	Husband	White	Male			40	United-States	
		Private	30916	HS-grad		Married-civ-spouse	Craft-repair	Husband	White	Male				United-States	
20026		Private	255582	HS-grad		Never-married	Machine-op-inspct	Not-in-family	White	Female			40	United-States	
20405		Private	243368	Preschool		Never-married	Farming-fishing	Not-in-family	White	Male				Mexico	

To inspect the useless features, we count the number of each features that are not unique by

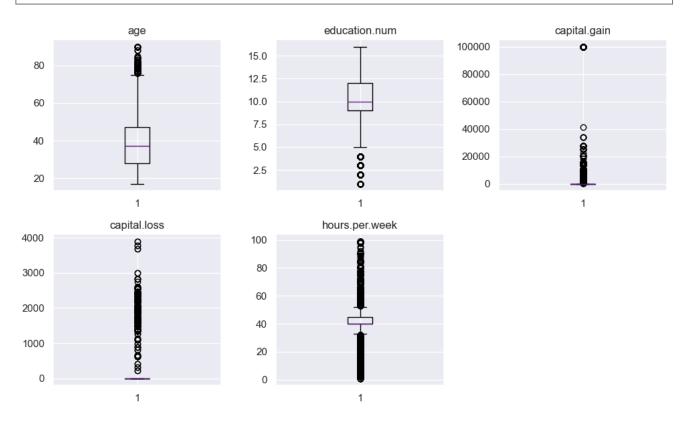
```
train data set.nunique().sort values
1
2
4 <bound method Series.sort values of
  age
                      71
5
6 workclass
                      8
7 | fnlwgt
                  16645
8 education
                     16
9 education.num
                     16
10 marital.status
11 occupation
                      14
12 relationship
                      6
13 race
14 sex
                      2
15 capital.gain 117
16 capital.loss
                     86
17 hours.per.week
                     92
18 native.country
                     40
19 income
                      2
20 dtype: int64>
```

Then we may drop the row fnlwgt since the number of non-uniqueness is extremely huge.

Data Visualization

The remaining columns can be divided into two categories: **Numeric Values** and **Non-Numeric Values**. We firstly draw the boxplot for each columns to see the distributions of the specific datas:

```
numeric columns = ['age', 'education.num', 'capital.gain',
    'capital.loss', 'hours.per.week']
2
   plt.figure(figsize=(10, 6))
   for i, column in enumerate(numeric columns, 1):
 4
5
        plt.subplot(2, 3, i)
        plt.boxplot(train data set[column])
 6
 7
        plt.title(column)
        plt.grid(True)
8
 9
10
   plt.tight layout()
   plt.show()
```



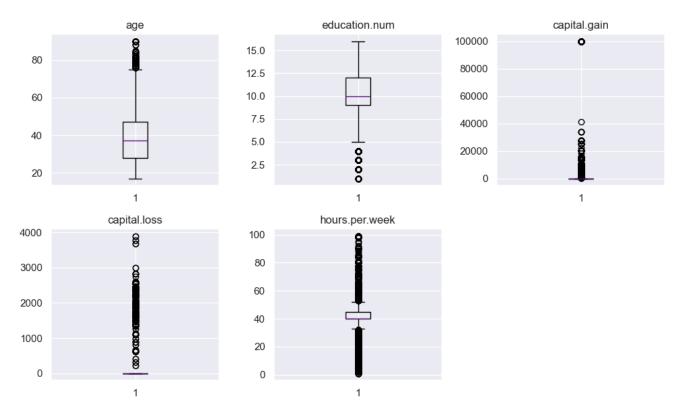
```
condition = (train_data_set['capital.gain'] > 40000) |
  (train_data_set['capital.loss'] > 3500)

df = train_data_set[~condition]

numeric_columns = ['age', 'education.num', 'capital.gain',
  'capital.loss', 'hours.per.week']

plt.figure(figsize=(10, 6))
for i, column in enumerate(numeric_columns, 1):
```

```
8    plt.subplot(2, 3, i)
9    plt.boxplot(train_data_set[column])
10    plt.title(column)
11    plt.grid(True)
12    
13    plt.tight_layout()
14    plt.show()
```



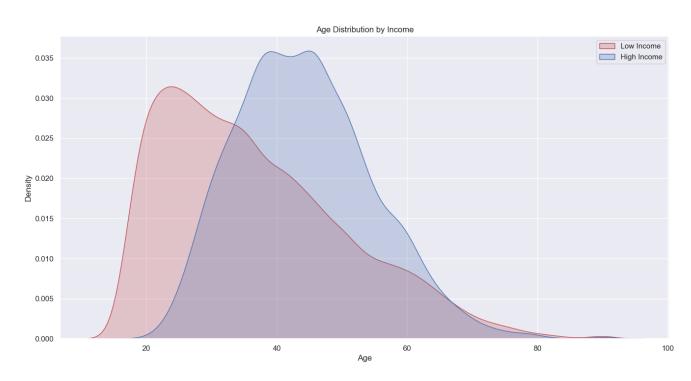
Then we draw the correlation matrix for the numeric columns and add the column income into it.

```
numeric_columns = train_data_set.select_dtypes(include=['number'])
correlation_matrix = numeric_columns.corr()
plt.figure(figsize=(12, 8))
sns.heatmap(correlation_matrix, annot=True, cmap='rainbow',
fmt=".2f", linewidths=0.5)
plt.title('Correlation_Matrix')
```

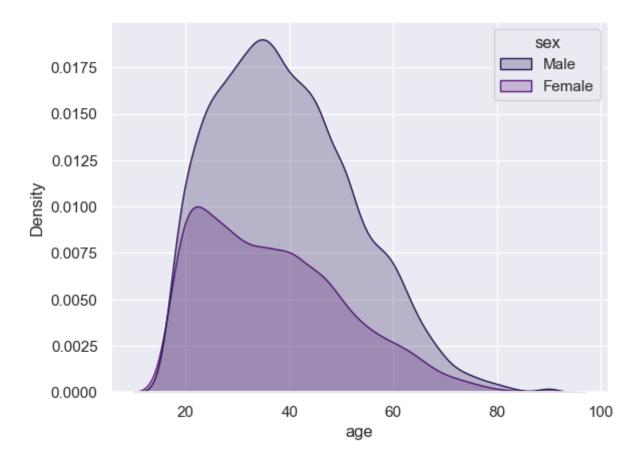


From the result, the correlation between each pair of columns is rather small, which shows that to make precise predictions, we need all of the numeric columns. And it can also tell from the graph that education.num has the strongest relation with income.

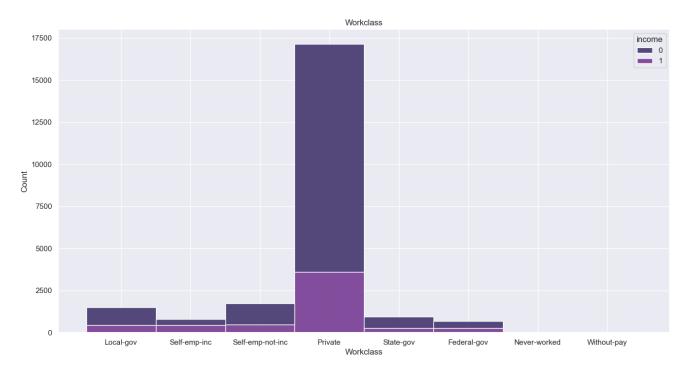
For each pair of numeric values, we also draw the curve graph to see more detailed relation between them:



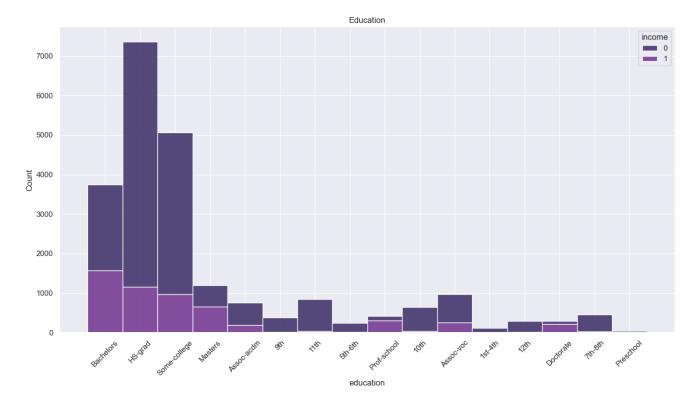
People of different ages are of normal distribution, and it seems that people around 50 years old have the highest income.



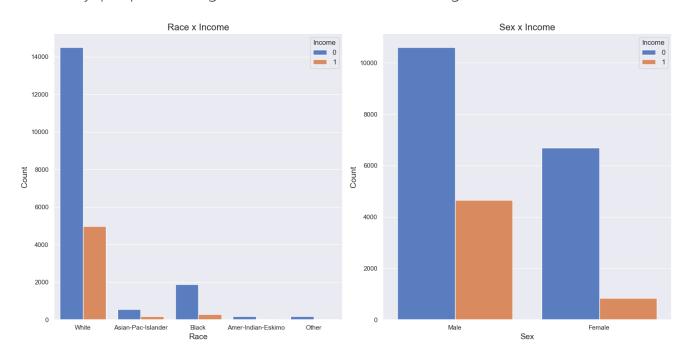
The relation between sex and age cannot tell us anything but fact that the participants are mostly men of middle ages.

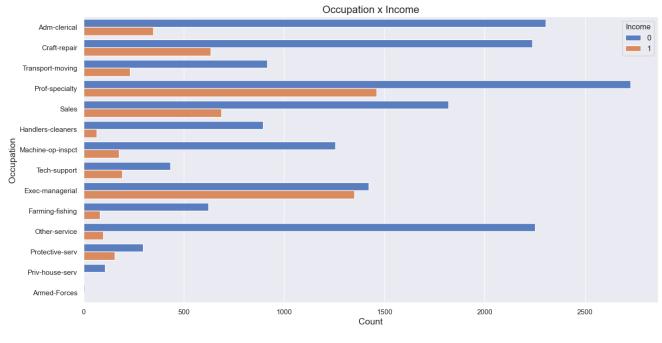


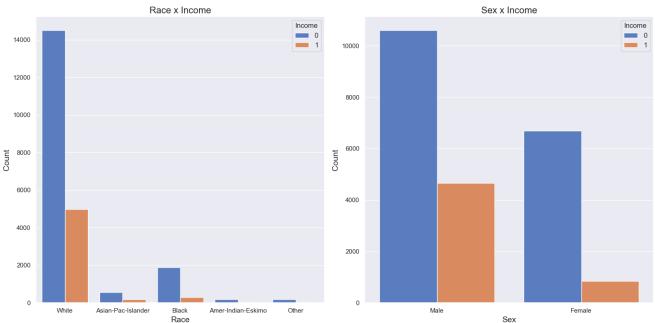
It seems that work class makes no contribution to the income, which is against the common senses. The cause is that most information is "private", which explains nothing.



Obviously, people with higher education tends to have higher income.

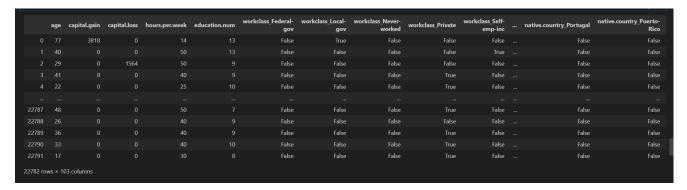






Prepare for the training and testing data

To make predictions on the testing dataset, we need to conduct similar operations on testing dataset as we did to training dataset. Also, we split the columns into **continuous variables** and **categorical variable** and get the dummy data of categorical and change the original both datasets into new forms with 103 columns compared to the original 14 columns:



Modeling

As mentioned at the beginning of the report, different models are chosen to predict the income of test dataset. For each model, the procedure is:

- Processing the data(scaling) to fit into the model
- For complex models with hyperparameters involved, optimization will be done using GridSearchCV, which would take much time to complete.
- Modeling on the training dataset
- Cross Validation of the model on the training dataset and calculated the accuracy as the criteria of evaluation of the model
- Make predictions on the testing dataset

Logistic Regression

Use LogisticRegression method of sklearn library to model and StratifiedKFold to do cross validation:

The result of cross validation is 0.85, which is rather good.

Then we use the model on the test dataset by calling predict and store the result into LogicRegression.txt:

```
1  # PREDICTIONS
2  logit_predictions = logit.predict(T)
3  with open('LogicRegression.txt', 'w') as f:
4  for prediction in logit_predictions:
5  f.write(f"{prediction}\n")
6
7  print("Predictions saved to LogicRegression.txt")
```

Categorical Naive Bayes

To use Categorical Naive Bayes as the model, we should only look at the **categorical** columns of dataset. Then use CategoricalNB method of sklearn library to model and do cross validation:

```
# Prepare the test data, we only use categorical independent
variables

column_difference = set(T_encoded.columns) -
set(X_encoded.columns)

T_encoded.drop(columns=column_difference,inplace=True)

# Modeling
cnb = CategoricalNB()
cnb = cnb.fit(X_encoded,y)

# Cross Validation
cv = StratifiedKFold(n_splits=3)
```

The result of cross validation is 0.75, which indicates that it is much worse than Logistic Regression when modeling this dataset, since we only use the categorical columns to model.

Then we use the model on the test dataset by calling predict and store the result into CNB.txt:

```
1  # PREDICTOONS
2  cnb_predictions = cnb.predict(T_encoded)
3  with open('CNB.txt', 'w') as f:
4   for prediction in cnb_predictions:
5     f.write(f"{prediction}\n")
6
7  print("Predictions saved to CNB.txt")
```

Gaussian Naive Bayes

To use Categorical Naive Bayes as the model, we should only look at the **numeric** columns of dataset. Then use <code>GaussianNB</code> method of <code>sklearn</code> library to model and do cross validation:

```
# Prepare the data. We only use continous independent variables
   column difference = set(T continous.columns) -
   set(X continous.columns)
   T continous.drop(columns=column difference,inplace=True)
3
4
5
   #Modeling
   gnb = GaussianNB()
6
7
   gnb = gnb.fit(X continous,y)
8
9
   #Cross Validation
   cv = StratifiedKFold(n splits=3)
10
   val logit = cross val score(gnb, X continous, y, cv=cv).mean()
11
12
   val logit
13
14
```

The result of cross validation is 0.79, which is better than Categorical Naive Bayes. It shows that the numeric columns contribute more to the income.

Then we use the model on the test dataset by calling predict and store the result into GNB.txt:

```
1  # PREDICTIONS
2  gnb_predictions = gnb.predict(T_continous)
3  with open('GNB.txt', 'w') as f:
4   for prediction in gnb_predictions:
5     f.write(f"{prediction}\n")
6
7  print("Predictions saved to GNB.txt")
```

K-Nearest Neighbors

KNN is a supervised learning model, to use this model on the training dataset, we should scale both the training and testing data in a range of (0,1) since this model is only distance-based.

```
1  # Prepare the data. We scale the data as this algorithm is
    distance-based
2  # scale data in a range of (0,1)
3  scaler = MinMaxScaler(feature_range=(0, 1))
4  scaler = scaler.fit(X)
5  X_train = scaler.transform(X)
6  X_test = scaler.transform(T)
```

Then we should choose the hyper parameter k evaluated by cross validation. I choose 40, 50, 60, 70, 80 at first and it shows that 50 is the best parameter. Then choosing the parameter around 50 and narrowing the range gradually. After several rounds of testing, the best parameter is **47**. The process of hyper parameter tuning is done through GridSearchCV in sklearn.model selection:

```
1
   param grid = {'n neighbors' : [45,46,47,48]}
2
   cv = StratifiedKFold(n splits=3)
 3
4
   optimal params = GridSearchCV(
5
        estimator = KNeighborsClassifier(),
 6
        param grid = param grid,
7
        scoring = 'accuracy',
8
        verbose = 2,
9
        cv = cv
10
11
   optimal params.fit(X train,y)
   optimal params.best estimator
12
```

```
Fitting 3 folds for each of 4 candidates, totalling 12 fits
[CV] END .....n_neighbors=45; total time=
[CV] END .....n_neighbors=45; total time=
                                                0.5s
[CV] END .....n_neighbors=45; total time=
                                                0.6s
[CV] END .....n_neighbors=46; total time=
                                                0.5s
[CV] END .....n_neighbors=46; total time=
[CV] END ......n_neighbors=46; total time=
[CV] END ......n_neighbors=47; total time=
[CV] END .....n_neighbors=47; total time=
[CV] END ......n neighbors=47; total time=
[CV] END ......n_neighbors=48; total time=
                                                0.5s
[CV] END .....n_neighbors=48; total time=
                                                0.4s
[CV] END ......n_neighbors=48; total time=
                                                0.9s
    KNeighborsClassifier
                   8 6
KNeighborsClassifier(n neighbors=47)
```

Then we call KNeighborClassifier with n_neighbors = 47 and testing by cross validation:

```
1 # MODEL
   knn = KNeighborsClassifier(n neighbors=47)
   knn = knn.fit(X train,y)
 3
4
5
  # CROSS VALIDATION
   cv = StratifiedKFold(n splits=3)
7
   val knn = cross val score(knn, X train, y, cv=cv).mean()
8
   val knn # validation score
9
10
11
   0.8362303572996225
```

The result shows that **KNN** is better than the two **Naive Bayes** models while slightly inferior to **Logic Regression**. After modeling, we use the model on the test dataset by calling predict and store the result into KNN.txt:

```
1  # PREDICTIONS
2  knn_predictions = knn.predict(X_test)
3
4  with open('KNN.txt', 'w') as f:
5  for prediction in knn_predictions:
6  f.write(f"{prediction}\n")
7
8  print("Predictions saved to KNN.txt")
```

Support Vector Machines

SVM could also be used to model on this dataset. Since it's also distance-based, we should scale the dataset first:

```
1  # Scale the data(mean = 0 and sd = 1)
2  X_train = scale(X)
3  X_test = scale(T)
```

Then we should also do hyperparameters optimization, which is to choose the kernel function of SVM.

Kernel Function is a method used to take data as input and transform it into the required form of processing data. "Kernel" is used due to a set of mathematical functions used in Support Vector Machine providing the window to manipulate the data. So, Kernel Function generally transforms the training set of data so that a non-linear decision surface is able to transform to a linear equation in a higher number of dimension spaces. Basically, It returns the inner product between two points in a standard feature dimension. ---- Geeksforgeek

We use GridSearchCV to find the best parameter among Linear Kernel,

Polynomial Kernel, Sigmoid Kernel and Gaussian Kernel Radial Basis Function.

```
# HyperParameters Optimization
1
   #1 Round -- Choose the Kernals
  param grid = {
        'kernel' : ['linear','poly','rbf','sigmoid']
4
5
   cv = StratifiedKFold(n splits=3)
6
7
8
   optimal params = GridSearchCV(
9
       estimator = svm.SVC(),
10
       param grid = param grid,
```

```
Fitting 3 folds for each of 4 candidates, totalling 12 fits
[CV] END .....kernel=linear; total time=
                                            11.5s
[CV] END .....kernel=linear; total time=
[CV] END .....kernel=linear; total time=
[CV] END .....kernel=poly; total time=
[CV] END .....kernel=poly; total time=
                                             6.5s
[CV] END .....kernel=poly; total time=
[CV] END .....kernel=rbf; total time=
                                             9.7s
[CV] END .....kernel=rbf; total time=
[CV] END .....kernel=rbf; total time=
                                            14.2s
[CV] END .....kernel=sigmoid; total time=
[CV] END .....kernel=sigmoid; total time=
[CV] END .....kernel=sigmoid; total time=
{'kernel': 'linear'}
```

Surprisingly, the **Linear Function** is chosen, which is the simplest one. We can further investigate how much better it is with respect to other kernels:

0 {'kernel': 'linear'} 0.849223 1 {'kernel': 'poly'} 0.826047 2 {'kernel': 'rbf'} 0.846589 3 {'kernel': 'sigmoid'} 0.831183		params	mean_test_score
2 {'kernel': 'rbf'} 0.846589	0	{'kernel': 'linear'}	0.849223
. ,	1	{'kernel': 'poly'}	0.826047
3 {'kernel': 'sigmoid'} 0.831183	2	{'kernel': 'rbf'}	0.846589
	3	{'kernel': 'sigmoid'}	0.831183

So **RBF** is nearly as good as **Linear**, so we will try to improve it through tuning. We will try to tune by deciding on the hyperparameter c.

The c parameter trades off correct classification of training examples against maximization of the decision function's margin. For larger values of c, a smaller margin will be accepted if the decision function is better at classifying all training points correctly. A lower c will encourage a larger margin, therefore a simpler decision function, at the cost of training accuracy. In other words c behaves as a regularization parameter in the SVM. --- scikit learn

```
1 param_grid = {
```

```
2
        'kernel': ['rbf'],
        'C' : [0,1,2,3,4,5],
 3
4
5
   cv = StratifiedKFold(n splits=3)
   optimal params = GridSearchCV(
 6
 7
        estimator = svm.SVC(),
8
        param grid = param grid,
9
        scoring = 'accuracy',
10
        verbose = 2,
11
        cv = cv
12
13
    optimal params.fit(X train,y)
14
   print(
15
        "The best parameters are %s with a score of %0.2f"
16
        % (optimal params.best params , optimal params.best score )
17
```

```
Fitting 3 folds for each of 6 candidates, totalling 18 fits
[CV] END ......C=0, kernel=rbf; total time=
[CV] END ......C=0, kernel=rbf; total time=
                                    0.0s
[CV] END .......C=0, kernel=rbf; total time=
                                    0.0s
[CV] END ......C=1, kernel=rbf; total time=
[CV] END ......C=1, kernel=rbf; total time=
                                    9.5s
10.6s
17.0s
17.1s
[CV] END ......C=2, kernel=rbf; total time=
                                    16.2s
[CV] END ......C=3, kernel=rbf; total time=
13.5s
8.0s
8.0s
[CV] END ......C=4, kernel=rbf; total time=
                                    8.1s
[CV] END ......C=4, kernel=rbf; total time=
                                    8.1s
[CV] END ......C=5, kernel=rbf; total time=
[CV] END ......C=5, kernel=rbf; total time=
                                    8.1s
[CV] END ......C=5, kernel=rbf; total time=
                                    8.2s
The best parameters are {'C': 2, 'kernel': 'rbf'} with a score of 0.85
```

Still, the result shows that **RBF** is worse than that of the **Linear Kernel**, so we will continue to use linear kernel instead. Calling svm.svc() to model on the training dataset and use cross validation to evaluate the model:

We have the score 0.849, which is as good as that of Logistic Regression. Then we call predict() and store the result into SVM.txt:

```
1  # PREDICTIONS
2  suppvm_predictions = suppvm.predict(X_test)
3  with open('SVM.txt', 'w') as f:
4  for prediction in suppvm_predictions:
5  f.write(f"{prediction}\n")
6
7  print("Predictions saved to SVM.txt")
```

Decision Trees

First of all we need to tune the hyperparameter max_depth of Decision Trees classifier:

```
# HYPERPARAMETERS OPTIMIZATION
   param grid = {
   'max depth' : [2,4,6,7,8,9,10,11,12,16,20]
3
4
5
   cv = StratifiedKFold(n splits=3)
6
7
8
   optimal params = GridSearchCV(
       estimator = DecisionTreeClassifier(),
9
10
       param grid = param grid,
       scoring = 'accuracy',
11
12
       verbose = 2,
13
       cv = cv
14
15
   optimal params.fit(X,y)
   optimal params.best params
16
```

```
Fitting 3 folds for each of 11 candidates, totalling 33 fits
[CV] END .....max depth=2; total time=
                                              0.0s
[CV] END
         .....max_depth=2; total time=
                                              0.0s
     .....max_depth=2; total time=
                                              0.0s
[CV] END
     .....max_depth=4; total time=
                                              0.0s
     .....max_depth=4; total time=
                                              0.0s
[CV] END
                                              0.0s
     .....max_depth=4; total time=
     .....max depth=6; total time=
                                              0.0s
[CV] END
     .....max_depth=6; total time=
                                              0.0s
     .....max_depth=6; total time=
                                              0.0s
[CV] END
     .....max_depth=7; total time=
                                              0.0s
     .....max_depth=7; total time=
                                              0.0s
[CV] END
     .....max_depth=7; total time=
                                              0.0s
[CV] END
     .....max_depth=8; total time=
                                              0.0s
[CV] END
     ......max_depth=8; total time=
                                              0.0s
[CV] END .....max_depth=8; total time=
                                              0.0s
     .....max_depth=9; total time=
[CV] END
                                              0.0s
[CV] END
     .....max_depth=9; total time=
                                              0.0s
[CV] END
     .....max_depth=9; total time=
                                              0.0s
[CV] END
     .....max depth=10; total time=
                                              0.0s
[CV] END
     .....max_depth=10; total time=
                                              0.0s
[CV] END
     .....max depth=10; total time=
                                              0.0s
[CV] END .....max depth=11; total time=
                                              0.0s
                                              0.0s
[CV] END .....max depth=11; total time=
[CV] END
     .....max_depth=11; total time=
                                              0.0s
[CV] END
     .....max_depth=16; total time=
                                              0.0s
[CV] END
     .....max depth=20; total time=
                                              0.0s
[CV] END .....max_depth=20; total time=
                                              0.0s
[CV] END .....max_depth=20; total time=
                                              0.0s
Output is truncated. View as a scrollable element or open in a text editor. Adjust cell output settings...
{'max_depth': 8}
```

After choosing the best max_depth=8, we can do modeling by calling DecisionTreeClassifier.

```
# MODEL
1
   tree = DecisionTreeClassifier(max depth=8)
 3
   tree = tree.fit(X,y)
 4
   # CROSS VALIDATION
 5
   cv = StratifiedKFold(n splits=3)
 6
 7
   val tree = cross val score(tree, X, y, cv=cv).mean()
8
   val tree # validation score
9
10
   0.8546220700553068
11
```

Now **Decision Trees** defeat Logistic Regression to become the best model yet. Then we just need to make predictions:

Random Forest

There are three hyperparameters to tune: max_depth, n_estimators and max samples.

- max_depth: This parameter controls the maximum depth of each decision tree in the forest. A higher depth allows the model to capture more details of the data but can also lead to overfitting. The values specified are 8, 10, 12, 16, 18, and 20.
- **n_estimators**: This parameter specifies the number of trees in the forest. More trees generally improve performance but also increase computational cost. The values specified are 50, 100, and 200.
- max_samples: This parameter determines the fraction of the training data to be used for fitting each individual tree. Values specified are 1 (100% of the training data), 0.8 (80% of the training data), and 0.6 (60% of the training data).

```
# HYPERPARAMETERS OPTIMIZATION
1
2
   param grid = {
   'max depth' : [8,10,12,16,18,20],
   'n estimators': [50,100,200],
5
   'max samples': [1,0.8,0.6]
 6
7
8
   cv = StratifiedKFold(n splits=3)
9
   optimal params = GridSearchCV(
10
11
        estimator = RandomForestClassifier(),
12
        param grid = param grid,
        scoring = 'accuracy',
13
14
        verbose = 2,
15
        cv = cv
16
17
   optimal params.fit(X,y)
```

```
Fitting 3 folds for each of 54 candidates, totalling 162 fits
[CV] END ......max_depth=8, max_samples=1, n_estimators=50; total time=
                                                                             0.0s
[CV] END .....max_depth=8, max_samples=1, n_estimators=50; total time=
                                                                             0.0s
[CV] END ......max_depth=8, max_samples=1, n_estimators=50; total time=
                                                                             0.0s
[CV] END .....max_depth=8, max_samples=1, n_estimators=100; total time=
                                                                             0.1s
[CV] END ......max_depth=8, max_samples=1, n_estimators=100; total time=
                                                                             0.0s
[CV] END .....max_depth=8, max_samples=1, n_estimators=100; total time=
                                                                             0.1s
[CV] END .....max_depth=8, max_samples=1, n_estimators=200; total time=
                                                                             0.2s
[CV] END .....max_depth=8, max_samples=1, n_estimators=200; total time=
                                                                             0.2s
[CV] END .....max_depth=8, max_samples=1, n_estimators=200; total time=
                                                                             0.3s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=50; total time=
                                                                             0.7s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=50; total time=
                                                                             0.2s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=50; total time=
                                                                             0.1s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=100; total time=
                                                                             0.4s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=100; total time=
                                                                             0.4s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=100; total time=
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=200; total time=
                                                                             1.1s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=200; total time=
                                                                             1.0s
[CV] END .....max_depth=8, max_samples=0.8, n_estimators=200; total time=
                                                                             1.6s
[CV] END .....max_depth=8, max_samples=0.6, n_estimators=50; total time=
                                                                             0.1s
[CV] END .....max_depth=8, max_samples=0.6, n_estimators=50; total time=
                                                                             0.1s
[CV] END .....max_depth=8, max_samples=0.6, n_estimators=50; total time=
                                                                             0.1s
[CV] END .....max depth=8, max samples=0.6, n estimators=100; total time=
[CV] END .....max_depth=8, max_samples=0.6, n_estimators=100; total time=
                                                                             0.4s
[CV] END .....max_depth=8, max_samples=0.6, n_estimators=100; total time=
                                                                             0.5s
[CV] END ....max_depth=20, max_samples=0.6, n_estimators=100; total time=
                                                                             0.7s
[CV] END ....max_depth=20, max_samples=0.6, n_estimators=200; total time=
                                                                             1.5s
[CV] END ....max_depth=20, max_samples=0.6, n_estimators=200; total time=
                                                                             1.7s
[CV] END ....max_depth=20, max_samples=0.6, n_estimators=200; total time=
                                                                             1.5s
Output is truncated. View as a scrollable element or open in a text editor. Adjust cell output settings...
{'max_depth': 18, 'max_samples': 0.6, 'n_estimators': 100}
```

After choosing the best hyperparameters, we can model the training dataset by calling RandomForestClassifier:

```
1
   # MODEL
   Rforest = RandomForestClassifier(max depth=18, max samples=0.6,
   n estimators=100)
3
   Rforest = Rforest.fit(X, y)
4
5
   # CROSS VALIDATION
   cv = StratifiedKFold(n splits=3)
6
7
   val Rforest = cross val score(Rforest, X, y, cv=cv).mean()
8
   val Rforest # validation score
9
10
   ______
   0.8605916951979634
```

Unsurprisingly, **Random Forest** outweighs **Decision Tree** since it's actually a set of trees and choose the best result from the "forest". We can now do the predictions:

```
1  # PREDICTIONS
2  Rforest_predictions = Rforest.predict(T)
3  with open('RandomForest.txt', 'w') as f:
4  for prediction in Rforest_predictions:
5  f.write(f"{prediction}\n")
6
7  print("Predictions saved to RandomForest.txt")
```

XGBoost(Extreme Gradient Boosting)

Similarly, we need to do hyperparameters optimization before modeling the training dataset. Since the number of hyperparameters is quite large, we will test two rounds of tuning:

```
# HYPERPARAMETER OPTIMIZATION
2
 3
   # ROUND 1
4
5
   param grid = {
 6
        'max depth': [3, 5, 7],
 7
        'learning rate': [0.3, 0.1, 0.05],
        'gamma': [0, 1, 10],
8
        'reg lambda': [0, 1, 10]
9
10
11
12
13
   cv = StratifiedKFold(n splits=3)
14
15
   optimal params = GridSearchCV(
        estimator=xgb.XGBClassifier(objective='binary:logistic', #for
16
   binary classification
17
                                     eval metric="logloss",
18
                                     use label encoder=False), #avoid
   warning (since we have done encoding)
19
        param grid=param grid,
20
        scoring='accuracy',
21
        verbose=2,
22
        cv = cv
23
24
   optimal params.fit(X,y)
25
   optimal params.best params
```

```
26
   #{'gamma': 0, 'learning rate': 0.3, 'max depth': 5, 'reg lambda':
27
   1 }
28
29
   # ROUND 2
30
31
32
   param grid = {
33
        'max depth': [4, 5, 6],
34
        'learning rate': [0.3, 0.5],
        'subsample': [1, 0.8, 0.6, 0.4],
35
36
        'gamma' : [10, 50, 100]
37
38
39
40
41
   cv = StratifiedKFold(n splits=3)
42
43
   optimal params = GridSearchCV(
44
        estimator=xgb.XGBClassifier(objective='binary:logistic', #for
   binary classification
45
                                     eval metric="logloss",
46
                                     learning rate= 0.1,
47
                                     reg lambda=1,
48
                                     use label encoder=False), #avoid
   warning (since we have done encoding)
49
        param grid=param grid,
50
        scoring='accuracy',
51
        verbose=2,
52
        cv = cv
53
54
  optimal params.fit(X,y)
  optimal params.best params
56 #{'gamma': 10, 'learning rate': 0.3, 'max depth': 6, 'subsample':
   0.8}
```

Then choosing the best hyperparameter, we continue modeling by calling XGBClassifier

```
subsample=1)
8
9
   xgbm = xgbm.fit(X, y)
10
   # CROSS VALIDATION
11
   cv = StratifiedKFold(n splits=3)
12
13
   val xgbm = cross val score(xgbm, X, y, cv=cv).mean()
14
   val xgbm
15
16
17
   _____
18 0.8704240189623387
```

Artificial Neural Network

I will leave the prediction and data scaling part, only explaining the modeling part. The library I use to train neural networks is tensorflow. Keras, which is an advanced API for training neural networks conveniently.

First of all, we need to define a neural network framework based on Keras. Since we are dealing with binary classfication problem, the activation function for output layer should be sigmoid:

```
def ANN 1(neurons=10, hidden layers=0, dropout rate=0,
   learn rate= 0.1):
2
       # model
 3
       model = keras.Sequential()
4
       model.add(keras.layers.Dense(neurons, input shape =
    (X train.shape[1], ), activation='relu'))
       for i in range(hidden layers):
5
 6
            # Add one hidden layer
7
            model.add(keras.layers.Dense(neurons, activation='relu'))
8
            model.add(keras.layers.Dropout(dropout rate))
 9
       model.add(keras.layers.Dense(1, activation='sigmoid'))
    #Output layers
10
        # Compile model
11
       optimizer = keras.optimizers.SGD(learning rate=learn rate,
   momentum = 0.01)
12
       model.compile(loss='binary crossentropy',
   optimizer=optimizer, metrics=['accuracy'])
13
       return model
```

Then we use KerasClassifier to wrap the neural network into cross validation using GridSearchCV:

```
1
   # we will do the grid search with KerasClassifier
2
   ann = KerasClassifier(build fn=ANN 1, batch size=30)
 3
 4
5
   param grid = {
        'model neurons': [30, 60],
 6
7
        'model hidden layers': [2],
8
        'model dropout rate': [0.0, 0.1],
 9
        'model learn rate': [0.1, 0.03],
        'epochs': [8, 15]
10
11
12
13
   cv = StratifiedKFold(n splits=3)
14
15
   optimal params = GridSearchCV(estimator=ann,
   param grid=param grid, verbose=2, cv=cv)
   optimal params.fit(X train,y)
16
   optimal params.best params
```

It will take a long time to train the Neural Network and do cross validation:

```
Fitting 3 folds for each of 16 candidates, totalling 48 fits
Epoch 1/8
                             - 1s 861us/step - accuracy: 0.7830 - loss: 0.4484
507/507 -
Epoch 2/8
507/507
                              - 0s 800us/step - accuracy: 0.8494 - loss: 0.3317
Epoch 3/8
507/507
                              - 0s 734us/step - accuracy: 0.8560 - loss: 0.3122
Epoch 4/8
                              • 0s 700us/step - accuracy: 0.8564 - loss: 0.3123
507/507
Epoch 5/8
                              1s 1ms/step - accuracy: 0.8658 - loss: 0.2947
507/507
Epoch 6/8
507/507
                              - 1s 1ms/step - accuracy: 0.8635 - loss: 0.2917
Epoch 7/8
                              - 0s 884us/step - accuracy: 0.8653 - loss: 0.2928
507/507 -
Epoch 8/8
                             - 0s 888us/step - accuracy: 0.8678 - loss: 0.2880
507/507 -
254/254
[CV] END epochs=8, model__dropout_rate=0.0, model__hidden_layers=2, model__learn_rate=0.1, model__neurons=30; total time=
507/507
                              - 1s 952us/step - accuracy: 0.7968 - loss: 0.4258
Epoch 2/8
                             - 0s 889us/step - accuracy: 0.8412 - loss: 0.3411
507/507
Epoch 3/8
507/507
                               0s 912us/step - accuracy: 0.8562 - loss: 0.3164
Epoch 7/8
760/760 -
                              - 1s 687us/step - accuracy: 0.8630 - loss: 0.2988
Epoch 8/8
                             - 1s 760us/step - accuracy: 0.8634 - loss: 0.2975
760/760
Output is truncated. View as a <u>scrollable element</u> or open in a <u>text editor</u>. Adjust cell output <u>settings</u>...
 'model__dropout_rate': 0.0,
 'model__hidden_layers': 2,
 'model__learn_rate':
'model__neurons': 30}
         learn rate': 0.1,
```

Then we will do another round of optimization, focusing on the init_mode and activation_function of the neural network, while choosing the best hyperparameter above in ANN 1:

```
# ROUND 2
1
2
   def ANN 2(init mode='uniform', activation='relu'):
3
4
        # model
5
       model = keras.Sequential()
       model.add(keras.layers.Dense(30,kernel initializer=init mode,
 6
7
                                      input shape = (X train.shape[1],
    ), activation=activation))
       model.add(keras.layers.Dense(30,
8
   kernel initializer=init mode, activation=activation))
       model.add(keras.layers.Dropout(0.0))
9
10
       model.add(keras.layers.Dense(1, kernel initializer=init mode,
   activation='sigmoid'))
11
        # Compile model
12
       optimizer = keras.optimizers.SGD(learning rate=0.1, momentum
   = 0.01)
       model.compile(loss='binary crossentropy',
13
   optimizer=optimizer, metrics=['accuracy'])
14
       return model
15
16
17
   ann = KerasClassifier(build fn=ANN 2, epochs= 8, batch size=30)
18
19
20
   param grid = {
21
        'model init mode': ['uniform', 'lecun uniform', 'normal',
    'zero', 'glorot normal',
22
                      'glorot uniform', 'he normal', 'he uniform'],
23
        'model activation': ['softmax','relu', 'tanh', 'sigmoid']
24
25
   cv = StratifiedKFold(n splits=3)
26
27
28  optimal params = GridSearchCV(estimator=ann,
   param grid=param grid, verbose=2, cv=cv)
29
  optimal params.fit(X train,y)
   optimal params.best_params_
```

Then the result is:

```
✓ 8m 56.6s
Fitting 3 folds for each of 32 candidates, totalling 96 fits
Epoch 1/8
507/507
                             • 1s 1ms/step - accuracy: 0.7543 - loss: 0.5739
Epoch 2/8
                             - 0s 856us/step - accuracy: 0.7555 - loss: 0.5563
507/507
Epoch 3/8
                             0s 885us/step - accuracy: 0.7579 - loss: 0.5536
507/507
Epoch 4/8
507/507
                             0s 882us/step - accuracy: 0.7644 - loss: 0.5463
Epoch 5/8
507/507
                             - 1s 963us/step - accuracy: 0.7592 - loss: 0.5524
Epoch 6/8
                             • 1s 967us/step - accuracy: 0.7579 - loss: 0.5535
507/507
Epoch 7/8
                             0s 900us/step - accuracy: 0.7566 - loss: 0.5552
507/507
Epoch 8/8
507/507
                             - 0s 927us/step - accuracy: 0.7599 - loss: 0.5513
254/254
                             • 0s 835us/step
[CV] END model_activation=softmax, model_init_mode=uniform; total time= 4.7s
Epoch 1/8
                             - 1s 894us/step - accuracy: 0.7615 - loss: 0.5727
507/507
Epoch 2/8
507/507 -
                            - 0s 907us/step - accuracy: 0.7630 - loss: 0.5479
Epoch 3/8
507/507
                             - 0s 927us/step - accuracy: 0.7565 - loss: 0.5553
Epoch 7/8
760/760
                             1s 824us/step - accuracy: 0.8603 - loss: 0.2962
Epoch 8/8
760/760
                            - 1s 739us/step - accuracy: 0.8617 - loss: 0.3036
Output is truncated. View as a scrollable element or open in a text editor. Adjust cell output settings...
{'model__activation': 'relu', 'model__init_mode': 'normal'}
```

Then we will continue tuning the ANN_2 by stopping the learning early when it has 3 consecutive epoch without improvement:

```
1
   def ANN ():
 2
        model = keras.Sequential()
 3
        model.add(keras.layers.Dense(30,kernel initializer='normal',
 4
                                      input shape = (X train.shape[1],
    ), activation='relu'))
5
        model.add(keras.layers.Dense(30,
   kernel initializer='normal',activation='relu'))
 6
        model.add(keras.layers.Dropout(0.0))
 7
        model.add(keras.layers.Dense(1, kernel initializer='uniform',
   activation='sigmoid'))
8
        # Compile model
 9
        optimizer = keras.optimizers.SGD(learning rate=0.1, momentum
   = 0.01)
10
        model.compile(loss='binary crossentropy',
   optimizer=optimizer, metrics=['accuracy'])
11
        return model
12
    # we define a learning rate schedule in order to decrease the
    learning rate
13
    # as we epoch increases.
14
   def scheduler(epoch, lr):
15
        if epoch < 5:
16
            return lr
```

```
17
       elif epoch < 8:
18
          return 0.05
19
       else:
20
          return 0.01
21
22
  # Early stopping: stop the learning when it has 3 consecutive
   epoch without improvement
23
   callback2 = tf.keras.callbacks.EarlyStopping(monitor='loss',
   patience=3)
24 | # Learning rate schedule
25
  callback = tf.keras.callbacks.LearningRateScheduler(scheduler)
26 ann = KerasClassifier(build fn=ANN , epochs= 8, batch size=30,
   verbose=0)
27 # CROSS VALIDATION
28 cv = StratifiedKFold(n splits=3)
29
  val ann= cross val score(ann, X train, y,
30
                            cv=cv, fit params={'callbacks':
   [callback, callback2] }) .mean()
31 val ann # validation score
32
33 -----
34 0.8511983144587832
```

Indeed, after three rounds of training. The final ANN_ is way better than the original ANN_1, we are getting some improvements. So before we make any predictions, cross validation will be used to check the effect of ensembling. Then we will do ensembling on ANN_ and we will make 10 Neural Networks and then join its predictions by averaging.

VotingClassifier is used to ensemble the 10 ann models.

```
# Cross Validation
n_members = 10
ann = KerasClassifier(build_fn=ANN_, epochs=8, batch_size=30,
verbose=0,callbacks=[callback,callback2])

# models = [('ann' + str(i), ann) for i in range(n_members)]
ensemble = VotingClassifier(estimators=models, voting='soft')
ensemble = ensemble.fit(X_train,y)
scores = cross_val_score(ensemble, X_train, y, cv=3,
scoring='accuracy')
print("Cross Validation Scores:", scores)
print("Mean Accuracy:", scores.mean())
```

Then just use ensemble to predict on the testing dataset:

ann_ensemble_predictions = ensemble.predict(X_test).

The predictions result will be stored into ANN.txt.

Ensembling

We ensemble the cross validation score of the several models:

Then we would use xgboost model at last.

Conclusion

Comparing the cross validation scores of the models, we get:

	Accuracy
Logistic Regression	0.850759
Categorical Naive Bayes	0.750110
Gaussian Naive Bayes	0.794970
K-Nearest Neighbors	0.836230
Support Vector Machines	0.849223
Decision Trees	0.854622
Random Forest	0.860592
XGBoost	0.870424
Artificial Neural Networks	0.851988

Categorical Naive Bayes and Gaussian Naive Bayes have the lowest score unsurprisingly since only few columns are used. K-Nearest Neighbors is rather simple, leading to a low accuracy too. The accuracy of Decision Trees, Random Forest and XGBoost is improving with the complexity of the model and they are actually applying bagging method from decision trees to XGBoost. What is

unexpected is the accuracy of **ANN** is lower than Logistic Regression, maybe it's because the classification skill on this dataset of Logistic Regression model outweighs the latter, even with three rounds of exhausting hyperparameters tuning.

The model I choose at last is the **XGBoost** model. The limitation of it is prone to overfitting, especially if the number of trees is too large or the model is too complex. Proper tuning of hyperparameters like max_depth, learning_rate, and n_estimators is crucial to mitigate this. I am really curious about how to train and tune **ANN** better, and I will look into it when I have more time. More time should be spent on tuning the hyperparameters.

Reference

- 1. https://scikit-learn.org/stable/auto-examples/tree/index.html
- 2. https://www.kaggle.com/datasets/uciml/adult-census-income/data