

0. Did you remember to trace Dijkstra's algorithm on a few examples?...
1. If graph  $G$  is connected and contains more than  $n-1$  edges (where  $n = |V|$ , as usual), and if there is a unique edge  $e$  with minimum cost, then is  $e$  guaranteed to be in *every* MST of  $G$ ?  
If so, give a convincing argument.  
If not, provide a counter-example. In this case, what other conditions can you put on  $G$  to guarantee that  $e$  will be in every MST of  $G$ ?
2. If graph  $G$  is connected and contains more than  $n-1$  edges (where  $n = |V|$ , as usual), and if there is a unique edge  $e$  with maximum cost, then is  $e$  guaranteed to be in *no* MST of  $G$ ?  
If so, give a convincing argument.  
If not, provide a counter-example. In this case, what other conditions can you put on  $G$  to guarantee that  $e$  will be in no MST of  $G$ ?
3. Prove that the "reverse-delete" algorithm for MSTs is correct (always outputs a MST). Use the general structure from class (proving that every partial solution is "promising"), suitably adapted to fit the algorithm -- in other words, define carefully what the partial solutions are, and what it means for a partial solution to be promising.
- \*Explore: what is the most efficient implementation of the reverse-delete algorithm you can come up with?