

HW4 — Machine Learning

1 Section 1

1.1 Task 1: Implementing Computational Graphs

Code submitted to canvas.

```
1 import math
2
3
4 """
5 Defines forward and backward passes through different computational graphs
6 .
7 Students should complete the implementation of all functions in this file.
8 """
9
10 # Optional
11 def f1(x1, w1, x2, w2, b, y):
12     """
13     Computes the forward and backward pass through the computational graph
14     f1
15     from the homework PDF.
16
17     A few clarifications about the graph:
18     - The subtraction node in the graph computes  $d = \hat{y} - y$ 
19     - The  $\wedge^2$  node squares its input
20
21     Inputs:
22     - x1, w1, x2, w2, b, y: Python floats
23
24     Returns a tuple of:
25     - L: Python scalar giving the output of the graph
26     - grads: A tuple (grad_x1, grad_w1, grad_x2, grad_w2, grad_b, grad_y)
27     giving the derivative of the output L with respect to each input.
28     """
29     # Forward pass: compute loss
30     L = None
31     #
32     #####
33
34     # TODO: Implement the forward pass for the computational graph f1
35     shown    #
```

```

32     # in the homework description. Store the loss in the variable L.
33     #
34     #####
35     a1 = x1 * w1
36     a2 = x2 * w2
37     y_bar = a1 + a2 + b
38     d = y_bar - y
39     L = d ** 2
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66     grads = (grad_x1, grad_w1, grad_x2, grad_w2, grad_b, grad_y)
67     return L, grads
68
69 # Optional
70 def f2(x):
71     """
72     Computes the forward and backward pass through the computational graph
73     f2
74     from the homework PDF.
75
76     A few clarifications about this graph:
77     - The "x2" node multiplies its input by the constant 2
78     - The "+1" and "-1" nodes add or subtract the constant 1
79     - The division node computes  $y = t / b$ 
80
81     Inputs:
82     - x: Python float
83
84     Returns a tuple of:
85     - y: Python float
86     - grads: A tuple (grad_x,) giving the derivative of the output y with
87       respect to the input x
88     """
89     # Forward pass: Compute output
90     y = None
91     #
92     #####
93
94     # TODO: Implement the forward pass for the computational graph f2
95     # shown #
96     # in the homework description. Store the output in the variable y.
97     #
98     #
99     #####
100
101     d = 2 * x
102     e = math.exp(d)
103     t = e - 1
104     b = e + 1
105     y = t / b
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```

```

106     # TODO: Implement the backward pass for the computational graph f2
107     shown #
108     # in the homework description. Store the gradients for each input
109     #
110     # variable in the corresponding grad variables defined above.
111     #
112     #####
113
114     grad_y = 1
115     grad_t = grad_y * (1 / b)
116     grad_b = grad_y * (- t / (b ** 2))
117     grad_e = grad_t + grad_b
118     grad_d = grad_e * math.exp(d)
119     grad_x = grad_d * 2
120     #
121     #####
122
123     #                                     END OF YOUR CODE
124     #
125     #
126     #####
127
128     return y, (grad_x,)
129
130 # Required
131 def f3(s1, s2, y):
132     """
133     Computes the forward and backward pass through the computational graph
134     f3
135     from the homework PDF.
136
137     A few clarifications about the graph:
138     - The input y is an integer with y == 1 or y == 2; you do not need to
139       compute a gradient for this input.
140     - The division nodes compute p1 = e1 / d and p2 = e2 / d
141     - The choose(p1, p2, y) node returns p1 if y is 1, or p2 if y is 2.
142
143     Inputs:
144     - s1, s2: Python floats
145     - y: Python integer, either equal to 1 or 2
146
147     Returns a tuple of:
148     - L: Python scalar giving the output of the graph
149     - grads: A tuple (grad_s1, grad_s2) giving the derivative of the
150       output L
151       with respect to the inputs s1 and s2.
152     """
153     assert y == 1 or y == 2
154     # Forward pass: Compute loss
155     L = None
156     #
157     #####

```

```

147     # TODO: Implement the forward pass for the computational graph f3
shown    #
148     # in the homework description. Store the loss in the variable L.
        #
149     #
#####

150     e1 = math.exp(s1)
151     e2 = math.exp(s2)
152     d = e1 + e2
153     p1 = e1 / d
154     p2 = e2 / d
155     if y == 1:
156         p_plus = p1
157     elif y == 2:
158         p_plus = p2
159     L = -math.log(p_plus)
160     #
#####

161     #                                     END OF YOUR CODE
        #
162     #
#####

163
164     # Backward pass: Compute gradients
165     grad_s1, grad_s2 = None, None
166     #
#####

167     # TODO: Implement the backward pass for the computational graph f3
shown    #
168     # in the homework description. Store the gradients for each input
        #
169     # variable in the corresponding grad variables defined above. You do
not      #
170     # need to compute a gradient for the input y since it is an integer.
        #
171     #
        #
172     # HINT: You may need an if statement to backprop through the choose
node    #
173     #
#####

174     grad_L = 1
175     grad_p_plus = grad_L * (- 1 / p_plus)
176     if y == 1:
177         grad_p1 = grad_p_plus
178         grad_p2 = 0
179     elif y == 2:
180         grad_p1 = 0

```

```

181     grad_p2 = grad_p_plus
182     grad_d = grad_p1 * (- e1 / d ** 2) + grad_p2 * (- e2 / d ** 2)
183     grad_e1 = grad_d + grad_p1 * (1 / d)
184     grad_e2 = grad_d + grad_p2 * (1 / d)
185     grad_s1 = grad_e1 * math.exp(s1)
186     grad_s2 = grad_e2 * math.exp(s2)
187     #
188     #####
189     #                                     END OF YOUR CODE
190     #
191     #####
192     grads = (grad_s1, grad_s2)
193     return L, grads
194
195 def f3_y1(s1, s2):
196     """
197     Helper function to compute f3 in the case where y = 1
198
199     Inputs:
200     - s1, s2: Same as f3
201
202     Outputs: Same as f3
203     """
204     return f3(s1, s2, y=1)
205
206 def f3_y2(s1, s2):
207     """
208     Helper function to compute f3 in the case where y = 2
209
210     Inputs:
211     - s1, s2: Same as f3
212
213     Outputs: Same as f3
214     """
215     return f3(s1, s2, y=2)
216

```

1.2 Task 2: Modular Backprop API

1.2.1 Fully-connected layer

Code submitted to Canvas.

```

1 import numpy as np
2
3
4 def fc_forward(x, w, b):
5     """
6     Computes the forward pass for a fully-connected layer.

```

```

7
8     The input x has shape (N, Din) and contains a minibatch of N
9     examples, where each example x[i] has shape (Din,).
10
11     Inputs:
12     - x: A numpy array of shape (N, Din) giving input data
13     - w: A numpy array of shape (Din, Dout) giving weights
14     - b: A numpy array of shape (Dout,) giving biases
15
16     Returns a tuple of:
17     - out: output, of shape (N, Dout)
18     - cache: (x, w, b)
19     """
20     out = None
21     #
22     #####
23
24     # TODO: Implement the forward pass. Store the result in out.
25     #
26     #
27     #####
28
29     out = x @ w + b
30     #
31     #####
32
33     #                                     END OF YOUR CODE
34     #
35     #
36     #####
37
38     cache = (x, w, b)
39     return out, cache
40
41 def fc_backward(grad_out, cache):
42     """
43     Computes the backward pass for a fully-connected layer.
44
45     Inputs:
46     - grad_out: Numpy array of shape (N, Dout) giving upstream gradients
47     - cache: Tuple of:
48       - x: A numpy array of shape (N, Din) giving input data
49       - w: A numpy array of shape (Din, Dout) giving weights
50       - b: A numpy array of shape (Dout,) giving biases
51
52     Returns a tuple of downstream gradients:
53     - grad_x: A numpy array of shape (N, Din) of gradient with respect to x
54     - grad_w: A numpy array of shape (Din, Dout) of gradient with respect to w
55     - grad_b: A numpy array of shape (Dout,) of gradient with respect to b
56     """
57     x, w, b = cache

```

```

49     grad_x, grad_w, grad_b = None, None, None
50     #
#####
51     # TODO: Implement the backward pass for the fully-connected layer
52     #
#####
53     N, _ = x.shape
54     grad_x = grad_out @ w.T
55     grad_w = x.T @ grad_out
56     grad_b = (grad_out.T @ np.ones((N, 1))).squeeze()
57     #
#####
58     #                                     END OF YOUR CODE
59     #
#####
60     return grad_x, grad_w, grad_b

```

1.2.2 ReLU nonlinearity

Code submitted to Canvas.

```

1 def relu_forward(x):
2     """
3     Computes the forward pass for the Rectified Linear Unit (ReLU)
4     nonlinearity
5
6     Input:
7     - x: A numpy array of inputs, of any shape
8
9     Returns a tuple of:
10    - out: A numpy array of outputs, of the same shape as x
11    - cache: x
12    """
13    out = None
14    #
#####
15    # TODO: Implement the ReLU forward pass.
16    #
#####
17    out = np.copy(x)
18    out[out < 0] = 0
19    #
#####

```



```

19         #                                     END OF YOUR CODE
20         #
21         #####
22         cache = x
23         return out, cache
24
25 def relu_backward(grad_out, cache):
26     """
27     Computes the backward pass for a Rectified Linear Unit (ReLU)
28     nonlinearity
29
30     Input:
31     - grad_out: Upstream derivatives, of any shape
32     - cache: Input x, of same shape as dout
33
34     Returns:
35     - grad_x: Gradient with respect to x
36     """
37     grad_x, x = None, cache
38     #
39     #####
40
41     # TODO: Implement the ReLU backward pass.
42     #
43     #
44     #####
45
46     grad_x = np.copy(x)
47     grad_x[grad_x >= 0] = 1
48     grad_x[grad_x < 0] = 0
49     grad_x = grad_x * grad_out
50     #
51     #####
52
53     #                                     END OF YOUR CODE
54     #
55     #
56     #####
57
58     return grad_x

```

1.2.3 Softmax Loss Function

Code submitted to Canvas.

```

1 def softmax_loss(x, y):
2     """
3     Computes the loss and gradient for softmax (cross-entropy) loss
4     function.
5
6     Inputs:

```

```

6   - x: Numpy array of shape (N, C) giving predicted class scores, where
7     x[i, c] gives the predicted score for class c on input sample i
8   - y: Numpy array of shape (N,) giving ground-truth labels, where
9     y[i] = c means that input sample i has ground truth label c, where
10    0 <= c < C.
11
12   Returns a tuple of:
13   - loss: Scalar giving the loss
14   - grad_x: Numpy array of shape (N, C) giving the gradient of the loss
15   with
16     with respect to x
17   """
18   loss, grad_x = None, None
19   #
20   #####
21   # TODO: Implement softmax loss
22   #
23   #
24   #####
25
26   N, _ = x.shape
27   y_one_hot = np.zeros_like(x)
28   y_one_hot[np.arange(N), y] = 1
29
30   shifted_x = x - np.max(x, axis=1, keepdims=True)
31   log_probs = shifted_x - np.log( np.sum(np.exp(shifted_x), axis=1,
32   keepdims=True) )
33   probs = np.exp(log_probs)
34   loss = - np.sum(y_one_hot * log_probs) / N
35
36   grad_x = (probs - y_one_hot) / N
37   #
38   #####
39
40   #                                     END OF YOUR CODE
41   #
42   #
43   #####
44
45   return loss, grad_x

```

1.2.4 L2 Regularization

Code submitted to Canvas.

```

1 def l2_regularization(w, reg):
2     """
3     Computes loss and gradient for L2 regularization of a weight matrix:
4
5     loss = (reg / 2) * sum_i w_i^2
6
7     Where the sum ranges over all elements of w.
8

```

```

9     Inputs:
10     - w: Numpy array of any shape
11     - reg: float giving the regularization strength
12
13     Returns:
14     """
15     loss, grad_w = None, None
16     #
17     #####
18     # TODO: Implement L2 regularization.
19     #
20     #
21     #####
22     loss = (reg / 2) * np.sum(w ** 2)
23
24     grad_w = reg * w
25     #
26     #####
27
28     #                                     END OF YOUR CODE
29     #
30     #
31     #####
32
33     return loss, grad_w

```

1.3 Task 3: Implementing a Two-layer Network

Code submitted to Canvas.

```

1 import numpy as np
2 from classifier import Classifier
3 from layers import fc_forward, fc_backward, relu_forward, relu_backward
4
5
6 class TwoLayerNet(Classifier):
7     """
8     A neural network with two layers, using a ReLU nonlinearity on its one
9     hidden layer. That is, the architecture should be:
10
11     input -> FC layer -> ReLU layer -> FC layer -> scores
12     """
13     def __init__(self, input_dim=3072, num_classes=10, hidden_dim=512,
14                  weight_scale=1e-3):
15         """
16         Initialize a new two layer network.
17
18         Inputs:
19         - input_dim: The number of dimensions in the input.
20         - num_classes: The number of classes over which to classify
21         - hidden_dim: The size of the hidden layer

```

```

22     - weight_scale: The weight matrices of the model will be
    initialized
23         from a Gaussian distribution with standard deviation equal to
24         weight_scale. The bias vectors of the model will always be
25         initialized to zero.
26     """
27     #
28     #####
29     # TODO: Initialize the weights and biases of a two-layer network.
30     #
31     #####
32     self.W1 = np.random.normal(0, weight_scale, size=(input_dim,
    hidden_dim))
33     self.b1 = np.zeros(hidden_dim)
34     self.W2 = np.random.normal(0, weight_scale, size=(hidden_dim,
    num_classes))
35     self.b2 = np.zeros(num_classes)
36     #
37     #####
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57         # during the backward pass.
58         #
59         #####
60         params = self.parameters()
61         h1, cache1 = fc_forward(X, params["W1"], params["b1"])
62         h2, cache2 = relu_forward(h1)
63         scores, cache3 = fc_forward(h2, params["W2"], params["b2"])
64         cache = (cache1, cache2, cache3)
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1.4 Task 4: Training Two-Layer Networks

1.4.1 Training_step()

Code submitted to Canvas.

```
1 def training_step(model, X_batch, y_batch, reg):
```

```

2     """
3     Compute the loss and gradients for a single training iteration of a
4     model
5     given a minibatch of data. The loss should be a sum of a cross-entropy
6     loss
7     between the model predictions and the ground-truth image labels, and
8     an L2 regularization term on all weight matrices in the fully-
9     connected
10    layers of the model. You should not regularize the bias vectors.
11
12    Inputs:
13    - model: A Classifier instance
14    - X_batch: A numpy array of shape (N, D) giving a minibatch of images
15    - y_batch: A numpy array of shape (N,) where 0 <= y_batch[i] < C is
16    the
17    ground-truth label for the image X_batch[i]
18    - reg: A float giving the strength of L2 regularization to use.
19
20    Returns a tuple of:
21    - loss: A float giving the loss (data loss + regularization loss) for
22    the
23    model on this minibatch of data
24    - grads: A dictionary giving gradients of the loss with respect to the
25    parameters of the model. In particular grads[k] should be the
26    gradient
27    of the loss with respect to model.parameters()[k].
28    """
29    loss, grads = None, None
30    #
31    #####
32
33    # TODO: Compute the loss and gradient for one training iteration.
34    #
35    #
36    #####
37
38    params = model.parameters()
39    score, caches = model.forward(X_batch)
40    reg_loss_W1, reg_grad_W1 = l2_regularization(params["W1"], reg)
41    reg_loss_W2, reg_grad_W2 = l2_regularization(params["W2"], reg)
42    loss, grad_score = softmax_loss(score, y_batch)
43    loss = loss + reg_loss_W1 + reg_loss_W2
44
45    grads = model.backward(grad_score, caches)
46    grads["W1"] += reg_grad_W1
47    grads["W2"] += reg_grad_W2
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```

```
return loss, grads
```

1.4.2 Result

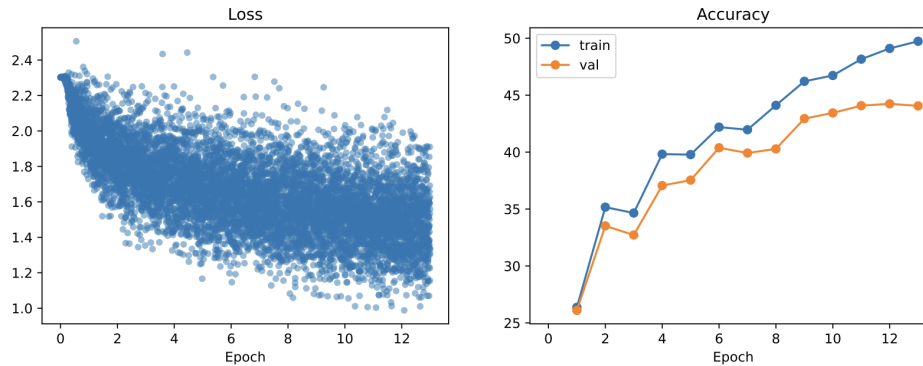


Figure 1: Best model plot

The hyperparameters are:

```
1 # How much data to use for training
2 num_train = 20000
3 # Model architecture hyperparameters.
4 hidden_dim = 200
5 # Optimization hyperparameters.
6 batch_size = 32
7 num_epochs = 13
8 learning_rate = 3e-2
9 reg = 0.00
```

The final test set performance of this model is: 44.82%

1.4.3 Over-fit

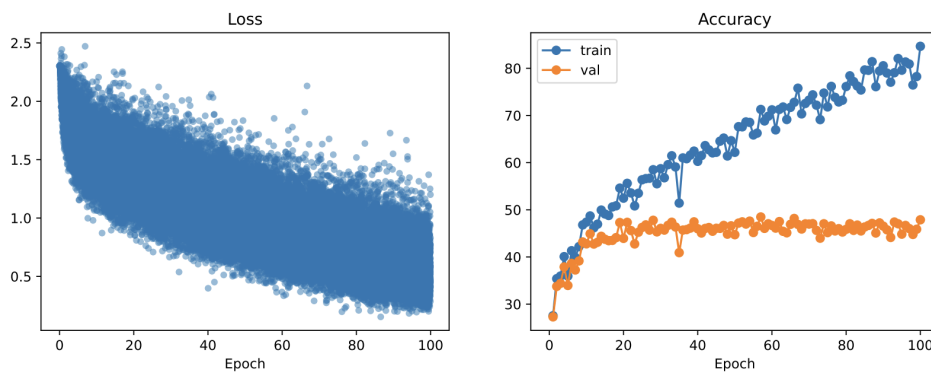


Figure 2: Overfit model plot

The hyperparameters are:

```

1 # How much data to use for training
2 num_train = 20000
3 # Model architecture hyperparameters.
4 hidden_dim = 200
5 # Optimization hyperparameters.
6 batch_size = 32
7 num_epochs = 100
8 learning_rate = 3e-2
9 reg = 0.00

```

2 Section 2

2.1 Task 5: Train Your Own Classification Model

2.1.1 Code Implementation

Code submitted to Canvas.

Notebook pdf file see appendix.

2.1.2 Model structure, Hyperparameter, and Result

I'm using the similar structure as ResNet-18, but only adopting 2 non-bottleneck stage here. The model structure is:

1	Your network:		
2	-----		
3	Layer (type)	Output Shape	Param #
4	=====		
5	Conv2d -1	[-1, 64, 28, 28]	3,200
6	BatchNorm2d -2	[-1, 64, 28, 28]	128
7	MaxPool2d -3	[-1, 64, 14, 14]	0
8	Conv2d -4	[-1, 64, 14, 14]	36,928
9	BatchNorm2d -5	[-1, 64, 14, 14]	128
10	ReLU -6	[-1, 64, 14, 14]	0
11	Conv2d -7	[-1, 64, 14, 14]	36,928
12	BatchNorm2d -8	[-1, 64, 14, 14]	128
13	ReLU -9	[-1, 64, 14, 14]	0
14	Conv2d -10	[-1, 64, 14, 14]	36,928
15	BatchNorm2d -11	[-1, 64, 14, 14]	128
16	ReLU -12	[-1, 64, 14, 14]	0
17	Conv2d -13	[-1, 64, 14, 14]	36,928
18	BatchNorm2d -14	[-1, 64, 14, 14]	128
19	ReLU -15	[-1, 64, 14, 14]	0
20	Conv2d -16	[-1, 128, 7, 7]	8,320
21	BatchNorm2d -17	[-1, 128, 7, 7]	256
22	Conv2d -18	[-1, 128, 7, 7]	73,856
23	BatchNorm2d -19	[-1, 128, 7, 7]	256
24	ReLU -20	[-1, 128, 7, 7]	0
25	Conv2d -21	[-1, 128, 7, 7]	147,584
26	BatchNorm2d -22	[-1, 128, 7, 7]	256
27	ReLU -23	[-1, 128, 7, 7]	0
28	Conv2d -24	[-1, 128, 7, 7]	147,584


```

29      BatchNorm2d -25      [-1, 128, 7, 7]      256
30      ReLU-26      [-1, 128, 7, 7]      0
31      Conv2d-27      [-1, 128, 7, 7]      147,584
32      BatchNorm2d-28      [-1, 128, 7, 7]      256
33      ReLU-29      [-1, 128, 7, 7]      0
34      AvgPool2d-30      [-1, 128, 1, 1]      0
35      Linear-31      [-1, 512]      66,048
36      ReLU-32      [-1, 512]      0
37      Linear-33      [-1, 10]      5,130
38      =====
39      Total params: 748,938
40      Trainable params: 748,938
41      Non-trainable params: 0
42      -----
43      Input size (MB): 0.00
44      Forward/backward pass size (MB): 2.69
45      Params size (MB): 2.86
46      Estimated Total Size (MB): 5.55
47      -----
48      None

```

Hyperparameters:

```

1      batch_size = 64
2      learning_rate, weight_decay, num_epoch = 1e-4, 0.0, 5

```

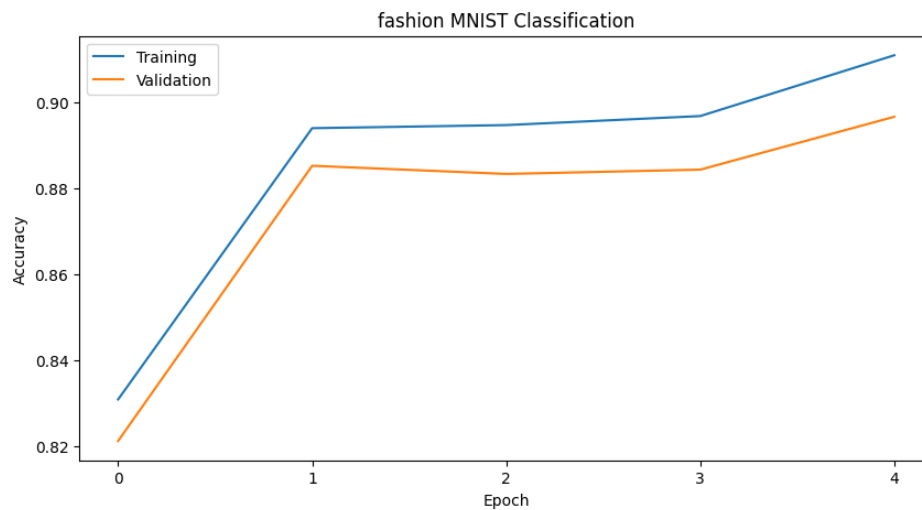


Figure 3: My CNN result on fashion MNIST classification

2.1.3 Best Result

The best accuracy is: 89.17%

2.2 Task 6: Pre-trained NN

Notebook pdf file see appendix

Predicted Class: cup



Figure 4: Cup 1

Predicted Class: measuring_cup



Figure 5: Cup 2

The first cup is correct, but the second cup is not a measuring cup because there is no marked scale. The pre-trained network tends to classify transparent object as measuring cup.

3 Appendix

part1

March 20, 2024

1 EECS 442 Homework 4: Fashion-MNIST Classification

In this part, you will implement and train Convolutional Neural Networks (ConvNets) in PyTorch to classify images. Unlike HW4 Secion 1, backpropagation is automatically inferred by PyTorch, so you only need to write code for the forward pass.

Before we start, please put your name and UMID in following format Firstname
LASTNAME, #00000000 // e.g.) David FOUHEY, #12345678

Your Answer:

Wensong HU #24908654

1.1 Setup

```
[2]: # Run the command in the terminal if it failed on local Jupyter Notebook,␣  
      ↪remove "!" before each line  
      # !pip install torchsummary
```

```
[3]: import numpy as np  
      import matplotlib.pyplot as plt  
      from tqdm import tqdm # Displays a progress bar  
  
      import torch  
      from torch import nn  
      from torch import optim  
      import torch.nn.functional as F  
      from torchsummary import summary  
      from torchvision import datasets, transforms  
      from torch.utils.data import Dataset, Subset, DataLoader, random_split
```

```
[4]: if torch.cuda.is_available():  
      print("Using the GPU. You are good to go!")  
      device = 'cuda'  
else:  
      print("Using the CPU. Overall speed may be slowed down")  
      device = 'cpu'
```

Using the GPU. You are good to go!

1.2 Loading Dataset

The dataset we use is Fashion-MNIST dataset, which is available at <https://github.com/zalandoresearch/fashion-mnist> and in `torchvision.datasets`. Fashion-MNIST has 10 classes, 60000 training+validation images (we have splitted it to have 50000 training images and 10000 validation images, but you can change the numbers), and 10000 test images.

```
[5]: # Load the dataset and train, val, test splits
print("Loading datasets...")
# Transform from [0,255] uint8 to [0,1] float,
# then normalize to zero mean and unit variance
FASHION_transform = transforms.Compose([
    transforms.ToTensor(),
    transforms.Normalize([0.2859], [0.3530])
])
FASHION_trainval = datasets.FashionMNIST('.', download=True, train=True,
                                         transform=FASHION_transform)
FASHION_train = Subset(FASHION_trainval, range(50000))
FASHION_val = Subset(FASHION_trainval, range(50000, 60000))
FASHION_test = datasets.FashionMNIST('.', download=True, train=False,
                                     transform=FASHION_transform)

print("Done!")
```

Loading datasets...

Done!

Now, we will create the dataloader for train, val and test dataset. You are free to experiment with different batch sizes.

```
[6]: # Create dataloaders
#####
# TODO: Experiment with different batch sizes                                     #
#####
batch_size = 64
#####
#                                     END OF YOUR CODE                             #
#####
trainloader = DataLoader(FASHION_train, batch_size=batch_size, shuffle=True)
valloader = DataLoader(FASHION_val, batch_size=batch_size, shuffle=True)
testloader = DataLoader(FASHION_test, batch_size=batch_size, shuffle=True)
```

1.3 Model

Initialize your model and experiment with with different optimizers, parameters (such as learning rate) and number of epochs.

```
[7]: class Network(nn.Module):
      def __init__(self):
          super().__init__()
```

```

#####
# TODO: Design your own network, define layers here.
#
# Here We provide a sample of two-layer fc network from HW4 Part3.
#
# Your solution, however, should contain convolutional layers.
#
# Refer to PyTorch documentations of torch.nn to pick your layers.
#
# (https://pytorch.org/docs/stable/nn.html)
#
# Some common choices: Linear, Conv2d, ReLU, MaxPool2d, AvgPool2d,
Dropout
#
# If you have many layers, use nn.Sequential() to simplify your code
#
#####
# stem: 3*28*28 -> 64 * 14* 14
self.stem = torch.nn.Sequential(torch.nn.Conv2d(1, 64, kernel_size=7,
stride=1, padding=3),
                                torch.nn.BatchNorm2d(64),
                                torch.nn.MaxPool2d(kernel_size=3,
stride=2, padding=1))
# stage1: 64 * 14 * 14 -> 64 * 14 * 14
self.resblock1 = torch.nn.Sequential(torch.nn.Conv2d(64, 64,
kernel_size=3, stride=1, padding=1),
                                torch.nn.BatchNorm2d(64),
                                torch.nn.ReLU(inplace=True),
                                torch.nn.Conv2d(64, 64,
kernel_size=3, stride=1, padding=1),
                                torch.nn.BatchNorm2d(64))
self.resblock2 = torch.nn.Sequential(torch.nn.Conv2d(64, 64,
kernel_size=3, stride=1, padding=1),
                                torch.nn.BatchNorm2d(64),
                                torch.nn.ReLU(inplace=True),
                                torch.nn.Conv2d(64, 64,
kernel_size=3, stride=1, padding=1),
                                torch.nn.BatchNorm2d(64))
# stage2: 64 * 14 * 14 -> 128 * 7 * 7
self.resblock3 = torch.nn.Sequential(torch.nn.Conv2d(64, 128,
kernel_size=3, stride=2, padding=1),
                                torch.nn.BatchNorm2d(128),
                                torch.nn.ReLU(inplace=True),
                                torch.nn.Conv2d(128, 128,
kernel_size=3, stride=1, padding=1),

```

```

                                torch.nn.BatchNorm2d(128))
        self.resblock4 = torch.nn.Sequential(torch.nn.Conv2d(128, 128,
↪kernel_size=3, stride=1, padding=1),
                                torch.nn.BatchNorm2d(128),
                                torch.nn.ReLU(inplace=True),
                                torch.nn.Conv2d(128, 128,
↪kernel_size=3, stride=1, padding=1),
                                torch.nn.BatchNorm2d(128))

        # fc layer:
        self.pool = torch.nn.AvgPool2d(kernel_size=7)
        self.fc = torch.nn.Sequential(torch.nn.Linear(128, 512),
                                torch.nn.ReLU(inplace=True),
                                torch.nn.Linear(512, 10))

        # downsample
        self.projection = torch.nn.Sequential(torch.nn.Conv2d(64, 128,
↪kernel_size=1, stride=2),
                                torch.nn.BatchNorm2d(128))

        #ReLU
        self.relu = torch.nn.ReLU(inplace=True)

↪#####
        #                                END OF YOUR CODE                                ↪
↪#
↪#####

def forward(self, x):
↪#####
        # TODO: Design your own network, implement forward pass here                                ↪
↪#
↪#####
        # print(x.shape)
        N, C, H, W = x.shape

        # stem
        x = self.stem(x)
        # print(x.shape)

        # stage1
        x_res = torch.clone(x)
        x = self.resblock1(x)
        x += x_res
        x = self.relu(x)

```

```

        # print(x.shape)

        x_res = torch.clone(x)
        x = self.resblock2(x)
        x += x_res
        x = self.relu(x)
        # print(x.shape)

        # stage2
        x_res = self.projection(x)
        x = self.resblock3(x)
        x += x_res
        x = self.relu(x)
        # print(x.shape)

        x_res = torch.clone(x)
        x = self.resblock4(x)
        x += x_res
        x = self.relu(x)
        # print(x.shape)

        # fc layer
        x = self.pool(x)
        # print(x.shape)
        x = torch.flatten(x, start_dim=1)
        # print(x.shape)
        x = self.fc(x)

    return x

↳ #####
    #                                     END OF YOUR CODE                                     ↳
↳ #
    ↳
↳ #####

model = Network().to(device)
criterion = nn.CrossEntropyLoss() # Specify the loss layer
print('Your network:')
print(summary(model, (1,28,28), device=device)) # visualize your model

#####
# TODO: Modify the lines below to experiment with different optimizers,      #
# parameters (such as learning rate) and number of epochs.                  #
#####
# Set up optimization hyperparameters
learning_rate, weight_decay, num_epoch = 1e-4, 0.0, 5

```

```
optimizer = torch.optim.Adam(model.parameters(), lr=learning_rate,
↪weight_decay=weight_decay)
#####
#                               END OF YOUR CODE                               #
#####
```

Your network:

Layer (type)	Output Shape	Param #
=====		
Conv2d-1	[-1, 64, 28, 28]	3,200
BatchNorm2d-2	[-1, 64, 28, 28]	128
MaxPool2d-3	[-1, 64, 14, 14]	0
Conv2d-4	[-1, 64, 14, 14]	36,928
BatchNorm2d-5	[-1, 64, 14, 14]	128
ReLU-6	[-1, 64, 14, 14]	0
Conv2d-7	[-1, 64, 14, 14]	36,928
BatchNorm2d-8	[-1, 64, 14, 14]	128
ReLU-9	[-1, 64, 14, 14]	0
Conv2d-10	[-1, 64, 14, 14]	36,928
BatchNorm2d-11	[-1, 64, 14, 14]	128
ReLU-12	[-1, 64, 14, 14]	0
Conv2d-13	[-1, 64, 14, 14]	36,928
BatchNorm2d-14	[-1, 64, 14, 14]	128
ReLU-15	[-1, 64, 14, 14]	0
Conv2d-16	[-1, 128, 7, 7]	8,320
BatchNorm2d-17	[-1, 128, 7, 7]	256
Conv2d-18	[-1, 128, 7, 7]	73,856
BatchNorm2d-19	[-1, 128, 7, 7]	256
ReLU-20	[-1, 128, 7, 7]	0
Conv2d-21	[-1, 128, 7, 7]	147,584
BatchNorm2d-22	[-1, 128, 7, 7]	256
ReLU-23	[-1, 128, 7, 7]	0
Conv2d-24	[-1, 128, 7, 7]	147,584
BatchNorm2d-25	[-1, 128, 7, 7]	256
ReLU-26	[-1, 128, 7, 7]	0
Conv2d-27	[-1, 128, 7, 7]	147,584
BatchNorm2d-28	[-1, 128, 7, 7]	256
ReLU-29	[-1, 128, 7, 7]	0
AvgPool2d-30	[-1, 128, 1, 1]	0
Linear-31	[-1, 512]	66,048
ReLU-32	[-1, 512]	0
Linear-33	[-1, 10]	5,130
=====		

Total params: 748,938

Trainable params: 748,938

Non-trainable params: 0

Input size (MB): 0.00
Forward/backward pass size (MB): 2.69
Params size (MB): 2.86
Estimated Total Size (MB): 5.55

None

Run the cell below to start your training, we expect you to achieve over **85%** on the test set. A valid solution that meet the requirement take no more than **10 minutes** on normal PC Intel core CPU setting. If your solution takes too long to train, try to simplify your model or reduce the number of epochs.

```
[8]: %%time
def train(model, trainloader, valloader, num_epoch=10): # Train the model
    print("Start training...")
    trn_loss_hist = []
    trn_acc_hist = []
    val_acc_hist = []
    model.train() # Set the model to training mode
    for i in range(num_epoch):
        running_loss = []
        print('-----Epoch = %d-----' % (i+1))
        for batch, label in tqdm(trainloader):
            batch = batch.to(device)
            label = label.to(device)
            optimizer.zero_grad() # Clear gradients from the previous iteration
            # This will call Network.forward() that you implement
            pred = model(batch)
            loss = criterion(pred, label) # Calculate the loss
            running_loss.append(loss.item())
            loss.backward() # Backprop gradients to all tensors in the network
            optimizer.step() # Update trainable weights
        print("\n Epoch {} loss:{}".format(i+1, np.mean(running_loss)))

        # Keep track of training loss, accuracy, and validation loss
        trn_loss_hist.append(np.mean(running_loss))
        trn_acc_hist.append(evaluate(model, trainloader))
        print("\n Evaluate on validation set...")
        val_acc_hist.append(evaluate(model, valloader))
    print("Done!")
    return trn_loss_hist, trn_acc_hist, val_acc_hist

def evaluate(model, loader): # Evaluate accuracy on validation / test set
    model.eval() # Set the model to evaluation mode
    correct = 0
    with torch.no_grad(): # Do not calculate gradient to speed up computation
        for batch, label in tqdm(loader):
```

```

        batch = batch.to(device)
        label = label.to(device)
        pred = model(batch)
        correct += (torch.argmax(pred, dim=1) == label).sum().item()
    acc = correct/len(loader.dataset)
    print("\n Evaluation accuracy: {}".format(acc))
    return acc

trn_loss_hist, trn_acc_hist, val_acc_hist = train(model, trainloader,
                                                  valloader, num_epoch)

#####
# TODO: Note down the evaluation accuracy on test set                                     #
#####
print("\n Evaluate on test set")
evaluate(model, testloader)
#5: 64, 1e-4, 0.95, 5: 0.7843
#6: 64, 1e-4, 0.98, 5: 0.7851
#7: 64, 1e-4, 0.00, 5: 0.8917

```

Start training...

-----Epoch = 1-----

0%| | 0/782 [00:00<?, ?it/s]100%| | 782/782 [00:13<00:00, 59.46it/s]

Epoch 1 loss:0.5725756988424779

100%| | 782/782 [00:07<00:00, 99.74it/s]

Evaluation accuracy: 0.83086

Evaluate on validation set...

100%| | 157/157 [00:01<00:00, 96.58it/s]

Evaluation accuracy: 0.8212

-----Epoch = 2-----

100%| | 782/782 [00:12<00:00, 61.51it/s]

Epoch 2 loss:0.38106703539105025

100%| | 782/782 [00:07<00:00, 101.50it/s]

Evaluation accuracy: 0.89394

```

Evaluate on validation set...
100%|      | 157/157 [00:01<00:00, 98.84it/s]

Evaluation accuracy: 0.8852
-----Epoch = 3-----
100%|      | 782/782 [00:12<00:00, 61.09it/s]

Epoch 3 loss:0.31754977807707496
100%|      | 782/782 [00:07<00:00, 102.77it/s]

Evaluation accuracy: 0.89466

Evaluate on validation set...
100%|      | 157/157 [00:01<00:00, 97.87it/s]

Evaluation accuracy: 0.8833
-----Epoch = 4-----
100%|      | 782/782 [00:12<00:00, 61.65it/s]

Epoch 4 loss:0.2882935323983507
100%|      | 782/782 [00:07<00:00, 101.61it/s]

Evaluation accuracy: 0.89676

Evaluate on validation set...
100%|      | 157/157 [00:01<00:00, 101.90it/s]

Evaluation accuracy: 0.8843
-----Epoch = 5-----
100%|      | 782/782 [00:12<00:00, 61.54it/s]

Epoch 5 loss:0.2685324148086788
100%|      | 782/782 [00:07<00:00, 99.73it/s]

Evaluation accuracy: 0.9109

Evaluate on validation set...

```

```
100%|      | 157/157 [00:01<00:00, 101.33it/s]
```

```
Evaluation accuracy: 0.8966  
Done!
```

```
Evaluate on test set
```

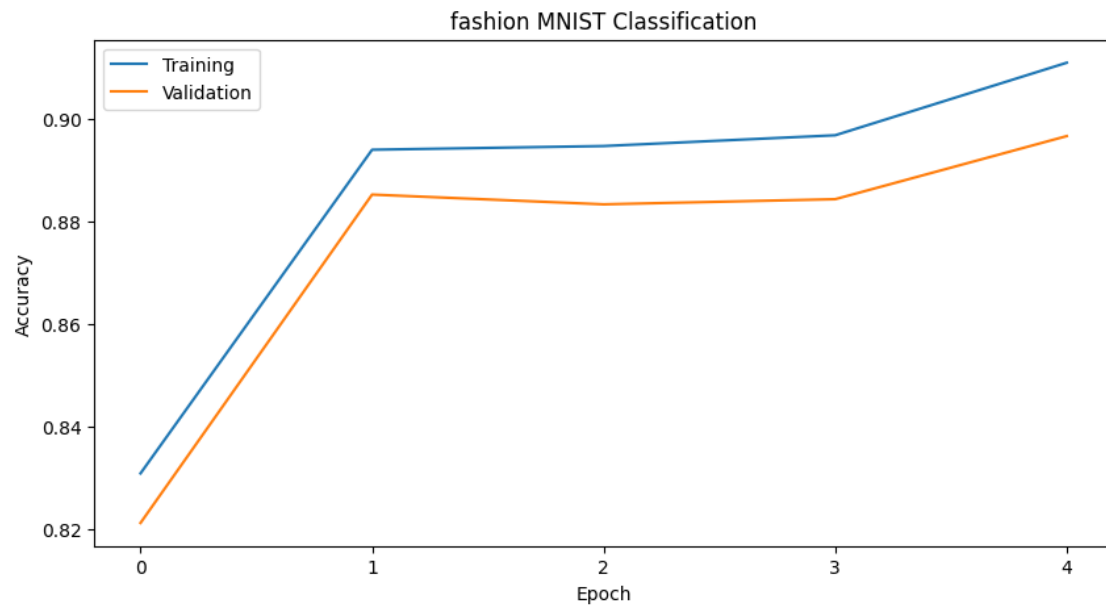
```
100%|      | 157/157 [00:01<00:00, 103.19it/s]
```

```
Evaluation accuracy: 0.8917  
CPU times: user 1min 54s, sys: 512 ms, total: 1min 54s  
Wall time: 1min 52s
```

```
[8]: 0.8917
```

Once your training is complete, run the cell below to visualize the training and validation accuracies across iterations.

```
[9]: #####  
# TODO: Submit the accuracy plot                                     #  
#####  
# visualize the training / validation accuracies  
x = np.arange(num_epoch)  
# train/val accuracies for MiniVGG  
plt.figure()  
plt.plot(x, trn_acc_hist)  
plt.plot(x, val_acc_hist)  
plt.legend(['Training', 'Validation'])  
plt.xticks(x)  
plt.xlabel('Epoch')  
plt.ylabel('Accuracy')  
plt.title('fashion MNIST Classification')  
plt.gcf().set_size_inches(10, 5)  
plt.savefig('part1.png', dpi=300)  
plt.show()
```



part2

March 20, 2024

1 EECS 442 Homework 4 - PyTorch ConvNets

In this notebook we will explore how to use a pre-trained PyTorch convolution neural network (ConvNet).

Before we start, please put your name and UMID in following format Firstname
LASTNAME, #00000000 // e.g.) David FOUHEY, #12345678

Your Answer:

Wensong HU #24908654

1.1 Setup

```
[1]: import os
import json
import torch
import torchvision
import torchvision.transforms as T
import random
import numpy as np
from scipy.ndimage.filters import gaussian_filter1d
import matplotlib.pyplot as plt
SQUEEZENET_MEAN = torch.tensor([0.485, 0.456, 0.406], dtype=torch.float)
SQUEEZENET_STD = torch.tensor([0.229, 0.224, 0.225], dtype=torch.float)
from PIL import Image

%matplotlib inline
plt.rcParams['figure.figsize'] = (10.0, 8.0) # set default size of plots
plt.rcParams['image.interpolation'] = 'nearest'
plt.rcParams['image.cmap'] = 'gray'

/tmp/ipykernel_1781330/770024508.py:8: DeprecationWarning: Please import
`gaussian_filter1d` from the `scipy.ndimage` namespace; the
`scipy.ndimage.filters` namespace is deprecated and will be removed in SciPy
2.0.0.
    from scipy.ndimage.filters import gaussian_filter1d
```

```
[2]: if torch.cuda.is_available():
    print("Using the GPU. You are good to go!")
```

```

        device = 'cuda'
    else:
        print("Using the CPU. Overall speed may be slowed down")
        device = 'cpu'

```

Using the GPU. You are good to go!

For all of our experiments, we will start with a convolutional neural network which was pretrained to perform image classification on ImageNet [1]. We can use any model here, but for the purposes of this assignment we will use SqueezeNet [2], which achieves accuracies comparable to AlexNet but with a significantly reduced parameter count and computational complexity.

Using SqueezeNet rather than AlexNet or VGG or ResNet means that we can easily perform all experiments without heavy computation. Run the following cell to download and initialize your model.

[1] Olga Russakovsky, *Jia Deng*, Hao Su, Jonathan Krause, Sanjeev Satheesh, Sean Ma, Zhiheng Huang, Andrej Karpathy, Aditya Khosla, Michael Bernstein, Alexander C. Berg and Li Fei-Fei. ImageNet Large Scale Visual Recognition Challenge. IJCV, 2015

[2] Iandola et al, “SqueezeNet: AlexNet-level accuracy with 50x fewer parameters and < 0.5MB model size”, arXiv 2016

```

[3]: print('Download and load the pretrained SqueezeNet model.')
model = torchvision.models.squeezenet1_1(pretrained=True).to(device)

# We don't want to train the model, so tell PyTorch not to compute gradients
# with respect to model parameters.
for param in model.parameters():
    param.requires_grad = False

# Make sure the model is in "eval" mode
model.eval()

# you may see warning regarding initialization deprecated, that's fine,
# please continue to next steps

```

Download and load the pretrained SqueezeNet model.

```

/home/umhws/anaconda3/envs/eecs442/lib/python3.10/site-
packages/torchvision/models/_utils.py:208: UserWarning: The parameter
'pretrained' is deprecated since 0.13 and may be removed in the future, please
use 'weights' instead.
  warnings.warn(
/home/umhws/anaconda3/envs/eecs442/lib/python3.10/site-
packages/torchvision/models/_utils.py:223: UserWarning: Arguments other than a
weight enum or `None` for 'weights' are deprecated since 0.13 and may be removed
in the future. The current behavior is equivalent to passing
`weights=SqueezeNet1_1_Weights.IMAGENET1K_V1`. You can also use
`weights=SqueezeNet1_1_Weights.DEFAULT` to get the most up-to-date weights.
  warnings.warn(msg)

```

```

[3]: SqueezeNet(
    (features): Sequential(
      (0): Conv2d(3, 64, kernel_size=(3, 3), stride=(2, 2))
      (1): ReLU(inplace=True)
      (2): MaxPool2d(kernel_size=3, stride=2, padding=0, dilation=1,
ceil_mode=True)
      (3): Fire(
        (squeeze): Conv2d(64, 16, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(16, 64, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(16, 64, kernel_size=(3, 3), stride=(1, 1), padding=(1,
1))
        (expand3x3_activation): ReLU(inplace=True)
      )
      (4): Fire(
        (squeeze): Conv2d(128, 16, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(16, 64, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(16, 64, kernel_size=(3, 3), stride=(1, 1), padding=(1,
1))
        (expand3x3_activation): ReLU(inplace=True)
      )
      (5): MaxPool2d(kernel_size=3, stride=2, padding=0, dilation=1,
ceil_mode=True)
      (6): Fire(
        (squeeze): Conv2d(128, 32, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(32, 128, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(32, 128, kernel_size=(3, 3), stride=(1, 1),
padding=(1, 1))
        (expand3x3_activation): ReLU(inplace=True)
      )
      (7): Fire(
        (squeeze): Conv2d(256, 32, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(32, 128, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(32, 128, kernel_size=(3, 3), stride=(1, 1),
padding=(1, 1))
        (expand3x3_activation): ReLU(inplace=True)
      )
      (8): MaxPool2d(kernel_size=3, stride=2, padding=0, dilation=1,
ceil_mode=True)
      (9): Fire(

```



```

        (squeeze): Conv2d(256, 48, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(48, 192, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(48, 192, kernel_size=(3, 3), stride=(1, 1),
padding=(1, 1))
        (expand3x3_activation): ReLU(inplace=True)
    )
    (10): Fire(
        (squeeze): Conv2d(384, 48, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(48, 192, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(48, 192, kernel_size=(3, 3), stride=(1, 1),
padding=(1, 1))
        (expand3x3_activation): ReLU(inplace=True)
    )
    (11): Fire(
        (squeeze): Conv2d(384, 64, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(64, 256, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(64, 256, kernel_size=(3, 3), stride=(1, 1),
padding=(1, 1))
        (expand3x3_activation): ReLU(inplace=True)
    )
    (12): Fire(
        (squeeze): Conv2d(512, 64, kernel_size=(1, 1), stride=(1, 1))
        (squeeze_activation): ReLU(inplace=True)
        (expand1x1): Conv2d(64, 256, kernel_size=(1, 1), stride=(1, 1))
        (expand1x1_activation): ReLU(inplace=True)
        (expand3x3): Conv2d(64, 256, kernel_size=(3, 3), stride=(1, 1),
padding=(1, 1))
        (expand3x3_activation): ReLU(inplace=True)
    )
    )
    (classifier): Sequential(
        (0): Dropout(p=0.5, inplace=False)
        (1): Conv2d(512, 1000, kernel_size=(1, 1), stride=(1, 1))
        (2): ReLU(inplace=True)
        (3): AdaptiveAvgPool2d(output_size=(1, 1))
    )
)

```

Next, we will download the imagenet labels which we are going to use in the notebook. ImageNet labels are stored in the `idx2label` dictionary of `{index(int): label(str)}`.

```
[4]: # Loading the imagenet class labels
# If this cell failed due to wget problem, you can put the link below into your
# browser to download the file directly
# Put the downloaded file under the same directory as this jupyter notebook
!wget https://s3.amazonaws.com/deep-learning-models/image-models/
# imagenet_class_index.json

class_idx = json.load(open("imagenet_class_index.json"))
idx2label = {k:class_idx[str(k)][1] for k in range(len(class_idx))}
idx2label
```

```
--2024-03-20 13:42:07-- https://s3.amazonaws.com/deep-learning-models/image-
models/imagenet_class_index.json
Resolving s3.amazonaws.com (s3.amazonaws.com)... 52.217.200.40, 54.231.172.152,
52.216.113.205, ...
Connecting to s3.amazonaws.com (s3.amazonaws.com)|52.217.200.40|:443...
connected.
```

```
HTTP request sent, awaiting response... 200 OK
Length: 35363 (35K) [application/octet-stream]
Saving to: 'imagenet_class_index.json.1'
```

```
imagenet_class_index 100%[=====>] 34.53K --.-KB/s in 0.03s
```

```
2024-03-20 13:42:07 (1.29 MB/s) - 'imagenet_class_index.json.1' saved
[35363/35363]
```

```
[4]: {0: 'tench',
1: 'goldfish',
2: 'great_white_shark',
3: 'tiger_shark',
4: 'hammerhead',
5: 'electric_ray',
6: 'stingray',
7: 'cock',
8: 'hen',
9: 'ostrich',
10: 'brambling',
11: 'goldfinch',
12: 'house_finch',
13: 'junco',
14: 'indigo_bunting',
15: 'robin',
16: 'bulbul',
17: 'jay',
18: 'magpie',
19: 'chickadee',
```

20: 'water_ouzel',
21: 'kite',
22: 'bald_eagle',
23: 'vulture',
24: 'great_grey_owl',
25: 'European_fire_salamander',
26: 'common_newt',
27: 'eft',
28: 'spotted_salamander',
29: 'axolotl',
30: 'bullfrog',
31: 'tree_frog',
32: 'tailed_frog',
33: 'loggerhead',
34: 'leatherback_turtle',
35: 'mud_turtle',
36: 'terrapin',
37: 'box_turtle',
38: 'banded_gecko',
39: 'common_iguana',
40: 'American_chameleon',
41: 'whiptail',
42: 'agama',
43: 'frilled_lizard',
44: 'alligator_lizard',
45: 'Gila_monster',
46: 'green_lizard',
47: 'African_chameleon',
48: 'Komodo_dragon',
49: 'African_crocodile',
50: 'American_alligator',
51: 'triceratops',
52: 'thunder_snake',
53: 'ringneck_snake',
54: 'hognose_snake',
55: 'green_snake',
56: 'king_snake',
57: 'garter_snake',
58: 'water_snake',
59: 'vine_snake',
60: 'night_snake',
61: 'boa_constrictor',
62: 'rock_python',
63: 'Indian_cobra',
64: 'green_mamba',
65: 'sea_snake',
66: 'horned_viper',

67: 'diamondback',
68: 'sidewinder',
69: 'trilobite',
70: 'harvestman',
71: 'scorpion',
72: 'black_and_gold_garden_spider',
73: 'barn_spider',
74: 'garden_spider',
75: 'black_widow',
76: 'tarantula',
77: 'wolf_spider',
78: 'tick',
79: 'centipede',
80: 'black_grouse',
81: 'ptarmigan',
82: 'ruffed_grouse',
83: 'prairie_chicken',
84: 'peacock',
85: 'quail',
86: 'partridge',
87: 'African_grey',
88: 'macaw',
89: 'sulphur-crested_cockatoo',
90: 'lorikeet',
91: 'coucal',
92: 'bee_eater',
93: 'hornbill',
94: 'hummingbird',
95: 'jacamar',
96: 'toucan',
97: 'drake',
98: 'red-breasted_merganser',
99: 'goose',
100: 'black_swan',
101: 'tusker',
102: 'echidna',
103: 'platypus',
104: 'wallaby',
105: 'koala',
106: 'wombat',
107: 'jellyfish',
108: 'sea_anemone',
109: 'brain_coral',
110: 'flatworm',
111: 'nematode',
112: 'conch',
113: 'snail',

114: 'slug',
115: 'sea_slug',
116: 'chiton',
117: 'chambered_nautilus',
118: 'Dungeness_crab',
119: 'rock_crab',
120: 'fiddler_crab',
121: 'king_crab',
122: 'American_lobster',
123: 'spiny_lobster',
124: 'crayfish',
125: 'hermit_crab',
126: 'isopod',
127: 'white_stork',
128: 'black_stork',
129: 'spoonbill',
130: 'flamingo',
131: 'little_blue_heron',
132: 'American_egret',
133: 'bittern',
134: 'crane',
135: 'limpkin',
136: 'European_gallinule',
137: 'American_coot',
138: 'bustard',
139: 'ruddy_turnstone',
140: 'red-backed_sandpiper',
141: 'redshank',
142: 'dowitcher',
143: 'oystercatcher',
144: 'pelican',
145: 'king_penguin',
146: 'albatross',
147: 'grey_whale',
148: 'killer_whale',
149: 'dugong',
150: 'sea_lion',
151: 'Chihuahua',
152: 'Japanese_spaniel',
153: 'Maltese_dog',
154: 'Pekinese',
155: 'Shih-Tzu',
156: 'Blenheim_spaniel',
157: 'papillon',
158: 'toy_terrier',
159: 'Rhodesian_ridgeback',
160: 'Afghan_hound',

161: 'basset',
162: 'beagle',
163: 'bloodhound',
164: 'bluetick',
165: 'black-and-tan_coonhound',
166: 'Walker_hound',
167: 'English_foxhound',
168: 'redbone',
169: 'borzoi',
170: 'Irish_wolfhound',
171: 'Italian_greyhound',
172: 'whippet',
173: 'Ibizan_hound',
174: 'Norwegian_elkhound',
175: 'otterhound',
176: 'Saluki',
177: 'Scottish_deerhound',
178: 'Weimaraner',
179: 'Staffordshire_bullterrier',
180: 'American_Staffordshire_terrier',
181: 'Bedlington_terrier',
182: 'Border_terrier',
183: 'Kerry_blue_terrier',
184: 'Irish_terrier',
185: 'Norfolk_terrier',
186: 'Norwich_terrier',
187: 'Yorkshire_terrier',
188: 'wire-haired_fox_terrier',
189: 'Lakeland_terrier',
190: 'Sealyham_terrier',
191: 'Airedale',
192: 'cairn',
193: 'Australian_terrier',
194: 'Dandie_Dinmont',
195: 'Boston_bull',
196: 'miniature_schnauzer',
197: 'giant_schnauzer',
198: 'standard_schnauzer',
199: 'Scotch_terrier',
200: 'Tibetan_terrier',
201: 'silky_terrier',
202: 'soft-coated_wheaten_terrier',
203: 'West_Highland_white_terrier',
204: 'Lhasa',
205: 'flat-coated_retriever',
206: 'curly-coated_retriever',
207: 'golden_retriever',

208: 'Labrador_retriever',
209: 'Chesapeake_Bay_retriever',
210: 'German_short-haired_pointer',
211: 'vizsla',
212: 'English_setter',
213: 'Irish_setter',
214: 'Gordon_setter',
215: 'Brittany_spaniel',
216: 'clumber',
217: 'English_springer',
218: 'Welsh_springer_spaniel',
219: 'cocker_spaniel',
220: 'Sussex_spaniel',
221: 'Irish_water_spaniel',
222: 'kuvasz',
223: 'schipperke',
224: 'groenendael',
225: 'malinois',
226: 'briard',
227: 'kelpie',
228: 'komondor',
229: 'Old_English_sheepdog',
230: 'Shetland_sheepdog',
231: 'collie',
232: 'Border_collie',
233: 'Bouvier_des_Flandres',
234: 'Rottweiler',
235: 'German_shepherd',
236: 'Doberman',
237: 'miniature_pinscher',
238: 'Greater_Swiss_Mountain_dog',
239: 'Bernese_mountain_dog',
240: 'Appenzeller',
241: 'EntleBucher',
242: 'boxer',
243: 'bull_mastiff',
244: 'Tibetan_mastiff',
245: 'French_bulldog',
246: 'Great_Dane',
247: 'Saint_Bernard',
248: 'Eskimo_dog',
249: 'malamute',
250: 'Siberian_husky',
251: 'dalmatian',
252: 'affenpinscher',
253: 'basenji',
254: 'pug',

255: 'Leonberg',
256: 'Newfoundland',
257: 'Great_Pyrenees',
258: 'Samoyed',
259: 'Pomeranian',
260: 'chow',
261: 'keeshond',
262: 'Brabancon_griffon',
263: 'Pembroke',
264: 'Cardigan',
265: 'toy_poodle',
266: 'miniature_poodle',
267: 'standard_poodle',
268: 'Mexican_hairless',
269: 'timber_wolf',
270: 'white_wolf',
271: 'red_wolf',
272: 'coyote',
273: 'dingo',
274: 'dhole',
275: 'African_hunting_dog',
276: 'hyena',
277: 'red_fox',
278: 'kit_fox',
279: 'Arctic_fox',
280: 'grey_fox',
281: 'tabby',
282: 'tiger_cat',
283: 'Persian_cat',
284: 'Siamese_cat',
285: 'Egyptian_cat',
286: 'cougar',
287: 'lynx',
288: 'leopard',
289: 'snow_leopard',
290: 'jaguar',
291: 'lion',
292: 'tiger',
293: 'cheetah',
294: 'brown_bear',
295: 'American_black_bear',
296: 'ice_bear',
297: 'sloth_bear',
298: 'mongoose',
299: 'meerkat',
300: 'tiger_beetle',
301: 'ladybug',

302: 'ground_beetle',
303: 'long-horned_beetle',
304: 'leaf_beetle',
305: 'dung_beetle',
306: 'rhinoceros_beetle',
307: 'weevil',
308: 'fly',
309: 'bee',
310: 'ant',
311: 'grasshopper',
312: 'cricket',
313: 'walking_stick',
314: 'cockroach',
315: 'mantis',
316: 'cicada',
317: 'leafhopper',
318: 'lacewing',
319: 'dragonfly',
320: 'damselfly',
321: 'admiral',
322: 'ringlet',
323: 'monarch',
324: 'cabbage_butterfly',
325: 'sulphur_butterfly',
326: 'lycaenid',
327: 'starfish',
328: 'sea_urchin',
329: 'sea_cucumber',
330: 'wood_rabbit',
331: 'hare',
332: 'Angora',
333: 'hamster',
334: 'porcupine',
335: 'fox_squirrel',
336: 'marmot',
337: 'beaver',
338: 'guinea_pig',
339: 'sorrel',
340: 'zebra',
341: 'hog',
342: 'wild_boar',
343: 'warthog',
344: 'hippopotamus',
345: 'ox',
346: 'water_buffalo',
347: 'bison',
348: 'ram',

349: 'bighorn',
350: 'ibex',
351: 'hartebeest',
352: 'impala',
353: 'gazelle',
354: 'Arabian_camel',
355: 'llama',
356: 'weasel',
357: 'mink',
358: 'polecat',
359: 'black-footed_ferret',
360: 'otter',
361: 'skunk',
362: 'badger',
363: 'armadillo',
364: 'three-toed_sloth',
365: 'orangutan',
366: 'gorilla',
367: 'chimpanzee',
368: 'gibbon',
369: 'siamang',
370: 'guenon',
371: 'patas',
372: 'baboon',
373: 'macaque',
374: 'langur',
375: 'colobus',
376: 'proboscis_monkey',
377: 'marmoset',
378: 'capuchin',
379: 'howler_monkey',
380: 'titi',
381: 'spider_monkey',
382: 'squirrel_monkey',
383: 'Madagascar_cat',
384: 'indri',
385: 'Indian_elephant',
386: 'African_elephant',
387: 'lesser_panda',
388: 'giant_panda',
389: 'barracouta',
390: 'eel',
391: 'coho',
392: 'rock_beauty',
393: 'anemone_fish',
394: 'sturgeon',
395: 'gar',

396: 'lionfish',
397: 'puffer',
398: 'abacus',
399: 'abaya',
400: 'academic_gown',
401: 'accordion',
402: 'acoustic_guitar',
403: 'aircraft_carrier',
404: 'airliner',
405: 'airship',
406: 'altar',
407: 'ambulance',
408: 'amphibian',
409: 'analog_clock',
410: 'apiary',
411: 'apron',
412: 'ashcan',
413: 'assault_rifle',
414: 'backpack',
415: 'bakery',
416: 'balance_beam',
417: 'balloon',
418: 'ballpoint',
419: 'Band_Aid',
420: 'banjo',
421: 'bannister',
422: 'barbell',
423: 'barber_chair',
424: 'barbershop',
425: 'barn',
426: 'barometer',
427: 'barrel',
428: 'barrow',
429: 'baseball',
430: 'basketball',
431: 'bassinet',
432: 'bassoon',
433: 'bathing_cap',
434: 'bath_towel',
435: 'bathtub',
436: 'beach_wagon',
437: 'beacon',
438: 'beaker',
439: 'bearskin',
440: 'beer_bottle',
441: 'beer_glass',
442: 'bell_cote',

443: 'bib',
444: 'bicycle-built-for-two',
445: 'bikini',
446: 'binder',
447: 'binoculars',
448: 'birdhouse',
449: 'boathouse',
450: 'bobsled',
451: 'bolo_tie',
452: 'bonnet',
453: 'bookcase',
454: 'bookshop',
455: 'bottlecap',
456: 'bow',
457: 'bow_tie',
458: 'brass',
459: 'brassiere',
460: 'breakwater',
461: 'breastplate',
462: 'broom',
463: 'bucket',
464: 'buckle',
465: 'bulletproof_vest',
466: 'bullet_train',
467: 'butcher_shop',
468: 'cab',
469: 'caldron',
470: 'candle',
471: 'cannon',
472: 'canoe',
473: 'can_opener',
474: 'cardigan',
475: 'car_mirror',
476: 'carousel',
477: "carpenter's_kit",
478: 'carton',
479: 'car_wheel',
480: 'cash_machine',
481: 'cassette',
482: 'cassette_player',
483: 'castle',
484: 'catamaran',
485: 'CD_player',
486: 'cello',
487: 'cellular_telephone',
488: 'chain',
489: 'chainlink_fence',

490: 'chain_mail',
491: 'chain_saw',
492: 'chest',
493: 'chiffonier',
494: 'chime',
495: 'china_cabinet',
496: 'Christmas_stocking',
497: 'church',
498: 'cinema',
499: 'cleaver',
500: 'cliff_dwelling',
501: 'cloak',
502: 'clog',
503: 'cocktail_shaker',
504: 'coffee_mug',
505: 'coffeepot',
506: 'coil',
507: 'combination_lock',
508: 'computer_keyboard',
509: 'confectionery',
510: 'container_ship',
511: 'convertible',
512: 'corkscrew',
513: 'cornet',
514: 'cowboy_boot',
515: 'cowboy_hat',
516: 'cradle',
517: 'crane',
518: 'crash_helmet',
519: 'crate',
520: 'crib',
521: 'Crock_Pot',
522: 'croquet_ball',
523: 'crutch',
524: 'cuirass',
525: 'dam',
526: 'desk',
527: 'desktop_computer',
528: 'dial_telephone',
529: 'diaper',
530: 'digital_clock',
531: 'digital_watch',
532: 'dining_table',
533: 'dishrag',
534: 'dishwasher',
535: 'disk_brake',
536: 'dock',

537: 'dogsled',
538: 'dome',
539: 'doormat',
540: 'drilling_platform',
541: 'drum',
542: 'drumstick',
543: 'dumbbell',
544: 'Dutch_oven',
545: 'electric_fan',
546: 'electric_guitar',
547: 'electric_locomotive',
548: 'entertainment_center',
549: 'envelope',
550: 'espresso_maker',
551: 'face_powder',
552: 'feather_boa',
553: 'file',
554: 'fireboat',
555: 'fire_engine',
556: 'fire_screen',
557: 'flagpole',
558: 'flute',
559: 'folding_chair',
560: 'football_helmet',
561: 'forklift',
562: 'fountain',
563: 'fountain_pen',
564: 'four-poster',
565: 'freight_car',
566: 'French_horn',
567: 'frying_pan',
568: 'fur_coat',
569: 'garbage_truck',
570: 'gasmask',
571: 'gas_pump',
572: 'goblet',
573: 'go-kart',
574: 'golf_ball',
575: 'golfcart',
576: 'gondola',
577: 'gong',
578: 'gown',
579: 'grand_piano',
580: 'greenhouse',
581: 'grille',
582: 'grocery_store',
583: 'guillotine',

584: 'hair_slide',
585: 'hair_spray',
586: 'half_track',
587: 'hammer',
588: 'hamper',
589: 'hand_blower',
590: 'hand-held_computer',
591: 'handkerchief',
592: 'hard_disc',
593: 'harmonica',
594: 'harp',
595: 'harvester',
596: 'hatchet',
597: 'holster',
598: 'home_theater',
599: 'honeycomb',
600: 'hook',
601: 'hoopskirt',
602: 'horizontal_bar',
603: 'horse_cart',
604: 'hourglass',
605: 'iPod',
606: 'iron',
607: "jack-o'-lantern",
608: 'jean',
609: 'jeep',
610: 'jersey',
611: 'jigsaw_puzzle',
612: 'jinrikisha',
613: 'joystick',
614: 'kimono',
615: 'knee_pad',
616: 'knot',
617: 'lab_coat',
618: 'ladle',
619: 'lampshade',
620: 'laptop',
621: 'lawn_mower',
622: 'lens_cap',
623: 'letter_opener',
624: 'library',
625: 'lifeboat',
626: 'lighter',
627: 'limousine',
628: 'liner',
629: 'lipstick',
630: 'Loafer',

631: 'lotion',
632: 'loudspeaker',
633: 'loupe',
634: 'lumbermill',
635: 'magnetic_compass',
636: 'mailbag',
637: 'mailbox',
638: 'maillot',
639: 'maillot',
640: 'manhole_cover',
641: 'maraca',
642: 'marimba',
643: 'mask',
644: 'matchstick',
645: 'maypole',
646: 'maze',
647: 'measuring_cup',
648: 'medicine_chest',
649: 'megalith',
650: 'microphone',
651: 'microwave',
652: 'military_uniform',
653: 'milk_can',
654: 'minibus',
655: 'miniskirt',
656: 'minivan',
657: 'missile',
658: 'mitten',
659: 'mixing_bowl',
660: 'mobile_home',
661: 'Model_T',
662: 'modem',
663: 'monastery',
664: 'monitor',
665: 'moped',
666: 'mortar',
667: 'mortarboard',
668: 'mosque',
669: 'mosquito_net',
670: 'motor_scooter',
671: 'mountain_bike',
672: 'mountain_tent',
673: 'mouse',
674: 'mousetrap',
675: 'moving_van',
676: 'muzzle',
677: 'nail',

678: 'neck_brace',
679: 'necklace',
680: 'nipple',
681: 'notebook',
682: 'obelisk',
683: 'oboe',
684: 'ocarina',
685: 'odometer',
686: 'oil_filter',
687: 'organ',
688: 'oscilloscope',
689: 'overskirt',
690: 'oxcart',
691: 'oxygen_mask',
692: 'packet',
693: 'paddle',
694: 'paddlewheel',
695: 'padlock',
696: 'paintbrush',
697: 'pajama',
698: 'palace',
699: 'panpipe',
700: 'paper_towel',
701: 'parachute',
702: 'parallel_bars',
703: 'park_bench',
704: 'parking_meter',
705: 'passenger_car',
706: 'patio',
707: 'pay-phone',
708: 'pedestal',
709: 'pencil_box',
710: 'pencil_sharpener',
711: 'perfume',
712: 'Petri_dish',
713: 'photocopier',
714: 'pick',
715: 'pickelhaube',
716: 'picket_fence',
717: 'pickup',
718: 'pier',
719: 'piggy_bank',
720: 'pill_bottle',
721: 'pillow',
722: 'ping-pong_ball',
723: 'pinwheel',
724: 'pirate',

725: 'pitcher',
726: 'plane',
727: 'planetarium',
728: 'plastic_bag',
729: 'plate_rack',
730: 'plow',
731: 'plunger',
732: 'Polaroid_camera',
733: 'pole',
734: 'police_van',
735: 'poncho',
736: 'pool_table',
737: 'pop_bottle',
738: 'pot',
739: "potter's_wheel",
740: 'power_drill',
741: 'prayer_rug',
742: 'printer',
743: 'prison',
744: 'projectile',
745: 'projector',
746: 'puck',
747: 'punching_bag',
748: 'purse',
749: 'quill',
750: 'quilt',
751: 'racer',
752: 'racket',
753: 'radiator',
754: 'radio',
755: 'radio_telescope',
756: 'rain_barrel',
757: 'recreational_vehicle',
758: 'reel',
759: 'reflex_camera',
760: 'refrigerator',
761: 'remote_control',
762: 'restaurant',
763: 'revolver',
764: 'rifle',
765: 'rocking_chair',
766: 'rotisserie',
767: 'rubber_eraser',
768: 'rugby_ball',
769: 'rule',
770: 'running_shoe',
771: 'safe',

772: 'safety_pin',
773: 'saltshaker',
774: 'sandal',
775: 'sarong',
776: 'sax',
777: 'scabbard',
778: 'scale',
779: 'school_bus',
780: 'schooner',
781: 'scoreboard',
782: 'screen',
783: 'screw',
784: 'screwdriver',
785: 'seat_belt',
786: 'sewing_machine',
787: 'shield',
788: 'shoe_shop',
789: 'shoji',
790: 'shopping_basket',
791: 'shopping_cart',
792: 'shovel',
793: 'shower_cap',
794: 'shower_curtain',
795: 'ski',
796: 'ski_mask',
797: 'sleeping_bag',
798: 'slide_rule',
799: 'sliding_door',
800: 'slot',
801: 'snorkel',
802: 'snowmobile',
803: 'snowplow',
804: 'soap_dispenser',
805: 'soccer_ball',
806: 'sock',
807: 'solar_dish',
808: 'sombrero',
809: 'soup_bowl',
810: 'space_bar',
811: 'space_heater',
812: 'space_shuttle',
813: 'spatula',
814: 'speedboat',
815: 'spider_web',
816: 'spindle',
817: 'sports_car',
818: 'spotlight',

819: 'stage',
820: 'steam_locomotive',
821: 'steel_arch_bridge',
822: 'steel_drum',
823: 'stethoscope',
824: 'stole',
825: 'stone_wall',
826: 'stopwatch',
827: 'stove',
828: 'strainer',
829: 'streetcar',
830: 'stretcher',
831: 'studio_couch',
832: 'stupa',
833: 'submarine',
834: 'suit',
835: 'sundial',
836: 'sunglass',
837: 'sunglasses',
838: 'sunscreen',
839: 'suspension_bridge',
840: 'swab',
841: 'sweatshirt',
842: 'swimming_trunks',
843: 'swing',
844: 'switch',
845: 'syringe',
846: 'table_lamp',
847: 'tank',
848: 'tape_player',
849: 'teapot',
850: 'teddy',
851: 'television',
852: 'tennis_ball',
853: 'thatch',
854: 'theater_curtain',
855: 'thimble',
856: 'thresher',
857: 'throne',
858: 'tile_roof',
859: 'toaster',
860: 'tobacco_shop',
861: 'toilet_seat',
862: 'torch',
863: 'totem_pole',
864: 'tow_truck',
865: 'toyshop',

866: 'tractor',
867: 'trailer_truck',
868: 'tray',
869: 'trench_coat',
870: 'tricycle',
871: 'trimaran',
872: 'tripod',
873: 'triumphal_arch',
874: 'trolleybus',
875: 'trombone',
876: 'tub',
877: 'turnstile',
878: 'typewriter_keyboard',
879: 'umbrella',
880: 'unicycle',
881: 'upright',
882: 'vacuum',
883: 'vase',
884: 'vault',
885: 'velvet',
886: 'vending_machine',
887: 'vestment',
888: 'viaduct',
889: 'violin',
890: 'volleyball',
891: 'waffle_iron',
892: 'wall_clock',
893: 'wallet',
894: 'wardrobe',
895: 'warplane',
896: 'washbasin',
897: 'washer',
898: 'water_bottle',
899: 'water_jug',
900: 'water_tower',
901: 'whiskey_jug',
902: 'whistle',
903: 'wig',
904: 'window_screen',
905: 'window_shade',
906: 'Windsor_tie',
907: 'wine_bottle',
908: 'wing',
909: 'wok',
910: 'wooden_spoon',
911: 'wool',
912: 'worm_fence',

913: 'wreck',
914: 'yawl',
915: 'yurt',
916: 'web_site',
917: 'comic_book',
918: 'crossword_puzzle',
919: 'street_sign',
920: 'traffic_light',
921: 'book_jacket',
922: 'menu',
923: 'plate',
924: 'guacamole',
925: 'consomme',
926: 'hot_pot',
927: 'trifle',
928: 'ice_cream',
929: 'ice_lolly',
930: 'French_loaf',
931: 'bagel',
932: 'pretzel',
933: 'cheeseburger',
934: 'hotdog',
935: 'mashed_potato',
936: 'head_cabbage',
937: 'broccoli',
938: 'cauliflower',
939: 'zucchini',
940: 'spaghetti_squash',
941: 'acorn_squash',
942: 'butternut_squash',
943: 'cucumber',
944: 'artichoke',
945: 'bell_pepper',
946: 'cardoon',
947: 'mushroom',
948: 'Granny_Smith',
949: 'strawberry',
950: 'orange',
951: 'lemon',
952: 'fig',
953: 'pineapple',
954: 'banana',
955: 'jackfruit',
956: 'custard_apple',
957: 'pomegranate',
958: 'hay',
959: 'carbonara',

```
960: 'chocolate_sauce',
961: 'dough',
962: 'meat_loaf',
963: 'pizza',
964: 'potpie',
965: 'burrito',
966: 'red_wine',
967: 'espresso',
968: 'cup',
969: 'eggnog',
970: 'alp',
971: 'bubble',
972: 'cliff',
973: 'coral_reef',
974: 'geyser',
975: 'lakeside',
976: 'promontory',
977: 'sandbar',
978: 'seashore',
979: 'valley',
980: 'volcano',
981: 'ballplayer',
982: 'groom',
983: 'scuba_diver',
984: 'rapeseed',
985: 'daisy',
986: "yellow_lady's_slipper",
987: 'corn',
988: 'acorn',
989: 'hip',
990: 'buckeye',
991: 'coral_fungus',
992: 'agaric',
993: 'gyromitra',
994: 'stinkhorn',
995: 'earthstar',
996: 'hen-of-the-woods',
997: 'bolete',
998: 'ear',
999: 'toilet_tissue'}
```

1.1.1 Helper Functions

Our pretrained model was trained on images that had been preprocessed by subtracting the per-color mean and dividing by the per-color standard deviation. We define a few helper functions for performing and undoing this preprocessing. You don't need to do anything in this cell.

```
[5]: def preprocess(img, size=224):
    transform = T.Compose([
        T.Resize((size, size)),
        T.ToTensor(),
        T.Normalize(mean=SQUEEZENET_MEAN.tolist(),
                     std=SQUEEZENET_STD.tolist()),
        T.Lambda(lambda x: x[None]),
    ])
    return transform(img)

def deprocess(img, should_rescale=True):
    transform = T.Compose([
        T.Lambda(lambda x: x[0]),
        T.Normalize(mean=[0, 0, 0], std=(1.0 / SQUEEZENET_STD).tolist()),
        T.Normalize(mean=(-SQUEEZENET_MEAN).tolist(), std=[1, 1, 1]),
        T.Lambda(rescale) if should_rescale else T.Lambda(lambda x: x),
        T.ToPILImage(),
    ])
    return transform(img)

def rescale(x):
    low, high = x.min(), x.max()
    x_rescaled = (x - low) / (high - low)
    return x_rescaled

def blur_image(X, sigma=1):
    X_np = X.cpu().clone().numpy()
    X_np = gaussian_filter1d(X_np, sigma, axis=2)
    X_np = gaussian_filter1d(X_np, sigma, axis=3)
    X.copy_(torch.Tensor(X_np).type_as(X))
    return X
```

1.2 Task 6 - Pre-trained Convolution Network

In order to get a better sense of the classification decisions made by convolutional networks, your job is now to experiment by running whatever images you want through a model pretrained on ImageNet. These can be images from your own photo collection, from the internet, or somewhere else but they **should belong to one of the ImageNet classes**. Look at the `idx2label` dictionary for all the ImageNet classes.

You need to find: 1. One image (`img1`) where the SqueezeNet model gives reasonable predictions, and produces a category label that seems to correctly describe the content of the image 2. One image (`img2`) where the SqueezeNet model gives unreasonable predictions, and produces a category label that does not correctly describe the content of the image.

You can upload images in Colab by using the upload button on the top left. For more details about using Colab, please see our [Colab tutorial](#).


```
[17]: #####
# TODO: Upload your image and run the forward pass to get the ImageNet class. #
# This code will crash when you run it, since the maxresdefault.jpg image is #
# not found. You should upload your own images to the Colab notebook and edit #
# these lines to load your own image. #
#####
img1 = Image.open('cup1.png').convert('RGB')
img2 = Image.open('cup2.png').convert('RGB')
names = ['cup1', 'cup2']
#####
#                               END OF YOUR CODE                               #
#####
for i, img in enumerate([img1, img2]):
    X = preprocess(img).to(device)
    pred_class = torch.argmax(model(X)).item()
    plt.figure(figsize=(6,8))
    plt.imshow(img)
    plt.title('Predicted Class: %s' % idx2label[pred_class])
    plt.axis('off')
    plt.savefig(f'{names[i]}_pred.jpg')
    plt.show()
```

Predicted Class: cup



Predicted Class: measuring_cup

