

The Pencil Code:

A High-Order MPI code for MHD Turbulence

User's and Reference Manual



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<http://www.nordita.org/software/pencil-code/>

<https://github.com/pencil-code/pencil-code>



# 1 Startup and run-time parameters

## 1.1 List of startup parameters for ‘start.in’

The following table lists all (at the time of writing, September 2002) namelists used in ‘start.in’, with the corresponding parameters and their default values (in square brackets). Any variable referred to as a flag can be set to any nonzero value to switch the corresponding feature on. Not all parameters are used for a given scenario. This list is not necessarily up to date; also, in many cases it can only give an idea of the corresponding initial state; to get more insight and the latest set of parameters, you need to look at the code.

The value  $\varepsilon$  corresponds to 5 times the smallest number larger than zero. For single precision, this is typically about  $\varepsilon \approx 5 \times 1.2 \times 10^{-7} = 6 \times 10^{-7}$ ; for double precision,  $\varepsilon \approx 10^{-15}$ .

Variable [default value]	Meaning
Namelist init_pars	
cvsid [”]	the svn identification string, which allows you to keep track of the version of ‘start.in’.
ip [14]	(anti-)verbosity level: ip=1 produces lots of diagnostic output, ip=14 virtually none.
xyz0 $[(-\pi, -\pi, -\pi)]$ , Lxyz $[(2\pi, 2\pi, 2\pi)]$ , lperi [(T,T,T)]	determine the geometry of the box. All three are vectors of the form ( <i>x</i> -comp., <i>y</i> -comp., <i>z</i> -comp.); xyz0 describes the left (lower) corner of the box, Lxyz the box size. lperi specifies whether a direction is considered periodic (in which case the last point is omitted) or not. In all cases, three ghost zones will be added.
lprocz_slowest [T]	if set to F, the ordering of processor numbers is changed, so the <i>z</i> processors are now in the inner loop. Since nprocy=4 is optimal (see Sect. ??), you may want to put lprocz_slowest=T when nygrid>nzgrid.
lwrite_ic [F]	if set T, the initial data are written into the file ‘VAR0’. This is generally useful, but doing this all the time uses up plenty of disk space.

<code>lnowrite [F]</code>	if set T, all initialization files are written, including the <code>param.nml</code> file, except <code>'var.dat'</code> . This option allows you to use old <code>filevar.dat</code> files, but updates all other initialization files. This could be useful after having changed the code and, in particular, when the <code>'var.dat'</code> files will be overwritten by <code>'remesh.csh'</code> .
<code>lwrite_aux [F]</code>	if set T, auxiliary variables (those calculated at each step, but not evolved mathematically) to <code>'var.dat'</code> after the evolved quantities.
<code>lwrite_2d [F]</code>	if set T, only 2D-snapshots are written into VAR files in the case of 2D-runs with <code>nygrid = 1</code> or <code>nzgrid = 1</code> .
<code>lread_oldsnap [F]</code>	if set T, the old snapshot will be read in before producing (overwriting) initial conditions. For example, if you just want to add a perturbation to the magnetic field, you'd give no initial condition for density and velocity (so you keep the data from a hopefully relaxed run), and just add whatever you need for the magnetic field. In this connection you may want to touch NOERASE, so as not to erase the previous data.
<code>lread_oldsnap_nomag [F]</code>	if set T, the old snapshot from a non-magnetic run will be read in before producing (overwriting) initial conditions. This allows one to let a hydrodynamic run relax before adding a magnetic field. However, for this to work one has to modify manually <code>'data/param.nml'</code> by adding an entry for <code>MAGNETIC_INIT_PARS</code> or <code>PSCALAR_INIT_PARS</code> . In addition, for <code>idl</code> to read correctly after the first restarted run, you must adjust the value of <code>mvar</code> in <code>'data/dim.dat'</code>
<code>lread_oldsnap_nopscalar [F]</code>	if set T, the old snapshot from a run without passive scalar will be read in before producing (overwriting) initial conditions. This allows one to let a hydrodynamic run relax before adding a passive scalar.
<code>lshift_origin [F,F,F]</code>	if set T for any or some of the three directions, the mesh is shifted by 1/2 meshpoint in that or those directions so that the mesh goes through the origin.
<code>unit_system ['cgs']</code>	you can set this character string to <code>'SI'</code> , which means that you can give physical dimensions in SI units. The default is cgs units.

unit_length [1]	allows you to set the unit length. Suppose you want the unit length to be 1 kpc, then you would say unit_length='3e21'. (Of course, politically correct would be to say unit_system='SI' in which case you say unit_length='3e19'.)
unit_velocity [1]	Example: if you want km/s you say unit_length='1e5'.
unit_density [1]	Example: if you want your unit density to be $10^{-24}$ g/cm <sup>3</sup> you say unit_density='1e-24'.
unit_temperature [1]	Example: unit_temperature='1e6' if you want mega-Kelvin.
random_gen [system]	choose random number generator; currently valid choices are 'system' (your compiler's generator), 'min_std' (the 'minimal standard' generator ran0() from 'Numerical Recipes'), 'nr_f90' (the Parker-Miller-Marsaglia generator ran() from 'Numerical Recipes for F90').
bcx [('p', 'p', ...)], bcy [('p', 'p', ...)], bcz [('p', 'p', ...)]	boundary conditions. See Sect. ?? for a discussion of where and how to set these.
pretend_lnTT [F]	selects $\ln T$ as fundamental thermodynamic variable in the entropy module

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Namelist hydro\_init\_pars

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inituu ['zero']	<p>initialization of velocity. Currently valid choices are</p> <p>‘zero’ (<math>\mathbf{u} = 0</math>),</p> <p>‘gaussian-noise’ (random, normally-distributed <math>u_x, u_z</math>),</p> <p>‘gaussian-noise-x’ (random, normally-distributed <math>u_x</math>),</p> <p>‘sound-wave’ (sound wave in <math>x</math> direction),</p> <p>‘shock-tube’ (polytropic standing shock),</p> <p>‘bullets’ (blob-like velocity perturbations),</p> <p>‘Alfven-circ-x’ (circularly polarized Alfven wave in x direction),</p> <p>‘const-ux’ (constant x-velocity),</p> <p>‘const-uy’ (constant y-velocity),</p> <p>‘tang-discont-z’ (tangential discontinuity: velocity is directed along <math>x</math>, jump is at <math>z = 0</math>),</p> <p>‘Fourier-trunc’ (truncated Fourier series),</p> <p>‘up-down’ (flow upward in one spot, downward in another; not solenoidal).</p>
ampluu [0.]	amplitude for some types of initial velocities.
widthuu [0.1]	width for some types of initial velocities.
urand [0.]	additional random perturbation of $\mathbf{u}$ . If urand>0, the perturbation is additive, $u_i \mapsto u_i + u_{\text{rand}}\mathcal{U}_{[0.5,0.5]}$ ; if urand<0, it is multiplicative, $u_i \mapsto u_i \times u_{\text{rand}}\mathcal{U}_{[0.5,0.5]}$ ; in both cases, $\mathcal{U}_{[0.5,0.5]}$ is a uniformly distributed random variable on the interval $[-0.5, 0.5]$ .
uu_left [0.],	
uu_right [0.]	needed for inituu=‘shock-tube’.

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Namelist density\_init\_pars

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initlnrho ['zero']	<p>initialization of density. Currently valid choices are</p> <p>‘zero’ (<math>\ln \rho = 0</math>),</p> <p>‘isothermal’ (isothermal stratification),</p> <p>‘polytropic_simple’ (polytropic stratification),</p> <p>‘hydrostatic-z-2’ (hydrostatic vertical stratification for isentropic atmosphere),</p> <p>‘xjump’ (density jump in <math>x</math> of width widthlnrho),</p> <p>‘rho-jump-z’ (density jump in <math>z</math> of width widthlnrho),</p> <p>‘piecew-poly’ (piecewise polytropic vertical stratification for solar convection),</p> <p>‘polytropic’ (polytropic vertical stratification),</p> <p>‘sound-wave’ (sound wave),</p> <p>‘shock-tube’ (polytropic standing shock),</p> <p>‘gaussian-noise’ (Gaussian-distributed, uncorrelated noise),</p> <p>‘gaussian-noise’ (Gaussian-distributed, uncorrelated noise in <math>x</math>, but uniform in <math>y</math> and <math>z</math>),</p> <p>‘hydrostatic-r’ (hydrostatic radial density stratification for isentropic or isothermal sphere),</p> <p>‘sin-xy’ (sine profile in <math>x</math> and <math>y</math>),</p> <p>‘sin-xy-rho’ (sine profile in <math>x</math> and <math>y</math>, but in <math>\rho</math>, not <math>\ln \rho</math>),</p> <p>‘linear’ (linear profile in <math>\mathbf{k} \cdot \mathbf{x}</math>),</p> <p>‘planet’ (planet solution; see §??).</p>
gamma [5./3]	adiabatic index $\gamma = c_p/c_v$ .
cs0 [1.]	can be used to set the dimension of velocity; larger values can be used to decrease stratification
rho0 [1.]	reference values of sound speed and density, i. e. values at height zref.
ampllnrho [0.],	amplitude and width for some types of initial densities.
widthlnrho [0.1]	
rho_left [1.],	needed for initlnrho=‘shock-tube’.
rho_right [1.]	
cs2bot [1.],	sound speed at bottom and top. Needed for some types of stratification.
cs2top [1.]	

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Namelist grav\_init\_pars

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zref [0.]	reference height where in the initial stratification $c_s^2 = c_{s0}^2$ and $\ln \rho = \ln \rho_0$ .
gravz [-1.]	vertical gravity component $g_z$ .
grav_profile ['const']	constant gravity $g_z = \text{gravz}$ (grav_profile='const') gravity or linear profile $g_z = \text{gravz} \cdot z$ (grav_profile='linear', for accretion discs and similar).
z1 [0.], z2 [1.]	specific to the solar convection case initlnrho='piecew-poly'. The stable layer is $z_0 < z < z_1$ , the unstable layer $z_1 < z < z_2$ , and the top (isothermal) layer is $z_2 < z < z_{\text{top}}$ .
nu_epicycle [1.]	vertical epicyclic frequency; for accretion discs it should be equal to Omega, but not for galactic discs; see Eq. (??) in Sect. ??.
grav_amp [0.], grav_tilt [0.]	specific to the tilted gravity case (amplitude and angle wrt the vertical direction).

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Namelist entropy\_init\_pars

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initss ['nothing']	<p>initialization of entropy. Currently valid choices are</p> <p>‘nothing’ (leaves the initialization done in the density module unchanged),</p> <p>‘zero’ (put <math>s = 0</math> explicitly; this may overwrite the initialization done in the density module),</p> <p>‘isothermal’ (isothermal stratification, <math>T = \text{const}</math>),</p> <p>‘isobaric’ (isobaric, <math>p = \text{const}</math>),</p> <p>‘isentropic’ (isentropic with superimposed hot [or cool] bubble),</p> <p>‘linprof’ (linear entropy profile in <math>z</math>),</p> <p>‘piecew-poly’ (piecewise polytropic stratification for convection),</p> <p>‘polytropic’ (polytropic stratification, polytropic exponent is mpoly0),</p> <p>‘blob’ (puts a gaussian blob in entropy for buoyancy experiments; see Ref. [?] for details)</p> <p>‘xjump’ (jump in <math>x</math> direction),</p> <p>‘hor-tube’ (horizontal flux tube in entropy, oriented in the <math>y</math>-direction).</p>
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pertss ['zero']	additional perturbation to entropy. Currently valid choices are 'zero' (no perturbation) 'hexagonal' (hexagonal perturbation for convection).
ampl_ss [0.], widthss [2 $\varepsilon$ ] grads0 [0.] radius_ss [0.1] mpoly0 [1.5], mpoly1 [1.5], mpoly2 [1.5]	amplitude and width for some types of initial entropy. initial entropy gradient for initss=linprof. radius of bubble for initss=isentropic.  specific to the solar convection case initss=piecew-poly: polytropic indices of unstable (mpoly0), stable (mpoly1) and top layer (mpoly2). If the flag isothtop is set, the top layer is initialized to be isothermal, otherwise thermal (plus hydrostatic) equilibrium is assumed for all three layers, which results in a piecewise polytropic stratification.
isothtop [0]	flag for isothermal top layer for initss=piecew-poly.
khor_ss [1.]	horizontal wave number for pertss=hexagonal

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Namelist magnetic\_init\_pars

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initaa ['zero']

initialization of magnetic field (vector potential). Currently valid choices are

‘Alfven-x’ (Alfvén wave traveling in the  $x$ -direction; this also sets the velocity),

‘Alfven-z’ (Alfvén wave traveling in the  $z$ -direction; this also sets the velocity),

‘Alfvenz-rot’ (same as ‘Alfven-z’, but with rotation),

‘Alfven-circ-x’ (circularly polarized Alfven wave in  $x$  direction),

‘Beltrami-x’ ( $x$ -dependent Beltrami wave),

‘Beltrami-y’ ( $y$ -dependent Beltrami wave),

‘Beltrami-z’ ( $z$ -dependent Beltrami wave),

‘Bz(x)’ ( $B_z \propto \cos(kx)$ ),

‘crazy’ (for testing purposes).

‘diffrot’ ([needs to be documented]),

‘fluxrings’ (two interlocked magnetic fluxrings; see § ??),

‘gaussian-noise’ (white noise),

‘halfcos-Bx’ ([needs to be documented]),

‘hor-tube’ (horizontal flux tube in  $\mathbf{B}$ , oriented in the  $y$ -direction).

‘hor-fluxlayer’ (horizontal flux layer),

‘mag-support’ ([needs to be documented]),

‘mode’ ([needs to be documented]),

‘modeb’ ([needs to be documented]),

‘propto-ux’ ([needs to be documented]),

‘propto-uy’ ([needs to be documented]),

‘propto-uz’ ([needs to be documented]),

‘sinxsinz’ ( $\sin x \sin z$ ),

‘uniform-Bx’ (uniform field in  $x$  direction),

‘uniform-By’ (uniform field in  $y$  direction),

‘uniform-Bz’ (uniform field in  $z$  direction),

‘zero’ (zero field),

initaa2 ['zero']	additional perturbation of magnetic field. Currently valid choices are 'zero' (zero perturbation), 'Beltrami-x' ( $x$ -dependent Beltrami wave), 'Beltrami-y' ( $y$ -dependent Beltrami wave), 'Beltrami-z' ( $z$ -dependent Beltrami wave).
amplaa [0.]	amplitude for some types of initial magnetic fields.
amplaa2 [0.]	amplitude for some types of magnetic field perturbation.
fring{1,2} [0.],	
Iring{1,2} [0.],	
Rring{1,2} [1.],	
wr{1,2} [0.3]	flux, current, outer and inner radius of flux ring 1/2; see Sect. ??.
radius [0.1]	used by some initial fields.
epsilonaa [ $10^{-2}$ ]	used by some initial fields.
widthaa [0.5]	used by some initial fields.
z0aa [0.]	used by some initial fields.
kx_aa [1.],	
ky_aa [1.],	
kz_aa [1.]	wavenumbers used by some initial fields.
lpress_equil [F]	flag for pressure equilibrium (can be used in connection with all initial fields)
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Namelist pscalar_init_pars	
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initlncc ['zero']	initialization of passive scalar (concentration per unit mass, $c$ ). Currently valid choices (for $\ln c$ ) are 'zero' ( $\ln c = 0.$ ), 'gaussian-noise' (white noise), 'wave-x' (wave in $x$ direction), 'wave-y' (wave in $y$ direction), 'wave-z' (wave in $z$ direction), 'tang-discont-z' (Kelvin-Helmholtz instability), 'hor-tube' (horizontal tube in concentration; used as a marker for magnetic flux tubes).

initlncc2 ['zero']	additional perturbation of passive scalar concentration $c$ . Currently valid choices are 'zero' ( $\delta \ln c = 0.$ ), 'wave-x' (add $x$ -directed wave to $\ln c$ ).
ampllncc [0.1]	amplitude for some types of initial concentration.
ampllncc2 [0.]	amplitude for some types of concentration perturbation.
kx_lncc [1.],	
ky_lncc [1.],	
kz_lncc [1.]	wave numbers for some types of initial concentration.
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Namelist shear_init_pars	
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qshear [0.]	degree of shear for shearing-box simulations (the shearing-periodic boundaries are the $x$ -boundaries and are sheared in the $y$ -direction). The shear velocity is $U = -q\Omega x \hat{y}$ .
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Namelist particles_ads_init_pars	
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init_ads_mol_frac [0.]	initial adsorbed mole fraction
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Namelist particles_surf_init_pars	
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init_surf_mol_frac [0.]	initial surface mole fraction
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Namelist particles_chem_init_pars	
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total_carbon_sites [ $1.08e - 8$ ]	carbon sites per surface area [ $\text{mol}/\text{cm}$ ] <sup>2</sup>
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Namelist particles_stalker_init_pars	
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dstalk [0.1]	times between printout of stalker data
lstalk_xx [F]	particles position
lstalk_vv [F]	particles velocity
lstalk_uu [F]	gas velocity at particles position
lstalk_guu [F]	gas velocity gradient at particles position
lstalk_rho [F]	gas density at particles position
lstalk_grho [F]	gas density gradient at particles position
lstalk_ap [F]	particles diameter
lstalk_bb [T]	magnetic field at particles position
lstalk_relvel [F]	particles relative velocity to gas
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## 1.2 List of runtime parameters for ‘run.in’

The following table lists all (at the time of writing, September 2002) namelists used in file ‘run.in’, with the corresponding parameters and their default values (in square brackets). Default values marked as [start] are taken from ‘start.in’. Any variable referred to as a flag can be set to any nonzero value to switch the corresponding feature on. Not all parameters are used for a given scenario. This list is not necessarily up to date; also, in many cases it can only give an idea of the corresponding setup; to get more insight and the latest set of parameters, you need to look at the code.

Once you have changed any of the ‘\*.in’ files, you may want to first execute the command `pc_configtest` in order to test the correctness of these configuration files, before you apply them in an active simulation run.

Variable [default value]	Meaning
Namelist <code>run_pars</code>	
<code>cvsid</code> [”]	svn identification string, which allows you to keep track of the version of ‘run.in’.
<code>ip</code> [14]	(anti-)verbosity level: <code>ip=1</code> produces lots of additional diagnostic output, <code>ip=14</code> virtually none.
<code>nt</code> [0]	number of time steps to run. This number can be increased or decreased during the run by touch <code>RELOAD</code> .
<code>it1</code> [10]	write diagnostic output every <code>it1</code> time steps (see Sect. ??).
<code>it1d</code> [ <i>it1</i> ]	write averages every <code>it1d</code> time steps (see Sect. ??). <code>it1d</code> has to be greater than or equal to <code>it1</code> .
<code>cdt</code> [0.4]	Courant coefficient for advective time step; see §??.
<code>cdtv</code> [0.08]	Courant coefficient for diffusive time step; see §??.
<code>dt</code> [0.]	time step; if $\neq 0.$ , this overwrites the Courant time step. See §?? for a discussion of the latter.
<code>dtmin</code> [ $10^{-6}$ ]	abort if time step $\delta t < \delta t_{\min}$ .
<code>tmax</code> [ $10^{33}$ ]	don’t run time steps beyond this time. Useful if you want to run for a given amount of time, but don’t know the necessary number of time steps.
<code>isave</code> [100]	update current snapshot ‘var.dat’ every <code>isave</code> time steps.
<code>itorder</code> [3]	order of time step (1 for Euler; 2 for 3rd-order, 3 for 3rd-order Runge–Kutta).

dsnap [100.]	save permanent snapshot every dsnap time units to files ‘VAR <i>N</i> ’, where <i>N</i> counts from <i>N</i> = 1 upward. (This information is stored in the file ‘data/tsnap.dat’; see the module wsnaps.f90, which in turn uses the subroutines out1 and out2).
dvid [100.]	write two-dimensional sections for generation of videos every dvid time units (not timesteps; see the subroutines out1 and out2 in the code).
iwig [0]	if $\neq 0$ , apply a Nyquist filter (a filter eliminating any signal at the Nyquist frequency, but affecting large scales as little as possible) every iwig time steps to logarithmic density (sometimes necessary with convection simulations).
ix [-1], iy [-1], iz [-1], iz2 [-1]	position of slice planes for video files. Any negative value of some of these variables will be overwritten according to the value of slice_position. See § ??) for details.
slice_position ['p']	symbolic specification of slice position. Currently valid choices are ‘p’ (periphery of the box) ‘m’ (middle of the box) ‘e’ (equator for half-sphere calculations, i.e. <i>x</i> , <i>y</i> centered, <i>z</i> bottom) These settings are overridden by explicitly setting ix, iy, iz or iz2. See § ??) for details.
zbot_slice [value]	<i>z</i> position of slice <i>xy</i> -plane. The value can be any float number inside the <i>z</i> domain. These settings are overridden by explicitly setting ix, iy, iz or iz2. Saved as slice with the suffix <i>xy</i> . See § ??) for details.
ztop_slice [value]	<i>z</i> position of slice <i>xy</i> -plane. The value can be any float number inside the <i>z</i> domain. These settings are overridden by explicitly setting ix, iy, iz or iz2. Saved as slice with the suffix <i>xy2</i> . See § ??) for details.
tavg [0]	averaging time $\tau_{\text{avg}}$ for time averages (if $\neq 0$ ); at the same time, time interval for writing time averages. See § ?? for details.
idx_tavg [(0,0,...,0)]	indices of variables to time-average. See § ?? for details.
d2davg [100.]	time interval for azimuthal and <i>z</i> -averages, i.e. the averages that produce 2d data. See § ?? for details.

ialive [0]	if $\neq 0$ , each processor writes the current time step to ‘alive.info’ every ialive time steps. This provides the best test that the job is still alive. (This can be used to find out which node has crashed if there is a problem and the run is hanging.)
bcx [(‘p’, ‘p’, ...)], bcy [(‘p’, ‘p’, ...)], bcz [(‘p’, ‘p’, ...)]	boundary conditions. See Sect. ?? for a discussion of where and how to set these.
random_gen [start]	see start parameters, p. ??
lwrite_aux [start]	if set T, auxiliary variables (those calculated at each step, but not evolved mathematically) to ‘var.dat’ and ‘VAR’ files after the evolved quantities.

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#### Namelist hydro\_run\_pars

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Omega [0.]	magnitude of angular velocity for Coriolis force (note: the centrifugal force is turned off by default, unless lcentrifugal_force=T is set).
theta [0.]	direction of angular velocity in degrees ( $\theta = 0$ for $z$ -direction, $\theta = 90$ for the negative $x$ -direction, corresponding to a box located at the equator of a rotating sphere. Thus, e.g., $\theta = 60$ corresponds to $30^\circ$ latitude. (Note: prior to April 29, 2007, there was a minus sign in the definition of $\theta$ .)
ttransient [0.]	initial time span for which to do something special (transient). Currently just used to smoothly switch on heating [Should be in run_pars, rather than here].
dampu [0.], tdamp [0.], ldamp_fade [F]	damp motions during the initial time interval $0 < t < t_{\text{damp}}$ with a damping term $-\text{dampu}(\mathbf{u})$ . If ldamp_fade is set, smoothly reduce damping to zero over the second half of the time interval tdamp. Initial velocity damping is useful for situations where initial conditions are far from equilibrium.
dampuint [0.],	weighting of damping external to spherical region (see wdamp, damp <sub>u</sub> below).
dampuext [0.],	weighting of damping in internal spherical region (see wdamp, damp <sub>u</sub> below).

rdampint [0.],	radius of internal damping region
rdampext [impossible],	radius of external damping region, used in place of former variable rdamp
wdamp [0.2],	permanently damp motions in $ \mathbf{x}  < r_{\text{dampint}}$ with damping term $-\text{damp}_{u\text{int}} \mathbf{u} \chi(r - r_{\text{dampint}})$ or $ \mathbf{x}  > r_{\text{dampext}}$ with damping term $-\text{damp}_{u\text{ext}} \mathbf{u} \chi(r - r_{\text{dampext}})$ , where $\chi(\cdot)$ is a smooth profile of width wdamp.
ampl_forc [0.],	amplitude of the ux-forcing or uy-forcing on the vertical boundaries that is of the form $u_x(t) = \text{ampl\_forc} * \sin(k\_forc * x) * \cos(w\_forc * t)$ [must be used in connection with bcx='g' or bcz='g' and force_lower_bound='vel_time' or force_upper_bound='vel_time']
k_forc [0.],	corresponding horizontal wavenumber
w_forc [0.]	corresponding frequency

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#### Namelist density\_run\_pars

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cs0 [start],	
rho0 [start],	
gamma [start]	see start parameters, p. ??
cdiffrho [0.]	Coefficient for mass diffusion (diffusion term will be $c_{\text{diffrho}} \delta x c_{s0}$ .
cs2bot [start],	
cs2top [start]	squared sound speed at bottom and top for boundary condition 'c2'.
lupw_lnrho [.false.]	use 5th-order upwind derivative operator for the advection term $\mathbf{u} \cdot \nabla \ln \rho$ to avoid spurious Nyquist signal ('wiggles'); see §??.

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#### Namelist entropy\_run\_pars

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hcond0 [0.],
hcond1 [start],



hcond2 [start]	specific to the solar convection case initss=piecew-poly: heat conductivities $K$ in the individual layers. hcond0 is the value $K_{\text{unst}}$ in the unstable layer, hcond1 is the ratio $K_{\text{stab}}/K_{\text{unst}}$ for the stable layer, and hcond2 is the ratio $K_{\text{top}}/K_{\text{unst}}$ for the top layer. The function $K(z)$ is not discontinuous, as the transition between the different values is smoothed over the width widthss. If hcond1 or hcond2 are not set, they are calculated according to the polytropic indices of the initial profile, $K \propto m+1$ .
iheatcond ['K-const']	select type of heat conduction. Currently valid choices are 'K-const' (constant heat conductivity), 'K-profile' (vertical or radial profile), 'chi-const' (constant thermal diffusivity), 'magnetic' (heat conduction by electrons in magnetic field – currently still experimental).
lcalc_heatcond_constchi [F]	flag for assuming thermal diffusivity $\chi = K/(c_p\rho) = \text{const}$ , rather than $K = \text{const}$ (which is the default). This is currently only correct with 'noionization.f90'. Superseded by iheatcond.
chi [0.]	value of $\chi$ when lcalc_heatcond_constchi=T.
widthss [start]	width of transition region between layers. See start parameters, p. ??.
isothtop [start]	flag for isothermal top layer for solar convection case. See start parameters, p. ??.
luminosity [0.], wheat [0.1]	strength and width of heating region.

cooltype ['Temp']	type of cooling; currently only implemented for spherical geometry. Currently valid choices are 'Temp','cs2' (cool temperature toward $c_s^2 = \text{cs2cool}$ ) with a cooling term
	$-\mathcal{C} = -c_{\text{cool}} \frac{c_s^2 - c_{s\text{cool}}^2}{c_{s\text{cool}}^2}$
)	)
'Temp-rho',cs2-rho	(cool temperature toward $c_s^2 = \text{cs2cool}$ ) with a cooling term
	$-\mathcal{C} = -c_{\text{cool}} \rho \frac{c_s^2 - c_{s\text{cool}}^2}{c_{s\text{cool}}^2}$
	— this avoids numerical instabilities in low-density regions [currently, the cooling coefficient $c_{\text{cool}} \equiv \text{cool}$ is not taken into account when the time step is calculated])
'entropy'	(cool entropy toward 0.).
cool [0.],	
wcool [0.1]	strength $c_{\text{cool}}$ and smoothing width of cooling region.
rcool [1.]	radius of cooling region: cool for $ \mathbf{x}  \geq \text{rcool}$ .
Fbot [start]	heat flux for bottom boundary condition 'c1'. For polytropic atmospheres, if Fbot is not set, it will be calculated from the value of hcond0 in 'start.x', provided the entropy boundary condition is set to 'c1'.
chi_t [0.]	entropy diffusion coefficient for diffusive term $\partial s / \partial t = \dots + \chi_t \nabla^2 s$ in the entropy equation, that can represent some kind of turbulent (sub-grid) mixing. It is probably a bad idea to combine this with heat conduction $\text{hcond0} \neq 0$ .
lupw_ss [.false.]	use 5th-order upwind derivative operator for the advection term $\mathbf{u} \cdot \nabla s$ to avoid spurious Nyquist signal ('wiggles'); see §??.
tauheat_buffer [0.]	time scale for heating to target temperature (=TTheat_buffer); zero disables the buffer zone.
zheat_buffer [0.]	z coordinate of the thermal buffer zone. Buffering is active in $ z  > \text{TTheat\_buffer}$ .
dheat_buffer1 [0.]	Inverse thickness of transition to buffered layer.

TTheat_buffer [0.]	target temperature in thermal buffer zone ( $z$ direction only).
lhcond_global [F]	flag for calculating the heat conductivity $K$ (and also $\nabla \log K$ ) globally using the global arrays facility. Only valid when iheatcond='K-profile'.
<hr/>	
Namelist magnetic_run_pars	
<hr/>	
B_ext [(0., 0., 0.)]	uniform background magnetic field (for fully periodic boundary conditions, uniform fields need to be explicitly added, since otherwise the vector potential $\mathbf{A}$ has a linear $\mathbf{x}$ -dependence which is incompatible with periodicity).
lignore_Bext_in_b2 [F]	add uniform background magnetic field when
or luse_Bext_in_b2 [T]	computing $\mathbf{b}^2$ pencils
eta [0.]	magnetic diffusivity $\eta = 1/(\mu_0\sigma)$ , where $\sigma$ is the electric conductivity.
height_eta [0.],	
eta_out [0.]	used to add extra diffusivity in a halo region.
eta_int [0.]	used to add extra diffusivity inside sphere of radius r_int.
eta_ext [0.]	used to add extra diffusivity outside sphere of radius r_ext.
kinflow ["]	set type of flow fixed with 'nohydro'. Currently the only recognized value is 'ABC' for an $ABC$ flow; all other values lead to $\mathbf{u} = \mathbf{0}$ .
kx [1.],	
ky [1.],	
kz [1.]	wave numbers for $ABC$ flow.
ABC_A [1.],	
ABC_B [1.],	
ABC_C [1.]	amplitudes $A$ , $B$ and $C$ for $ABC$ flow.
<hr/>	
Namelist pscalar_run_pars	
<hr/>	
pscalar_diff [0.]	diffusion for passive scalar concentration $c$ .
tensor_pscalar_diff [0.]	coefficient for non-isotropic diffusion of passive scalar.
reinitialize_lccc [F]	reinitialize the passive scalar to the value of cc_const in start.in at next run
<hr/>	
Namelist forcing_run_pars	
<hr/>	

iforce [2]	select form of forcing in the equation of motion; currently valid choices are 'zero' (no forcing), 'irrotational' (irrotational forcing), 'helical' (helical forcing), 'fountain' (forcing of "fountain flow"; see Ref. [?]), 'horizontal-shear' (forcing localized horizontal sinusoidal shear). 'variable_gravz' (time-dependent vertical gravity for forcing internal waves),
iforce2 [0]	select form of additional forcing in the equation of motion; valid choices are as for iforce.
force [0.]	amplitude of forcing.
relhel [1.]	helicity of forcing. The parameter relhel corresponds to $\sigma$ introduced in Sect. ?? ( $\sigma = \pm 1$ corresponds to maximum helicity of either sign).
height_ff [0.]	multiply forcing by $z$ -dependent profile of width height_ff (if $\neq 0$ ) .
r_ff [0.]	if $\neq 0$ , multiply forcing by spherical cutoff profile (of radius r_ff) and flip signs of helicity at equatorial plane.
width_ff [0.5]	width of vertical and radial profiles for modifying forcing.
kfountain [5]	horizontal wavenumber of the fountain flow.
fountain [1.]	amplitude of the fountain flow.
omega_ff [1.]	frequency of the cos or sin forcing [e.g. $\cos(\text{omega\_ff} * t)$ ].
ampl_ff [1.]	amplitude of forcing in front of cos or sin [e.g. $\text{ampl\_ff} * \cos(\text{omega\_ff} * t)$ ].
<hr/> Namelist grav_run_pars <hr/>	
zref [start],	
gravz [start],	
grav_profile [start]	see p. ??.
nu_epicycle [start]	see Eq. (??) in Sect. ??.
<hr/> Namelist viscosity_run_pars <hr/>	
nu [0.]	kinematic viscosity.
nu_hyper2 [0.]	kinematic hyperviscosity (with $\nabla^4 \mathbf{u}$ ).
nu_hyper3 [0.]	kinematic hyperviscosity (with $\nabla^6 \mathbf{u}$ ).
zeta [0.]	bulk viscosity.

ivisc ['nu-const']	select form of viscous term (see §??); currently valid choices are
'nu-const'	viscous force for $\nu = \text{const}$ , $\mathbf{F}_{\text{visc}} = \nu(\nabla^2 \mathbf{u} + \frac{1}{3} \nabla \nabla \cdot \mathbf{u} + 2\mathbf{S} \cdot \nabla \ln \rho)$
'rho_nu-const'	viscous force for $\mu \equiv \rho\nu = \text{const}$ , $\mathbf{F}_{\text{visc}} = (\mu/\rho)(\nabla^2 \mathbf{u} + \frac{1}{3} \nabla \nabla \cdot \mathbf{u})$ . With this option, the input parameter nu actually sets the value of $\mu/\rho_0$ (rho0= $\rho_0$ is another input parameter, see pp. ?? and ??)
'simplified'	simplified viscous force $\mathbf{F}_{\text{visc}} = \nu \nabla^2 \mathbf{u}$

Namelist shear_run_pars	
qshear [start]	See p. ??.
Namelist particles_run_pars	
ldragforce_dust_par [F]	dragforce on particles
ldragforce_gas_par [F]	particle-gas friction force
ldraglaw_steadystate [F]	particle forces only with $\frac{1}{\tau} \Delta v$
lpscalar_sink [F]	particles consume passive scalar
pscalar_sink_rate [0]	volumetric pscalar consumption rate
lbubble [F]	addition of the virtual mass term
Namelist particles_ads_run_pars	
placeholder [start]	placeholder
Namelist particles_surf_run_pars	
lspecies_transfer [T]	Species transfer from solid to fluid phase
Namelist particles_chem_run_pars	
lthiele [T]	Modeling of particle porosity by application of Thiele modulus

### 1.3 List of parameters for ‘print.in’

The following table lists all possible inputs to the file ‘print.in’ that are documented.

Variable	Meaning
Module ‘cdata.f90’	
it	number of time step (since beginning of job only)

t	time $t$ (since start.csh)
dt	time step $\delta t$
walltime	wall clock time since start of run.x, in seconds
Rmesh	$R_{\text{mesh}}$
Rmesh3	$R_{\text{mesh}}^{(3)}$
maxadvec	maxadvec

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Module ‘hydro.f90’

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u2tm	$\left\langle \mathbf{u}(t) \cdot \int_0^t \mathbf{u}(t') dt' \right\rangle$
uotm	$\left\langle \mathbf{u}(t) \cdot \int_0^t \boldsymbol{\omega}(t') dt' \right\rangle$
outm	$\left\langle \boldsymbol{\omega}(t) \cdot \int_0^t \mathbf{u}(t') dt' \right\rangle$
fkinzm	$\left\langle \frac{1}{2} \rho \mathbf{u}^2 u_z \right\rangle$
u2m	$\langle \mathbf{u}^2 \rangle$
uxpt	$u_x(x_1, y_1, z_1, t)$
uypt	$u_y(x_1, y_1, z_1, t)$
uzpt	$u_z(x_1, y_1, z_1, t)$
uxp2	$u_x(x_2, y_2, z_2, t)$
uyp2	$u_y(x_2, y_2, z_2, t)$
uzp2	$u_z(x_2, y_2, z_2, t)$
urms	$\langle \mathbf{u}^2 \rangle^{1/2}$
urmsx	$\langle \mathbf{u}^2 \rangle^{1/2}$ for the hydro_xaver_range
urmsz	$\langle \mathbf{u}^2 \rangle^{1/2}$ for the hydro_zaver_range
durms	$\langle \delta \mathbf{u}^2 \rangle^{1/2}$
umax	$\max( \mathbf{u} )$
umin	$\min( \mathbf{u} )$
uxrms	$\langle u_x^2 \rangle^{1/2}$
uyrms	$\langle u_y^2 \rangle^{1/2}$
uzrms	$\langle u_z^2 \rangle^{1/2}$
uxmin	$\min( u_x )$
uymin	$\min( u_y )$
uzmin	$\min( u_z )$
uxmax	$\max( u_x )$
uymax	$\max( u_y )$
uzmax	$\max( u_z )$
uxm	$\langle u_x \rangle$
uym	$\langle u_y \rangle$
uzm	$\langle u_z \rangle$
ux2m	$\langle u_x^2 \rangle$
uy2m	$\langle u_y^2 \rangle$

uz2m	$\langle u_z^2 \rangle$	
ux2ccm	$\langle u_x^2 \cos^2 kz \rangle$	
ux2ssm	$\langle u_x^2 \sin^2 kz \rangle$	
uy2ccm	$\langle u_y^2 \cos^2 kz \rangle$	
uy2ssm	$\langle u_y^2 \sin^2 kz \rangle$	
uxuyesm	$\langle u_x u_y \cos kz \sin kz \rangle$	
uxuym	$\langle u_x u_y \rangle$	
uxuzm	$\langle u_x u_z \rangle$	
uyuzm	$\langle u_y u_z \rangle$	
umx	$\langle u_x \rangle$	
umy	$\langle u_y \rangle$	
umz	$\langle u_z \rangle$	
omumz	$\langle \langle \mathbf{W} \rangle_{xy} \cdot \langle \mathbf{U} \rangle_{xy} \rangle$	( $xy$ -averaged mean cross helicity production)
umamz	$\langle \langle \mathbf{u} \rangle_{xy} \cdot \langle \mathbf{A} \rangle_{xy} \rangle$	
umbmz	$\langle \langle \mathbf{U} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \rangle$	( $xy$ -averaged mean cross helicity production)
umxbmz	$\langle \langle \mathbf{U} \rangle_{xy} \times \langle \mathbf{B} \rangle_{xy} \rangle_z$	( $xy$ -averaged mean emf)
ru2m	$\langle \rho u_x^2 \rangle$	
ruy2m	$\langle \rho u_y^2 \rangle$	
ruz2m	$\langle \rho u_z^2 \rangle$	
divum	$\langle \text{div} \mathbf{u} \rangle$	
rdivum	$\langle \varrho \text{div} \mathbf{u} \rangle$	
divu2m	$\langle (\text{div} \mathbf{u})^2 \rangle$	
gdivu2m	$\langle (\text{grad div} \mathbf{u})^2 \rangle$	
u3u21m	$\langle u_3 u_{2,1} \rangle$	
u1u32m	$\langle u_1 u_{3,2} \rangle$	
u2u13m	$\langle u_2 u_{1,3} \rangle$	
u2u31m	$\langle u_2 u_{3,1} \rangle$	
u3u12m	$\langle u_3 u_{1,2} \rangle$	
u1u23m	$\langle u_1 u_{2,3} \rangle$	
ruxm	$\langle \varrho u_x \rangle$	(mean $x$ -momentum density)
ruym	$\langle \varrho u_y \rangle$	(mean $y$ -momentum density)
ruzm	$\langle \varrho u_z \rangle$	(mean $z$ -momentum density)
ruxtot	$\langle \rho  u  \rangle$	(mean absolute $x$ -momentum density)
rumax	$\max(\varrho  \mathbf{u} )$	(maximum modulus of momentum)
ruuym	$\langle \varrho u_x u_y \rangle$	(mean Reynolds stress)
ruuzm	$\langle \varrho u_x u_z \rangle$	(mean Reynolds stress)
ruyzm	$\langle \varrho u_y u_z \rangle$	(mean Reynolds stress)
divrhorms	$ \nabla \cdot (\varrho \mathbf{u}) _{\text{rms}}$	

divrhoumax	$ \nabla \cdot (\varrho \mathbf{u}) _{\max}$
rlxm	$\langle \rho y u_z - z u_y \rangle$
rlym	$\langle \rho z u_x - x u_z \rangle$
rlzm	$\langle \rho x u_y - y u_x \rangle$
rlx2m	$\langle (\rho y u_z - z u_y)^2 \rangle$
rly2m	$\langle (\rho z u_x - x u_z)^2 \rangle$
rlz2m	$\langle (\rho x u_y - y u_x)^2 \rangle$
tot_ang_mom	Total angular momentum in spherical coordinates about the axis.
dtu	$\delta t / [c_{\delta t} \delta x / \max  \mathbf{u} ]$ (time step relative to advective time step; see § ??)
oum	$\langle \boldsymbol{\omega} \cdot \mathbf{u} \rangle$
ou_int	$\int_V \boldsymbol{\omega} \cdot \mathbf{u} dV$
fum	$\langle \mathbf{f} \cdot \mathbf{u} \rangle$
odel2um	$\langle \boldsymbol{\omega} \nabla^2 \mathbf{u} \rangle$
o2m	$\langle \boldsymbol{\omega}^2 \rangle \equiv \langle (\nabla \times \mathbf{u})^2 \rangle$
orms	$\langle \boldsymbol{\omega}^2 \rangle^{1/2}$
omax	$\max( \boldsymbol{\omega} )$
ox2m	$\langle \omega_x^2 \rangle$
oy2m	$\langle \omega_y^2 \rangle$
oz2m	$\langle \omega_z^2 \rangle$
oxuzxm	$\langle \omega_x u_{z,x} \rangle$
oyuzym	$\langle \omega_y u_{z,y} \rangle$
oxoym	$\langle \omega_x \omega_y \rangle$
oxozm	$\langle \omega_x \omega_z \rangle$
oyozm	$\langle \omega_y \omega_z \rangle$
qfm	$\langle \mathbf{q} \cdot \mathbf{f} \rangle$
q2m	$\langle \mathbf{q}^2 \rangle$
qrms	$\langle \mathbf{q}^2 \rangle^{1/2}$
qmax	$\max( \mathbf{q} )$
qom	$\langle \mathbf{q} \cdot \boldsymbol{\omega} \rangle$
quxom	$\langle \mathbf{q} \cdot (\mathbf{u} \times \boldsymbol{\omega}) \rangle$
pvzm	$\langle \omega_z + 2\Omega/\varrho \rangle$ (z component of potential vorticity)
oumph	$\langle \boldsymbol{\omega} \cdot \mathbf{u} \rangle_\varphi$
ugurmsx	$\langle (\mathbf{u} \nabla \mathbf{u})^2 \rangle^{1/2}$ for the hydro_xaver_range
ugu2m	$\langle \mathbf{u} \nabla \mathbf{u} \rangle^2$
dudx	$\langle \frac{\delta \mathbf{u}}{\delta x} \rangle$
Marms	$\langle \mathbf{u}^2 / c_s^2 \rangle$ (rms Mach number)
Mamax	$\max  \mathbf{u}  / c_s$ (maximum Mach number)
ekin	$\langle \frac{1}{2} \varrho \mathbf{u}^2 \rangle$



ekintot	$\int_V \frac{1}{2} \varrho \mathbf{u}^2 dV$
uxglhrym	$\langle u_x \partial_y \ln \varrho \rangle$
uyglhrxm	$\langle u_y \partial_x \ln \varrho \rangle$
uzdivum	$\langle u_z \nabla \cdot \mathbf{u} \rangle$
uxuydivum	$\langle u_x u_y \nabla \cdot \mathbf{u} \rangle$
divuHrms	$(\nabla_H \cdot \mathbf{u}_H)^{\text{rms}}$
uxxrms	$u_{x,x}^{\text{rms}}$
uyyrm	$u_{y,y}^{\text{rms}}$
uxzrms	$u_{x,z}^{\text{rms}}$
uyzrms	$u_{y,z}^{\text{rms}}$
uzyrms	$u_{z,y}^{\text{rms}}$
dtF	$\delta t / [c_{\delta t} \delta x / \max  F ]$ (time step relative to max force time step; see § ??) $\int u_r(\theta, \phi) Y_\ell^m(\theta, \phi) \sin(\theta) d\theta d\phi$
udpxxm	components of symmetric tensor $\langle u_i \partial_j p + u_j \partial_i p \rangle$
Module ‘density.f90’	
rhom	$\langle \varrho \rangle$ (mean density)
rhomxmask	$\langle \varrho \rangle$ for the density_xaver_range
rhomzmask	$\langle \varrho \rangle$ for the density_zaver_range
drho2m	$< (\varrho - \varrho_0)^2 >$
drhom	$< \varrho - \varrho_0 >$
rhomin	$\min(\rho)$
rhomax	$\max(\rho)$
lnrhomin	$\min(\log \rho)$
lnrhomax	$\max(\log \rho)$
ugrhom	$\langle \mathbf{u} \cdot \nabla \varrho \rangle$
uglnrhom	$\langle \mathbf{u} \cdot \nabla \ln \varrho \rangle$
totmass	$\int \varrho dV$
mass	$\int \varrho dV$
vol	$\int dV$ (volume)
grhomax	$\max( \nabla \varrho )$
Module ‘entropy.f90’	
dte	$\delta t / [c_{\delta t} \delta_x / \max c_s]$ (time step relative to acoustic time step; see § ??)
ethm	$\langle \varrho e \rangle$ (mean thermal [=internal] energy)
ssruz	$\langle s \varrho u_z / c_p \rangle$
ssuz	$\langle s u_z / c_p \rangle$
ssm	$\langle s / c_p \rangle$ (mean entropy)

ss2m	$\langle (s/c_p)^2 \rangle$ (mean squared entropy)
eem	$\langle e \rangle$
ppm	$\langle p \rangle$
csm	$\langle c_s \rangle$
csm <sub>max</sub>	$\max(c_s)$
cgam	$\langle c_\gamma \rangle$
pdivum	$\langle p \nabla \cdot \mathbf{u} \rangle$
fradbot	$\int F_{\text{bot}} \cdot d\mathbf{S}$
fradtop	$\int F_{\text{top}} \cdot d\mathbf{S}$
TTtop	$\int T_{\text{top}} d\mathbf{S}$
ethtot	$\int_V \varrho e dV$ (total thermal [=internal] energy)
dtchi	$\delta t / [c_{\delta t, v} \delta x^2 / \chi_{\text{max}}]$ (time step relative to time step based on heat conductivity; see § ??)
H <sub>max</sub>	$H_{\text{max}}$ (net heat sources summed see § ??)
tauhmin	$H_{\text{max}}$ (net heat sources summed see § ??)
dtH	$\delta t / [c_{\delta t, s} c_v T / H_{\text{max}}]$ (time step relative to time step based on heat sources; see § ??)
yHm	mean hydrogen ionization
yH <sub>max</sub>	max of hydrogen ionization
TTm	$\langle T \rangle$
TT <sub>max</sub>	$T_{\text{max}}$
TT <sub>min</sub>	$T_{\text{min}}$
gT <sub>max</sub>	$\max( \nabla T )$
ss <sub>max</sub>	$s_{\text{max}}$
ss <sub>min</sub>	$s_{\text{min}}$
gT <sub>rms</sub>	$(\nabla T)_{\text{rms}}$
gs <sub>rms</sub>	$(\nabla s)_{\text{rms}}$
gTxgs <sub>rms</sub>	$(\nabla T \times \nabla s)_{\text{rms}}$
fconv <sub>m</sub>	$\langle c_p \varrho u_z T \rangle$
ufpres <sub>m</sub>	$\langle -u / \rho \nabla p \rangle$
Kkramers <sub>m</sub>	$\langle K_{\text{kramers}} \rangle$

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Module ‘magnetic.f90’

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eta_tdep	$t$ -dependent $\eta$
ab_int	$\int \mathbf{A} \cdot \mathbf{B} dV$
jb_int	$\int \mathbf{j} \cdot \mathbf{B} dV$
b2tm	$\left\langle \mathbf{b}(t) \cdot \int_0^t \mathbf{b}(t') dt' \right\rangle$
bjtm	$\left\langle \mathbf{b}(t) \cdot \int_0^t \mathbf{j}(t') dt' \right\rangle$
jbtm	$\left\langle \mathbf{j}(t) \cdot \int_0^t \mathbf{b}(t') dt' \right\rangle$

b2ruz	$\langle \mathbf{B}^2 \rho u_z \rangle$
b2uz	$\langle \mathbf{B}^2 u_z \rangle$
ubbz	$\langle (\mathbf{u} \cdot \mathbf{B}) B_z \rangle$
b1	$\langle  \mathbf{B}  \rangle$
b2	$\langle \mathbf{B}^2 \rangle$
EEM	$\langle \mathbf{B}^2 \rangle / 2$
b4	$\langle \mathbf{B}^4 \rangle$
bm2	$\max(\mathbf{B}^2)$
j2	$\langle \mathbf{j}^2 \rangle$
jm2	$\max(\mathbf{j}^2)$
ab	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$
abumx	$\langle u_x \mathbf{A} \cdot \mathbf{B} \rangle$
abumy	$\langle u_y \mathbf{A} \cdot \mathbf{B} \rangle$
abumz	$\langle u_z \mathbf{A} \cdot \mathbf{B} \rangle$
abmh	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$ (temp)
abmn	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$ (north)
abms	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$ (south)
abrms	$\langle (\mathbf{A} \cdot \mathbf{B})^2 \rangle^{1/2}$
jbrms	$\langle (\mathbf{j} \cdot \mathbf{B})^2 \rangle^{1/2}$
aj	$\langle \mathbf{j} \cdot \mathbf{A} \rangle$
jbm	$\langle \mathbf{j} \cdot \mathbf{B} \rangle$
jbmh	$\langle \mathbf{J} \cdot \mathbf{B} \rangle$ (temp)
jbmN	$\langle \mathbf{J} \cdot \mathbf{B} \rangle$ (north)
jbmS	$\langle \mathbf{J} \cdot \mathbf{B} \rangle$ (south)
ub	$\langle \mathbf{u} \cdot \mathbf{B} \rangle$
dubrms	$\langle (\mathbf{u} - \mathbf{B})^2 \rangle^{1/2}$
dobrms	$\langle (\boldsymbol{\omega} - \mathbf{B})^2 \rangle^{1/2}$
uxbx	$\langle u_x B_x \rangle$
uybx	$\langle u_y B_x \rangle$
uzbx	$\langle u_z B_x \rangle$
uxby	$\langle u_x B_y \rangle$
uyby	$\langle u_y B_y \rangle$
uzby	$\langle u_z B_y \rangle$
uxbz	$\langle u_x B_z \rangle$
uybz	$\langle u_y B_z \rangle$
uzbz	$\langle u_z B_z \rangle$
cosub	$\langle \mathbf{U} \cdot \mathbf{B} / ( \mathbf{U}   \mathbf{B} ) \rangle$
jxbx	$\langle j_x B_x \rangle$
jybx	$\langle j_y B_x \rangle$

jzbxm	$\langle j_z B_x \rangle$
jxbym	$\langle j_x B_y \rangle$
jybym	$\langle j_y B_y \rangle$
jzbym	$\langle j_z B_y \rangle$
jxbzm	$\langle j_x B_z \rangle$
jybz	$\langle j_y B_z \rangle$
jzbzm	$\langle j_z B_z \rangle$
uam	$\langle \mathbf{u} \cdot \mathbf{A} \rangle$
ujm	$\langle \mathbf{u} \cdot \mathbf{J} \rangle$
fbm	$\langle \mathbf{f} \cdot \mathbf{B} \rangle$
fxbxm	$\langle f_x B_x \rangle$
epsM	$\langle \eta \mu_0 \mathbf{j}^2 \rangle$
epsAD	$\langle \rho^{-1} t_{\text{AD}} (\mathbf{J} \times \mathbf{B})^2 \rangle$ (heating by ion-neutrals friction)
bxpt	$B_x(x_1, y_1, z_1, t)$
bypt	$B_y(x_1, y_1, z_1, t)$
bzpt	$B_z(x_1, y_1, z_1, t)$
jsxpt	$J_x(x_1, y_1, z_1, t)$
jypt	$J_y(x_1, y_1, z_1, t)$
jzpt	$J_z(x_1, y_1, z_1, t)$
Expt	$\mathcal{E}_x(x_1, y_1, z_1, t)$
Eypt	$\mathcal{E}_y(x_1, y_1, z_1, t)$
Ezpt	$\mathcal{E}_z(x_1, y_1, z_1, t)$
axpt	$A_x(x_1, y_1, z_1, t)$
aypt	$A_y(x_1, y_1, z_1, t)$
azpt	$A_z(x_1, y_1, z_1, t)$
bxp2	$B_x(x_2, y_2, z_2, t)$
byp2	$B_y(x_2, y_2, z_2, t)$
bxp2	$B_z(x_2, y_2, z_2, t)$
jsxp2	$J_x(x_2, y_2, z_2, t)$
jyp2	$J_y(x_2, y_2, z_2, t)$
jzp2	$J_z(x_2, y_2, z_2, t)$
Exp2	$\mathcal{E}_x(x_2, y_2, z_2, t)$
Eyp2	$\mathcal{E}_y(x_2, y_2, z_2, t)$
Ezp2	$\mathcal{E}_z(x_2, y_2, z_2, t)$
axp2	$A_x(x_2, y_2, z_2, t)$
ayp2	$A_y(x_2, y_2, z_2, t)$
azp2	$A_z(x_2, y_2, z_2, t)$
exabot	$\int \mathbf{E} \times \mathbf{A} dS _{\text{bot}}$
exatop	$\int \mathbf{E} \times \mathbf{A} dS _{\text{top}}$

emag	$\int_V \frac{1}{2\mu_0} \mathbf{B}^2 dV$
brms	$\langle \mathbf{B}^2 \rangle^{1/2}$
bfrms	$\langle \mathbf{B}'^2 \rangle^{1/2}$
bf2m	$\langle \mathbf{B}'^2 \rangle$
bf4m	$\langle \mathbf{B}'^4 \rangle$
bmax	$\max( \mathbf{B} )$
bxmin	$\min( B_x )$
bymin	$\min( B_y )$
bzmin	$\min( B_z )$
bxmax	$\max( B_x )$
bymax	$\max( B_y )$
bzmax	$\max( B_z )$
bbxmax	$\max( B_x ) \text{ excluding } Bv_{ext}$
bbymax	$\max( B_y ) \text{ excluding } Bv_{ext}$
bbzmax	$\max( B_z ) \text{ excluding } Bv_{ext}$
jxmax	$\max( jv_x )$
jymax	$\max( jv_y )$
jzmax	$\max( jv_z )$
jrms	$\langle \mathbf{j}^2 \rangle^{1/2}$
hjrms	$\langle \mathbf{j}^2 \rangle^{1/2}$
jmax	$\max( \mathbf{j} )$
vArms	$\langle \mathbf{B}^2 / \varrho \rangle^{1/2}$
vAmax	$\max(\mathbf{B}^2 / \varrho)^{1/2}$
dtb	$\delta t / [c_{\delta t} \delta x / v_{A, \max}]$ (time step relative to Alfvén time step; see § ??)
dteta	$\delta t / [c_{\delta t, v} \delta x^2 / \eta_{\max}]$ (time step relative to resistive time step; see § ??)
a2m	$\langle \mathbf{A}^2 \rangle$
arms	$\langle \mathbf{A}^2 \rangle^{1/2}$
amax	$\max( \mathbf{A} )$
divarms	$\langle (\nabla \cdot \mathbf{A})^2 \rangle^{1/2}$
beta1m	$\langle \mathbf{B}^2 / (2\mu_0 p) \rangle$ (mean inverse plasma beta)
beta1max	$\max[\mathbf{B}^2 / (2\mu_0 p)]$ (maximum inverse plasma beta)
betam	$\langle \beta \rangle$
betamax	$\max \beta$
betamin	$\min \beta$
bxm	$\langle B_x \rangle$
bym	$\langle B_y \rangle$
bzm	$\langle B_z \rangle$

bxbym	$\langle B_x B_y \rangle$
bm <sub>x</sub>	$\left\langle \langle \mathbf{B} \rangle_{yz}^2 \right\rangle^{1/2}$ (energy of $yz$ -averaged mean field)
bm <sub>y</sub>	$\left\langle \langle \mathbf{B} \rangle_{xz}^2 \right\rangle^{1/2}$ (energy of $xz$ -averaged mean field)
bm <sub>z</sub>	$\left\langle \langle \mathbf{B} \rangle_{xy}^2 \right\rangle^{1/2}$ (energy of $xy$ -averaged mean field)
bmzS2	$\left\langle \langle \mathbf{B}_S \rangle_{xy}^2 \right\rangle$
bmzA2	$\left\langle \langle \mathbf{B}_A \rangle_{xy}^2 \right\rangle$
jmx	$\left\langle \langle \mathbf{J} \rangle_{yz}^2 \right\rangle^{1/2}$ (energy of $yz$ -averaged mean current density)
jmy	$\left\langle \langle \mathbf{J} \rangle_{xz}^2 \right\rangle^{1/2}$ (energy of $xz$ -averaged mean current density)
jnz	$\left\langle \langle \mathbf{J} \rangle_{xy}^2 \right\rangle^{1/2}$ (energy of $xy$ -averaged mean current density)
bmzph	Phase of a Beltrami field
bmzphe	Error of phase of a Beltrami field
bsinphz	sine of phase of a Beltrami field
bcosphz	cosine of phase of a Beltrami field
emxamz3	$\left\langle \langle \mathbf{E} \rangle_{xy} \times \langle \mathbf{A} \rangle_{xy} \right\rangle$ ( $xy$ -averaged mean field helicity flux)
embmz	$\left\langle \langle \mathbf{E} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ ( $xy$ -averaged mean field helicity production )
ambmz	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field)
ambmzh	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field, temp)
ambmzn	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field, north)
ambmzs	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field, south)
jmbmz	$\left\langle \langle \mathbf{J} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (current helicity of $xy$ -averaged mean field)
Rmmz	$\left\langle \frac{ \mathbf{u} \times \mathbf{B} }{ \eta \mathbf{J} } \right\rangle_{xy}$
kx_aa	$k_x$
kmz	$\left\langle \langle \mathbf{J} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle / \left\langle \langle \mathbf{B} \rangle_{xy}^2 \right\rangle$
bx2m	$\langle B_x^2 \rangle$
by2m	$\langle B_y^2 \rangle$
bz2m	$\langle B_z^2 \rangle$
uxbm	$\langle \mathbf{u} \times \mathbf{B} \rangle \cdot \mathbf{B}_0 / B_0^2$
jxbm	$\langle \mathbf{j} \times \mathbf{B} \rangle \cdot \mathbf{B}_0 / B_0^2$
magfricmax	$\langle \mathbf{j} \times \mathbf{B} \rangle \cdot \mathbf{B}^2$
b3b21m	$\langle B_3 B_{2,1} \rangle$
b3b12m	$\langle B_3 B_{1,2} \rangle$
b1b32m	$\langle B_1 B_{3,2} \rangle$
b1b23m	$\langle B_1 B_{2,3} \rangle$

b2b13m	$\langle B_2 B_{1,3} \rangle$
b2b31m	$\langle B_2 B_{3,1} \rangle$
uxbm <sub>x</sub>	$\langle (\mathbf{u} \times \mathbf{B})_x \rangle$
uxbm <sub>y</sub>	$\langle (\mathbf{u} \times \mathbf{B})_y \rangle$
uxbm <sub>z</sub>	$\langle (\mathbf{u} \times \mathbf{B})_z \rangle$
jxbm <sub>x</sub>	$\langle (\mathbf{j} \times \mathbf{B})_x \rangle$
jxbm <sub>y</sub>	$\langle (\mathbf{j} \times \mathbf{B})_y \rangle$
jxbm <sub>z</sub>	$\langle (\mathbf{j} \times \mathbf{B})_z \rangle$
exam <sub>x</sub>	$\langle \mathbf{E} \times \mathbf{A} \rangle _x$
exam <sub>y</sub>	$\langle \mathbf{E} \times \mathbf{A} \rangle _y$
exam <sub>z</sub>	$\langle \mathbf{E} \times \mathbf{A} \rangle _z$
exjm <sub>x</sub>	$\langle \mathbf{E} \times \mathbf{J} \rangle _x$
exjm <sub>y</sub>	$\langle \mathbf{E} \times \mathbf{J} \rangle _y$
exjm <sub>z</sub>	$\langle \mathbf{E} \times \mathbf{J} \rangle _z$
dexbm <sub>x</sub>	$\langle \nabla \times \mathbf{E} \times \mathbf{B} \rangle _x$
dexbm <sub>y</sub>	$\langle \nabla \times \mathbf{E} \times \mathbf{B} \rangle _y$
dexbm <sub>z</sub>	$\langle \nabla \times \mathbf{E} \times \mathbf{B} \rangle _z$
phibm <sub>x</sub>	$\langle \phi \mathbf{B} \rangle _x$
phibm <sub>y</sub>	$\langle \phi \mathbf{B} \rangle _y$
phibm <sub>z</sub>	$\langle \phi \mathbf{B} \rangle _z$
b2divum	$\langle \mathbf{B}^2 \nabla \cdot \mathbf{u} \rangle$
jdel2am	$\langle \mathbf{J} \cdot \nabla^2 \mathbf{A} \rangle$
ujxbm	$\langle \mathbf{u} \cdot (\mathbf{J} \times \mathbf{B}) \rangle$
jxbrmax	$\max( \mathbf{J} \times \mathbf{B}/\rho )$
jxbr2m	$\langle (\mathbf{J} \times \mathbf{B}/\rho)^2 \rangle$
bmxy_rms	$\sqrt{[\langle b_x \rangle_z(x, y)]^2 + [\langle b_y \rangle_z(x, y)]^2 + [\langle b_z \rangle_z(x, y)]^2}$
etasmagm	Mean of Smagorinsky resistivity
etasmagmin	Min of Smagorinsky resistivity
etasmagmax	Max of Smagorinsky resistivity
etavamax	Max of artificial resistivity $\eta \sim v_A$
etajmax	Max of artificial resistivity $\eta \sim J/\sqrt{\rho}$
etaj2max	Max of artificial resistivity $\eta \sim J^2/\rho$
etajrhmax	Max of artificial resistivity $\eta \sim J/\rho$
cosjbm	$\langle \mathbf{J} \cdot \mathbf{B}/( \mathbf{J}   \mathbf{B} ) \rangle$
jparallelm	Mean value of the component of J parallel to B
jperpm	Mean value of the component of J perpendicular to B
hjparallelm	Mean value of the component of $J_{\text{hyper}}$ parallel to B
hjperpm	Mean value of the component of $J_{\text{hyper}}$ perpendicular to B
brmsx	$\langle \mathbf{B}^2 \rangle^{1/2}$ for the magnetic_xaver_range

brmsz	$\langle \mathbf{B}^2 \rangle^{1/2}$ for the magnetic_zaver_range
Exmxy	$\langle \mathcal{E}_x \rangle_z$
Eymxy	$\langle \mathcal{E}_y \rangle_z$
Ezmxy	$\langle \mathcal{E}_z \rangle_z$
Module ‘pscalar.f90’	
rhoccm	$\langle \rho c \rangle$
ccmax	$\max(c)$
ccglhnm	$\langle c \nabla_z \rho \rangle$
Module ‘1D_loop.f90’	
dtchi2	heatconduction
dtradr	radiative loss from RTV
dtspitzer	Spitzer heat conduction time step
qmax	max of heat flux vector
qrms	rms of heat flux vector
Module ‘advective_gauge.f90’	
Lamm	$\langle \Lambda \rangle$
Lampt	$\Lambda(x1, y1, z1)$
Lamp2	$\Lambda(x2, y2, z2)$
Lamrms	$\langle \Lambda^2 \rangle^{1/2}$
Lambzm	$\langle \Lambda B_z \rangle$
Lambzmz	$\langle \Lambda B_z \rangle_{xy}$
gLambm	$\langle \Lambda \mathbf{B} \rangle$
apbrms	$\langle (\mathbf{A}' \mathbf{B})^2 \rangle^{1/2}$
jxarms	$\langle (\mathbf{J} \times \mathbf{A})^2 \rangle^{1/2}$
jxaprms	$\langle (\mathbf{J} \times \mathbf{A}')^2 \rangle^{1/2}$
jxgLamrms	$\langle (\mathbf{J} \times \nabla \Lambda)^2 \rangle^{1/2}$
gLamrms	$\langle (\nabla \Lambda)^2 \rangle^{1/2}$
divabrms	$\langle [(\nabla \cdot \mathbf{A}) \mathbf{B}]^2 \rangle^{1/2}$
divapbrms	$\langle [(\nabla \cdot \mathbf{A}') \mathbf{B}]^2 \rangle^{1/2}$
d2Lambrms	$\langle [(\nabla^2 \Lambda) \mathbf{B}]^2 \rangle^{1/2}$
d2Lamrms	$\langle [\nabla^2 \Lambda]^2 \rangle^{1/2}$
Module ‘anelastic.f90’	
rhom	$\langle \rho \rangle$ (mean density)
ugrhom	$\langle \mathbf{u} \cdot \nabla \rho \rangle$
mass	$\int \rho dV$
divrhom	$\langle \nabla \cdot (\rho \mathbf{u}) \rangle$



divrhourms	$ \nabla \cdot (\varrho \mathbf{u}) _{\text{rms}}$
divrhoumax	$ \nabla \cdot (\varrho \mathbf{u}) _{\text{max}}$
Module ‘bfield.f90’	
bmax	$\max B$
bmin	$\min B$
brms	$\langle B^2 \rangle^{1/2}$
bm	$\langle B \rangle$
b2m	$\langle B^2 \rangle$
bxmax	$\max  B_x $
bymax	$\max  B_y $
bzmax	$\max  B_z $
bxm	$\langle B_x \rangle$
bym	$\langle B_y \rangle$
bzm	$\langle B_z \rangle$
bx2m	$\langle B_x^2 \rangle$
by2m	$\langle B_y^2 \rangle$
bz2m	$\langle B_z^2 \rangle$
bxbym	$\langle B_x B_y \rangle$
bxbzm	$\langle B_x B_z \rangle$
bybzm	$\langle B_y B_z \rangle$
dbxmax	$\max  B_x - B_{\text{ext},x} $
dbymax	$\max  B_y - B_{\text{ext},y} $
dbzmax	$\max  B_z - B_{\text{ext},z} $
dbxm	$\langle B_x - B_{\text{ext},x} \rangle$
dbym	$\langle B_y - B_{\text{ext},y} \rangle$
dbzm	$\langle B_z - B_{\text{ext},z} \rangle$
dbx2m	$\langle (B_x - B_{\text{ext},x})^2 \rangle$
dby2m	$\langle (B_y - B_{\text{ext},y})^2 \rangle$
dbz2m	$\langle (B_z - B_{\text{ext},z})^2 \rangle$
jmax	$\max J$
jmin	$\min J$
jrms	$\langle J^2 \rangle^{1/2}$
jm	$\langle J \rangle$
j2m	$\langle J^2 \rangle$
jxmax	$\max  J_x $
jymax	$\max  J_y $
jzmax	$\max  J_z $
jxm	$\langle J_x \rangle$

jym	$\langle J_y \rangle$
jzm	$\langle J_z \rangle$
jx2m	$\langle J_x^2 \rangle$
jy2m	$\langle J_y^2 \rangle$
jz2m	$\langle J_z^2 \rangle$
divbmax	$\max  \nabla \cdot \mathbf{B} $
divbrms	$\langle (\nabla \cdot \mathbf{B})^2 \rangle^{1/2}$
betamax	$\max \beta$
betamin	$\min \beta$
betam	$\langle \beta \rangle$
vAmax	$\max v_A$
vAmin	$\min v_A$
vAm	$\langle v_A \rangle$
Module ‘chemistry.f90’	
dtchem	$dt_{chem}$
Module ‘chemistry_simple.f90’	
dtchem	$dt_{chem}$
Module ‘chiral_mhd.f90’	
mu5m	$\langle \mu_5 \rangle$
mu5rms	$\langle \mu_5^2 \rangle^{1/2}$
gmu5rms	$\langle (\nabla \mu_5)^2 \rangle^{1/2}$
gmu5mx	$\langle \nabla \mu_5 \rangle_x$
gmu5my	$\langle \nabla \mu_5 \rangle_y$
gmu5mz	$\langle \nabla \mu_5 \rangle_z$
bgmu5rms	$\langle (\mathbf{B} \cdot \nabla \mu_5)^2 \rangle^{1/2}$
mu5bjm	$\langle \mu_5 ((\nabla \times \mathbf{B}) \cdot \mathbf{B}) \rangle$
mu5bjrms	$\langle (\mu_5 ((\nabla \times \mathbf{B}) \cdot \mathbf{B}))^2 \rangle^{1/2}$
dt_mu5_1	$\min(\mu_5 / \mathbf{B}^2) \delta x / (\lambda \eta)$
dt_mu5_2	$(\lambda \eta \min(\mathbf{B}^2))^{-1}$
dt_mu5_3	$\delta x^2 / D_5$
dt_bb_1	$\delta x / (\eta \max(\mu_5))$
dt_chiral	total time-step contribution from chiral MHD
mu5bxm	$\langle \mu_5 B_x \rangle$
mu5b2m	$\langle \mu_5 B^2 \rangle$
Module ‘coronae.f90’	

dtchi2	$\delta t/[c_{\delta t,v} \delta x^2/\chi_{\max}]$ (time step relative to time step based on heat conductivity; see § ??)
dtspitzer	Spitzer heat conduction time step
dtrad	radiative loss from RTV
Module ‘cosmicray_current.f90’	
ekincr	$\langle \frac{1}{2} \rho \mathbf{u}_{\text{cr}}^2 \rangle$
ethmcr	$\langle \rho_{\text{cr}} e_{\text{cr}} \rangle$
Module ‘density_stratified.f90’	
mass	$\int \rho d^3x$
rhomin	$\min  \rho $
rhomax	$\max  \rho $
drhom	$\langle \Delta \rho / \rho_0 \rangle$
drho2m	$\langle (\Delta \rho / \rho_0)^2 \rangle$
drhorms	$\langle \Delta \rho / \rho_0 \rangle_{rms}$
drhomax	$\max  \Delta \rho / \rho_0 $
Module ‘detonate.f90’	
detn	Number of detonated sites (summed over time steps between adjacent outputs)
dettot	Total energy input (summed over time steps between adjacent outputs)
Module ‘dustdensity.f90’	
KKm	$\sum \mathcal{T}_k^{\text{coag}}$
KK2m	$\sum \mathcal{T}_k^{\text{coag}}$
MMxm	$\sum \mathcal{M}_{k,\text{coag}}^x$
MMym	$\sum \mathcal{M}_{k,\text{coag}}^y$
MMzm	$\sum \mathcal{M}_{k,\text{coag}}^z$
Module ‘entropy_anelastic.f90’	
dtc	$\delta t/[c_{\delta t} \delta x / \max c_s]$ (time step relative to acoustic time step; see § ??)
ethm	$\langle \rho e \rangle$ (mean thermal [=internal] energy)
ssm	$\langle s/c_p \rangle$ (mean entropy)
ss2m	$\langle (s/c_p)^2 \rangle$ (mean squared entropy)
eem	$\langle e \rangle$
ppm	$\langle p \rangle$
csm	$\langle c_s \rangle$

pdivum	$\langle p \nabla \mathbf{u} \rangle$
fradbot	$\int F_{\text{bot}} \cdot d\mathbf{S}$
fradtop	$\int F_{\text{top}} \cdot d\mathbf{S}$
TTtop	$\int T_{\text{top}} d\mathbf{S}$
ethtot	$\int_V \varrho e dV$ (total thermal [=internal] energy)
dtchi	$\delta t / [c_{\delta t, v} \delta x^2 / \chi_{\text{max}}]$ (time step relative to time step based on heat conductivity; see § ??)
ssmxy	$\langle s \rangle_z$
ssmxz	$\langle s \rangle_y$
Module ‘gravitational_waves.f90’	
hhT2m	$\langle h_T^2 \rangle$
hhX2m	$\langle h_X^2 \rangle$
hhThhXm	$\langle h_T h_X \rangle$
ggTpt	$g_T(x_1, y_1, z_1, t)$
strTpt	$S_T(x_1, y_1, z_1, t)$
strXpt	$S_X(x_1, y_1, z_1, t)$
Module ‘gravitational_waves_hij6.f90’	
h22rms	$h_{22}^{\text{rms}}$
h33rms	$h_{33}^{\text{rms}}$
h23rms	$h_{23}^{\text{rms}}$
g11pt	$g_{11}(x_1, y_1, z_1, t)$
g22pt	$g_{22}(x_1, y_1, z_1, t)$
g33pt	$g_{33}(x_1, y_1, z_1, t)$
g12pt	$g_{12}(x_1, y_1, z_1, t)$
g23pt	$g_{23}(x_1, y_1, z_1, t)$
g31pt	$g_{31}(x_1, y_1, z_1, t)$
hhTpt	$h_T(x_1, y_1, z_1, t)$
hhXpt	$h_X(x_1, y_1, z_1, t)$
ggTpt	$\dot{h}_T(x_1, y_1, z_1, t)$
ggXpt	$\dot{h}_X(x_1, y_1, z_1, t)$
hhTp2	$h_T(x_1, y_1, z_1, t)$
hhXp2	$h_X(x_1, y_1, z_1, t)$
ggTp2	$\dot{h}_T(x_1, y_1, z_1, t)$
ggXp2	$\dot{h}_X(x_1, y_1, z_1, t)$
hrms	$\langle h_T^2 + h_X^2 \rangle^{1/2}$
EEGW	$\langle g_T^2 + g_X^2 \rangle c^2 / (32\pi G)$
gg2m	$\langle g_T^2 + g_X^2 \rangle$

hhT2m	$\langle h_T^2 \rangle$
hhX2m	$\langle h_X^2 \rangle$
hhTXm	$\langle h_T h_X \rangle$
ggT2m	$\langle g_T^2 \rangle$
ggX2m	$\langle g_X^2 \rangle$
ggTXm	$\langle g_T g_X \rangle$
ggTm	$\langle g_T \rangle$
ggXm	$\langle g_X \rangle$
hijij2m	$\langle h_{ij,ij}^2 \rangle$
gijij2m	$\langle g_{ij,ij}^2 \rangle$
Module ‘gravity_simple.f90’	
epot	$\langle \varrho \Phi_{\text{grav}} \rangle$ (mean potential energy)
epottot	$\int_V \varrho \Phi_{\text{grav}} dV$ (total potential energy)
ugm	$\langle \mathbf{u} \cdot \mathbf{g} \rangle$
Module ‘heatflux.f90’	
dtspitzer	Spitzer heat conduction time step
dtq	heatflux time step
dtq2	heatflux time step due to tau
qmax	$\max( \mathbf{q} )$
qxmin	$\min( q_x )$
qymin	$\min( q_y )$
qzmin	$\min( q_z )$
qxmax	$\max( q_x )$
qymax	$\max( q_y )$
qzmax	$\max( q_z )$
qrms	rms of heat flux vector
qsatmin	minimum of qsat/qabs
qsatrms	rms of qsat/abs
Module ‘lorenz_gauge.f90’	
phim	$\langle \phi \rangle$
phipt	$\phi(x1, y1, z1)$
phip2	$\phi(x2, y2, z2)$
phibzm	$\langle \phi B_z \rangle$
phibzmz	$\langle \phi B_z \rangle_{xy}$
Module ‘magnetic_shearboxJ.f90’	
ab_int	$\int \mathbf{A} \cdot \mathbf{B} dV$

jb_int	$\int \mathbf{j} \cdot \mathbf{B} dV$
b2tm	$\left\langle \mathbf{b}(t) \cdot \int_0^t \mathbf{b}(t') dt' \right\rangle$
bjtm	$\left\langle \mathbf{b}(t) \cdot \int_0^t \mathbf{j}(t') dt' \right\rangle$
jbtm	$\left\langle \mathbf{j}(t) \cdot \int_0^t \mathbf{b}(t') dt' \right\rangle$
b2ruzm	$\langle \mathbf{B}^2 \rho u_z \rangle$
b2uzm	$\langle \mathbf{B}^2 u_z \rangle$
ubbz	$\langle (\mathbf{u} \cdot \mathbf{B}) B_z \rangle$
b1m	$\langle  \mathbf{B}  \rangle$
b2m	$\langle \mathbf{B}^2 \rangle$
bm2	$\max(\mathbf{B}^2)$
j2m	$\langle \mathbf{j}^2 \rangle$
jm2	$\max(\mathbf{j}^2)$
abm	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$
abumx	$\langle u_x \mathbf{A} \cdot \mathbf{B} \rangle$
abumy	$\langle u_y \mathbf{A} \cdot \mathbf{B} \rangle$
abumz	$\langle u_z \mathbf{A} \cdot \mathbf{B} \rangle$
abmh	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$ (temp)
abmn	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$ (north)
abms	$\langle \mathbf{A} \cdot \mathbf{B} \rangle$ (south)
abrms	$\langle (\mathbf{A} \cdot \mathbf{B})^2 \rangle^{1/2}$
jbrms	$\langle (\mathbf{j} \cdot \mathbf{B})^2 \rangle^{1/2}$
ajm	$\langle \mathbf{j} \cdot \mathbf{A} \rangle$
jbm	$\langle \mathbf{j} \cdot \mathbf{B} \rangle$
jbmh	$\langle \mathbf{J} \cdot \mathbf{B} \rangle$ (temp)
jbmN	$\langle \mathbf{J} \cdot \mathbf{B} \rangle$ (north)
jbmS	$\langle \mathbf{J} \cdot \mathbf{B} \rangle$ (south)
ubm	$\langle \mathbf{u} \cdot \mathbf{B} \rangle$
dubrms	$\langle (\mathbf{u} - \mathbf{B})^2 \rangle^{1/2}$
dobrms	$\langle (\boldsymbol{\omega} - \mathbf{B})^2 \rangle^{1/2}$
uxbxm	$\langle u_x B_x \rangle$
uybxm	$\langle u_y B_x \rangle$
uzbxm	$\langle u_z B_x \rangle$
uxbym	$\langle u_x B_y \rangle$
uybym	$\langle u_y B_y \rangle$
uzbym	$\langle u_z B_y \rangle$
uxbzm	$\langle u_x B_z \rangle$
uybzm	$\langle u_y B_z \rangle$
uzbzm	$\langle u_z B_z \rangle$

cosubm	$\langle \mathbf{U} \cdot \mathbf{B} / ( \mathbf{U}   \mathbf{B} ) \rangle$
jxbxm	$\langle j_x B_x \rangle$
jybxm	$\langle j_y B_x \rangle$
jzbxm	$\langle j_z B_x \rangle$
jxbym	$\langle j_x B_y \rangle$
jybym	$\langle j_y B_y \rangle$
jzbym	$\langle j_z B_y \rangle$
jxbzm	$\langle j_x B_z \rangle$
jybz	$\langle j_y B_z \rangle$
jzbzm	$\langle j_z B_z \rangle$
uam	$\langle \mathbf{u} \cdot \mathbf{A} \rangle$
ujm	$\langle \mathbf{u} \cdot \mathbf{J} \rangle$
fbm	$\langle \mathbf{f} \cdot \mathbf{B} \rangle$
fxbxm	$\langle f_x B_x \rangle$
epsM	$\langle \eta \mu_0 \mathbf{J}^2 \rangle$
epsAD	$\langle \rho^{-1} t_{\text{AD}} (\mathbf{J} \times \mathbf{B})^2 \rangle$ (heating by ion-neutrals friction)
bxpt	$B_x(x_1, y_1, z_1, t)$
bypt	$B_y(x_1, y_1, z_1, t)$
bzpt	$B_z(x_1, y_1, z_1, t)$
jxpt	$J_x(x_1, y_1, z_1, t)$
jypt	$J_y(x_1, y_1, z_1, t)$
jzpt	$J_z(x_1, y_1, z_1, t)$
Expt	$\mathcal{E}_x(x_1, y_1, z_1, t)$
Eypt	$\mathcal{E}_y(x_1, y_1, z_1, t)$
Ezpt	$\mathcal{E}_z(x_1, y_1, z_1, t)$
axpt	$A_x(x_1, y_1, z_1, t)$
aypt	$A_y(x_1, y_1, z_1, t)$
azpt	$A_z(x_1, y_1, z_1, t)$
bxp2	$B_x(x_2, y_2, z_2, t)$
byp2	$B_y(x_2, y_2, z_2, t)$
bzp2	$B_z(x_2, y_2, z_2, t)$
jxp2	$J_x(x_2, y_2, z_2, t)$
jyp2	$J_y(x_2, y_2, z_2, t)$
jzp2	$J_z(x_2, y_2, z_2, t)$
Exp2	$\mathcal{E}_x(x_2, y_2, z_2, t)$
Eyp2	$\mathcal{E}_y(x_2, y_2, z_2, t)$
Ezp2	$\mathcal{E}_z(x_2, y_2, z_2, t)$
axp2	$A_x(x_2, y_2, z_2, t)$
ayp2	$A_y(x_2, y_2, z_2, t)$

azp2	$A_z(x_2, y_2, z_2, t)$
exabot	$\int \mathbf{E} \times \mathbf{A} dS _{\text{bot}}$
exatop	$\int \mathbf{E} \times \mathbf{A} dS _{\text{top}}$
emag	$\int_V \frac{1}{2\mu_0} \mathbf{B}^2 dV$
brms	$\langle \mathbf{B}^2 \rangle^{1/2}$
bfrms	$\langle \mathbf{B}'^2 \rangle^{1/2}$
bmax	$\max( \mathbf{B} )$
bxmin	$\min( B_x )$
bymin	$\min( B_y )$
bzmin	$\min( B_z )$
bxmax	$\max( B_x )$
bymax	$\max( B_y )$
bzmax	$\max( B_z )$
bbxmax	$\max( B_x ) \text{ excluding } Bv_{ext}$
bbymax	$\max( B_y ) \text{ excluding } Bv_{ext}$
bbzmax	$\max( B_z ) \text{ excluding } Bv_{ext}$
jxmax	$\max( jv_x )$
jymax	$\max( jv_y )$
jzmax	$\max( jv_z )$
jrms	$\langle \mathbf{j}^2 \rangle^{1/2}$
hjrms	$\langle \mathbf{j}^2 \rangle^{1/2}$
jmax	$\max( \mathbf{j} )$
vArms	$\langle \mathbf{B}^2 / \varrho \rangle^{1/2}$
vAmax	$\max(\mathbf{B}^2 / \varrho)^{1/2}$
dtb	$\delta t / [c_{\delta t} \delta x / v_{A, \max}]$ (time step relative to Alfvén time step; see § ??)
dteta	$\delta t / [c_{\delta t, v} \delta x^2 / \eta_{\max}]$ (time step relative to resistive time step; see § ??)
a2m	$\langle \mathbf{A}^2 \rangle$
arms	$\langle \mathbf{A}^2 \rangle^{1/2}$
amax	$\max( \mathbf{A} )$
divarms	$\langle (\nabla \cdot \mathbf{A})^2 \rangle^{1/2}$
beta1m	$\langle \mathbf{B}^2 / (2\mu_0 p) \rangle$ (mean inverse plasma beta)
beta1max	$\max[\mathbf{B}^2 / (2\mu_0 p)]$ (maximum inverse plasma beta)
betam	$\langle \beta \rangle$
betamax	$\max \beta$
betamin	$\min \beta$
bxm	$\langle B_x \rangle$
bym	$\langle B_y \rangle$



bzm	$\langle B_z \rangle$
bxbym	$\langle B_x B_y \rangle$
bm <sub>x</sub>	$\left\langle \langle \mathbf{B} \rangle_{yz}^2 \right\rangle^{1/2}$ (energy of $yz$ -averaged mean field)
bm <sub>y</sub>	$\left\langle \langle \mathbf{B} \rangle_{xz}^2 \right\rangle^{1/2}$ (energy of $xz$ -averaged mean field)
bm <sub>z</sub>	$\left\langle \langle \mathbf{B} \rangle_{xy}^2 \right\rangle^{1/2}$ (energy of $xy$ -averaged mean field)
bmzS2	$\left\langle \langle \mathbf{B}_S \rangle_{xy}^2 \right\rangle$
bmzA2	$\left\langle \langle \mathbf{B}_A \rangle_{xy}^2 \right\rangle$
jm <sub>x</sub>	$\left\langle \langle \mathbf{J} \rangle_{yz}^2 \right\rangle^{1/2}$ (energy of $yz$ -averaged mean current density)
jm <sub>y</sub>	$\left\langle \langle \mathbf{J} \rangle_{xz}^2 \right\rangle^{1/2}$ (energy of $xz$ -averaged mean current density)
jm <sub>z</sub>	$\left\langle \langle \mathbf{J} \rangle_{xy}^2 \right\rangle^{1/2}$ (energy of $xy$ -averaged mean current density)
bmzph	Phase of a Beltrami field
bmzphe	Error of phase of a Beltrami field
bsinphz	sine of phase of a Beltrami field
bcosphz	cosine of phase of a Beltrami field
emxamz3	$\left\langle \langle \mathbf{E} \rangle_{xy} \times \langle \mathbf{A} \rangle_{xy} \right\rangle$ ( $xy$ -averaged mean field helicity flux)
embmz	$\left\langle \langle \mathbf{E} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ ( $xy$ -averaged mean field helicity production )
ambmz	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field)
ambmzh	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field, temp)
ambmzn	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field, north)
ambmzs	$\left\langle \langle \mathbf{A} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (magnetic helicity of $xy$ -averaged mean field, south)
jmbmz	$\left\langle \langle \mathbf{J} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle$ (current helicity of $xy$ -averaged mean field)
kx_aa	$k_x$
kmz	$\left\langle \langle \mathbf{J} \rangle_{xy} \cdot \langle \mathbf{B} \rangle_{xy} \right\rangle / \left\langle \langle \mathbf{B} \rangle_{xy}^2 \right\rangle$
bx2m	$\langle B_x^2 \rangle$
by2m	$\langle B_y^2 \rangle$
bz2m	$\langle B_z^2 \rangle$
uxbm	$\langle \mathbf{u} \times \mathbf{B} \rangle \cdot \mathbf{B}_0 / B_0^2$
jxbm	$\langle \mathbf{j} \times \mathbf{B} \rangle \cdot \mathbf{B}_0 / B_0^2$
magfricmax	Magneto-Frictional velocity $\langle \mathbf{j} \times \mathbf{B} \rangle \cdot \mathbf{B}^2$
b3b21m	$\langle B_3 B_{2,1} \rangle$
b3b12m	$\langle B_3 B_{1,2} \rangle$
b1b32m	$\langle B_1 B_{3,2} \rangle$
b1b23m	$\langle B_1 B_{2,3} \rangle$

b2b13m	$\langle B_2 B_{1,3} \rangle$
b2b31m	$\langle B_2 B_{3,1} \rangle$
uxbm <sub>x</sub>	$\langle (\mathbf{u} \times \mathbf{B})_x \rangle$
uxbm <sub>y</sub>	$\langle (\mathbf{u} \times \mathbf{B})_y \rangle$
uxbm <sub>z</sub>	$\langle (\mathbf{u} \times \mathbf{B})_z \rangle$
jxbm <sub>x</sub>	$\langle (\mathbf{j} \times \mathbf{B})_x \rangle$
jxbm <sub>y</sub>	$\langle (\mathbf{j} \times \mathbf{B})_y \rangle$
jxbm <sub>z</sub>	$\langle (\mathbf{j} \times \mathbf{B})_z \rangle$
exam <sub>x</sub>	$\langle \mathbf{E} \times \mathbf{A} \rangle _x$
exam <sub>y</sub>	$\langle \mathbf{E} \times \mathbf{A} \rangle _y$
exam <sub>z</sub>	$\langle \mathbf{E} \times \mathbf{A} \rangle _z$
exjm <sub>x</sub>	$\langle \mathbf{E} \times \mathbf{J} \rangle _x$
exjm <sub>y</sub>	$\langle \mathbf{E} \times \mathbf{J} \rangle _y$
exjm <sub>z</sub>	$\langle \mathbf{E} \times \mathbf{J} \rangle _z$
dexbm <sub>x</sub>	$\langle \nabla \times \mathbf{E} \times \mathbf{B} \rangle _x$
dexbm <sub>y</sub>	$\langle \nabla \times \mathbf{E} \times \mathbf{B} \rangle _y$
dexbm <sub>z</sub>	$\langle \nabla \times \mathbf{E} \times \mathbf{B} \rangle _z$
phibm <sub>x</sub>	$\langle \phi \mathbf{B} \rangle _x$
phibm <sub>y</sub>	$\langle \phi \mathbf{B} \rangle _y$
phibm <sub>z</sub>	$\langle \phi \mathbf{B} \rangle _z$
b2divum	$\langle \mathbf{B}^2 \nabla \cdot \mathbf{u} \rangle$
ujxbm	$\langle \mathbf{u} \cdot (\mathbf{J} \times \mathbf{B}) \rangle$
jxbrmax	$\max( \mathbf{J} \times \mathbf{B}/\rho )$
jxbr2m	$\langle (\mathbf{J} \times \mathbf{B}/\rho)^2 \rangle$
bmxy_rms	$\sqrt{[\langle b_x \rangle_z(x, y)]^2 + [\langle b_y \rangle_z(x, y)]^2 + [\langle b_z \rangle_z(x, y)]^2}$
etasmagm	Mean of Smagorinsky resistivity
etasmagmin	Min of Smagorinsky resistivity
etasmagmax	Max of Smagorinsky resistivity
etavamax	Max of artificial resistivity $\eta \sim v_A$
etajmax	Max of artificial resistivity $\eta \sim J/\sqrt{\rho}$
etaj2max	Max of artificial resistivity $\eta \sim J^2/\rho$
etajrhomax	Max of artificial resistivity $\eta \sim J/\rho$
cosjbm	$\langle \mathbf{J} \cdot \mathbf{B}/( \mathbf{J}   \mathbf{B} ) \rangle$
jparallelm	Mean value of the component of J parallel to B
jperpm	Mean value of the component of J perpendicular to B
hparallelm	Mean value of the component of $J_{\text{hyper}}$ parallel to B
hperpm	Mean value of the component of $J_{\text{hyper}}$ perpendicular to B
brmsx	$\langle \mathbf{B}^2 \rangle^{1/2}$ for the magnetic_xaver_range
brmsz	$\langle \mathbf{B}^2 \rangle^{1/2}$ for the magnetic_zaver_range

Exmxy	$\langle \mathcal{E}_x \rangle_z$
Eymxy	$\langle \mathcal{E}_y \rangle_z$
Ezmxy	$\langle \mathcal{E}_z \rangle_z$
Module ‘meanfield.f90’	
qsm	$\langle q_p(\overline{B}) \rangle$
qpm	$\langle q_p(\overline{B}) \rangle$
qem	$\langle q_e(\overline{B}) \rangle$ , in the paper referred to as $\langle q_g(\overline{B}) \rangle$
qam	$\langle q_a(\overline{B}) \rangle$
alpm	$\langle \alpha \rangle$
etatm	$\langle \eta_t \rangle$
EMFmz1	$\langle \mathcal{E} \rangle_{xy}  _x$
EMFmz2	$\langle \mathcal{E} \rangle_{xy}  _y$
EMFmz3	$\langle \mathcal{E} \rangle_{xy}  _z$
EMFdotBm	$\langle \mathcal{E} \cdot \mathbf{B} \rangle$
EMFdotB_int	$\int \mathcal{E} \cdot \mathbf{B} dV$
Module ‘meanfield_demfdt.f90’	
EMFrms	$(\langle \mathcal{E} \rangle)_{\text{rms}}$
EMFmax	$\max(\langle \mathcal{E} \rangle)$
EMFmin	$\min(\langle \mathcal{E} \rangle)$
Module ‘noentropy.f90’	
dtc	$\delta t / [c_{\delta t} \delta_x / \max c_s]$ (time step relative to acoustic time step; see § ??)
ethm	$\langle \rho e \rangle$ (mean thermal [=internal] energy)
pdivum	$\langle p \nabla \mathbf{u} \rangle$
Module ‘particles_caustics.f90’	
TrSigmapm	$\langle \text{Tr} [\sigma] \rangle$
blowupm	Mean no. of times $\sigma$ falls below cutoff
Module ‘particles_chemistry.f90’	
Shchm	meanparticleSherwoodnumber
Module ‘particles_dust.f90’	
xpm	$x_{part}$
xpmin	$x_{part}$
xpmax	$x_{part}$
xp2m	$x_{part}^2$
vrelpabsm	Absolutevalueofmeanrelativevelocity

vpxm	$u_{part}$
vpx2m	$u_{part}^2$
ekinp	$E_{kin,part}$
vpxmax	$MAX(u_{part})$
vpxmin	$MIN(u_{part})$
npm	meanparticlenumberdensity
Module ‘particles_dust_brdeplete.f90’	
xpm	$x_{part}$
xp2m	$x_{part}^2$
vrelpabsm	Absolutevalueofmeanrelativevelocity
vpxm	$u_{part}$
vpx2m	$u_{part}^2$
ekinp	$E_{kin,part}$
vpxmax	$MAX(u_{part})$
vpxmin	$MIN(u_{part})$
npm	meanparticlenumberdensity
Module ‘particles_lagrangian.f90’	
xpm	$x_{part}$
xp2m	$x_{part}^2$
vrelpabsm	Absolutevalueofmeanrelativevelocity
vpxm	$u_{part}$
vpx2m	$u_{part}^2$
ekinp	$E_{kin,part}$
vpxmax	$MAX(u_{part})$
vpxmin	$MIN(u_{part})$
npm	meanparticlenumberdensity
Module ‘particles_mass_swarm.f90’	
mpm	$\overline{m_p}$
mpmin	$\min_j m_{p,j}$
mpmax	$\max_j m_{p,j}$
Module ‘particles_surfspec.f90’	
dtpchem	$dt_{particle,chemistry}$
Module ‘polymer.f90’	
polytrm	$\langle Tr[C_{ij}] \rangle$
frmax	$\max(f(r))$

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h22rms	$h_{22}^{\text{rms}}$
h33rms	$h_{33}^{\text{rms}}$
h23rms	$h_{23}^{\text{rms}}$
g11pt	$g_{11}(x_1, y_1, z_1, t)$
g22pt	$g_{22}(x_1, y_1, z_1, t)$
g33pt	$g_{33}(x_1, y_1, z_1, t)$
g12pt	$g_{12}(x_1, y_1, z_1, t)$
g23pt	$g_{23}(x_1, y_1, z_1, t)$
g31pt	$g_{31}(x_1, y_1, z_1, t)$
hhTpt	$h_T(x_1, y_1, z_1, t)$
hhXpt	$h_X(x_1, y_1, z_1, t)$
ggTpt	$\dot{h}_T(x_1, y_1, z_1, t)$
ggXpt	$\dot{h}_X(x_1, y_1, z_1, t)$
hhTp2	$h_T(x_1, y_1, z_1, t)$
hhXp2	$h_X(x_1, y_1, z_1, t)$
ggTp2	$\dot{h}_T(x_1, y_1, z_1, t)$
ggXp2	$\dot{h}_X(x_1, y_1, z_1, t)$
hrms	$\langle h_T^2 + h_X^2 \rangle^{1/2}$
gg2m	$\langle g_T^2 + g_X^2 \rangle$
hhT2m	$\langle h_T^2 \rangle$
hhX2m	$\langle h_X^2 \rangle$
hhTXm	$\langle h_T h_X \rangle$
ggT2m	$\langle g_T^2 \rangle$
ggX2m	$\langle g_X^2 \rangle$
ggTXm	$\langle g_T g_X \rangle$
ggTm	$\langle g_T \rangle$
ggXm	$\langle g_X \rangle$

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h22rms	$h_{22}^{\text{rms}}$
h33rms	$h_{33}^{\text{rms}}$
h23rms	$h_{23}^{\text{rms}}$
g11pt	$g_{11}(x_1, y_1, z_1, t)$
g22pt	$g_{22}(x_1, y_1, z_1, t)$
g33pt	$g_{33}(x_1, y_1, z_1, t)$
g12pt	$g_{12}(x_1, y_1, z_1, t)$
g23pt	$g_{23}(x_1, y_1, z_1, t)$
g31pt	$g_{31}(x_1, y_1, z_1, t)$

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hhTpt	$h_T(x_1, y_1, z_1, t)$
hhXpt	$h_X(x_1, y_1, z_1, t)$
ggTpt	$\dot{h}_T(x_1, y_1, z_1, t)$
ggXpt	$\dot{h}_X(x_1, y_1, z_1, t)$
hhTp2	$h_T(x_1, y_1, z_1, t)$
hhXp2	$h_X(x_1, y_1, z_1, t)$
ggTp2	$\dot{h}_T(x_1, y_1, z_1, t)$
ggXp2	$\dot{h}_X(x_1, y_1, z_1, t)$
hrms	$\langle h_T^2 + h_X^2 \rangle^{1/2}$
gg2m	$\langle g_T^2 + g_X^2 \rangle$
hhT2m	$\langle h_T^2 \rangle$
hhX2m	$\langle h_X^2 \rangle$
hhTXm	$\langle h_T h_X \rangle$
ggT2m	$\langle g_T^2 \rangle$
ggX2m	$\langle g_X^2 \rangle$
ggTXm	$\langle g_T g_X \rangle$
ggTm	$\langle g_T \rangle$
ggXm	$\langle g_X \rangle$
Module ‘shear.f90’	
dtshhear	advec__shear/cdt
deltay	deltay
Module ‘shock.f90’	
shockmax	Max shock number
Module ‘shock_highorder.f90’	
gshockmax	$\max  \nabla \nu_{shock} $
Module ‘solar__corona.f90’	
dtvel	Velocity driver time step
dtnewt	Radiative cooling time step
dtradloss	Radiative losses time step
dtchi2	$\delta t / [c_{\delta t, v} \delta x^2 / \chi_{\max}]$ (time step relative to time step based on heat conductivity; see § ??)
dtspitzer	Spitzer heat conduction time step
mag_flux	Total vertical magnetic flux at
Module ‘solid_cells_CGEO.f90’	
Module ‘solid_cells_reactive.f90’	

TTmax	$\max(T)$
gTmax	$\max( \nabla T )$
TTmin	$\min(T)$
TTm	$\langle T \rangle$
TTzmask	$\langle T \rangle$ for the temp_zaver_range
TT2m	$\langle T^2 \rangle$
TugTm	$\langle T \mathbf{u} \cdot \nabla T \rangle$
Trms	$\sqrt{\langle T^2 \rangle}$
uxTm	$\langle u_x T \rangle$
uyTm	$\langle u_y T \rangle$
uzTm	$\langle u_z T \rangle$
gT2m	$\langle (\nabla T)^2 \rangle$
guxgTm	$\langle \nabla u_x \cdot \nabla T \rangle$
guygTm	$\langle \nabla u_y \cdot \nabla T \rangle$
guzgTm	$\langle \nabla u_z \cdot \nabla T \rangle$
Tugux_uxugTm	$\langle T \mathbf{u} \cdot \nabla u_x + u_x \mathbf{u} \cdot \nabla T \rangle = \langle \mathbf{u} \cdot \nabla (u_x T) \rangle$
Tuguy_uyugTm	$\langle T \mathbf{u} \cdot \nabla u_y + u_y \mathbf{u} \cdot \nabla T \rangle = \langle \mathbf{u} \cdot \nabla (u_y T) \rangle$
Tuguz_uzugTm	$\langle T \mathbf{u} \cdot \nabla u_z + u_z \mathbf{u} \cdot \nabla T \rangle = \langle \mathbf{u} \cdot \nabla (u_z T) \rangle$
Tdxpm	$\langle T dp/dx \rangle$
Tdypm	$\langle T dp/dy \rangle$
Tdzpm	$\langle T dp/dz \rangle$
fradtop	$\langle -K \frac{dT}{dz} \rangle_{\text{top}}$ (top radiative flux)
fradbot	$\langle -K \frac{dT}{dz} \rangle_{\text{bot}}$ (bottom radiative flux)
yHmax	DOCUMENT ME
yHmin	DOCUMENT ME
yHm	DOCUMENT ME
ethm	$\langle e_{\text{th}} \rangle = \langle c_v \rho T \rangle$ (mean thermal energy)
eem	$\langle e \rangle = \langle c_v T \rangle$ (mean internal energy)
ethtot	$\int_V \rho e dV$ (total thermal energy)
ssm	$\overline{S}$
thcool	$\tau_{\text{cool}}$
ppm	$\overline{P}$
csm	$\overline{c_s}$
csmmax	$\max(c_s)$
dte	$\delta t / [c_{\delta t} \delta x / \max c_s]$ (time step relative to acoustic time step; see § ??)

dtchi	$\delta t / [c_{\delta t, v} \delta x^2 / \chi_{\max}]$ (time step relative to time step based on heat conductivity; see § ??)
Emzmask	$\langle n^2 \exp -(\log T - \log T_0)^2 / (\delta \log T)^2 \rangle$ the emiss_zaver_range
Module ‘temperature_ionization.f90’	
TTmax	$\max(T)$
TTmin	$\min(T)$
TTm	$\langle T \rangle$
ethm	$\langle e_{\text{th}} \rangle = \langle c_v \rho T \rangle$ (mean thermal energy)
eem	$\langle e \rangle$ (mean internal energy)
ppm	$\langle p \rangle$
Module ‘testfield_axisym.f90’	
alpPERP	$\alpha_{\perp}$
alpPARA	$\alpha_{\perp}$
gam	$\gamma$
betPERP	$\beta_{\perp}$
betPARA	$\beta_{\perp}$
del	$\delta$
kapPERP	$\kappa_{\perp}$
kapPARA	$\kappa_{\perp}$
mu	$\mu$
alpPERPz	$\alpha_{\perp}(z)$
alpPARAz	$\alpha_{\perp}(z)$
gamz	$\gamma(z)$
betPERPz	$\beta_{\perp}(z)$
betPARAz	$\beta_{\perp}(z)$
delz	$\delta(z)$
kapPERPz	$\kappa_{\perp}(z)$
kapPARAz	$\kappa_{\perp}(z)$
muz	$\mu(z)$
bx1pt	$b_x^1$
bx2pt	$b_x^2$
bx3pt	$b_x^3$
b1rms	$\langle b_1^2 \rangle^{1/2}$
b2rms	$\langle b_2^2 \rangle^{1/2}$
b3rms	$\langle b_3^2 \rangle^{1/2}$
Module ‘testfield_axisym2.f90’	
alpPERP	$\alpha_{\perp}$



alpPARA	$\alpha_{\perp}$
gam	$\gamma$
betPERP	$\beta_{\perp}$
betPARA	$\beta_{\perp}$
del	$\delta$
kapPERP	$\kappa_{\perp}$
kapPARA	$\kappa_{\perp}$
mu	$\mu$
bx1pt	$b_x^1$
bx2pt	$b_x^2$
bx3pt	$b_x^3$
b1rms	$\langle b_1^2 \rangle^{1/2}$
b2rms	$\langle b_2^2 \rangle^{1/2}$
b3rms	$\langle b_3^2 \rangle^{1/2}$

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Module ‘testfield\_axisym4.f90’

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alpPERP	$\alpha_{\perp}$
alpPARA	$\alpha_{\perp}$
gam	$\gamma$
betPERP	$\beta_{\perp}$
betPERP2	$\beta_{\perp}^{(2)}$
betPARA	$\beta_{\perp}$
del	$\delta$
del2	$\delta^{(2)}$
kapPERP	$\kappa_{\perp}$
kapPERP2	$\kappa_{\perp}^{(2)}$
kapPARA	$\kappa_{\perp}$
mu	$\mu$
mu2	$\mu^{(2)}$
alpPERPz	$\alpha_{\perp}(z)$
alpPARAz	$\alpha_{\perp}(z)$
gamz	$\gamma(z)$
betPERPz	$\beta_{\perp}(z)$
betPARAz	$\beta_{\perp}(z)$
delz	$\delta(z)$
kapPERPz	$\kappa_{\perp}(z)$
kapPARAz	$\kappa_{\perp}(z)$
muz	$\mu(z)$
bx1pt	$b_x^1$

bx2pt	$b_x^2$
bx3pt	$b_x^3$
b1rms	$\langle b_1^2 \rangle^{1/2}$
b2rms	$\langle b_2^2 \rangle^{1/2}$
b3rms	$\langle b_3^2 \rangle^{1/2}$

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Module 'testfield\_compress\_z.f90'

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alp11	$\alpha_{11}$
alp21	$\alpha_{21}$
alp31	$\alpha_{31}$
alp12	$\alpha_{12}$
alp22	$\alpha_{22}$
alp32	$\alpha_{32}$
eta11	$\eta_{11}k$
eta21	$\eta_{21}k$
eta12	$\eta_{12}k$
eta22	$\eta_{22}k$
alpK	$\alpha^K$
alpM	$\alpha^M$
alpMK	$\alpha^{MK}$
phi11	$\phi_{11}$
phi21	$\phi_{21}$
phi12	$\phi_{12}$
phi22	$\phi_{22}$
phi32	$\phi_{32}$
psi11	$\psi_{11}k$
psi21	$\psi_{21}k$
psi12	$\psi_{12}k$
psi22	$\psi_{22}k$
phiK	$\phi^K$
phiM	$\phi^M$
phiMK	$\phi^{MK}$
alp11cc	$\alpha_{11} \cos^2 kz$
alp21sc	$\alpha_{21} \sin kz \cos kz$
alp12cs	$\alpha_{12} \cos kz \sin kz$
alp22ss	$\alpha_{22} \sin^2 kz$
eta11cc	$\eta_{11} \cos^2 kz$
eta21sc	$\eta_{21} \sin kz \cos kz$
eta12cs	$\eta_{12} \cos kz \sin kz$

eta22ss	$\eta_{22} \sin^2 kz$
s2kzDFm	$\langle \sin 2kz \nabla \cdot F \rangle$
M11	$\mathcal{M}_{11}$
M22	$\mathcal{M}_{22}$
M33	$\mathcal{M}_{33}$
M11cc	$\mathcal{M}_{11} \cos^2 kz$
M11ss	$\mathcal{M}_{11} \sin^2 kz$
M22cc	$\mathcal{M}_{22} \cos^2 kz$
M22ss	$\mathcal{M}_{22} \sin^2 kz$
M12cs	$\mathcal{M}_{12} \cos kz \sin kz$
bx11pt	$b_x^{11}$
bx21pt	$b_x^{21}$
bx12pt	$b_x^{12}$
bx22pt	$b_x^{22}$
bx0pt	$b_x^0$
by11pt	$b_y^{11}$
by21pt	$b_y^{21}$
by12pt	$b_y^{12}$
by22pt	$b_y^{22}$
by0pt	$b_y^0$
u11rms	$\langle u_{11}^2 \rangle^{1/2}$
u21rms	$\langle u_{21}^2 \rangle^{1/2}$
u12rms	$\langle u_{12}^2 \rangle^{1/2}$
u22rms	$\langle u_{22}^2 \rangle^{1/2}$
j11rms	$\langle j_{11}^2 \rangle^{1/2}$
b11rms	$\langle b_{11}^2 \rangle^{1/2}$
b21rms	$\langle b_{21}^2 \rangle^{1/2}$
b12rms	$\langle b_{12}^2 \rangle^{1/2}$
b22rms	$\langle b_{22}^2 \rangle^{1/2}$
ux0m	$\langle u_{0x} \rangle$
uy0m	$\langle u_{0y} \rangle$
ux11m	$\langle u_{11x} \rangle$
uy11m	$\langle u_{11y} \rangle$
u0rms	$\langle u_0^2 \rangle^{1/2}$
b0rms	$\langle b_0^2 \rangle^{1/2}$
jb0m	$\langle j b_0 \rangle$
E11rms	$\langle \mathcal{E}_{11}^2 \rangle^{1/2}$
E21rms	$\langle \mathcal{E}_{21}^2 \rangle^{1/2}$
E12rms	$\langle \mathcal{E}_{12}^2 \rangle^{1/2}$

E22rms	$\langle \mathcal{E}_{22}^2 \rangle^{1/2}$
E0rms	$\langle \mathcal{E}_0^2 \rangle^{1/2}$
Ex11pt	$\mathcal{E}_x^{11}$
Ex21pt	$\mathcal{E}_x^{21}$
Ex12pt	$\mathcal{E}_x^{12}$
Ex22pt	$\mathcal{E}_x^{22}$
Ex0pt	$\mathcal{E}_x^0$
Ey11pt	$\mathcal{E}_y^{11}$
Ey21pt	$\mathcal{E}_y^{21}$
Ey12pt	$\mathcal{E}_y^{12}$
Ey22pt	$\mathcal{E}_y^{22}$
Ey0pt	$\mathcal{E}_y^0$
bamp	bamp
E111z	$\mathcal{E}_1^{11}$
E211z	$\mathcal{E}_2^{11}$
E311z	$\mathcal{E}_3^{11}$
E121z	$\mathcal{E}_1^{21}$
E221z	$\mathcal{E}_2^{21}$
E321z	$\mathcal{E}_3^{21}$
E112z	$\mathcal{E}_1^{12}$
E212z	$\mathcal{E}_2^{12}$
E312z	$\mathcal{E}_3^{12}$
E122z	$\mathcal{E}_1^{22}$
E222z	$\mathcal{E}_2^{22}$
E322z	$\mathcal{E}_3^{22}$
E10z	$\mathcal{E}_1^0$
E20z	$\mathcal{E}_2^0$
E30z	$\mathcal{E}_3^0$
EBpq	$\mathcal{E} \cdot \mathbf{B}^{pq}$
E0Um	$\mathcal{E}^0 \cdot \mathbf{U}$
E0Wm	$\mathcal{E}^0 \cdot \mathbf{W}$
bx0mz	$\langle b_x \rangle_{xy}$
by0mz	$\langle b_y \rangle_{xy}$
bz0mz	$\langle b_z \rangle_{xy}$
M11z	$\langle \mathcal{M}_{11} \rangle_{xy}$
M22z	$\langle \mathcal{M}_{22} \rangle_{xy}$
M33z	$\langle \mathcal{M}_{33} \rangle_{xy}$

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Module ‘testfield\_meri.f90’

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E11xy	$E_{11xy}$
E12xy	$E_{12xy}$
E13xy	$E_{13xy}$
E21xy	$E_{21xy}$
E22xy	$E_{22xy}$
E23xy	$E_{23xy}$
E31xy	$E_{31xy}$
E32xy	$E_{32xy}$
E33xy	$E_{33xy}$
E41xy	$E_{41xy}$
E42xy	$E_{42xy}$
E43xy	$E_{43xy}$
E51xy	$E_{51xy}$
E52xy	$E_{52xy}$
E53xy	$E_{53xy}$
E61xy	$E_{61xy}$
E62xy	$E_{62xy}$
E63xy	$E_{63xy}$
E71xy	$E_{71xy}$
E72xy	$E_{72xy}$
E73xy	$E_{73xy}$
E81xy	$E_{81}$
E82xy	$E_{82}$
E83xy	$E_{83}$
E91xy	$E_{91}$
E92xy	$E_{92}$
E93xy	$E_{93}$
a11xy	$\alpha_{11}$
a12xy	$\alpha_{12}$
a13xy	$\alpha_{13}$
a21xy	$\alpha_{21}$
a22xy	$\alpha_{22}$
a23xy	$\alpha_{23}$
a31xy	$\alpha_{31}$
a32xy	$\alpha_{32}$
a33xy	$\alpha_{33}$
b111xy	111
b121xy	121
b131xy	131

b211xy	211
b221xy	221
b231xy	231
b311xy	311
b321xy	321
b331xy	331
b112xy	112
b122xy	122
b132xy	132
b212xy	212
b222xy	222
b232xy	232
b312xy	312
b322xy	322
b332xy	332

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Module ‘testfield\_nonlin\_z.f90’

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alp11	$\alpha_{11}$
alp21	$\alpha_{21}$
alp31	$\alpha_{31}$
alp12	$\alpha_{12}$
alp22	$\alpha_{22}$
alp32	$\alpha_{32}$
eta11	$\eta_{11}k$
eta21	$\eta_{21}k$
eta12	$\eta_{12}k$
eta22	$\eta_{22}k$
alpK	$\alpha^K$
alpM	$\alpha^M$
alpMK	$\alpha^{MK}$
phi11	$\phi_{11}$
phi21	$\phi_{21}$
phi12	$\phi_{12}$
phi22	$\phi_{22}$
phi32	$\phi_{32}$
psi11	$\psi_{11}k$
psi21	$\psi_{21}k$
psi12	$\psi_{12}k$
psi22	$\psi_{22}k$

phiK	$\phi^K$
phiM	$\phi^M$
phiMK	$\phi^{MK}$
alp11cc	$\alpha_{11} \cos^2 kz$
alp21sc	$\alpha_{21} \sin kz \cos kz$
alp12cs	$\alpha_{12} \cos kz \sin kz$
alp22ss	$\alpha_{22} \sin^2 kz$
eta11cc	$\eta_{11} \cos^2 kz$
eta21sc	$\eta_{21} \sin kz \cos kz$
eta12cs	$\eta_{12} \cos kz \sin kz$
eta22ss	$\eta_{22} \sin^2 kz$
s2kzDFm	$\langle \sin 2kz \nabla \cdot F \rangle$
M11	$\mathcal{M}_{11}$
M22	$\mathcal{M}_{22}$
M33	$\mathcal{M}_{33}$
M11cc	$\mathcal{M}_{11} \cos^2 kz$
M11ss	$\mathcal{M}_{11} \sin^2 kz$
M22cc	$\mathcal{M}_{22} \cos^2 kz$
M22ss	$\mathcal{M}_{22} \sin^2 kz$
M12cs	$\mathcal{M}_{12} \cos kz \sin kz$
bx11pt	$b_x^{11}$
bx21pt	$b_x^{21}$
bx12pt	$b_x^{12}$
bx22pt	$b_x^{22}$
bx0pt	$b_x^0$
by11pt	$b_y^{11}$
by21pt	$b_y^{21}$
by12pt	$b_y^{12}$
by22pt	$b_y^{22}$
by0pt	$b_y^0$
u11rms	$\langle u_{11}^2 \rangle^{1/2}$
u21rms	$\langle u_{21}^2 \rangle^{1/2}$
u12rms	$\langle u_{12}^2 \rangle^{1/2}$
u22rms	$\langle u_{22}^2 \rangle^{1/2}$
j11rms	$\langle j_{11}^2 \rangle^{1/2}$
b11rms	$\langle b_{11}^2 \rangle^{1/2}$
b21rms	$\langle b_{21}^2 \rangle^{1/2}$
b12rms	$\langle b_{12}^2 \rangle^{1/2}$
b22rms	$\langle b_{22}^2 \rangle^{1/2}$

ux0m	$\langle u_{0_x} \rangle$
uy0m	$\langle u_{0_y} \rangle$
ux11m	$\langle u_{11_x} \rangle$
uy11m	$\langle u_{11_y} \rangle$
u0rms	$\langle u_0^2 \rangle^{1/2}$
b0rms	$\langle b_0^2 \rangle^{1/2}$
jb0m	$\langle j b_0 \rangle$
E11rms	$\langle \mathcal{E}_{11}^2 \rangle^{1/2}$
E21rms	$\langle \mathcal{E}_{21}^2 \rangle^{1/2}$
E12rms	$\langle \mathcal{E}_{12}^2 \rangle^{1/2}$
E22rms	$\langle \mathcal{E}_{22}^2 \rangle^{1/2}$
E0rms	$\langle \mathcal{E}_0^2 \rangle^{1/2}$
Ex11pt	$\mathcal{E}_x^{11}$
Ex21pt	$\mathcal{E}_x^{21}$
Ex12pt	$\mathcal{E}_x^{12}$
Ex22pt	$\mathcal{E}_x^{22}$
Ex0pt	$\mathcal{E}_x^0$
Ey11pt	$\mathcal{E}_y^{11}$
Ey21pt	$\mathcal{E}_y^{21}$
Ey12pt	$\mathcal{E}_y^{12}$
Ey22pt	$\mathcal{E}_y^{22}$
Ey0pt	$\mathcal{E}_y^0$
bamp	bamp
E111z	$\mathcal{E}_1^{11}$
E211z	$\mathcal{E}_2^{11}$
E311z	$\mathcal{E}_3^{11}$
E121z	$\mathcal{E}_1^{21}$
E221z	$\mathcal{E}_2^{21}$
E321z	$\mathcal{E}_3^{21}$
E112z	$\mathcal{E}_1^{12}$
E212z	$\mathcal{E}_2^{12}$
E312z	$\mathcal{E}_3^{12}$
E122z	$\mathcal{E}_1^{22}$
E222z	$\mathcal{E}_2^{22}$
E322z	$\mathcal{E}_3^{22}$
E10z	$\mathcal{E}_1^0$
E20z	$\mathcal{E}_2^0$
E30z	$\mathcal{E}_3^0$
EBpq	$\mathcal{E} \cdot \mathbf{B}^{pq}$



E0Um	$\mathcal{E}^0 \cdot \boldsymbol{U}$
E0Wm	$\mathcal{E}^0 \cdot \boldsymbol{W}$
bx0mz	$\langle b_x \rangle_{xy}$
by0mz	$\langle b_y \rangle_{xy}$
bz0mz	$\langle b_z \rangle_{xy}$
M11z	$\langle \mathcal{M}_{11} \rangle_{xy}$
M22z	$\langle \mathcal{M}_{22} \rangle_{xy}$
M33z	$\langle \mathcal{M}_{33} \rangle_{xy}$
<hr/>	
Module 'testfield_x.f90'	
<hr/>	
alp11	$\alpha_{11}$
alp21	$\alpha_{21}$
alp31	$\alpha_{31}$
alp12	$\alpha_{12}$
alp22	$\alpha_{22}$
alp32	$\alpha_{32}$
eta11	$\eta_{11}k$
eta21	$\eta_{21}k$
eta12	$\eta_{12}k$
eta22	$\eta_{22}k$
alp11cc	$\alpha_{11} \cos^2 kx$
alp21sc	$\alpha_{21} \sin kx \cos kx$
alp12cs	$\alpha_{12} \cos kx \sin kx$
alp22ss	$\alpha_{22} \sin^2 kx$
eta11cc	$\eta_{11} \cos^2 kx$
eta21sc	$\eta_{21} \sin kx \cos kx$
eta12cs	$\eta_{12} \cos kx \sin kx$
eta22ss	$\eta_{22} \sin^2 kx$
alp11_x	$\alpha_{11}x$
alp21_x	$\alpha_{21}x$
alp12_x	$\alpha_{12}x$
alp22_x	$\alpha_{22}x$
eta11_x	$\eta_{11}kx$
eta21_x	$\eta_{21}kx$
eta12_x	$\eta_{12}kx$
eta22_x	$\eta_{22}kx$
alp11_x2	$\alpha_{11}x^2$
alp21_x2	$\alpha_{21}x^2$
alp12_x2	$\alpha_{12}x^2$

alp22_x2	$\alpha_{22}x^2$
eta11_x2	$\eta_{11}kx^2$
eta21_x2	$\eta_{21}kx^2$
eta12_x2	$\eta_{12}kx^2$
eta22_x2	$\eta_{22}kx^2$
b11rms	$\langle b_{11}^2 \rangle^{1/2}$
b21rms	$\langle b_{21}^2 \rangle^{1/2}$
b12rms	$\langle b_{12}^2 \rangle^{1/2}$
b22rms	$\langle b_{22}^2 \rangle^{1/2}$
b0rms	$\langle b_0^2 \rangle^{1/2}$
E11rms	$\langle \mathcal{E}_{11}^2 \rangle^{1/2}$
E21rms	$\langle \mathcal{E}_{21}^2 \rangle^{1/2}$
E12rms	$\langle \mathcal{E}_{12}^2 \rangle^{1/2}$
E22rms	$\langle \mathcal{E}_{22}^2 \rangle^{1/2}$
E0rms	$\langle \mathcal{E}_0^2 \rangle^{1/2}$
E111z	$\mathcal{E}_1^{11}$
E211z	$\mathcal{E}_2^{11}$
E311z	$\mathcal{E}_3^{11}$
E121z	$\mathcal{E}_1^{21}$
E221z	$\mathcal{E}_2^{21}$
E321z	$\mathcal{E}_3^{21}$
E112z	$\mathcal{E}_1^{12}$
E212z	$\mathcal{E}_2^{12}$
E312z	$\mathcal{E}_3^{12}$
E122z	$\mathcal{E}_1^{22}$
E222z	$\mathcal{E}_2^{22}$
E322z	$\mathcal{E}_3^{22}$
E10z	$\mathcal{E}_1^0$
E20z	$\mathcal{E}_2^0$
E30z	$\mathcal{E}_3^0$
EBpq	$\mathcal{E} \cdot \mathbf{B}^{pq}$
bx0mz	$\langle b_x \rangle_{xy}$
by0mz	$\langle b_y \rangle_{xy}$
bz0mz	$\langle b_z \rangle_{xy}$
alp11x	$\alpha_{11}(x, t)$
alp21x	$\alpha_{21}(x, t)$
alp12x	$\alpha_{12}(x, t)$
alp22x	$\alpha_{22}(x, t)$
eta11x	$\eta_{11}(x, t)$

eta21x	$\eta_{21}(x, t)$
eta12x	$\eta_{12}(x, t)$
eta22x	$\eta_{22}(x, t)$
Module 'testfield_xz.f90'	
E111z	$\mathcal{E}_1^{11}$
E211z	$\mathcal{E}_2^{11}$
E311z	$\mathcal{E}_3^{11}$
E121z	$\mathcal{E}_1^{21}$
E221z	$\mathcal{E}_2^{21}$
E321z	$\mathcal{E}_3^{21}$
alp11	$\alpha_{11}$
alp21	$\alpha_{21}$
eta11	$\eta_{113}k$
eta21	$\eta_{213}k$
b11rms	$\langle b_{11}^2 \rangle$
b21rms	$\langle b_{21}^2 \rangle$
Module 'testfield_z.f90'	
alp11	$\alpha_{11}$
alp21	$\alpha_{21}$
alp31	$\alpha_{31}$
alp12	$\alpha_{12}$
alp22	$\alpha_{22}$
alp32	$\alpha_{32}$
alp13	$\alpha_{13}$
alp23	$\alpha_{23}$
eta11	$\eta_{113}k$ or $\eta_{11}k$ if leta_rank2=T
eta21	$\eta_{213}k$ or $\eta_{21}k$ if leta_rank2=T
eta31	$\eta_{313}k$
eta12	$\eta_{123}k$ or $\eta_{12}k$ if leta_rank2=T
eta22	$\eta_{223}k$ or $\eta_{22}k$ if leta_rank2=T
eta32	$\eta_{323}k$
alp11cc	$\alpha_{11} \cos^2 kz$
alp21sc	$\alpha_{21} \sin kz \cos kz$
alp12cs	$\alpha_{12} \cos kz \sin kz$
alp22ss	$\alpha_{22} \sin^2 kz$
eta11cc	$\eta_{11} \cos^2 kz$
eta21sc	$\eta_{21} \sin kz \cos kz$

eta12cs	$\eta_{12} \cos kz \sin kz$
eta22ss	$\eta_{22} \sin^2 kz$
s2kzDFm	$\langle \sin 2kz \nabla \cdot F \rangle$
M11	$\mathcal{M}_{11}$
M22	$\mathcal{M}_{22}$
M33	$\mathcal{M}_{33}$
M11cc	$\mathcal{M}_{11} \cos^2 kz$
M11ss	$\mathcal{M}_{11} \sin^2 kz$
M22cc	$\mathcal{M}_{22} \cos^2 kz$
M22ss	$\mathcal{M}_{22} \sin^2 kz$
M12cs	$\mathcal{M}_{12} \cos kz \sin kz$
bx11pt	$b_x^{11}$
bx21pt	$b_x^{21}$
bx12pt	$b_x^{12}$
bx22pt	$b_x^{22}$
bx0pt	$b_x^0$
by11pt	$b_y^{11}$
by21pt	$b_y^{21}$
by12pt	$b_y^{12}$
by22pt	$b_y^{22}$
by0pt	$b_y^0$
b11rms	$\langle b_{11}^2 \rangle^{1/2}$
b21rms	$\langle b_{21}^2 \rangle^{1/2}$
b12rms	$\langle b_{12}^2 \rangle^{1/2}$
b22rms	$\langle b_{22}^2 \rangle^{1/2}$
b0rms	$\langle b_0^2 \rangle^{1/2}$
jb0m	$\langle j b_0 \rangle$
E11rms	$\langle \mathcal{E}_{11}^2 \rangle^{1/2}$
E21rms	$\langle \mathcal{E}_{21}^2 \rangle^{1/2}$
E12rms	$\langle \mathcal{E}_{12}^2 \rangle^{1/2}$
E22rms	$\langle \mathcal{E}_{22}^2 \rangle^{1/2}$
E0rms	$\langle \mathcal{E}_0^2 \rangle^{1/2}$
Ex11pt	$\mathcal{E}_x^{11}$
Ex21pt	$\mathcal{E}_x^{21}$
Ex12pt	$\mathcal{E}_x^{12}$
Ex22pt	$\mathcal{E}_x^{22}$
Ex0pt	$\mathcal{E}_x^0$
Ey11pt	$\mathcal{E}_y^{11}$
Ey21pt	$\mathcal{E}_y^{21}$

Ey12pt	$\mathcal{E}_y^{12}$
Ey22pt	$\mathcal{E}_y^{22}$
Ey0pt	$\mathcal{E}_y^0$
bamp	bamp
alp11z	$\alpha_{11}(z, t)$
alp21z	$\alpha_{21}(z, t)$
alp12z	$\alpha_{12}(z, t)$
alp22z	$\alpha_{22}(z, t)$
alp13z	$\alpha_{13}(z, t)$
alp23z	$\alpha_{23}(z, t)$
eta11z	$\eta_{11}(z, t)$
eta21z	$\eta_{21}(z, t)$
eta12z	$\eta_{12}(z, t)$
eta22z	$\eta_{22}(z, t)$
uzjx1z	$u_z j_x^{11}$
uzjy1z	$u_z j_y^{11}$
uzjz1z	$u_z j_z^{11}$
uzjx2z	$u_z j_x^{21}$
uzjy2z	$u_z j_y^{21}$
uzjz2z	$u_z j_z^{21}$
uzjx3z	$u_z j_x^{12}$
uzjy3z	$u_z j_y^{12}$
uzjz3z	$u_z j_z^{12}$
uzjx4z	$u_z j_x^{22}$
uzjy4z	$u_z j_y^{22}$
uzjz4z	$u_z j_z^{22}$
E111z	$\mathcal{E}_1^{11}$
E211z	$\mathcal{E}_2^{11}$
E311z	$\mathcal{E}_3^{11}$
E121z	$\mathcal{E}_1^{21}$
E221z	$\mathcal{E}_2^{21}$
E321z	$\mathcal{E}_3^{21}$
E112z	$\mathcal{E}_1^{12}$
E212z	$\mathcal{E}_2^{12}$
E312z	$\mathcal{E}_3^{12}$
E122z	$\mathcal{E}_1^{22}$
E222z	$\mathcal{E}_2^{22}$
E322z	$\mathcal{E}_3^{22}$
E10z	$\mathcal{E}_1^0$

E20z	$\mathcal{E}_2^0$
E30z	$\mathcal{E}_3^0$
EBpq	$\mathcal{E} \cdot \mathbf{B}^{pq}$
E0Um	$\mathcal{E}^0 \cdot \mathbf{U}$
E0Wm	$\mathcal{E}^0 \cdot \mathbf{W}$
bx0mz	$\langle b_x \rangle_{xy}$
by0mz	$\langle b_y \rangle_{xy}$
bz0mz	$\langle b_z \rangle_{xy}$
M11z	$\langle \mathcal{M}_{11} \rangle_{xy}$
M22z	$\langle \mathcal{M}_{22} \rangle_{xy}$
M33z	$\langle \mathcal{M}_{33} \rangle_{xy}$
Module ‘testflow_z.f90’	
gal	GAL-coefficients, couple $\overline{F}$ and $\overline{U}$
aklam	AKA- $\lambda$ -tensor, couples $\overline{F}$ and $\overline{W} = \nabla \times \overline{U}$
gamma	$\gamma$ -vector, couples $\overline{F}$ and $\nabla \cdot \overline{U}$
nu	$\nu$ -tensor, couples $\overline{F}$ and $\partial^2 \overline{U} / \partial z^2$
zeta	$\zeta$ -vector, couples $\overline{F}$ and $\overline{G}_z = \nabla_z \overline{H}$
xi	$\xi$ -vector, couples $\overline{F}$ and $\partial^2 \overline{H} / \partial z^2$
aklamQ	$aklam^Q$ -vector, couples $\overline{Q}$ and $\overline{W}$
gammaQ	$\gamma^Q$ -scalar, couples $\overline{Q}$ and $\nabla \cdot \overline{U} = dU_z/dz$
nuQ	$\nu^Q$ -vector, couples $\overline{Q}$ and $\partial^2 \overline{U} / \partial z^2$
zetaQ	$\zeta^Q$ -scalar, couples $\overline{Q}$ and $\overline{G}_z$
xiQ	$\xi^Q$ -scalar, couples $\overline{Q}$ and $\partial^2 \overline{H} / \partial z^2$
	$\alpha_{K,ij} \ \gamma_i \ \nu_{ij} \ \zeta_i \ \xi_i \ \nu_i^Q \ aklam_i^Q \ \mathcal{F}_i^{pq} \ \mathcal{Q}^{pq} \ \langle u^{pq2} \rangle \ \langle h^{pq2} \rangle$
ux0mz	$\langle u_x \rangle_{xy}$
uy0mz	$\langle u_y \rangle_{xy}$
uz0mz	$\langle u_z \rangle_{xy}$
Module ‘testperturb.f90’	
alp11	$\alpha_{11}$
alp21	$\alpha_{21}$
alp31	$\alpha_{31}$
alp12	$\alpha_{12}$
alp22	$\alpha_{22}$
alp32	$\alpha_{32}$
eta11	$\eta_{113} k$
eta21	$\eta_{213} k$
eta31	$\eta_{313} k$

eta12	$\eta_{123}k$
eta22	$\eta_{223}k$
eta32	$\eta_{323}k$
Module ‘testscalar.f90’	
gam11	$\gamma_1^{(1)}$
gam12	$\gamma_2^{(1)}$
gam13	$\gamma_3^{(1)}$
gam21	$\gamma_1^{(2)}$
gam22	$\gamma_2^{(2)}$
gam23	$\gamma_3^{(2)}$
gam31	$\gamma_1^{(3)}$
gam32	$\gamma_2^{(3)}$
gam33	$\gamma_3^{(3)}$
kap11	$\kappa_{11}$
kap21	$\kappa_{21}$
kap31	$\kappa_{31}$
kap12	$\kappa_{12}$
kap22	$\kappa_{22}$
kap32	$\kappa_{32}$
kap13	$\kappa_{13}$
kap23	$\kappa_{23}$
kap33	$\kappa_{33}$
gam11z	$\gamma_1^{(1)}(z, t)$
gam12z	$\gamma_2^{(1)}(z, t)$
gam13z	$\gamma_3^{(1)}(z, t)$
gam21z	$\gamma_1^{(2)}(z, t)$
gam22z	$\gamma_2^{(2)}(z, t)$
gam23z	$\gamma_3^{(2)}(z, t)$
gam31z	$\gamma_1^{(3)}(z, t)$
gam32z	$\gamma_2^{(3)}(z, t)$
gam33z	$\gamma_3^{(3)}(z, t)$
kap11z	$\kappa_{11}(z, t)$
kap21z	$\kappa_{21}(z, t)$
kap31z	$\kappa_{31}(z, t)$
kap12z	$\kappa_{12}(z, t)$
kap22z	$\kappa_{22}(z, t)$
kap32z	$\kappa_{32}(z, t)$
kap13z	$\kappa_{13}(z, t)$

kap23z	$\kappa_{23}(z, t)$
kap33z	$\kappa_{33}(z, t)$
mgam33	$\tilde{\gamma}_{33}$
mkap33	$\tilde{\kappa}_{33}$
ngam33	$\hat{\gamma}_{33}$
nkap33	$\hat{\kappa}_{33}$
c1rms	$\langle c_1^2 \rangle^{1/2}$
c2rms	$\langle c_2^2 \rangle^{1/2}$
c3rms	$\langle c_3^2 \rangle^{1/2}$
c4rms	$\langle c_4^2 \rangle^{1/2}$
c5rms	$\langle c_5^2 \rangle^{1/2}$
c6rms	$\langle c_6^2 \rangle^{1/2}$
c1pt	$c^1$
c2pt	$c^2$
c3pt	$c^3$
c4pt	$c^4$
c5pt	$c^5$
c6pt	$c^6$
F11z	$\mathcal{F}_1^1$
F21z	$\mathcal{F}_2^1$
F31z	$\mathcal{F}_3^1$
F12z	$\mathcal{F}_1^2$
F22z	$\mathcal{F}_2^2$
F32z	$\mathcal{F}_3^2$

---

Module ‘testscalar\_axisym.f90’

---

muc1	$\mu^{(c1)}$
muc2	$\mu^{(c2)}$
gamc	$\gamma^{(c)}$
kapcPERP1	$\kappa_{\perp}^{(1)}$
kapcPERP2	$\kappa_{\perp}^{(2)}$
kapcPARA	$\kappa_{\parallel}$
mucz	$\mu^{(c)}(z, t)$
gamcz	$\gamma^{(c)}(z, t)$
kapcPERPz	$\kappa_{\perp}(z, t)$
kapcPARAz	$\kappa_{\parallel}(z, t)$
gam11	$\gamma_1^{(1)}$
gam12	$\gamma_2^{(1)}$
gam13	$\gamma_3^{(1)}$



gam21	$\gamma_1^{(2)}$
gam22	$\gamma_2^{(2)}$
gam23	$\gamma_3^{(2)}$
gam31	$\gamma_1^{(3)}$
gam32	$\gamma_2^{(3)}$
gam33	$\gamma_3^{(3)}$
kap11	$\kappa_{11}$
kap21	$\kappa_{21}$
kap31	$\kappa_{31}$
kap12	$\kappa_{12}$
kap22	$\kappa_{22}$
kap32	$\kappa_{32}$
kap13	$\kappa_{13}$
kap23	$\kappa_{23}$
kap33	$\kappa_{33}$
gam11z	$\gamma_1^{(1)}(z, t)$
gam12z	$\gamma_2^{(1)}(z, t)$
gam13z	$\gamma_3^{(1)}(z, t)$
gam21z	$\gamma_1^{(2)}(z, t)$
gam22z	$\gamma_2^{(2)}(z, t)$
gam23z	$\gamma_3^{(2)}(z, t)$
gam31z	$\gamma_1^{(3)}(z, t)$
gam32z	$\gamma_2^{(3)}(z, t)$
gam33z	$\gamma_3^{(3)}(z, t)$
gam3z	$\gamma^{(c)}(z, t)$
kap11z	$\kappa_{11}(z, t)$
kap21z	$\kappa_{21}(z, t)$
kap31z	$\kappa_{31}(z, t)$
kap12z	$\kappa_{12}(z, t)$
kap22z	$\kappa_{22}(z, t)$
kap32z	$\kappa_{32}(z, t)$
kap13z	$\kappa_{13}(z, t)$
kap23z	$\kappa_{23}(z, t)$
kap33z	$\kappa_{33}(z, t)$
mgam33	$\tilde{\gamma}_{33}$
mkap33	$\tilde{\kappa}_{33}$
ngam33	$\hat{\gamma}_{33}$
nkap33	$\hat{\kappa}_{33}$
c1rms	$\langle c_1^2 \rangle^{1/2}$

c2rms	$\langle c_2^2 \rangle^{1/2}$
c3rms	$\langle c_3^2 \rangle^{1/2}$
c4rms	$\langle c_4^2 \rangle^{1/2}$
c5rms	$\langle c_5^2 \rangle^{1/2}$
c6rms	$\langle c_6^2 \rangle^{1/2}$
c1pt	$c^1$
c2pt	$c^2$
c3pt	$c^3$
c4pt	$c^4$
c5pt	$c^5$
c6pt	$c^6$
F11z	$\mathcal{F}_1^1$
F21z	$\mathcal{F}_2^1$
F31z	$\mathcal{F}_3^1$
F12z	$\mathcal{F}_1^2$
F22z	$\mathcal{F}_2^2$
F32z	$\mathcal{F}_3^2$

---

Module ‘testscalar\_simple.f90’

---

gam11	$\gamma_1^{(1)}$
gam12	$\gamma_2^{(1)}$
gam13	$\gamma_3^{(1)}$
gam21	$\gamma_1^{(2)}$
gam22	$\gamma_2^{(2)}$
gam23	$\gamma_3^{(2)}$
gam31	$\gamma_1^{(3)}$
gam32	$\gamma_2^{(3)}$
gam33	$\gamma_3^{(3)}$
kap11	$\kappa_{11}$
kap21	$\kappa_{21}$
kap31	$\kappa_{31}$
kap12	$\kappa_{12}$
kap22	$\kappa_{22}$
kap32	$\kappa_{32}$
kap13	$\kappa_{13}$
kap23	$\kappa_{23}$
kap33	$\kappa_{33}$
gam11z	$\gamma_1^{(1)}(z, t)$
gam12z	$\gamma_2^{(1)}(z, t)$

gam13z	$\gamma_3^{(1)}(z, t)$
gam21z	$\gamma_1^{(2)}(z, t)$
gam22z	$\gamma_2^{(2)}(z, t)$
gam23z	$\gamma_3^{(2)}(z, t)$
gam31z	$\gamma_1^{(3)}(z, t)$
gam32z	$\gamma_2^{(3)}(z, t)$
gam33z	$\gamma_3^{(3)}(z, t)$
kap11z	$\kappa_{11}(z, t)$
kap21z	$\kappa_{21}(z, t)$
kap31z	$\kappa_{31}(z, t)$
kap12z	$\kappa_{12}(z, t)$
kap22z	$\kappa_{22}(z, t)$
kap32z	$\kappa_{32}(z, t)$
kap13z	$\kappa_{13}(z, t)$
kap23z	$\kappa_{23}(z, t)$
kap33z	$\kappa_{33}(z, t)$
mgam33	$\tilde{\gamma}_{33}$
mkap33	$\tilde{\kappa}_{33}$
ngam33	$\hat{\gamma}_{33}$
nkap33	$\hat{\kappa}_{33}$
c1rms	$\langle c_1^2 \rangle^{1/2}$
c2rms	$\langle c_2^2 \rangle^{1/2}$
c3rms	$\langle c_3^2 \rangle^{1/2}$
c4rms	$\langle c_4^2 \rangle^{1/2}$
c5rms	$\langle c_5^2 \rangle^{1/2}$
c6rms	$\langle c_6^2 \rangle^{1/2}$
c1pt	$c^1$
c2pt	$c^2$
c3pt	$c^3$
c4pt	$c^4$
c5pt	$c^5$
c6pt	$c^6$
F11z	$\mathcal{F}_1^1$
F21z	$\mathcal{F}_2^1$
F31z	$\mathcal{F}_3^1$
F12z	$\mathcal{F}_1^2$
F22z	$\mathcal{F}_2^2$
F32z	$\mathcal{F}_3^2$

---

---

Module ‘thermal\_energy.f90’

---

TTmax	$\max(T)$
TTmin	$\min(T)$
ppm	$\langle p \rangle$
TTm	$\langle T \rangle$
ethm	$\langle e_{\text{th}} \rangle = \langle c_v \rho T \rangle$ (mean thermal energy)
ethtot	$\int_V e_{\text{th}} dV$ (total thermal energy)
ethmin	$\min e_{\text{th}}$
ethmax	$\max e_{\text{th}}$
eem	$\langle e \rangle = \langle c_v T \rangle$ (mean internal energy)
etot	$\langle e_{\text{th}} + \rho u^2 / 2 \rangle$

---

Module ‘visc\_smagorinsky.f90’

---

nu_LES	Mean value of Smagorinsky viscosity
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---

Module ‘viscosity.f90’

---

nu_tdep	time-dependent viscosity
fviscm	Mean value of viscous acceleration
fviscmmin	Min value of viscous acceleration
fviscmmax	Max value of viscous acceleration
fviscrmsx	Rms value of viscous acceleration for the vis_xaver_range
num	Mean value of viscosity
nusmagm	Mean value of Smagorinsky viscosity
nusmagmin	Min value of Smagorinsky viscosity
nusmagmax	Max value of Smagorinsky viscosity
nu_LES	Mean value of Smagorinsky viscosity
visc_heatm	Mean value of viscous heating
qfviscm	$\langle \mathbf{q} \cdot \mathbf{f}_{\text{visc}} \rangle$
ufviscm	$\langle \mathbf{u} \cdot \mathbf{f}_{\text{visc}} \rangle$
Sij2m	$\langle S^2 \rangle$
epsK	$\langle 2\nu \rho S^2 \rangle$
slope_c_max	Max value of characteric speed of slope limited diffusion
dtnu	$\delta t / [c_{\delta t, v} \delta x^2 / \nu_{\text{max}}]$ (time step relative to viscous time step; see § ??)
meshRemax	Max mesh Reynolds number
Reshock	Mesh Reynolds number at shock

---

## 1.4 List of parameters for ‘video.in’

The following table lists all (at the time of writing, 2018 年 10 月 23 日) possible inputs to the file ‘video.in’.

Variable	Meaning
Module ‘hydro.f90’	
uu	velocity vector $\mathbf{u}$ ; writes all three components separately to files ‘u[xyz].{xz,yz,xy,xy2}’
u2	kinetic energy density $\mathbf{u}^2$ ; writes ‘u2.{xz,yz,xy,xy2}’
oo	vorticity vector $\boldsymbol{\omega} = \nabla \times \mathbf{u}$ ; writes all three components separately to files ‘oo[xyz].{xz,yz,xy,xy2}’
o2	enstrophy $\omega^2 =  \nabla \times \mathbf{u} ^2$ ; writes ‘o2.{xz,yz,xy,xy2}’
divu	$\nabla \cdot \mathbf{u}$ ; writes ‘divu.{xz,yz,xy,xy2}’
mach	Mach number squared $\text{Ma}^2$ ; writes ‘mach.{xz,yz,xy,xy2}’
Module ‘density.f90’	
lnrho	logarithmic density $\ln \rho$ ; writes ‘lnrho.{xz,yz,xy,xy2}’
rho	density $\rho$ ; writes ‘rho.{xz,yz,xy,xy2}’
Module ‘entropy.f90’	
ss	entropy $s$ ; writes ‘ss.{xz,yz,xy,xy2}’
pp	pressure $p$ ; writes ‘pp.{xz,yz,xy,xy2}’
Module ‘temperature_idealgas.f90’	
lnTT	logarithmic temperature $\ln T$ ; writes ‘lnTT.{xz,yz,xy,xy2}’
TT	temperature $T$ ; writes ‘TT.{xz,yz,xy,xy2}’
Module ‘shock.f90’	
shock	shock viscosity $\nu_{\text{shock}}$ ; writes ‘shock.{xz,yz,xy,xy2}’
Module ‘eos_ionization.f90’	
yH	ionization fraction $y_{\text{H}}$ ; writes ‘yH.{xz,yz,xy,xy2}’
Module ‘radiation_ray.f90’	
Qrad	radiative heating rate $Q_{\text{rad}}$ ; writes ‘Qrad.{xz,yz,xy,xy2}’
Isurf	surface intensity $I_{\text{surf}}$ (?); writes ‘Isurf.xz’
Module ‘magnetic.f90’	
aa	magnetic vector potential $\mathbf{A}$ ; writes ‘aa[xyz].{xz,yz,xy,xy2}’

bb	magnetic flux density $\mathbf{B}$ ; writes ‘bb[xyz].{xz,yz,xy,xy2}’
b2	magnetic energy density $\mathbf{B}^2$ ; writes ‘b2.{xz,yz,xy,xy2}’
jj	current density $\mathbf{j}$ ; writes ‘jj[xyz].{xz,yz,xy,xy2}’
j2	current density squared $\mathbf{j}^2$ ; writes ‘j2.{xz,yz,xy,xy2}’
jb	$\mathbf{j}\mathbf{B}$ ; writes ‘jb.{xz,yz,xy,xy2}’
beta1	inverse plasma beta $\mathbf{B}^2/(2\mu_0 p)$ ; writes ‘beta1.{xz,yz,xy,xy2}’
Poynting	Poynting vector $\eta\mathbf{j} \times \mathbf{B} - (\mathbf{u} \times \mathbf{B}) \times \mathbf{B}/\mu_0$ ; writes ‘Poynting[xyz].{xz,yz,xy,xy2}’
ab	magnetic helicity density $\mathbf{A} \cdot \mathbf{B}$ ; writes ‘ab[xyz].{xz,yz,xy,xy2}’
Module ‘pscalar.f90’	
lncc	logarithmic density of passive scalar $\ln c$ ; writes ‘lncc.{xz,yz,xy,xy2}’
Module ‘cosmicray.f90’	
ecr	energy $e_{\text{cr}}$ of cosmic rays (?); writes ‘ec.{xz,yz,xy,xy2}’

### 1.5 List of parameters for ‘phiaver.in’

The following table lists all (at the time of writing, November 2003) possible inputs to the file ‘phiaver.in’.

Variable	Meaning
Module ‘cdata.f90’	
rcylmphi	cylindrical radius $\varpi = \sqrt{x^2 + y^2}$ (useful for debugging azimuthal averages)
phimphi	azimuthal angle $\varphi = \arctan \frac{y}{x}$ (useful for debugging)
zmphi	$z$ -coordinate (useful for debugging)
rmphi	spherical radius $r = \sqrt{\varpi^2 + z^2}$ (useful for debugging)
Module ‘hydro.f90’	
urmphi	$\langle u_{\varpi} \rangle_{\varphi}$ [cyl. polar coords $(\varpi, \varphi, z)$ ]
upmphi	$\langle u_{\varphi} \rangle_{\varphi}$
uzmphi	$\langle u_z \rangle_{\varphi}$
ursphmphi	$\langle u_r \rangle_{\varphi}$
uthmphi	$\langle u_{\vartheta} \rangle_{\varphi}$
uumphi	shorthand for urmphi, upmphi and uzmphi together

uusphmphi	shorthand for ursphmphi, uthmphi and upmphi together
u2mphi	$\langle \mathbf{u}^2 \rangle_\varphi$
Module ‘density.f90’	
lnrhomphi	$\langle \ln \varrho \rangle_\varphi$
rhomphi	$\langle \varrho \rangle_\varphi$
Module ‘entropy.f90’	
ssmphi	$\langle s \rangle_\varphi$
cs2mphi	$\langle c_s^2 \rangle_\varphi$
Module ‘magnetic.f90’	
jbmphi	$\langle \mathbf{J} \cdot \mathbf{B} \rangle_\varphi$
brmphi	$\langle B_\varpi \rangle_\varphi$ [cyl. polar coords $(\varpi, \varphi, z)$ ]
bpmphi	$\langle B_\varphi \rangle_\varphi$
bzmphi	$\langle B_z \rangle_\varphi$
bbmphi	shorthand for brmphi, bpmphi and bzmphi together
bbsphmphi	shorthand for brsphmphi, bthmphi and bpmphi together
b2mphi	$\langle \mathbf{B}^2 \rangle_\varphi$
brsphmphi	$\langle B_r \rangle_\varphi$
bthmphi	$\langle B_\vartheta \rangle_\varphi$
Module ‘anelastic.f90’	
lnrhomphi	$\langle \ln \varrho \rangle_\varphi$
rhomphi	$\langle \varrho \rangle_\varphi$
Module ‘entropy_anelastic.f90’	
ssmphi	$\langle s \rangle_\varphi$
cs2mphi	$\langle c_s^2 \rangle_\varphi$
Module ‘magnetic_shearboxJ.f90’	
jbmphi	$\langle \mathbf{J} \cdot \mathbf{B} \rangle_\varphi$
brmphi	$\langle B_\varpi \rangle_\varphi$ [cyl. polar coords $(\varpi, \varphi, z)$ ]
bpmphi	$\langle B_\varphi \rangle_\varphi$
bzmphi	$\langle B_z \rangle_\varphi$
bbmphi	shorthand for brmphi, bpmphi and bzmphi together
bbsphmphi	shorthand for brsphmphi, bthmphi and bpmphi together
b2mphi	$\langle \mathbf{B}^2 \rangle_\varphi$
brsphmphi	$\langle B_r \rangle_\varphi$
bthmphi	$\langle B_\vartheta \rangle_\varphi$

## 1.6 List of parameters for ‘xyaver.in’

The following table lists possible inputs to the file ‘xyaver.in’. This list is not complete and maybe outdated.

Variable	Meaning
Module ‘hydro.f90’	
u2mz	$\langle \mathbf{u}^2 \rangle_{xy}$
o2mz	$\langle \mathbf{W}^2 \rangle_{xy}$
divu2mz	$\langle (\nabla \cdot \mathbf{u})^2 \rangle_{xy}$
curlru2mz	$\langle (\nabla \times \varrho \mathbf{U})^2 \rangle_{xy}$
divru2mz	$\langle (\nabla \cdot \varrho \mathbf{u})^2 \rangle_{xy}$
fmasszmz	$\langle \varrho u_z \rangle_{xy}$
fkinzmz	$\langle \frac{1}{2} \varrho \mathbf{u}^2 u_z \rangle_{xy}$
uxmz	$\langle u_x \rangle_{xy}$ (horiz. averaged $x$ velocity)
uymz	$\langle u_y \rangle_{xy}$
uzmz	$\langle u_z \rangle_{xy}$
uzupmz	$\langle u_{z\uparrow} \rangle_{xy}$
uzdownmz	$\langle u_{z\downarrow} \rangle_{xy}$
ruzupmz	$\langle \varrho u_{z\uparrow} \rangle_{xy}$
ruzdownmz	$\langle \varrho u_{z\downarrow} \rangle_{xy}$
divumz	$\langle \text{div} \mathbf{u} \rangle_{xy}$
uzdivumz	$\langle u_z \text{div} \mathbf{u} \rangle_{xy}$
oxmz	$\langle \omega_x \rangle_{xy}$
oymz	$\langle \omega_y \rangle_{xy}$
ozmz	$\langle \omega_z \rangle_{xy}$
ux2mz	$\langle u_x^2 \rangle_{xy}$
uy2mz	$\langle u_y^2 \rangle_{xy}$
uz2mz	$\langle u_z^2 \rangle_{xy}$
ox2mz	$\langle \omega_x^2 \rangle_{xy}$
oy2mz	$\langle \omega_y^2 \rangle_{xy}$
oz2mz	$\langle \omega_z^2 \rangle_{xy}$
ruxmz	$\langle \varrho u_x \rangle_{xy}$
ruymz	$\langle \varrho u_y \rangle_{xy}$
ruzmxz	$\langle \varrho u_z \rangle_{xy}$
rux2mz	$\langle \varrho u_x^2 \rangle_{xy}$
ruy2mz	$\langle \varrho u_y^2 \rangle_{xy}$



ruz2mz	$\langle \varrho u_z^2 \rangle_{xy}$
uxuymz	$\langle u_x u_y \rangle_{xy}$
uxuzmz	$\langle u_x u_z \rangle_{xy}$
uyuymz	$\langle u_y u_z \rangle_{xy}$
ruxuymz	$\langle \rho u_x u_y \rangle_{xy}$
ruxuzmz	$\langle \rho u_x u_z \rangle_{xy}$
ruyuzmz	$\langle \rho u_y u_z \rangle_{xy}$
ruxuy2mz	$\langle \rho u_x u_y \rangle_{xy}$
ruxuz2mz	$\langle \rho u_x u_z \rangle_{xy}$
ruyuz2mz	$\langle \rho u_y u_z \rangle_{xy}$
oxuxxmz	$\langle \omega_x u_{x,x} \rangle_{xy}$
oyuxymz	$\langle \omega_y u_{x,y} \rangle_{xy}$
oxuyxmz	$\langle \omega_x u_{y,x} \rangle_{xy}$
oyuyymz	$\langle \omega_y u_{y,y} \rangle_{xy}$
oxuzxmz	$\langle \omega_x u_{z,x} \rangle_{xy}$
oyuzymz	$\langle \omega_y u_{z,y} \rangle_{xy}$
uyxuzxmz	$\langle u_{y,x} u_{z,x} \rangle_{xy}$
uyyuzymz	$\langle u_{y,y} u_{z,y} \rangle_{xy}$
uyzuzzmz	$\langle u_{y,z} u_{z,z} \rangle_{xy}$
ekinmz	$\langle \frac{1}{2} \varrho \mathbf{u}^2 \rangle_{xy}$
oumz	$\langle \boldsymbol{\omega} \cdot \mathbf{u} \rangle_{xy}$
Remz	$\langle \frac{ \mathbf{u} \cdot \mathbf{u} }{\left  \frac{\partial}{\partial x_j} (\nu S_{ij}) \right } \rangle_{xy}$
oguxmz	$\langle (\boldsymbol{\omega} \cdot \nabla \mathbf{u})_x \rangle_{xy}$
oguymz	$\langle (\boldsymbol{\omega} \cdot \nabla \mathbf{u})_y \rangle_{xy}$
oguzmz	$\langle (\boldsymbol{\omega} \cdot \nabla \mathbf{u})_z \rangle_{xy}$
ogux2mz	$\langle (\boldsymbol{\omega} \cdot \nabla \mathbf{u})_x^2 \rangle_{xy}$
oguy2mz	$\langle (\boldsymbol{\omega} \cdot \nabla \mathbf{u})_y^2 \rangle_{xy}$
oguz2mz	$\langle (\boldsymbol{\omega} \cdot \nabla \mathbf{u})_z^2 \rangle_{xy}$
oxdivumz	$\langle \omega_x \nabla \cdot \mathbf{u} \rangle_{xy}$
oydivumz	$\langle \omega_y \nabla \cdot \mathbf{u} \rangle_{xy}$
ozdivumz	$\langle \omega_z \nabla \cdot \mathbf{u} \rangle_{xy}$
oxdivu2mz	$\langle (\omega_x \text{nabla} \cdot \mathbf{u})^2 \rangle_{xy}$
oydivu2mz	$\langle (\omega_y \nabla \cdot \mathbf{u})^2 \rangle_{xy}$
ozdivu2mz	$\langle (\omega_z \nabla \cdot \mathbf{u})^2 \rangle_{xy}$
accpowzmz	$\langle (u_z Du_z / Dt)^2 \rangle_{xy}$
accpowzupmz	$\langle (u_z Du_z / Dt)^2 \rangle_{xy+}$
accpowzdownmz	$\langle (u_z Du_z / Dt)^2 \rangle_{xy-}$

fkinxmx	$\langle \frac{1}{2} \rho \mathbf{u}^2 u_x \rangle_{yz}$
Module ‘density.f90’	
rhomz	$\langle \rho \rangle_{xy}$
rho2mz	$\langle \rho^2 \rangle_{xy}$
gzlnrhomz	$\langle \nabla_z \ln \rho \rangle_{xy}$
uglnrhomz	$\langle \mathbf{u} \cdot \nabla \ln \rho \rangle_{xy}$
ugrhomz	$\langle \mathbf{u} \cdot \nabla \rho \rangle_{xy}$
uygzlnrhomz	$\langle u_y \nabla_z \ln \rho \rangle_{xy}$
uzgylnrhomz	$\langle u_z \nabla_y \ln \rho \rangle_{xy}$
rho2mx	$\langle \rho^2 \rangle_{yz}$
Module ‘entropy.f90’	
fradz	$\langle F_{\text{rad}} \rangle_{xy}$
fconvz	$\langle c_p \rho u_z T \rangle_{xy}$
ssmz	$\langle s \rangle_{xy}$
ss2mz	$\langle s^2 \rangle_{xy}$
ppmz	$\langle p \rangle_{xy}$
TTmz	$\langle T \rangle_{xy}$
TT2mz	$\langle T^2 \rangle_{xy}$
uxTTmz	$\langle u_x T \rangle_{xy}$
uyTTmz	$\langle u_y T \rangle_{xy}$
uzTTmz	$\langle u_z T \rangle_{xy}$
gTxgsxmz	$\langle (\nabla T \times \nabla s)_x \rangle_{xy}$
gTxgsymz	$\langle (\nabla T \times \nabla s)_y \rangle_{xy}$
gTxgszmz	$\langle (\nabla T \times \nabla s)_z \rangle_{xy}$
gTxgsx2mz	$\langle (\nabla T \times \nabla s)_x^2 \rangle_{xy}$
gTxgsy2mz	$\langle (\nabla T \times \nabla s)_y^2 \rangle_{xy}$
gTxgsz2mz	$\langle (\nabla T \times \nabla s)_z^2 \rangle_{xy}$
fradz_kramers	$F_{\text{rad}}$ (from Kramers’ opacity)
fradz_Kprof	$F_{\text{rad}}$ (from Kprof)
fradz_constchi	$F_{\text{rad}}$ (from chi_const)
fturbz	$\langle \rho T \chi_t \nabla_z s \rangle_{xy}$ (turbulent heat flux)
fturbtz	$\langle \rho T \chi_t 0 \nabla_z s \rangle_{xy}$ (turbulent heat flux)
fturbmz	$\langle \rho T \chi_t 0 \nabla_z \bar{s} \rangle_{xy}$ (turbulent heat flux)
fturbfz	$\langle \rho T \chi_t 0 \nabla_z s' \rangle_{xy}$ (turbulent heat flux)
dcoolz	surface cooling flux
heatmz	heating
Kkramersmz	$\langle K_0 T^{(3-b)}/rho^{(a+1)} \rangle_{xy}$

ethmz	$\langle \varrho e \rangle_{xy}$
Module ‘magnetic.f90’	
axmz	$\langle \mathcal{A}_x \rangle_{xy}$
aymz	$\langle \mathcal{A}_y \rangle_{xy}$
azmz	$\langle \mathcal{A}_z \rangle_{xy}$
abuxmz	$\langle (\mathbf{A} \cdot \mathbf{B}) u_x \rangle_{xy}$
abuymz	$\langle (\mathbf{A} \cdot \mathbf{B}) u_y \rangle_{xy}$
abuzmz	$\langle (\mathbf{A} \cdot \mathbf{B}) u_z \rangle_{xy}$
uabxmz	$\langle (\mathbf{u} \cdot \mathbf{A}) B_x \rangle_{xy}$
uabymz	$\langle (\mathbf{u} \cdot \mathbf{A}) B_y \rangle_{xy}$
uabzmz	$\langle (\mathbf{u} \cdot \mathbf{A}) B_z \rangle_{xy}$
bbxmz	$\langle \mathcal{B}'_x \rangle_{xy}$
bbymz	$\langle \mathcal{B}'_y \rangle_{xy}$
bbzmz	$\langle \mathcal{B}'_z \rangle_{xy}$
bxmz	$\langle \mathcal{B}_x \rangle_{xy}$
bymz	$\langle \mathcal{B}_y \rangle_{xy}$
bzmz	$\langle \mathcal{B}_z \rangle_{xy}$
jxmz	$\langle \mathcal{J}_x \rangle_{xy}$
jymz	$\langle \mathcal{J}_y \rangle_{xy}$
jzmz	$\langle \mathcal{J}_z \rangle_{xy}$
Exmz	$\langle \mathcal{E}_x \rangle_{xy}$
Eymz	$\langle \mathcal{E}_y \rangle_{xy}$
Ezmz	$\langle \mathcal{E}_z \rangle_{xy}$
bx2mz	$\langle B_x^2 \rangle_{xy}$
by2mz	$\langle B_y^2 \rangle_{xy}$
bz2mz	$\langle B_z^2 \rangle_{xy}$
bx2rmz	$\langle B_x^2 / \varrho \rangle_{xy}$
by2rmz	$\langle B_y^2 / \varrho \rangle_{xy}$
bz2rmz	$\langle B_z^2 / \varrho \rangle_{xy}$
beta1mz	$\langle (B^2 / 2\mu_0) / p \rangle_{xy}$
betamz	$\langle \beta \rangle_{xy}$
beta2mz	$\langle \beta^2 \rangle_{xy}$
jbmz	$\langle \mathbf{J} \cdot \mathbf{B} \rangle_{xy}$
d6abmz	$\langle \nabla^6 \mathbf{A} \cdot \mathbf{B} \rangle_{xy}$
d6amz1	$\langle \nabla^6 \mathbf{A} \rangle_{xy} \big _x$
d6amz2	$\langle \nabla^6 \mathbf{A} \rangle_{xy} \big _y$
d6amz3	$\langle \nabla^6 \mathbf{A} \rangle_{xy} \big _z$
abmz	$\langle \mathbf{A} \cdot \mathbf{B} \rangle_{xy}$

ubmz	$\langle \mathbf{u} \cdot \mathbf{B} \rangle _{xy}$
uamz	$\langle \mathbf{u} \cdot \mathbf{A} \rangle _{xy}$
uxbxmz	$\langle u_x b_x \rangle _{xy}$
uybxmz	$\langle u_y b_x \rangle _{xy}$
uzbxmz	$\langle u_z b_x \rangle _{xy}$
uxbymz	$\langle u_x b_y \rangle _{xy}$
uybymz	$\langle u_y b_y \rangle _{xy}$
uzbymz	$\langle u_z b_y \rangle _{xy}$
uxbzmz	$\langle u_x b_z \rangle _{xy}$
uybzmz	$\langle u_y b_z \rangle _{xy}$
uzbzmz	$\langle u_z b_z \rangle _{xy}$
examz1	$\langle \mathbf{E} \times \mathbf{A} \rangle_{xy} _x$
examz2	$\langle \mathbf{E} \times \mathbf{A} \rangle_{xy} _y$
examz3	$\langle \mathbf{E} \times \mathbf{A} \rangle_{xy} _z$
e3xamz1	$\langle \mathbf{E}_{hyper3} \times \mathbf{A} \rangle_{xy} _x$
e3xamz2	$\langle \mathbf{E}_{hyper3} \times \mathbf{A} \rangle_{xy} _y$
e3xamz3	$\langle \mathbf{E}_{hyper3} \times \mathbf{A} \rangle_{xy} _z$
etatotalmz	$\langle \eta \rangle_{xy}$
bxbymz	$\langle B_x B_y \rangle_{xy}$
bxbzmz	$\langle B_x B_z \rangle_{xy}$
bybzmz	$\langle B_y B_z \rangle_{xy}$
b2mz	$\langle \mathbf{B}^2 \rangle_{xy}$
bf2mz	$\langle \mathbf{B}'^2 \rangle_{xy}$
j2mz	$\langle \mathbf{j}^2 \rangle_{xy}$
poynzmz	Averaged poynting flux in z direction
epsMmz	$\langle \eta \mu_0 \mathbf{j}^2 \rangle_{xy}$

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Module ‘bfield.f90’

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bmz	$\langle B \rangle_{xy}$
b2mz	$\langle B^2 \rangle_{xy}$
bxmz	$\langle B_x \rangle_{xy}$
bymz	$\langle B_y \rangle_{xy}$
bzmz	$\langle B_z \rangle_{xy}$
bx2mz	$\langle B_x^2 \rangle_{xy}$
by2mz	$\langle B_y^2 \rangle_{xy}$
bz2mz	$\langle B_z^2 \rangle_{xy}$
bxbymz	$\langle B_x B_y \rangle_{xy}$
bxbzmz	$\langle B_x B_z \rangle_{xy}$
bybzmz	$\langle B_y B_z \rangle_{xy}$

betamz	$\langle \beta \rangle_{xy}$	
beta2mz	$\langle \beta^2 \rangle_{xy}$	
Module ‘density_stratified.f90’		
drhomz	$\langle \Delta \rho / \rho_0 \rangle_{xy}$	
drho2mz	$\langle (\Delta \rho / \rho_0)^2 \rangle_{xy}$	
Module ‘gravity_simple.f90’		
epotmz	$\langle \varrho \Phi_{\text{grav}} \rangle_{xy}$	
epotuzmz	$\langle \varrho \Phi_{\text{grav}} u_z \rangle_{xy}$	(potential energy flux)
Module ‘magnetic_shearboxJ.f90’		
axmz	$\langle \mathcal{A}_x \rangle_{xy}$	
aymz	$\langle \mathcal{A}_y \rangle_{xy}$	
azmz	$\langle \mathcal{A}_z \rangle_{xy}$	
abuxmz	$\langle (\mathbf{A} \cdot \mathbf{B}) u_x \rangle_{xy}$	
abuymz	$\langle (\mathbf{A} \cdot \mathbf{B}) u_y \rangle_{xy}$	
abuzmz	$\langle (\mathbf{A} \cdot \mathbf{B}) u_z \rangle_{xy}$	
uabxmz	$\langle (\mathbf{u} \cdot \mathbf{A}) B_x \rangle_{xy}$	
uabymz	$\langle (\mathbf{u} \cdot \mathbf{A}) B_y \rangle_{xy}$	
uabzmz	$\langle (\mathbf{u} \cdot \mathbf{A}) B_z \rangle_{xy}$	
bbxmz	$\langle \mathcal{B}'_x \rangle_{xy}$	
bbymz	$\langle \mathcal{B}'_y \rangle_{xy}$	
bbzmz	$\langle \mathcal{B}'_z \rangle_{xy}$	
bxmz	$\langle \mathcal{B}_x \rangle_{xy}$	
bymz	$\langle \mathcal{B}_y \rangle_{xy}$	
bzmz	$\langle \mathcal{B}_z \rangle_{xy}$	
jxmz	$\langle \mathcal{J}_x \rangle_{xy}$	
jymz	$\langle \mathcal{J}_y \rangle_{xy}$	
jzmz	$\langle \mathcal{J}_z \rangle_{xy}$	
Exmz	$\langle \mathcal{E}_x \rangle_{xy}$	
Eymz	$\langle \mathcal{E}_y \rangle_{xy}$	
Ezmz	$\langle \mathcal{E}_z \rangle_{xy}$	
bx2mz	$\langle B_x^2 \rangle_{xy}$	
by2mz	$\langle B_y^2 \rangle_{xy}$	
bz2mz	$\langle B_z^2 \rangle_{xy}$	
bx2rmz	$\langle B_x^2 / \varrho \rangle_{xy}$	
by2rmz	$\langle B_y^2 / \varrho \rangle_{xy}$	
bz2rmz	$\langle B_z^2 / \varrho \rangle_{xy}$	
beta1mz	$\langle (B^2 / 2\mu_0) / p \rangle_{xy}$	

betamz	$\langle \beta \rangle_{xy}$
beta2mz	$\langle \beta^2 \rangle_{xy}$
jbmz	$\langle \mathbf{J} \cdot \mathbf{B} \rangle_{xy}$
d6abmz	$\langle \nabla^6 \mathbf{A} \cdot \mathbf{B} \rangle_{xy}$
d6amz1	$\langle \nabla^6 \mathbf{A} \rangle_{xy}  _x$
d6amz2	$\langle \nabla^6 \mathbf{A} \rangle_{xy}  _y$
d6amz3	$\langle \nabla^6 \mathbf{A} \rangle_{xy}  _z$
abmz	$\langle \mathbf{A} \cdot \mathbf{B} \rangle_{xy}$
ubmz	$\langle \mathbf{u} \cdot \mathbf{B} \rangle_{xy}$
uamz	$\langle \mathbf{u} \cdot \mathbf{A} \rangle_{xy}$
uxbxmz	$\langle u_x b_x \rangle_{xy}$
uybxmz	$\langle u_y b_x \rangle_{xy}$
uzbxmz	$\langle u_z b_x \rangle_{xy}$
uxbymz	$\langle u_x b_y \rangle_{xy}$
uybymz	$\langle u_y b_y \rangle_{xy}$
uzbymz	$\langle u_z b_y \rangle_{xy}$
uxbzmz	$\langle u_x b_z \rangle_{xy}$
uybzmz	$\langle u_y b_z \rangle_{xy}$
uzbzmz	$\langle u_z b_z \rangle_{xy}$
examz1	$\langle \mathbf{E} \times \mathbf{A} \rangle_{xy}  _x$
examz2	$\langle \mathbf{E} \times \mathbf{A} \rangle_{xy}  _y$
examz3	$\langle \mathbf{E} \times \mathbf{A} \rangle_{xy}  _z$
e3xamz1	$\langle \mathbf{E}_{hyper3} \times \mathbf{A} \rangle_{xy}  _x$
e3xamz2	$\langle \mathbf{E}_{hyper3} \times \mathbf{A} \rangle_{xy}  _y$
e3xamz3	$\langle \mathbf{E}_{hyper3} \times \mathbf{A} \rangle_{xy}  _z$
etatotalmz	$\langle \eta \rangle_{xy}$
bxbymz	$\langle B_x B_y \rangle_{xy}$
bxbzmz	$\langle B_x B_z \rangle_{xy}$
bybzmz	$\langle B_y B_z \rangle_{xy}$
b2mz	$\langle \mathbf{B}^2 \rangle_{xy}$
bf2mz	$\langle \mathbf{B}'^2 \rangle_{xy}$
j2mz	$\langle \mathbf{j}^2 \rangle_{xy}$
poynzmz	Averaged poynting flux in z direction
epsMmz	$\langle \eta \mu_0 \mathbf{j}^2 \rangle_{xy}$

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Module ‘meanfield.f90’

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qpmz	$\langle q_p \rangle_{xy}$
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Module ‘shock\_highorder.f90’

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Module ‘temperature\_idealgas.f90’

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ppmz	$\langle p \rangle_{xy}$
TTmz	$\langle T \rangle_{xy}$
ethmz	$\langle e_{th} \rangle_{xy}$
fpresxmz	$\langle (\nabla p)_x \rangle_{xy}$
fpresymz	$\langle (\nabla p)_y \rangle_{xy}$
fpreszmz	$\langle (\nabla p)_z \rangle_{xy}$
TT2mz	$\langle T^2 \rangle_{xy}$
uxTmz	$\langle u_x T \rangle_{xy}$
uyTmz	$\langle u_y T \rangle_{xy}$
uzTmz	$\langle u_z T \rangle_{xy}$
fradmz	$\langle F_{rad} \rangle_{xy}$
fconvmz	$\langle c_p \rho u_z T \rangle_{xy}$

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Module ‘temperature\_ionization.f90’

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puzmz	$\langle p u_z \rangle_{xy}$
pr1mz	$\langle p / \rho \rangle_{xy}$
eruzmz	$\langle e \rho u_z \rangle_{xy}$
ffakez	$\langle \rho u_z c_p T \rangle_{xy}$
mumz	$\langle \mu \rangle_{xy}$
TTmz	$\langle T \rangle_{xy}$
ssmz	$\langle s \rangle_{xy}$
eemz	$\langle e \rangle_{xy}$
ppmz	$\langle p \rangle_{xy}$

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Module ‘thermal\_energy.f90’

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ppmz	$\langle p \rangle_{xy}$
TTmz	$\langle T \rangle_{xy}$

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Module ‘viscosity.f90’

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fviscmz	$\langle 2\nu \rho u_i \mathcal{S}_{iz} \rangle_{xy}$ ( $z$ -component of viscous flux)
fviscsmmz	$\langle 2\nu_{Smag} \rho u_i \mathcal{S}_{iz} \rangle_{xy}$ ( $z$ -component of viscous flux)
epsKmz	$\langle 2\nu \rho \mathcal{S}^2 \rangle_{xy}$

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### 1.7 List of parameters for ‘xzaver.in’

The following table lists possible inputs to the file ‘xzaver.in’. This list is not complete and

maybe outdated.

Variable	Meaning
Module ‘hydro.f90’	
uxmy	$\langle u_x \rangle_{xz}$
uymy	$\langle u_y \rangle_{xz}$
uzmy	$\langle u_z \rangle_{xz}$
oumy	$\langle \boldsymbol{\omega} \cdot \boldsymbol{u} \rangle_{xz}$
Module ‘density.f90’	
rhomy	$\langle \rho \rangle_{xz}$
Module ‘entropy.f90’	
ssmy	$\langle s \rangle_{xz}$
ppmy	$\langle p \rangle_{xz}$
TTmy	$\langle T \rangle_{xz}$
Module ‘magnetic.f90’	
bxmy	$\langle B_x \rangle_{xz}$
bymy	$\langle B_y \rangle_{xz}$
bzmy	$\langle B_z \rangle_{xz}$
bx2my	$\langle B_x^2 \rangle_{xz}$
by2my	$\langle B_y^2 \rangle_{xz}$
bz2my	$\langle B_z^2 \rangle_{xz}$
bxbymy	$\langle B_x B_y \rangle_{xz}$
bxbzmy	$\langle B_x B_z \rangle_{xz}$
bybzmy	$\langle B_y B_z \rangle_{xz}$
Module ‘density_stratified.f90’	
drhomy	$\langle \Delta \rho / \rho_0 \rangle_{xz}$
drho2my	$\langle (\Delta \rho / \rho_0)^2 \rangle_{xz}$
Module ‘gravity_simple.f90’	
epotmy	$\langle \rho \Phi_{\text{grav}} \rangle_{xz}$
Module ‘magnetic_shearboxJ.f90’	
bxmy	$\langle B_x \rangle_{xz}$
bymy	$\langle B_y \rangle_{xz}$
bzmy	$\langle B_z \rangle_{xz}$
bx2my	$\langle B_x^2 \rangle_{xz}$
by2my	$\langle B_y^2 \rangle_{xz}$



bz2my	$\langle B_z^2 \rangle_{xz}$
bxbymy	$\langle B_x B_y \rangle_{xz}$
bxbzmy	$\langle B_x B_z \rangle_{xz}$
bybzmy	$\langle B_y B_z \rangle_{xz}$
Module ‘shock_highorder.f90’	
Module ‘temperature_idealgas.f90’	
ppmy	$\langle p \rangle_{xz}$
TTmy	$\langle T \rangle_{xz}$
Module ‘thermal_energy.f90’	
ppmy	$\langle p \rangle_{xz}$
TTmy	$\langle T \rangle_{xz}$

## 1.8 List of parameters for ‘yzaver.in’

The following table lists possible inputs to the file ‘yzaver.in’. This list is not complete and maybe outdated.

Variable	Meaning
Module ‘hydro.f90’	
uxmx	$\langle u_x \rangle_{yz}$
uymx	$\langle u_y \rangle_{yz}$
uzmx	$\langle u_z \rangle_{yz}$
ruxmx	$\langle \rho u_x \rangle_{yz}$
ruymx	$\langle \rho u_y \rangle_{yz}$
ruzmx	$\langle \rho u_z \rangle_{yz}$
rux2mx	$\langle \rho u_x^2 \rangle_{yz}$
ruy2mx	$\langle \rho u_y^2 \rangle_{yz}$
ruz2mx	$\langle \rho u_z^2 \rangle_{yz}$
ruxuymx	$\langle \rho u_x u_y \rangle_{yz}$
ruxuzmx	$\langle \rho u_x u_z \rangle_{yz}$
ruyuzmx	$\langle \rho u_y u_z \rangle_{yz}$
ux2mx	$\langle u_x^2 \rangle_{yz}$
uy2mx	$\langle u_y^2 \rangle_{yz}$
uz2mx	$\langle u_z^2 \rangle_{yz}$
ox2mx	$\langle \omega_x^2 \rangle_{yz}$

oy2mx	$\langle \omega_y^2 \rangle_{yz}$
oz2mx	$\langle \omega_z^2 \rangle_{yz}$
uxuymx	$\langle u_x u_y \rangle_{yz}$
uxuzmx	$\langle u_x u_z \rangle_{yz}$
uyuzmx	$\langle u_y u_z \rangle_{yz}$
oumx	$\langle \boldsymbol{\omega} \cdot \boldsymbol{u} \rangle_{yz}$
ekinmx	$\langle \frac{1}{2} \rho u^2 \rangle_{xy}$

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Module ‘density.f90’

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rhomx	$\langle \varrho \rangle_{yz}$
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Module ‘entropy.f90’

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ssmx	$\langle s \rangle_{yz}$
ss2mx	$\langle s^2 \rangle_{yz}$
ppmx	$\langle p \rangle_{yz}$
TTmx	$\langle T \rangle_{yz}$
TT2mx	$\langle T^2 \rangle_{yz}$
uxTTmx	$\langle u_x T \rangle_{yz}$
uyTTmx	$\langle u_y T \rangle_{yz}$
uzTTmx	$\langle u_z T \rangle_{yz}$
fconvmx	$\langle c_p \varrho u_x T \rangle_{yz}$
fradmx	$\langle F_{\text{rad}} \rangle_{yz}$
fturbmx	$\langle \varrho T \chi_t \nabla_x s \rangle_{yz}$ (turbulent heat flux)
Kkramersmx	$\langle K_0 T (3 - b) / \rho (a + 1) \rangle_{yz}$
dcoolx	surface cooling flux
fradx_kramers	$F_{\text{rad}}$ (from Kramers’ opacity)

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Module ‘magnetic.f90’

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b2mx	$\langle B^2 \rangle_{yz}$
bxmx	$\langle B_x \rangle_{yz}$
bymx	$\langle B_y \rangle_{yz}$
bzmx	$\langle B_z \rangle_{yz}$
bx2mx	$\langle B_x^2 \rangle_{yz}$
by2mx	$\langle B_y^2 \rangle_{yz}$
bz2mx	$\langle B_z^2 \rangle_{yz}$
bxbymx	$\langle B_x B_y \rangle_{yz}$
bxbzmx	$\langle B_x B_z \rangle_{yz}$
bybzmx	$\langle B_y B_z \rangle_{yz}$
betamx	$\langle \beta \rangle_{yz}$
beta2mx	$\langle \beta^2 \rangle_{yz}$

etatotalmx	$\langle \eta \rangle_{yz}$
Module ‘bfield.f90’	
bmx	$\langle B \rangle_{yz}$
b2mx	$\langle B^2 \rangle_{yz}$
bxmx	$\langle B_x \rangle_{yz}$
bymx	$\langle B_y \rangle_{yz}$
bzmx	$\langle B_z \rangle_{yz}$
bx2mx	$\langle B_x^2 \rangle_{yz}$
by2mx	$\langle B_y^2 \rangle_{yz}$
bz2mx	$\langle B_z^2 \rangle_{yz}$
bxbymx	$\langle B_x B_y \rangle_{yz}$
bxbzmx	$\langle B_x B_z \rangle_{yz}$
bybzmx	$\langle B_y B_z \rangle_{yz}$
betamx	$\langle \beta \rangle_{yz}$
beta2mx	$\langle \beta^2 \rangle_{yz}$
Module ‘density_stratified.f90’	
drhomx	$\langle \Delta \rho / \rho_0 \rangle_{yz}$
drho2mx	$\langle (\Delta \rho / \rho_0)^2 \rangle_{yz}$
Module ‘gravity_simple.f90’	
epotmx	$\langle \varrho \Phi_{\text{grav}} \rangle_{yz}$
epotuxmx	$\langle \varrho \Phi_{\text{grav}} u_x \rangle_{yz}$ (potential energy flux)
Module ‘magnetic_shearboxJ.f90’	
b2mx	$\langle B^2 \rangle_{yz}$
bxmx	$\langle B_x \rangle_{yz}$
bymx	$\langle B_y \rangle_{yz}$
bzmx	$\langle B_z \rangle_{yz}$
bx2mx	$\langle B_x^2 \rangle_{yz}$
by2mx	$\langle B_y^2 \rangle_{yz}$
bz2mx	$\langle B_z^2 \rangle_{yz}$
bxbymx	$\langle B_x B_y \rangle_{yz}$
bxbzmx	$\langle B_x B_z \rangle_{yz}$
bybzmx	$\langle B_y B_z \rangle_{yz}$
betamx	$\langle \beta \rangle_{yz}$
beta2mx	$\langle \beta^2 \rangle_{yz}$
etatotalmx	$\langle \eta \rangle_{yz}$

Module ‘shock_highorder.f90’	
Module ‘temperature_idealgas.f90’	
ppmx	$\langle p \rangle_{yz}$
TTmx	$\langle T \rangle_{yz}$
Module ‘thermal_energy.f90’	
ppmx	$\langle p \rangle_{yz}$
TTmx	$\langle T \rangle_{yz}$
Module ‘viscosity.f90’	
fviscmx	$\langle 2\nu \varrho u_i \mathcal{S}_{ix} \rangle_{yz}$ ( $x$ -component of viscous flux)
numx	$\langle \nu \rangle_{yz}$ ( $yz$ -averaged viscosity)

### 1.9 List of parameters for ‘yaver.in’

The following table lists possible inputs to the file ‘yaver.in’. This list is not complete and maybe outdated.

Variable	Meaning
Module ‘hydro.f90’	
uxmxz	$\langle u_x \rangle_y$
uymxz	$\langle u_y \rangle_y$
uzmxz	$\langle u_z \rangle_y$
ux2mxz	$\langle u_x^2 \rangle_y$
uy2mxz	$\langle u_y^2 \rangle_y$
uz2mxz	$\langle u_z^2 \rangle_y$
uxuymxz	$\langle u_x u_y \rangle_y$
uxuzmxz	$\langle u_x u_z \rangle_y$
uyuzmxz	$\langle u_y u_z \rangle_y$
oumxz	$\langle \boldsymbol{\omega} \cdot \boldsymbol{u} \rangle_y$
Module ‘density.f90’	
rhomxz	$\langle \varrho \rangle_y$
Module ‘entropy.f90’	
TTmxz	$\langle T \rangle_y$
ssmxz	$\langle s \rangle_y$

Module ‘magnetic.f90’

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b2mxz	$\langle \mathbf{B}^2 \rangle_y$
axmxz	$\langle A_x \rangle_y$
aymxz	$\langle A_y \rangle_y$
azmxz	$\langle A_z \rangle_y$
bx1mxz	$\langle  B_x  \rangle_y$
by1mxz	$\langle  B_y  \rangle_y$
bz1mxz	$\langle  B_z  \rangle_y$
bxmxz	$\langle B_x \rangle_y$
bymxz	$\langle B_y \rangle_y$
bzmxz	$\langle B_z \rangle_y$
jxmxz	$\langle J_x \rangle_y$
jymxz	$\langle J_y \rangle_y$
jzmxz	$\langle J_z \rangle_y$
bx2mxz	$\langle B_x^2 \rangle_y$
by2mxz	$\langle B_y^2 \rangle_y$
bz2mxz	$\langle B_z^2 \rangle_y$
bxbymxz	$\langle B_x B_y \rangle_y$
bxbzmxz	$\langle B_x B_z \rangle_y$
bybzmxz	$\langle B_y B_z \rangle_y$
uybxmxz	$\langle U_y B_x \rangle_y$
uybzmxz	$\langle U_y B_z \rangle_y$
Exmxz	$\langle \mathcal{E}_x \rangle_y$
Eymxz	$\langle \mathcal{E}_y \rangle_y$
Ezmxz	$\langle \mathcal{E}_z \rangle_y$
vAmxz	$\langle v_A^2 \rangle_y$

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Module ‘density\_stratified.f90’

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drhomxz	$\langle \Delta\rho/\rho_0 \rangle_y$
drho2mxz	$\langle (\Delta\rho/\rho_0)^2 \rangle_y$

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Module ‘magnetic\_shearboxJ.f90’

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b2mxz	$\langle \mathbf{B}^2 \rangle_y$
axmxz	$\langle A_x \rangle_y$
aymxz	$\langle A_y \rangle_y$
azmxz	$\langle A_z \rangle_y$
bx1mxz	$\langle  B_x  \rangle_y$
by1mxz	$\langle  B_y  \rangle_y$
bz1mxz	$\langle  B_z  \rangle_y$

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bxmxz	$\langle B_x \rangle_y$	
bymxz	$\langle B_y \rangle_y$	
bzmzx	$\langle B_z \rangle_y$	
jxmxz	$\langle J_x \rangle_y$	
jymxz	$\langle J_y \rangle_y$	
jzmxz	$\langle J_z \rangle_y$	
bx2mxz	$\langle B_x^2 \rangle_y$	
by2mxz	$\langle B_y^2 \rangle_y$	
bz2mxz	$\langle B_z^2 \rangle_y$	
bxbymxz	$\langle B_x B_y \rangle_y$	
bxbzmxz	$\langle B_x B_z \rangle_y$	
bybzmxz	$\langle B_y B_z \rangle_y$	
uybxmxz	$\langle U_y B_x \rangle_y$	
uybzmxz	$\langle U_y B_z \rangle_y$	
Exmxz	$\langle \mathcal{E}_x \rangle_y$	
Eymxz	$\langle \mathcal{E}_y \rangle_y$	
Ezmxz	$\langle \mathcal{E}_z \rangle_y$	
vAmxz	$\langle v_A^2 \rangle_y$	
Module ‘meanfield.f90’		
peffmxz	$\langle \mathcal{P}_{\text{eff}} \rangle_y$	
alpmxz	$\langle \alpha \rangle_y$	
Module ‘temperature_idealgas.f90’		
TTmxz	$\langle T \rangle_y$	
Emymxz	$\langle Em_y \rangle_y$	Emission in y-direction
Module ‘thermal_energy.f90’		
TTmxz	$\langle T \rangle_y$	

### 1.10 List of parameters for ‘zaver.in’

The following table lists possible inputs to the file ‘zaver.in’. This list is not complete and maybe outdated.

Variable	Meaning
Module ‘hydro.f90’	

uxmxy	$\langle u_x \rangle_z$	
uymxy	$\langle u_y \rangle_z$	
uzmxy	$\langle u_z \rangle_z$	
uxuymxy	$\langle u_x u_y \rangle_z$	
uxuzmxy	$\langle u_x u_z \rangle_z$	
uyuzmxy	$\langle u_y u_z \rangle_z$	
oxmxy	$\langle \omega_x \rangle_z$	
oymxy	$\langle \omega_y \rangle_z$	
ozmxy	$\langle \omega_z \rangle_z$	
oumxy	$\langle \boldsymbol{\omega} \cdot \mathbf{u} \rangle_z$	
pvzmxy	$\langle (\omega_z + 2\Omega)/\varrho \rangle_z$	(z component of potential vorticity)
uguxmxy	$\langle (\mathbf{u} \cdot \nabla \mathbf{u})_x \rangle_z$	
uguymxy	$\langle (\mathbf{u} \cdot \nabla \mathbf{u})_y \rangle_z$	
uguzmxy	$\langle (\mathbf{u} \cdot \nabla \mathbf{u})_z \rangle_z$	
ruxmxy	$\langle \rho u_x \rangle_z$	
ruymxy	$\langle \rho u_y \rangle_z$	
ruzmxy	$\langle \rho u_z \rangle_z$	
ux2mxy	$\langle u_x^2 \rangle_z$	
uy2mxy	$\langle u_y^2 \rangle_z$	
uz2mxy	$\langle u_z^2 \rangle_z$	
rux2mxy	$\langle \rho u_x^2 \rangle_z$	
ruy2mxy	$\langle \rho u_y^2 \rangle_z$	
ruz2mxy	$\langle \rho u_z^2 \rangle_z$	
ruxuymxy	$\langle \rho u_x u_y \rangle_z$	
ruxuzmxy	$\langle \rho u_x u_z \rangle_z$	
ruyuzmxy	$\langle \rho u_y u_z \rangle_z$	
fkinxmxy	$\langle \frac{1}{2} \varrho \mathbf{u}^2 u_x \rangle_z$	
fkinymxy	$\langle \frac{1}{2} \varrho \mathbf{u}^2 u_y \rangle_z$	
<hr/> Module ‘density.f90’ <hr/>		
rhomxy	$\langle \varrho \rangle_z$	
<hr/> Module ‘entropy.f90’ <hr/>		
TTmxy	$\langle T \rangle_z$	
ssmxy	$\langle s \rangle_z$	
uxTTmxy	$\langle u_x T \rangle_z$	
uyTTmxy	$\langle u_y T \rangle_z$	
uzTTmxy	$\langle u_z T \rangle_z$	
gTxmxy	$\langle \nabla_x T \rangle_z$	

gTymxy	$\langle \nabla_y T \rangle_z$
gTzmxxy	$\langle \nabla_z T \rangle_z$
gsxmxxy	$\langle \nabla_x s \rangle_z$
gsymxy	$\langle \nabla_y s \rangle_z$
gszmxxy	$\langle \nabla_z s \rangle_z$
gTxgsxmxxy	$\langle (\nabla T \times \nabla s)_x \rangle_z$
gTxgsymxy	$\langle (\nabla T \times \nabla s)_y \rangle_z$
gTxgszmxxy	$\langle (\nabla T \times \nabla s)_z \rangle_z$
gTxgsx2mxxy	$\langle (\nabla T \times \nabla s)_x^2 \rangle_z$
gTxgsy2mxxy	$\langle (\nabla T \times \nabla s)_y^2 \rangle_z$
gTxgsz2mxxy	$\langle (\nabla T \times \nabla s)_z^2 \rangle_z$
fconvxy	$\langle c_p \varrho u_x T \rangle_z$
fconvyxy	$\langle c_p \varrho u_y T \rangle_z$
fconvzxy	$\langle c_p \varrho u_z T \rangle_z$
fradxy_Kprof	$F_x^{\text{rad}}$ ( $x$ -component of radiative flux, $z$ -averaged, from Kprof)
fradymxy_Kprof	$F_y^{\text{rad}}$ ( $y$ -component of radiative flux, $z$ -averaged, from Kprof)
fradxy_kramers	$F_{\text{rad}}$ ( $z$ -averaged, from Kramers' opacity)
fturbxy	$\langle \varrho T \chi_t \nabla_x s \rangle_z$
fturbymxy	$\langle \varrho T \chi_t \nabla_y s \rangle_z$
fturbxxy	$\langle \varrho T \chi_{ri} \nabla_i s \rangle_z$ (radial part of anisotropic turbulent heat flux)
fturbthxy	$\langle \varrho T \chi_{\theta i} \nabla_i s \rangle_z$ (latitudinal part of anisotropic turbulent heat flux)
dcoolxy	surface cooling flux

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Module ‘magnetic.f90’

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bxmxy	$\langle B_x \rangle_z$
bymxy	$\langle B_y \rangle_z$
bzmxy	$\langle B_z \rangle_z$
jxmxy	$\langle J_x \rangle_z$
jymxy	$\langle J_y \rangle_z$
jzmxy	$\langle J_z \rangle_z$
axmxy	$\langle A_x \rangle_z$
aymxy	$\langle A_y \rangle_z$
azmxy	$\langle A_z \rangle_z$
bx2mxy	$\langle B_x^2 \rangle_z$
by2mxy	$\langle B_y^2 \rangle_z$
bz2mxy	$\langle B_z^2 \rangle_z$
bxbymxy	$\langle B_x B_y \rangle_z$
bxbzmxxy	$\langle B_x B_z \rangle_z$
bybzmxxy	$\langle B_y B_z \rangle_z$



poynxmxy	$\langle \mathbf{E} \times \mathbf{B} \rangle_x$
poynymxy	$\langle \mathbf{E} \times \mathbf{B} \rangle_y$
poynzmxy	$\langle \mathbf{E} \times \mathbf{B} \rangle_z$
jbmxy	$\langle \mathbf{J} \cdot \mathbf{B} \rangle_z$
abmxy	$\langle \mathbf{A} \cdot \mathbf{B} \rangle_z$
examxy1	$\langle \mathbf{E} \times \mathbf{A} \rangle_z  _x$
examxy2	$\langle \mathbf{E} \times \mathbf{A} \rangle_z  _y$
examxy3	$\langle \mathbf{E} \times \mathbf{A} \rangle_z  _z$
StokesImxy	$\langle \epsilon_{B\perp} \rangle_z  _z$
StokesQmxy	$-\langle \epsilon_{B\perp} \cos 2\chi \rangle_z  _z$
StokesUmxy	$-\langle \epsilon_{B\perp} \sin 2\chi \rangle_z  _z$
StokesQ1mxy	$+\langle F\epsilon_{B\perp} \sin 2\chi \rangle_z  _z$
StokesU1mxy	$-\langle F\epsilon_{B\perp} \cos 2\chi \rangle_z  _z$
beta1mxy	$\langle \mathbf{B}^2 / (2\mu_0 p) \rangle_z  _z$
Module ‘density_stratified.f90’	
drhomxy	$\langle \Delta\rho / \rho_0 \rangle_z$
drho2mxy	$\langle (\Delta\rho / \rho_0)^2 \rangle_z$
Module ‘gravity_simple.f90’	
epotmxy	$\langle \varrho \Phi_{\text{grav}} \rangle_z$
epotuxmxy	$\langle \varrho \Phi_{\text{grav}} u_x \rangle_z$ (potential energy flux)
Module ‘magnetic_shearboxJ.f90’	
bxmxy	$\langle B_x \rangle_z$
bymxy	$\langle B_y \rangle_z$
bzmxy	$\langle B_z \rangle_z$
jxmxy	$\langle J_x \rangle_z$
jymxy	$\langle J_y \rangle_z$
jzmxy	$\langle J_z \rangle_z$
axmxy	$\langle A_x \rangle_z$
aymxy	$\langle A_y \rangle_z$
azmxy	$\langle A_z \rangle_z$
bx2mxy	$\langle B_x^2 \rangle_z$
by2mxy	$\langle B_y^2 \rangle_z$
bz2mxy	$\langle B_z^2 \rangle_z$
bxbymxy	$\langle B_x B_y \rangle_z$
bxbzmxy	$\langle B_x B_z \rangle_z$
bybzmxy	$\langle B_y B_z \rangle_z$
poynxmxy	$\langle \mathbf{E} \times \mathbf{B} \rangle_x$

poynymxy	$\langle \mathbf{E} \times \mathbf{B} \rangle_y$
poynzmxxy	$\langle \mathbf{E} \times \mathbf{B} \rangle_z$
jbmxy	$\langle \mathbf{J} \cdot \mathbf{B} \rangle_z$
abmxy	$\langle \mathbf{A} \cdot \mathbf{B} \rangle_z$
examxy1	$\langle \mathbf{E} \times \mathbf{A} \rangle_z _x$
examxy2	$\langle \mathbf{E} \times \mathbf{A} \rangle_z _y$
examxy3	$\langle \mathbf{E} \times \mathbf{A} \rangle_z _z$
StokesImxy	$\langle \epsilon_{B\perp} \rangle_z _z$
StokesQmxy	$-\langle \epsilon_{B\perp} \cos 2\chi \rangle_z _z$
StokesUmxy	$-\langle \epsilon_{B\perp} \sin 2\chi \rangle_z _z$
StokesQ1mxy	$+\langle F\epsilon_{B\perp} \sin 2\chi \rangle_z _z$
StokesU1mxy	$-\langle F\epsilon_{B\perp} \cos 2\chi \rangle_z _z$
beta1mxy	$\langle \mathbf{B}^2/(2\mu_0 p) \rangle_z _z$
Module ‘temperature_idealgas.f90’	
TTmxy	$\langle T \rangle_z$
Emzmxxy	$\langle Em_z \rangle_z$ Emission in z-direction
Module ‘thermal_energy.f90’	
TTmxy	$\langle T \rangle_z$
Module ‘viscosity.f90’	
fviscmxy	$\langle 2\nu \varrho u_i \mathcal{S}_{ix} \rangle_z$ ( $x$ -xomponent of viscous flux)
fviscsmmxy	$\langle 2\nu_{\text{Smag}} \varrho u_i \mathcal{S}_{ix} \rangle_z$ ( $x$ -xomponent of viscous flux)
fviscmxy	$\langle 2\nu \varrho u_i \mathcal{S}_{iy} \rangle_z$ ( $y$ -xomponent of viscous flux)

## 1.11 Boundary conditions

The following tables list all possible boundary condition labels that are documented.

### 1.11.1 Boundary condition bcx

Variable	Meaning
Module ‘boundcond.f90’	
0	zero value in ghost zones, free value on boundary
p	periodic
s	symmetry, $f_{N+i} = f_{N-i}$ ; implies $f'(x_N) = f'''(x_0) = 0$
sf	symmetry with respect to interface

ss	symmetry, plus function value given
s0d	symmetry, function value such that $df/dx=0$
a	antisymmetry, $f_{N+i} = -f_{N-i}$ ; implies $f(x_N) = f''(x_0) = 0$
af	antisymmetry with respect to interface
a2	antisymmetry relative to boundary value, $f_{N+i} = 2f_N - f_{N-i}$ ; implies $f''(x_0) = 0$
a2v	set boundary value and antisymmetry relative to it $f_{N+i} = 2f_N - f_{N-i}$ ; implies $f''(x_0) = 0$
a2r	sets $d^2f/dr^2 + 2df/dr - 2f/r^2 = 0$ This is the replacement of zero second derivative in spherical coordinates, in radial direction.
cpc	cylindrical perfect conductor implies $f'' + f'/R = 0$
cpp	cylindrical perfect conductor implies $f'' + f'/R = 0$
cpz	cylindrical perfect conductor implies $f'' + f'/R = 0$
spr	spherical perfect conductor implies $f'' + 2f'/R = 0$ and $f(x_N) = 0$
v	vanishing third derivative
cop	copy value of last physical point to all ghost cells
1s	onesided
d1s	onesided for 1st/2nd derivative in two first inner points, Dirichlet in boundary point
n1s	onesided for 1st/2nd derivative in two first inner points, Neumann in boundary point
1so	onesided
cT	constant temperature (implemented as condition for entropy $s$ or temperature $T$ )
c1	constant temperature (or maybe rather constant conductive flux??)
Fgs	$F_{\text{conv}} = -\chi_t \rho T \text{grad}(s)$
Fct	$F_{\text{bot}} = -K \text{grad}(T) - \chi_t \rho T \text{grad}(s)$
Fcm	$F_{\text{bot}} = -K * \text{grad}(\overline{T}) - \chi_t * \overline{\rho} * \overline{T} * \text{grad}(\overline{s})$
sT	symmetric temperature, $T_{N-i} = T_{N+i}$ ; implies $T'(x_N) = T'''(x_0) = 0$
asT	select entropy for uniform ghost temperature matching fluctuating boundary value, $T_{N-i} = T_N$ ; implies $T'(x_N) = T'(x_0) = 0$
f	“freeze” value, i.e. maintain initial
fg	“freeze” value, i.e. maintain initial
1	$f = 1$ (for debugging)
set	set boundary value to fbcx
der	set derivative on boundary to fbcx
slo	set slope at the boundary = fbcx
slp	set slope at the boundary and in ghost cells = fbcx
shx	set shearing boundary proportional to x with slope=fbcx and abscissa=fbcx2

shy	set shearing boundary proportional to y with slope=fbcx and abscissa=fbcx2
shz	set shearing boundary proportional to z with slope=fbcx and abscissa=fbcx2
dr0	set boundary value [really??]
ovr	overshoot boundary condition ie $(d/dx - 1/\text{dist})f = 0$ .
out	allow outflow, but no inflow forces ghost cells and boundary to not point inwards
e1o	allow outflow, but no inflow uses the e1 extrapolation scheme
ant	stops and prompts for adding documentation
e1	extrapolation [describe]
e2	extrapolation [describe]
e3	extrapolation in log [maintain a power law]
el	linear extrapolation from last two active cells
hat	top hat jet profile in spherical coordinate.
jet	top hat jet profile in cartezian coordinate.
spd	sets $d(rA_\alpha)/dr = \text{fbcx}(j)$
sfr	stress-free boundary condition for spherical coordinate system.
sr1	Stress-free bc for spherical coordinate system. Implementation with one-sided derivative.
nfr	Normal-field bc for spherical coordinate system. Some people call this the “(angry) hedgehog bc”.
nr1	Normal-field bc for spherical coordinate system. Some people call this the “(angry) hedgehog bc”. Implementation with one-sided derivative.
sa2	$(d/dr)(rB_\phi) = 0$ imposes boundary condition on 2nd derivative of $rA_\phi$ . Same applies to $\theta$ component.
pfc	perfect-conductor in spherical coordinate: $d/dr(A_r) + 2/r = 0$ .
fix	set boundary value [really??]
fil	set boundary value from a file
cfb	radial centrifugal balance
g	set to given value(s) or function
nil	do nothing; assume that everything is set
ioc	inlet/outlet on western/eastern hemisphere in cylindrical coordinates
	do nothing; assume that everything is set
s	implies $f'(y_N) = f'''(y_0) = 0$

---

Module ‘boundcond\_alt.f90’

---

0	zero value in ghost zones, free value on boundary
p	periodic
s	symmetry, $f_{N+i} = f_{N-i}$ ; implies $f'(x_N) = f'''(x_0) = 0$
ss	symmetry, plus function value given

s0d	symmetry, function value such that $df/dx=0$
a	antisymmetry, $f_{N+i} = -f_{N-i}$ ; implies $f(x_N) = f''(x_0) = 0$
a2	antisymmetry relative to boundary value, $f_{N+i} = 2f_N - f_{N-i}$ ; implies $f''(x_0) = 0$
a2r	sets $d^2f/dr^2 + 2df/dr - 2f/r^2 = 0$ This is the replacement of zero second derivative in spherical coordinates, in radial direction.
cpc	cylindrical perfect conductor implies $f'' + f'/R = 0$
cpp	cylindrical perfect conductor implies $f'' + f'/R = 0$
cpz	cylindrical perfect conductor implies $f'' + f'/R = 0$
spr	spherical perfect conductor implies $f'' + 2f'/R = 0$ and $f(x_N) = 0$
v	vanishing third derivative
cop	copy value of last physical point to all ghost cells
ls	onesided
lso	onesided
cT	constant temperature (implemented as condition for entropy $s$ or temperature $T$ )
c1	constant temperature (or maybe rather constant conductive flux??)
Fgs	$F_{\text{conv}} = -\chi_t \rho T \text{grad}(s)$
Fct	$F_{\text{bot}} = -K \text{grad}(T) - \chi_t \rho T \text{grad}(s)$
Fcm	$F_{\text{bot}} = -K * \text{grad}(\bar{T}) - \chi_{i_t} * \overline{\rho} * \bar{T} * \text{grad}(\bar{s})$
sT	symmetric temperature, $T_{N-i} = T_{N+i}$ ; implies $T'(x_N) = T'''(x_0) = 0$
asT	select entropy for uniform ghost temperature matching fluctuating boundary value, $T_{N-i} = T_N$ ; implies $T'(x_N) = T'(x_0) = 0$
f	“freeze” value, i.e. maintain initial
fg	“freeze” value, i.e. maintain initial
1	$f = 1$ (for debugging)
set	set boundary value to fbcx12
der	set derivative on boundary to fbcx12
slo	set slope at the boundary = fbcx12
dr0	set boundary value [really??]
ovr	overshoot boundary condition ie $(d/dx - 1/\text{dist})f = 0$ .
out	allow outflow, but no inflow forces ghost cells and boundary to not point inwards
e1o	allow outflow, but no inflow uses the e1 extrapolation scheme
ant	stops and prompts for adding documentation
e1	extrapolation [describe]
e2	extrapolation [describe]
e3	extrapolation in log [maintain a power law]
hat	top hat jet profile in spherical coordinate.

jet	top hat jet profile in cartesian coordinate.
spd	sets $d(rA_\alpha)/dr = \text{fbcx12(j)}$
sfr	stress-free boundary condition for spherical coordinate system.
nfr	Normal-field bc for spherical coordinate system. Some people call this the “(angry) hedgehog bc”.
sa2	$(d/dr)(rB_\phi) = 0$ imposes boundary condition on 2nd derivative of $rA_\phi$ . Same applies to $\theta$ component.
pfc	perfect-conductor in spherical coordinate: $d/dr(A_r) + 2/r = 0$ .
fix	set boundary value [really??]
fil	set boundary value from a file
g	set to given value(s) or function
nil	do nothing; assume that everything is set
ioc	inlet/outlet on western/eastern hemisphere in cylindrical coordinates
	do nothing; assume that everything is set
s	implies $f'(y_N) = f'''(y_0) = 0$

---

### 1.11.2 Boundary condition bcy

Variable	Meaning
Module ‘boundcond.f90’	
sds	symmetric-derivative-set
0	zero value in ghost zones, free value on boundary
p	periodic
pp	periodic across the pole
yy	Yin-Yang grid
ap	anti-periodic across the pole
s	symmetry symmetry, $f_{N+i} = f_{N-i}$ ;
ss	symmetry, plus function value given
sds	symmetric-derivative-set
cds	complex symmetric-derivative-set
s0d	symmetry, function value such that $df/dy=0$
a	antisymmetry
a2	antisymmetry relative to boundary value
v	vanishing third derivative
v3	vanishing third derivative
out	allow outflow, but no inflow forces ghost cells and boundary to not point inwards
ls	onesided

d1s	onesided for 1st and 2nd derivative in two first inner points, Dirichlet in boundary point
n1s	onesided for 1st and 2nd derivative in two first inner points, Neumann in boundary point
cT	constant temp.
sT	symmetric temp.
asT	select entropy for uniform ghost temperature matching fluctuating boundary value, $T_{N-i} = T_N =$ ; implies $T'(x_N) = T'(x_0) = 0$
f	freeze value
s+f	freeze value
fg	“freeze” value, i.e. maintain initial
fBs	frozen-in B-field (s)
fB	frozen-in B-field (a2)
1	f=1 (for debugging)
set	set boundary value
sse	symmetry, set boundary value
sep	set boundary value
e1	extrapolation
e2	extrapolation
e3	extrapolation in log [maintain a power law]
der	set derivative on the boundary
cop	outflow: copy value of last physical point to all ghost cells
c+k	no-inflow: copy value of last physical point to all ghost cells, but suppressing any inflow
sfr	stress-free boundary condition for spherical coordinate system.
nfr	Normal-field bc for spherical coordinate system. Some people call this the “(angry) hedgehog bc”.
spt	spherical perfect conducting boundary condition along $\theta$ boundary $f'' + \cot \theta f' = 0$ and $f(x_N) = 0$
pfc	perfect conducting boundary condition along $\theta$ boundary
nil','	do nothing; assume that everything is set
sep	set boundary value
crk	no-inflow: copy value of last physical point to all ghost cells, but suppressing any inflow

---

Module ‘boundcond\_alt.f90’

---

sds	symmetric-derivative-set
0	zero value in ghost zones, free value on boundary
p	periodic

pp	periodic across the pole
ap	anti-periodic across the pole
s	symmetry symmetry, $f_{N+i} = f_{N-i}$ ;
ss	symmetry, plus function value given
sds	symmetric-derivative-set
cds	complex symmetric-derivative-set
s0d	symmetry, function value such that $df/dy=0$
a	antisymmetry
a2	antisymmetry relative to boundary value
v	vanishing third derivative
v3	vanishing third derivative
out	allow outflow, but no inflow forces ghost cells and boundary to not point inwards
1s	onesided
cT	constant temp.
sT	symmetric temp.
asT	select entropy for uniform ghost temperature matching fluctuating boundary value, $T_{N-i} = T_N =$ ; implies $T'(x_N) = T'(x_0) = 0$
f	freeze value
s+f	freeze value
fg	“freeze” value, i.e. maintain initial
1	f=1 (for debugging)
set	set boundary value
sse	symmetry, set boundary value
sep	set boundary value
e1	extrapolation
e2	extrapolation
e3	extrapolation in log [maintain a power law]
der	set derivative on the boundary
cop	outflow: copy value of last physical point to all ghost cells
c+k	no-inflow: copy value of last physical point to all ghost cells, but suppressing any inflow
sfr	stress-free boundary condition for spherical coordinate system.
nfr	Normal-field bc for spherical coordinate system. Some people call this the “(angry) hedgehog bc”.
spt	spherical perfect conducting boundary condition along $\theta$ boundary $f'' + \cot \theta f' = 0$ and $f(x_N) = 0$
pfc	perfect conducting boundary condition along $\theta$ boundary
nil',	do nothing; assume that everything is set



sep	set boundary value
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### 1.11.3 Boundary condition bcz

Variable	Meaning
Module 'boundcond.f90'	
0	zero value in ghost zones, free value on boundary
p	periodic
yy	Yin-Yang grid
s	symmetry
sf	symmetry with respect to interface
s0d	symmetry, function value such that $df/dz=0$
0ds	symmetry, function value such that $df/dz=0$
a	antisymmetry
a2	antisymmetry relative to boundary value
a2v	set boundary value and antisymmetry relative to it
af	antisymmetry with respect to interface
a0d	antisymmetry with zero derivative
v	vanishing third derivative
v3	vanishing third derivative
1s	one-sided
d1s	onesided for 1st and 2nd derivative in two first inner points, Dirichlet in boundary point
n1s	onesided for 1st and 2nd derivative in two first inner points, Neumann in boundary point
a1s	special for perfect conductor with const alpha and etaT when A considered as B; one-sided for 1st and 2nd derivative in two first inner points
fg	"freeze" value, i.e. maintain initial
c1	complex
c1s	complex
Fgs	$F_{conv} = -\chi_t \rho T \text{grad}(s)$
Fct	$F_{bot} = -K \text{grad}(T) - \chi_t \rho T \text{grad}(s)$
c3	constant flux at the bottom with a variable hcond
pfe	potential field extrapolation
p1D	potential field extrapolation in 1D
pot	potential magnetic field
pwd	a variant of 'pot' for nprocx=1
hds	hydrostatic equilibrium with a high-frequency filter

cT	constant temp.
cT1	constant temp.
cT2	constant temp. (keep lnrho)
cT3	constant temp. (keep lnrho)
hs	hydrostatic equilibrium
hse	hydrostatic extrapolation rho or lnrho is extrapolated linearly and the temperature is calculated in hydrostatic equilibrium.
cp	constant pressure
sT	symmetric temp.
ctz	for interstellar runs copy T
cdz	for interstellar runs limit rho
ism	for interstellar runs limit rho
asT	select entropy for uniform ghost temperature matching fluctuating boundary value, $T_{N-i} = T_N =$ ; implies $T'(x_N) = T'(x_0) = 0$
c2	complex
db	complex
ce	complex
e1	extrapolation
e2	extrapolation
ex	simple linear extrapolation in first order
exf	simple linear extrapolation in first order
exd	simple linear extrapolation in first order
exm	simple linear extrapolation in first order
b1	extrapolation with zero value (improved 'a')
b2	extrapolation with zero value (improved 'a')
b3	extrapolation with zero value (improved 'a')
f', 'fa	freeze value + antisymmetry
fs	freeze value + symmetry
fBs	frozen-in B-field (s)
fB	frozen-in B-field (a2)
g	set to given value(s) or function
1	f=1 (for debugging)
StS	solar surface boundary conditions
set	set boundary value
der	set derivative on the boundary
div	set the divergence of $\mathbf{u}$ to a given value use bc = 'div' for iuz
ovr	set boundary value
inf	allow inflow, but no outflow
ouf	allow outflow, but no inflow

in	allow inflow, but no outflow forces ghost cells and boundary to not point outwards
out	allow outflow, but no inflow forces ghost cells and boundary to not point inwards
in0	allow inflow, but no outflow forces ghost cells and boundary to not point outwards relaxes to vanishing 1st derivative at boundary
ou0	allow outflow, but no inflow forces ghost cells and boundary to not point inwards relaxes to vanishing 1st derivative at boundary
ind	allow inflow, but no outflow forces ghost cells and boundary to not point outwards creates inwards pointing or zero 1st derivative at boundary
oud	allow outflow, but no inflow forces ghost cells and boundary to not point inwards creates outwards pointing or zero 1st derivative at boundary
ubs	copy boundary outflow,
win	forces massflux given as $\Sigma \rho_i(u_i + u_0) = \text{fbcz1}/2(\rho)$
cop	copy value of last physical point to all ghost cells
nil	do nothing; assume that everything is set

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Module ‘boundcond\_alt.f90’

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cfb	radial centrifugal balance
fBs	frozen-in B-field (s)
fB	frozen-in B-field (a2)
0	zero value in ghost zones, free value on boundary
p	periodic
s	symmetry
sf	symmetry with respect to interface
s0d	symmetry, function value such that $df/dz=0$
0ds	symmetry, function value such that $df/dz=0$
a	antisymmetry
a2	antisymmetry relative to boundary value
af	antisymmetry with respect to interface
a0d	antisymmetry with zero derivative
v	vanishing third derivative
v3	vanishing third derivative
1s	one-sided
fg	“freeze” value, i.e. maintain initial
c1	complex
Fgs	$F_{\text{conv}} = - \chi_t \rho T \text{grad}(s)$
Fct	$F_{\text{bot}} = - K \text{grad}(T) - \chi_t \rho T \text{grad}(s)$
c3	constant flux at the bottom with a variable hcond

pfe	potential field extrapolation
p1D	potential field extrapolation in 1D
pot	potential magnetic field
pwd	a variant of 'pot' for nprocx=1
hds	hydrostatic equilibrium with a high-frequency filter
cT	constant temp.
cT2	constant temp. (keep lnrho)
cT3	constant temp. (keep lnrho)
hs	hydrostatic equilibrium
hse	hydrostatic extrapolation rho or lnrho is extrapolated linearly and the temperature is calculated in hydrostatic equilibrium.
cp	constant pressure
sT	symmetric temp.
ctz	for interstellar runs copy T
cdz	for interstellar runs limit rho
asT	select entropy for uniform ghost temperature matching fluctuating boundary value, $T_{N-i} = T_N =$ ; implies $T'(x_N) = T'(x_0) = 0$
c2	complex
db	complex
ce	complex
e1	extrapolation
e2	extrapolation
ex	simple linear extrapolation in first order
exf	simple linear extrapolation in first order
exd	simple linear extrapolation in first order
exm	simple linear extrapolation in first order
b1	extrapolation with zero value (improved 'a')
b2	extrapolation with zero value (improved 'a')
b3	extrapolation with zero value (improved 'a')
f', 'fa	freeze value + antisymmetry
fs	freeze value + symmetry
fBs	frozen-in B-field (s)
fB	frozen-in B-field (a2)
g	set to given value(s) or function
1	f=1 (for debugging)
StS	solar surface boundary conditions
set	set boundary value
der	set derivative on the boundary
div	set the divergence of $\mathbf{u}$ to a given value use bc = 'div' for iuz

ovr	set boundary value
inf	allow inflow, but no outflow
ouf	allow outflow, but no inflow
in	allow inflow, but no outflow forces ghost cells and boundary to not point outwards
out	allow outflow, but no inflow forces ghost cells and boundary to not point inwards
in0	allow inflow, but no outflow forces ghost cells and boundary to not point outwards relaxes to vanishing 1st derivative at boundary
ou0	allow outflow, but no inflow forces ghost cells and boundary to not point inwards relaxes to vanishing 1st derivative at boundary
ind	allow inflow, but no outflow forces ghost cells and boundary to not point outwards creates inwards pointing or zero 1st derivative at boundary
oud	allow outflow, but no inflow forces ghost cells and boundary to not point inwards creates outwards pointing or zero 1st derivative at boundary
ubs	copy boundary outflow,
win	forces massflux given as $\Sigma \rho_i (u_i + u_0) = \text{fbcz1}/2(\rho)$
cop	copy value of last physical point to all ghost cells
nil	do nothing; assume that everything is set

---

### 1.12 Initial condition parameter dependence

The following tables list which parameters from each Namelist are required (●), optional (◇) or irrelevant (blank). The distinction is made between required and optional where by a parameter requires a setting if the default value would give an invalid or degenerate case for the initial condition.

inituu	ampluu	widthuu	urand	uu_left	uu_right	uu_upper	uu_lower	uy_left	uy_right	kx_uu	ky_uu	kz_uu
zero												
gaussian-noise	•											
gaussian-noise-x	•											
xjump		◊		•	•			•	•			
Beltrami-x	•											
Beltrami-y	•											
Beltrami-z	•											
trilinear-x	•											
trilinear-y	•											
trilinear-z	•											
cos-cos-sin-uz	•											
tor_pert	•											
trilinear-x	•											
sound-wave	•									•		
shock-tube		◊		•	•							
bullets	•	◊										
Alfven-circ-x	•									◊		
const-ux	•											
const-uy	•											
tang-discont-z	◊	•				•	•					
Fourier-trunc	•	◊								•	•	
up-down	•	◊										

initss	ampl_ss	radius_ss	widthss	epsilon_ss	grads0	pertss	ss_left	ss_right	ss_const	mpoly0	mpoly1	mpoly2	isothtop	khor_ss	center1_x	center1_y	center1_z	center2_x	center2_y	center2_z	thermal background
zero																					
const_ss									•												
blob	•	•																			
isothermal																					
Ferrière																					
xjump			•				•	•													
hor-fluxtube	•	•		•																	
hor-tube	•	•		•																	
sedov		•													•	•	•				•
sedov-dual		•													•	•	•	•	•	•	•
isobaric																					
isentropic																					
linprof																					
piecew-poly																					
polytropic																					