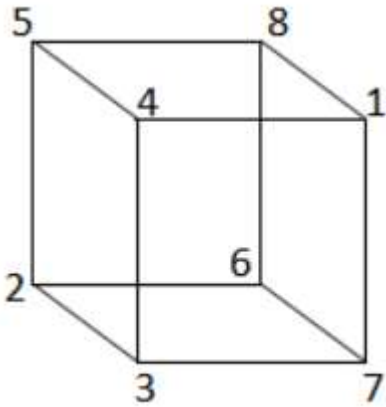


y: function number



K=0, obviously $y = 1$

K=1: ie: linearly separable when set vertex(1) = 1

There are 8 vertex, so $y = 8$

K=2: ie: linearly separable when vertex(1) = 1 && vertex(4)=1

There are 12 edges, so $y = 12$

K=3: ie: linearly separable when vertex(1) = 1 && vertex(4)=1 && vertex(7)=1

Each side there is 4 combinations and there are 6 sides, so $y = 4*6=24$

K=4: ie: (1) linearly separable when vertex(1) = 1 && vertex(4)=1 && vertex(7)=1 && vertex(3)=1

There are 6 sides, so $y_1 = 6$

(2)) Also linearly separable when vertex(1) = 1 && vertex(4)=1 && vertex(7)=1 && vertex(8)=1

There are 8 vertex, so $y_2 = 8$

So, totally $y=y_1+y_2=14$ when $k=14$

Beside, $y(k=0) = y(k=8)$, $y(k=1) = y(k=7)$, $y(k=2) = y(k=6)$, $y(k=3) = y(k=5)$.

So , finally $y = 1*2 + 8*2 + 12*2 + 24*2 + 14 = 104$.