# Working with multidimensional datasets in xarray

ALEX RAZOUMOV alex.razoumov@westgrid.ca



WestGrid webinar - Slides at http://bit.ly/389acaU

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### Zoom controls

- Please mute your microphone and camera unless you have a question
- To ask questions at any time, type in Chat, or Unmute to ask via audio
- Raise your hand in Participants



Email training@westgrid.ca

### I assume basic familiarity with numpy arrays

As a quick recap (next few slides), numpy:

- provides a mechanism for uniform collections (aka arrays) of fixed-size, fixed-type items with contiguous allocation in memory
  - ⇒ large performance benefits (no reading of extra bits, no type checking)

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- arrays behave very differently from Python lists
- implements universal (vectorized) functions on a large number of elements
  - an operation on the array is applied to each element
  - statically typed, compiled routine
  - ⇒ almost always much faster than native Python code, especially for large and/or multidimensional arrays
  - ⇒ use these whenever possible to replace native for loops

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  - ⇒ use these whenever possible to replace native for loops
- $\bullet \ \ provides \ the \ ability \ to \ operate \ between \ arrays \ of \ different \ sizes \ and \ shapes \ ("broadcasting")$
- provides linear algebra operations on mathematical arrays including linear solve and various decompositions

```
>>> import numpy as np
>>> a = np.arange(10)
>>> a
array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
>>> a**2  # each element is a square of the corresponding element of a
array([0, 1, 4, 9, 16, 25, 36, 49, 64, 81])
>>> np.log10(a+1)
>>> np.log10(a+1)
```

```
>>> import numpy as np
>>> a
>>> a**2
                  # each element is a square of the corresponding element of a
>>> np.log10(a+1)
array([0., 0.30103, 0.47712125, 0.60205999, 0.69897, 0.77815125, 0.84509804, 0.90308999, 0.95424251, 1.])
>>> (a**2+a)/(a+1) # the result should effectively be a floating-version copy of a
>>> np.arange(10) / np.arange(1,11) # this is np.array([ 0/1, 1/2, 2/3, 3/4, ..., 9/10 ])
array([0., 0.5, 0.66666667, 0.75, 0.8, 0.83333333, 0.85714286, 0.875, 0.88888889, 0.9])
```

Let's check this summation

$$\sum_{k=1}^{\infty} \frac{k^2}{2^k} =$$

### Let's check this summation

$$\sum_{k=1}^{\infty} \frac{k^2}{2^k} = 1$$

```
>>> k = np.arange(1,11)  # let's try the first 10 terms 
>>> sum(k**2/2**k) 5.857421875
```

# let's try the first 10 terms

### Let's check this summation

$$\sum_{k=1}^{\infty} \frac{k^2}{2^k} = \epsilon$$

```
>>> sum(k**2/2**k)
5.857421875
>>> k = np.arange(1,51)  # the first 50 terms
>>> sum(k**2/2**k)
5.99999999997597
```

### Let's check this summation

$$\sum_{k=1}^{\infty} \frac{k^2}{2^k} = \epsilon$$

- 1. The shape of an array with fewer dimensions is padded with 1's on the left
- 2. Any array with shape equal to 1 in that dimension is stretched to match the other array's shape
- 3. If in any dimension the sizes disagree and neither is equal to 1, an error is raised

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Example 1:  
a: 
$$(3,) \rightarrow (1,3) \rightarrow (3,3)$$
  
b:  $(3,1) \rightarrow (3,1) \rightarrow (3,3)$   
a+b:  $\rightarrow (3,3)$ 

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Example 1:		Example 2:	
a: $(3,) \rightarrow (1,3) \rightarrow (3,3)$	3,3)	$\overline{a:(3,)} \rightarrow (1,3) \rightarrow$	(3,3)
b: $(3,1) \to (3,1) \to (3,1)$	3,3)	b: $(3,2) \to (3,2) \to$	(3,2)
a+b:	$\rightarrow$ (3,3)	a+b:	$\rightarrow$ error

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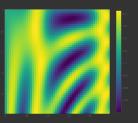
```
      Example 1:
      Example 2:

      a: (3,) \rightarrow (1,3) \rightarrow (3,3)
      a: (3,) \rightarrow (1,3) \rightarrow (3,3)

      b: (3,1) \rightarrow (3,1) \rightarrow (3,3)
      b: (3,2) \rightarrow (3,2) \rightarrow (3,2)

      a+b:
      \rightarrow error
```

```
import numpy as np
import matplotlib.pyplot as plt
plt.figure(figsize=(12,12))
x = np.linspace(0, 5, 50)
y = np.linspace(0, 5, 50).reshape(50,1)
z = np.sin(x)*** + np.cos(5+x*y)*np.cos(x)  # broadcast!
plt.imshow(z)
plt.colorbar(shrink=0.8)
```



# Many other Python packages were built on top of numpy

- scikit-image is a collection of algorithms for image processing
  - ightharpoonup each image is stored as width imes height imes 4 (R,G,B,lpha channels) numpy array
- pandas for (2D) tabular data manipulation
- vt for volumetric multi-resolution data
  - multiple subgrids at different resolution levels
  - any 3D field on each subgrid is stored as a 3D numpy array
  - any 3D field across all subgrids can be accessed as a flattened array
  - dozens of convenient functions to manipulate and visualize yt datasets
  - ► can import multi-resolution data from 20+ different file formats
  - ► fairly easy to convert generic array data into yt format
  - covered in our two earlier webinars:
    - "Using YT for analysis and visualization of volumetric data" (November 2018)
    - "Working with data objects in YT" (January 2019)
    - recordings at https://bit.ly/vispages

# Xarray library

- Built on top of numpy and pandas
- Brings the power of pandas (easy data manipulation, I/O, plotting) to multidimensional arrays
- Does not support multi-resolution data out-of-the-box
  - ▶ i.e. you cannot define a single 3D field that spans multiple grids
  - b however, you can define multiple arrays on top of multiple grids inside the same dataset
- $\checkmark$  Not limited to 3D  $\Rightarrow$  data of any dimensionality

- Two main data structures in xarray:
  - xarray.DataArray is a fancy, labelled version of numpy.ndarray
  - ► xarray.Dataset is a collection of multiple xarray.DataArray's that (usually) share dimensions

## DataArray

### DataArray

```
import xarray as xr
import numpy as np
data = xr.DataArrav(
    np.random.random(size=(4,3)),
    dims=("y", "x"), # we want 'y' to represent rows and 'x' columns
    coords={"x": [10,11,12],
            "v": [10,20,30,40]} # coordinate labels/values
print (data)
                 <xarray.DataArray (y: 4, x: 3)>
                 arrav([[0.8468579 , 0.79008336, 0.67300866],
                       [0.61169687, 0.82379812, 0.05382901],
                       [0.70889338, 0.01498123, 0.50806224],
                        [0.3437665 , 0.84299556, 0.89612048]])
                   * x (x) int64 10 11 12
                   * v (v) int64 10 20 30 40
```

#### access specific coordinate:

```
>>> data.size, data.dtype
(12, dtype('float64'))
             (x) int64 10 11 12
             (v) int64 10 20 30 40
```

#### access specific coordinate:

```
>>> data.coords['x']
             (x) int64 10 11 12
>>> data.coords['x'][1]
             int64 11
```

#### access specific coordinate:

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```
>>> data.coords['x']

<pr
```

#### access specific coordinate:

```
>>> data.attrs = {"author": "AR", "date": "2020-09-30"}
>>> data.attrs["name"] = "density"
>>> data.attrs["units"] = "g/cm^3"
>>> data.x.attrs["units"] = "cm"
>>> data.y.attrs["units"] = "cm"
```

#### access specific coordinate:

```
>>> data.coords['x']

<pr
```

```
>>> data.attrs = {"author": "AR", "date": "2020-09-30"}
>>> data.attrs["name"] = "density"
>>> data.attrs["units"] = "g/cm^3"
>>> data.x.attrs["units"] = "cm"
>>> data.y.attrs["units"] = "cm"
>>> data.y.attrs # all top-level attributes
{'author':'AR', 'date':'2020-09-30', 'name':'density', 'units':'g/cm^3'}
```

#### access specific coordinate:

```
>>> data.x[1]

<pre
```

```
>>> data.attrs = { "author": "AR", "date": "2020-09-30"}
>>> data.attrs["name"] = "density"
>>> data.attrs["units"] = "g/cm^3"
>>> data.x.attrs["units"] = "cm"
>>> data.v.attrs["units"] = "cm"
                  # all top-level attributes
{'author':'AR', 'date':'2020-09-30', 'name':'density', 'units':'g/cm^3'}
                  # all top-level attributes show here as well
             (x) int64 10 11 12
             (v) int64 10 20 30 40
              2020-09-30
             a/cm^3
```

#### access specific coordinate:

```
>>> data.coords['x']

>>> data.coords['x']
```

```
>>> data.x[1]

<pre
```

```
>>> data.attrs = { "author": "AR", "date": "2020-09-30"}
>>> data.attrs["name"] = "density"
>>> data.attrs["units"] = "g/cm^3"
>>> data.x.attrs["units"] = "cm"
>>> data.v.attrs["units"] = "cm"
                  # all top-level attributes
{'author':'AR', 'date':'2020-09-30', 'name':'density', 'units':'g/cm^3'}
                  # all top-level attributes show here as well
             (x) int64 10 11 12
             (v) int64 10 20 30 40
              2020-09-30
             a/cm^3
                  # only 'x' attributes
             (x) int64 10 11 12
```

# Subsetting arrays

Using the usual Python square brackets

- DataArray.isel() selects by coordinate index (single index, list, range)
- DataArray.sel() selects by coordinate value (single value, list, range)
- DataArray.interp() interpolates by coordinate value

- data.isel() is the same as data (no selection)
- Can refine selection by passing any number of arguments

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```
>>> data.isel(y=1) # second row
                                                    >>> data.isel(y=0, x=[-2,-1])
                                                               # first row, last two columns
                                                    <xarray.DataArray (x: 2)>
            (x) int64 10 11 12
            int64 20
                                                                (x) int64 11 12
                                                      * X
                                                                int64 10
             q/cm^3
<class 'xarray.core.dataarray.DataArray'>
                                                    >>> data.isel(v=0, x=[-2,-1]).values
```

```
dtype('int64')
>>> data.x.values
array([10, 11, 12]
```

```
dtype('int64')
>>> data.x.values
>>> data.sel(x=10)
       0.506477, 0.730675681)
             int64 10
             (v) int64 10 20 30 40
              g/cm^3
```

```
dtype('int64')
>>> data.x.values
>>> data.sel(x=10)
<xarrav.DataArrav (v: 4)>
       0.506477, 0.730675681)
             int64 10
             (v) int64 10 20 30 40
              g/cm^3
```

```
>>> data.y
array([10, 20, 30, 40])
             (y) int64 10 20 30 40
>>> data.sel(x=10, y=[30, 40]).values
```

```
>>> data.x.dtype
dtype('int64')
>>> data.x.values
>>> data.sel(x=10)
<xarrav.DataArrav (v: 4)>
       0.506477, 0.730675681)
             int64 10
             (y) int64 10 20 30 40
              g/cm^3
```

```
>>> data.v
array([10, 20, 30, 40])
              (y) int64 10 20 30 40
>>> data.sel(x=10, y=[30, 40]).values
>>> data.sel(v=slice(15,30))
                                   # only 15<=v<=30
       [0.506477 , 0.83279696, 0.1229428 ]])
              (x) int64 10 11 12
  * X
              (v) int64 20 30
               g/cm<sup>3</sup>
```

### DataArray.interp() to interpolate by coordinate value

```
>>> data
<xarray.DataArray (y: 4, x: 3)>
             (x) int64 10 11 12
             (v) int64 10 20 30 40
              g/cm^3
                                # between 1st and 2nd rows, between 1st and 2nd columns
             float64 10.5
             int64 15
              q/cm^3
```

### DataArray.interp() to interpolate by coordinate value

```
>>> data
<xarray.DataArray (y: 4, x: 3)>
             (x) int64 10 11 12
             (v) int64 10 20 30 40
             g/cm^3
                                # between 1st and 2nd rows, between 1st and 2nd columns
             float64 10.5
             int64 15
             q/cm^3
>>> data.interp(x=10.5, y=15, method="nearest").values
                                                         # closest neighbour
array(0.4515217)
```

### DataArray.interp() to interpolate by coordinate value

```
>>> data
<xarray.DataArray (y: 4, x: 3)>
       [0.506477 , 0.83279696, 0.1229428 ], [0.73067568, 0.64027954, 0.999999 ]])
            (x) int64 10 11 12
            (v) int64 10 20 30 40
             g/cm^3
>>> data.interp(x=10.5, v=15)
                               # between 1st and 2nd rows, between 1st and 2nd columns
            float64 10.5
            int64 15
             q/cm^3
>>> data.interp(x=10.5, y=15, method="nearest").values
                                                       # closest neighbour
array(0.4515217)
>>> data.interp(y=15).values # between 1st and 2nd rows
```

### Aggregate functions

array(0.61170573)

# DataArray.groupby()

```
>>> columns
DataArrayGroupBy, grouped over 'x'
3 groups with labels 10, 11, 12.
```

>>> columns = data.groupby("x")

### DataArray.groupby()

```
>>> columns = data.groupby("x")
DataArrayGroupBy, grouped over 'x'
3 groups with labels 10, 11, 12.
```

#### You can apply a function separately to each group:

```
>>> columns.map(lambda v: v.sum()/len(v))
                                              # could use v.mean() too with the same result
array([0.55905861, 0.60367705, 0.67238154])
                                              # same result as in the previous slide!
```

(x) int64 10 11 12

# DataArray.groupby()

```
>>> columns = data.groupby("x")
>>> columns
DataArrayGroupBy, grouped over 'x'
3 groups with labels 10, 11, 12.
```

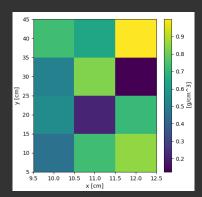
#### You can apply a function separately to each group:

(v) int64 10 20 30 40

### Plotting

#### Matplotlib is integrated directly into xarray:

```
>>> data.plot(size=8)
<matplotlib.collections.QuadMesh object at 0x7fbf7a9c1a30>
>>> import matplotlib.pyplot as plt  # not needed inside Jupyter
>>> plt.show()  # not needed inside Jupyter
```



# Plotting

0.85 0.80 0.75 0.70 0.65

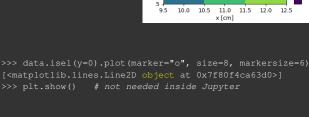
0.60 0.55 0.50

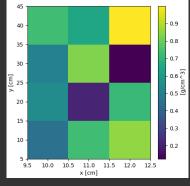
#### Matplotlib is integrated directly into xarray:

y = 10

10.00 10.25 10.50 10.75 11.00 11.25 11.50 11.75 12.00 x [cm]

```
>>> data.plot(size=8)
<matplotlib.collections.QuadMesh object at 0x7fbf7a9c1a30>
>>> import matplotlib.pyplot as plt  # not needed inside Jupyter
>>> plt.show()  # not needed inside Jupyter
```





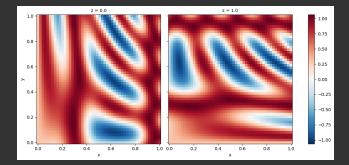
### Create a 3D array

Let's create a function inside a unit cube  $x, y, z \in [0, 1]$  on a 50<sup>3</sup> grid:

```
import numpy as np
x = np.linspace(0, 1, n)
y = np.linspace(0, 1, n).reshape(n, 1)
z = np.linspace(0, 1, n).reshape(n, 1, 1)
f1 = np.sin(5*x)**8 + np.cos(5+25*x*y)*np.cos(5*x) # function at one side of the cube (z=0)
f2 = np.sin(5*y)**8 + np.cos(5+25*x*y)*np.cos(5*y) # rotated 90 degrees, other sise (z=1)
import xarray as xr
coords = {"z": z.flatten(), "y": y.flatten(), "x": x} # supply 1D array to all
rho = xr.DataArray(
    dims=("z", "v", "x"),
```

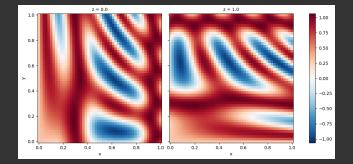
#### Plot this function

```
# rho.sel(z=[0,1]) is a 3D DataArray with two z values
# rho.sel(z=[0,1]).plot(size=8) will produce a histogram
rho.sel(z=[0,1]).plot(size=8, col="z")
import matplotlib.pyplot as plt  # not needed inside Jupyter
plt.show()  # not needed inside Jupyter
```



#### Plot this function

```
# rho.sel(z=[0,1]) is a 3D DataArray with two z values
# rho.sel(z=[0,1]).plot(size=8) will produce a histogram
rho.sel(z=[0,1]).plot(size=8, col="z")
import matplotlib.pyplot as plt # not needed inside Jupyter
                                  # not needed inside Jupyter
plt.show()
```



rho.to netcdf("rho.nc")

# write to disk \Rightarrow let's view this function in ParaView!

#### **Dataset**

- xarray.Dataset is a collection of multiple DataArray's that (usually) share dimensions
- Create a dataset from scratch, starting from the existing code for rho DataArray:

```
import numpy as np
x = np.linspace(0, 1, n)
z = np.linspace(0, 1, n).reshape(n, 1, 1)
f1 = np.sin(5*x)**8 + np.cos(5+25*x*y)*np.cos(5*x) # function at one side of the cube (z=0)
f2 = np.sin(5*y)**8 + np.cos(5+25*x*y)*np.cos(5*y) # rotated 90 degrees, other sise (z=1)
import xarray as xr
coords = {"z": z.flatten(), "y": y,flatten(), "x": x} # supply 1D array to all
rho = xr.DataArray(f, dims=("z", "y", "x"), coords=coords)
temp = xr.DataArray(
                                             # standard normal distribution
     dims=("z", "v", "x"),
ds = xr.Dataset({"temperature": temp, "density": rho,
                     "bar": ("x", 200+np.arange(n)), "pi": np.pi})
```

### Dataset (cont.)

#### Dataset (cont.)

```
<xarray.Dataset>
                 (z) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
                  (y) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
  * X
                  (x) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
Data variables:
                 (z, y, x) float64 18.03 20.79 18.89 17.32 ... 16.97 22.71 18.51
                 (z, y, x) float64 0.2837 0.2822 0.2778 ... 0.499 0.6163 0.7587
                 (x) int64 200 201 202 203 204 205 ... 244 245 246 247 248 249
                 float64 3.<u>142</u>
>>> ds.density.shape
                          # data.variables['density'].shape is equivalent
             (z) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
             (v) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
             (x) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
>>> ds.pi
array(3.14159265)
```

```
(x) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
>>> ds.x[1].values
array(0.02040816)
                                  # this likely won't work!
>>> ds.density.sel(x=ds.x[1])
             (z) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
             (y) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
             float64 0.02041
```

2020-Sep-30

```
(x) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
>>> ds.x[1].values
array(0.02040816)
                                  # this likely won't work!
>>> ds.density.sel(x=ds.x[1])
             (z) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
             (y) float64 0.0 0.02041 0.04082 0.06122 ... 0.9592 0.9796 1.0
             float64 0.02041
```

Or you can use ds.density.isel(x=1)

or ds.density.sel(x=slice(0.01,0.03))

2020-Sep-30

#### Save the dataset to disk

ds.to\_netcdf("cube.nc") ⇒ let's view this function in ParaView!

Before hitting apply, select Dimensions: (z,y,x)

### Write to NetCDF in single precision (save disk space!)

#### Start with single-precision numpy arrays:

```
import numpy as np
import xarray as xr
n = 50
x = np.linspace(0, 1, n, dtype=np.float32)
v = np.linspace(0, 1, n, dtype=np.float32).reshape(n,1)
z = np.linspace(0, 1, n, dtype=np.float32).reshape(n,1,1)
f2 = np.sin(5*v)**8 + np.cos(5+25*x*v)*np.cos(5*v)
coords = {"z": z.flatten(), "v": v.flatten(), "x": x}
rho = xr.DataArray(f, dims=("z", "y", "x"), coords=coords)
temp = xr.DataArray(20 + 2*np.float32(np.random.randn(n,n,n)),
                    dims=("z", "v", "x"), coords=coords)
ds = xr.Dataset({"temperature": temp, "density": rho,
                 "bar": ("x", 200+np.arange(n,dtype=np.float32)), "pi": np.float32(np.pi)})
print(ds.density.dtype, ds.temperature.dtype, ds.bar.dtype, ds.pi.dtype)
          # float32 float32 float32 float32
ds.to netcdf("cubeSinglePrecision.nc")
```

# Dataset in spherical geometry

```
To store the file in a NetCDF Climate and Forecast (CF) convention,
replace x, y, z with lat, lon, r (exact names not important)
and use ds.lat.attrs["units"] = "degrees_north"
and ds.lon.attrs["units"] = "degrees_east":
from numpy import linspace, sin, cos, float32, radians, random
import xarray as xr
nlat, nlon, nr = 181, 361, 30 # grid resolution
lat = linspace(-90, 90, nlat, dtype=float32)
lon = linspace(0, 360, nlon, dtype=float32).reshape(nlon,1)
r = linspace(0.9, 1, nr, dtype=float32).reshape(nr,1,1)
f = (1+0.8*cos(radians(lon))*cos(radians(lat))) * sin(radians(lat))**4 * r
coords = {"lat": lat, "lon": lon.flatten(), "r": r.flatten()}
rho = xr.DataArray(f, dims=("r", "lon", "lat"), coords=coords)
temp = xr.DataArray(20 + 2*float32(random.randn(nr,nlon,nlat)),
                   dims=("r", "lon", "lat"), coords=coords)
ds = xr.Dataset({"temperature": temp, "density": rho})
ds.lat.attrs["units"] = "degrees north" # important!
ds.lon.attrs["units"] = "degrees_east" # important!
ds.to_netcdf("spherical.nc")
```

#### ⇒ let's load it into ParaView!

#### Time series data

#### Xarray relies on pandas functions for time-series functionality:

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#### Time series data

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#### Time series data

#### Xarray relies on pandas functions for time-series functionality:

```
>>> import pandas as pd
>>> time = pd.date_range("2000-01-01", freq="D", periods=365*3+1) # 2000-Jan to 2002-Dec
DatetimeIndex(['2000-01-01', '2000-01-02', '2000-01-03', '2000-01-04',
               '2000-01-05', '2000-01-06', '2000-01-07', '2000-01-08',
               '2002-12-30', '2002-12-31'],
              dtvpe='datetime64[ns]', length=1096, freq='D')
>>> time.month
           dtype='int64', length=1096)
>>> time.dav
           dtype='int64', length=1096)
```

#### You can always type help (pd.date\_range) or help(time)

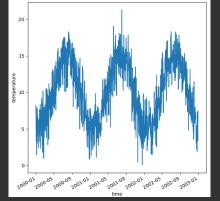
#### Time-dependent scalar dataset

```
import xarray as xr
import numpy as np
ntime = len(time)
temp = 10 + 5*np.sin((250+np.arange(ntime))/365.25*2*np.pi) + 2*np.random.randn(ntime)
ds = xr.Dataset({ "temperature": ("time", temp), "time": time })  # 1D function of time
ds.temperature.plot(size=5)
import matplotlib.pyplot as plt  # not needed inside Jupyter
plt.show()  # not needed inside Jupyter
```

Intro Xarray xarray.DataArray xarray.Dataset **Time** Geodata Summary ooooo o ooooooooo o**oooo** o o

#### Time-dependent scalar dataset

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```



### Time subsetting

# last timestep

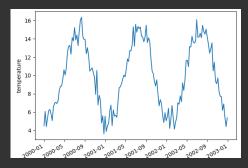
### Time subsetting

```
>>> ds.isel(time=-1) # last timestep
                 datetime64[ns] 2002-12-31
Data variables:
>>> ds.sel(time="2002-12-22").temperature
array(5.24044602)
             datetime64[ns] 2002-12-22
```

#### Time subsetting

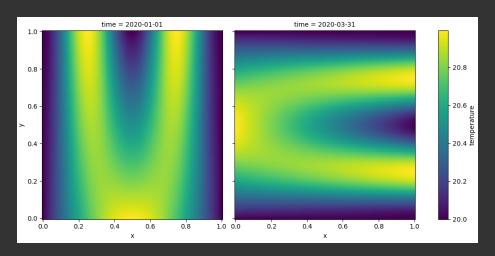
```
>>> ds.isel(time=-1)
                       # last timestep
                 datetime64[ns] 2002-12-31
Data variables:
                float64 6.399
>>> ds.sel(time="2002-12-22").temperature
array(5.24044602)
             datetime64[ns] 2002-12-22
```

```
>>> ds.resample(time='7D')
# from 1096 steps to 157 time groups
DatasetResample, grouped over '__resample_dim__'
157 groups with labels 2000-01-01, ..., 2002-12-28.
>>> weekly = ds.resample(time='7D').mean()
# compute mean for each group
>>> weekly.temperature.plot(size=8)
[<matplotlib.lines.Line2D object at 0x7fc8b8db3f70>]
>>> plt.show() # not needed inside Jupyter
```



#### Take our 3D dataset (recall cube.nc) and make it 2D+time:

```
import numpy as np
import pandas as pd
import xarray as xr
time = pd.date_range("2020-01-01", freq="D", periods=91) # January - March 2020
ntime = len(time)
             # spatial resolution in each dimension
X, Y = np.meshgrid(axis,axis) # 2D Cartesian meshes of x,y coordinates
   z = (t+0.5) / ntime # dimensionless time from 0 to 1
coords = {"time": time, "x": axis, "y": axis}
temp = xr.DataArray( # 2D array varying in time from initialState to finalState
    20 + f, dims=("time", "v", "x"), coords=coords
pres = xr.DataArray( # random 2D array
   100 + 10*np.random.randn(ntime,n,n), dims=("time","y","x"), coords=coords
ds = xr.Dataset({"temperature": temp, "pressure": pres})
ds.to_netcdf("evolution.nc")
```



⇒ let's play back evolution.nc in ParaView!

#### Earth's mantle convection

- Upcoming SciVis competition, will be announced towards the end of October
  - open to anyone (no research affiliation necessary)
  - ▶ please keep an eye on our emails and https://www.westgrid.ca
- Data courtesy of Hosein Shahnas and Russell Pysklywec at the UofToronto
  - simulation conducted using Compute Canada's Niagara cluster (SciNet)
  - each timestep saved as a separate multi-variable NetCDF file on a spherical grid

#### Live demo

# Questions?

2020-Sep-30