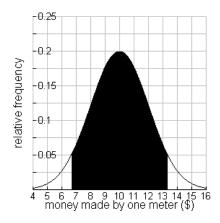
Lesson 5.2.3

- 5-43. a. P(70 < X < 79) = normalcdf(70, 79, 74, 5) = 0.629. About 63% would be considered average.
 - b. $P(X < 66) = \text{normalcdf}(-10^99, 66, 74, 5) = 0.055$. Between 5 and 6% of would be in excellent shape.
 - c. $P(X < 66) = \text{normalcdf}(-10^99, 66, 70, 5) 0.0548 = 0.157$. There would be a nearly 16% increase in young women classified as being in excellent shape.
- 5-44. For David: normalcdf(122, 10^99, 149, 13.6) = 0.976; For Regina: normalcdf(130, 10^99, 145, 8.2) = 0.966; For now David is relatively faster.
- 5-45. a. $P(X < 59) = \text{normalcdf}(-10^99, 59, 63.8, 2.7) = 0.0377; 3.77\%$
 - b. $(0.0377)(324)(\frac{1}{2}) = 6$ girls
 - c. $P(X > 72) = \text{normalcdf}(72, 10^99, 63.8, 2.7) = 0.00119.$ (0.00119)(324)($\frac{1}{2}$) = 0.19 girls. Students should not expect to see any girls over 6 ft tall.

5-46. a.



- b. Answers will vary. See graph above. Using statistical computations, we find that the boundaries are \$6.71 and \$13.29.
- c. Answers will vary; normalcdf(6.71, 13.29, 10, 2) = 0.9000
- 5-47. a. $P(X < 0.1) = \text{normalcdf}(-10^99, 0.1, 0.12, 0.04) = 0.309$. About 31% would meet the standard.
 - b. $P(X < 0.065) = \text{normalcdf}(-10^99, 0.065, 0.12, 0.04) = 0.0846$. Only about 8% would meet the standard.
 - c. $P(X > 0.03) = \text{normalcdf}(0.03, 10^99, 0.12, 0.04) = 0.988$. About 99% would not meet the standard.

- 5-48. a. Using the normal model here is not a good idea because the data is not symmetric, single-peaked, and bell-shaped. A different model would represent the data better.
 - b. Using the histogram: $\frac{7.5}{48} = 15^{\text{th}}$ percentile. In 15% of the hours over the two-day period the coffee shop was not profitable. If you use original data: $\frac{9}{48} = 18.75\%$
 - c. Using the histogram: $\frac{40}{48} = 83^{\text{rd}}$ percentile. In 83% of the hours over the two-day period, the coffee shop would not have been profitable. If this data represents a typical 48-hour period, now would not be the time to expand. Original data gives $\frac{41}{48} = 0.854$
- 5-49. a. 0.025
 - b. 0.160
 - c. 0.815
- 5-50. a. F = 2%, D = 16 2 = 14%, C = 84 16 = 68%, B = 98 84 = 14%, A = 100 98 = 2%
 - b. F = 0 points, D = 76.5 (2)17.4 = 41.7 points, C = 76.5 (1)17.4 = 59.1 points, C = 76.5 + (1)17.4 = 93.9 points, C = 76.5 + (2)17.4 = 111.3 points
 - c. The normal model is not a good idea because the distribution of scores is strongly skewed left. Also, the minimum grade required for an A would be 111.3 points, which is probably not possible.