# Lessons learned from building a large, real-world Agda project

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# About the project

- A full specification of the Cardano ledger
  - It is a pure state machine, describing validity of blocks
- ► FMBC 2024 paper [2]

#### Formal Specification of the Cardano Blockchain Ledger, Mechanized in Agda

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#### — Abstract -

Blockchain systems comprise critical software that handle substantial monetary funds, rendering them excellent candidates for formal verification. One of their core components is the underlying

- Started in Jul 2021
- ▶ 474 commits



#### External constraints

- Precedent (existing LATEX specifications)
- Computability (executable specification, conformance testing)
- Readability (want a document for internal and external consumption)

# Relational specification

- ➤ The specification consists of lots of not so small state machines.
- ▶ To reason about state machines: (inductive) Relations > Functions.
  - Covers partiality automatically.
  - We don't have non-determinism.

- How do we make it executable? Computational type class!
  - Old version:

```
record Computational (\_\vdash \neg (\_)_ : C \rightarrow S \rightarrow Sig \rightarrow S \rightarrow Type) : Type where field compute : C \rightarrow S \rightarrow Sig \rightarrow Maybe S \equiv-just\LeftrightarrowSTS : compute \Gamma S b \equiv just s' \Leftrightarrow \Gamma \vdash S \neg ( b ) S'
```

New Version

```
record (omputational (_+_-(_)_ : C → S → Sig → S → Type) Err : Type: where constructor McComputational field compute from : (c : C) (s : S) (sig : Sig) → ComputationResult Err (a[s'] c + s → (sig ) s') compute : C → S → Sig → ComputationResult Err S compute c c sig = map proj: S computeProof c s sig field completeness : (c : C) (s : S) (sig : Sig) (s' : S) → TS c s sig s' → compute c s sig = success s'
```

We have a recipe for writing instances, if the constructors of the relation have the right properties it is straightforward.

```
data \_\vdash\_\_(\_,UTXOS)\_: UTxOEnv \rightarrow UTxOState \rightarrow Tx \rightarrow UTxOState \rightarrow Type where
  Scripts-Yes :
    ∀ {Γ} {s} {tx}
    → let open Tx tx renaming (body to txb); open TxBody txb
           open UTx0Env Γ renaming (pparams to pp)
           open UTxOState s
           sLst = collectPhaseTwoScriptInputs pp tx utxo
       in

    evalScripts tx sLst = isValid

    isValid = true

           \Gamma \vdash s \multimap (tx , UTXOS) \Gamma (utxo | txins \circ) u^{1} (outs txb)
                                   . fees + txfee
                                   . deposits
                                   , donations + txdonation
  Scripts-No :
    ∀ {Γ} {s} {tx}
    → let open Tx tx renaming (body to txb); open TxBody txb
           open UTx0Env Γ renaming (pparams to pp)
           open UTxOState s
           sLst = collectPhaseTwoScriptInputs pp tx utxo
       in

    evalScripts tx sLst = isValid

    isValid = false

           \Gamma \vdash s \multimap (tx, UTXOS)  [ utxo | collateral °
                                   , fees + cbalance (utxo | collateral)
                                   , deposits
                                   , donations
                                   10
```

```
instance
 Computational-UTXOS = record {qo} where
   module go Γ s tx
     (let H-Yes , ?? H-Yes? = Scripts-Yes-premises {Γ} {s} {tx})
     (let H-No . ? H-No? = Scripts-No-premises {[] {s} {tx}} where
     open Tx tx renaming (body to txb); open TxBody txb
     open UTx0Env Γ renaming (ppgrams to pp)
     open UTxOState s
     sLst = collectPhaseTwoScriptInputs pp tx utxo
     computeProof =
       case H-Yes? .' H-No? of λ where
         (yes p , no _ ) → success (_ , (Scripts-Yes p))
         (no _ , yes p) → success (_ , (Scripts-No p))
         (_ , _ ) → failure "isValid check failed"
     completeness : \forall s' \rightarrow \Gamma \vdash s \rightarrow (tx, UTXOS) s' \rightarrow map proj_1 computeProof \equiv success s'
     completeness _ (Scripts-Yes p) with H-No? | H-Yes?
     ... | yes (_ , refl) | _ = case proj2 p of \lambda ()
     ... | no _ | | | yes _ = refl
     ... | no \neg p = case \neg p p of \lambda ()
     completeness _ (Scripts-No p) with H-Yes? | H-No?
     ... | yes (_ , refl) | _ = case proj2 p of \lambda ()
     ... | no _ | | | yes _ = refl
     ... | no \neg p = case \neg p p of \lambda ()
```

- ► Lesson: It's a lot easier to prove equivalences between functions and relations than you might think. So if you have a function that is a bit too annoying in your proofs:
  - Make a relation that relates the inputs and outputs of the function.
  - Prove that the two are equivalent.
  - ▶ Then prove things about the relation, not the function.

# Code organization

- ► We want to abstract irrelevant details (mostly types and instances) as much as possible.
- Also want --safe, so module parameters are our abstraction tool of choice.
- ▶ We use bundled module parameters. This makes imports easier and probably has better performance (?).

# Code organization

```
record GovStructure : Type1 where
  field TxId DocHash: Type

    ∏ DecEa-TxId 
    ↑: DecEa TxId

  field crypto : _
  open Crypto crypto public
  field epochStructure : _
  open EpochStructure epochStructure public
  field scriptStructure : ScriptStructure crypto epochStructure
  open ScriptStructure scriptStructure public
  open Ledger.PParams crypto epochStructure scriptStructure public
  field govParams : GovParams
  open GovParams govParams public
  field globalConstants : _
  open GlobalConstants alobalConstants public
  open import Ledger.Address Network KeyHash ScriptHash public
```

# Set theory

- Gave a dedicated talk about this at AIM XXXI.
- ▶ Used to use a list-based approach [1], but this was slow & hard to work with.
- Long story short:
  - Want to use finite sets as a data structure without being bothered by implementation details.
  - The library is split into an abstract axiomatic part and some models.
  - ➤ To use it, assume a generic model with the right properties and instantiate it later.<sup>1</sup>

 $<sup>^1</sup>$ Technically, we actually do fix a model ahead of time, but we keep it all in an abstract block. This could probably be refactored away into the module parameters.

#### FFI

Use a mix of Coercible from the standard library and a custom Convertible class (which is really the same as Equivalence).

```
data Coercible (A : Set a) (B : Set b) : Set where

TrustMe : Coercible A B

{-# FOREIGN GHC data AgdaCoercible 11 12 a b = TrustMe #-}
{-# COMPILE GHC Coercible = data AgdaCoercible (TrustMe) #-}

-- Once we get our hands on a proof that `Coercible A B` we postulate
-- that it is safe to convert an `A` into a `B`. This is done under the
-- hood by using `unsafeCoerce`.

postulate coerce : {{_: Coercible A B}} → A → B

{-# FOREIGN GHC import Unsafe.Coerce #-}
{-# COMPILE GHC coerce = \ _ _ _ _ _ - > unsafeCoerce #-}
```

► The aforementioned module parameters are instantiated by concrete types and functions.

#### FFI

- ➤ This approach comes at some runtime cost, but FFI concerns are kept completely separate from everything else.
  - This means we can (and sometimes do) use unsafe code in FFI.
- We recently added a method for asking downstream (Haskell) code for implementations without adding a dependency.
  - This allows the Haskell implementation to supply things such as cryptographic primitives without complicating our build.

#### FFI

➤ Since almost all of our types are defined in modules that are parametrized over these things, we sometimes need to unsafeCoerce between types of the form X ext and X dummy.

# Metaprogramming

- Difficult, but lets us reduce boilerplate in various situations:
  - Deriving DecEq (agda-stdlib-meta).
  - Deriving MAlonzo FFI datatype bindings (Ulf).

- Automatically extracting some pieces of step relations, reduces code duplication (Orestis).
- ▶ Basic rewriting for set theory.
- ▶ We used to be able to derive Computational, but it was too slow, brittle, and certain features we needed were too difficult to implement. So it's abandoned for now, but maybe we can revive it some day.

#### Performance

- Generally, type checking is only slow in modules containing proofs.
- The biggest source of slowness seems to be meta programs.
  - ▶ Even really easy ones are way too slow sometimes.
- Run-time performance has only been an issue when the code was hideously unoptimized.

#### References

#### Set theory talk:

https://www.youtube.com/watch?v=MNouehcOICA

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