

# <sup>1</sup> The Keçeci Layout: A Deterministic, Order-Preserving Visualization Algorithm for Structured Systems

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## <sup>5</sup> Summary

<sup>6</sup> Graph visualization is a cornerstone of network analysis, yet traditional algorithms often prioritize topological representation over the preservation of inherent node order. This can obscure sequential or procedural information critical in many scientific and structural analyses. This <sup>7</sup> paper introduces the *Keçeci Layout*, a deterministic, order-preserving graph layout algorithm <sup>8</sup> designed to arrange nodes in a structured zigzag pattern. This method provides a clear, <sup>9</sup> predictable, and structurally informative visualization for systems where the sequence of <sup>10</sup> nodes is meaningful. The layout is implemented in the open-source `kececelayout` Python <sup>11</sup> package, which offers seamless interoperability with major graph analysis libraries, including <sup>12</sup> NetworkX, igraph, rustworkx, Networkkit, and Graphillion. `kececelayout` is open source, <sup>13</sup> licensed under the MIT license, and the source code is available on GitHub at <https://github.com/WhiteSymmetry/kececelayout>. The version of the software described in this paper is <sup>14</sup> archived on Zenodo ([Keçeci, 2025g](#)). We detail the algorithm's methodology, showcase its <sup>15</sup> implementation, and discuss its applications as a cross-disciplinary framework for structural <sup>16</sup> analysis. The deterministic nature of the layout ensures that any given graph will always be <sup>17</sup> rendered identically, facilitating reproducible research and comparative analysis.  
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## <sup>21</sup> Statement of Need

<sup>22</sup> The visualization of complex networks is fundamental to understanding their structure, function, <sup>23</sup> and underlying patterns. Algorithms such as force-directed layouts ([Fruchterman & Reingold, 1991](#)) are highly effective at revealing topological features like clusters and central nodes. <sup>24</sup> However, they achieve this by optimizing node positions to minimize edge crossings and <sup>25</sup> regularize edge lengths, a process that inherently disregards any pre-existing order among the <sup>26</sup> nodes.

<sup>27</sup> To address this gap, the Keçeci Layout was developed as a structural approach for <sup>28</sup> interdisciplinary scientific analysis ([Keçeci, 2025m, 2025n, 2025o](#)). It is a deterministic <sup>29</sup> algorithm that explicitly preserves the order of nodes, arranging them in a predictable <sup>30</sup> zigzag pattern ([Keçeci, 2025d, 2025f](#)). This approach moves beyond purely topological <sup>31</sup> representations to provide a "structural thinking" framework, enabling clearer insight into <sup>32</sup> ordered systems ([Keçeci, 2025c](#)). As described by Keçeci ([2025l](#)), this paper describes the <sup>33</sup> core principles of the Keçeci Layout, details its implementation, and highlights its utility in <sup>34</sup> cross-disciplinary contexts.  
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## <sup>36</sup> The Keçeci Layout Algorithm

<sup>37</sup> The Keçeci Layout is fundamentally a sequential algorithm that places nodes one by one <sup>38</sup> according to their given order. Its defining characteristic is the combination of linear progression <sup>39</sup> along a primary axis and an alternating, expanding offset along a secondary axis. This generates

<sup>40</sup> the distinctive zigzag shape (Keçeci, 2025d). The algorithm is deterministic: for a given list of  
<sup>41</sup> nodes and a fixed set of parameters, the resulting layout is always identical (Keçeci, 2025b).

## <sup>42</sup> Algorithmic Principles

<sup>43</sup> The position of each node is determined by its index in the sorted node list. Let  $N =$   
<sup>44</sup>  $(n_0, n_1, \dots, n_{k-1})$  be the ordered sequence of  $k$  nodes. For each node  $n_i$  at index  $i$ , its  
<sup>45</sup> coordinates  $(x_i, y_i)$  are calculated based on four key parameters:

- <sup>46</sup> ■ **primary\_direction**: Defines the main axis of progression. It can be vertical ('top-down',  
<sup>47</sup> 'bottom-up') or horizontal ('left-to-right', 'right-to-left').
- <sup>48</sup> ■ **primary\_spacing**: The constant distance separating consecutive nodes along the primary  
<sup>49</sup> axis.
- <sup>50</sup> ■ **secondary\_spacing**: The base unit of distance for the offset along the secondary axis.
- <sup>51</sup> ■ **secondary\_start**: Defines the direction of the first offset on the secondary axis (e.g.,  
<sup>52</sup> 'right' or 'left' for a vertical primary axis).

<sup>53</sup> The core logic for a 'top-down' primary direction is as follows:

- <sup>54</sup> 1. **Primary Coordinate Calculation**: The primary coordinate (in this case,  $y$ ) is determined  
<sup>55</sup> by the node's index  $i$ .

$$y_i = -i \times \text{primary\_spacing}$$

- <sup>56</sup> 2. **Secondary Coordinate Calculation**: The secondary coordinate ( $x$ ) is calculated based on  
<sup>57</sup> an alternating and growing offset. The magnitude of the offset for node  $n_i$  is proportional  
<sup>58</sup> to  $\lceil i/2 \rceil$ , and its direction depends on whether  $i$  is odd or even.

$$\text{side} = \begin{cases} 1 & \text{if } i \text{ is odd} \\ -1 & \text{if } i \text{ is even} \end{cases}$$

$$x_i = \text{start\_direction} \times \lceil i/2 \rceil \times \text{side} \times \text{secondary\_spacing}$$

<sup>59</sup> The node at index  $i = 0$  is placed at the origin of the secondary axis ( $x_0 = 0$ ).

<sup>60</sup> This deterministic procedure ensures that nodes are arranged sequentially, making it easy to trace  
<sup>61</sup> paths and understand flow while effectively utilizing two-dimensional space to avoid overlap.  
<sup>62</sup> The graph-theoretic underpinnings of this structured approach facilitate cross-disciplinary  
<sup>63</sup> inquiry by providing a common visual language (Keçeci, 2025a).

## <sup>65</sup> Implementation: The kec Cecilayout Package

<sup>66</sup> The Keçeci Layout algorithm is implemented and distributed as an open-source Python package  
<sup>67</sup> named kec Cecilayout. The package is designed for ease of use and seamless integration with  
<sup>68</sup> the scientific Python ecosystem.

### <sup>69</sup> Availability and Installation

<sup>70</sup> The package is available on both the Python Package Index (PyPI) and Anaconda, and its  
<sup>71</sup> source code is hosted on GitHub. It can be installed using standard package managers:

<sup>72</sup> Using pip:

```
pip install kec Cecilayout
```

<sup>73</sup> Using conda (from the 'bilgi' channel):

```
conda install -c bilgi kec Cecilayout
```

<sup>74</sup> Relevant resources, including the source code and data sets, are publicly available (Keçeci,  
<sup>75</sup> 2025j, 2025g, 2025h, 2025i, 2025k).

## 76    Interoperability and Usage

77    A key design goal of the kecceilayout package is to provide a unified interface for various  
78    graph libraries. The main function, kecceilayout.kecceilayout(), automatically detects  
79    the input graph type and returns a position dictionary in the format expected by that library.  
80    This promotes a cross-disciplinary graphical framework by allowing researchers to use the same  
81    visualization logic regardless of their preferred analysis tool (Keçeci, 2025).

82    Supported libraries include:

- 83    ▪ **NetworkX**: The most popular graph analysis library in the Python data science community.  
84    ▪ **igraph**: A high-performance library widely used in academic research.  
85    ▪ **rustworkx**: A fast, thread-safe graph library written in Rust, often used in performance-  
86    critical applications.  
87    ▪ **Networkkit**: A library focused on high-performance analysis of large-scale networks.  
88    ▪ **Graphillion**: A specialized library for very large sets of graphs.

89    The following example demonstrates how to apply the Keçeci Layout to a simple NetworkX  
90    path graph and visualize it with Matplotlib.

```
import networkx as nx
import kecceilayout as kl
import matplotlib.pyplot as plt

# 1. Generate a graph (e.g., a path graph with 25 nodes)
G = nx.path_graph(25)

# 2. Compute the node positions using Keçeci Layout
# The node order is preserved (0, 1, 2, ...)
pos = kl.kecceilayout(G, primary_spacing=1.5, secondary_spacing=0.8)

# 3. Visualize the graph
plt.figure(figsize=(8, 10))
nx.draw(
    G,
    pos=pos,
    with_labels=True,
    node_color='skyblue',
    node_size=500,
    font_size=8,
    edge_color='gray'
)
plt.title("Keçeci Layout Applied to a Path Graph (n=25)")
plt.axis('equal') # Ensure aspect ratio is not distorted
plt.show()
```

Keçeci Layout Applied to a Path Graph (n=25)



**Figure 1:** An example visualization of a path graph using the Keçeci Layout. The nodes are ordered sequentially from top to bottom, with their positions determined by the deterministic zigzag algorithm. This preserves the inherent one-dimensional structure of the path.

## Applications and Use Cases

The primary strength of the Keçeci Layout is its ability to visualize systems “when nodes have an order” (Keçeci, 2025p). Its application is particularly relevant in fields where sequential data is modeled as a graph.

- **Workflow and Process Visualization:** Representing business processes, experimental workflows (Keçeci, 2025d, 2025b), or CI/CD pipelines where the sequence of steps is paramount. The layout clearly shows the progression from start to finish.

- 98     ▪ **Narrative and Structural Analysis:** Analyzing the structure of stories, legal arguments, or
  - 99        scientific papers where nodes represent events, sections, or concepts in a specific order.
  - 100     ▪ **Time-Series and Event Logs:** Visualizing sequences of events from logs or time-series
  - 101        data, where the temporal order must be maintained.
  - 102     ▪ **Comparative Structural Analysis:** As a standardized graphical framework, it allows for
  - 103        the visual comparison of different ordered systems, fostering interdisciplinary insights
  - 104        ([Keçeci, 2025m, 2025n](#)).
- 105   By providing a stable and structured visual representation, the layout encourages a “structural
- 106   thinking” approach, where the focus shifts from complex topological entanglements to the
- 107   clear, sequential architecture of the system being studied ([Keçeci, 2025c, 2025e](#)).

## 108 Conclusion

109   The Keçeci Layout provides a much-needed alternative to traditional graph drawing algorithms

110   for the visualization of ordered systems. Its deterministic, zigzag-based approach ensures that

111   the inherent sequence of nodes is not only preserved but becomes the primary organizing

112   principle of the visualization. This results in clear, predictable, and structurally informative

113   diagrams that are easy to interpret.

114   The implementation of this algorithm in the user-friendly and interoperable `kececilayout`

115   Python package makes it an accessible tool for a wide range of researchers and practitioners. By

116   offering seamless support for dominant graph libraries, it serves as a robust, cross-disciplinary

117   framework for structural analysis. Ultimately, the Keçeci Layout champions the idea that for

118   many systems, visualization should go beyond topology to faithfully represent structure and

119   order ([Keçeci, 2025b](#)).

## 120 Future Work

121   Future work will focus on extending the layout’s principles to three dimensions and developing

122   adaptive spacing strategies for graphs with highly variable node density or connectivity.

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