# Scientific Programming: Miscellaneous tricks, tips and lessons learned

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#### Outline: Scientific Computing Group Seminar

- ► Linux Core Dev Toolkit
  - ▶ grep
  - ► The Editor Wars
  - history searching
  - ► rsync
- ► Advanced Paraview
  - ► Programmable Filters
  - Scripting interface
- numpy
  - ndarrays
  - logical operations
  - ► einsum
  - linear algebra
- ► Embedding C code in Python
  - ► A simple example: Particle Motion
  - ► A complicated example: Vortex Visualisation

#### Linux Core Dev Toolkit: grep

► Search text, count things, evaluate regular expressions

```
$ cat *.log | grep -c grep | awk '{ print $1/1035 }'
4.61256
```

► Normal Usage:

```
$ grep with_k_omega *.d
shape_sensitivity_calc.d: //if (with_k_omega) nPrimitive += 2;
```

► Recursive Usage:

Find repeated words with a regular expression:

#### Linux Core Dev Toolkit: The Editor Wars

Do you have strong opinions about text editors?

- YesNo
- ► ViM: (Vi Improved)
  - ▶ Pros: Powerful, runs on everything, very configurable
  - ► Cons: Steep learning curve, hard to quit
- ► EMACS: (Exclusively used by Middle Aged Computer Scientists)
  - ► Pros: More intuitive than vim, also powerful and configurable
  - ► Cons: Also steep learning curve, destroyer of alt/ctrl/shift keys
- ► Sublime Text:
  - ► Pros: Feature packed, easy to use, looks nice
  - ► Cons: Closed source, (winzip style?)
- ► Others: Atom/Nano/etc.

#### Linux Core Dev Toolkit: History Searching

- Commands typed into the linux commandline are saved in .bash\_history
- ▶ .inputrc can be configured to search through these while typing

```
$ make_
$ make INSTALL_DIR=/home/nick/programs/dgd/dmd install_
```

► Specific commands for UP and DOWN to search are:

```
"\e[A": history-search-backward
"\e[B": history-search-forward
```

This automatically works with other programs that use libreadlineipython3 etc.

#### Linux Core Dev Toolkit: rsync

- rsync is a powerful file copying utility
- ► Use 1: Copy things to another computer over ssh
- ► Use 2: archiving data (with -tarvPp)

```
rsync -tarvPp --delete /home/qungibbo/ /media/qungibbo/Elements/
WintermuteSSD --exclude "*.ssh" --exclude "programs/*"
--exclude "sourcecode/us3d*" --exclude "sourcecode/paraview*"
--exclude "sourcecode/cfcfd3/*" --exclude "sourcecode/hdf5-1.8.12/*"
--exclude "sourcecode/openmpi-1.8.12/*" --exclude "*.vtk"
--exclude "*.o" --exclude "*.mod" --exclude ".cache*"
--exclude ".wine/*" --exclude "*.swp" --exclude "*.pvtu"
--exclude "*.vtu" --exclude "*.npy"

rsync -tarvPp --delete /media/qungibbo/data/ /media/qungibbo/Elements/
WintermuteDATA --exclude "binaries/*" --exclude "*.vtk" --exclude "*.o"
--exclude "*.mod" --exclude "*.swp" --exclude "*.pvtu"
--exclude "*.mod" --exclude "*.pvtu"
```

#### Advanced Post Processing: Paraview Programmable Filters

- ► Paraview workflow uses "Filters" to process data
- ► Common Filters: Slice, Gradients, Calculator
- "Programmable Filter" is a custom filter that uses a python script to do anything
- ► "Can I do-" "Yes"

#### Example to compute vorticity vector:

```
du = zeros((neq,neq,nx)) # du[i,j] = du_i / dx_j
du[0] = algs.gradient(u).T
du[1] = algs.gradient(v).T
du[2] = algs.gradient(w).T

vort = zeros((neq,nx))
vort[0] = du[2,1] - du[1,2]
vort[1] = du[0,2] - du[2,0]
vort[2] = du[1,0] - du[0,1]
```

#### Advanced Post Processing: Paraview Programmable Filters

► More complicated example: Mixing Efficiency

```
splist = "N2,02,H2,H20,0H,H02,H202,N0,N02,HN0,N,H,O".split(',')
gassp = {n:get_species(n) for n in splist}
rhos = [get_array('r{}m'.format(i+1)) for i in range(len(splist))]
rho = sum(rhoi for rhoi in rhos)
cs = [rhoi/rho for rhoi in rhos]
# Compute the fraction of mass of each atom made up by H or O, excluding an
involving N
atomicmass = lambda s, atom : sum(gassp[k].M*v for k, v in gassp[s].atoms.ite
k == atom)
mH = [0.0 if 'N' in s else atomicmass(s,'H')/gassp[s].M for s in splist]
m0 = [0.0 if 'N' in s else atomicmass(s,'0')/gassp[s]. M for s in splist]
YO = sum(mOi*csi for mOi,csi in zip(mO, cs))
YH = sum(mHi*csi for mHi,csi in zip(mH, cs))
Ytotal = YO + YH # Mass fraction of the flow that is interesting from a mix
YYH = YH/Ytotal # Mass fraction fraction of the interesting flow that is H
YYO = YO/Ytotal # Mass fraction fraction of the interesting flow that is O
massst = 0.5*gassp['02'].M/(1.0*gassp['H2'].M) # Stoichiometric Oxygen/hydr
# Fraction of interesting flow fraction that is mixed
YYmixed = np.minimum(YYH*(1.0 + massst), YY0*(1.0 + 1.0/massst))
```

#### Advanced Post Processing: Paraview Scripting

- ► Paraview has an extremely flexible python scripting interface
- ► You can automate ANYTHING
- ► Click "Start Trace" in "Tools", do something, then "Stop Trace"

```
from paraview.simple import *
from glob import glob
from sys import argv
scriptname = argv[1]
pattern = argv[2]
files = glob(pattern)
files.sort()
with open(scriptname) as fp:
     script = fp.read()
for i,filename in enumerate(files):
    print "Computing | file: | , filename, scriptname
    soln = OpenDataFile(filename)
    prgfil = ProgrammableFilter(soln)
    my_script = script.replace('REPLACE', str(i).zfill(3))
    prgfil.Script = my_script
    Show(prgfil)
    Delete(prgfil)
    Delete(soln)
```

#### numpy: Fast numerical computation in python

- numpy is core utility library for numerical computation in python
- ▶ ndarray objects are extremely powerful but can be confusing at first
- ► Their main use is looping without using very slow interpreted "for" loops

```
In[9]: %timeit for i in range(1000): c[i] = a[i]*c[i]
10000 loops, best of 3: 122 us per loop
In[13]: %timeit c = a*b
1000000 loops, best of 3: 1.06 us per loop
```

- ► Vectorisation Example: Logic
- ► Copy the smaller element to array c

- ► Vectorisation Example: Matrix Multiplication
- ► Matrix multiply a large number of matching matrices with einsum

- ► Vectorisation Example: Linear Algebra
- ► Solve a large number of algebra problems

```
from numpy.linalg import eig
A = random.random(100*3*3).reshape((100,3,3))
# Slow:
evals = []
evecs = []
for i in A.shape[0]:
    eval,evec = eig(A[i])
    evals.append(eval)
    evecs.append(evecs)
# Fast
evals, evecs = eig(A)
```

- ► Always check the library functions!
- ▶ If you need it chances are someone else has too
- ► Vectorisation Example: binning data for a histogram

```
>>> x = np.array([0.2, 6.4, 3.0, 1.6])
>>> bins = np.array([0.0, 1.0, 2.5, 4.0, 10.0])
>>> inds = np.digitize(x, bins)
>>> inds
array([1, 4, 3, 2])
>>> for n in range(x.size):
... print(bins[inds[n]-1], "<=", x[n], "<", bins[inds[n]])
...
0.0 <= 0.2 < 1.0
4.0 <= 6.4 < 10.0
2.5 <= 3.0 < 4.0
1.0 <= 1.6 < 2.5</pre>
```

#### Coupling C code with Python

- ▶ What to do when your application really is too complex for numpy
- ▶ Python builtin library ctypes allows you call c code from python
- ► Simple Example: Integrating Particle Motion
- ► Complicated Example: The Triple Decomposition Method

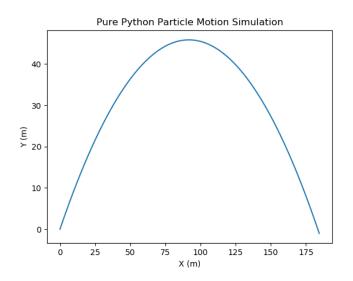
Pure Python Implementation of a Falling Particle:

```
dt = 0.0001
N = 61500
x = array([0.0, 0.0])
xd = array([30.0, 30.0])
xdd= array([0.0, -9.81])
xs = zeros((N,2))

start = time.clock()
for i in range(N):
    x += xd*dt + 0.5*xdd*dt**2
    xd += xdd*dt
    xs[i] = x.copy()

end = time.clock()
print("Time_for_N={}:_{4.4f}ms".format(N, (end-start)*1000.0))
```

Pure Python Implementation of a Falling Particle:



Hybrid Implementation of a Falling Particle: Python Side

```
dt = 0.0001
N = 61500
x = array([0.0, 0.0])
xd = array([30.0, 30.0])
xdd= array([0.0, -9.81])
xs = zeros((N.2))
c_double_p = POINTER(c_double)
xp = x.ctypes.data_as(c_double_p)
xdp = xd.ctypes.data_as(c_double_p)
xddp = xdd.ctypes.data_as(c_double_p)
xsp = xs.ctypes.data_as(c_double_p)
dt c = c double(dt)
lib = cdll.LoadLibrary('libodeint.so')
start = time.clock()
lib.integrate_particle(xp, xdp, xddp, xsp, N, 2, dt_c)
end = time.clock()
print("Time_for_N={}:_{{4.4f}ms}".format(N, (end-start)*1000.0))
```

Hybrid Implementation of a Falling Particle: C side

```
void integrate_particle(double* x, double* xd, double* xdd, double* xs,
                         int N, int dim, double dt){
    // Simple fixed timestep integrator
    for(int i=0; i<N; i++) {</pre>
        for(int d=0; d<dim; d++) {</pre>
            x[d] += xd[d]*dt + 0.5*xdd[d]*dt*dt;
            xd[d] += xdd[d]*dt;
            xs[i*dim + d] = x[d]:
    return;
Compare the Python Loop:
for i in range(N):
    x += xd*dt + 0.5*xdd*dt**2
    xd += xdd*dt
    xs[i] = x.copv()
```

Compiling C code into a dynamic library:

```
$ gcc -c -fPIC odeint.c
$ gcc -shared odeint.o -o libodeint.so
```

Speedup is significant:

```
nick@spark:~/code/randomcrap$ python3 pyshot.py
Time for N=61500: 461.6890ms
```

```
nick@spark:~/code/randomcrap$ python3 cshot.py
Time for N=61500: 1.2420ms
```

► There are many vortex visualisation techniques that use the decomposed velocity gradients:

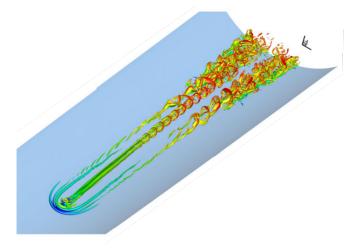


Figure 1: Vortex visualisation using the Q criterion, from Subbareddy, Bartkowicz, and Candler (2015), figure 9

 $\blacktriangleright$  In subsonic flow this is pretty straightforward, first compute S and  $\Omega$ 

$$\frac{\partial u_i}{\partial u_j} = S_{ij} + \Omega_{ij} \tag{1}$$

$$S_{ij} = \frac{1}{2} \left[ \frac{\partial u_i}{\partial x_j} + \frac{\partial u_j}{\partial x_i} \right] \quad \Omega_{ij} = \frac{1}{2} \left[ \frac{\partial u_i}{\partial x_j} - \frac{\partial u_j}{\partial x_i} \right]$$
 (2)

- ► Then pick a vortex identification method, eg:
  - Q criterion:  $Q = \frac{1}{2}(||\Omega||^2 ||S||^2) > 0$
  - $ightharpoonup \Delta$ -criterion:  $(Q/3)^3 + (det(\nabla u)/2)^2 > 0$
  - $\blacktriangleright$   $\lambda_2$  method:  $eigvals(\Omega^2 + S^2) = \lambda_1, \lambda_2, \lambda_3$  :  $\lambda_2 < 0$

- ► In supersonic flow these can be cluttered with shockwaves since the shearing motion is incorrectly included as if it were a vortex
- ► The Triple Decomposition Method subtracts out a pure shearing term:

$$\frac{\partial u_i}{\partial u_j} - \left(\frac{\partial u_i}{\partial u_j}\right)_{SH} = S_{ij}^{TDM} + \Omega_{ij}^{TDM} \tag{3}$$

- ▶ Once  $(\nabla u)_{SH}$  is found plug  $S_{ij}^{TDM} + \Omega_{ij}^{TDM}$  into your vortex identification method
- ▶ How to compute  $(\nabla u)_{SH}$  ?

- $\blacktriangleright$  Computing  $(\nabla u)_{SH}$  requires a nasty optimisation problem in every cell
- ▶ Rotate the axes  $\nabla u \rightarrow \nabla u'$  and find the angles where:

$$MAX(|S'_{12}\Omega'_{12}| + |S'_{23}\Omega'_{23}| + |S'_{31}\Omega'_{31}|)$$
 (4)

- ▶ In this reference frame it is possible to compute  $(\nabla u)_{SH}$
- lacktriangle Then subtract out  $S_{ij}^{TDM}+\Omega_{ij}^{TDM}$  and convert back into lab frame

- ▶ Pure python implementation is EXTREMELY SLOW ( $\approx 30$  hours to execute)
- ▶ Instead call a C routine from inside Paraview to do the same thing
- ▶ This takes  $\approx 20$  mins or so, and can be done in parallel

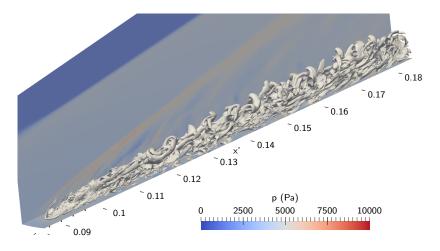


Figure 2: Vortex visualisation using TDM and the L2 method with pressure colour maps.

#### Conclusions

- ► Command line tools are very powerful, learn to use them!
- ► Get comfortable with a good text editor
- ► Interpreted languages (Python,R) are great for scientific computing
  - ► As long as you use the datastructures properly!
  - ▶ Both python and R come packed with builtin functions too
- ► If you need to fall back on some low-level programming, (C etc.) tools exist to integrate them into higher level languages.