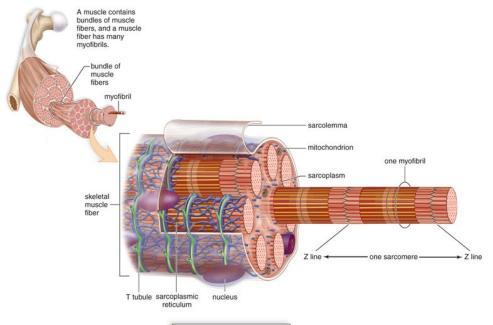
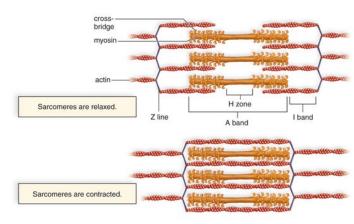
The Equatorial Pattern from Muscle

Myofibrils and Sarcomeres

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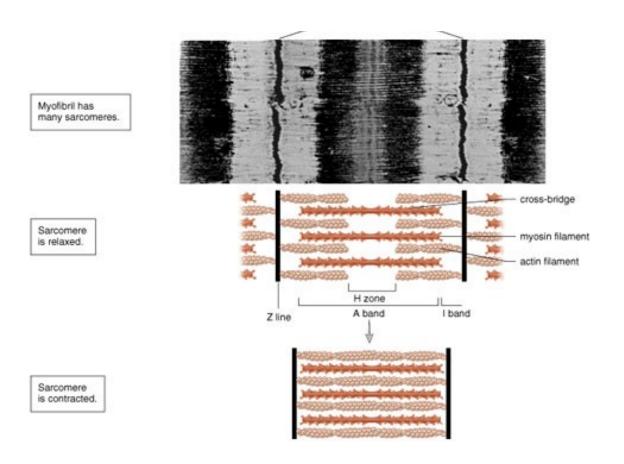


A myofibril has many sarcomeres.



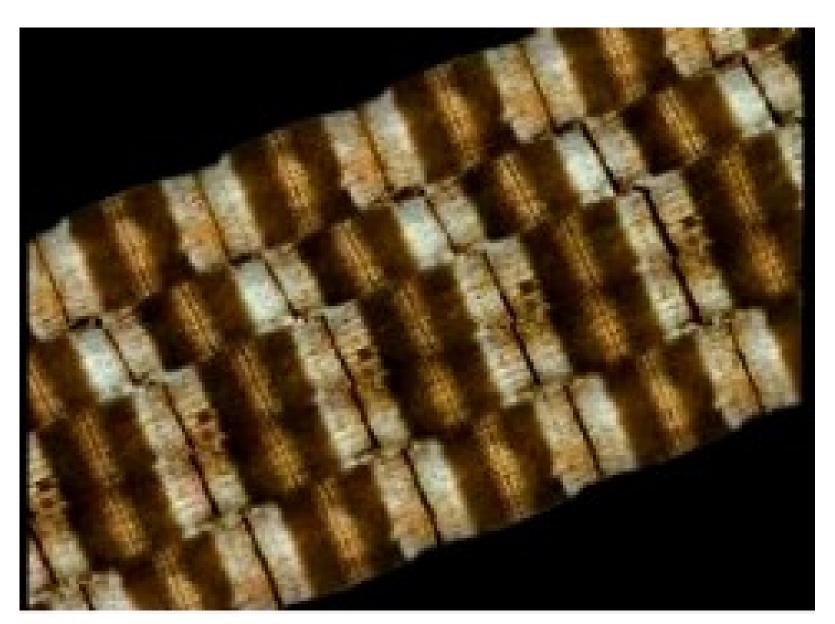
- A myofibril consists of many 2-3 micron long sarcomeres laid end to end
- In the light microscope, sarcomeres show a banding pattern (striations)
- A-band, I band, Z-line, and M-line, H-zone
- Underlying structure can be seen only at electron microscope level

Sarcomeres

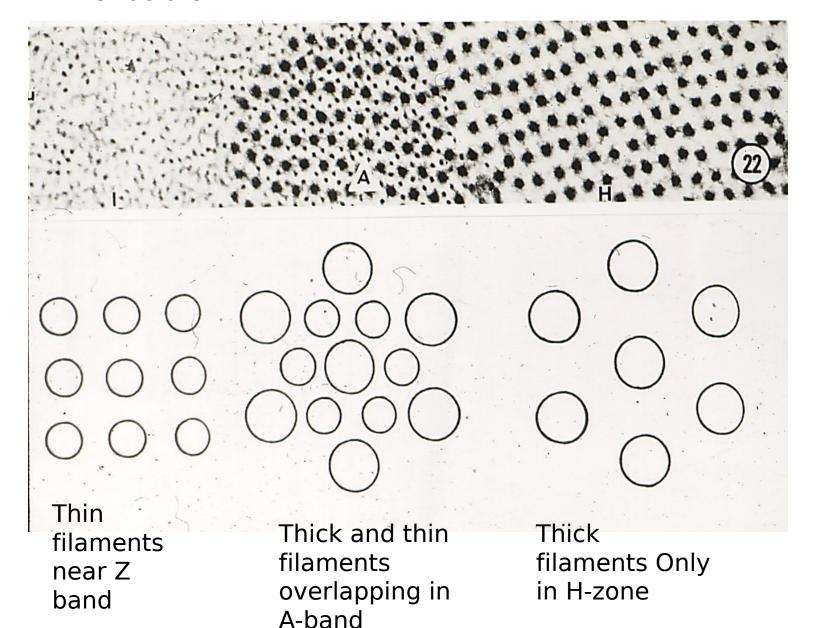


- Sarcomere consists of actin containing thin filaments
- Myosin containing thick filaments
- I band contains only thin filaments
- H-zone only thick
- A-band both thick and thin
- Projections on the thick filament (crossbridges) interact with the thin filament and cause sarcomeres to shorten

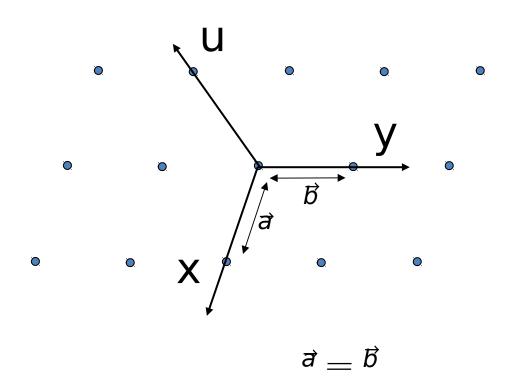
"Sliding Filaments"



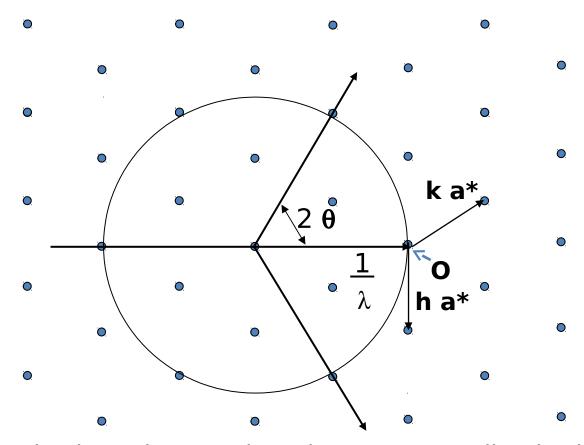
Cross-sections of a sarcomere showing 2-D crystalline structure



Hexagonal Lattice



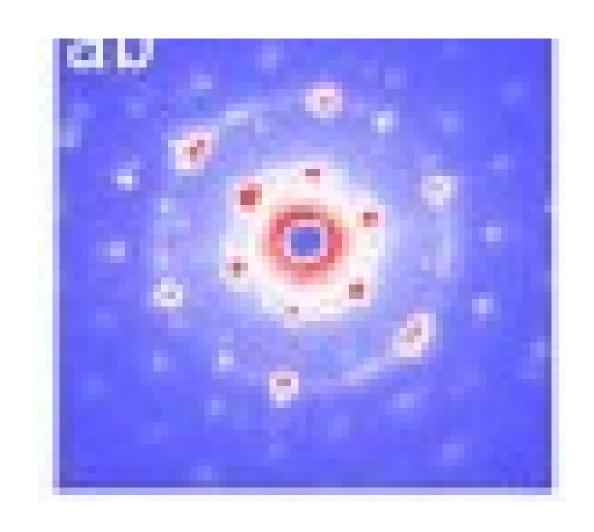
Ewald Sphere



For every lattice in real space there is a corresponding lattice in "recripocal" i.e. diffraction space. Distances between lattice points are proportional to 1/lattice dimensions in real space. The origin of the reciprocal lattice is at O. Lattice points (corresponding to diffraction spots one can observe) are indexed by Miller indices h and k

End on view of hexagonal reciprocal lattice

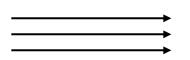
This was taken by shining the X-ray beam down the axis of a muscle myofibril. (one crystallite) Not the way we normally do it.

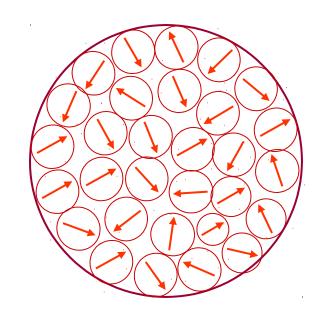


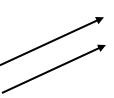
Fiber Cross-section

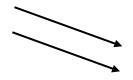
Diffraction

X-rays









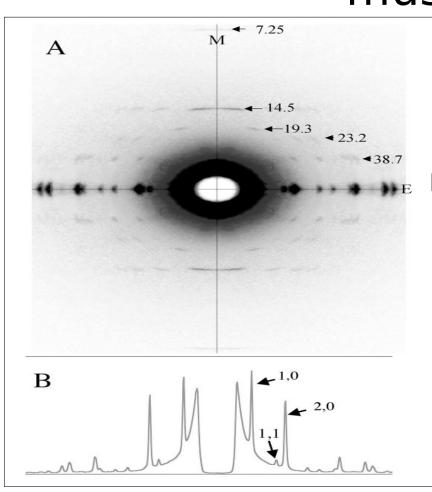
Myofibrils are at random orientations around the long axis of the muscle fiber

Complete Statistical rotation:

$$1,0 = 1,0 = 0,1 = 0,-1$$

$$1,1 = 1,1=1,1 = 1,-1$$

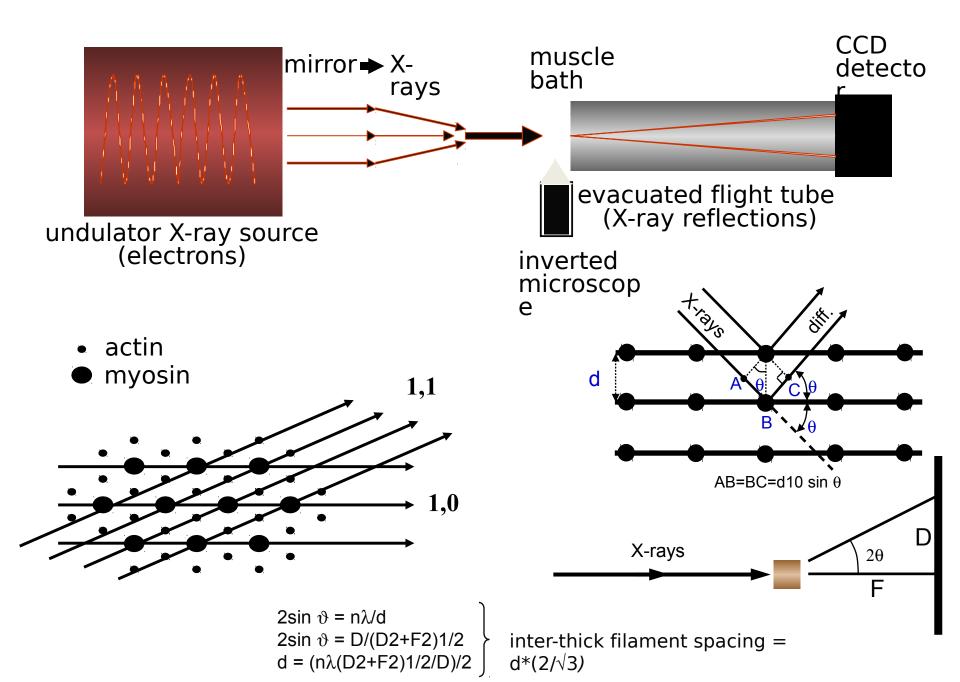
Equatorial pattern from insect muscle



We are looking at projection of hexagonal lattice onto a plane. Insect muscle is highly ordered so you get Equator lots of sharp spots along the equator.

Note that they vary in intensity

Experimental arrangement of the BioCAT undulator beam line for X-ray diffraction



Calculating d10

Braggs Law

 $n\lambda = 2dsin\theta$

 θ is the Bragg angle where 2 is the angle between the diffracted and incident beam

At small angles

 $\Theta = D/2L$ so that $n\lambda = 2dD/2L$

Or

 $d=n\lambda L/D$

So d, the spacing between the diffracting planes is inversely proportional to D, the distance from the origin of the diffraction pattern to a diffraction spot

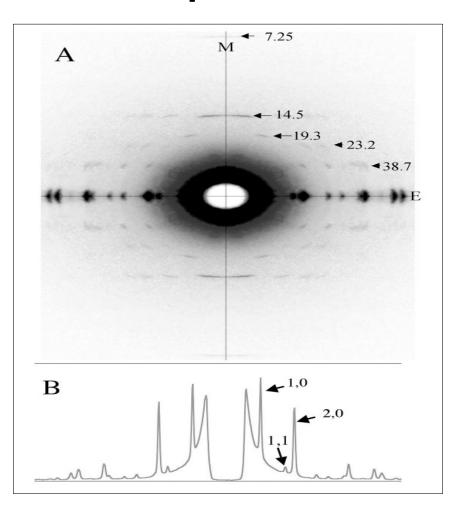
Hexagonal pattern selection rule

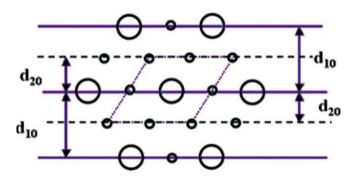
• The distances from the center of the pattern to each of the outer reflections (Sh,k) are related to the distance from the center to the first strong 1,0 reflection, S10, by Sh,k = S10√(h2 + k2 + hk) where h and k are the Miller indices of each reflection. Notice that several combinations of h and k values will give rise to the same Sh,k meaning that X-ray reflections will superimpose.

Estimating lattice disorder parameters from peak widths

- The width of the Gaussian representing a given diffraction peak σh,k can be expressed as
- $\sigma h, k = \sqrt{(\sigma c 2 + \sigma d 2 Shk + \sigma s 2 Shk 2)}$ where $Shk = \sqrt{(h 2 + k 2 + hk)}$. σc is the known width of the X-ray beam, σd is related to the amount of heterogeneity in inter-filament spacing among the myofibrils, and σs is related to the amount of paracrystalline (liquid-like) disorder of the myofilaments in the hexagonal lattice.
- These are all interesting physiological paramaters

Equatorial Intensities





If crossbridges move away from the thick filament backbone towards the thin filament Mass leaves the 1,0 plane and joins 2,0 I2,0/I1,0 goes up

Usel2,0/I1,0 as a measure of degree of association crossbridges with thin filament