Práctica 6. Regresión Lineal

Dataset: Housing

Housing (Ridge, Lasso, Polynomial, Interaction terms)

```
In [1]: import numpy as np
   import matplotlib.pyplot as plt
   import pandas as pd
   import seaborn as sns
   from sklearn import metrics
   from sklearn.linear_model import LinearRegression,Ridge, Lasso
   from sklearn.metrics import mean_squared_error,r2_score
   from sklearn.model_selection import train_test_split
   from sklearn.preprocessing import PolynomialFeatures
```

In [2]: housing=pd.read_csv('BostonHousing.csv')
housing.head(3)

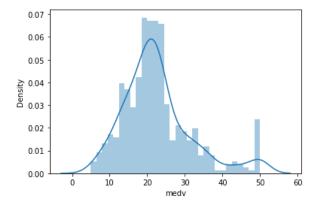
Out[2]:

	crim	zn	indus	chas	nox	rm	age	dis	rad	tax	ptratio	b	Istat	medv
0	0.00632	18.0	2.31	0	0.538	6.575	65.2	4.0900	1	296	15.3	396.90	4.98	24.0
1	0.02731	0.0	7.07	0	0.469	6.421	78.9	4.9671	2	242	17.8	396.90	9.14	21.6
2	0.02729	0.0	7.07	0	0.469	7.185	61.1	4.9671	2	242	17.8	392.83	4.03	34.7

```
In [3]: sns.distplot(housing['medv'], bins=30)
plt.show()
```

C:\ProgramData\Anaconda3\lib\site-packages\seaborn\distributions.py:2551: FutureWarning: `distplot` is a deprec ated function and will be removed in a future version. Please adapt your code to use either `displot` (a figure -level function with similar flexibility) or `histplot` (an axes-level function for histograms).

warnings.warn(msg, FutureWarning)



```
In [4]: correlation_matrix = housing.corr().round(2)
sns.heatmap(data=correlation_matrix, annot=True)
```

Out[4]: <AxesSubplot:>

```
-1.0
crim - 1 -0.20.410.060.420.220.350.38
       -0.2<mark>1 0.530.040.520.310.570.66</mark>0.310.310.390.180
                                                                                       - 0.8
          41<mark>0.5: 1 0.06</mark>0.760.39.64<mark>0.71</mark>0.60.720.380.360.6
                                                                                       -0.6
         420.520.760.09 1 -0.30.730.730.610.670.190.
 nox
                                                                                       - 0.4
 m -0.270.310.390.09-0.3 1 0.240.210.210.290.360.130
age -0.350.5 0.640.090.750.24 1 0.750.460.510.260.27
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        0.460.410.6<mark>-0.05</mark>0.590.610.6 <mark>-0.5</mark>0
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                                                     ă
```

```
In [5]: X = housing.loc[:, housing.columns != 'medv']
Y = housing['medv']
X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size = 0.2, random_state=5)
print(X_train.shape, X_test.shape, Y_train.shape, Y_test.shape)

(404, 13) (102, 13) (404,) (102,)
```

Modelo de Regresión Lineal

```
In [6]: modeloLineal = LinearRegression()
    modeloLineal.fit(X_train, Y_train)
    print('Interseccion:', modeloLineal.intercept_)
    print('Pendiente:', modeloLineal.coef_)

Interseccion: 37.91248700974999
    Pendiente: [-1.3079852e-01  4.94030235e-02  1.09535045e-03  2.70536624e+00
    -1.59570504e+01  3.41397332e+00  1.11887670e-03  -1.49308124e+00
    3.64422378e-01 -1.31718155e-02  -9.52369666e-01  1.17492092e-02
    -5.94076089e-01]

In [7]: y_train_predict = modeloLineal.predict(X_train)
    rmse = (np.sqrt(mean_squared_error(Y_train, y_train_predict)))
    RLinealScoreE = r2_score(Y_train, y_train_predict) # es et r2

    y_test_predict = modeloLineal.predict(X_test)
    rmse = (np.sqrt(mean_squared_error(Y_test, y_test_predict)))
    RLinealScoreT= r2_score(Y_test, y_test_predict)
```

Técnica Ridge

```
In [8]: ridge = Ridge(alpha=0.1).fit(X_train, Y_train)
RidgeScoreE=ridge.score(X_train, Y_train)
RidgeScoreT=ridge.score(X_test, Y_test)
```

Técnica Lasso

```
In [9]: lasso = Lasso(alpha=0.1, max_iter=10).fit(X_train, Y_train)
    LassoScoreE=lasso.score(X_train, Y_train)
    LassoScoreT=lasso.score(X_test, Y_test)
    features=np.sum(lasso.coef_ != 0)
```

C:\ProgramData\Anaconda3\lib\site-packages\sklearn\linear_model_coordinate_descent.py:529: ConvergenceWarning:
Objective did not converge. You might want to increase the number of iterations. Duality gap: 4764.01239391258,
tolerance: 3.4704285816831684
 model = cd_fast.enet_coordinate_descent(

Polynomial

```
In [10]: grado2 = PolynomialFeatures(degree=2)
    X_grado2 = grado2.fit_transform(X_train)
    lm_grado2 = modeloLineal.fit(X_grado2, Y_train)

y_grado2_fit_train = lm_grado2.predict(grado2.fit_transform(X_train))
    grado2_r2E = r2_score(Y_train, y_grado2_fit_train) #lm.predict(X_quad))
    #grado2_r2E = r2_score(Y_train, y_grado2_fit)
    y_grado2_fit = lm_grado2.predict(grado2.fit_transform(X_test))
    grado2_r2T = r2_score(Y_test, y_grado2_fit) #lm.predict(X_quad))
```

```
In [11]: grado3 = PolynomialFeatures(degree=3)
    X_grado3 = grado3.fit_transform(X_train)
    lm_grado3 = modeloLineal.fit(X_grado3, Y_train)
    y_grado3_fit = lm_grado3.predict(grado3.fit_transform(X_test))
    grado3_r2 = r2_score(Y_test, y_grado3_fit) #Lm.predict(X_quad))
```

Interaction terms

```
In [12]: interaction = PolynomialFeatures(degree=2, include_bias=False, interaction_only=True)
    X_inter = interaction.fit_transform(X_train)
    X_test_inter = interaction.fit_transform(X_test)
```

```
In [13]: model_train = modeloLineal.fit(X_inter, Y_train)
    model_test = modeloLineal.fit(X_test_inter, Y_test)

y_train_predict = model_train.predict(X_inter)
    rmse = (np.sqrt(mean_squared_error(Y_train, y_train_predict)))
    InteractionScoreE= r2_score(Y_train, y_train_predict)

y_test_predict = model_test.predict(X_test_inter)
    rmse = (np.sqrt(mean_squared_error(Y_test, y_test_predict)))
    InteractionScoreT = r2_score(Y_test, y_test_predict)
```

Resumen

Out[14]:

	Modelo Lineal	Ridge	Lasso	Polinomial Grado 2	Interaction Terms
Entrenamiento	0.738339	0.738285	0.726529	0.931557	-1.92183
Test	0.733449	0.732294	0.710041	0.869494	0.990486
Features			12.000000		

Interpretación

Interpretación

La regresión lineal aplicada a la polinomial cuadrática ofrece un mejor ajuste en los estratos de entrenamiento y de prueba

Asimismo, aplicando la interacción entre las variables se llega a un ajuste casi perfecto

In []: