Notes

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The order of the quantifier words ("All", "there is", ...) and negation words must be the same as the order of the quantifier symbols and the negation symbol.

$\exists x \forall y(S(x) \wedge P(x,y))$
$\equiv \exists x(S(x) \wedge \forall y P(x, y)$
There exists a solid shape that points to all shapes.

$\forall x \exists y \neg P(x, y) \equiv \forall x \neg \forall y P(x, y) \quad \neg \exists x \forall y P(x, y)$
No shape points to every shape. For all shapes there exists a shape that doesn't point to all shapes.
All shapes do not point to all shapes.
There does not exist a shape that points to all shapes.
Every shape has a shape that it doesn't point to.

$\forall \neg$ transtales to "no _ does _", NOT TO "every _ does not _"
$\neg \exists$ translates as "there does not exist" or "not any" or "no". DO NOT USE "not...some"

$\exists x \forall y(C(y) \rightarrow \neg P(x, y))$
Some shape...every circle...not
There is a shape such that no circle is pointed to by it.
There is a shape that points to no circle.
There is a shape that does not point to any circle.

$\exists (C(x) \wedge \forall((S(y) \rightarrow P(x, y)))$
Some circle points to all of the solid shapes.

$$\neg\forall x\exists y(C(x)\rightarrow P(x,\ y)) \equiv \exists x(C(x)\wedge\forall y\neg P(x,\ y))$$