# R Codes For Final Project

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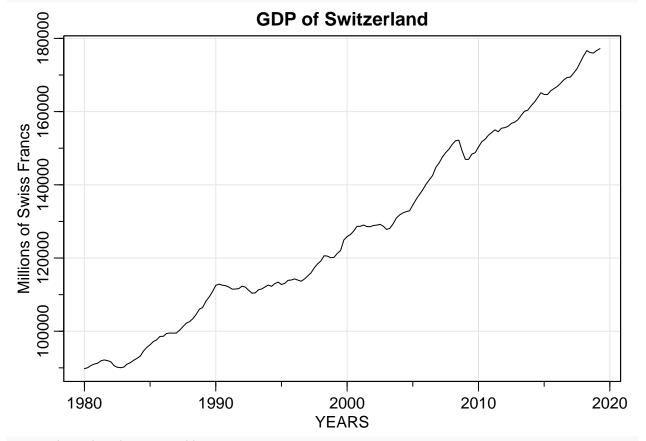
```
# Data import & manipulations
setwd("/Users/paa.willie/Fall2019/Time Series/Project")

mydata = read.csv("GDP_swiss.csv", header = TRUE)

library(astsa)

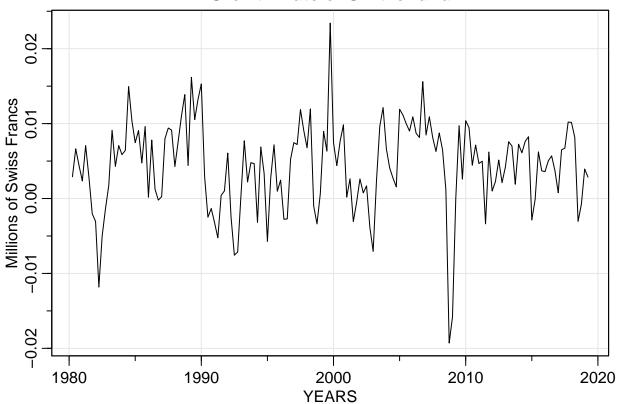
swiss.gdp = ts(mydata$GDP, start = c(1980, 1), end = c(2019, 2), frequency = 4)

tsplot(swiss.gdp, xlab="YEARS", ylab="Millions of Swiss Francs", main = "GDP of Switzerland")
```



tsplot(diff(log(swiss.gdp)), xlab="YEARS", ylab="Millions of Swiss Francs", main = "Growth Rate of Swits

# **Growth Rate of Switzerland**



## acf2(diff(log(swiss.gdp)))

```
##
          ACF PACF
    [1,] 0.52 0.52
##
##
   [2,] 0.25 -0.03
##
   [3,] 0.10 -0.02
##
   [4,] -0.02 -0.08
    [5,] -0.02 0.03
##
    [6,] 0.03 0.06
##
##
   [7,] -0.08 -0.17
   [8,] -0.13 -0.06
##
##
   [9,] -0.09 0.03
## [10,] -0.10 -0.05
## [11,] -0.12 -0.08
## [12,] -0.13 -0.08
## [13,] -0.15 -0.04
## [14,] -0.08 0.05
## [15,] 0.00 0.01
## [16,] 0.01 -0.03
## [17,] 0.03 0.01
## [18,] 0.02 -0.01
## [19,] -0.10 -0.16
## [20,] -0.17 -0.14
## [21,] -0.12 0.03
## [22,] -0.12 -0.05
## [23,] -0.01 0.06
```

```
# Test of stationarity of growth rate of GDP
library("tseries")
## Registered S3 method overwritten by 'xts':
     method
                from
##
     as.zoo.xts zoo
##
## Registered S3 method overwritten by 'quantmod':
##
     method
                       from
##
     as.zoo.data.frame zoo
                                Series: diff(log(swiss.gdp))
                                 2
                                               3
                                                            4
                                                                          5
                                             LAG
  9.0
                   1
                                 2
                                               3
                                                                          5
                                                            4
                                             LAG
adf.test(diff(log(swiss.gdp)))
                                        # ADF test
## Warning in adf.test(diff(log(swiss.gdp))): p-value smaller than printed p-value
    Augmented Dickey-Fuller Test
##
## data: diff(log(swiss.gdp))
## Dickey-Fuller = -4.1639, Lag order = 5, p-value = 0.01
## alternative hypothesis: stationary
# ARIMA model fit
sarima(log(swiss.gdp), p = 1, d = 1, q = 0) # ARMA(1,1,0) on growth rate
## initial value -5.133969
```

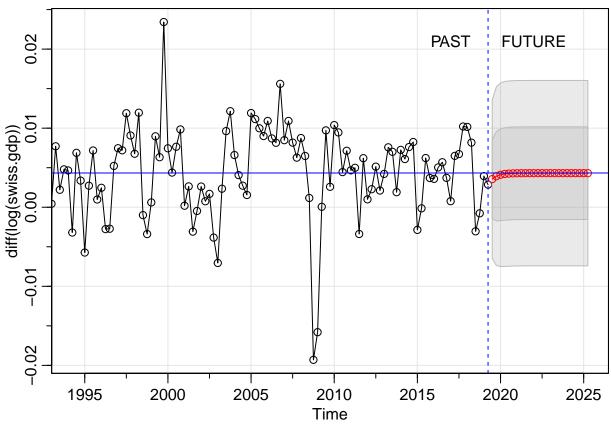
## iter

## iter ## iter 2 value -5.291528 2 value -5.291528

2 value -5.291528

```
## final value -5.291528
## converged
            value -5.293528
## initial
          2 value -5.293535
## iter
## iter
          3 value -5.293537
## iter
          4 value -5.293537
## iter
           5 value -5.293538
           5 value -5.293538
## iter
## iter
           5 value -5.293538
## final value -5.293538
## converged
     Model: (1,1,0)
                                       Standardized Residuals
  2
  0
                            1990
                                                 2000
                                                                       2010
      1980
                                                                                             2020
                                                 Time
                 ACF of Residuals
                                                          Normal Q-Q Plot of Std Residuals
                                                 Quantiles
                                                   \alpha
ACF
0.2
                                                   0
                   2
                                                            -2
                                                                          0
                                                                                         2
                          3
                                  4
                                         5
                                                                   -1
                        LAG
                                                                   Theoretical Quantiles
                                   p values for Ljung-Box statistic
p value
  9.4
                      5
                                                                    15
                                             10
                                                                                            20
                                               LAG (H)
## $fit
##
   stats::arima(x = xdata, order = c(p, d, q), seasonal = list(order = c(P, D,
##
       Q), period = S), xreg = constant, transform.pars = trans, fixed = fixed,
       optim.control = list(trace = trc, REPORT = 1, reltol = tol))
##
##
   Coefficients:
##
##
             ar1
                  constant
                     0.0043
##
          0.5168
                     0.0008
## s.e.
         0.0678
##
## sigma^2 estimated as 2.519e-05: log likelihood = 608.31, aic = -1210.62
##
## $degrees_of_freedom
```

```
## [1] 155
##
## $ttable
##
            Estimate
                         SE t.value p.value
## ar1
              0.5168 0.0678 7.6230
              0.0043 0.0008 5.2109
                                           Λ
## constant
##
## $AIC
## [1] -7.710982
##
## $AICc
## [1] -7.710486
## $BIC
## [1] -7.652582
mean.data = mean(diff(log(swiss.gdp)))
# Forecasting growth rate of GDP and Confidence Intervals
fCast = sarima.for(diff(log(swiss.gdp)), n.ahead = 24, p = 1, d = 0, q = 0)
fCast
## $pred
##
               Qtr1
                           Qtr2
                                       Qtr3
                                                    Qtr4
## 2019
                                0.003559084 0.003922399
## 2020 0.004110166 0.004207207 0.004257359 0.004283278
## 2021 0.004296674 0.004303597 0.004307175 0.004309024
## 2022 0.004309980 0.004310474 0.004310729 0.004310861
## 2023 0.004310929 0.004310964 0.004310982 0.004310992
## 2024 0.004310997 0.004310999 0.004311001 0.004311001
## 2025 0.004311002 0.004311002
##
## $se
##
               Qtr1
                           Qtr2
                                       Qtr3
                                                    Qtr4
                                0.005018975 0.005649634
## 2019
## 2020 0.005806502 0.005847689 0.005858641 0.005861563
## 2021 0.005862343 0.005862552 0.005862607 0.005862622
## 2022 0.005862626 0.005862627 0.005862628 0.005862628
## 2023 0.005862628 0.005862628 0.005862628 0.005862628
## 2024 0.005862628 0.005862628 0.005862628 0.005862628
## 2025 0.005862628 0.005862628
text(2017, 0.021, "PAST"); text(2022, 0.021, "FUTURE")
abline(h = mean.data, col = 4)
                                                            # estimated mean
abline(v = 2019.25, lty = 2, col = 4)
                                                         # vertical line showing second quarter of 2019
```

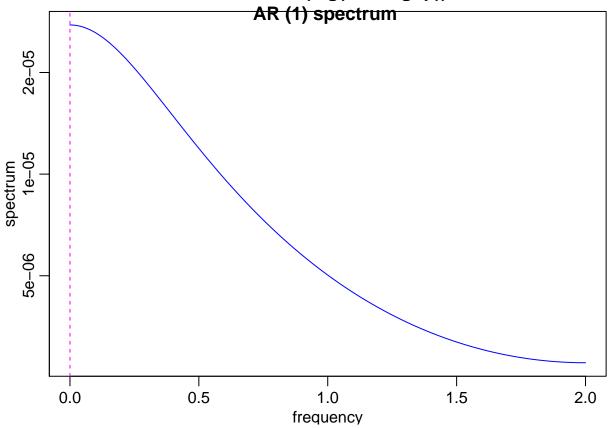


```
predictions = fCast$pred
errors = fCast$se
lowerCI = c()
upperCI = c()
for (i in 1:24){
  lowerCI[i] = predictions[i] - 1.96*errors[i]
  upperCI[i] = predictions[i] + 1.96*errors[i]
}
lowerCI
   [1] -0.006278108 -0.007150883 -0.007270578 -0.007254264 -0.007225578
## [6] -0.007205385 -0.007193519 -0.007187004 -0.007183535 -0.007181715
## [11] -0.007180768 -0.007180276 -0.007180021 -0.007179889 -0.007179821
## [16] -0.007179786 -0.007179768 -0.007179758 -0.007179753 -0.007179751
## [21] -0.007179750 -0.007179749 -0.007179749 -0.007179748
upperCI
     \hbox{\tt [1]} \ \ 0.01339628 \ \ 0.01499568 \ \ 0.01549091 \ \ 0.01566868 \ \ 0.01574030 \ \ 0.01577194 \\
   [7] 0.01578687 0.01579420 0.01579789 0.01579976 0.01580073 0.01580122
## [13] 0.01580148 0.01580161 0.01580168 0.01580171 0.01580173 0.01580174
```

## [19] 0.01580175 0.01580175 0.01580175 0.01580175 0.01580175 0.01580175

```
# Spectral Estimation
# parametric spectral estimation - AR estimation
AR.spec = spec.ar(diff(log(swiss.gdp)), col = 4)
abline(v = 0, col = 6, lty = "dashed") # ?? year cycle
```

#### Jenes. uminogiswissigupij



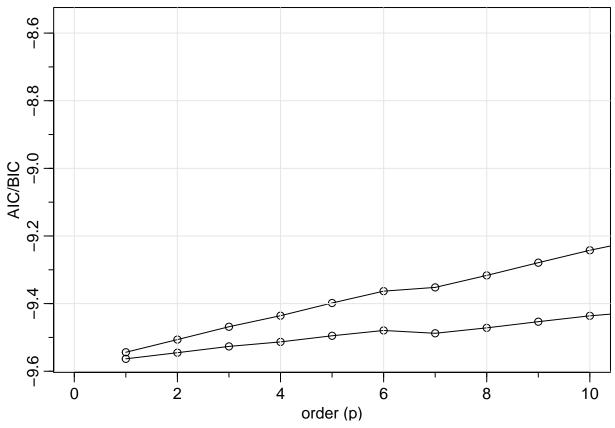
```
N = length(swiss.gdp)
c() -> AIC -> BIC

for (k in 1:30){
    sigma2 = ar(diff(log(swiss.gdp)), order = k, aic = FALSE)$var.pred

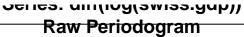
    BIC[k] = log(sigma2) + k*log(N)/N

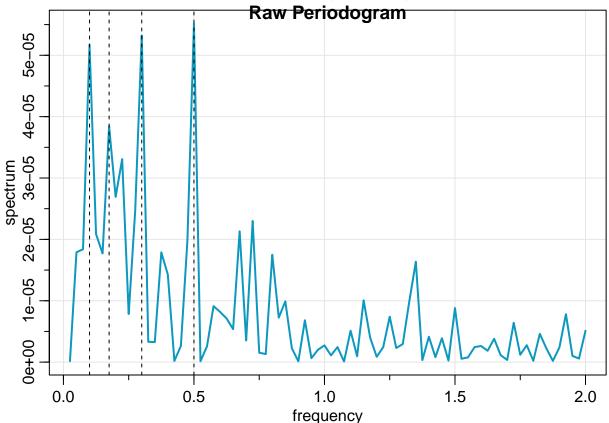
    AIC[k] = log(sigma2) + (N + 2*k)/N
}
IC = cbind(AIC, BIC + 1)

ts.plot(IC, type = "o", xlab = "order (p)", ylab = "AIC/BIC", xlim = c(0, 10))
Grid()
```



```
# non-parametric spectral estimation - Periodogram
# raw periodogram
per = mvspec(diff(log(swiss.gdp)), col = rgb(.05, .6, .75), lwd = 2)
abline(v = 1/10, lty = "dashed") # 10 year cycle
abline(v = 0.175, lty = "dashed") # close to the El Nino Effect
abline(v = 3/10, lty = "dashed")
abline(v = 5/10, lty = "dashed")
```





### per\$details[1:50,]

```
frequency period spectrum
##
             0.025 40.0000
                               0e+00
##
    [1,]
##
    [2,]
             0.050 20.0000
                               0e+00
##
   [3,]
             0.075 13.3333
                               0e+00
                               1e-04
##
    [4,]
             0.100 10.0000
                               0e+00
##
    [5,]
             0.125 8.0000
                               0e+00
##
   [6,]
             0.150
                   6.6667
##
   [7,]
             0.175
                   5.7143
                               0e+00
    [8,]
             0.200 5.0000
                               0e+00
##
   [9,]
             0.225
                    4.4444
                               0e+00
##
## [10,]
             0.250
                    4.0000
                               0e+00
## [11,]
             0.275
                               0e+00
                    3.6364
             0.300
                               1e-04
## [12,]
                    3.3333
## [13,]
             0.325
                               0e+00
                   3.0769
## [14,]
             0.350
                    2.8571
                               0e+00
## [15,]
             0.375
                   2.6667
                               0e+00
## [16,]
             0.400
                    2.5000
                               0e+00
## [17,]
             0.425
                   2.3529
                               0e+00
## [18,]
             0.450
                    2.2222
                               0e+00
## [19,]
             0.475
                    2.1053
                               0e+00
## [20,]
             0.500 2.0000
                               1e-04
## [21,]
             0.525 1.9048
                               0e+00
## [22,]
             0.550
                   1.8182
                               0e+00
## [23,]
                               0e+00
             0.575 1.7391
```

```
## [24,]
             0.600 1.6667
                              0e+00
## [25,]
             0.625 1.6000
                              0e+00
## [26,]
             0.650 1.5385
                              0e+00
## [27,]
             0.675 1.4815
                              0e+00
## [28,]
             0.700 1.4286
                              0e+00
## [29,]
             0.725 1.3793
                              0e+00
## [30,]
             0.750 1.3333
                              0e+00
## [31,]
             0.775 1.2903
                              0e+00
## [32,]
             0.800 1.2500
                              0e+00
## [33,]
             0.825 1.2121
                              0e+00
## [34,]
             0.850 1.1765
                              0e+00
## [35,]
             0.875 1.1429
                              0e+00
## [36,]
             0.900 1.1111
                              0e+00
## [37,]
             0.925 1.0811
                              0e+00
## [38,]
             0.950 1.0526
                              0e+00
## [39,]
             0.975 1.0256
                              0e+00
## [40,]
             1.000 1.0000
                              0e+00
## [41,]
             1.025 0.9756
                              0e+00
## [42,]
             1.050 0.9524
                              0e+00
## [43,]
             1.075 0.9302
                              0e+00
             1.100 0.9091
## [44,]
                              0e+00
## [45,]
             1.125 0.8889
                              0e+00
## [46,]
             1.150 0.8696
                              0e+00
## [47,]
             1.175 0.8511
                              0e+00
## [48,]
             1.200 0.8333
                              0e+00
## [49,]
             1.225 0.8163
                              0e+00
## [50,]
             1.250 0.8000
                              0e+00
par(mfrow = c(3,1))
x.t0 = mvspec(diff(log(swiss.gdp)), spans = c(9,9), col = rgb(.05, .6, .75), lwd = 2)
abline(v = 0.175, lty = "dashed", col = 2) # close to the El Nino Effect
# 20% tapering
x.t1 = mvspec(diff(log(swiss.gdp)), spans = c(9,9), taper = 0.2, col = rgb(.05, .6, .75), lwd = 2)
abline(v = 0.175, lty = "dashed", col = 2)
# 50% full tapering
x.t2 = mvspec(diff(log(swiss.gdp)), spans = c(9,9), taper = 0.5, col = rgb(.05, .6, .75), lwd = 2)
abline(v = 0.175, lty = "dashed", col = 2)
```

