## Homework 4 Due Date: December 1, 2022

In this assignment, you will investigate the effect of the block size on the dct-based compression, in a somewhat simplified way. <u>Turn in your code</u> (program) as an appendix in your homework.

Consider an  $N \times M$  image G, to be processed block-wise where every block is  $n \times n$ , where different values of n will be tried: n = 4, 8, 16, 32, 64.

- 1. Modify your code of the last problem of homework 3 to do the following:
  - a. Apply dct2 on  $n \times n$  blocks of G; (hint: change [8,8] to [n,n] in blockproc)
  - b. Quantize all the DC terms of all the blocks as one data set, using a uniform 8-level quantizer in the range from  $|\min(DC \ terms)|$  to  $[\max(DC \ term)]$ ;
  - c. Order the AC terms within each block in a counter-diagonal zigzag form;
  - d. Among all the AC terms across all the blocks, let  $L=[\min(AC \ terms)]$ , and let  $H=[\max(AC \ term)]$ ;
  - e. Within each block, quantize the first floor( $\frac{n^2-1}{10}$ ) AC terms with a 4-level uniform quantizer of the range [L, H), then quantize the next floor( $\frac{n^2-1}{10}$ ) AC terms with a 2-level uniform quantizer of the range [L, H), and zero out all the remaining AC terms;
  - f. Reconstruct the image by dequantizing the quantized values, and then applying blockwise idct2
  - g. Compute the compression ratio and the SNR.
- 2. For each n = 4, 8, 16, 32, 64, apply your code of part (1) on the grayscale version of the River image you used in Homework 3, recording the SNR. You obtain 6 SNR's, 6 compression ratios, and 6 reconstructed images. Note: If the dimensions of the image are not multiples of 64, remove a minimum number of rows from the bottom of the image, and a minimum number of columns from the right, so the dimensions become multiples of 64.
- 3. Display the original image and the 6 reconstructed images, with clear caption.
- 4. Graph the SNR's as a function of *n*. Which block size gives the best SNR?
- 5. Repeat 2-4 on image Lake.