# Kaggle Playground Season 3 Episode 5 - Wine Quality Data Competition

## Part 1 - Data Exploration, Preparation and Model Spot-Checking

The Kaggle Playground competitions provide monthly opportunities to practice skills on realistic, real world type data sets.

This is my first try. The challenge is to predict wine quality ratings (between 3 and 8), based on wine chemistry data.

# **Prepare Problem**

```
In [1]:
```

```
#load packages
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
import matplotlib.patches as mpatches
import seaborn as sns
#check what packages are imported
import pkg_resources
import types
def get_imports():
    for name, val in globals().items():
        if isinstance(val, types.ModuleType):
            # Split ensures you get root package,
            # not just imported function
            name = val.__name__.split(".")[0]
        elif isinstance(val, type):
            name = val.__module__.split(".")[0]
        # Some packages are weird and have different
        # imported names vs. system names
        if name == "PIL":
            name = "Pillow"
        elif name == "sklearn":
            name = "scikit-learn"
        yield name
imports = list(set(get_imports()))
requirements = []
for m in pkg_resources.working_set:
    if m.project_name in imports and m.project_name!="pip":
        requirements.append((m.project_name, m.version))
for r in requirements:
    print("{}=={}".format(*r))
```

matplotlib==3.5.3

numpy==1.21.6

pandas==1.3.5

seaborn==0.12.2

## **Import Data**

In [2]:

```
#load S3e5 Playground data

path = "/kaggle/input"

train = pd.read_csv(f"{path}/playground-series-s3e5/train.csv" )

train = pd.DataFrame(train)
print("Train data:\n", train.shape)
peek = train.head(5)
print(peek, "\n")
print(train.dtypes)

test = pd.read_csv(f"{path}/playground-series-s3e5/test.csv" )
test = pd.DataFrame(test)
print("Test data:\n", test.shape)
peek = test.head(5)
print(peek)
print(peek)
print(test.dtypes)
```

```
Train data: (2056, 13)
```

Id	fixed acidity	volatile acidity	citric acid	residual sugar
0	8.0	0.50	0.39	2.2
1	9.3	0.30	0.73	2.3
2	7.1	0.51	0.03	2.1
3	8.1	0.87	0.22	2.6
4	8.5	0.36	0.30	2.3
	0 1 2 3	<ul> <li>8.0</li> <li>9.3</li> <li>7.1</li> <li>8.1</li> </ul>	0       8.0       0.50         1       9.3       0.30         2       7.1       0.51         3       8.1       0.87	1       9.3       0.30       0.73         2       7.1       0.51       0.03         3       8.1       0.87       0.22

ch	lorides	free sulfur dioxide	total sulfur dioxide	density
pH \				
0	0.073	30.0	39.0	0.99572
3.33				
1	0.092	30.0	67.0	0.99854
3.32				
2	0.059	3.0	12.0	0.99660
3.52				
3	0.084	11.0	65.0	0.99730
3.20				
4	0.079	10.0	45.0	0.99444
3.20				

	sulphates	alcohol	quality
0	0.77	12.1	6
1	0.67	12.8	6
2	0.73	11.3	7
3	0.53	9.8	5
4	1.36	9.5	6

Id	int64
fixed acidity	float64
volatile acidity	float64
citric acid	float64
residual sugar	float64
chlorides	float64
free sulfur dioxide	float64
total sulfur dioxide	float64
density	float64
рН	float64
sulphates	float64
alcohol	float64
quality	int64

```
dtype: object
Test data:
(1372, 12)
    Id fixed acidity volatile acidity citric acid residual sug
ar \
0 2056
                7.2
                              0.510
                                          0.01
2.0
1 2057
                7.2
                              0.755
                                          0.15
2.0
2 2058
                8.4
                              0.460
                                          0.40
2.0
3 2059
                8.0
                              0.470
                                          0.40
1.8
4 2060
                6.5
                              0.340
                                          0.32
2.1
 chlorides free sulfur dioxide total sulfur dioxide density
pH \
0 0.077
                         31.0
                                             54.0 0.99748
3.39
1 0.102
                         14.0
                                             35.0 0.99586
3.33
2 0.065
                         21.0
                                             50.0 0.99774
3.08
3 0.056
                         14.0
                                             25.0 0.99480
3.30
4 0.044
                         8.0
                                             94.0 0.99356
3.23
  sulphates alcohol
0
       0.59
              9.8
       0.68
1
              10.0
2
      0.65
              9.5
      0.65
3
              11.7
       0.48 12.8
4
Ιd
                      int64
fixed acidity
                    float64
volatile acidity
                     float64
citric acid
                     float64
residual sugar
                     float64
chlorides
                     float64
free sulfur dioxide float64
```

total sulfur dioxide

float64

density float64
pH float64
sulphates float64
alcohol float64

dtype: object

# **Summarise Data**

```
In [3]:
```

```
#Data Info
train.info()
test.info()

#Data Description
pd.set_option('display.width', 100)
pd.set_option('precision', 3)
description = train.describe(include='all')
print("Data Description:\n", description, '\n')

#Data Imbalance/Class Distribution
class_counts = train.groupby('quality').size()
print("Class Distribution:\n", class_counts, '\n')

#Skew of Univariate Distributions
skew = train.skew()
print("Attribute skewness:\n", skew, '\n') #right(positive) or left(negative)
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2056 entries, 0 to 2055

Data columns (total 13 columns):

#	Column	Non-Null Count	Dtype
0	Id	2056 non-null	int64
1	fixed acidity	2056 non-null	float64
2	volatile acidity	2056 non-null	float64
3	citric acid	2056 non-null	float64
4	residual sugar	2056 non-null	float64
5	chlorides	2056 non-null	float64
6	free sulfur dioxide	2056 non-null	float64
7	total sulfur dioxide	2056 non-null	float64
8	density	2056 non-null	float64
9	рН	2056 non-null	float64
10	sulphates	2056 non-null	float64
11	alcohol	2056 non-null	float64
12	quality	2056 non-null	int64

dtypes: float64(11), int64(2)

memory usage: 208.9 KB

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 1372 entries, 0 to 1371
Data columns (total 12 columns):

#	Column	Non-Null Count	Dtype
0	Id	1372 non-null	int64
1	fixed acidity	1372 non-null	float64
2	volatile acidity	1372 non-null	float64
3	citric acid	1372 non-null	float64
4	residual sugar	1372 non-null	float64
5	chlorides	1372 non-null	float64
6	free sulfur dioxide	1372 non-null	float64
7	total sulfur dioxide	1372 non-null	float64
8	density	1372 non-null	float64
9	рН	1372 non-null	float64
10	sulphates	1372 non-null	float64
11	alcohol	1372 non-null	float64

dtypes: float64(11), int64(1)

memory usage: 128.8 KB

Data Description:

Id fixed acidity volatile acidity citric acid residual sugar chlorides  $\$  count 2056.00 2056.000 2056.000 2056.000

2056.000	2056.000			
mean 102	7.50	8.365	0.528	0.265
2.399	0.082			
std 59	3.66	1.705	0.173	0.188
0.859	0.024			
min	0.00	5.000	0.180	0.000
1.200	0.012			
25% 51	3.75	7.200	0.390	0.090
1.900	0.071			
50% 102	27.50	7.950	0.520	0.250
2.200	0.079			
75% 154	1.25	9.200	0.640	0.420
2.600	0.090			
max 205	55.00	15.900	1.580	0.760
14.000	0.414			

f	ree sulfur	dioxide	total sulfur	dioxide	density	р
H sulph	ates alo	ohol \				
count		2056.000	:	2056.000	2056.000	2056.00
0 2056	.000 2056	0.000				
mean		16.956		49.237	0.997	3.31
1 0	.641 16	.415				
std		10.010		32.961	0.002	0.14
2 0	.138 1	.029				
min		1.000		7.000	0.990	2.74
0 0	.390 8	3.700				
25%		8.000		22.000	0.996	3.20
0 0	.550	.500				
50%		16.000		44.000	0.997	3.31
0 0	.610 16	.100				
75%		24.000		65.000	0.998	3.39
0 0	.720 11	.000				
max		68.000		289.000	1.004	3.78
0 1	.950 14	.000				

	quality
count	2056.000
mean	5.721
std	0.853
min	3.000
25%	5.000
50%	6.000
75%	6.000

#### Class Distribution:

dtype: int64

#### Attribute skewness:

Id	0.000
fixed acidity	0.960
volatile acidity	0.668
citric acid	0.247
residual sugar	3.757
chlorides	5.263
free sulfur dioxide	0.681
total sulfur dioxide	1.268
density	0.203
рН	0.217
sulphates	1.803
alcohol	0.787
quality	0.266

dtype: float64

#### **Notes**

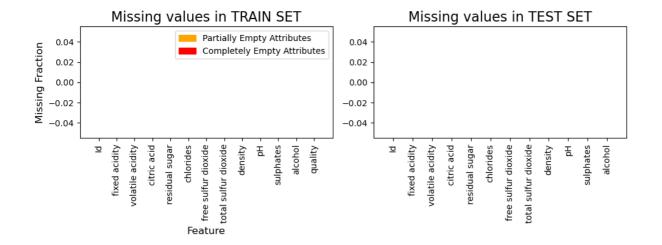
• The data is very imbalanced between the various quality groupings. Assume the categories can be 1 to 10? Only 3 to 8 is represented and most are in 5, 6, and 7.

# Test for missing values and duplicates

None found

In [4]:

```
train_missing_ratios = train.isna().sum() / len(train)
test_missing_ratios = test.isna().sum() / len(test)
train_missing_ratios.head(20)
plt.figure(figsize=(10, 4))
# function to add value labels
def addlabels(x,y):
    for i in range(len(x)):
        if y[i]>0:
            plt.text(i,y[i],round(y[i], ndigits = 2))
plt.subplot(1, 2, 1)
plt.bar(train_missing_ratios.index,
        train_missing_ratios.values,
        color=['red' if ratio == 1 else 'orange' for ratio in train_missing_rati
os.values])
plt.xlabel('Feature', fontsize=12)
plt.ylabel('Missing Fraction', fontsize=12)
plt.title('Missing values in TRAIN SET', fontsize=16)
plt.xticks(rotation=90)
plt.legend(handles=[mpatches.Patch(color='orange'),
                    mpatches.Patch(color='red')],
           labels=['Partially Empty Attributes', 'Completely Empty Attributes'])
addlabels(train_missing_ratios.index,
        train_missing_ratios.values)
plt.subplot(1, 2, 2)
plt.bar(test_missing_ratios.index,
        test_missing_ratios.values,
        color=['red' if ratio == 1 else 'orange' for ratio in test_missing_ratio
s.values])
plt.title('Missing values in TEST SET', fontsize=16)
plt.xticks(rotation=90)
addlabels(train_missing_ratios.index,
        train_missing_ratios.values)
plt.tight_layout()
plt.show()
train[train.duplicated()]
test[test.duplicated()]
```



#### Out[4]:

	ld	fixed acidity	volatile acidity	citric acid	residual sugar	chlorides	free sulfur dioxide	total sulfur dioxide	density	рН	sulphate
4											<b>&gt;</b>

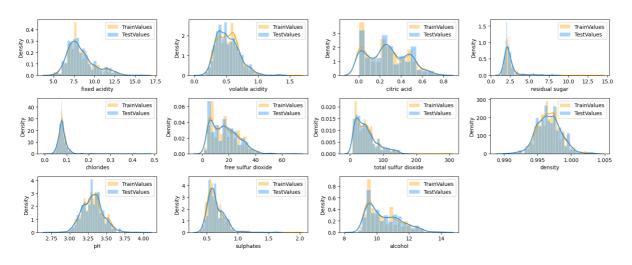
## **Data Visualisation**

#### **Univariate Plots**

```
In [5]:
```

```
#see https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751
plt.figure(figsize=(16, 8))
for i, column in enumerate(train.columns[1:12], 1):
    plt.subplot(4,4,i)
    #plt.subplots(figsize=(7,6), dpi=100)
    sns.histplot( train[column], color="orange", kde=True, stat="density", kde_k
ws=dict(cut=3), alpha=.4, edgecolor=(1, 1, 1, .4), label="TrainValues")
    sns.histplot( test[column], color="dodgerblue", kde=True, stat="density", kd
e_kws=dict(cut=3), alpha=.4, edgecolor=(1, 1, 1, .4), label="TestValues")

plt.legend()
    plt.tight_layout()
```

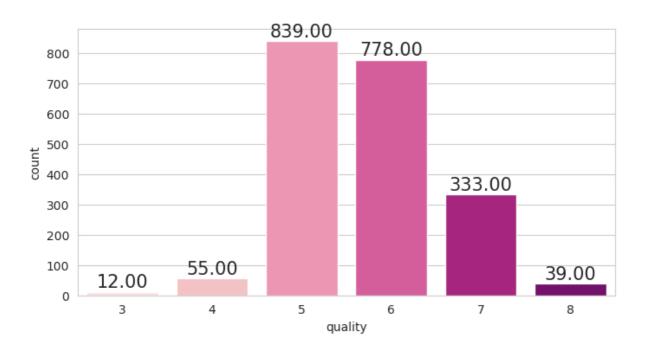


```
#show the balance of the classes
outcome = "quality"

plt.figure(figsize=(8, 4))
sns.set_style("whitegrid")

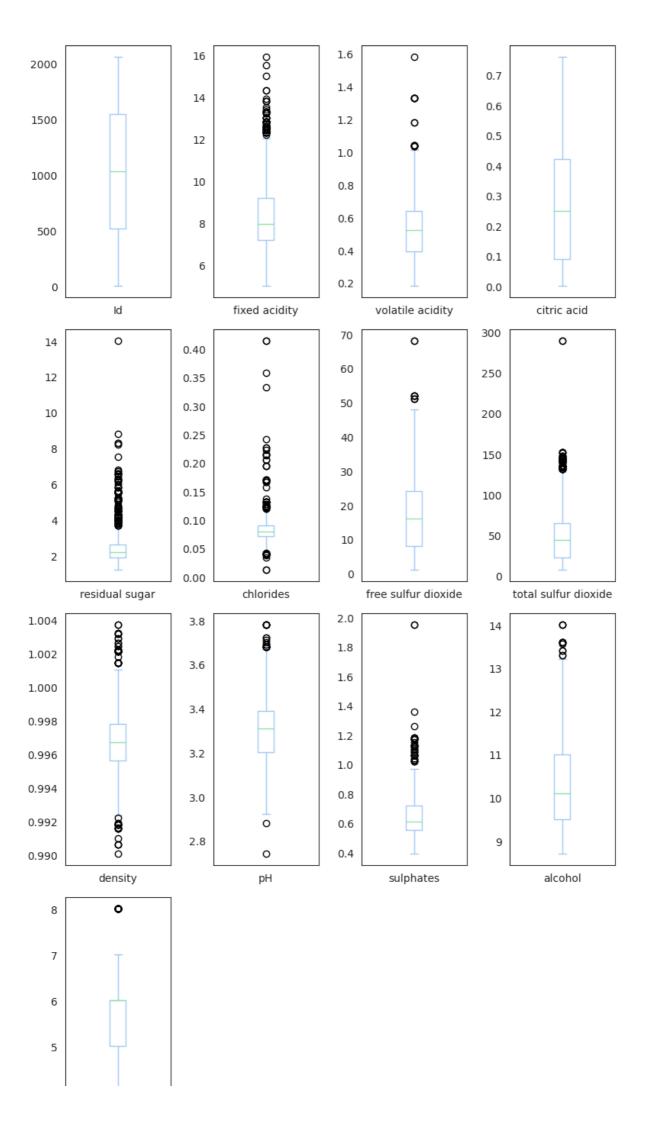
#https://www.codecademy.com/article/seaborn-design-ii
sns.set_palette("RdPu") #use SNS defauls (Deep, Muted, Bright, Pastel, Dark, Colo
rblind) or colorbrewer palettes

ax_train=sns.countplot(x=train[outcome], data=train);
for p in ax_train.patches:
    ax_train.annotate(format(p.get_height(), '.2f'), (p.get_x()+p.get_width()/2,
p.get_height()), ha='center', va='center', size=15, xytext=(0, 8), textcoords='o
ffset points')
```



```
In [7]:
```

```
#box and whisker
sns.set_style("white")
sns.set_palette("pastel")
train.plot(kind='box', subplots=True, layout=(4, 4), sharex=False, sharey=False,
figsize=(8,15))
plt.tight_layout()
plt.show()
```



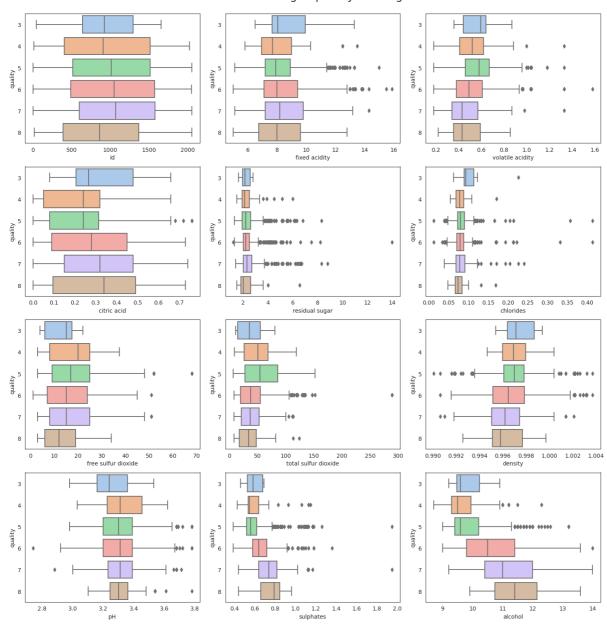


• Lots of outliers for many of the variables

## **Box Plot Grouped by Target Variable**

```
In [8]:
def plot_features_by_target(df, num_features):
    """Display all columns in df except TARGET group by TARGET.
    saved_type = df[TARGET].dtype
    df[TARGET] = df[TARGET].astype('category')
    columns = [c for c in df.columns if c != TARGET]
    ncols = 3
    nrows = np.ceil(len(columns)/ncols).astype(int)
    fig, axs = plt.subplots(ncols=ncols, nrows=nrows, figsize=(15,nrows*4))
    for c, ax in zip(columns, axs.flatten()):
        if c in num_features:
            sns.boxplot(data=df, x=c, y=TARGET, ax=ax)
        else:
            sns.countplot(data=df, x=c, hue=TARGET, ax=ax)
    fig.suptitle('Distribution of variables grouped by the target variable', fon
tsize=20)
    plt.tight_layout(rect=[0, 0, 1, 0.98])
    df[TARGET] = df[TARGET].astype(saved_type)
TARGET = "quality"
num_features = train.columns
plot_features_by_target(train, num_features)
```

#### Distribution of variables grouped by the target variable



#### We note:

- A positive correlation between alcohol and quality.
- A positive correlation betwee sulphates and quality.
- With both of these, its strongest between class 5,6 and 7.
- Chloride level could be useful for picking out class 3.

## **Multivariate Plots**

#### **Correlation Plot**

```
In [9]:
```

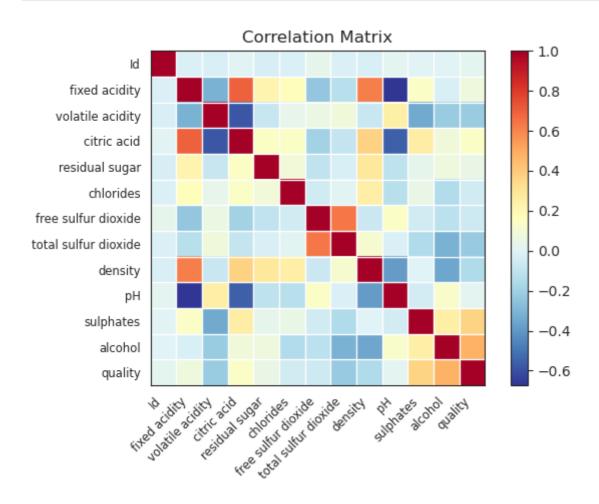
```
import statsmodels.graphics.api as smg

corr_matrix = np.corrcoef(train.T)

names = list(train.columns)

smg.plot_corr(corr_matrix, xnames=names)

plt.show()
```



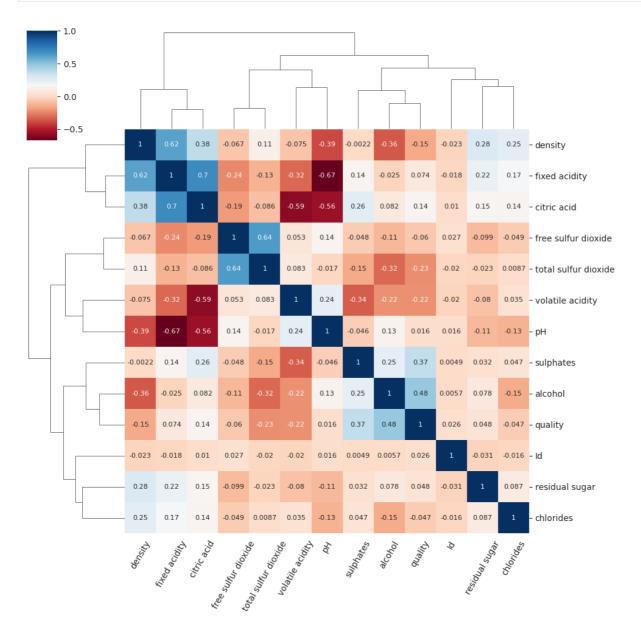
We can see a positive correlation between quality and:

- alcohol
- sulphates
- citric acid

negative correlation to:

- volatile acidity
- total sulfur density

```
In [10]:
```



## **Prepare Data**

### Split data into Train and Validation Sets

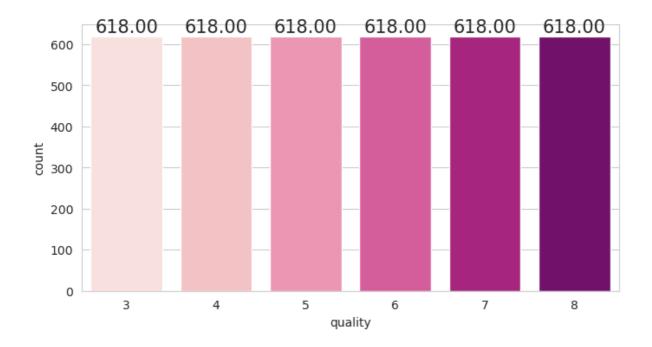
```
In [11]:
```

```
# Evaluate using a train and a test set
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LogisticRegression
#numerical predictor (NP) and response locations
NP_first_loc = 'fixed acidity' #ignore col 0 which is the ID
NP_last_loc = 'alcohol'
outcome_loc = 'quality'
NP_first_iloc = train.columns.get_loc(NP_first_loc) #ignore col 0 which is the ID
#print("NP_first_iloc:",NP_first_iloc, "\n" )
NP_last_iloc = train.columns.get_loc(NP_last_loc)
#print("NP_last_iloc:",NP_last_iloc, "\n" )
outcome_iloc = train.columns.get_loc(outcome_loc)
#Original Data
X = train.loc[:,NP_first_loc:NP_last_loc]
#print("\nX shape: ", X.shape)
#print("First two rows of X:\n", X.iloc[0:2, :], "\n")
Y = train.loc[:,outcome_loc]
#print("\n\nFist 10 rows of Y: \n", Y.iloc[0:10])
#Split Data
test_size = 0.25
seed = 100 #re-evaluate with different seeds to estimate variance?
X_train, X_val, Y_train, Y_val = train_test_split(X, Y, test_size=test_size, rand
om_state=seed)
```

## **Data Balancing**

```
In [12]:
```

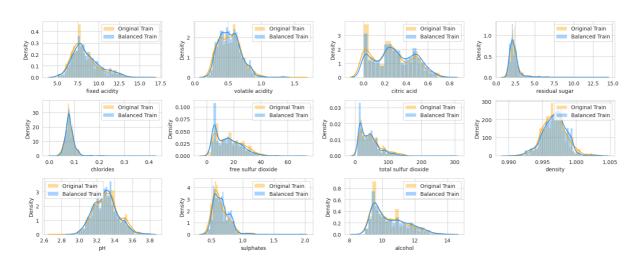
```
from imblearn.over_sampling import SMOTE
outcome = 'quality'
#train = pd.DataFrame(train)
#Only use the training set for balancing
#don't use the full x set and split the balanced data later, because we will be va
ilidating on the Y set split from the orignial data and dont want to leek data fro
m the val set into the balanced training set
X_train_b, Y_train_b = SMOTE().fit_resample(X_train, Y_train)
train_balanced = X_train_b.reset_index(drop=True).join(Y_train_b)
#replot the class distribution
plt.figure(figsize=(8, 4))
sns.set_style("whitegrid")
#https://www.codecademy.com/article/seaborn-design-ii
sns.set_palette("RdPu") #use SNS defauls (Deep, Muted, Bright, Pastel, Dark, Colo
rblind) or colorbrewer palettes
ax_train=sns.countplot(x=train_balanced[outcome], data=train_balanced);
for p in ax_train.patches:
    ax_train.annotate(format(p.get_height(), '.2f'), (p.get_x()+p.get_width()/2,
p.get_height()), ha='center', va='center', size=15, xytext=(0, 8), textcoords='o
ffset points')
```



```
#redo the density/histograms to compare original data to resampled

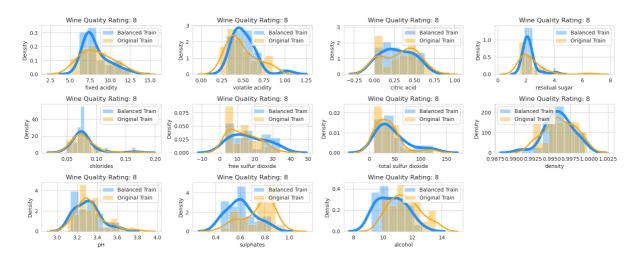
plt.figure(figsize=(16, 8))
for i, column in enumerate(train.columns[1:12], 1):
    plt.subplot(4,4,i)
    #plt.subplots(figsize=(7,6), dpi=100)
    sns.histplot( train[column], color="orange", kde=True, stat="density", kde_k
ws=dict(cut=3), alpha=.4, edgecolor=(1, 1, 1, .4), label="Original Train")
    sns.histplot( train_balanced[column], color="dodgerblue", kde=True, stat="de
nsity", kde_kws=dict(cut=3), alpha=.4, edgecolor=(1, 1, 1, .4), label="Balanced
Train")

plt.legend()
plt.tight_layout()
```



We note that the distributions look a bit differen for the balanced data. Let's visualise by group.

```
#show only one quality class at a time
qual = 8
train_sub_qual = train.loc[(train["quality"] == qual)]
# peek = train_sub_qual.head(5)
#print(peek)
train_balanced_sub_qual = train.loc[(train_balanced["quality"] == qual)]
plt.figure(figsize=(16, 8))
for i, column in enumerate(train_sub_qual.columns[1:12], 1):
    plt.subplot(4,4,i)
    sns.histplot( train_balanced_sub_qual[column], color="dodgerblue", kde=True,
stat="density", kde_kws=dict(cut=3),line_kws=dict(linewidth=5), alpha=.4, edgeco
lor=(1, 1, 1, .4), label="Balanced Train")
    sns.histplot( train_sub_qual[column], color="orange", kde=True, stat="densit")
y", kde_kws=dict(cut=3),line_kws=dict(linewidth=2.5), alpha=.4, edgecolor=(1, 1,
1, .4), label="Original Train")
    plotTitle = "Wine Quality Rating: " + str(qual)
    plt.title(plotTitle)
    plt.legend()
    plt.tight_layout()
```



It can be shown that the SMOTE oversampling perfrectly matched the original distributions by outcome class. Hence the overal distribution looks a bit different since the counts per class are adjusted.

#### Standardise data

```
In [15]:
# Standardize data (0 mean, 1 stdev)
from sklearn.preprocessing import StandardScaler
#standardize Original data - all data including validation set
scaler = StandardScaler().fit(X)
X_std = scaler.transform(X)
X_std = pd.DataFrame(X_std, index=X.index, columns=X.columns)
# summarize transformed data
np.set_printoptions(precision=3)
print("\nRescaled original train data peek:\n", X_std.iloc[0:5,:])
#standardize Original data training and validation
scaler = StandardScaler().fit(X_train) #evaluate the set to figure out how to tra
nsform - use only training data
X_{train} = scaler.transform(X_{train}) #apply transformation
X_train_std = pd.DataFrame(X_train_std, index=X_train.index, columns=X_train.col
umns)
X_val_std = scaler.transform(X_val)
X_val_std = pd.DataFrame(X_val_std, index=X_val.index, columns=X_val.columns)
#standardize Balanced data - traing and validation set
scaler = StandardScaler().fit(X_train_b) #evaluate the set to figure out how to t
ransform - use only training data
X_train_b_std = scaler.transform(X_train_b) #apply transformation
X_train_b_std = pd.DataFrame(X_train_b_std, index=X_train_b.index, columns=X_tra
in_b.columns)
\#X_{val_b} = scaler.transform(X_{val_b}) - no need to balance the X validation se
t. validate on the orignial or standardised X val data
# summarize transformed data
np.set_printoptions(precision=3)
print("\nRescaled balanced train data peek:\n", X_train_b_std.iloc[0:5,:])
```

#### Rescaled original train data peek:

Resoluted original train data peek.							
fixed aci	dity volat	ile acidi	ty cit	ric acid	residual sugar	С	
hlorides fre	e sulfur di	oxide \					
0 -0.5	214	-0.15	9	0.664	-0.232		
-0.373	1.	303					
1 0.	548	-1.31	5	2.470	-0.115		
0.428	1.3	03					
2 -0.	742	-0.10	2	-1.249	-0.348		
-0.963	-1.	395					
3 -0.	156	1.97	8	-0.239	0.234		
0.090	-0.5	95					
4 0.0	079	-0.96	8	0.186	-0.115		
-0.120	-0.	695					
total sulf	ur dioxide	density	рН	sulphates	alcohol		
0	-0.311	-0.563	0.137	0.933	1.638		
1	0.539	0.981	0.066	0.208	3 2.319		
	4 400	0 001	4 4 7 0	0 6 4 6	0.060		

0.643

0.860

-1.130 -0.081 1.472

## Rescaled balanced train data peek:

2

3

-0.811

4

Rescaled Dalanced train data peek.							
fixed	acidity	volatile acidity	citric acid	residual sugar c			
hlorides	free sulf	fur dioxide \					
0	0.654	0.583	1.090	-1.256			
0.709		-1.122					
1	-0.588	0.456	-1.539	-0.056			
-0.710		1.486					
2	-0.588	-0.301	0.214	-0.856			
-0.304		1.051					
3	-0.411	-2.069	0.324	1.809			
-0.659		0.073					
4	-0.648	1.593	-1.593	-0.056			

0.478 0.302 -0.777 -0.807 -0.598

-0.129 -1.263 -0.777 5.211 -0.890

	total sulfur dioxide	density	рН	sulphates	alcohol
0	0.661	0.475	-0.702	-0.359	-1.025
1	0.102	-0.925	0.399	-0.833	0.010
2	0.242	-0.843	0.105	3.675	-0.460
3	0.591	0.827	0.986	-0.596	-1.025
4	-0.038	0.920	1.572	-1.070	-0.743

-0.035

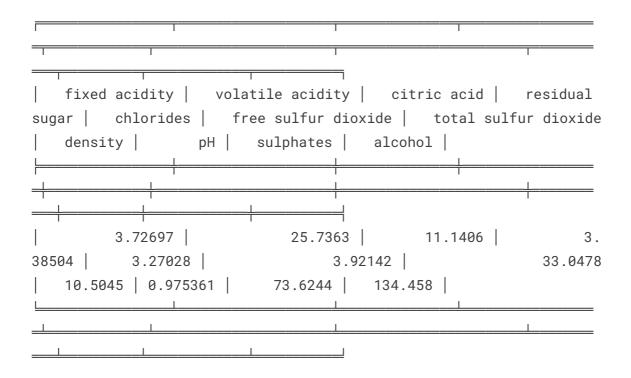
# **Feature Selection**

# Add some features based on cluster analysis

### Univariate Feature Selection

```
In [16]:
```

```
# Feature Selection with Univariate Statistical Tests
from sklearn.feature_selection import SelectKBest
from sklearn.feature_selection import f_classif
from sklearn.feature_selection import RFE
from sklearn.linear_model import LogisticRegression
from tabulate import tabulate
# choose which data to use - origninal? balanced? standardised?
X_s = X
Y s = Y
# Univariate Feature Selection - feature extraction
test = SelectKBest(score_func=f_classif, k=4)
fit_UV = test.fit(X_s, Y_s)
np.set_printoptions(precision=3)
UVscores = fit_UV.scores_
# summarize scores
features = fit_UV.transform(X_s)
#get a list of the numberical column names
#colNameList = list(train.iloc[:,NP_first_iloc:NP_last_iloc+1].columns.values)#hav
e to add 1 for the slice to include the last index with iloc
colNameList = list(train.loc[:,NP_first_loc:NP_last_loc].columns.values)
#print(colNameList)
# summarize selected features
table = [colNameList,
         UVscores, ]
print(tabulate(table, headers='firstrow', tablefmt='fancy_grid'))
```



The highest values shows the highest correlation with the outcome/target variable, according to the ANOVA F-value method (appropriate for numerical inputs and categorical data). The following variables come out tops, in order:

- alcohol
- sulphates
- · total sulfur dioxide
- volatile acidity
- · citric acid
- density

Interestingly, when using the oversampled (balanced) data, this changes to:

- alcohol
- sulphates
- chlorides
- total sulfur dioxide
- density
- free sulfur dioxide
- volatile acidity
- · citric acid

The standardisation didn't make any difference.

# **Recursive Feature Elimination**

We'll play around a bit to see the different between using regression and classification models. This problem can be treated as either, but I think regression will be a bit more appropriate, since the quality levels to mean something as they ascend in value. They are not just arbitrary bins.

```
In [17]:
```

```
from sklearn.feature_selection import RFE
from sklearn.linear_model import LogisticRegression
from tabulate import tabulate
from sklearn.tree import DecisionTreeClassifier
from sklearn.tree import DecisionTreeRegressor
# choose which data to use - origninal? balanced? standardised?
X_s = X_std
Y_s = Y
#how many features to compare
topN = 1
print("Find %d best variables.\n " % topN)
# Recursive Feature Elimination - feature extraction
#model = LogisticRegression(solver='liblinear')
#model = DecisionTreeClassifier()
model = DecisionTreeRegressor()
rfe = RFE(estimator = model, n_features_to_select = topN)
fit_RFE = rfe.fit(X_s, Y_s)
print("Selected Features: %s" % fit_RFE.support_)
print("Feature Ranking: %s" % fit_RFE.ranking_)
# summarize selected features
RFEscores = fit_RFE.ranking_
#get a list of the numberical column names
#colNameList = list(train.iloc[:,NP_first_iloc:NP_last_iloc+1].columns.values)#hav
e to add 1 for the slice to include the last index with iloc
colNameList = list(train.loc[:,NP_first_loc:NP_last_loc].columns.values)
#print(colNameList)
table = [colNameList,
         RFEscores, 1
print(tabulate(table, headers='firstrow', tablefmt='fancy_grid'))
```

Find 1 best variables.

Selected Features: [False False Fals False False True] Feature Ranking: [ 4 6 9 7 8 10 3 5 11 2 1] fixed acidity | volatile acidity | citric acid | residual sugar | chlorides | free sulfur dioxide | total sulfur dioxide density | pH | sulphates | alcohol | 6 9 4 10 3 | 7 | 8 2 11 | 1 |

sulphates density • pH alchohol · volatile acidity · citric acid For the balanced data: chlorides sulphates · citric acid volatile acidity desnity pH This changed significantly when the standardised data was used, as follows: For the original data, the following come out highest: alchohol sulphates · total sulfur dioxide • free sulfur dioxide · citric acid volatile acidity For the balanced data: alcohol • chlorides sulphates · total sulfur dioxide • free sulfur dioxide · citric acid These results also changed drastically depending on the chosen classification or regression model.

For the original data, the following come out highest:

# Feature Importance

Use a random forest model to get some shapley estimators	Use a	random	forest	model	to	aet	some	shaplev	estimators
--	-------	--------	--------	-------	----	-----	------	---------	------------

```
In [18]:
```

```
# Feature Importance with Extra Trees Classifier
from pandas import read_csv
from sklearn.ensemble import ExtraTreesClassifier
from sklearn.ensemble import RandomForestRegressor
# choose which data to use - origninal? balanced? standardised?
X s = X std
Y_s = Y
# feature extraction
#model = ExtraTreesClassifier(n_estimators=100)
model = RandomForestRegressor(max_depth=6, random_state=0, n_estimators=10)
model.fit(X_s, Y_s)
importances = pd.DataFrame(data={
    'Attribute': X_s.columns,
    'Importance': model.feature_importances_
})
importances = importances.sort_values(by='Importance', ascending=False)
print("Feature Importance Results using original data:\n")
print(importances)
model.fit(X_s, Y_s)
importances = pd.DataFrame(data={
    'Attribute': X_s.columns,
    'Importance': model.feature_importances_
})
importances = importances.sort_values(by='Importance', ascending=False)
print("Feature Importance Results using balanced data:\n")
print(importances)
```

# Feature Importance Results using original data:

	Attribute	Importance
10	alcohol	0.466
9	sulphates	0.296
0	fixed acidity	0.043
7	density	0.036
4	chlorides	0.034
8	рН	0.030
6	total sulfur dioxide	0.024
1	volatile acidity	0.020
3	residual sugar	0.019
2	citric acid	0.019
5	free sulfur dioxide	0.014

Feature Importance Results using balanced data:

	Attribute	Importance
10	alcohol	0.466
9	sulphates	0.296
0	fixed acidity	0.043
7	density	0.036
4	chlorides	0.034
8	рН	0.030
6	total sulfur dioxide	0.024
1	volatile acidity	0.020
3	residual sugar	0.019
2	citric acid	0.019
5	free sulfur dioxide	0.014

These results correspond fairly well. No big differnce when using the standardised data.

Comparing all the results it seems to say that the following variables are most important:

- alcohol
- sulphates
- total sulfur dioxide
- chlorides
- free sulfur dioxide

These ones not as much:

- residual sugar
- fixed acidity
- pH

# **Shapley Values**

```
# import shap library
import shap
colNameList = list(train.loc[:,NP_first_loc:NP_last_loc].columns.values)
print(colNameList)

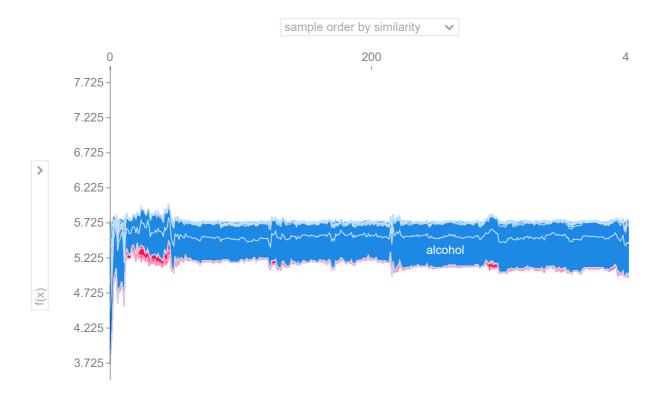
# explain the model's predictions using SHAP
explainer = shap.TreeExplainer(model)
shap_values = explainer.shap_values(X_s)

# visualize the training set predictions
shap.initjs()
shap.force_plot(explainer.expected_value, shap_values, X_s)

['fixed acidity', 'volatile acidity', 'citric acid', 'residual suga
r', 'chlorides', 'free sulfur dioxide', 'total sulfur dioxide', 'de
nsity', 'pH', 'sulphates', 'alcohol']
```



Out[19]:

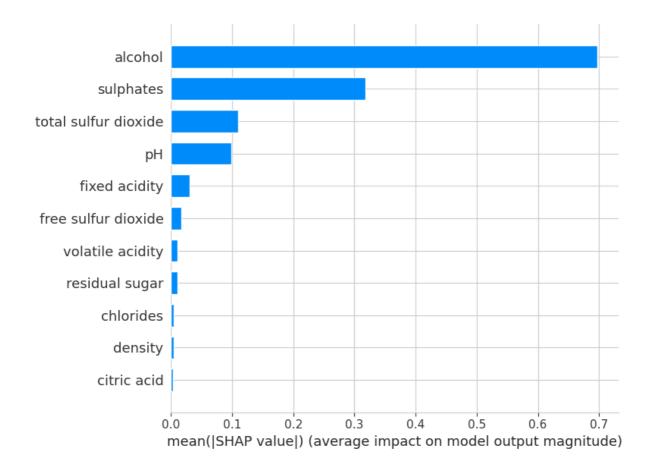


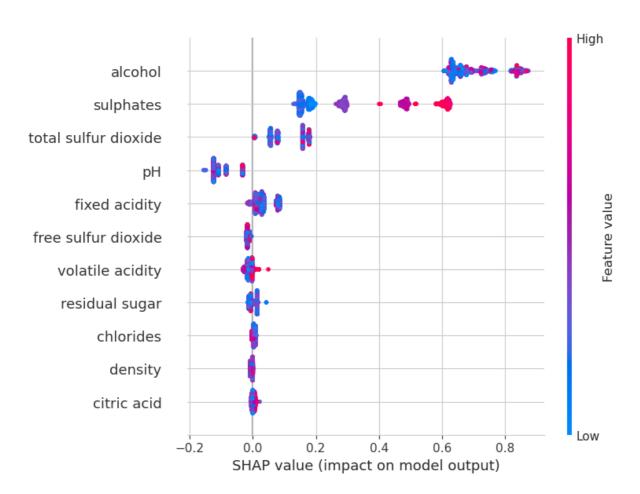
# Features that features heavily are:

- Alcohol (feature 10)
- Chlorides (feature 4)
- Density (feature 7)
- Sulphates (feature 9)

```
In [20]:
```

```
shap_values = shap.TreeExplainer(model).shap_values(X_train)
shap.summary_plot(shap_values, X_train, plot_type="bar")
shap.summary_plot(shap_values, X_train)
```





# **Algorithm Spot-Checking and Comparison**

We'll do some initial spot checking to see which algorithms look most promising. We'll try some linear and non-linear algorithms. We'll use 10-fold cross validation.

# **Spotcheck Function Definition**

```
In [21]:
```

```
def modelSpotCheck(X_s, Y_s, X_v, Y_v, dataDescription, models, scoring, ylim_mi
n = None, ylim_max = None):
    #lists defined outside of the loop to gather all results throughout iterations
    predictions = [[] for i in range(len(X_s))]
    absError = [[] for i in range(len(X_s))]
    modfits = [[] for i in range(len(X_s))]
    #overall loop through the various data sets passed (orignial, standardised et
c.)
    for i in range(len(X_s)):
        #initialise and clear lists on each iteration
        #summary, results, names = []
        summary = []
        results = []
        names = []
        # evaluate each model in turn
        for name, model in models:
            kfold = KFold(n_splits=10, random_state=7, shuffle=True)
            cv_results = cross_val_score(model, X_s[i], Y_s[i], cv=kfold, scorin
g=scoring)
            results.append(cv_results)
            names.append(name)
            modSum = "%s: %f (%f)" % (name, cv_results.mean(), cv_results.std())
            summary.append(modSum)
            model.fit(X_s[i], Y_s[i])
            modfits[i].append(model)
            modelpred = model.predict(X_v[i])
            predictions[i].append(modelpred)
            Err = abs(Y_v[i] - np.round(modelpred))
            absError[i].append(Err)
        #Print summary of performance (mean and std dev according to metric chose
n)
        print("Results according to ", dataDescription[i], "data:\n", summary )
        # boxplot algorithm comparison
        ax = plt.subplot(1, len(X_s),(i+1))
        ax.set_title(dataDescription[i])
        if (not ylim_min == None and not ylim_max == None):
            ax.set_ylim(ylim_min, ylim_max)
```

```
sns.boxplot(results, ax = ax)
ax.set_xticklabels(names,rotation=90)
#plt.show()

return names, predictions, absError, modfits
```

# **Regression Approach**

We'll treat this as a regression problem and use the following regresion metric: Mean Absolute Error

In [22]:

```
from sklearn.model_selection import KFold
from sklearn.model_selection import cross_val_score
from matplotlib import pyplot
from sklearn.linear_model import LinearRegression
from sklearn.linear_model import Ridge
from sklearn.linear_model import Lasso
from sklearn.linear_model import ElasticNet
from sklearn.linear_model import LogisticRegression
from sklearn.neighbors import KNeighborsRegressor
from sklearn.tree import DecisionTreeRegressor
from sklearn.svm import SVR
from xgboost.sklearn import XGBRegressor
from lightgbm import LGBMRegressor
# select which data to use - origninal? balanced? standardised?
dataDescription_R = ["Original", "Balanced", "Original Standardised"] #Ensure "St
andardised" is included for standardised data
X_s = [pd.DataFrame(X_train.copy()), pd.DataFrame(X_train_b.copy()), pd.DataFrame(X_train_b.
e(X_train_std.copy())]#predictors to train on
Y_s = [
                                                                 Y_train.copy(),
                                                                                                                                                                  Y_train_b.copy(),
Y_train.copy()] #outcome to train on
X_v = [pd.DataFrame(X_val.copy()), pd.DataFrame(X_val.copy()), pd.DataFrame(X_val.co
l_std.copy())] #predictors to validate on
Y v = [
                                                                 Y_val.copy(),
                                                                                                                                                        Y_val.copy(),
                                                                                                                                                                                                                                                           Y va
1.copy()] #outcome to validate on
#define plot size
plt.figure(figsize=(12,8))
plt.suptitle('Algorithm Comparison', fontsize=18, y=0.95)
# prepare models
models_R = []
models_R.append(('LinR', LinearRegression()))
models_R.append(('Ridge', Ridge()))
models_R.append(('Lasso', Lasso()))
models_R.append(('ElasticNet', ElasticNet()))
models_R.append(('LogR', LogisticRegression(solver='liblinear')))
models_R.append(('knnR', KNeighborsRegressor()))
models_R.append(('CART_R', DecisionTreeRegressor()))
models_R.append(('SVM', SVR(gamma='auto')))
models_R.append(('XGB_R', XGBRegressor()))
models_R.append(('LGBM_R', LGBMRegressor()))
```

```
#Run the check
names_R, predictions_R, absError_R, modfits_R = modelSpotCheck(X_s, Y_s, X_v, Y_v, dataDescription_R, models_R, scoring = 'neg_mean_squared_error', ylim_min = -
1.2, ylim_max= -0.3)
#scoring = 'r2', 'neg_mean_absolute_error', 'neg_mean_squared_error'
```

Results according to Original data:

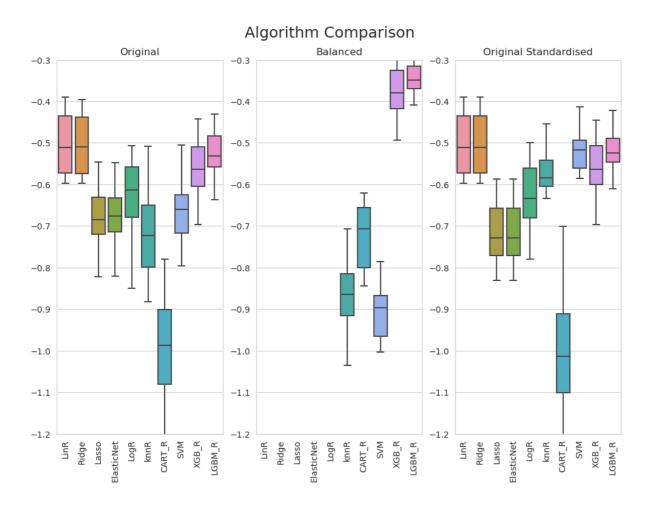
['LinR: -0.504966 (0.074338)', 'Ridge: -0.505329 (0.072869)', 'Las so: -0.681115 (0.072868)', 'ElasticNet: -0.677071 (0.071292)', 'Log R: -0.630364 (0.095082)', 'knnR: -0.718555 (0.109418)', 'CART\_R: -1.000746 (0.152563)', 'SVM: -0.660439 (0.089866)', 'XGB\_R: -0.56271 (0.069656)', 'LGBM\_R: -0.524735 (0.056411)']

Results according to Balanced data:

['LinR: -1.424141 (0.099425)', 'Ridge: -1.437078 (0.104783)', 'Las so: -2.575330 (0.105795)', 'ElasticNet: -2.109788 (0.101119)', 'Log R: -2.116405 (0.219188)', 'knnR: -0.871220 (0.092796)', 'CART\_R: -0.724093 (0.081752)', 'SVM: -0.906942 (0.071673)', 'XGB\_R: -0.37731 7 (0.057530)', 'LGBM\_R: -0.348787 (0.037275)']

Results according to Original Standardised data:

['LinR: -0.504966 (0.074338)', 'Ridge: -0.504953 (0.074334)', 'Las so: -0.713355 (0.075453)', 'ElasticNet: -0.713355 (0.075453)', 'Log R: -0.629736 (0.083267)', 'knnR: -0.569169 (0.050935)', 'CART\_R: -1.014390 (0.180570)', 'SVM: -0.516883 (0.051533)', 'XGB\_R: -0.56166 0 (0.068969)', 'LGBM\_R: -0.519431 (0.050289)']



#### **Notes**

From the graphs above, it seems like some of the models trained on the balanced data did really well. But we need to remember that the outcome variable was also oversampled and the results might not be as good when the model is tested on the validation set that was separated from the original data. We'll have a look.

We also notice that some of the models (KNN, SVM and CART to a lesser degree) did show improvement when modelled on standardised data.

In [23]:

```
#build confusion matrices for rounded regression values for specified models
from sklearn.metrics import confusion_matrix
from sklearn.metrics import plot_confusion_matrix
#models4cm = ["LinR", "Ridge", "LogR", "SVM", "LGBM_R"]
#k =
                                             1] #choose which data set to use
             [0,
                     0,
                              0,
                                       1,
models4cm = ["LinR", "LGBM_R", "XGB_R", "LGBM_R", "Ridge"]
             [0,
                                                    2] #choose which data set to
                    0,
                               1,
                                        1,
use
for i in range(len(models4cm)):
    df confusion = 0
    dfCropped = 0
    N = names_R.index(models4cm[i])
    #if model was fit on standardised data then also use standardised validationio
n data
    if "Standardised" in dataDescription_R[k[i]]:
        modelpred = modfits_R[k[i]][N].predict(X_val_std)
    else:
        modelpred = modfits_R[k[i]][N].predict(X_val)
    #cm_pred = modelpred.copy()
    #cm_pred = np.round(modelpred.copy())\
    cm_pred = np.round(predictions_R[k[i]][N].copy()) #use predictions passed by
spotcheck function
    #Print heading and build confusion matrix
    print(modfits_R[k[i]][N])
    print(dataDescription_R[k[i]], "Data")
    df_confusion = pd.crosstab(Y_val, cm_pred, rownames=['Actual'], colnames=['P
redicted'], margins=True)
    df_confusion = df_confusion.reindex(columns=[3,4,5,6,7,8, "All"],fill_value=
0)
    print(df_confusion)
    #Calculate accuracy and print
    dfCropped = df_confusion.iloc[0:6,0:6].copy()
    diag = pd.Series(np.diag(dfCropped), index=[dfCropped.index, dfCropped.colum
ns])
    diagSum = sum(diag)
    acc = diagSum/(df_confusion.loc['All','All'].copy())
    print("\nNumber of correct predictions: ",diagSum)
```

```
print("Accuracy: ",acc, "\n")
i= i+1
```

### LinearRegression()

#### Original Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	3	2	0	0	5
4	0	0	8	6	0	0	14
5	0	0	154	67	0	0	221
6	0	0	42	130	10	0	182
7	0	0	8	52	21	0	81
8	0	0	0	8	3	0	11
All	0	0	215	265	34	0	514

Number of correct predictions: 305

Accuracy: 0.5933852140077821

### LGBMRegressor()

#### Original Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	3	2	0	0	5
4	0	0	10	4	0	0	14
5	0	0	163	54	4	0	221
6	0	0	45	115	22	0	182
7	0	0	9	52	20	0	81
8	0	0	0	9	2	0	11
All	0	0	230	236	48	0	514

Number of correct predictions: 298

Accuracy: 0.5797665369649806

max\_delta\_step=0, max\_depth=6, max\_leaves=0, min\_child
\_weight=1,

 $\label{eq:missing} \mbox{missing=nan, monotone\_constraints='()', n\_estimators=1} \\ \mbox{00, n\_jobs=0,}$ 

num\_parallel\_tree=1, predictor='auto', random\_state=0,

reg\_alpha=0,

reg\_lambda=1, ...)

Balanced Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	3	2	0	0	5
4	1	1	7	4	1	0	14
5	0	21	123	62	15	0	221
6	0	11	47	77	46	1	182
7	0	1	10	32	37	1	81
8	0	1	1	3	6	0	11
All	1	35	191	180	105	2	514

Number of correct predictions: 238

Accuracy: 0.46303501945525294

# LGBMRegressor()

Balanced Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	5	0	0	0	5
4	0	0	8	6	0	0	14
5	0	14	148	51	7	1	221
6	0	3	57	84	34	4	182
7	0	2	9	34	36	0	81
8	0	0	0	5	6	0	11
All	0	19	227	180	83	5	514

Number of correct predictions: 268

Accuracy: 0.5214007782101168

## Ridge()

Original Standardised Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	3	2	0	0	5
4	0	0	8	6	0	0	14
5	0	0	154	67	0	0	221
6	0	0	42	130	10	0	182
7	0	0	8	52	21	0	81
8	0	0	0	8	3	0	11
All	0	0	215	265	34	0	514

Number of correct predictions: 305

Accuracy: 0.5933852140077821

### **Notes**

As expected, when ran on the validation set, the results are much worse.

# Classification

- Show hidden markdown
- Show hidden markdown
- Show hidden markdown

In [24]:

```
from sklearn.model_selection import KFold
from sklearn.model_selection import cross_val_score
from matplotlib import pyplot
from sklearn.discriminant_analysis import LinearDiscriminantAnalysis
from sklearn.neighbors import KNeighborsClassifier
from sklearn.naive_bayes import GaussianNB
from sklearn.tree import DecisionTreeClassifier
from sklearn.svm import SVC
from xgboost import XGBClassifier
from lightqbm import LGBMClassifier
from sklearn.ensemble import RandomForestClassifier
# select which data to use - origninal? balanced? standardised?
dataDescription_C = ["Original", "Balanced", "Original Standardised"] #Ensure "St
andardised" is included for standardised data
X_s = [pd.DataFrame(X_train.copy()), pd.DataFrame(X_train_b.copy()), pd.DataFrame(X_train_b.
e(X_train_std.copy())]#predictors to train on
Y s = [
                                                                 Y_train.copy(),
                                                                                                                                                                 Y_train_b.copy(),
Y_train.copy()] #outcome to train on
X_v = [pd.DataFrame(X_val.copy()), pd.DataFrame(X_val.copy()), pd.DataFrame(X_val.co
l_std.copy())] #predictors to validate on
Y_V = [
                                                               Y_val.copy(),
                                                                                                                                                         Y_val.copy(),
                                                                                                                                                                                                                                                          Y_va
1.copy()] #outcome to validate on
#define plot size
plt.figure(figsize=(12,8))
plt.suptitle('Algorithm Comparison', fontsize=18, y=0.95)
# prepare models
#add: lightGBM, XGBoost, RF
models_C = []
models_C.append(('LDA_C', LinearDiscriminantAnalysis()))
models_C.append(('KNN_C', KNeighborsClassifier()))
models_C.append(('CART_C', DecisionTreeClassifier()))
models_C.append(('NB_C', GaussianNB()))
models_C.append(('LGBM_C', LGBMClassifier()))
models_C.append(('SVC', SVC()))
models_C.append(('RF_C', RandomForestClassifier()))
#Run the check
names_C, predictions_C, absError_C, modfits_C = modelSpotCheck(X_s, Y_s, X_v, Y_
v, dataDescription_C, models_C, scoring = 'accuracy', ylim_min = 0.35, ylim_max
```

# 'accuracy', 'neg\_log\_loss', 'roc\_auc'

### Results according to Original data:

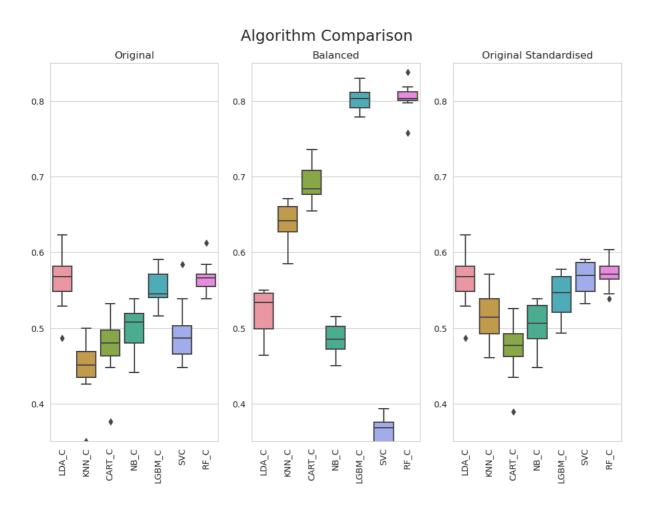
['LDA\_C: 0.563569 (0.035694)', 'KNN\_C: 0.446196 (0.038407)', 'CART \_C: 0.474051 (0.039312)', 'NB\_C: 0.498056 (0.032165)', 'LGBM\_C: 0.551885 (0.022954)', 'SVC: 0.494801 (0.039342)', 'RF\_C: 0.567415 (0.019834)']

### Results according to Balanced data:

['LDA\_C: 0.519972 (0.031217)', 'KNN\_C: 0.640782 (0.024866)', 'CART \_C: 0.692287 (0.023841)', 'NB\_C: 0.485169 (0.019269)', 'LGBM\_C: 0.8 01250 (0.015283)', 'SVC: 0.360844 (0.022418)', 'RF\_C: 0.803941 (0.0 19328)']

Results according to Original Standardised data:

['LDA\_C: 0.563569 (0.035694)', 'KNN\_C: 0.516230 (0.033985)', 'CART \_C: 0.471458 (0.035788)', 'NB\_C: 0.501295 (0.031603)', 'LGBM\_C: 0.542778 (0.027326)', 'SVC: 0.566783 (0.020943)', 'RF\_C: 0.571965 (0.019639)']



Compare the regression performance to the classification models by calculating a regression metric for both

Only pick the best ones from each

In [25]:

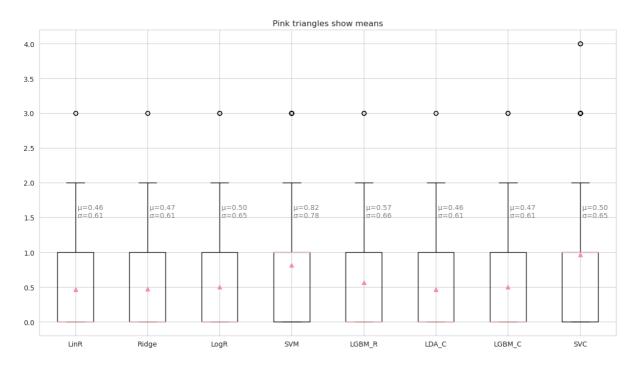
```
# compare classification and regression results based on regression metric
#Select Regression models for comparison
models4cm_R = ["LinR", "Ridge", "LogR", "SVM", "LGBM_R"]
kR =
               [0.
                       0.
                                  0,
                                         1,
                                               1] #choose which data set to use
N_R = [i for i in range(len(names_R)) if names_R[i] in models4cm_R] #find indece
s of chosen models
print(N_R)
#Select Classification models for comparison
models4cm_C = ["LDA_C", "LGBM_C", "SVC"]
                                 1] #choose which data set to use
k_C =
               [0,
                        0,
N_C = [i for i in range(len(names_C)) if names_C[i] in models4cm_C] #find indece
s of chosen models
print(N_C)
absError_combined = []
m = []
st = []
for i in range(len(models4cm_R)):
    absError\_combined.append(absError\_R[k\_R[i]][N\_R[i]]) \textit{ \#add all the abs\_Error}
r's for the selected models, from the chosen data transforms
    m.append(np.mean(absError_combined[i]))
    st.append(np.std(absError_combined[i]))
for i in range(len(models4cm_C)):
    absError_combined.append(absError_R[k_C[i]][N_C[i]]) #add all the abs_Erro
r's for the selected models, from the chosen data transforms
    m.append(np.mean(absError_combined[i]))
    st.append(np.std(absError_combined[i]))
# boxplot algorithm comparison
style = dict(size=10, color='gray')
fig = pyplot.figure(figsize=(15, 8))
fig.suptitle('Classification Algorithm Comparison on Regression Metric: Absolute
Error')
ax = fig.add_subplot(111)
bp = pyplot.boxplot(absError_combined, showmeans=True)
ax.set_xticklabels(models4cm_R + models4cm_C)
```

```
ax.set_title('Pink triangles show means')

for i in range(len(absError_combined)):
    ax.text(i+1, 1.5, ' \mu = \{:.2f}\\n \sigma = \{:.2f}\'.format(m[i], st[i]), **style)

pyplot.show()
```

#### Classification Algorithm Comparison on Regression Metric: Absolute Error



In [26]:

```
#build confusion matrices for rounded regression values for specified models
from sklearn.metrics import confusion_matrix
from sklearn.metrics import plot_confusion_matrix
models4cm = ["LDA_C", "KNN_C", "CART_C", "LGBM_C", "LGBM_C", "RF_C"]
             [0,
                               1,
                                                                       1 | #choos
                       1,
                                         0,
                                                     1,
                                                             0,
e which data set to use
for i in range(len(models4cm)):
    df confusion = 0
    dfCropped = 0
    N = names_C.index(models4cm[i])
    #if model was fit on standardised data then also use standardised validationio
n data
    if "Standardised" in dataDescription_C[k[i]]:
        modelpred = modfits_C[k[i]][N].predict(X_val_std)
    else:
        modelpred = modfits_C[k[i]][N].predict(X_val)
    #Print heading and build confusion matrix
    print(modfits_C[k[i]][N])
    print(dataDescription_C[k[i]], "Data")
    #cm_pred = modelpred.copy()
    cm_pred = predictions_C[k[i]][N].copy() #use predictions passed by spotcheck
function
    df_confusion = pd.crosstab(Y_val, cm_pred, rownames=['Actual'], colnames=['P
redicted'], margins=True)
    df_confusion = df_confusion.reindex(columns=[3,4,5,6,7,8, "All"],fill_value=
0)
    print(df_confusion)
    #Work out the accuracy and print
    dfCropped = df_confusion.iloc[0:6,0:6].copy()
    diag = pd.Series(np.diag(dfCropped), index=[dfCropped.index, dfCropped.colum
ns])
    diagSum = sum(diag)
    acc = diagSum/(df_confusion.loc['All','All'].copy())
    print("\nNumber of correct predictions: ",diagSum)
    print("Accuracy: ",acc, "\n")
    i = i + 1
```

# LinearDiscriminantAnalysis()

## Original Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	4	1	0	0	5
4	0	0	10	4	0	0	14
5	1	0	172	47	1	0	221
6	0	0	58	106	18	0	182
7	0	0	12	43	26	0	81
8	0	0	1	6	3	1	11
All	1	0	257	207	48	1	514

Number of correct predictions: 305

Accuracy: 0.5933852140077821

## KNeighborsClassifier()

#### Balanced Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	3	2	0	0	5
4	0	5	4	1	3	1	14
5	27	46	88	28	28	4	221
6	40	22	34	38	32	16	182
7	7	12	7	24	22	9	81
8	3	0	3	2	2	1	11
All	77	85	139	95	87	31	514

Number of correct predictions: 154

Accuracy: 0.29961089494163423

## DecisionTreeClassifier()

### Balanced Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	3	1	0	1	0	5
4	0	2	7	1	4	0	14
5	3	35	104	61	17	1	221
6	2	13	43	60	42	22	182
7	2	7	12	24	23	13	81
8	1	0	1	6	0	3	11
All	8	60	168	152	87	39	514

Number of correct predictions: 192

Accuracy: 0.3735408560311284

## LGBMClassifier()

Original Data

Original D	ucu						
Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	4	1	0	0	5
4	0	0	12	2	0	0	14
5	0	0	161	54	6	0	221
6	0	0	53	105	24	0	182
7	0	0	13	48	19	1	81
8	0	0	0	8	3	0	11
All	0	0	243	218	52	1	514

Number of correct predictions: 285

Accuracy: 0.5544747081712063

### LGBMClassifier()

Balanced Data

ватаисеа р	ата						
Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	2	3	0	0	5
4	0	0	9	5	0	0	14
5	0	7	148	57	7	2	221
6	5	1	53	84	36	3	182
7	1	0	14	33	28	5	81
8	0	0	0	4	7	0	11
All	6	8	226	186	78	10	514

Number of correct predictions: 260

Accuracy: 0.5058365758754864

# RandomForestClassifier()

Original Data

Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	3	2	0	0	5
4	0	0	12	2	0	0	14
5	0	0	169	50	2	0	221
6	0	0	48	119	15	0	182
7	0	0	13	50	18	0	81
8	0	0	0	8	3	0	11
All	0	0	245	231	38	0	514

Number of correct predictions: 306

Accuracy: 0.5953307392996109

#### RandomForestClassifier()

Bal	on	~~4	D	+-
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Predicted	3	4	5	6	7	8	All
Actual							
3	0	0	4	1	0	0	5
4	0	0	11	2	1	0	14
5	1	17	148	46	7	2	221
6	4	6	45	83	38	6	182
7	1	0	12	30	33	5	81
8	0	0	0	4	5	2	11
A11	6	23	220	166	84	15	514

Number of correct predictions: 266

Accuracy: 0.5175097276264592

#### Notes:

We see the following with both the regression and classification approach: Certain models trained on the balanced data doesn't perform anywhere near as well as the impressive looking cross-validation results predicted (which were based of course on the oversampled outcome data insetad of the real validation data). We can see from the confusion matrices that these models struggeled with classes 3,4 and 8. These were the classes with very little data to start with (12, 55 and 39 observations respectively compared to between 333 and 830 in the other classes). We conclude that these models (KNN, CART, LGBM, RF, XGB) do well with balanced data, but our SMOTE oversampling didn't work with based on the small amount of data available.

The performance between the best regression models (Linear Regression, Ridge Regression, SVM and LGBM) and classification models (LDA, RF, LGBM) were comparable. Note of these models were tuned so this performance is only indicative as a spot check, which helps us determine where to focus our efforts going forward.