# P1: Vector and ArrayDeque

本題須使用 Vector 以及 ArrayDeque, 有關其用法請自行查詢 Java API Library。

\*\*\*\*\*本題須依照題目題意作答,不然不予以給分\*\*\*\*\*

### **Problem**

題目內容為給你一組數字,以 Vector<Integer> vector 儲存,先升序 sort 之後,依序以特定方式儲存到 ArrayDeque<Integer> array,方式為假設 vector 的數字為偶數,則加到 array 的尾端,假設 vector 的數字為奇數,則加到 array 的前端,且在每組測資結束後以 removeFirst()的方式清空 ArrayDeque。

### Input

輸入有多筆測資,每行代表一組測資,每組測資會輸入一段數字(數字的大小為>0, <2,147,483,647),數字的數目不一定,輸入 0 為一組測資的結束。

### **Output**

依照 ArrayDeque array 儲存的順序依序輸出,輸出的值之間請以一個空格分開。

### Sample Input

10 1 4 8 5 2 9 7 6 3 04	975312468104
100 200 300 25 69 85 71 63 22 62 585 25	585 85 85 71 69 63 63 25 25 15 15 1
63 15 15 36 14 36 85 92 62 22 2 1 04	2 14 22 22 36 36 62 62 92 100 200
	300₽

# **P2: The Complex Class**

#### **Problem**

A complex number is a number in the form a + bi, where a and b are real numbers and i is  $\sqrt{-1}$ . The numbers a and b are known as the real part and imaginary part of the complex number, respectively. You can perform addition, subtraction, multiplication, and division for complex numbers using the following formula:

$$a + bi + c + di = (a+c) + (b+d)i$$
  
 $a + bi - (c + di) = (a-c) + (b-d)i$   
 $(a + bi) *(c + di) = (ac-bd) + (bc+ad)i$   
 $(a + bi) /(c + di) = (ac+bd)/(c^2+d^2) + (bc-ad)i/(c^2+d^2)$ 

You can also obtain the absolute value for a complex number using the following formula:

$$|a+bi| = \sqrt{a^2 + b^2}$$

Design a class named **Complex** for representing complex numbers and the methods **add**, **subtract**, **multiply**, **divide**, and **abs** for performing complex number operations, and override **toString** method for returning a string representation for a complex number. The toString method returns (a + bi) as a string. If b is 0, it simply returns a. Your **Complex** class should also implement the **Cloneable** interface.

Provide two constructors **Complex()** and **Complex(a, b)**. **Complex()** creates a Complex object for number **0** and **Complex(a, b)** creates a Complex object with **a** + **bi**.

## Input

There are many input lines. Each line is a test case and it has four double values a, b, c, and d corresponding two complex numbers a + bi and c + di.

#### **Output**

For each input case, please reference the following sample output case. The output of each test case are separated new lines

# **Sample Input**

$$3.5 5.5 -3.5 1e^{4}$$

$$1 2 1 -2e^{4}$$

$$(3.5 + 5.5i) + (-3.5 + 1.0i) = 6.5ie^{4}$$

$$(3.5 + 5.5i) + (-3.5 + 1.0i) = 7.0 + 4.5ie^{4}$$

$$(3.5 + 5.5i) * (-3.5 + 1.0i) = -17.75 + -15.75ie^{4}$$

$$(3.5 + 5.5i) / (-3.5 + 1.0i) = -0.5094 + -1.7ie^{4}$$

$$[3.5 + 5.5i] = 6.519202405202649e^{4}$$

$$e^{4}$$

$$(1 + 2i) + (1 - 2i) = 2e^{4}$$

$$(1 + 2i) * (1 - 2i) = 4ie^{4}$$

$$(1 + 2i) * (1 - 2i) = 5e^{4}$$

$$(1 + 2i) * /(1 - 2i) = -0.6 + 0.8ie^{4}$$

$$[1 + 2i] = 2.2360679775499790$$

# P3: 座標點陣列排序

\*\*\*\*\* 未依照題目規定不予計分 \*\*\*\*\*

#### **Problem**

請定義一個整數座標點(Point)類別,此Point類別可實作Comparable介面,兩點P1與P2之比較原則如下:

- P1 < P2 if P1 到原點(0,0)的距離 (distance) < P2 到原點的距離
- 如 P1 與 P2 到原點的距離相等
  - ◆ P1 < P2 if P1 之 X 座標 < P2 之 X 座標
- ◆ 如 P1 與 P2 之 X 座標相等, P1 < P2 if P1 之 Y 座標 < P2 之 Y 座標 Hint: 如 Point 無實作 Comparable 介面,可實作 Comparator 物件,排序時可以使用。

#### Input

本題會有多筆測資,每筆測資先輸入數字 N,代表有 N 個座標點,接著輸入 N 行資料,每行有兩整數分別代表 X 座標與Y 座標。

### **Output**

輸出上述(x, y)由小到大的排序,以及 x+y 相加最大的值與點位 ex: max num: 19518 point(9829,9689),每組輸出以空白行隔開。(詳細請見 Sample Output)

### **Sample Input**

3€	(1,3)4
1 3⁴	(2,6)4
624	(6,2)↔
2 64	
6 <del>4</del>	max num: 8₄
5 64 1 24	point: (6,2)↵
434	₽
2 3 <sup>4</sup> 6 5 <sup>4</sup>	(1,2)4
	(2,3)4
3 44	(3,4)₽
	(4,3)₽
	(5,6)₽
	(6,5)₽
	max num: 114
	point: (6,5)←

# P4: 四則運算式

### **Problem**

要求你輸入一個運算式字串 S,請先將字串 S 分割成多個 tokens,先將所有運算元 (operand) tokes 依序輸出,再輸出運算符號(operator) token,最後輸出計算結果,運算符號  $f+\cdot\cdot\cdot*$  Z/。

## Input

本題輸入有多筆測資,每筆測資會輸入一個運算式字串,token之間以空白字元分開,每個運算式會有3個運算元及2個運算符號。

## **Output**

先輸出運算式中之運算元 (operand) token,再輸出運算符號(operator) token,輸出 token 之間以空白字元分開,最後輸出計算結果,小數點以下印兩位,正數請印出正號(+)。每筆測資輸出間,以空白行分開。

### Sample Input

3+2/8	3 2 8 + /
2 * 5 + 20	+3.25
2 - 20 / 5	
	2 5 20 * +
	+30.00
	2 20 5 - /
	-2.00

# **P5:** Bin Packing Using First Fit

#### **Problem**

The bin packing problem is to pack the objects of various weights into containers. Assume each container can hold a maximum of  $\mathbf{n}$  pounds. The program uses an algorithm that places an object into first bin in which it would fit. Your program should prompt the user to enter the number  $\mathbf{n}$ , the number of objects  $\mathbf{m}$ , and the weight of each object. The program display the total number of containers needed to pack the objects and the contents of each container. Here is a sample output of a test case inputting  $\mathbf{n} = 10$ ,  $\mathbf{m} = 6$ , and the weights of all objects 7 5 2 3 5 8. The output is shown below:

4

Container 1 contains objects with weight 7 2

Container 2 contains objects with weight 5 3

Container 3 contains objects with weight 5

Container 4 contains objects with weight 8

### Input

Each test case has two input lines. The first line contains two integer n and m. The second line contains the weights of all objects. There are many test cases.

## **Output**

For each test cases, the first line outputs the number (k) of bins needed to pack all objects followed by k lines of output in which each line displays the content of each container. There is a new line between two test cases.

## Sample Input Sample Output

	<u>*</u> *
10 6↩	44
7 5 2 3 5 84	Container 1 contains objects with weight 7 24
12 10↵	Container 2 contains objects with weight 5 34
587106953214	Container 3 contains objects with weight 54
	Container 4 contains objects with weight 84
	4
	54
	Container 1 contains objects with weight 5 74
	Container 2 contains objects with weight 8 3 14
	Container 3 contains objects with weight 10 24
	Container 4 contains objects with weight 6 54
	Container 5 contains objects with weight 94