罗第是:
1. A discrete-time system with system function
1. A discrete-time system with system function (20%)H(z)= h(0]+h(1]Z-+h(2)Z-++h(12]Z-12
(30%)H(z)= h(o]+h(i]z+h(2]z²++h(i2]z-i2 sketch the block chiagram for (a) symmetric coefficients (b) antisymmetric coefficients (Type I) A discrete-time system with system function (Type II).
H(Z)=hloj+hlijZ+h(2]Z=++h(13]Z=11
sketch the block diagram force) symmetric crefficients (d) antisymmetric coefficients.
(Type IV)

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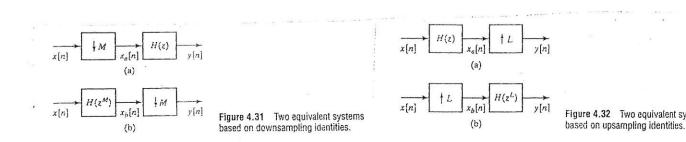
Z. For the decimation system (M=4).

(16%)

TH(2) TIM H(2): ho.hi. hz. --. hig. hzo
sketch che block diagram for the implementation after applying the identity in
Fig. 4.31 or Fig. 4.32. (in detail, delay oriented)

3. For the interpolation system (L=3),

(b/6) - [H(z)] H(z): ho, h, h_2, --. h, q, h_20



4. Describe the algorithm for the design of IIR allpass filters:

(15%) $H(Z) = \frac{\sum_{n=0}^{\infty} a(N-n)Z^{-n}}{\sum_{n=0}^{\infty} a(n)Z^{-n}}$

 $(5\%) \xrightarrow{h_0[n]} \downarrow_2 \xrightarrow{v_0[n]} \downarrow_2 \xrightarrow{y_0[n]} \downarrow_{y_0[n]} \downarrow_{y_0[n]}$

(2%)

(2%)

(C) This condition is called the *alias cancellation condition*. One set of conditions that satisfy

(3%)
$$\iff H_1(e^{j\omega}) = H_0(e^{j(\omega - \pi)}) \tag{4.113a}$$

$$(2) \iff G_0(e^{j\omega}) = 2H_0(e^{j\omega})$$

$$(4.113b) \qquad (2)$$

$$\iff G_1(e^{j\omega}) = -2H_0(e^{j(\omega-\pi)}).$$

$$(4.113c)$$

The filters $h_0[n]$ and $h_1[n]$ are termed quadrature mirror filters since Eq. (4.113a) imposes mirror symmetry about $\omega = \pi/2$. Substituting these relations into Eq. (4.111a) leads to the relation

$$Y(e^{j\omega}) = \left[H_0^2(e^{j\omega}) - H_0^2(e^{j(\omega - \pi)})\right] X(e^{j\omega}), \tag{4.114}$$

from which it follows that perfect reconstruction (with possible delay of M samples) requires

$$(C4) \tag{4.115}$$

8. Describe and derive the decimation-in-frequency FFT algorithm, (15%)