

Lecture 08:

**Review for Final Exam** 

## Final Exam

- Closed-book Exam
- Choice Question
- Questions:
  - Write down the answers

#### Content

- Lecture 1 Introduction
- Lecture 2 Entity-Relation diagram
- Lecture 3 Relational Model
- Lecture 4 Relational Algebra
- Lecture 5 SQL
- Lecture 6 Functional Dependencies and Normalization
- Lecture 7 Transaction

### Lecture 1 – Introduction

- What is a Database?
- What is a DBMS?
- Data models, data abstraction
- People who Deal With Databases

### What is a Database?

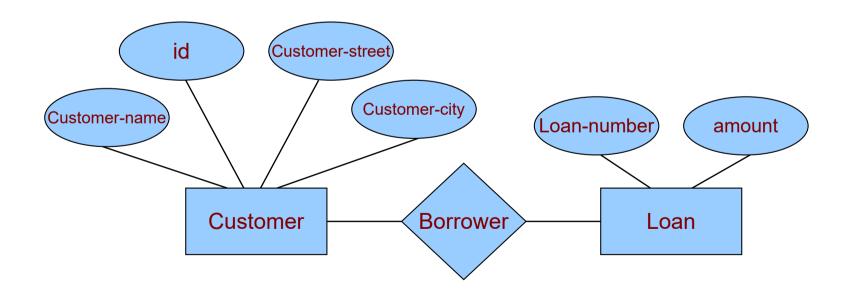
- A collection of data, typically describing the activities of one or more related organizations.
- Models real-world enterprise
  - Entities
    - e.g. students, professors, courses, classrooms
  - Relationships between entities
    - e.g. student's enrollment in courses, professor teaching courses, and use of room for courses.

### What is a DBMS?

- DBMS Database Management System
- A DBMS is a collection of software programs to enable users to create, maintain and utilize a database.

#### **Data Models**

- A data model is a collection of tools or concepts for describing data,
   the meaning of data, data relationships and data constraints.
  - Entity-Relationship Model (ER Model)



#### **Data Models**

#### Relational Model

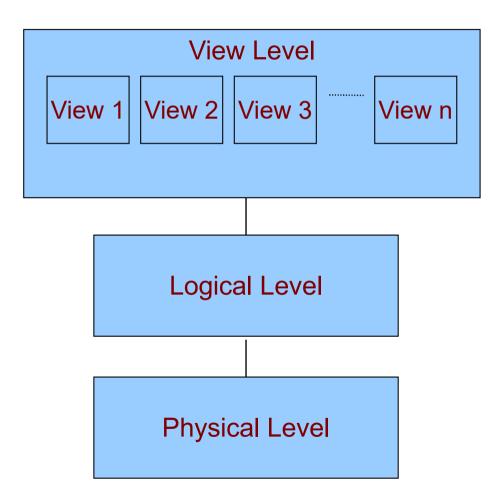
Customer-Name	ID	customer-street	customer-city

- Main concept: relation, basically a table with rows and columns. A column is also called a field or attribute
- Other models such as the Network Model, Hierarchical Model,
   Objected-relational Model

We will focus on the dominant *Relational model*.

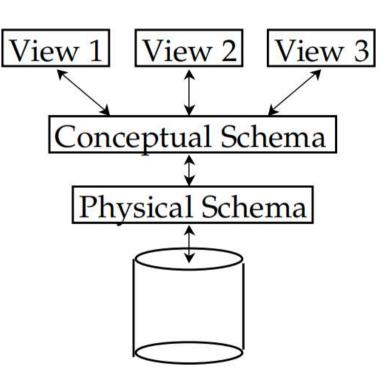
A description of data in terms of a data model is called a schema.

### **Data Abstraction**



#### Levels of Abstraction

- Many views, single conceptual (logical) schema and physical schema.
  - Views (External schema)
     describe how users see the
     data.
  - Conceptual schema defines logical structure
  - Physical schema describes the files and indexes used.



## People who Deal With Databases

- Database Administrator (DBA): Person(s) who has central control over the database and is responsible for the following tasks:
  - Schema definition/modification
  - Storage structure definition/modification
  - Authorization of data access
  - Integrity constraint specification
  - Monitoring performance
  - Responding to changes in requirements

## People who Deal With Databases

#### Application Programmers

- Embed DML calls in program written in a host language (e.g.,
   Cobol, C, Java). (DML stands for data manipulation language)
- e.g., programs that generates payroll checks, transfer funds between accounts

#### Sophisticated Users

Form request in database query language

#### Naive users

- Invokes one of the permanent application programs that have been written previously
- e.g. transfer transfer fund between accounts

## Lecture 2 – Entity-Relation diagram

#### Database Design

- 1. Requirement analysis
- Conceptual database design ER
- 3. Logical database design relational schema
- 4. Schema refinement
- 5. Physical database design
- 6. Application and security design

## Lecture 2 – Entity-Relation diagram

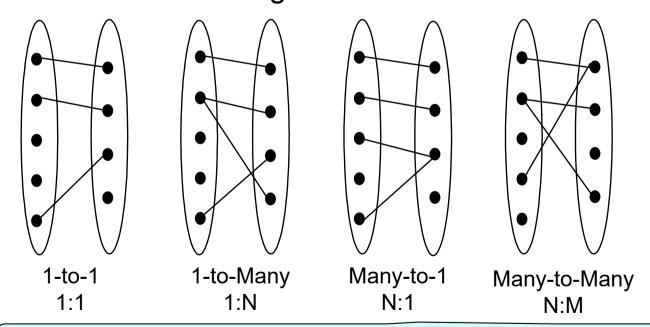
- Entity-Relationship (ER) model is a popular conceptual data model.
- This model is used in the design of database applications.
- E-R model views the real world as a collection of entities and relationships among entities.
- Elements of ER model
  - Entities, Entity Sets, Attributes
  - Relationships (!= relations!)

## Summary: Key

- Super Key: A key that can be uniquely used to identify an entity, that may contain extra attributes that are not necessary to uniquely identify entities.
- Candidate Key: A candidate key can be uniquely used to identify an entity without any extraneous data. It is a minimal super-key. Often abbreviate the Candidate Key to just Key.
- Primary Key: It is one of the candidate keys.

### Constraints

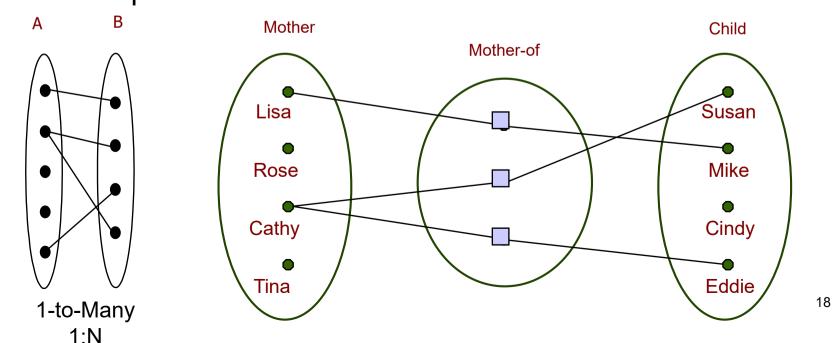
- The model describes data to be stored and the constraints over the data
- The type of association of a binary relationship can be classified into the following cases:



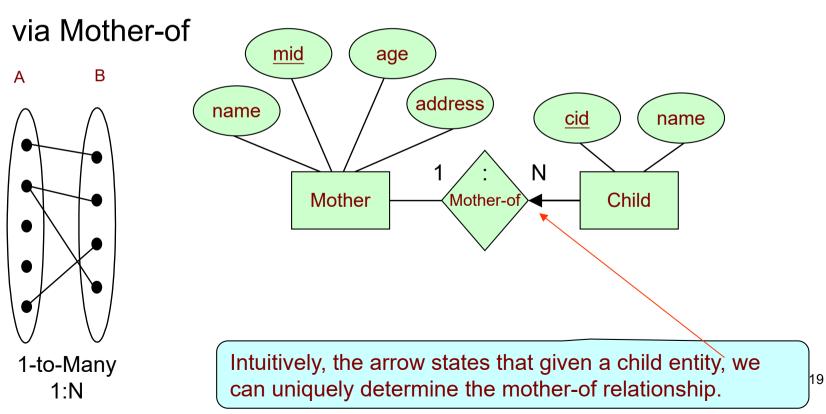
The preceding discussion identified each relationship in both directions; that is, relationship are *bidirectional*.

## One-to-many relationship

- An entity in A is associated with any number (zero or more) of entities in B. An entity in B, however, can be associated with at most one entity in A.
- Example: each child can appear in at most one mother-child relationship.

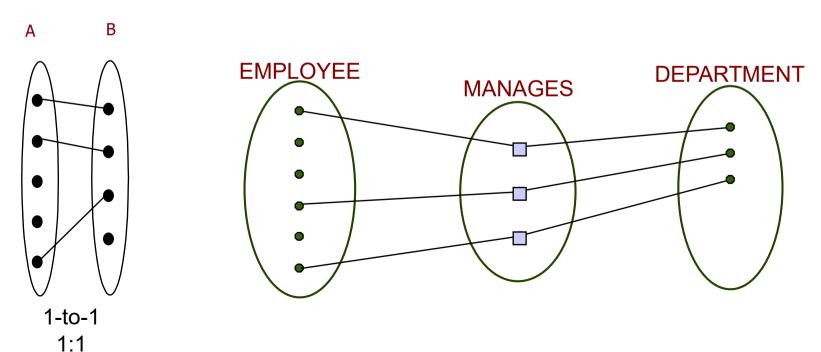


- Child has a key constraint in the mother-of relationship set.
- This restriction can be indicated by an arrow in the E-R diagram.
  - A Child is associated with at most one Mother via Mother-of
  - A Mother is associated with <u>several</u> (including 0) Children

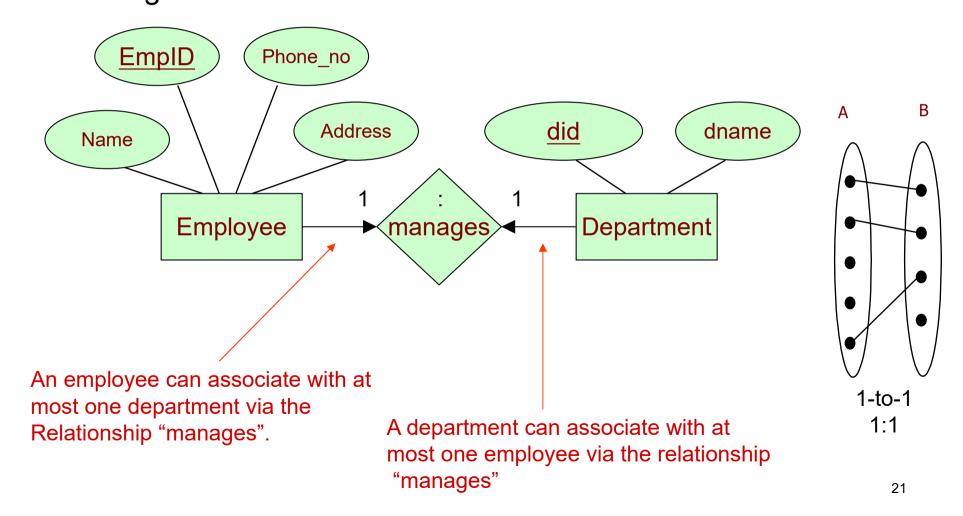


## One-to-one relationship

- If the relationship between A and B satisfies the one-to-one mapping constraint from A to B, then
- An entity in A is related to at most one entity in B, and
- An entity in B is related to at most one entity in A.

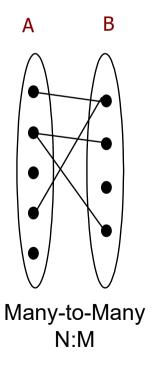


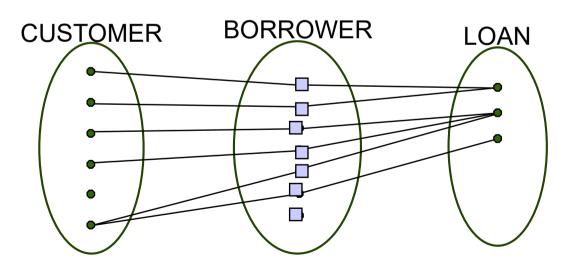
- A Employee is associated with at most one Department via the relationship manages
- A Department is associated with at most one Employee via manages



## Many-to-many Relationship

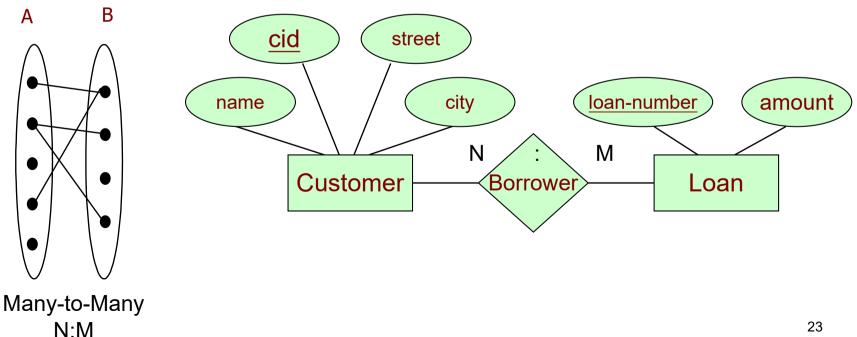
- An entity in A is associated with any number of entities in B
- An entity in B is associated with any number of entities in A
- In fact, there is no restriction in the mapping.





## Many-to-many Relationship

- A customer can associate with several loans (possibly 0) via Borrower
- A loan can associate with several customers (possibly 0) via Borrower



## **Participation Constraint**

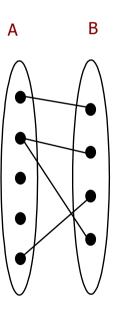
We can classify participation in relationships as follows.

#### Total

 Each entity in the entity set must be associated in at least one relationship

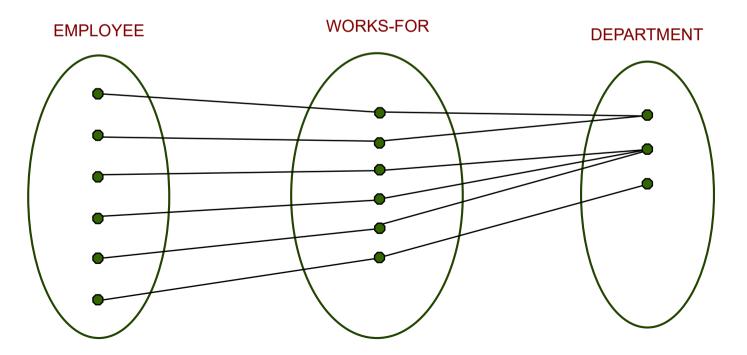
#### Partial

 Each entity in the entity set may (or may not) be associated in a relationship



## **Participation Constraint**

- For example
  - Every employee must work for some department.
  - The participation of EMPLOYEE in WORKS-FOR is total participation



## Lecture 2 – Entity-Relation diagram

- Rectangle entity set
- Ellipse attribute
- Diamond relationship set
- Double ellipse multi-valued attribute
- Dashed ellipse derived attribute
- Thick line total participation
- Arrow key constraint

## Steps when you draw an ER diagram

- 1. Look at the question description carefully
- 2. Identify the entities (including all the attributes)
  - How to represent a key in an ER diagram?
- 3. Identify the relationships between entities
- 4. The participation constraint and the key constraint
  - Total participation or partial participation?
  - One to one, one to many or many to many?

## Exercise 1

- A university registrar's office maintains data about the following entities:
  - a) course, including number, title, credits, syllabus, and prerequisites;
  - **b) course offering**, including course number, year, semester, section number, instructor(s), timings, and classroom; (course offering depends on the course that university provided)
  - c) student, including student-id, name, and program;
  - **d) instructor**, including identification number, name, department, and title.
  - Further, the enrollment of students in courses and grades awarded to students in each course they are enrolled for must be appropriately modeled.
- Construct an E-R diagram for the registrar's office.
   Document all assumptions that you make about the cardinality constraints and participation constraints.

## Lecture 3 – Relational Model

- Concepts:
  - Relation
  - Attribute
  - Tuple
  - Attribute value
  - Domain

#### **Relation Name/Table Name** Attributes/Columns (collectively as a schema) **STUDEN** Age GPA Student-id Name Chan Kin Ho 23 99223367 11.19 Lam Wai Kin 96882145 17 10.89 Man Ko Yee 96452165 22 8.75 10.98 Lee Chin Cheung 96154292 16 Alvin Lam 96520934 15 9.65

### Schema

The relation schema is

Student(Name, Student-id, Age, GPA)

OR



The primary key is underlined in the above

## Schema Definition in SQL

The relation schema is

Customer(customer-name, customer-street, customer-city)

or

Customer

<u>customer-name</u>

customer-street

customer-city

The primary key is underlined in the above

```
CREATE TABLE Customer

(
    customer-name CHAR(20) NOT NULL,
    customer-street CHAR(30),
    customer-city CHAR(30),
    PRIMARY KEY (customer-name)
)
```

## Schema Definition in SQL

To remove a relation from an SQL database, we use the drop table command:

#### drop table r

- We use the alter table command to add or delete attributes to an existing relation
- All records in the relation are assigned null for a new attribute.

alter table customer add phone char(10)

alter table customer drop phone

# Summary

• The mapping relations of relation data model

Informal Terms	Formal Terms	
Table	Relation	
Column	Attribute	
All possible Column Values	Domain	
Row	Tuple	
Table Cell Value	Attribute Value	

## Relational Integrity Constraints (IC)

- Constraints are conditions that must hold on all valid relation states.
- There are some main types of constraints in the relational model:
  - Domain constraint
    - Every value in a tuple must be from the domain of its attribute
       (or it could be NULL, if allowed for that attribute)
  - Key constraints
  - Entity integrity constraints
  - Referential integrity constraints
    - A **foreign key** is a set of attributes in one relation *R1* that is used to refer to a tuple in another relation *R2*
- ICs are specified when the schema is defined
- ICs are checked when relations are modified

## Populated Database State

- Basic operations for changing the database:
  - INSERT a new tuple in a relation
  - DELETE an existing tuple from a relation
  - MODIFY an attribute of an existing tuple

### Possible Violations for INSERT

- Domain constraint:
  - if one of the attribute values provided for the new tuple is not of the specified attribute domain
- Key constraint:
  - if the value of a key attribute in the new tuple already exists in another tuple in the relation
- Referential integrity:
  - if a foreign key value in the new tuple references a primary key value that does not exist in the referenced relation
- Entity integrity:
  - if the primary key value is null in the new tuple

### Possible Violations for DELETE

- Referential constraints
  - If the primary key value of the tuple being deleted is referenced from other tuples in the database
- Options of remedies:
  - RESTRICT: reject the deletion
  - CASCADE: delete the record in the referencing table
  - SET NULL: set the foreign keys of the referencing tuples to NULL
  - SET DEFAULT: set the foreign keys of the referencing tuples to default value

### Possible Violations for UPDATE

- Constraint violations depending on the attribute being updated:
  - Updating the primary key (PK):
    - Similar to a DELETE followed by an INSERT
    - Need to specify similar options to DELETE
  - Updating a foreign key (FK):
    - May violate referential integrity
  - Updating an ordinary attribute (neither PK nor FK):
    - Can only violate domain and business rules constraints

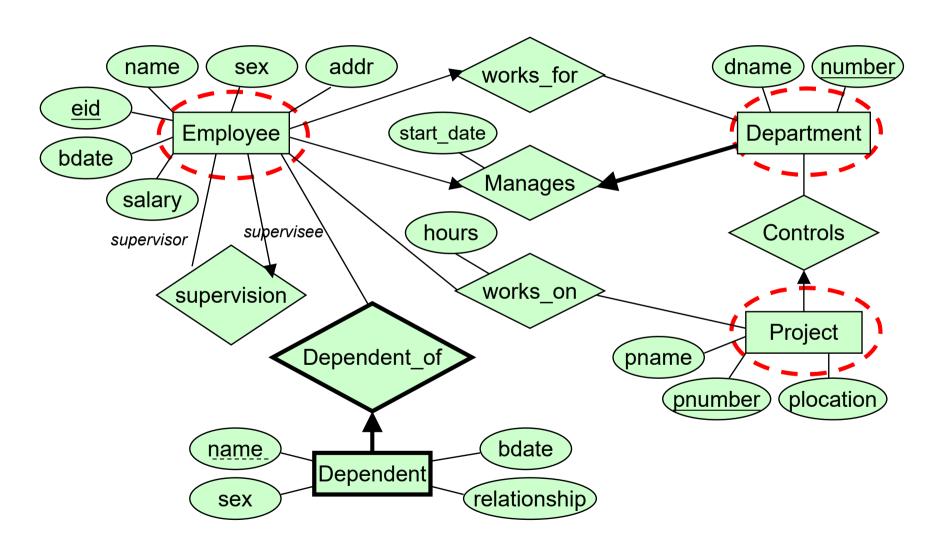
#### ER to Relational Model

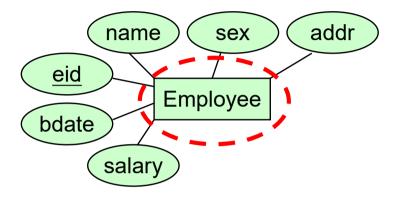
- 1. Convert entities first
  - From Strong Entity to Weak Entity
- 2. Convert relationships
  - 1-to-1,
  - 1-to-many (many-to-1)
  - many-to-many
  - From binary relation to non-binary relation

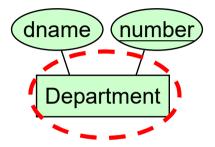
## Steps

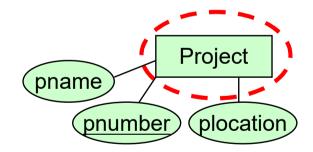
- Step 1 (Strong Entity Set)
- Step 2 (Weak Entity Set)
- Step 3 (1-to-1 Relationship)
- Step 4 (1-to-many Relationship)
- Step 5 (Many-to-many Relationship)
- Step 6 (Non-binary Relationship)

# Step 1



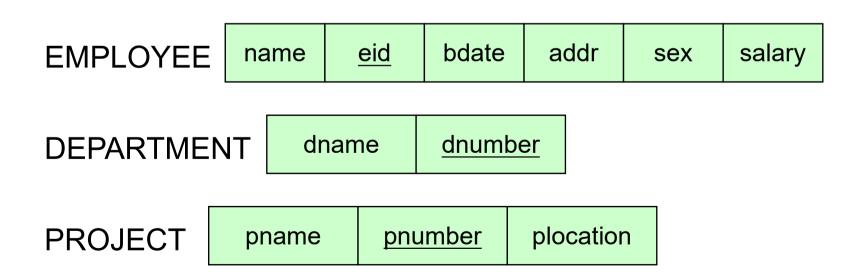






# Step 1 (Strong Entity)

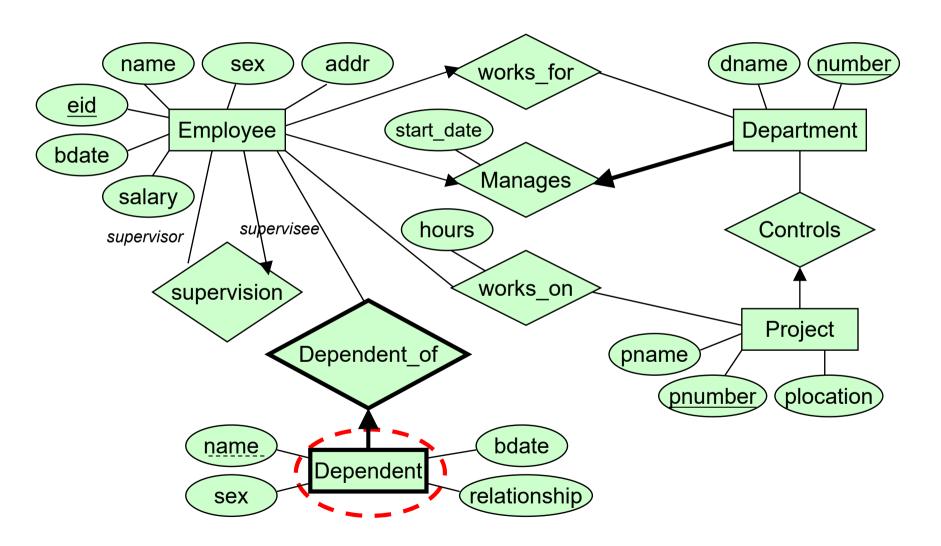
- Example
- We create the relation schemas EMPLOYEE,
   DEPARTMENT and PROJECT.

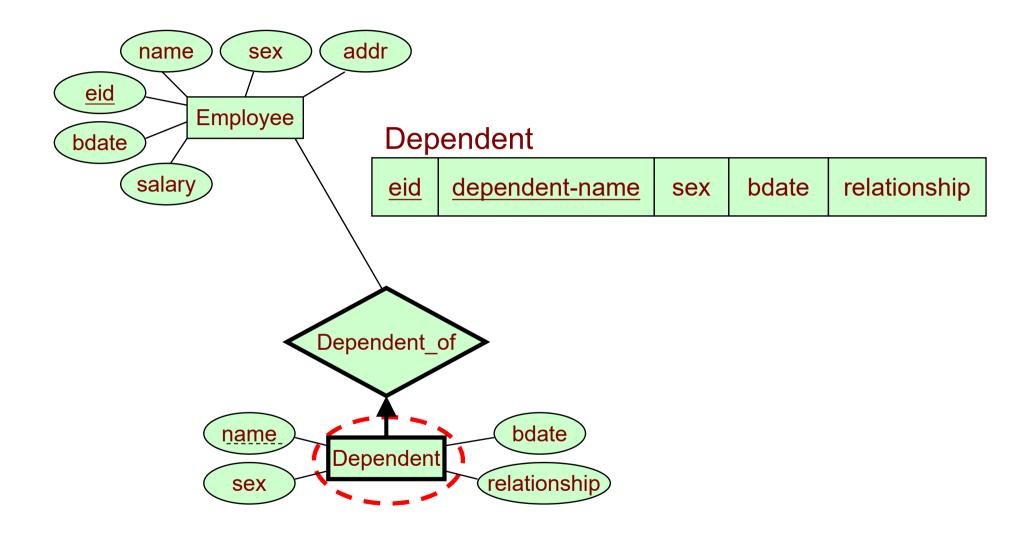


## Step 2 (Weak Entity)

- For each weak entity set W in the ER model,
  - Create a relation schema R, and include all attributes
  - In addition, include the primary key(s) of the owner(s)
  - The primary key of R is the combination of the primary key(s) of the owner(s) and the partial key of the weak entity set W

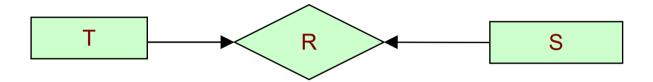
# Step 2 (Weak Entity)





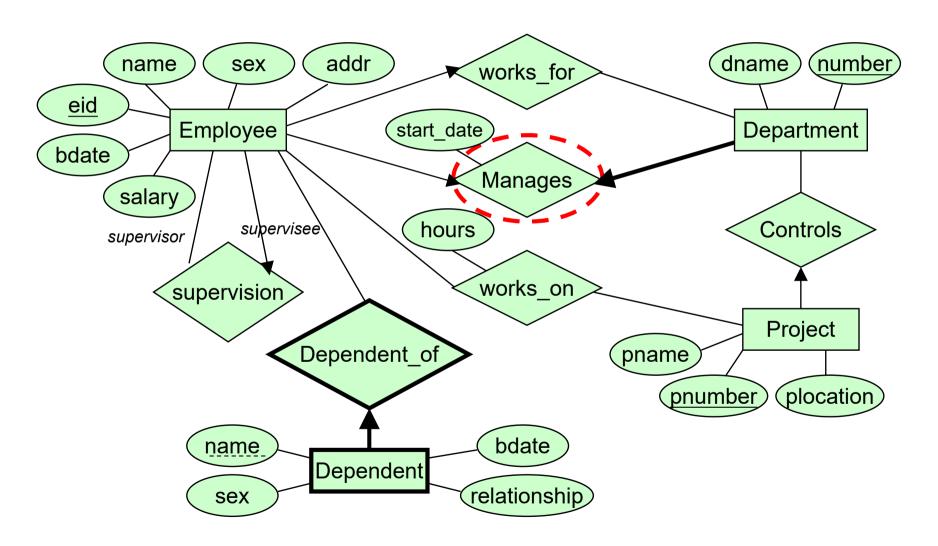
# Step 3 (1-to-1 Relationship)

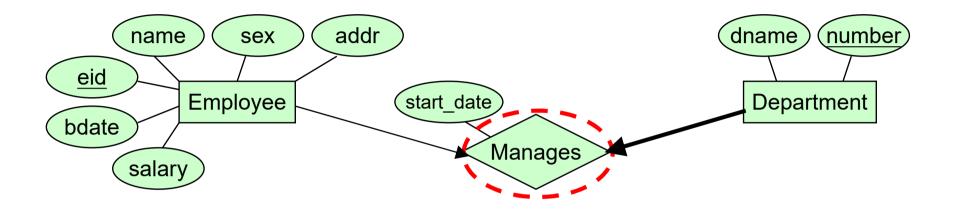
For each binary one-to-one (1:1) relationship set R



- Choose one of the 2 relation schemas, say S,
  - get primary key of T,
  - include it as foreign keys in S
  - Include the attributes of the relationship set R as attributes of S
- Better if S has total participation in R

# Step 3 (1-to-1 Relationship)



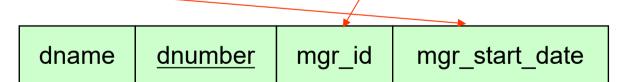


Choose the one with total participation

We include the primary key of EMPLOYEE as foreign key in DEPARTMENT and rename it mgr\_id.

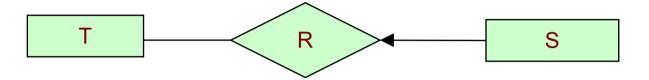
We include the attribute startdate of MANAGES and rename it mgr start date.

**DEPARTMENT** 



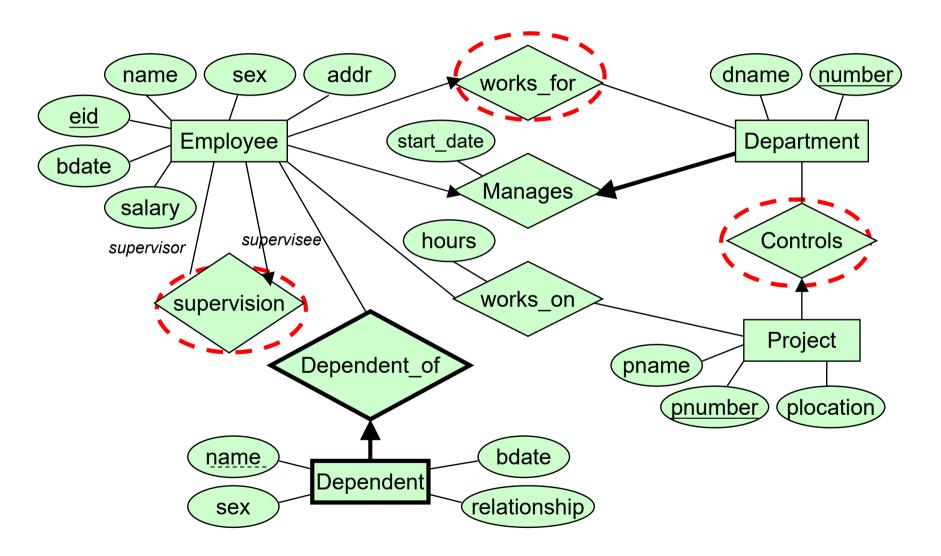
# Step 4 (1-to-many Relationship)

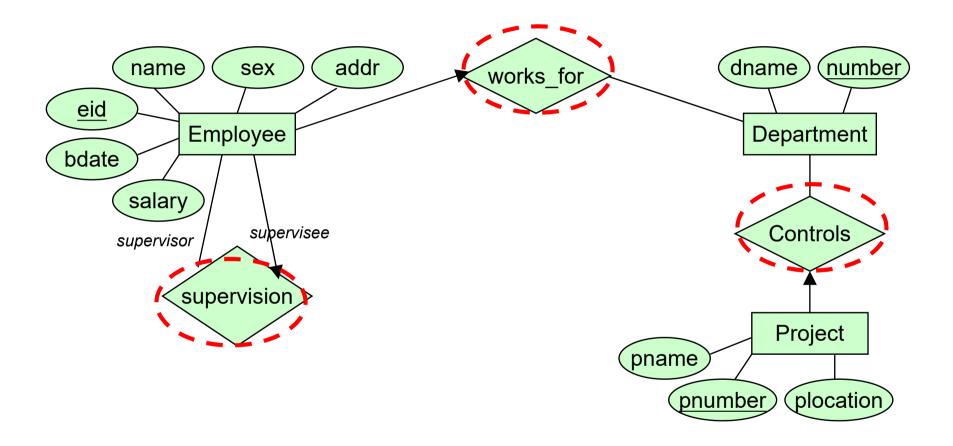
For each binary one-to-many relationship set



- Include as foreign key in S the primary key that represents the other entity set T participating in R
- Include any attributes of the one-to-many relationship set as attributes of S
- In other words, we always choose the many side as S

# Step 4 (1-to-many Relationship)



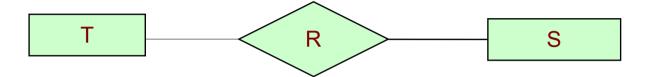


- The primary key dnumber of the DEPARTMENT relation schema is included as foreign key in the EMPLOYEE relation schema.
- We rename it as dno. (The renaming is not necessary but makes the name more meaningful.)

EMPLOYEE name	eid	bdate	addr	sex	salary	dno
---------------	-----	-------	------	-----	--------	-----

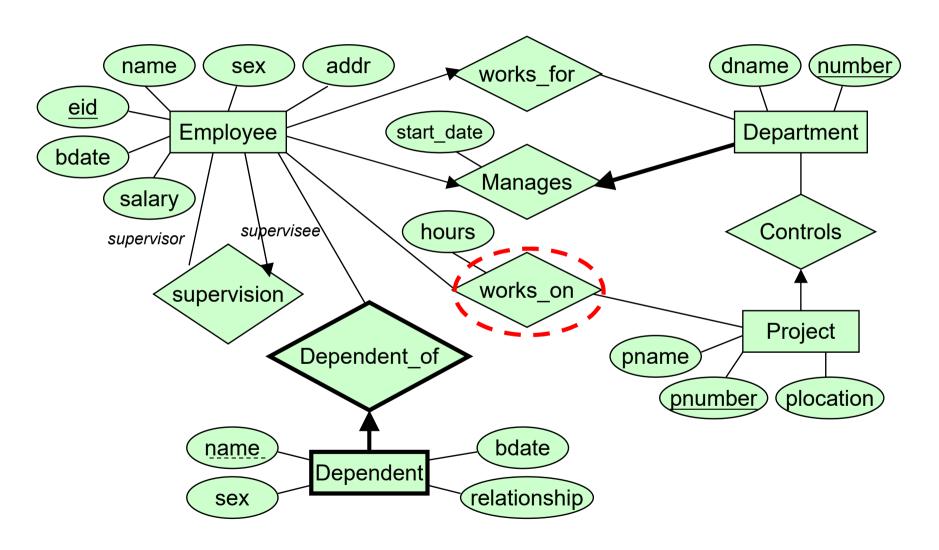
# Step 5 (Many-to-many Relationship)

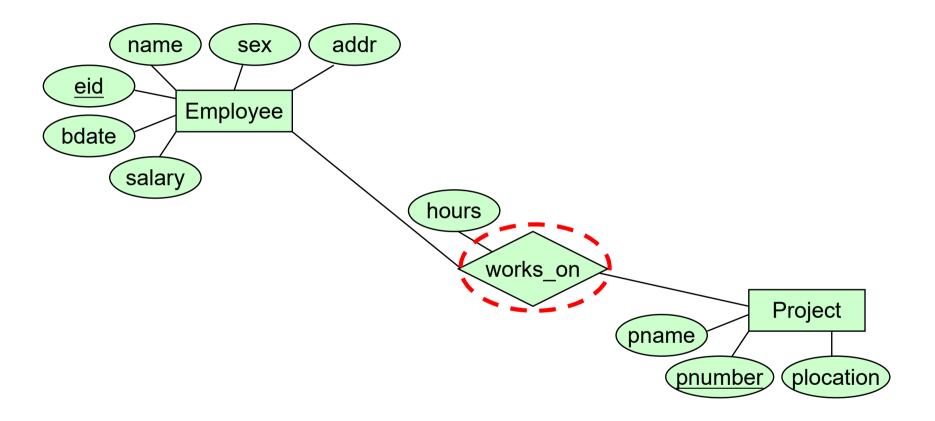
For each binary many-to-many relationship set R



- Create a new relation schema P to represent R
- Include as foreign key attributes in P the primary keys of the relation schemas for the participating entity sets in R
- Their combination will form the primary key of P
- Also include attributes of the many-to-many relationship set as attributes of P

# Step 5 (Many-to-Many Relationship)



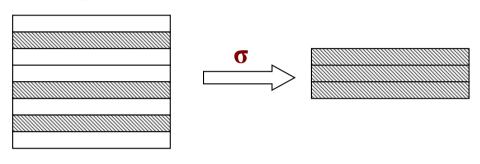


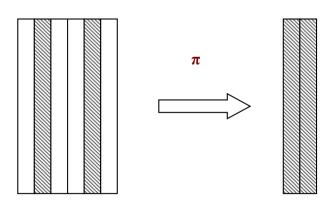
create a new relation schema S to represent R.

- Map the many-to-many relationship sets
- WORKS\_ON by creating the relation schema WORKS\_ON.
- Include the primary keys of PROJECT and EMPLOYEE as foreign keys.

## Lecture 4 – Relational Algebra

- Basic operators in relation algebra:
  - select (σ)
  - project ( Π )
  - union (U)
  - set different ( )
  - Cartesian product (x)
  - rename (ρ)
  - Intersect(∩)
- Combinatory operators
  - Join ( )
  - Division (/)





 PROJECT creates a vertical partitioning

## Lecture 5 – SQL

- Introduction
- Basic SQL
- Union, Intersect, and Except
- Nested SQL
- Division
- Aggregate Operators
- Group by and Having

#### Introduction

- The SQL (Structured Query Language) language has several aspects to it
  - The Data Manipulation Language (DML)
    - The subset of SQL that allows users to pose queries and to insert, delete, and modify rows.
  - The Data Definition Language (DDL)
    - The subset of SQL that supports the creation, deletion, and modification to definitions for tables and views.
  - The Data Control Language (DCL)
    - The subset of SQL that are used for access control and permission management for users in the database. DCL commands are GRANT and REVOKE.

## **SQL** Queries

 A query in SQL can consist of up to six clauses, but only the first two, SELECT and FROM, are mandatory. The clauses are specified in the following order:

**SELECT** <attribute list>

FROM

[WHERE <condition>]

[GROUP BY <grouping attribute(s)>]

[HAVING <group condition>]

[ORDER BY <attribute list>]

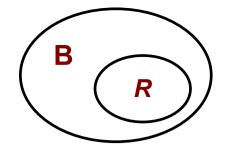
## Union, Intersect, and Except

- SQL provides three set-manipulation constructs that extend the basic query form presented earlier.
  - Union (∪)
  - Intersection (∩)
  - Except (–)
- Many systems recognize the keyword MINUS for EXCEPT
- By default, duplicates are eliminated
- Sets must be union-compatible

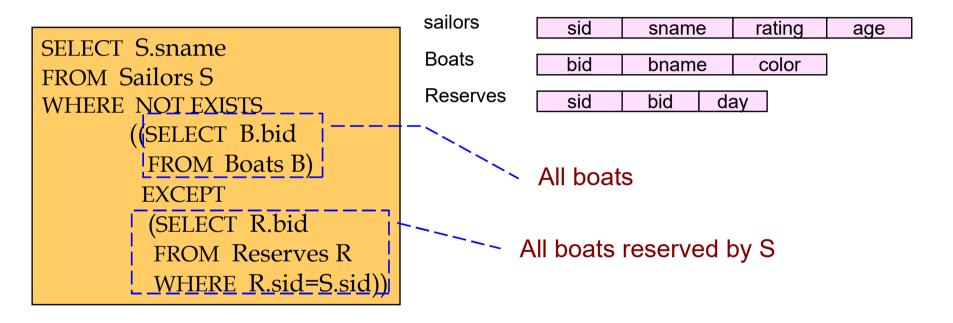
## **Nested Queries**

- A nested query is a query that has another query embedded within it.
- The embedded query is called a subquery.
- The embedded query can be a nested query itself.
  - Queries may have very deeply nested structures.

## Division in SQL



Find sailors who've reserved all boats. NOT EXISTS (B-R)



Note that this query is correlated – for each sailor S, we check to see that the set of boats reserved by S includes every boat.

Logic: there does not exist any boat that is not reserved by S

## An Example

#### **Sailors**

<u>sid</u>	sname	rating	age
s01	Tom	10.2	26
s02	James	20.3	38

#### Reserves

<u>sid</u>	<u>bid</u>	<u>day</u>
s01	b01	2003
s01	b02	2004
s02	b01	2002
s02	b02	2003
s02	b03	2004

#### **Boats**

bid	bname	color
b01	Dragon	red
b02	Ocean	blue
b03	Roto	green

```
SELECT S.sname
FROM Sailors S
WHERE NOT EXISTS

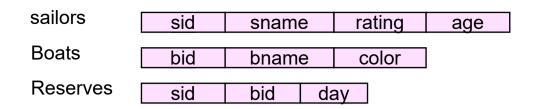
(SELECT B.bid
FROM Boats B)

EXCEPT
(SELECT R.bid
FROM Reserves R
WHERE R.sid=S.sid))
```

All boats {b01, b02, b03}

When sid=s01, then all the boats reserved by s01: {b01, b02}

When sid=s02, then all the boats reserved by s01: {b01, b02, b03},



# An Alternative way to write the previous query without using EXCEPT

```
SELECT S.sname
FROM Sailors S
WHERE NOT EXISTS (SELECT B.bid
FROM Boats B
WHERE NOT EXISTS (SELECT R.bid
FROM Reserves R
WHERE R.bid=B.bid
AND R.sid=S.sid))
```

Intuitively, for each sailor we check that there is no boat that has not been reserved by this sailor.

## **Aggregate Operators**

- SQL allows the use of arithmetic expressions.
- SQL supports five aggregate operations, which can be applied on any column of a relation.

COUNT([DISTINCT] A)	The number of (unique) values in the A column.
SUM ( [DISTINCT] A)	The sum of all (unique) values in the A column.
AVG ([DISTINCT A)	The average of all (unique) values in the A column.
MAX (A)	The maximum value in the A column.
MIN (A)	The minimum value in the A column.

## Views in SQL

- A view is a "virtual" table that is derived from other tables
- Allows for limited update operations
- Since the table may not physically be stored
- Allows full query operations
- A convenience for expressing certain operations
- Provide a mechanism to hide certain data from the view of certain users

#### **Views**

List (sid, bid) for sailors and boats they have reserved.

**CREATE VIEW** SB (sid, bid)

AS SELECT S.sid, R.bid

FROM Reserves R NATURAL RIGHT OUTER JOIN Sailors S

sid	bid
22	101
31	NULL
58	103

View SB is a table which is **not** explicitly stored in the database.

A view can be used just like a base table.

### Lecture 6 – FDs and Normalization

- Functional Dependencies (FDs)
- Normal Forms Based on Keys
- Decomposition
- BCNF Decomposition Algorith

## **Functional Dependencies**

 A functional dependency (FD) is a kind of Integrity Constraint that generalizes the concept of a key

Let R be a relation schema and let  $X \subset R$  and  $Y \subset R$  be nonempty sets of attributes in R. An instance (relation) r of R satisfies the FD  $X \to Y$ . If the following holds for every pair of tuples  $t_1$  and  $t_2$  in r

If 
$$t_1.X = t_2.X$$
, then  $t_1.Y = t_2.Y$ 

The notation  $t_1.X$  refers to the projection of tuple  $t_1$  onto the attributes in X

 An FD X → Y essentially says that if two tuples agree on the values in attributes X, they must also agree on the values in attributes Y.

### Information Deduced from FDs

- $\alpha$  is a superkey for R iff  $\alpha \to R$ 
  - where R is taken as the schema for relation R
- $\alpha$  is a candidate key for R iff
  - $-\alpha \rightarrow R$ , and
  - for no  $\gamma$  that is a proper subset of  $\alpha$ ,  $\gamma \rightarrow R$

### Closure of a set of FDs

- The set of all FDs implied by a given set F of FDs is called the closure of F, denoted as F+
- Armstrong's Axioms, can be applied repeatedly to infer all FDs implied by a set of FDs

Suppose X,Y, and Z are sets of attributes over a relation.

#### Armstrong's Axioms

• Reflexivity: if  $Y \subset X$ , then  $X \to Y$ 

e.g., 
$$\{A, C\} \subseteq \{A, B, C\} \Rightarrow ABC \rightarrow AC$$

• Augmentation: if  $X \rightarrow Y$ , then  $XZ \rightarrow YZ$ 

e.g., 
$$A \rightarrow B \Rightarrow CA \rightarrow CB$$

• Transitivity: if  $X \to Y$  and  $Y \to Z$ , then  $X \to Z$ 

e.g., 
$$A \rightarrow BD$$
,  $BD \rightarrow C \Rightarrow A \rightarrow C$ 

### Additional Rules

 Sometimes, it is convenient to use some additional rules while reasoning about F<sup>+</sup>

Suppose X,Y, and Z are sets of attributes over a relation.

- Union: if  $X \to Y$  and  $X \to Z$ , then  $X \to YZ$
- Decomposition: if  $X \to YZ$ , then  $X \to Y$  and  $X \to Z$

 These additional rules are not essential in the sense that their soundness can be proved using Armstrong's Axioms

### Attribute Closure

- Computing the closure of a set of FDs can be expensive
- In many cases, we just want to check if a given FD
  - $X \rightarrow Y$  is in  $F^+$
  - X a set of attributes
  - *F* a set of functional dependencies
- Attribute Closure X⁺ with respect to F, is the set of attributes A such that X→ A can be infered using the Armstrong's Axioms.

**Given** a set of attributes A<sub>1</sub>, ..., A<sub>n</sub>

The **closure**,  $\{A_1, ..., A_n\}^+ = \{B \in Atts \mid A_1, ..., A_n \rightarrow B\}$ 

### Algorithm: Attribute Closure

α – a set of attributes  $\alpha^+$  – closure of  $\alpha$  under F Algorithm to compute  $\alpha^+$ : closure :=  $\alpha$ repeat until (there is no change) do for each  $\beta \rightarrow \gamma$  do if  $\beta \subseteq$  closure then closure := closure  $\cup \gamma$ end for

### Example: Attribute Closure

```
R = (A, B, C, G, H, I)
• F = \{A \rightarrow B, A \rightarrow C, CG \rightarrow H, CG \rightarrow I, B \rightarrow H\}
  To compute AG<sup>+</sup>:
                                                   Is AG a candidate key?
                                                   AG \rightarrow R
         closure = AG
                                   (A \rightarrow B) \mid G \rightarrow R?
         closure = ABG
        closure = ABCG (A \rightarrow C)
        closure = ABCGH (CG \rightarrow H)
         closure = ABCGHI (CG \rightarrow I)
```

To check if a given FD AG→ HI is in F+, Check if HI is in AG+

### **Normal Forms**

1st Normal Form	No repeating data groups
2 <sup>nd</sup> Normal Form	No partial key dependency
3 <sup>rd</sup> Normal Form	No transitive dependency
Boyce-Codd Normal Form	Reduce keys dependency
4 <sup>th</sup> Normal Form	No multi-valued dependency
5 <sup>th</sup> Normal Form	No join dependency

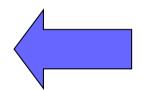
 $1NF \supset 2NF \supset 3NF \supset BCNF \supset 4NF \supset 5NF$ 

# Boyce-Codd Normal Form (BCNF)

- R a relation schema
- F a set of functional dependencies on R
- R is in BCNF if for any  $\alpha \rightarrow A$  in F
  - $\alpha \rightarrow A$  is trivial  $(A \in \alpha)$ , or
  - α is a key for R

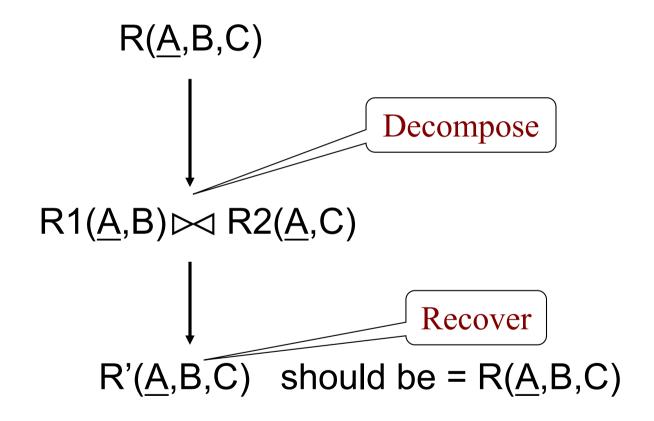
# Third Normal Form (3NF)

- R a relation schema
- F a set of functional dependencies on R
- A a single attribute in R
- R is in 3NF if for any  $\alpha \rightarrow A$  in F
  - $\alpha \rightarrow A$  is trivial  $(A \in \alpha)$ , or
  - α is a key for R, or
  - A is part of some key(s) for R
    - part of some key(s): AB is a key for R
      - then A is a part of the key
      - and B is also a part of the key
- R is in BCNF ⇒ R is in 3NF



### Lossless Join Decompositions

A decomposition is *lossless* if we can recover:



R' is in general larger than R. Must ensure R' = R

### Theorem: Lossless Join Decomposition

- R a relation schema
- F a set of functional dependencies on R
- { R<sub>1</sub>, R<sub>2</sub> } is a lossless-join decomposition of R

$$\Leftrightarrow$$
  $(R_1 \cap R_2) \rightarrow R_1 \in F^+ \text{ or } (R_1 \cap R_2) \rightarrow R_2 \in F^+$ 

$$\Leftrightarrow$$
  $(R_1 \cap R_2)$  is a *key* for  $R_1$  or  $R_2$ 

• (the attributes common to  $R_1$  and  $R_2$  must contain a key for either  $R_1$  or  $R_2$ )

### **Dependency Preservation**

- R a relation schema
- F a set of functional dependencies on R
- { R<sub>1</sub>, R<sub>2</sub> } is a decomposition of R
- F<sub>i</sub> a subset of F with only attributes in R<sub>i</sub>
   (i.e. the *projection* of F on R<sub>i</sub>)
- Dependency is *preserved* if  $(F_1 \cup F_2)^+ = F^+$

e.g.: 
$$R = (A, B, C), F = \{A \rightarrow B, B \rightarrow C\}$$
  
 $R_1 = (A, B) \text{ and } R_2 = (B, C)$   
 $F_1 = \{A \rightarrow B\} \text{ and } F_2 = \{B \rightarrow C\}$ 

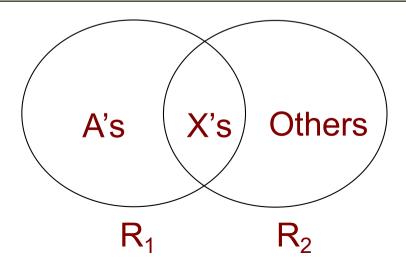
## Algorithm: BCNF Decomposition

Suppose R is not in BCNF, A is an attribute, and  $X \rightarrow A (X_1, ..., X_m)$ 

- $\rightarrow$  A<sub>1</sub>, ..., A<sub>n</sub>) is a FD that *violates* the BCNF condition.
- Remove A from R
- 2. Decompose R into XA and R-A

$$R_1(X_1, ..., X_m, A_1, ..., A_n)$$
 and  $R_2(X_1, ..., X_m, [others])$ 

3. Repeat this process until all the relations become BCNF



### **Exercise**

#### Given

$$R = (A, B, C, D, E)$$
  
 $F = \{A \rightarrow BC, CD \rightarrow E, B \rightarrow D, E \rightarrow A\}$ 

- (1) Compute A+ and B+
- (2) List all candidate keys of R
- (3) Is R in 3NF, why?
- (4) If R is not in BCNF, decompose it into BCNF.

### Lecture 7 – Transaction

- Transaction
- ACID Property
- Serial Schedule
- Conflict Serializability

#### **Transactions**

- A collection of several operations on the database appears to be a single unit from the point of view of the database user. Within the database system, however, it consists of several operations.
- Collections of operations that form a single logical unit of work are called *transactions*.

# **ACID** Property

#### Atomicity

In a transaction, either all operations are carried out or none are.

#### Consistency

 Regardless of other transactions, each transaction must preserve the consistency of the database

#### Isolation

 User can understand a transaction without considering the effect of other transactions

#### Durability

 The effect of transaction should persist forever whenever the transaction is completed/committed.

### Serial Schedules

- Serial schedule
  - A schedule which the operations belonging to one single transaction appear together
  - E.g. H<sub>1</sub> is a serial schedule

$$H_1: T_1T_2$$

H<sub>2</sub> and H<sub>3</sub> are not serial schedule

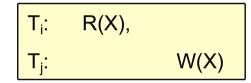
- Serializable schedules
  - Equivalent to some serial schedule
  - E.g. H<sub>1</sub> and H<sub>2</sub> are serializable schedules (to T<sub>1</sub>T<sub>2</sub>)
  - $H_3$  is a serializable schedule (to  $T_2T_1$ ).

H <sub>1</sub> :	T <sub>1</sub> :	R(A),	W(A),		
	T <sub>2</sub> :			W(B),	R(A)
H <sub>2</sub> :	T <sub>1</sub> :	R(A),		W(A),	
	T <sub>2</sub> :		W(B),		R(A)
H <sub>3</sub> :	T <sub>1</sub> :		R(A),		W(A)
	T <sub>2</sub> :	W(B),		R(A),	

## **Conflict Serializability**

- Two operations are conflict if
  - They are operations of different transactions on the same data object
  - 2. At least one of them is a Write operation
  - E.g.

$$T_i$$
: W(X),  $T_j$ : R(X)



$$T_i$$
:  $W(X)$ ,  $T_j$ :  $W(X)$ 

- Two operations are non-conflict
  - E.g.

$$T_i$$
:  $R(X)$ ,  $T_j$ :  $R(X)$ 

$$T_i$$
: W(X),  $T_j$ : R(Y)

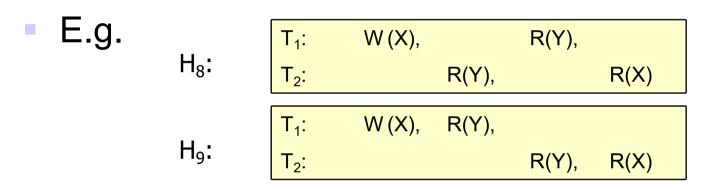
$$T_i$$
:  $R(X)$ ,  $T_j$ :  $W(Y)$ 

# Conflict Equivalent

- Two schedules S<sub>1</sub> and S<sub>2</sub> are conflict equivalent if
  - S<sub>1</sub> and S<sub>2</sub> involve the same operations of the same transaction
  - Every pair of conflicting operations is ordered in the same way in S<sub>1</sub> and S<sub>2</sub>

# **Conflict Serializability**

 S is conflict serializable if it is conflict equivalent to a serial schedule



- H<sub>8</sub> and H<sub>9</sub> are conflict equivalent
- H<sub>9</sub> is a serial schedule
- H<sub>8</sub> is conflict serializable

Conflict-serializability - Both schedules have the same sets of respective chronologically ordered pairs of conflicting operations.

### Precedence Graph

- Test for conflict serializability
- A directed graph G=(V,E), where
  - V includes all transactions involved in the schedule
  - E consists of all edges  $T_i \rightarrow T_j$  for which one of three conditions holds:

    Conflict Operations
    - T<sub>i</sub> executes write(X) before T<sub>i</sub> executes read(X)
    - T<sub>i</sub> executes read(X) before T<sub>i</sub> executes write(X)
    - T<sub>i</sub> executes write(X) before T<sub>i</sub> executes write(X)

```
T_i: W(X), T_j: R(X)
```

```
T_i: R(X), T_j: W(X)
```

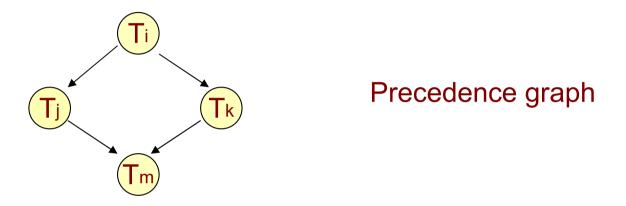
```
T_i: W(X), T_j: W(X)
```

### Precedence Graph

- Theorem: A schedule S is conflict serializable iff
   G(S) is acyclic (i.e. no cycle)
- The serialization order can be obtained through
   topological sorting, which determines a linear
   order consistent with the partial order of the
   dependence graph

## Precedence Graph

wi[a] rk[a] ri[b] wj[b] wk[c] rm[c] wj[d] rm[d]



Two possible serialization orders

