Computer Vision Homework 5

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Description

In this homework, we are asked to do morphological dilation, erosion, opening, closing on a gray-scale image. *Figure 1-1* is the gray-scale image in this homework, which is lena.bmp. For dilation, erosion, opening and closing, which need only one kernel, we use the 3-5-5-3 kernel with value 0 as shown in *Figure 1-2*.



Figure 1-1: Gray-scale image.

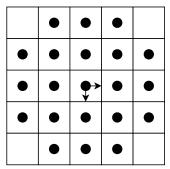


Figure 1-2: 3-5-5-3 kernel.

Programming

I use python to implement the algorithms. There is one python program, namely, **ImgProcess.py**, where I use **pillow** to process basic image I/O. In the program, there are some basic functions:

- 1. PIL. Image. open(img): load the image img and return a pillow Image object.
- 2. pix = Image.load(): return the **PixelAccess** object of **Image** object to pix, which offers us to use pix[x, y] to access the pixel value at position (x, y).
- 3. PIL.Image.new(mode, size): create a new image with given mode and size, and return a piilow Image object.
- 4. Image.size: pair (width, height) of Image object.

```
5. sumTuple((a, b), (c, d)): return the tuple (a+c, b+d).
```

The usage of ImgProcess.py is

```
python3 ImgProcess.py OPTION IMG_IN IMG_OUT
```

where **OPTION** can be **dilation**, **erosion**, **opening** and **closing**. The program will do **OPTION** transform on **IMG_IN** and generate the image named **IMG_OUT**.

Algorithm

Dilation: $A \oplus B$



Figure 2: Dilation on gray-scale image.

In the following program, we can simply regard **pix** as A, **kernel** as B and **ret** as the result, that is $A \oplus B$. Since the 3-5-5-5-3 kernel we use is with value 0 in each cell, dilation can simply be seen as local maximal within the specific window. **To do dilation, traverse each pixel** (x,y) **and iterate the pixels in the translation of kernel with respect to** (x,y) **to find the local maximal.** Then assign that value to the corresponding position of the result image.

Erosion: $A \ominus B$



Figure 3: Erosion on gray-scale image.

In the following program, we can simply regard **pix** as A, **kernel** as B and **ret** as the result, that is $A \ominus B$. Since the 3-5-5-3 kernel we use is with value 0 in each cell, erosion can simply be seen as local minimal within the specific window. **To do dilation, traverse each pixel** (x,y) **and iterate the pixels in the translation of kernel with respect to** (x,y) **to find the local minimal.** Then assign that value to the corresponding position of the result image.

Note: When the pixel in the translation of kernel is out of boundary, I do not regard it as the background (BLACK), and I directly pass it. Thus, there is not any black line along the boundary in the output image.

Opening: $A \circ B$



Figure 4: Opening on gray-scale image.

In the previous algorithms, I have implemented functions of dilation and erosion. As for opening, we know that $A \circ B = (A \ominus B) \oplus B$. Hence, we can simply use the same algorithms above. **First do erosion on the original image, and then we can get** $A \ominus B$. **Finally, do dilation on** $A \ominus B$, **and then we get** $(A \ominus B) \oplus B$, **that is,** $A \circ B$.

```
def opening(pix, size, kernel):
return dilation(erosion(pix, size, kernel), size, kernel)
```

Closing: $A \bullet B$



Figure 4: Closing on gray-scale image.

Similarly, we know that $A \bullet B = (A \oplus B) \ominus B$. Hence, we can simply use the same algorithms above. First do dilation on the original image, and then we can get $A \oplus B$. Finally, do erosion on $A \oplus B$, and then we get $(A \oplus B) \ominus B$, that is, $A \bullet B$.

Note: When the pixel in the translation of kernel is out of boundary, I do not regard it as the background (BLACK), and I directly pass it. Thus, there is not any black line along the boundary in the output image.

```
def closing(pix, size, kernel):
return erosion(dilation(pix, size, kernel), size, kernel)
```