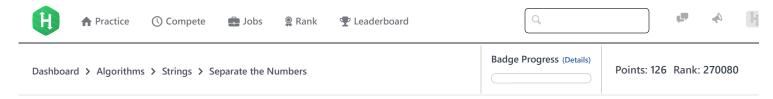
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# Separate the Numbers **■**



Problem	Submissions	Leaderboard	Discussions	Editorial 🔒

A numeric string, s, is beautiful if it can be split into a sequence of two or more positive integers,  $a_1, a_2, \ldots, a_n$ , satisfying the following conditions:

- 1.  $a_i a_{i-1} = 1$  for any  $1 < i \le n$  (i.e., each element in the sequence is 1 more than the previous element).
- 2. No  $a_i$  contains a leading zero. For example, we can split s = 10203 into the sequence  $\{1, 02, 03\}$ , but it is not beautiful because 02 and 03 have leading zeroes.
- 3. The contents of the sequence cannot be rearranged. For example, we can split s = 312 into the sequence  $\{3, 1, 2\}$ , but it is not beautiful because it breaks our first constraint (i.e.,  $1 3 \neq 1$ ).

The diagram below depicts some beautiful strings:

You must perform q queries, where each query consists of some string s. For each query, print whether or not the string is beautiful on a new line. If it's beautiful, print YES x, where x is the first number of the increasing sequence (if there are multiple such values of x, choose the smallest); otherwise, print NO instead.

# **Input Format**

The first line contains an integer denoting q (the number of strings to evaluate). Each of the q subsequent lines contains some string s for a query.

## **Constraints**

- $1 \le q \le 10$
- $1 \le |s| \le 32$
- ullet Each character in  $oldsymbol{s}$  is a decimal digit from  $oldsymbol{0}$  to  $oldsymbol{9}$  (inclusive).

## **Output Format**

For each query, print its answer on a new line (i.e., either YES x where & is the smallest first number of the increasing sequence, or NO).

# Sample Input 0

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## Sample Output 0

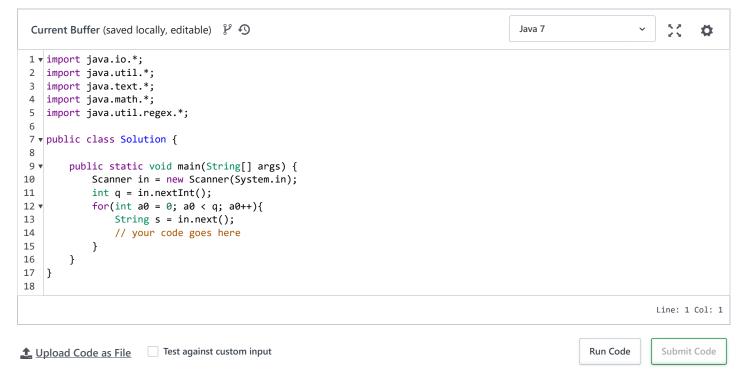
```
YES 1
YES 9
YES 99
NO
NO
NO
```

### **Explanation 0**

The first three numbers are beautiful (see the diagram above). The remaining numbers are not beautiful:

- For s = 101103, all possible splits violate the first and/or second conditions.
- For s = 010203, it starts with a zero so all possible splits violate the second condition.
- For s = 13, the only possible split is  $\{1, 3\}$ , which violates the first condition.
- For s = 1, there are no possible splits because s only has one digit.

f y in Submissions:<u>6238</u> Max Score:20 Difficulty: Easy Rate This Challenge: ☆☆☆☆☆



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