

# Program to Build a Binary Search Tree (BST)

**Mr. Vikas Kumar**

Assistant Professor  
Industry Embedded Program

## **Lesson Plan**

<b>Subject/Course</b>	<b>Competitive Coding</b>
<b>Lesson Title</b>	<b>Write a Program to Build a Binary Search Tree (BST)</b>

### **Lesson Objectives**

Understand the concept of Binary Search Tree (BST) and its properties.

Learn how to insert elements into a BST.

Explore recursive and iterative insertion logic.

Analyze time and space complexity of BST creation

# **Problem Statement:**

Write a program to build a Binary Search Tree (BST)  
by inserting elements one by one.

The program should:

1. Accept a sequence of integer values.
2. Insert each element according to BST rules.
3. Display the tree using inorder traversal.

# Concept

**A Binary Search Tree (BST) is a binary tree where:**

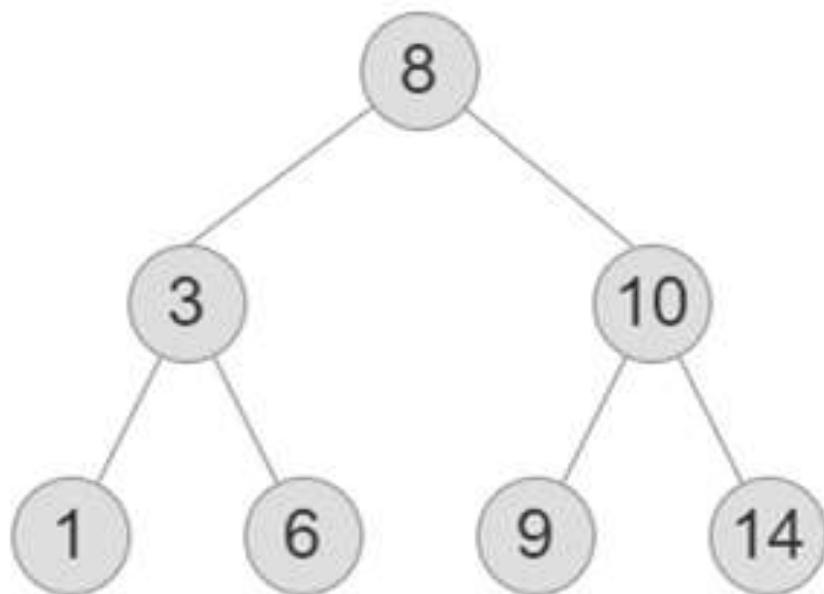
1. The left child has a smaller value than its parent.
2. The right child has a larger value than its parent.
3. No duplicate elements are stored.
4. Inorder traversal of a BST gives a sorted sequence.

# Algorithm/Logic

1. Start with an empty tree (`root = null`).
2. For each element:
  - a. If the tree is empty → new node becomes root.
  - b. If `value < root.data` → insert into left subtree.
  - c. If `value > root.data` → insert into right subtree.
3. Repeat recursively until correct position is found.
4. Use inorder traversal to display the BST.
5. Inorder order: Left → Root → Right.
6. This ensures ascending order output.

# Visualization

Insert sequence: 8, 3, 10, 1, 6, 9, 14



Inorder Traversal: 1, 3, 6, 8, 9, 10, 14

# Code Implementation

```
class Node {
    int data;
    Node left, right;

    Node(int val) {
        data = val;
        left = right = null;
    }
}

class BSTBuilder {

    Node insert(Node root, int val) {
        if (root == null)
            return new Node(val);

        if (val < root.data)
            root.left = insert(root.left, val);
        else if (val > root.data)
            root.right = insert(root.right, val);

        return root;
    }
}
```

```
public class Main {  
  
    static void inorder(Node root) {  
        if (root != null) {  
            inorder(root.left);  
            System.out.print(root.data + " ");  
            inorder(root.right);  
        }  
    }  
  
    public static void main(String[] args) {  
        BSTBuilder tree = new BSTBuilder();  
        Node root = null;  
  
        int[] values = {40, 25, 60, 10, 30, 50, 70};  
  
        for (int val : values)  
            root = tree.insert(root, val);  
  
        System.out.print("Inorder Traversal: ");  
        inorder(root);  
    }  
}
```

# Output

```
Inorder Traversal: 10 25 30 40 50 60 70
```

# Example Walkthrough

1. Insert 40 → becomes root.
2. Insert 25 → goes left of 40.
3. Insert 60 → goes right of 40.
4. Insert 10, 30, 50, 70 → placed recursively.
5. Final structure matches BST rules.

# Time & Space Complexity

## Time Complexity:

$O(h)$  per insertion  $\rightarrow h = \text{height of tree}$ .

$O(n \log n)$  average case for  $n$  elements.

## Space Complexity:

$O(h)$  due to recursion stack.

# Summary

1. BST maintains ordered data using left and right subtrees.
2. Insertion follows comparison-based positioning.
3. Inorder traversal displays sorted elements.
4. Average complexity:  $O(\log n)$ , Worst case:  $O(n)$ .

# Practice Questions:

## 1. Insert into a Binary Search Tree— [LeetCode #701](#)

🔗 <https://leetcode.com/problems/insert-into-a-binary-search-tree/>

**Concept:** Build a BST by inserting given nodes.

**Why Practice:** Strengthens understanding of insertion logic.

# Practice Questions:

## 2. Search in a Binary Search Tree— LeetCode #700

☞ <https://leetcode.com/problems/search-in-a-binary-search-tree/>

**Concept:** Find an element in an existing BST.

**Why Practice:** Reinforces traversal and search in BST.

# Practice Questions:

## 3. Construct BST from Preorder Traversal — LeetCode #1008

☞ <https://leetcode.com/problems/construct-binary-search-tree-from-preorder-traversal/>

**Concept:** Rebuild BST using preorder sequence with recursion.

**Why Practice:** Improves understanding of BST structure and traversal.

# Thanks