

# Two pointer and Binary Search

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### Two pointer

Solução Trivial:  $\mathcal{O}(n^2)$

Solução two pointer com vetor ordenado:  $\mathcal{O}(n)$

Solução two pointer com vetor não ordenado:  $\mathcal{O}(n \log n)$

### Two Integer Sum II

Given an array of integers numbers that is sorted in non-decreasing order.

Return the indices (1-indexed) of two numbers, [index1, index2], such that they add up to a given target number target and index1  $\neq$  index2. Note that index1 and index2 cannot be equal, therefore you may not use the same element twice.

There will always be exactly one valid solution.

Your solution must use  $\mathcal{O}(1)$  additional space.

```
1 vector<int> twoSum(vector<int>& numbers, int target) {
2     vector<int> res;
3     int i = 0;
4     int j = numbers.size() - 1;
5
6     while(i < j){
7         int A = numbers[i];
8         int B = numbers[j];
9
10        if(A+B == target){
11            res.push_back(i+1);
12            res.push_back(j+1);
13            return res;
14        }else if(A+B < target){
15            i++;
16        }else {
17            j--;
18        }
19    }
20 }
```

### 3SUM

Solução Trivial:  $\mathcal{O}(n^3)$

Solução two pointer :  $\mathcal{O}(n^2)$

Given an integer array `nums`, return all the triplets `[nums[i], nums[j], nums[k]]` where `nums[i] + nums[j] + nums[k] == 0`, and the indices `i, j` and `k` are all distinct.

The output should not contain any duplicate triplets. You may return the output and the triplets in any order.

Example 1:

Input: `nums = [-1,0,1,2,-1,-4]`

Output: `[[-1,-1,2],[-1,0,1]]`

Explanation:

`nums[0] + nums[1] + nums[2] = (-1) + 0 + 1 = 0.`

`nums[1] + nums[2] + nums[4] = 0 + 1 + (-1) = 0.`

`nums[0] + nums[3] + nums[4] = (-1) + 2 + (-1) = 0.`

The distinct triplets are `[-1,0,1]` and `[-1,-1,2]`.

```
1 vector<vector<int>> threeSum(vector<int>& nums) {
2
3     vector< vector<int> > triplet;
4
5     set < vector<int> > s;
6
7     sort(nums.begin(), nums.end() );
8
9
10    for(int i = 0; i < nums.size()-2; i++){
11        if(i > 0 && nums[i] == nums[i-1]) continue;
12        if( nums[i] > 0) break;
13        int j = i+1;
14        int k = nums.size() - 1;
15        int target = -nums[i];
16        cout << "target " << target << endl;
17        while(j < k){
18            int soma = nums[j] + nums[k];
19            if(soma == target){
20                //triplet.push_back({nums[i], nums[j], nums[k]});
21                s.insert({nums[i], nums[j], nums[k]});
22                j++;
23                k--;
24            }else if(soma > target){
25                k--;
26            }else{
27                j++;
28            }
29
30
31        }
32    }
33    for(auto triple : s){
34        triplet.push_back(triple);
35    }
36    return triplet;
37 }
```

```

1 vector<vector<int>> threeSum(vector<int>& nums) {
2     vector<vector<int>> res;
3     sort(nums.begin(), nums.end());
4
5     for(int i = 0; i < nums.size() - 2; i++){
6         //pula os elementos repetidos já processados
7         if(i > 0 && nums[i] == nums[i-1]) continue;
8
9         int target = -nums[i];
10        int start = i + 1;
11        int end = nums.size() - 1;
12
13        while(start < end){
14            int sum = nums[start] + nums[end];
15            if(sum == target){
16                res.push_back({nums[i], nums[start], nums[end]});
17                //pula elementos repetidos
18                while(start < end && nums[start] == nums[start + 1]) start++;
19                //pula elementos repetidos
20                while(start < end && nums[end] == nums[end - 1]) end--;
21                start++;
22                end--;
23            } else if(sum < target){
24                start++;
25            } else {
26                end--;
27            }
28        }
29    }
30
31    return res;
32 }

```

# Binary Search

## Search a 2D Matrix

You are given an  $m \times n$  2-D integer array matrix and an integer target.

- Each row in matrix is sorted in non-decreasing order.
- The first integer of every row is greater than the last integer of the previous row.

Return true if target exists within matrix or false otherwise.

Can you write a solution that runs in  $O(\log(m * n))$  time?

```
1 bool searchMatrix(vector<vector<int>>& matrix, int target) {
2
3
4     int start = 0;
5     int end = matrix.size() - 1;
6     int sol = -1;
7     //Encontrando o maior indice da linha em que o primeiro elemento é menor ou
8     //igual ao target
9     while( start <= end ){
10         int mid = (start + end)/2;
11
12         if( matrix[mid][0] <= target ){
13             sol = mid;
14             start = mid+1;
15         }else{
16             end = mid-1;
17         }
18     }
19     if(sol == -1) return false;
20
21     //cout << "linha " << sol << endl;
22
23     start = 0;
24     end = matrix[sol].size() - 1;
25
26     while( start <= end ){
27         int mid = (start + end)/2;
28
29         if( matrix[sol][mid] == target ){
30             return true;
31         }else if( matrix[sol][mid] > target ){
32             end = mid-1;
33         }else {
34             start = mid+1;
35         }
36     }
37
38     return false;
39
40 }
```

```

1 bool searchMatrix(vector<vector<int>>& matrix, int target) {
2
3     int n = matrix.size(); // rows
4     int m = matrix[0].size(); //cols
5
6     int start = 0;
7     int end = n*m - 1;
8
9     while( start <= end){
10         int r, c, mid;
11         mid = (start + end)/2;
12
13         r = mid/m;
14         c = mid%m;
15
16         if( matrix[r][c] == target )
17             return true;
18         else if( matrix[r][c] > target){
19             end = mid - 1;
20         }else{
21             start = mid + 1;
22         }
23     }
24     return false;
25 }
26

```